

Delensing: *T* science; *T* and *P* issues

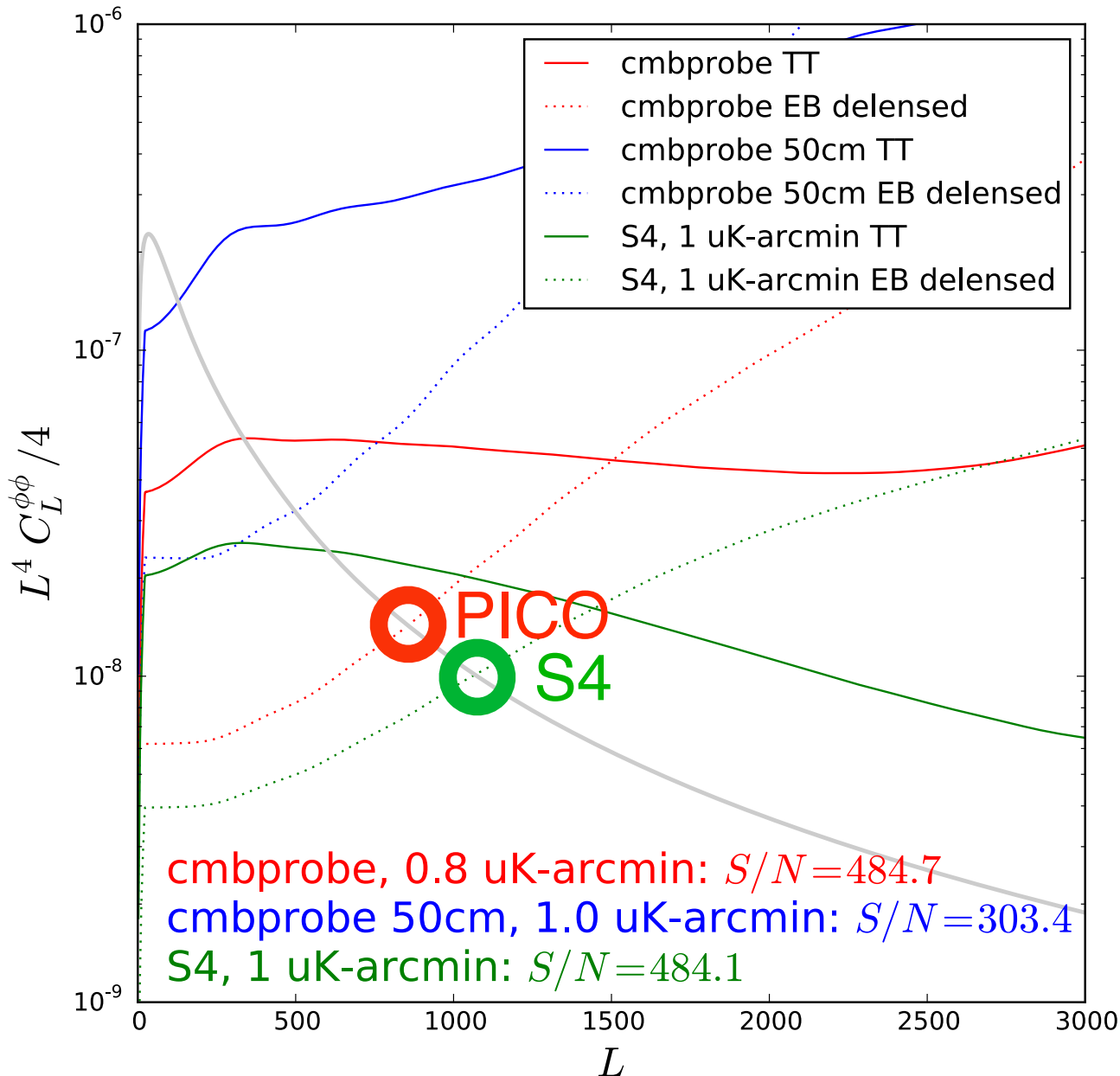
Alex van Engelen (CITA / U. Toronto)

- Susan Clark, Dan Green, D.W. Han, Colin Hill, Mat Madhavacheril, Joel Meyers, Neelima Sehgal, Blake Sherwin

- Lensing maps can come from:
 - CMB temperature - $\kappa(TT)$
 - Polarization - $\kappa(EB)$
 - External tracers
 -

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 - CMB temperature - $\kappa(TT)$
 - Polarization - $\kappa(EB)$
 - External tracers
 -
- Today (Planck)
- Future (S4 / PICO)
- Today (Planck CIB / Herschel CIB)

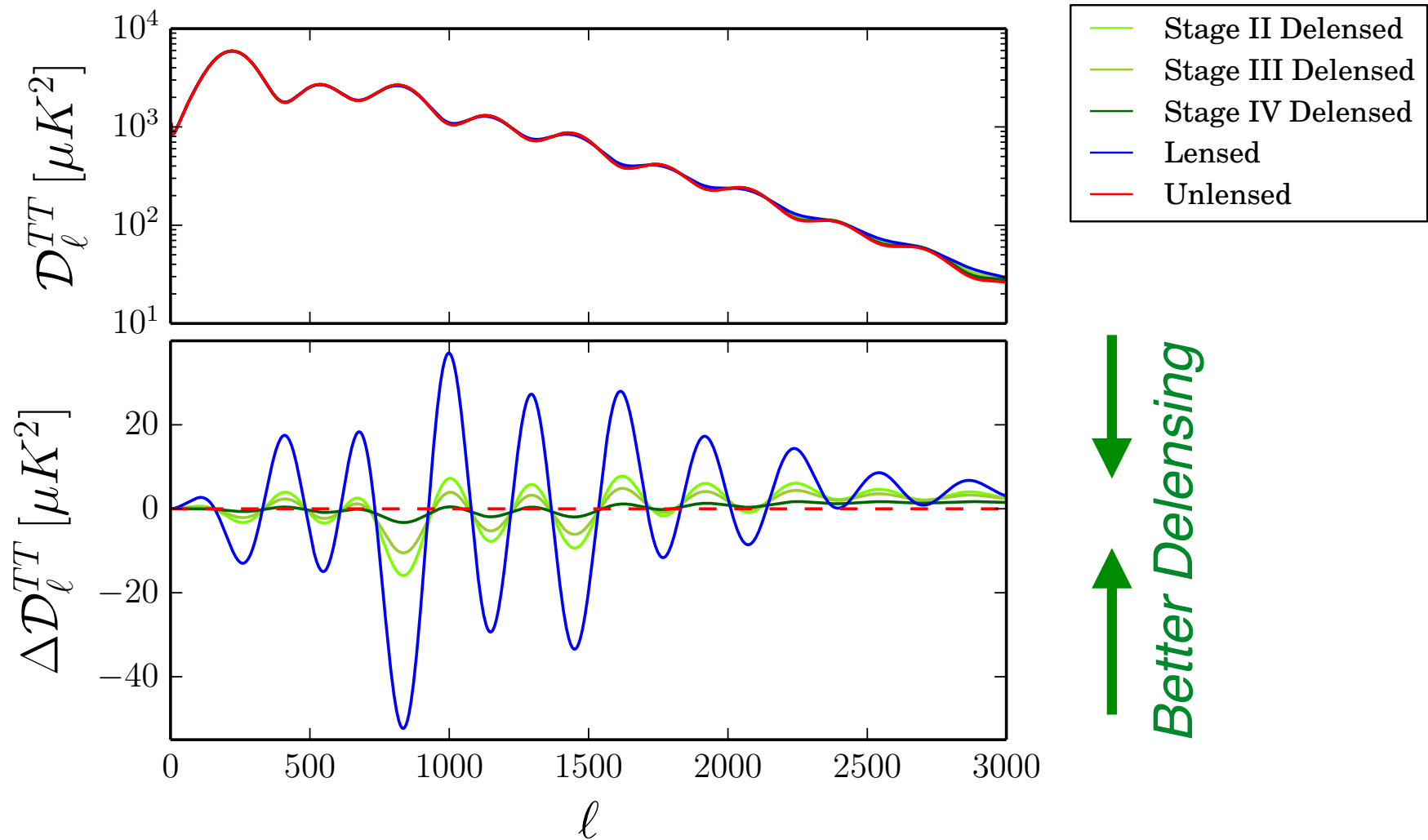
Lensing map noise - from space!



- Polarization lensing will dominate for PICO
- Temperature: extragalactic foregrounds
- Polarization: galactic foregrounds

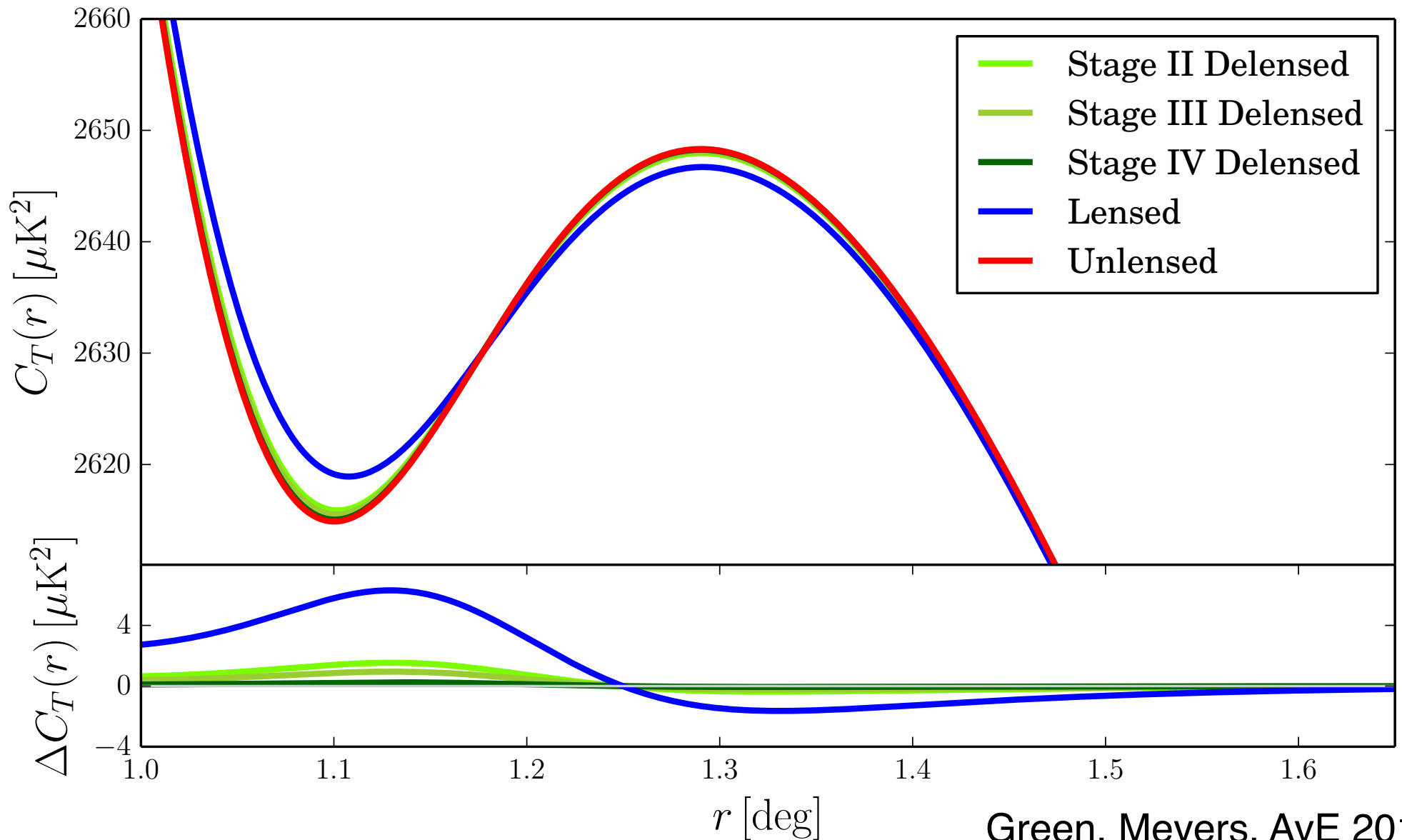
“Delensing beyond the B modes”

CMB TT power spectrum

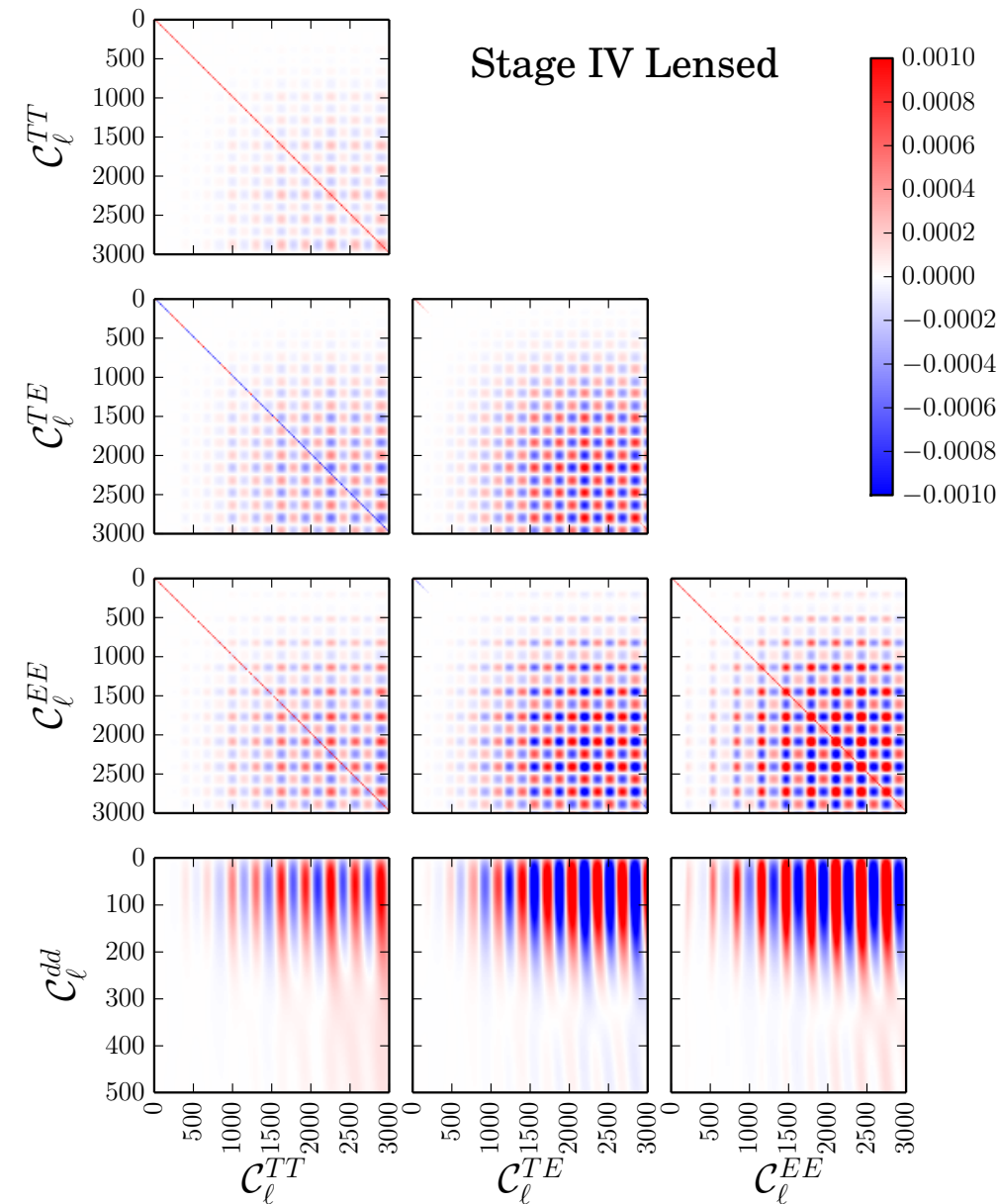


“Delensing beyond the B modes”

CMB T correlation function



Power spectrum covariances



$$\text{Cov}(C_\ell^{\text{d},XY}, C_{\ell'}^{\text{d},WZ}) = \frac{f_{\text{sky}}}{2\ell + 1} \left[C_\ell^{\text{d},XW} C_\ell^{\text{d},YZ} + C_\ell^{\text{d},XZ} C_\ell^{\text{d},YW} \right] \delta_{\ell\ell'}$$

$$+ f_{\text{sky}} \sum_L \left[\frac{\partial C_\ell^{\text{d},XY}}{\partial C_L^{\phi\phi}} \text{Cov}_{LL'}^{\phi\phi, \phi\phi} \frac{\partial C_{\ell'}^{\text{d},WZ}}{\partial C_{L'}^{\phi\phi}} \right],$$

