Origin, evolution and signatures of Primordial Black Holes as Dark Matter

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JGB, J.Phys.Conf 840 (2017) 012032 (scenario)
JGB & S. Nesseris, Phys. Dark Univ. 18 (2016) 123
S. Clesse & JGB, arXiv:1610.08479, PDU accepted
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S. Clesse & JGB, Phys Rev D92 (2015) 023524
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<u>Outline</u>

- The discovery of 5 BHB by AdvLIGO has opened a new Era of Astronomy
- Is Cold Dark Matter made of PBH ?
- Quantum origin => Peaks in curvature
- Astrophysical signatures
- Cosmological signatures
- Test PBH scenario with GW emission
- Conclusions



"for decisive contributions to the LIGO detector and the observation of gravitational waves"









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Kip S. Thorne

Black Holes of Known Mass



LIGO/VIRGO





GW170814 detected by LVC





Gravitational Wave Astronomy

- AdvLIGO + VIRGO (+KAGRA, +INDIGO)
- GW150914 = $36 + 29 M_{\odot}$ BH binary
- LVT151012 = 23 + 13 M_{\odot} "candidate"
- GW151226 = 14 + $8 M_{\odot}$ BH binary
- GW170401 = 32 + 20 $M_{\odot}\,$ BH binary
- GW170814 = 31 + 25 $M_{\odot}\,$ BH binary
- Expected 10-150 events/yr/Gpc³
- AdvLIGO+ can map the mass and spin Massive BH (0.1 $M_{\odot}\,$ < $M_{BH}\,$ < 150 $M_{sun})$

Spin distribution of LIGO BHB

















 M_{PBH}/M_{\odot}

AdvLIGO BHB event rate

Clesse, JGB (2016)



CGB model



Massive PBH from nfation as DM





Space-time ripples



What models of inflation produce PBH?





















Critica

Higgs Inflation

Concrete realization: PBH in Critical Higgs Inflation

Ezquiaga, JGB, Ruiz Morales (2017)

$$S = \int d^4x \sqrt{g} \left[\left(\frac{1}{2\kappa^2} + \frac{\xi(\phi)}{2} \phi^2 \right) R - \frac{1}{2} (\partial \phi)^2 - \frac{1}{4} \lambda(\phi) \phi^4 \right]$$
$$\lambda(\phi) = \lambda_0 + b_\lambda \ln^2(\phi/\mu) ,$$
$$\xi(\phi) = \xi_0 + b_\xi \ln(\phi/\mu) ,$$

$$\frac{d\varphi}{d\phi} = \frac{\sqrt{1 + \xi(\phi) \, \phi^2 + 6 \, \phi^2 \, (\xi(\phi) + \phi \, \xi'(\phi)/2)^2}}{1 + \xi(\phi) \, \phi^2}$$

RGE running of Higgs quartic coupling



RGE running of Higgs quartic coupling Buttazzo, Degrassi, Giardino, Giudice, Sala, Salvio, Strumia (2014) 0.15 $M_h = 126.5 \text{ GeV} (\text{dashed})$ $M_h = 124.5 \text{ GeV} \text{ (dotted)}$ $M_t = 171.0 \text{ GeV}$ 0.10 Higgs quartic coupling $\lambda(\mu)$ $\alpha_s(M_Z) = 0.1184$ Froggatt, Nielsen ('79) $\lambda_{\rm eff} = 4V/h^4$ 0.05 λ in \overline{MS} 0.00 β_{λ} -0.05 $10^6 \quad 10^8 \quad 10^{10} \quad 10^{12} \quad 10^{14} \quad 10^{16} \quad 10^{18}$ 10^{4} 10^{2} 10^{20} RGE scale μ or h vev in GeV
Concrete realization: CHI model

Ezquiaga, JGB, Ruiz Morales (2017)

$$S = \int d^4 x \sqrt{g} \left[\left(\frac{1}{2\kappa^2} + \frac{\xi(\phi)}{2} \phi^2 \right) R - \frac{1}{2} (\partial \phi)^2 - \frac{1}{4} \lambda(\phi) \phi^4 \right]$$
$$\lambda(\phi) = \lambda_0 + b_\lambda \ln^2(\phi/\mu) ,$$
$$\xi(\phi) = \xi_0 + b_\xi \ln(\phi/\mu) ,$$
$$V(x) = \frac{V_0 \left(1 + a \ln^2 x \right) x^4}{\left(1 + c \left(1 + b \ln x \right) x^2 \right)^2} \qquad x = \phi/\mu$$

 $V_0 = \lambda_0 \mu^4/4, a = b_\lambda/\lambda_0, b = b_\xi/\xi_0$ and $c = \xi_0 \kappa^2 \mu^2$



x



x





Primordial Spectrum for PBH



Primordial Spectrum for PBH



CMB &

Constraints

Ezquiaga, JGB, Ruiz Morales (2017)

$$A_s^2 = 2.14 \times 10^{-9}$$

$$n_s = 0.952$$

$$r = 0.043$$

$$d n_s/d \ln k = -0.0017$$

$$\lambda_0 = 2.3 \times 10^{-7}$$

$$\xi_0 = 7.55$$

$$b_{\lambda} = 1.2 \times 10^{-6}$$

$$b_{\xi} = 11.5$$

$$\kappa^2 \mu^2 = 0.102$$

Ezquiaga, JGB, Ruiz Morales (2017)

$$V(x \gg x_c) \simeq V_0 \frac{a}{(b c)^2} = \frac{1}{4\kappa^4} \frac{b_\lambda}{b_\xi^2} \ll M_P^4$$

