



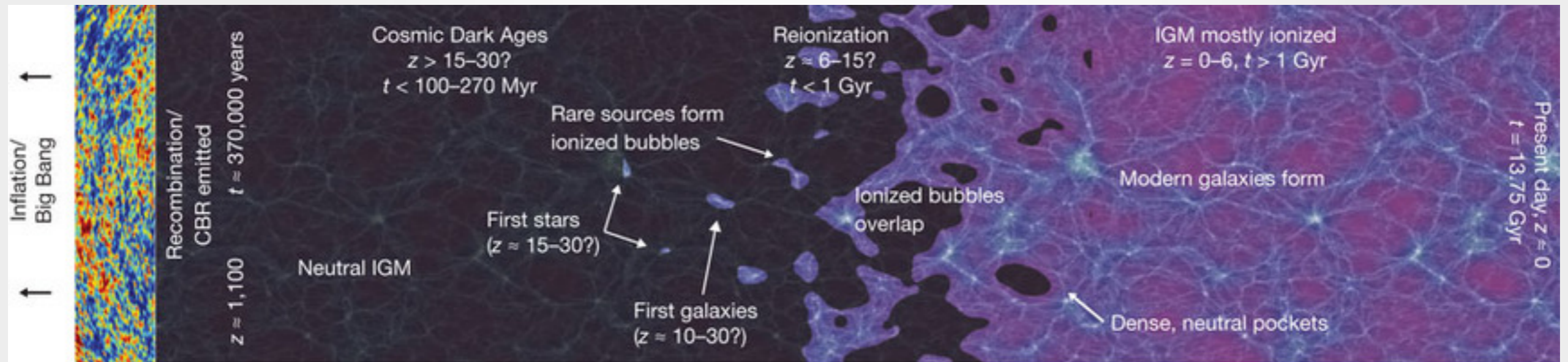
Penn
UNIVERSITY *of* PENNSYLVANIA

Probing Inflation and Reionization with Large-Scale CMB Polarization

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University of Pennsylvania

Part I - The Epoch Of Reionization



First stars: source of ionizing radiation