Green, Meyers, AvE 2016

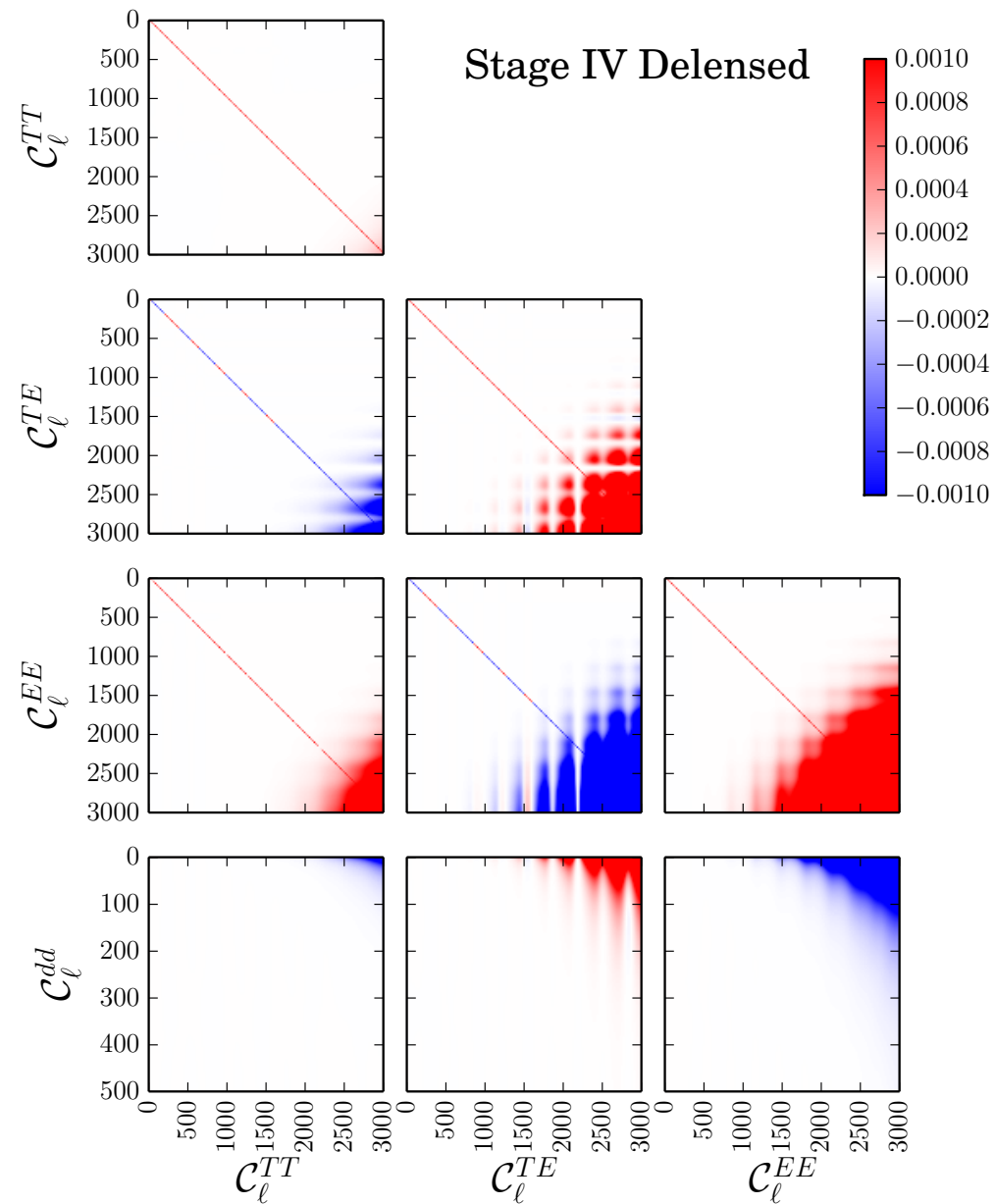
See also:

Benoit-Levy, Smith, Hu 2012

Peloton, Schmittfull, Lewis, Carron, Zahn 2016

Motloch, Hu, and Benoit-Levy 2016

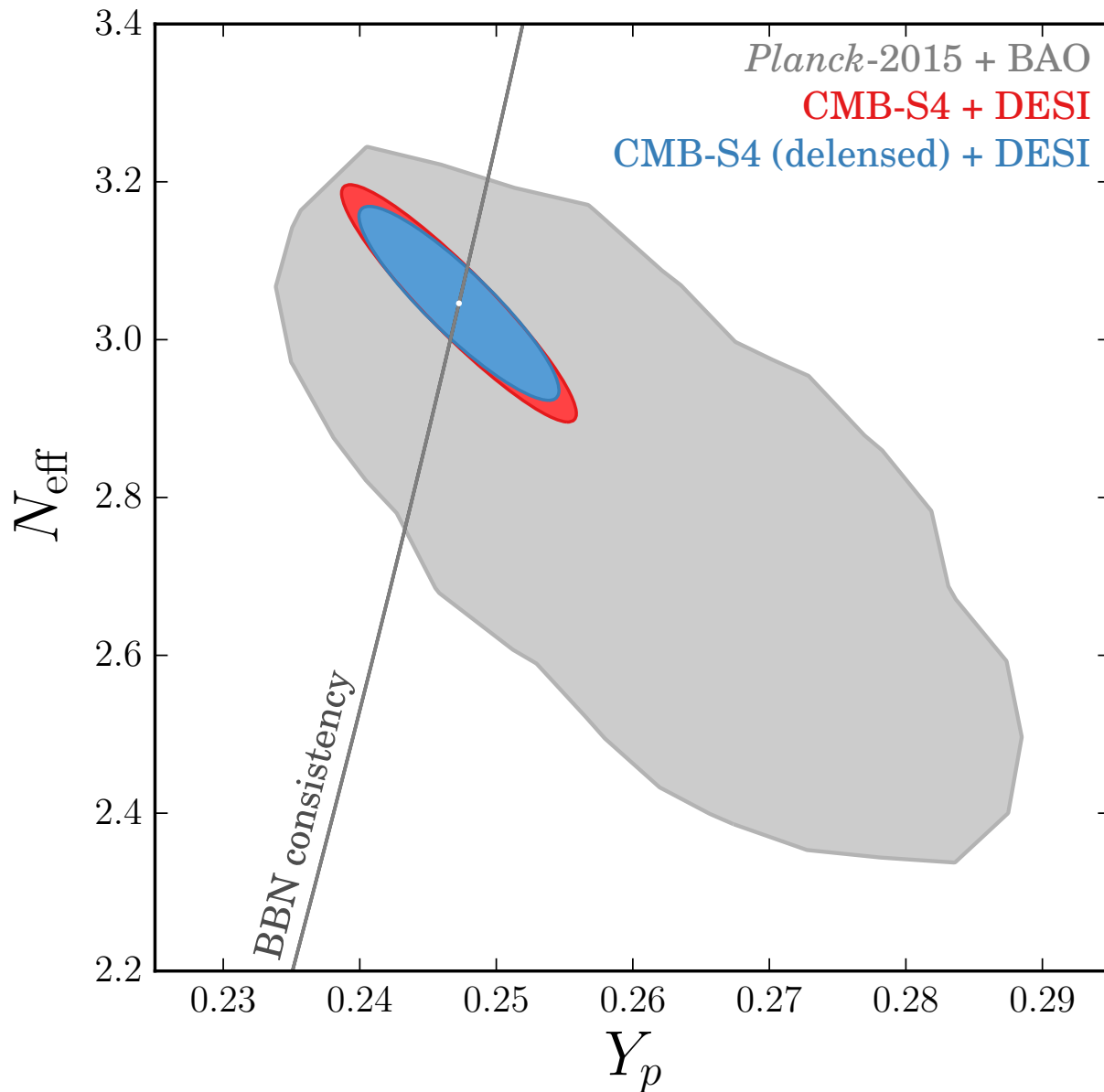
Power spectrum covariances



Delensing removes
covariances

Green, Meyers, AvE 2016

Cosmology - N_{eff}



- Break degeneracy between N_{eff} (damping + phase shift) and Y_p

Delensing - possible issues

$$B_{\text{templ}} \sim E_{\text{obs}} \star K(E_{\text{obs}} B_{\text{obs}})$$

$$B_{\text{del}} = B_{\text{obs}} - B_{\text{templ}}$$

$$\begin{aligned} \langle B_{\text{del}} B_{\text{del}} \rangle &\sim \langle (B - EEB)^2 \rangle \\ &\sim \langle BB \rangle - 2\langle EBEB \rangle + \dots \end{aligned}$$

Bias if $\langle EBEB \rangle \neq 0$

Delensing - possible issues

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1. Biases even for GRF
2. Correlations from Dust

Delensing - possible issues

$$\mathbf{B}_{\text{templ}} \sim \mathbf{E}_{\text{obs}} \star \mathbf{K}(\mathbf{E}_{\text{obs}} \mathbf{B}_{\text{obs}})$$

$$\mathbf{B}_{\text{del}} = \mathbf{B}_{\text{obs}} - \mathbf{B}_{\text{templ}}$$

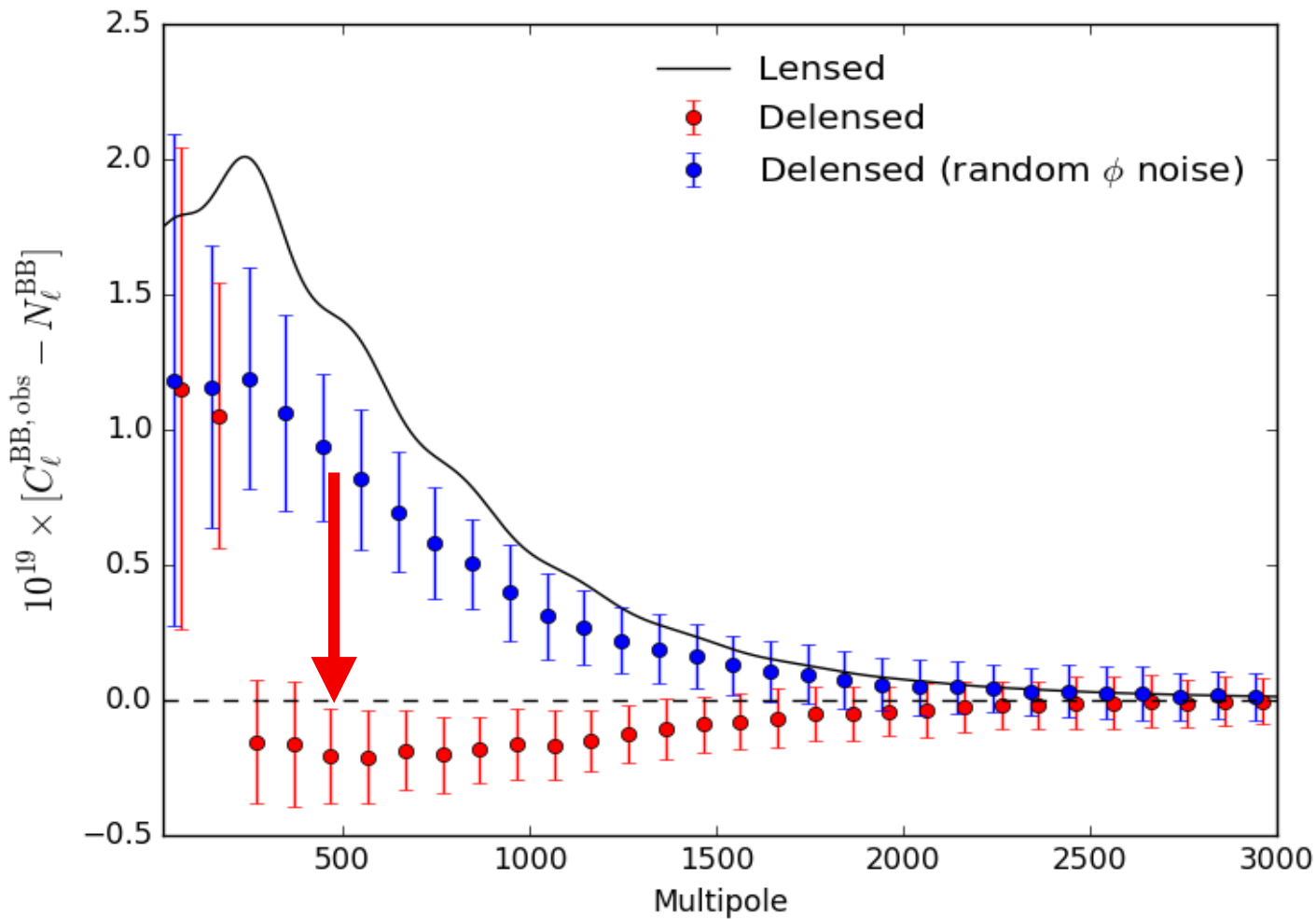
$$\begin{aligned} \langle \mathbf{B}_{\text{del}} \mathbf{B}_{\text{del}} \rangle &\sim \langle (\mathbf{B} - \mathbf{E} \mathbf{E} \mathbf{B})^2 \rangle \\ &\sim \langle \mathbf{B} \mathbf{B} \rangle - 2 \langle \mathbf{E} \mathbf{B} \mathbf{E} \mathbf{B} \rangle + \dots \end{aligned}$$