(RGE) $b_\lambda = 1.2 \times 10^{-6}$ $b_\xi = 11.5$

Reheating after CHI

$$\rho_{\rm end} = 2.8 \times 10^{63} \text{ GeV}$$

 $T_{\rm rh} = 3 \times 10^{15} \text{ GeV}$
(for $g_* = 106.75$)







Massive Primordial Black Holes

- These are massive black holes with $10^{-2} M_{\odot} < M_{PBH} < 10^{2} M_{\odot}$, which cluster and merge and could resolve some of the most acute problems of Λ CDM paradigm.
- Λ CDM N-body simulations never reach the 100 M $_{\odot}$ particle resolution, so for them PBH is as good as PDM.
- PBH DM paradigm naturally incorporates all properties of collisionless CDM scenario on large scales but differs on small scales.

Correlating Black Hole Mass to Stellar System Mass









Distinguish MPBH from Stellar BH

- Accretion disks around SBH
- Distribution of spins misaligned
- Mass distribution ≠ IMF
- SBH kicks at formation vs static PBH
- Galaxy formation rate → gal. seeds
- Microlensing events of long duration
- GAIA anomalous astrometry
- CMB distortions with PIXIE/PRISM
- Reionization faster in the past
- N-body simulations below $10^2~M_{\odot}$



Microlensing



Large Magellanic Cloud

$$A = \frac{2 + u^2}{u\sqrt{4 + u^2}} \qquad u = \frac{r}{r_E} \quad \text{amplification}$$

$$\overline{Dt} = \frac{r_E}{v} = \frac{\sqrt{4GM_D d}}{v} \quad \text{average } \frac{1}{2} \text{ crossing}$$

$$M_D = 100 \text{ M}_{\odot} \quad \Rightarrow \quad \overline{Dt} = 4 \text{ years}$$

$$M_D = 10 \text{ M}_{\odot} \quad \Rightarrow \quad \overline{Dt} = 1.23 \text{ years}$$

$$M_D = 1 \text{ M}_{\odot} \quad \Rightarrow \quad \overline{Dt} = 5 \text{ months}$$

$$M_D = 0.1 \text{ M}_{\odot} \quad \Rightarrow \quad \overline{Dt} = 1.5 \text{ months}$$

$$M_D = 0.01 \text{ M}_{\odot} \quad \Rightarrow \quad \overline{Dt} = 2 \text{ weeks}$$







Signatures: Parallax of PBH



Signatures: Parallax of PBH



Constraints on clustered PBH
JGB, Clesse (2017)
Uniform
$$(f_{PBH}=1)$$

 $PDF(M) = \frac{1}{M\sqrt{2\pi\sigma^2}} \exp -\frac{\log^2(M/\mu)}{2\sigma^2}$
 $\overline{M} = \mu \exp(\frac{1}{2}\sigma^2)$

Clustered (N_{cl} = 100-1000) new distribution:

$$\mu_{cl} = N_{cl} \overline{M} \qquad \sigma_{cl}^2 = (e^{\sigma^2} - 1)/N_{cl}$$



Missing satellite

Too-big-to-fail Problems ACDM





Gravitational slingshot effect

Close encounters of a star with MPBH @ 100 km/s relative motion is enough to expel the star from the stellar cluster.



It may explain large M/L ratios of dSph by ejection of stars in the cluster, $v > v_{esc}$.



DES Dwarf spheroidals



DES Dwarf spheroidals





Eridanus II dwarf spheroidal


DISCUSSION

Signatures of PBH as DM

- Seeds of galaxies at high-z
- Reionization starts early (Kashlinsky)
- Larger galaxies form earlier than ΛCDM
- Massive BH at centers QSO @ z>6
- Growth of structure on small scales
- Ultra Luminous X-ray Transients
- MPBH in Andromeda (Chandra)
- GW from inspiraling M < M $_{\odot}$ BH (LIGO)
- Substructure and too-big-to-fail probl.
- Total integrated mass = Ω_M

GW DUrsts from c ose encounters



GW bursts



GW bursts



GW bursts







Stocnastic Background Grav. Waves

The Gravitational Wave Spectrum



Sensitivity of future GW antenas



Stochastic Background from MPBH





Conclusions

• Massive Primordial Black Holes are the perfect candidates for collisionless CDM, in excellent agreement with CMB and LSS observations.

- MPBHs could also resolve some of the most acute problems of ΛCDM paradigm, like early structure formation and substructure problems.
- MPBHs open a new window into the Early Universe, ~ 20-40 efolds before end inflation.
- There are many ways to test this idea in the near future from CMB, LSS, X-rays and GW.
- LISA/PTA could detect the stoch. background from MPBH merging since recombination.

Fuctuations CB&X-ray Background

Kashlinsky (2016)



Kashlinsky (2016)



Diffuse

Gamma-ray Background

Fermi-LAT Point Sources = PBH ?

Wavelet transformation



Bartels et al. 2016

Non-Poissonian noise



Lee et al. 2016

Deep Field South

Chandra Deep Field South (2017)