Bias if $\langle \mathbf{E} \mathbf{B} \mathbf{E} \mathbf{B} \rangle \neq 0$

1. Biases even for GRF

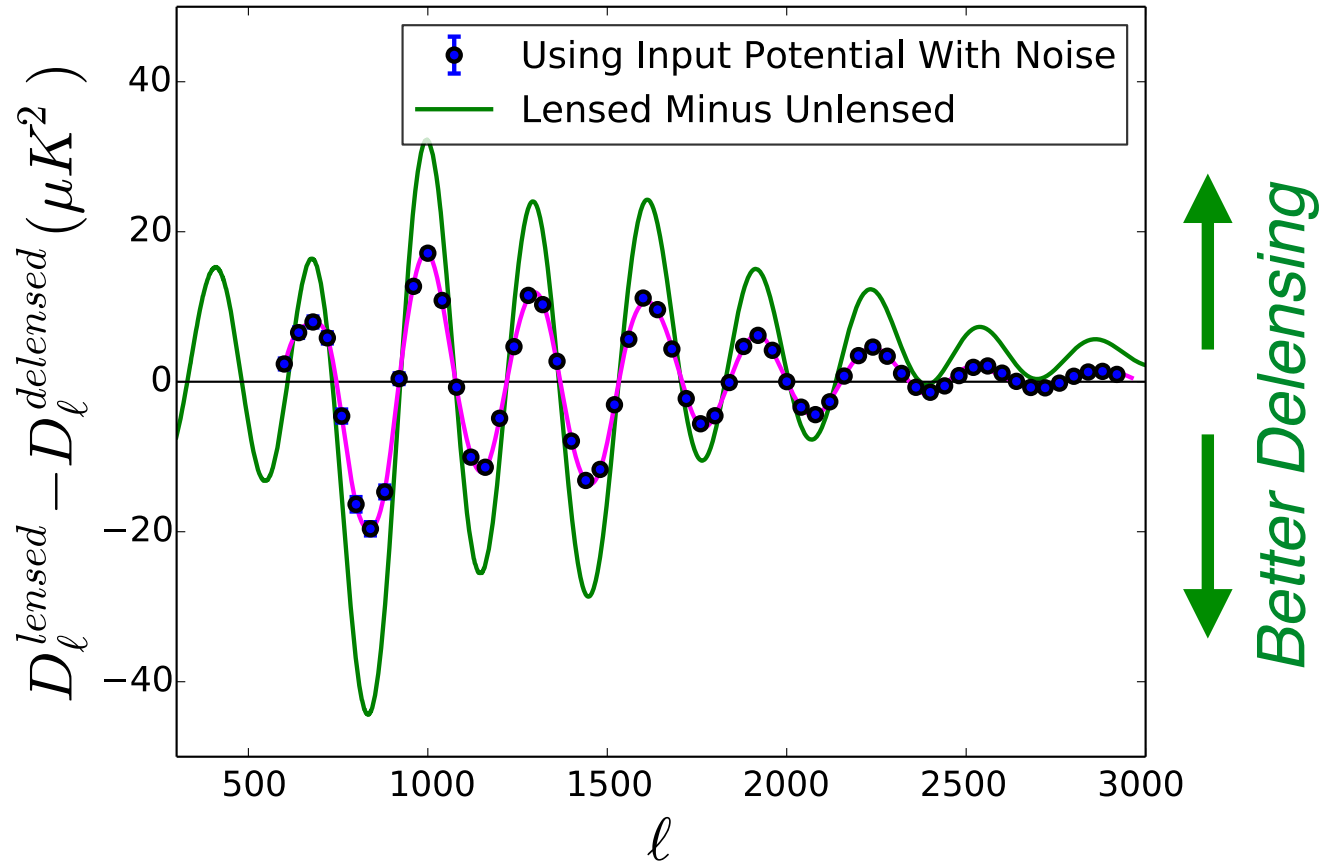
2. Correlations from Dust

Using same lensed B modes for reconstruction that you are delensing



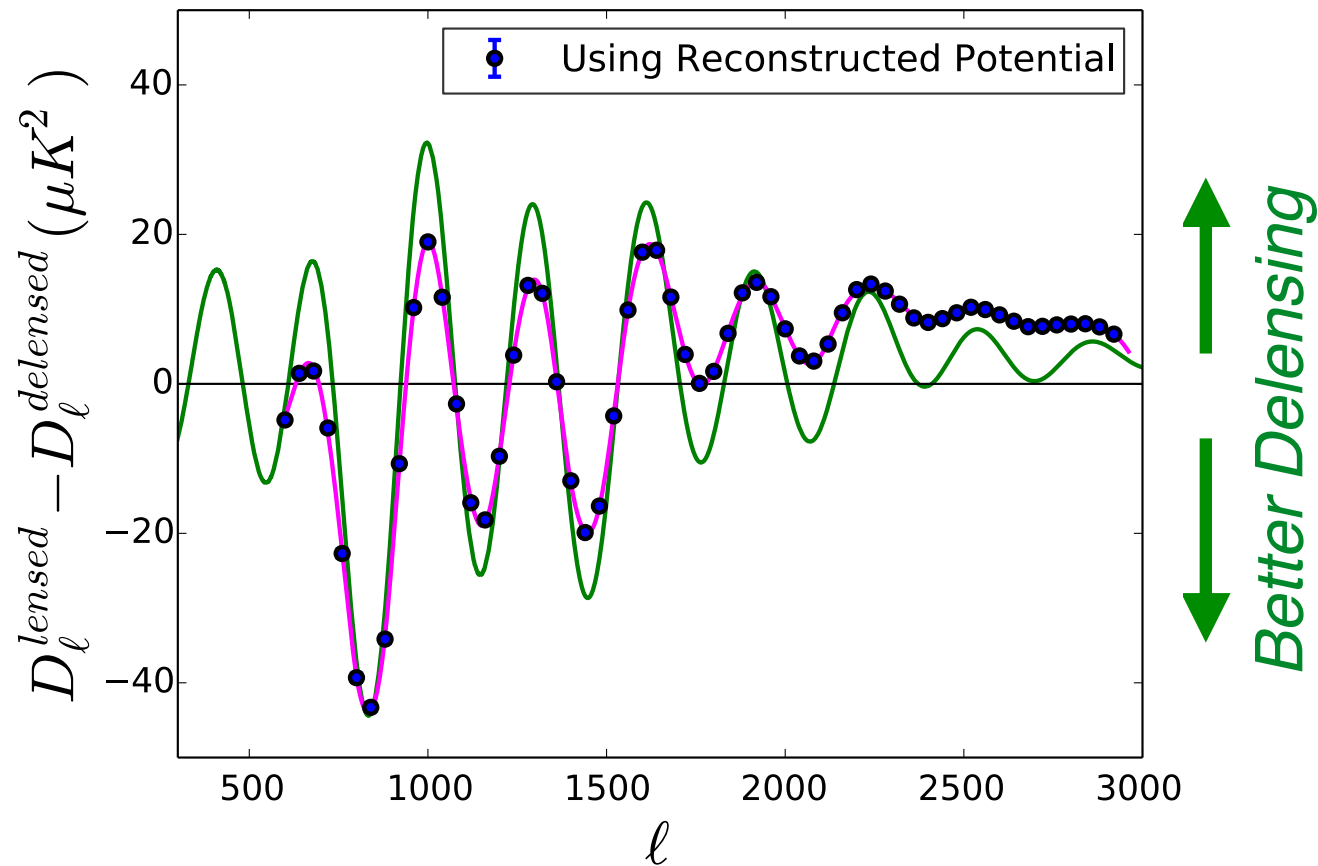
Namikawa 2017
see also Teng+2010

T: Ideal delensing



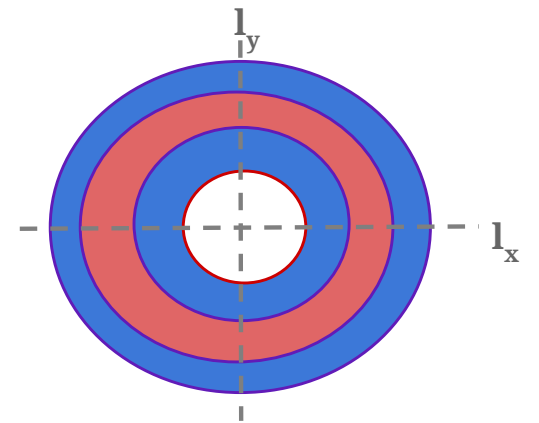
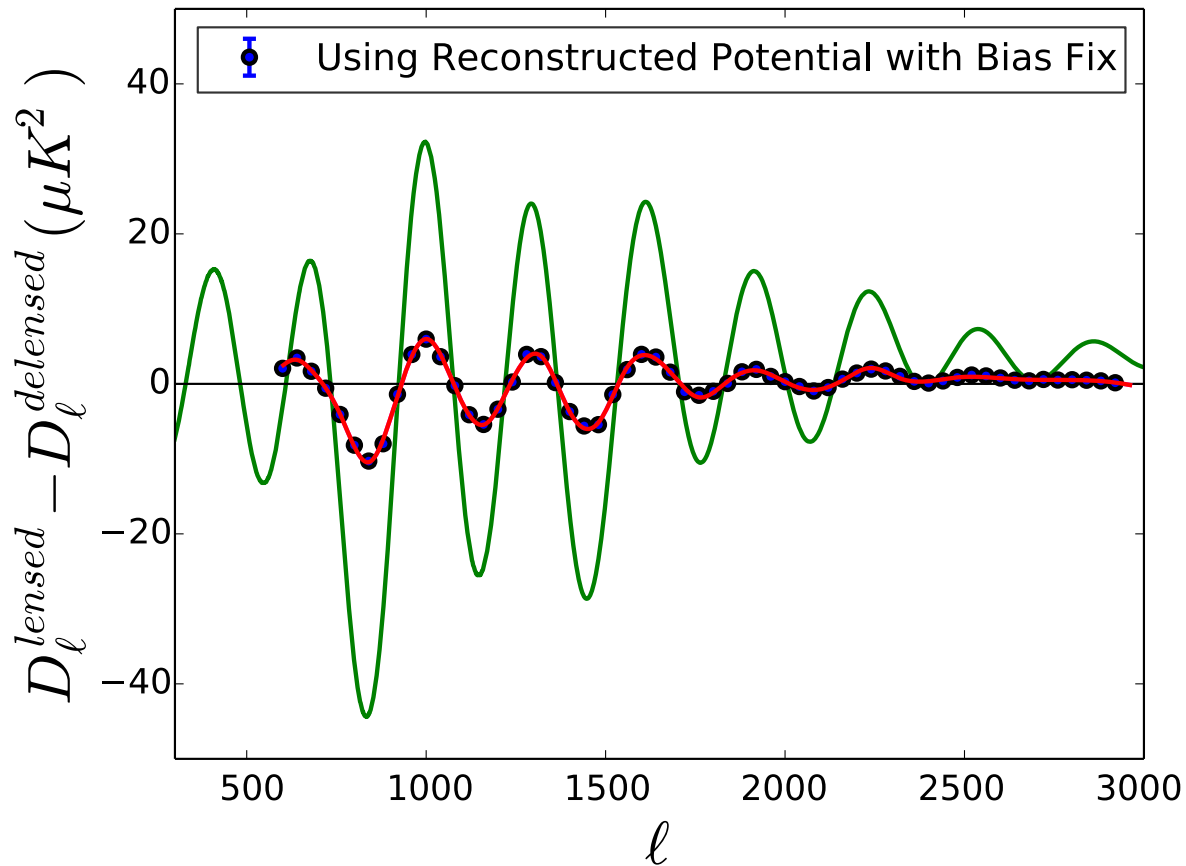
- Uncorrelated noise

T: Using reconstructed lenses



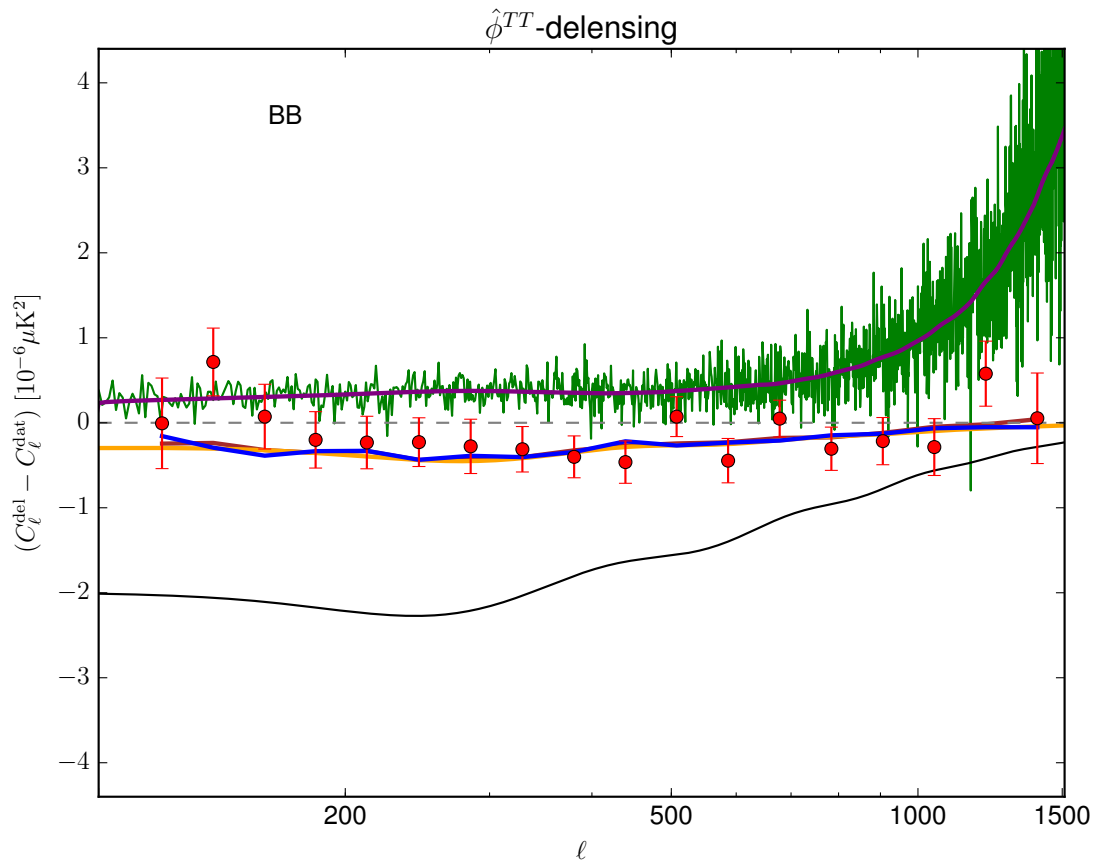
- Uncorrelated noise

Mitigation method (a)

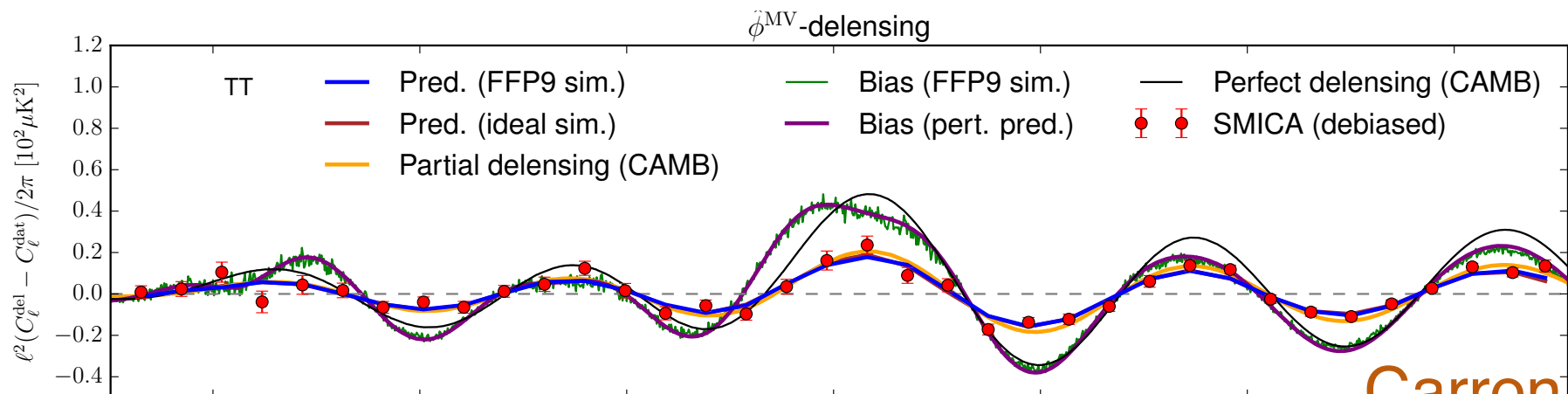


- Delens ~ 10 disjoint annuli separately

Mitigation method (b)



- Get bias from simulations
- *Planck*: 20σ TT, 4σ BB (Carron+16)
- Response to sim/data mismatch



Mitigation method (c)

Namikawa 2017

$$\begin{aligned}\langle B_{\text{del}} B_{\text{del}} \rangle &\sim \langle (B - EEB)^2 \rangle \\ &\sim \langle BB \rangle - \frac{2\langle EBEB \rangle}{N^{(4)}} + \frac{\langle EBEBEE \rangle}{N^{(6)}}\end{aligned}$$

Calculate 4pt and 6pt directly from realization of map

Delensing - possible issues

$$B_{\text{templ}} \sim E_{\text{obs}} \star K(E_{\text{obs}} B_{\text{obs}})$$

$$B_{\text{del}} = B_{\text{obs}} - B_{\text{templ}}$$

$$\begin{aligned} \langle B_{\text{del}} B_{\text{del}} \rangle &\sim \langle (B - EEB)^2 \rangle \\ &\sim \langle BB \rangle - 2\langle EBEB \rangle + \dots \end{aligned}$$

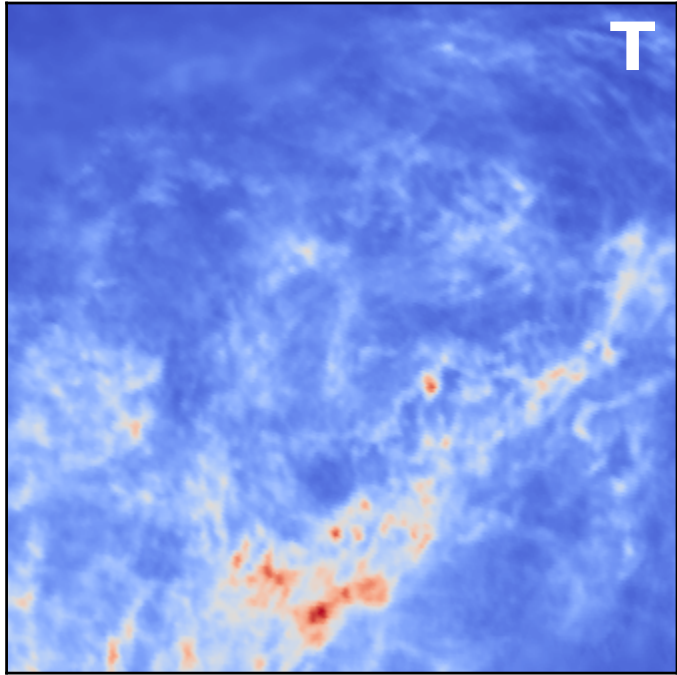
Bias if $\langle EBEB \rangle \neq 0$

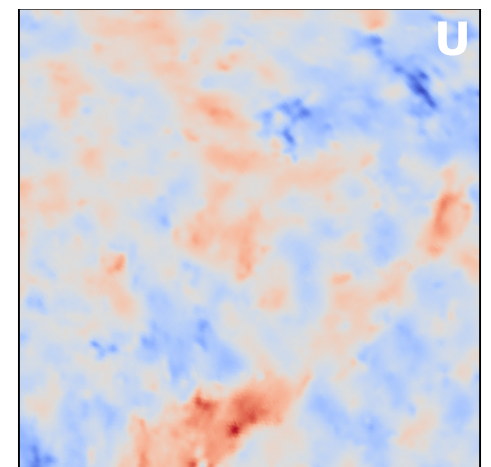
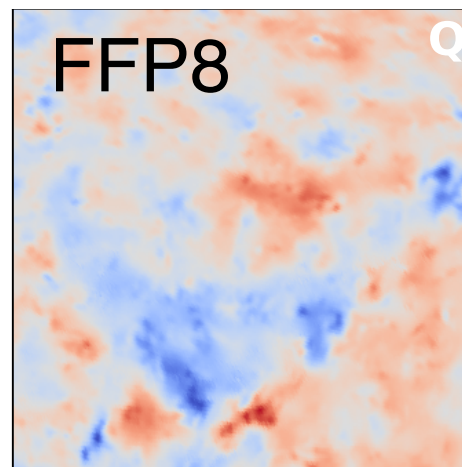
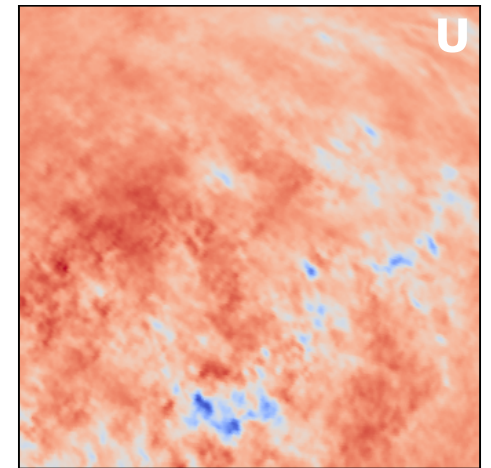
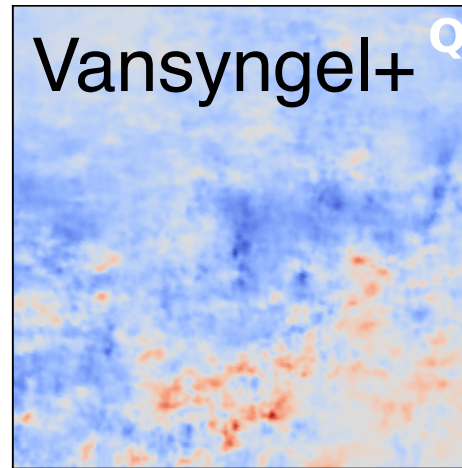
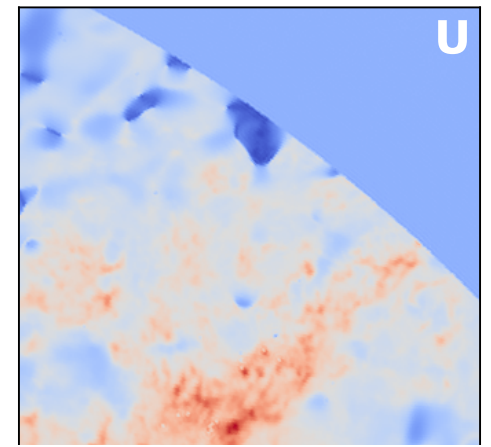
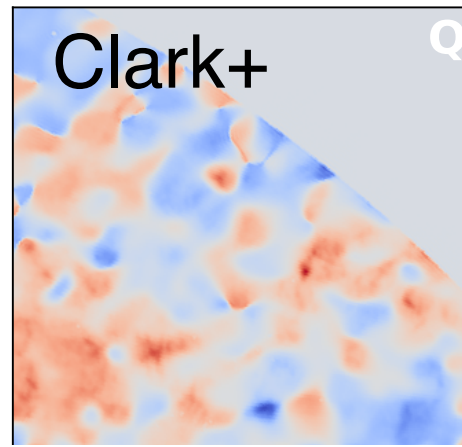
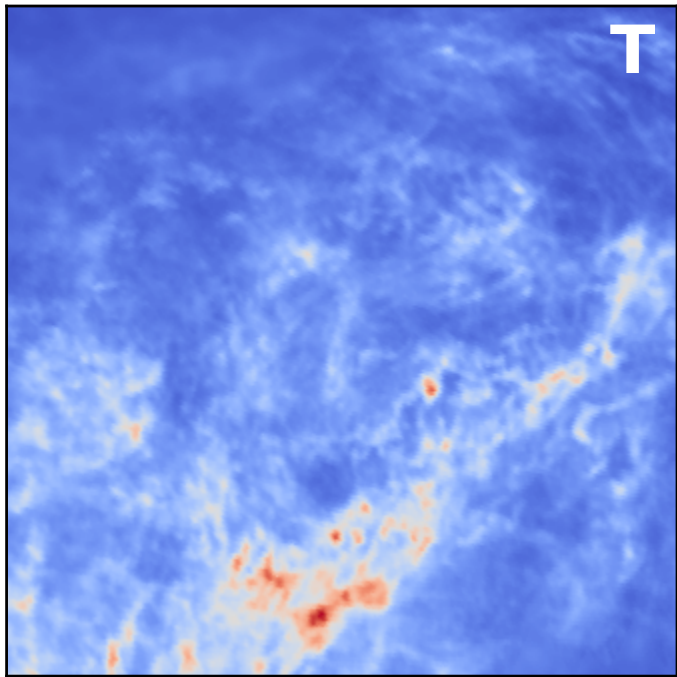
(sim. for TTTT)

1. Biases even for GRF

2. Correlations from Dust

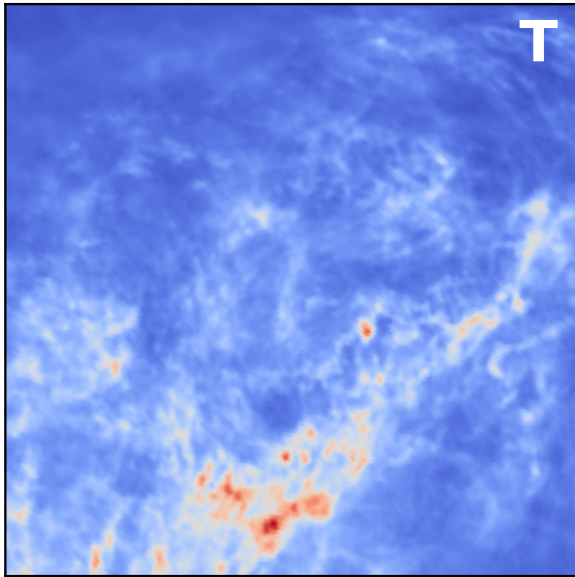
$$\langle B_{\text{long}} B_{\text{templ}} \rangle$$



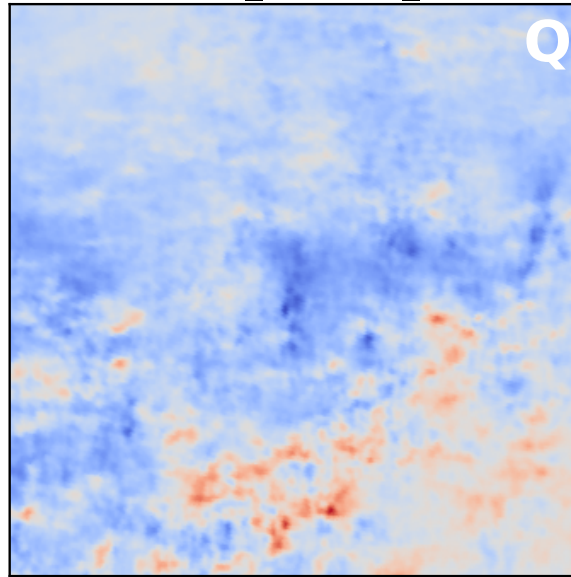


$$[T_{\text{dust}}, Q_{\text{dust}}, U_{\text{dust}}]$$

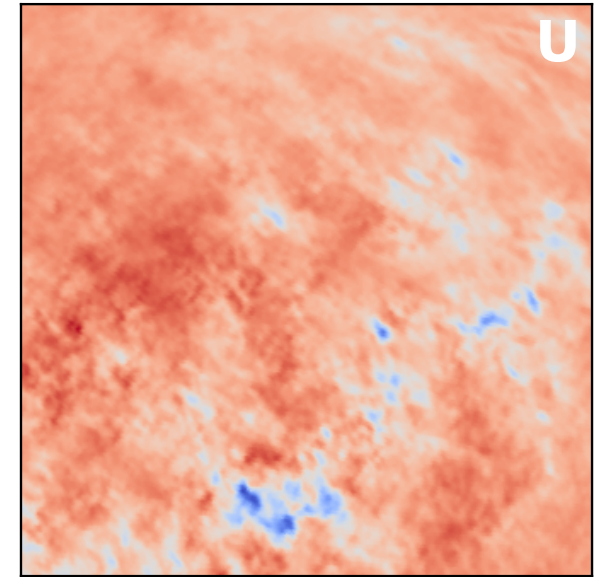
Vansyngel_mapTqu_00036



0.0008 0.0012 0.0016 0.0020 0.0024 0.0028 0.0032 0.0036 0.0040



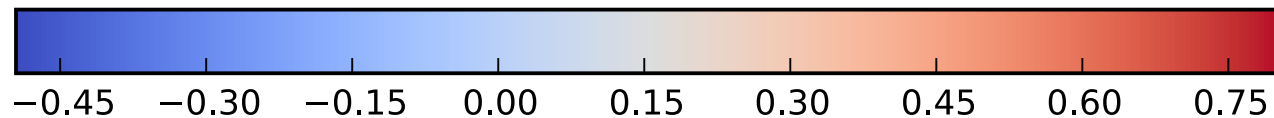
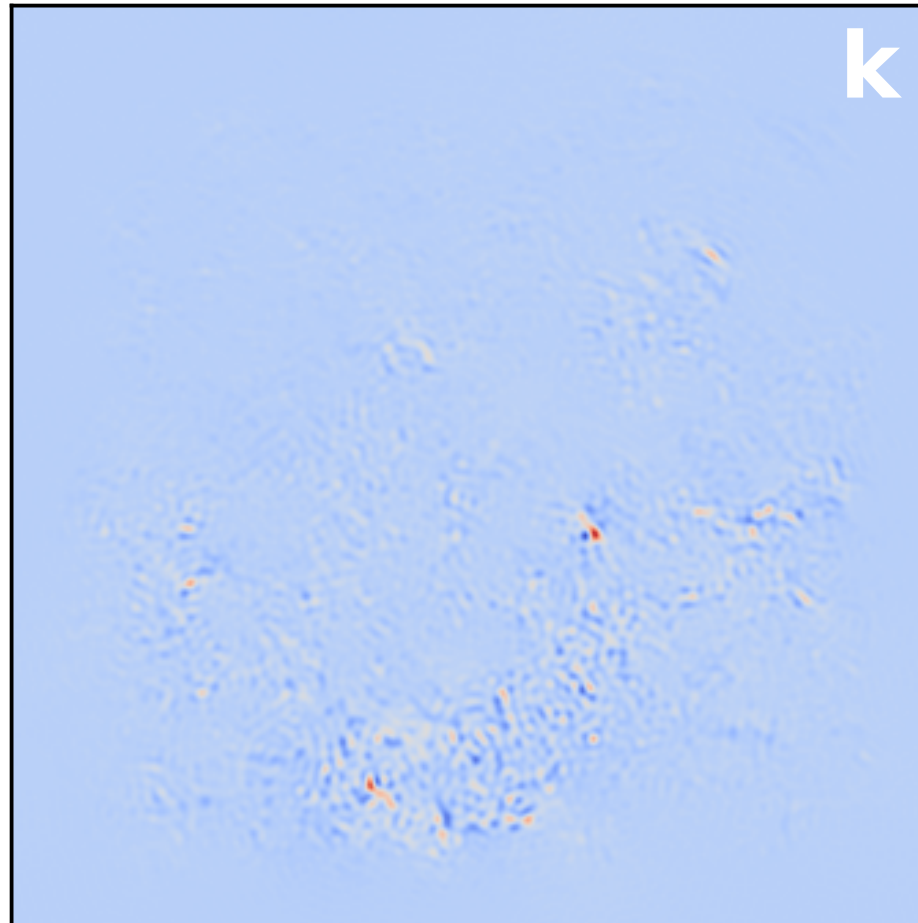
-0.0008 0.0000 0.0008 0.0016 0.0024



-0.0003 0.0000 0.0003 0.0005

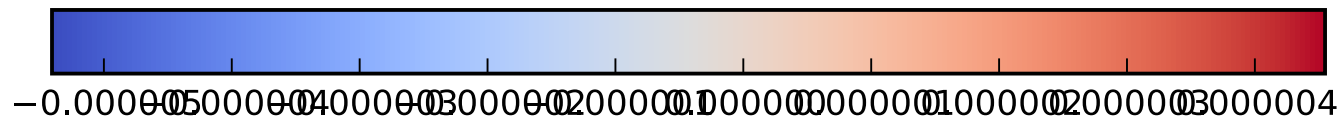
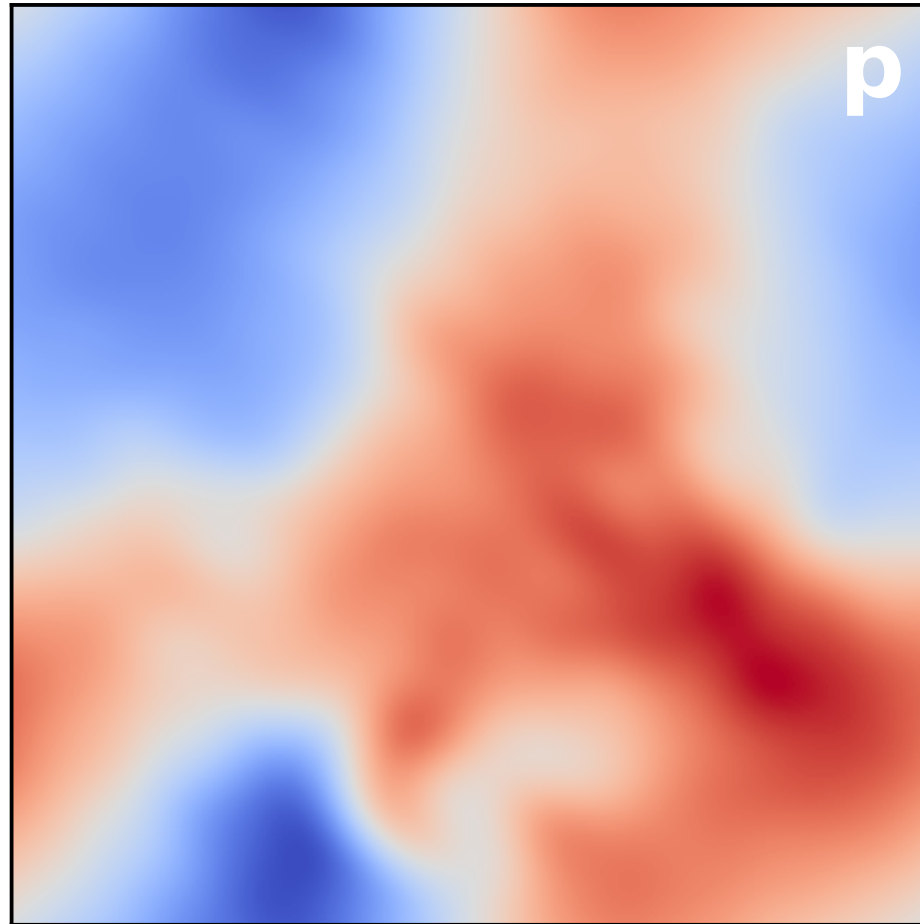
$$\kappa(E_{\text{dust}}, B_{\text{dust}})$$

Vansyngel_kappaMap_00036

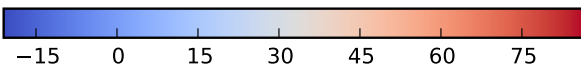
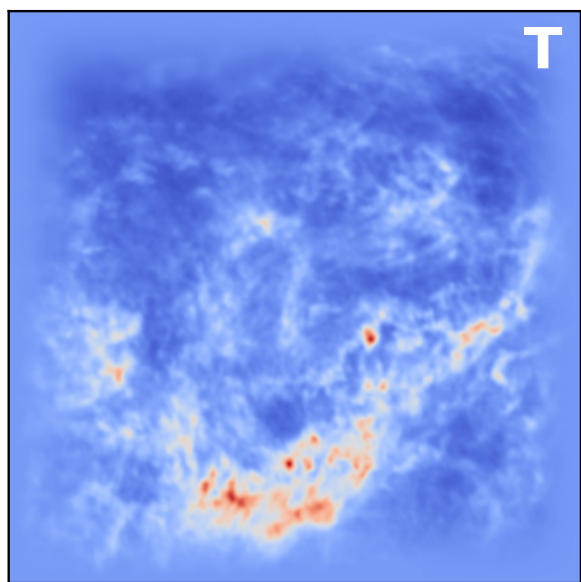


$$\phi(E_{\text{dust}}, B_{\text{dust}})$$

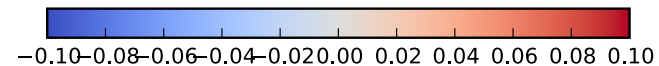
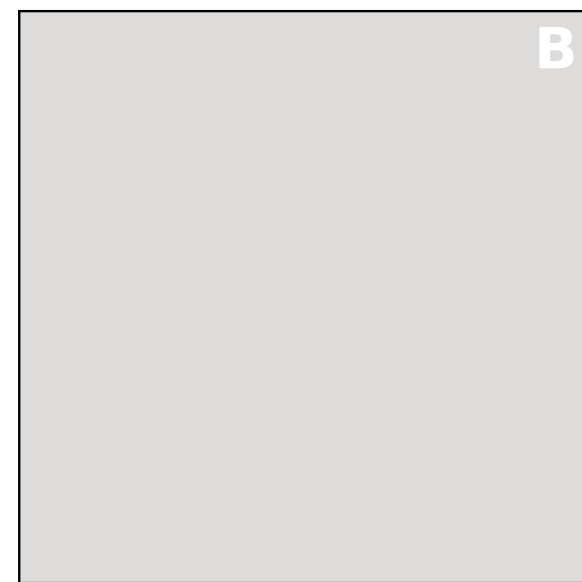
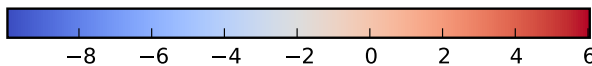
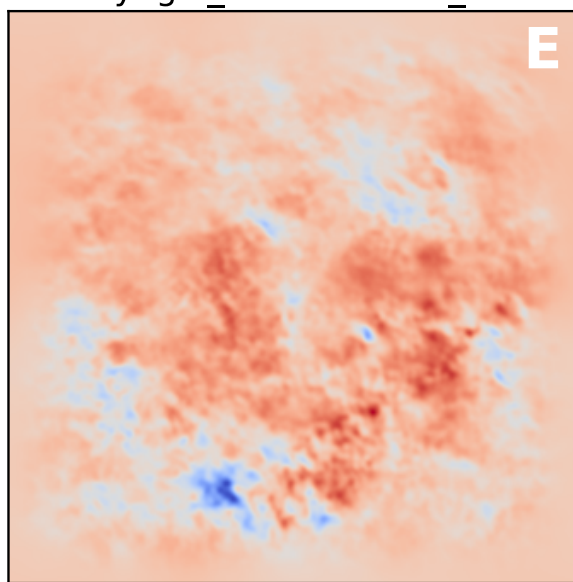
Vansyngel_phiMapFiltered_00036



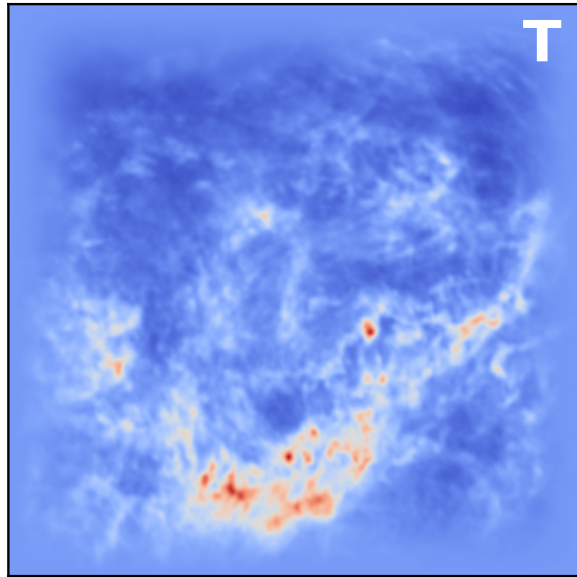
$[T_{\text{dust}}, E_{\text{dust}}, B_{\text{dust}}]$ filtered



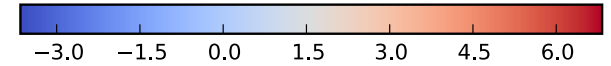
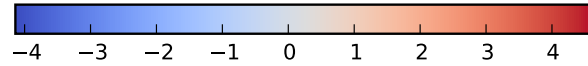
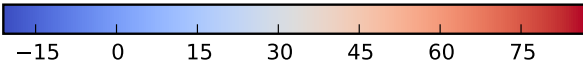
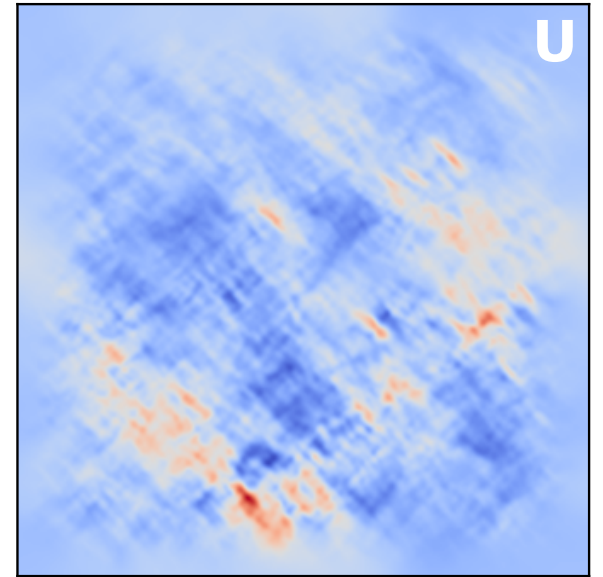
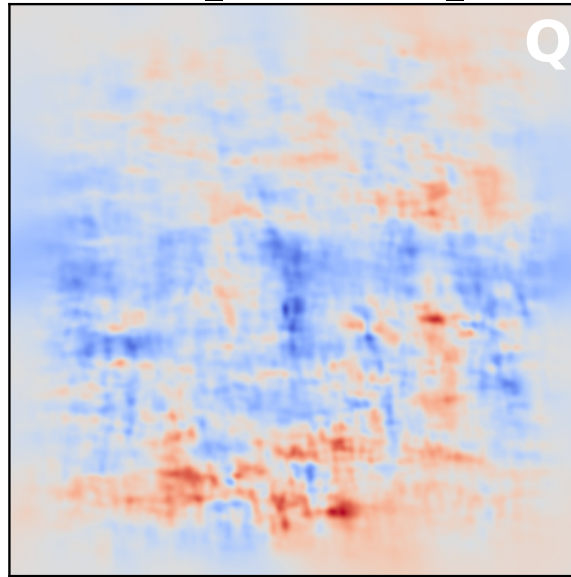
Vansyngel_inTebFiltered_00036



$[T_{\text{dust}}, Q_{\text{dust}}, U_{\text{dust}}]$ filtered

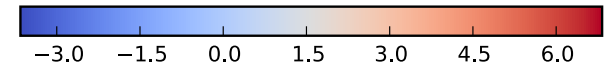
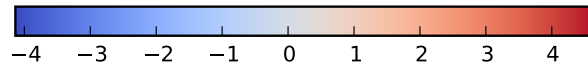
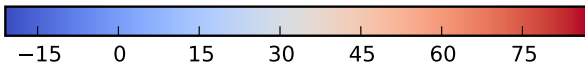
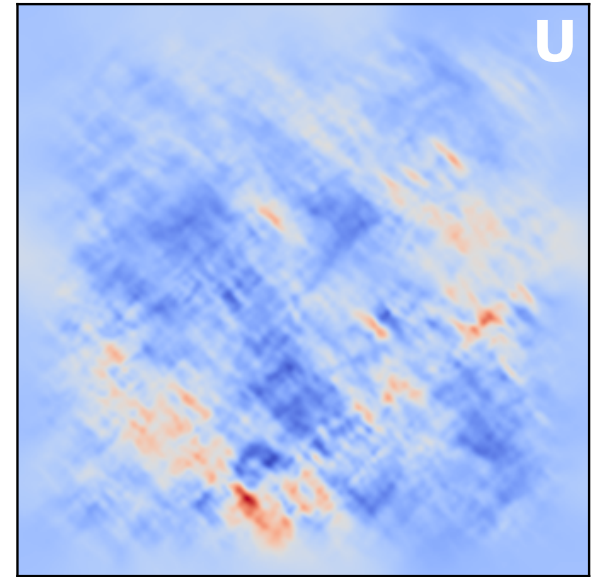
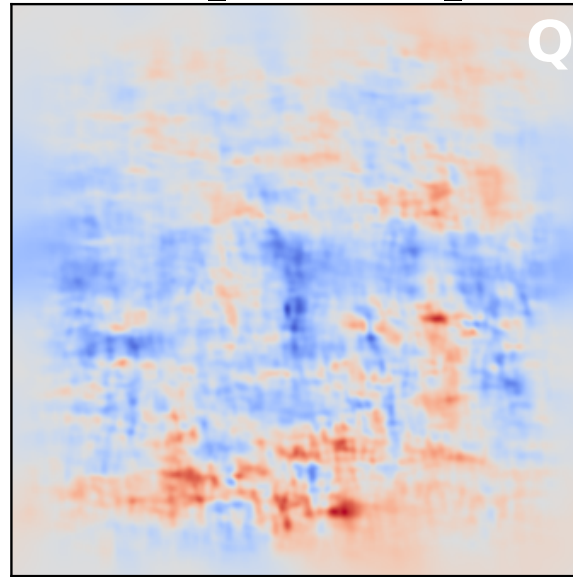
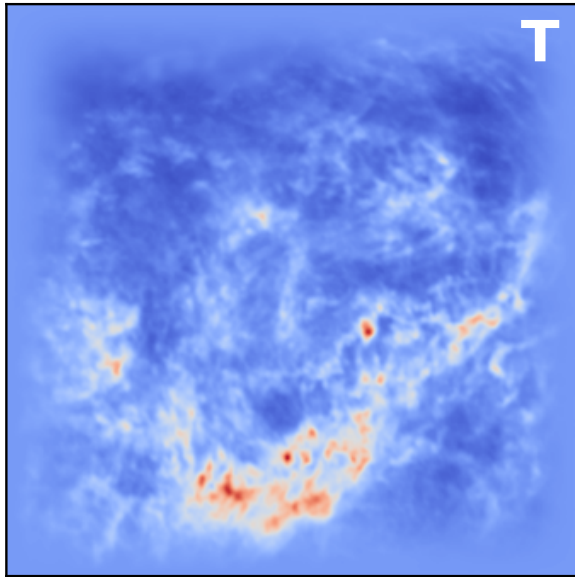


Vansyngel_inTquFiltered_00036

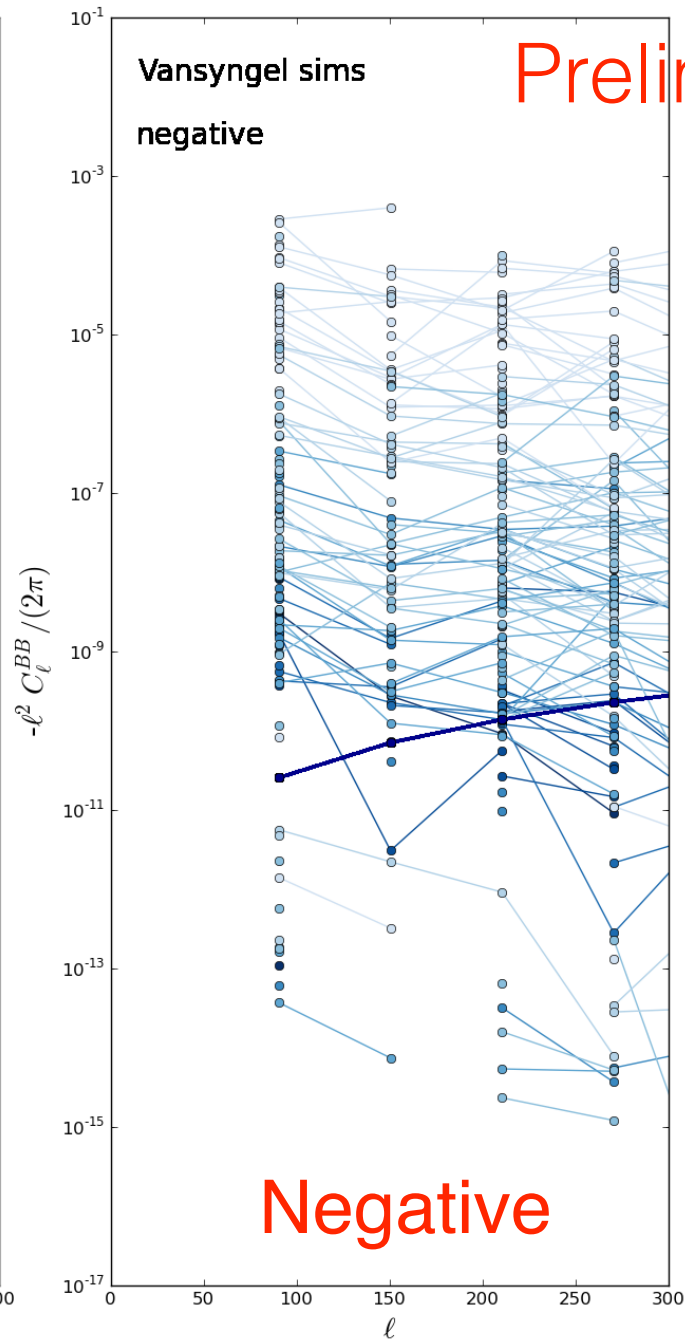
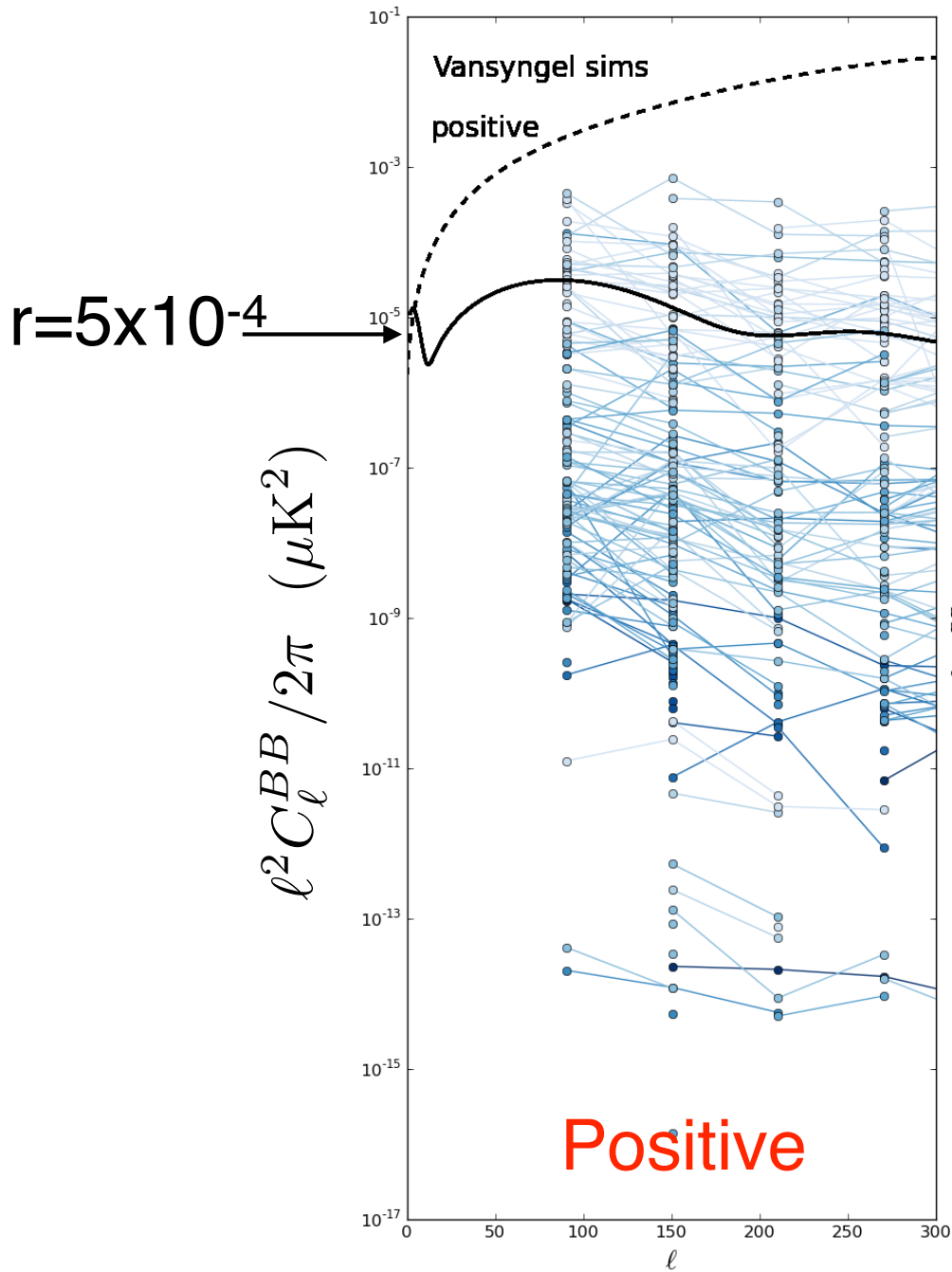


$[T_{\text{dust}}, Q_{\text{dust}}, U_{\text{dust}}]$ filtered
lensed with $\phi(E_{\text{dust}} B_{\text{dust}})$

Vansyngel_delensedTqu_00036



$\langle B_{\text{dust}} B_{\text{template}} \rangle$



Preliminary

Clark sims: no
bias seen
(preliminary)

See also
poster by
Dominic Beck

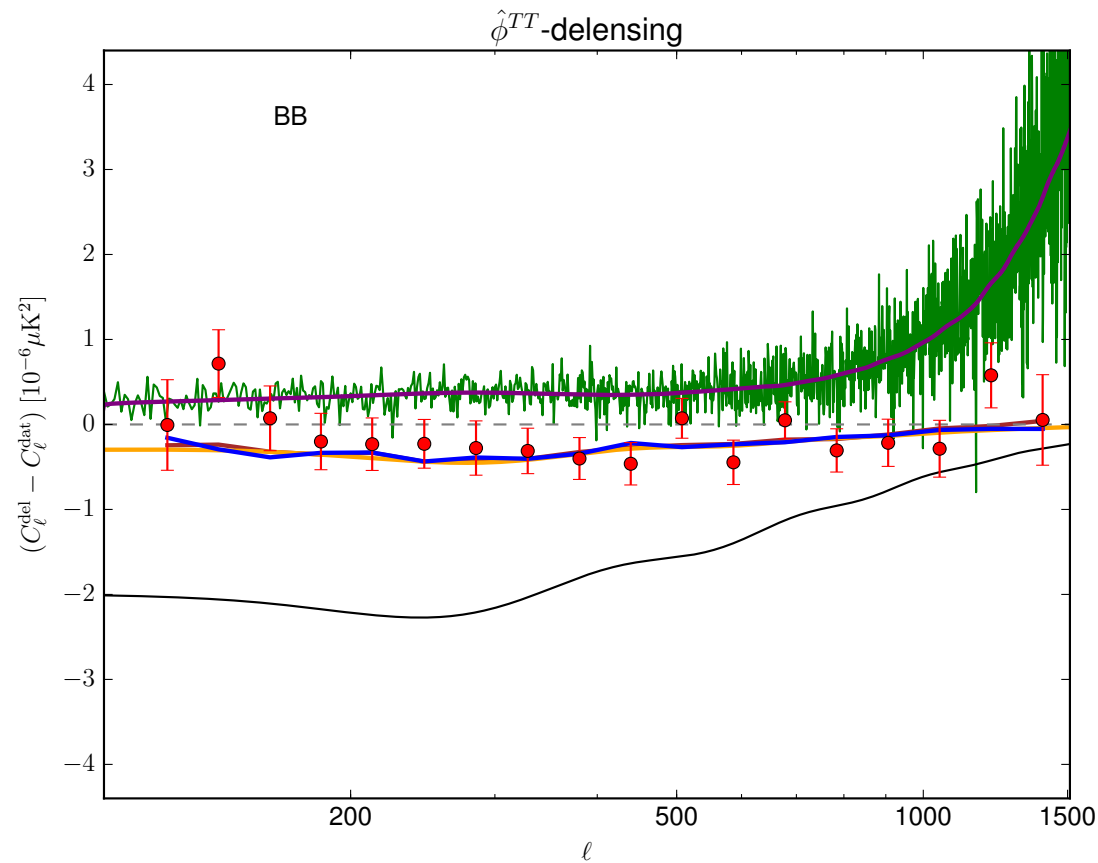
Summary

- T delensing
- Biases for T and P delensing arise when using same modes to reconstruct κ that you are trying to delens.
 - 3 methods to mitigate
- Polarized Dust NG on small scales??? No evidence for impact at leading order in Vansyngel simulations

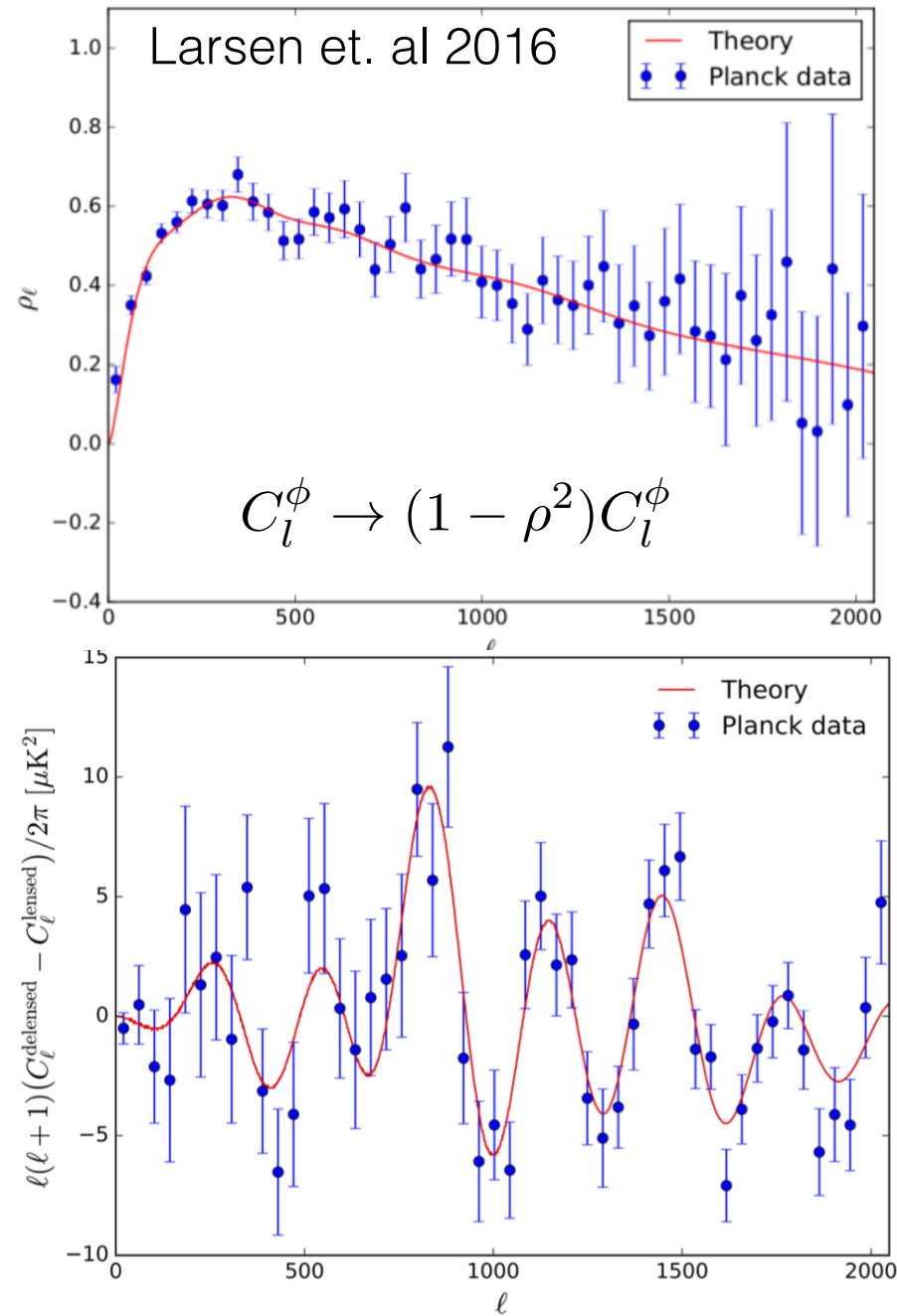
Extra slides.....

3. More mitigation methods

- Model this bias using simulations (Carron+2016)

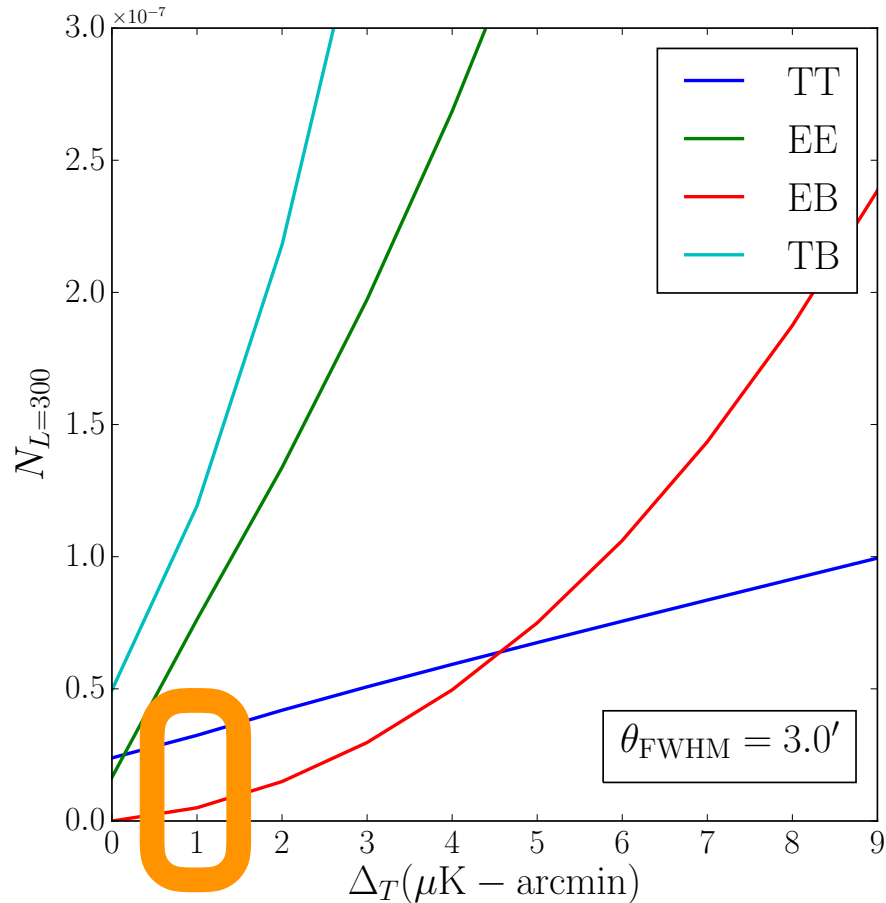


Demonstration with *Planck* CIB



Outline

Lensing noise vs. instrumental noise

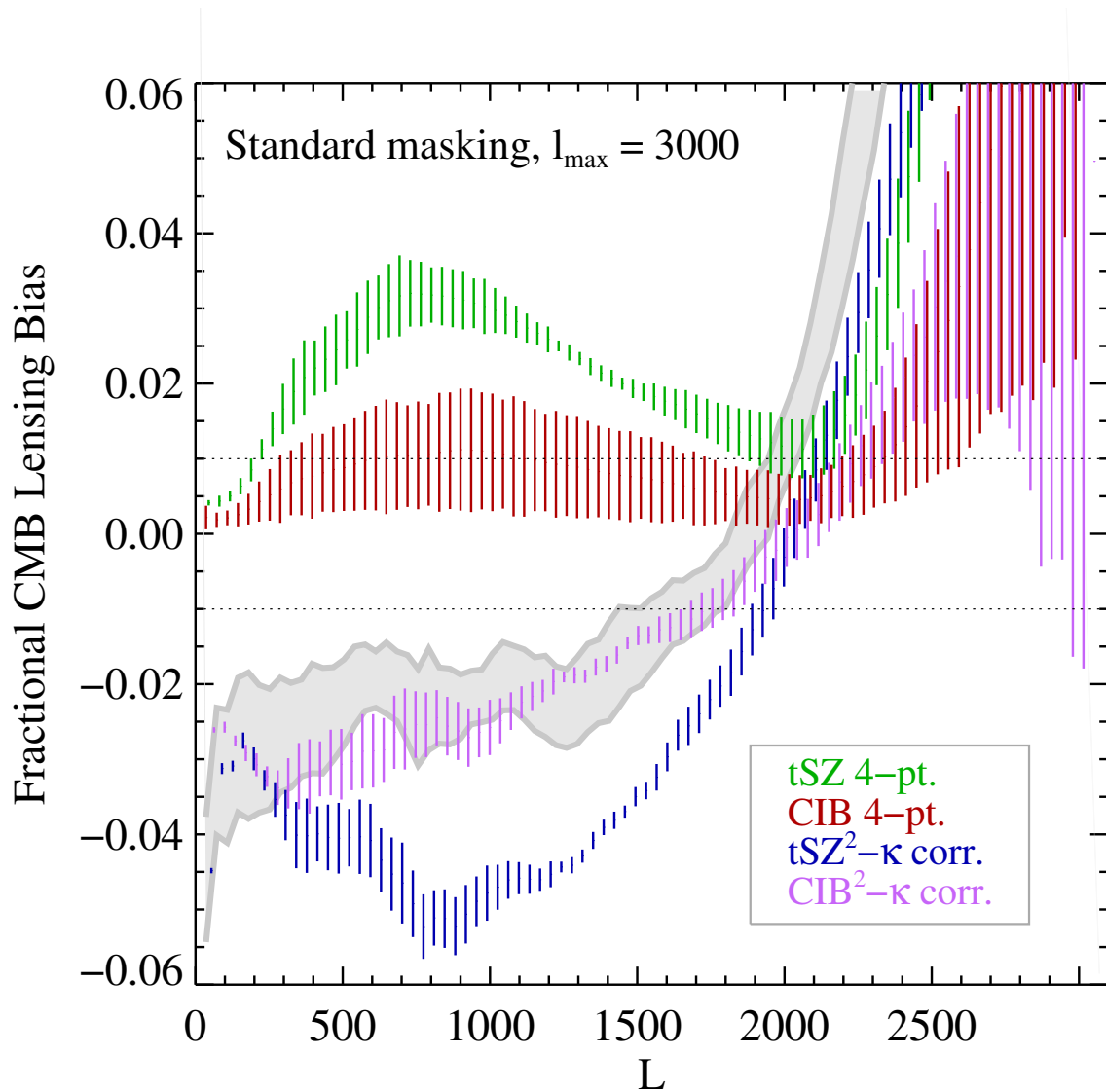


- P lensing will dominate for S4

- T: extragalactic foregrounds

- P: galactic foregrounds

Foregrounds in CMB temperature-based lensing



tSZ-tSZ-tSZ-tSZ

CIB-CIB-CIB-CIB

tSZ-tSZ-κ

CIB-CIB-κ

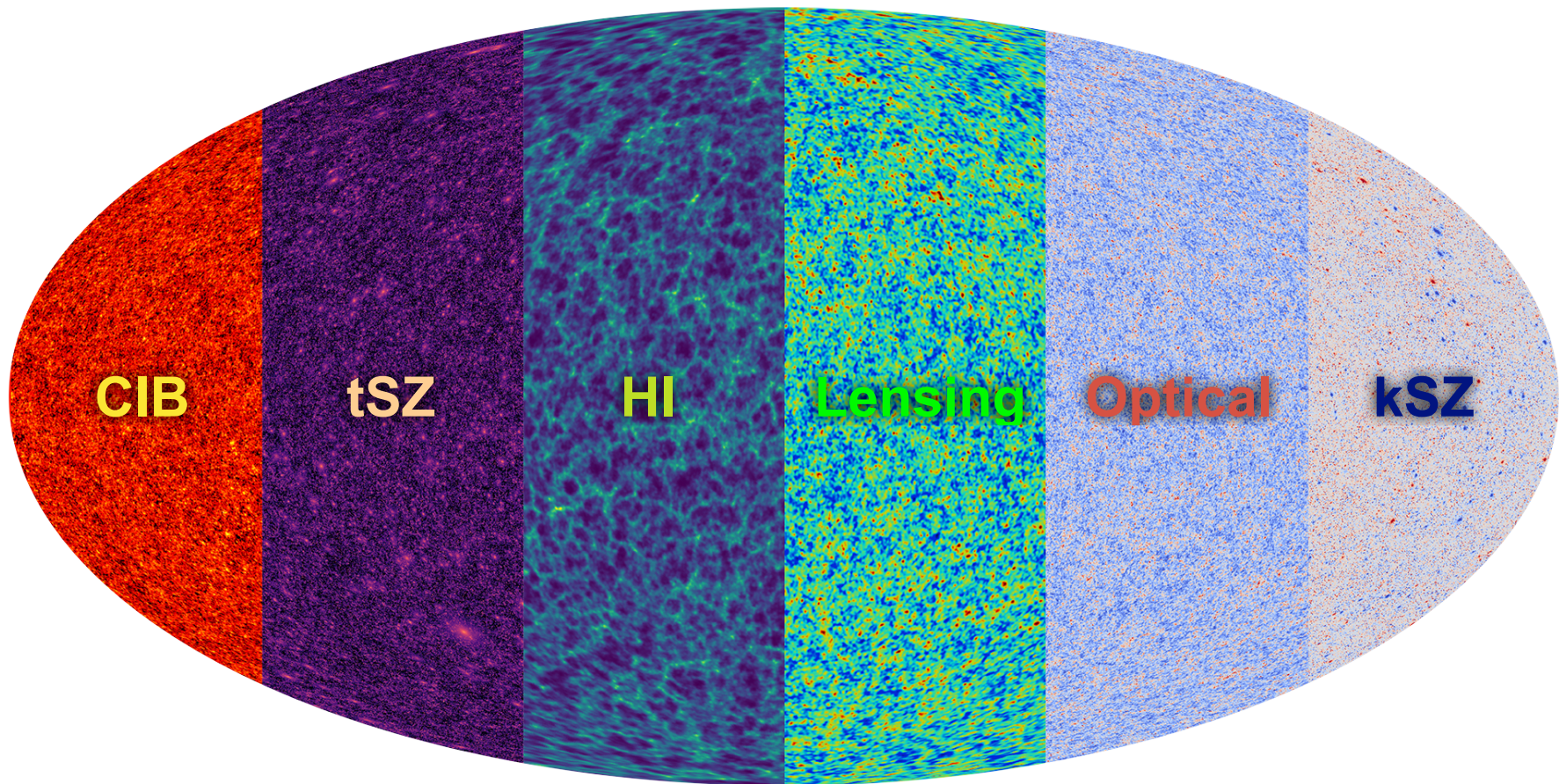
- Biases of several percent at one frequency
 - Here 20 uK-amin noise(!)
- Spectral cleaning (not kSZ - Hill&Ferraro 17)
- Spatial cleaning
- Also, impact of κ non-Gaussianity (Boehm +16)

- CIB/tSZ/kSZ/ κ bi/trispectra are measurable and interesting
- Is bias-hardening feasible?
- Is spectral cleaning feasible? tSZ/CIB bispectrum/trispectrum residuals — comparable to kSZ?

To-do for TT lensing — test both spectral and spatial cleaning with full end-to-end simulation analysis

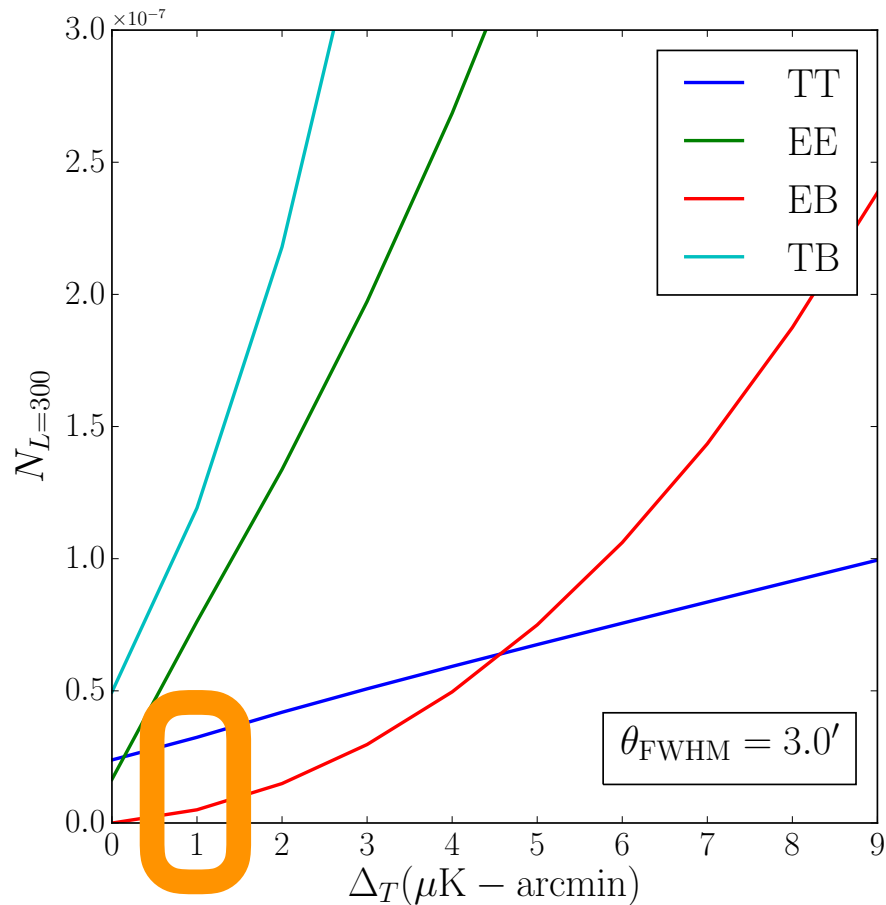
CITA peak-patch simulation

Alvarez, Stein, Bond, Battaglia, van Engelen, Pham, +++



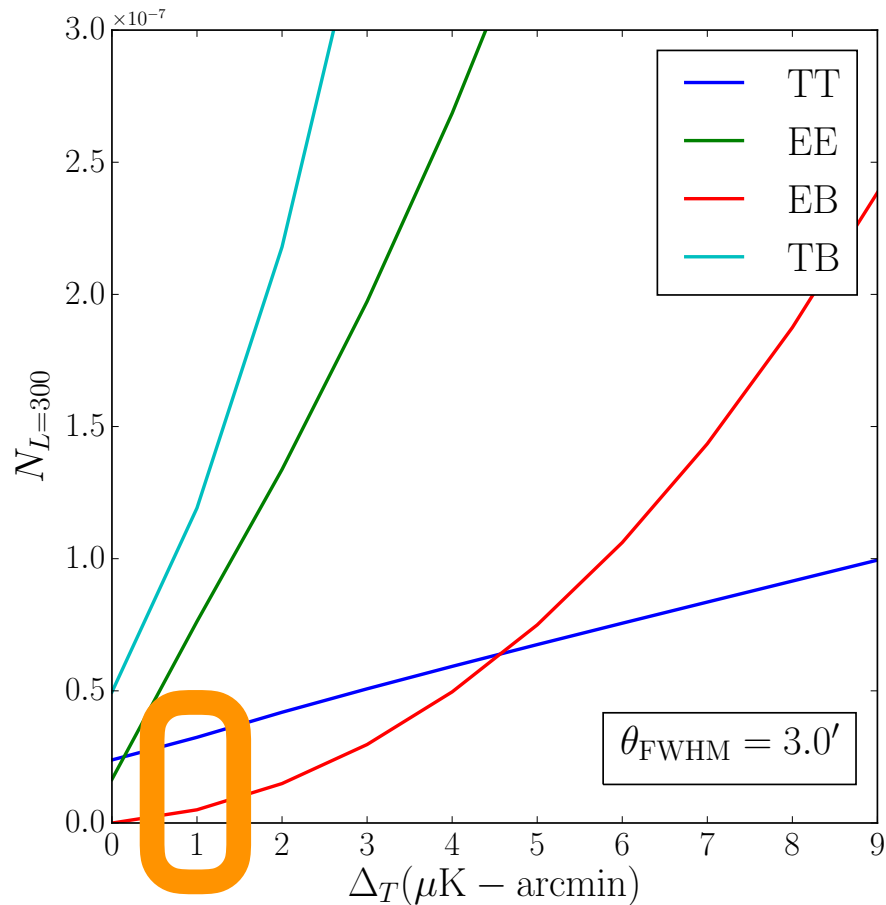
Outline

Lensing noise vs. instrumental noise



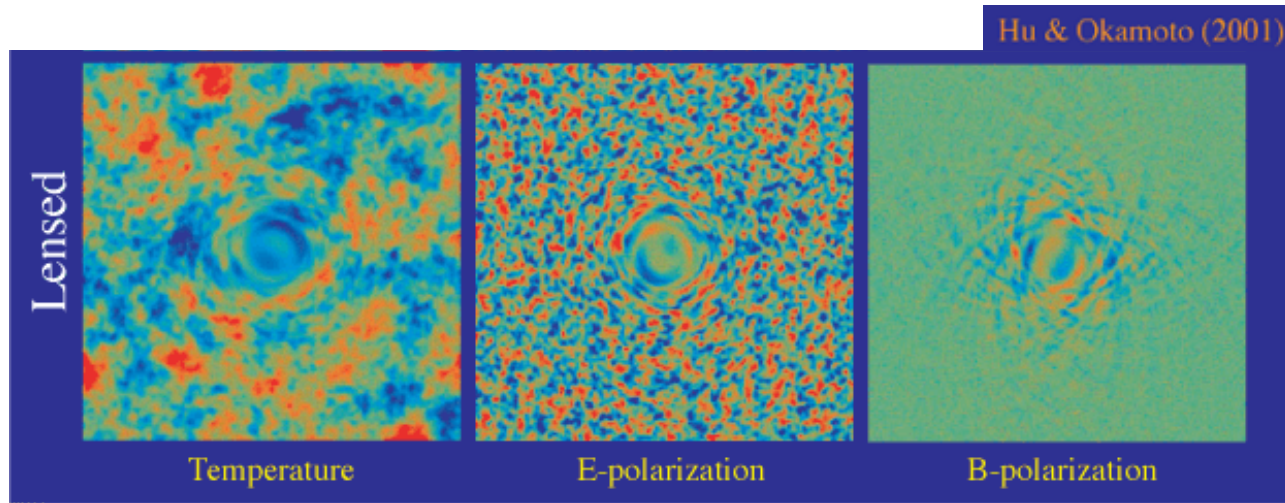
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Lensing noise vs. instrumental noise



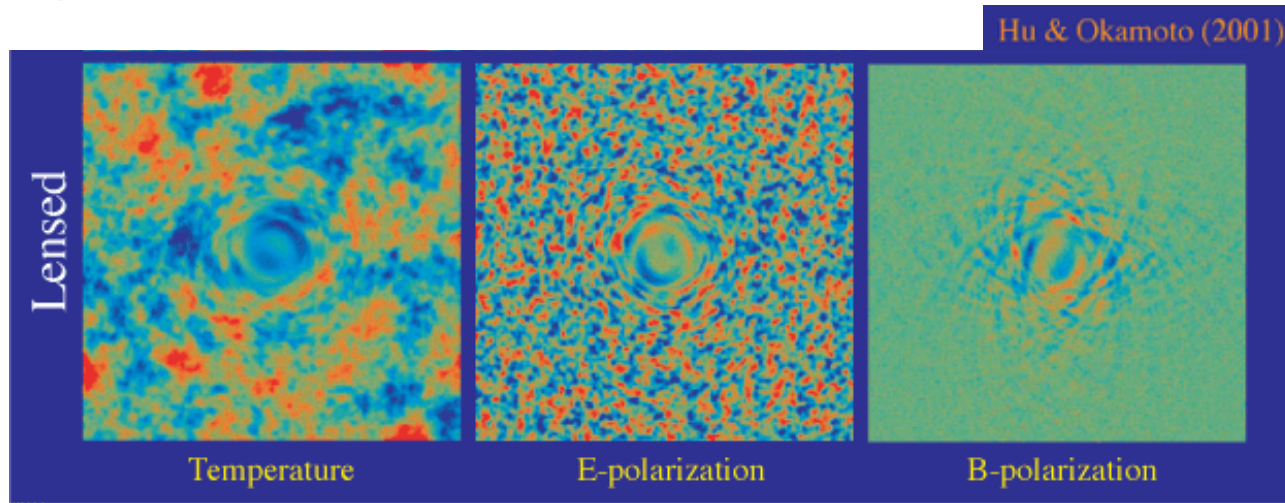
- Polarization lensing will dominate for PICO
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Lensing/Delensing



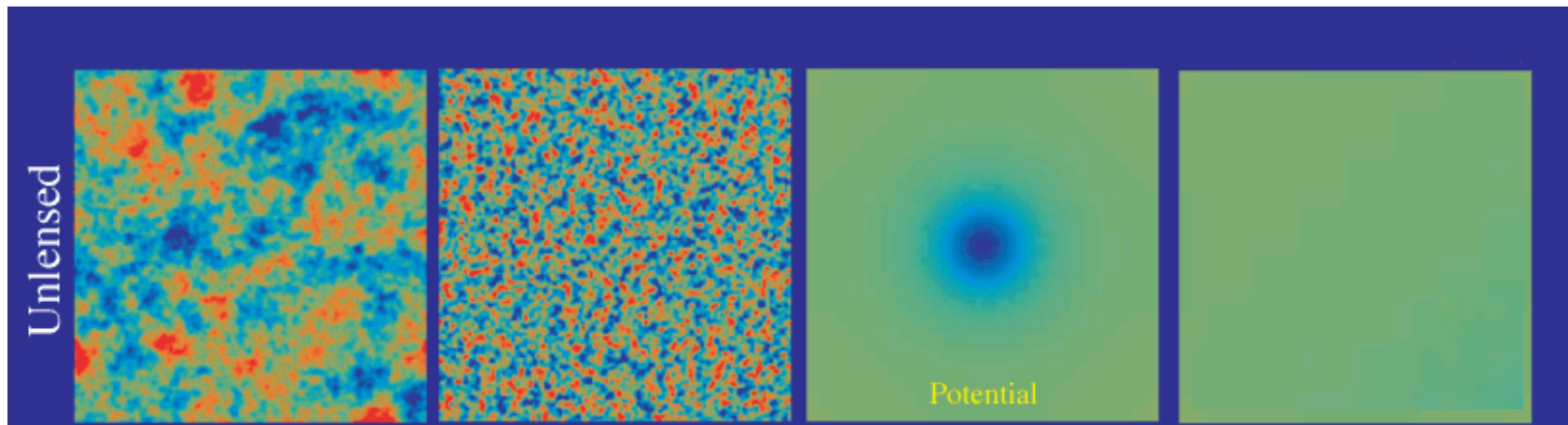
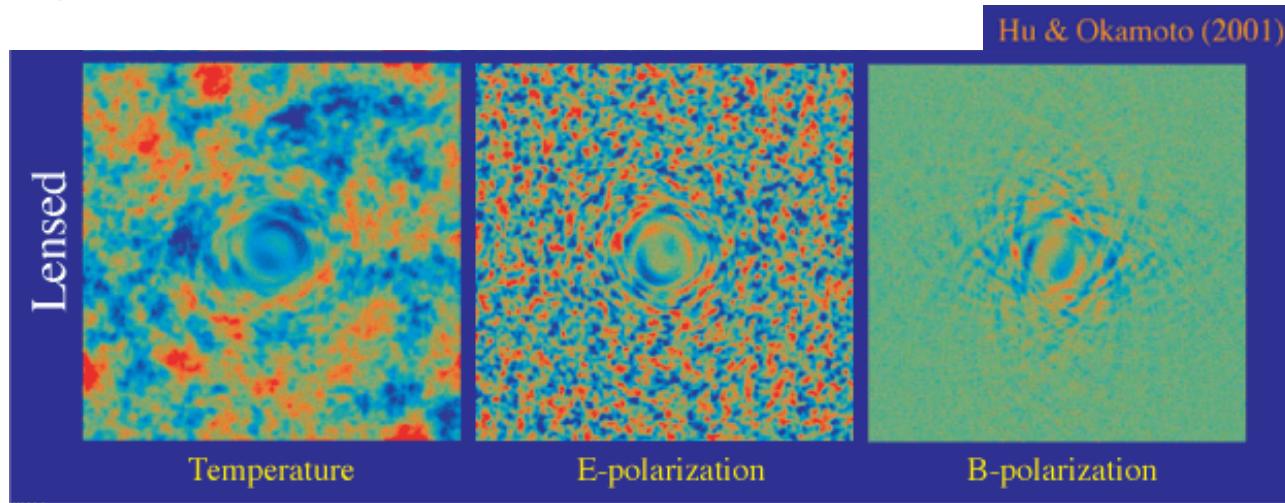
Lensing/Delensing

We measure this



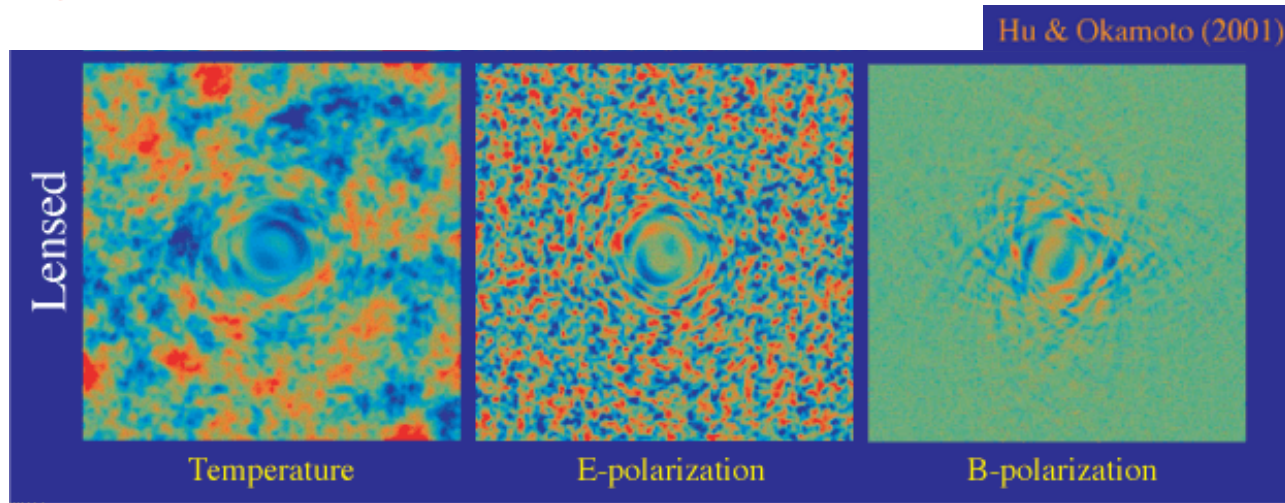
Lensing/Delensing

We measure this

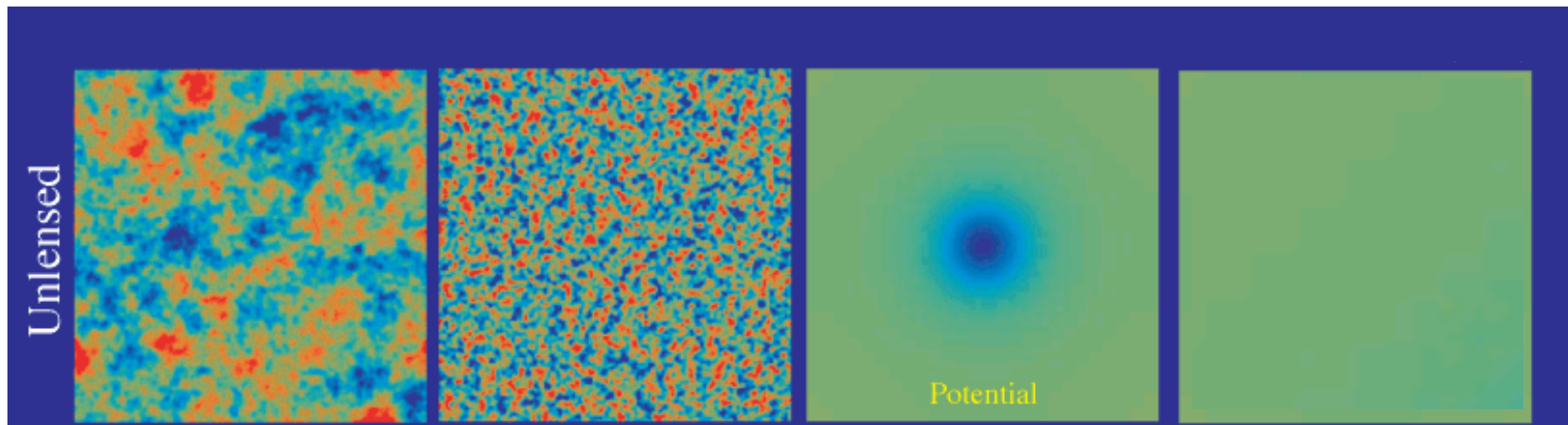


Lensing/Delensing

We measure this

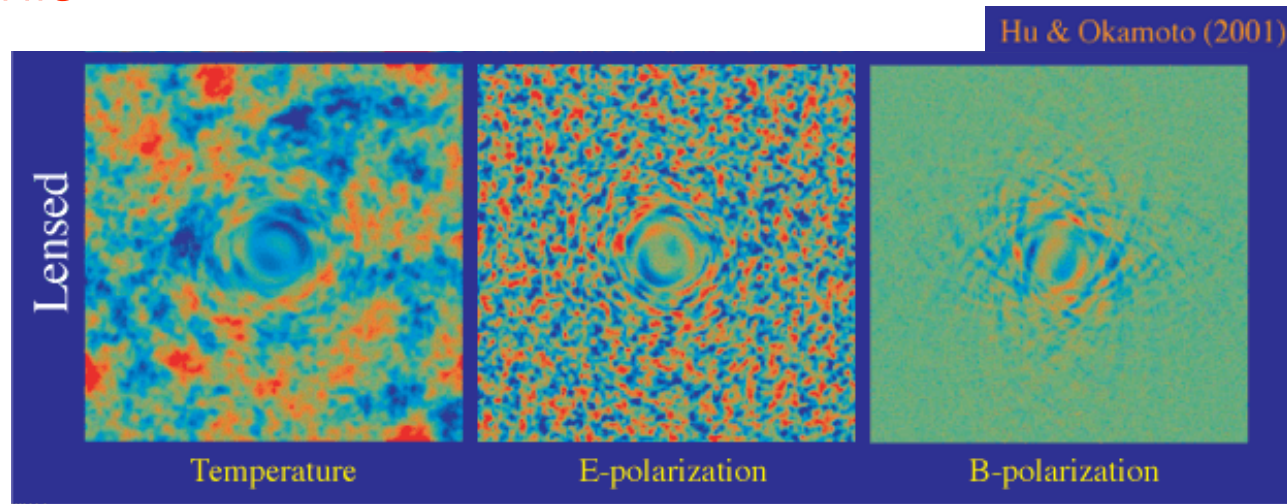


We want this

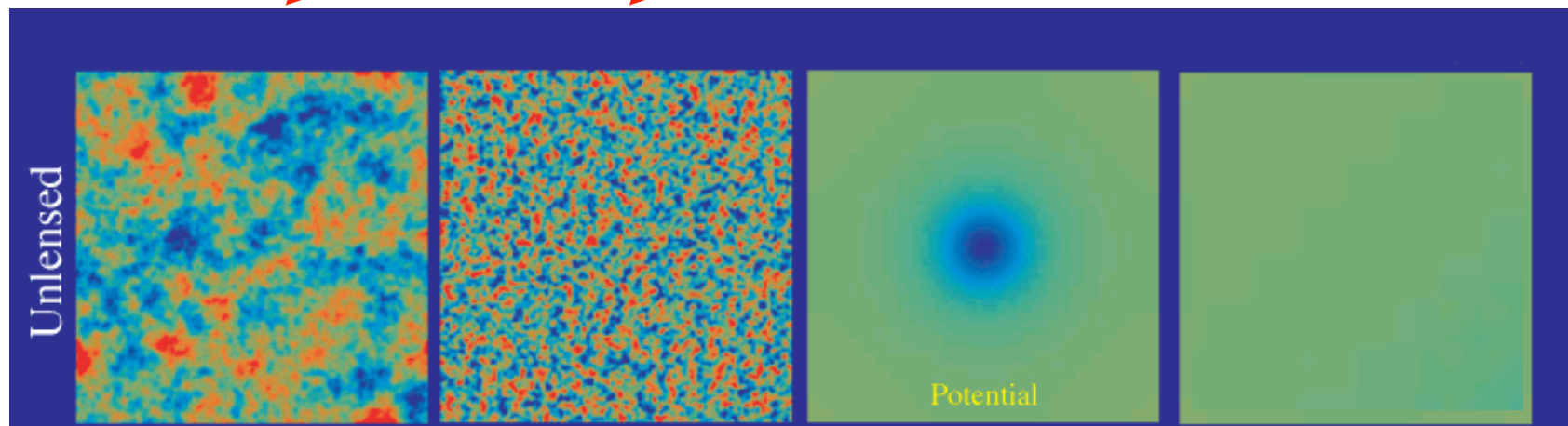


Lensing/Delensing

We measure this



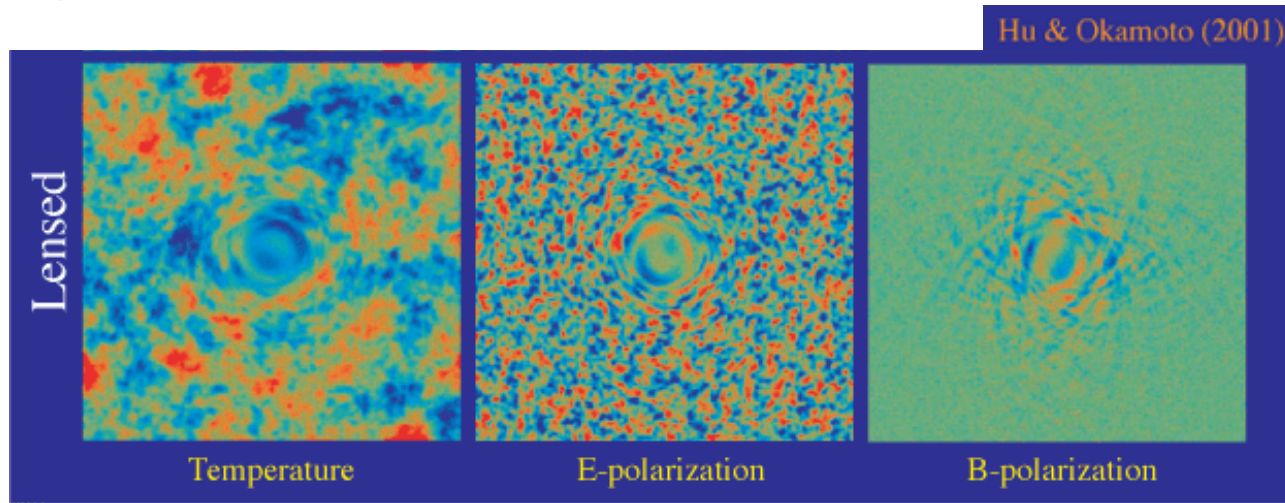
We want this



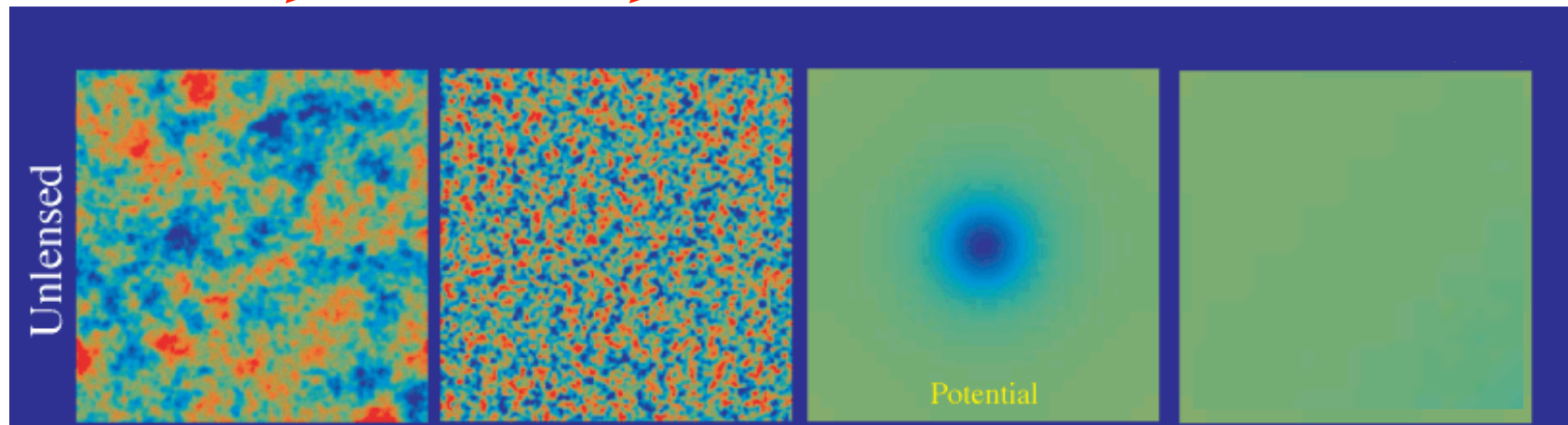
Separation of primordial CMB and mass map
from Lensing analysis

Lensing/Delensing

We measure this



We want this



N_{eff} constraints

$\sum m_\nu$ w constraints

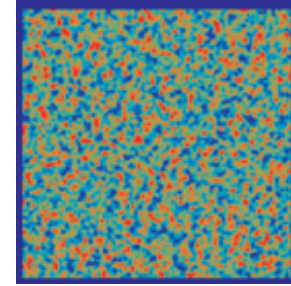
Areas of Lensing

Areas of Lensing

- Delensing $\rightarrow r, N_{\text{eff}}$

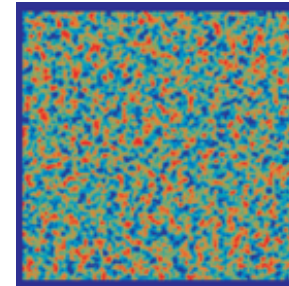
Areas of Lensing

- Delensing $\rightarrow r, N_{\text{eff}}$



Areas of Lensing

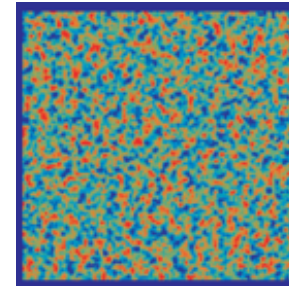
- Delensing $\longrightarrow r, N_{\text{eff}}$



- Large-scale lensing $\longrightarrow \sum m_\nu, w, dm$

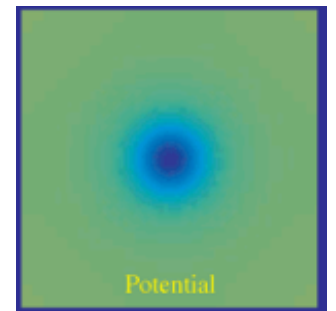
Areas of Lensing

- Delensing $\rightarrow r, N_{\text{eff}}$



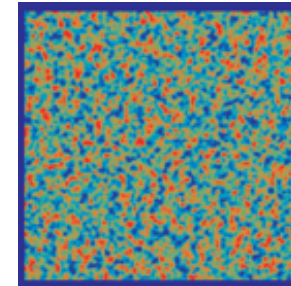
- Large-scale lensing $\rightarrow \sum m_\nu, w, dm$

- Small-scale lensing $\rightarrow w, \sum m_\nu$



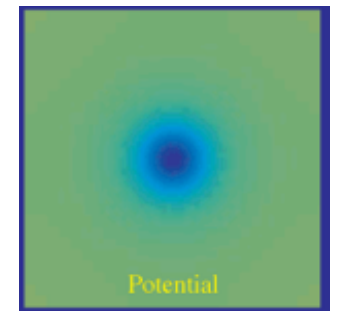
Areas of Lensing

- Delensing $\rightarrow r, N_{\text{eff}}$



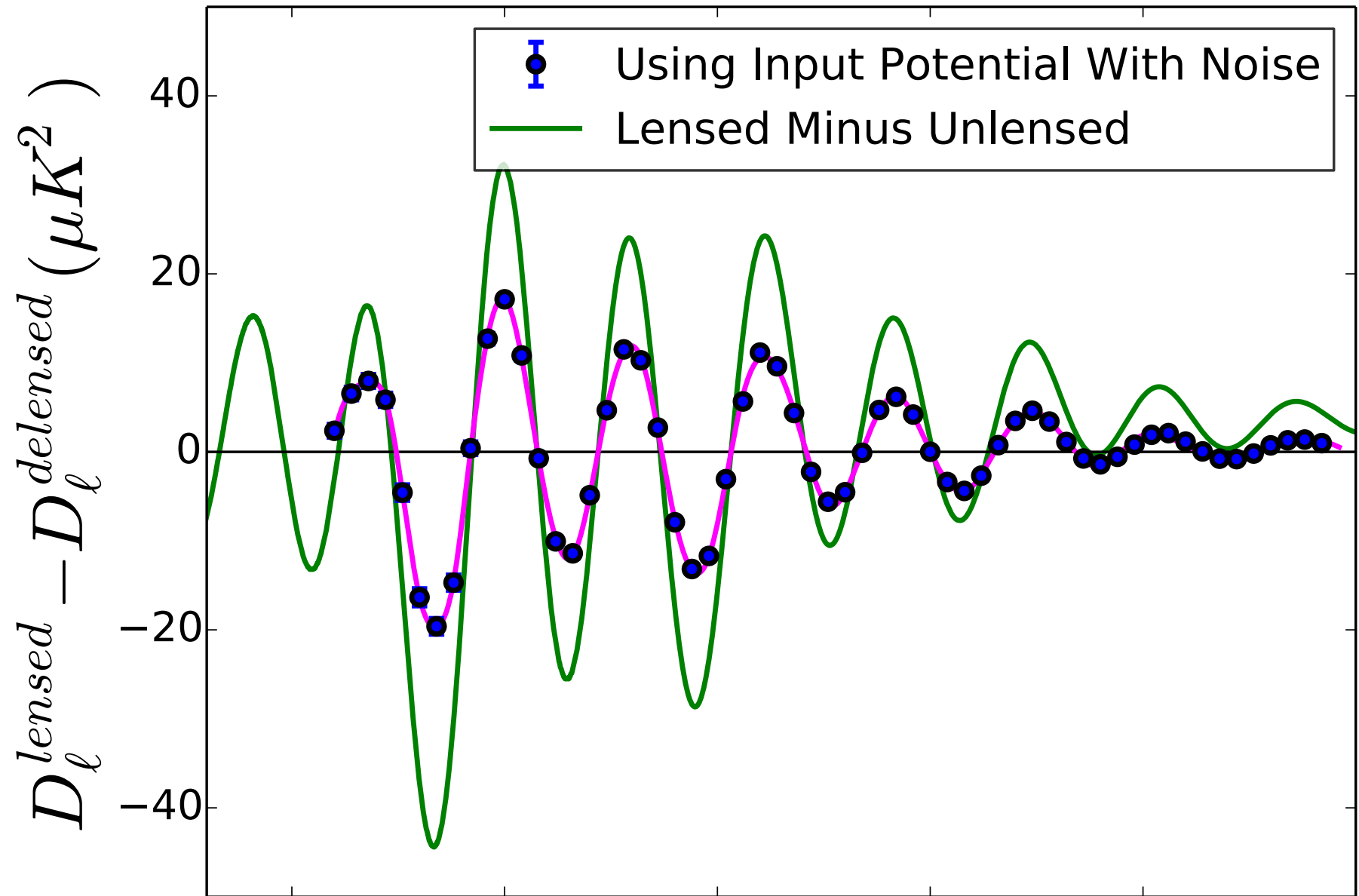
- Large-scale lensing $\rightarrow \sum m_\nu, w, \text{dm}$

- Small-scale lensing $\rightarrow w, \sum m_\nu$

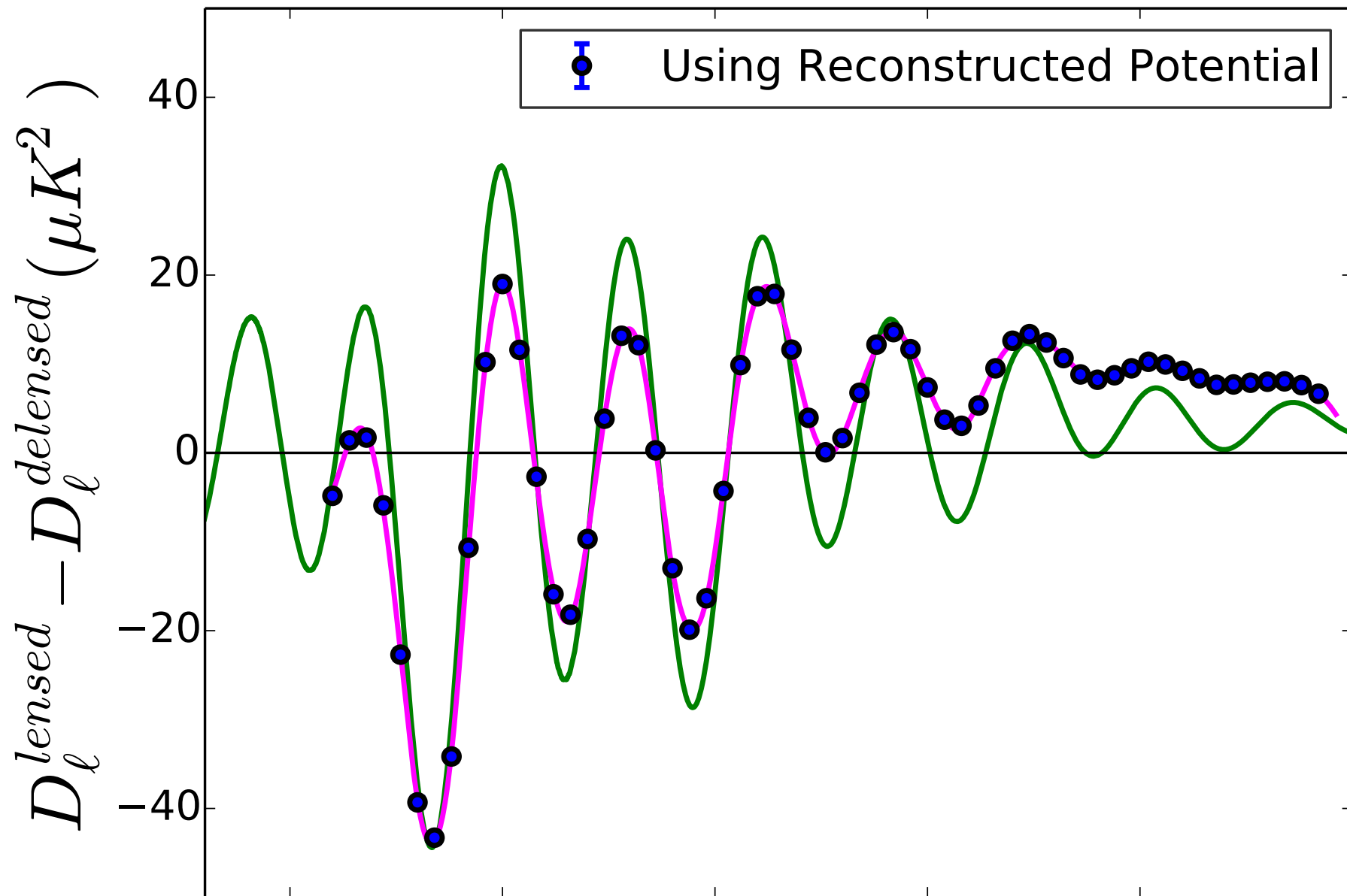


- Cross-correlation between CMB lens and other data sets $\rightarrow w, \sum m_\nu$

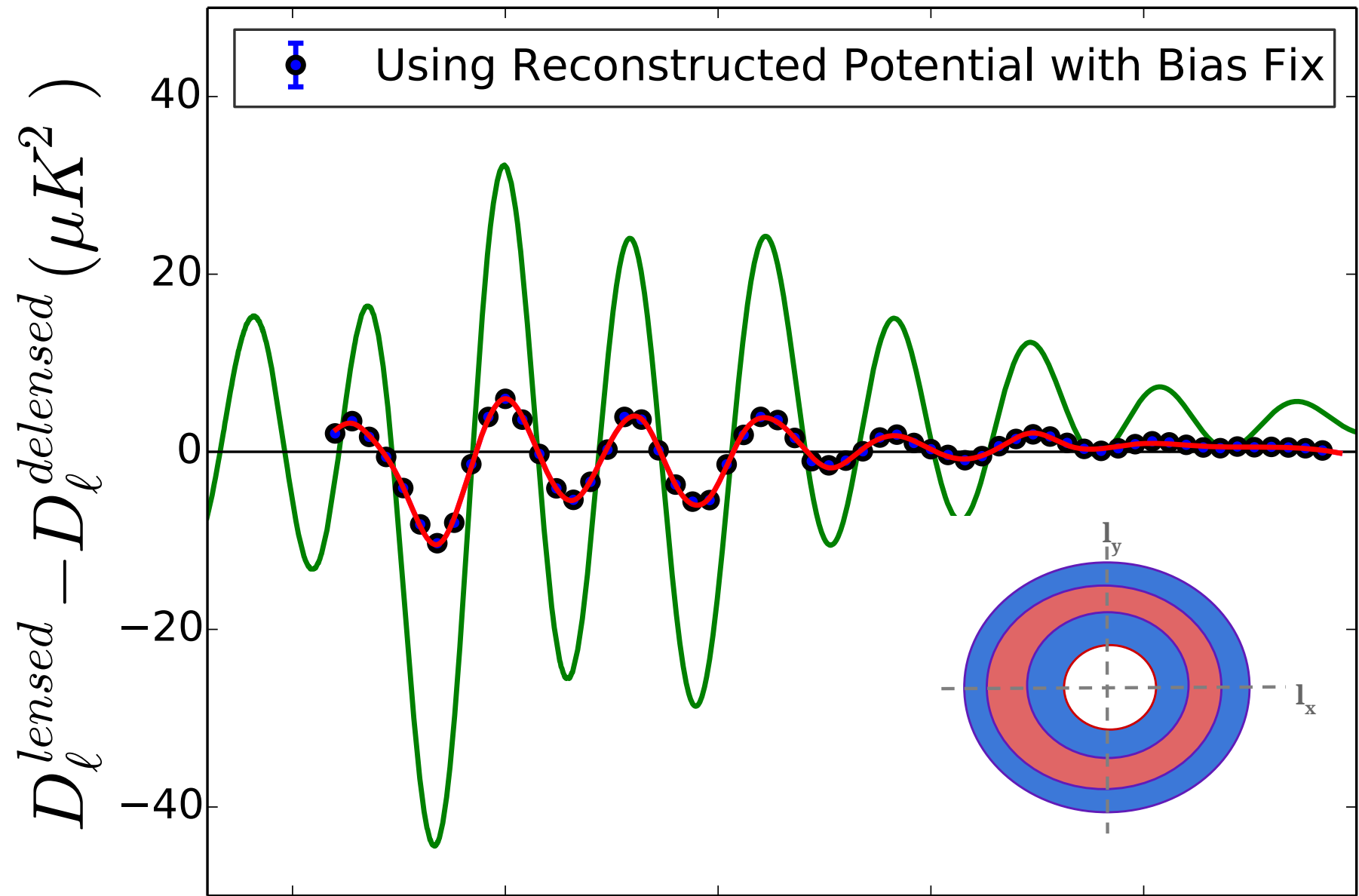
1. Ideal delensing



2. Using reconstructed lenses



3. One mitigation method



Targets

- $\kappa\kappa$ autospectrum
- Delensing

$$\langle \kappa\kappa \rangle \sim \langle EBEB \rangle \text{ or } \langle TTTT \rangle$$

$$B_{\text{temp}l} \sim E \star \kappa(EB)$$

$$\text{Bias if } \langle B_{\text{low}} B_{\text{temp}l} \rangle \sim \langle EBEB \rangle \neq 0$$

Targets

- $\kappa\kappa$ autospectrum
- Delensing

$$\langle \kappa\kappa \rangle \sim \langle \text{EBEB} \rangle \text{ or } \langle \text{TTTT} \rangle$$

Non-Gaussianity of
dust polarization
on small scales?

$$B_{\text{templ}} \sim E \star \kappa(\text{EB})$$

$$B_{\text{del}} = B_{\text{obs}} - B_{\text{templ}}$$

Bias if $\langle B_{\text{low}} B_{\text{templ}} \rangle \neq \langle EBEB \rangle \neq 0$