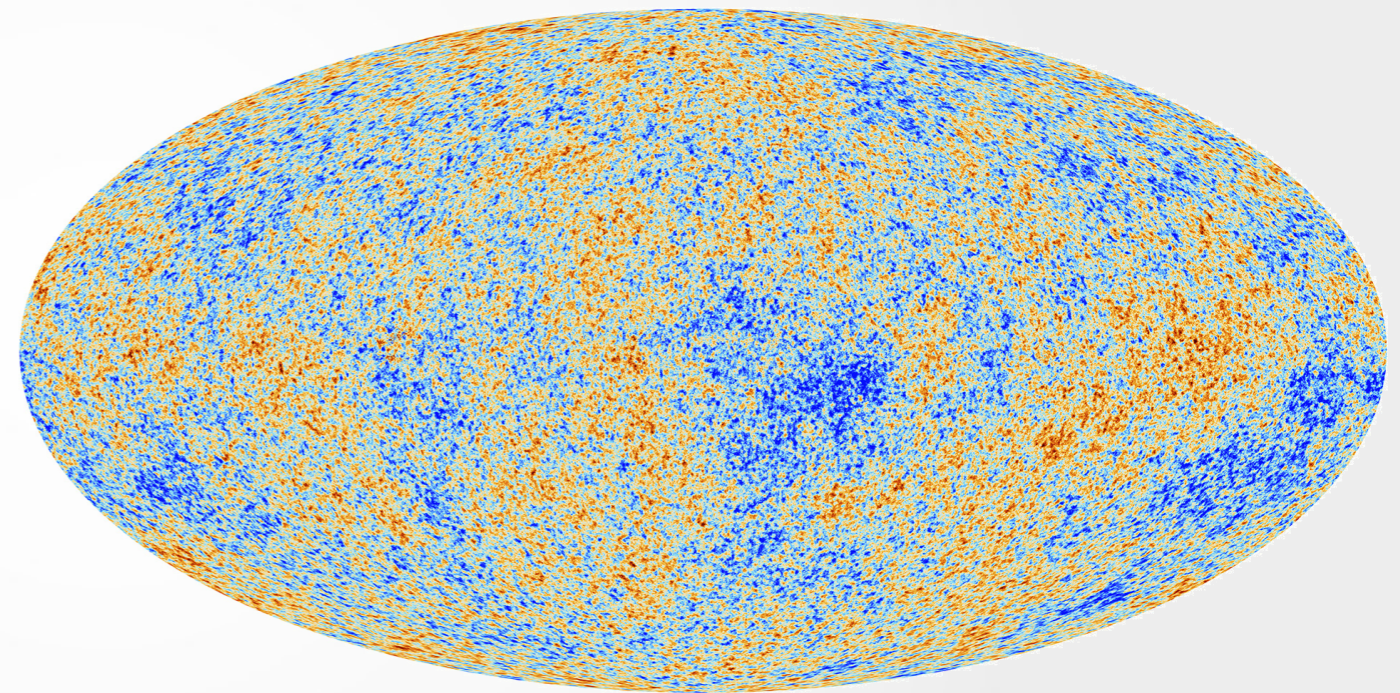
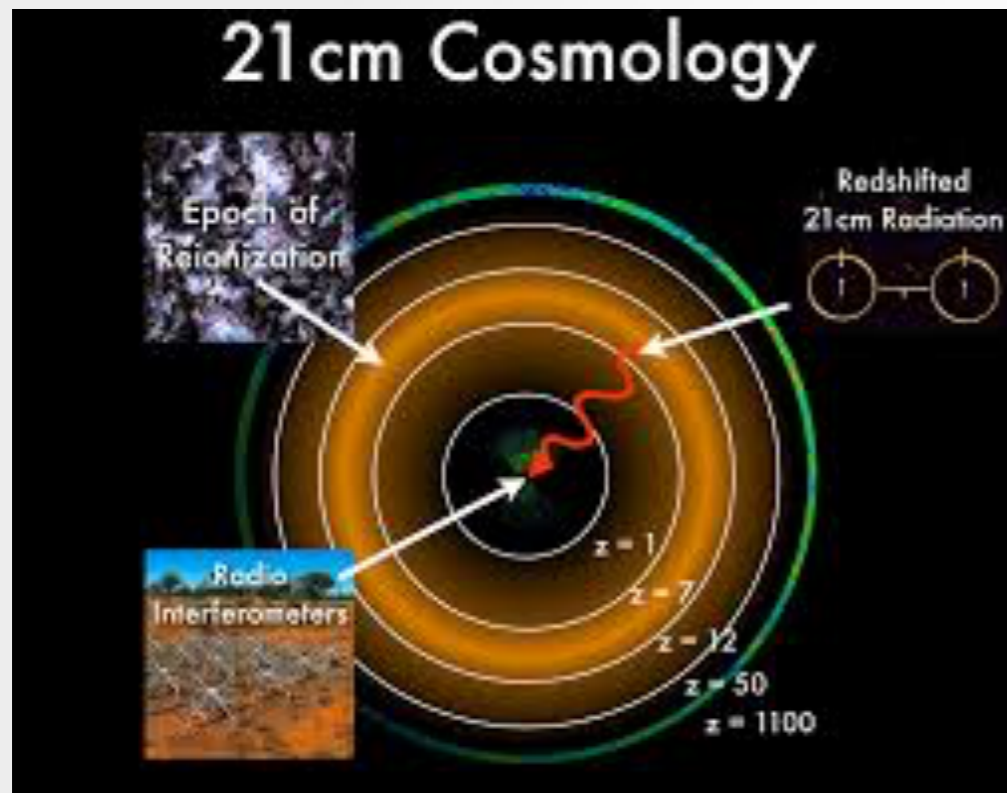
Difficult to model: radiative transfer + big volume

One of the least understood aspects of cosmology

How Can We Probe The EOR?

21 cm

Cosmic Microwave Background



Better than Cosmic Variance

Measure more than total optical depth

Atmosphere limits redshift range

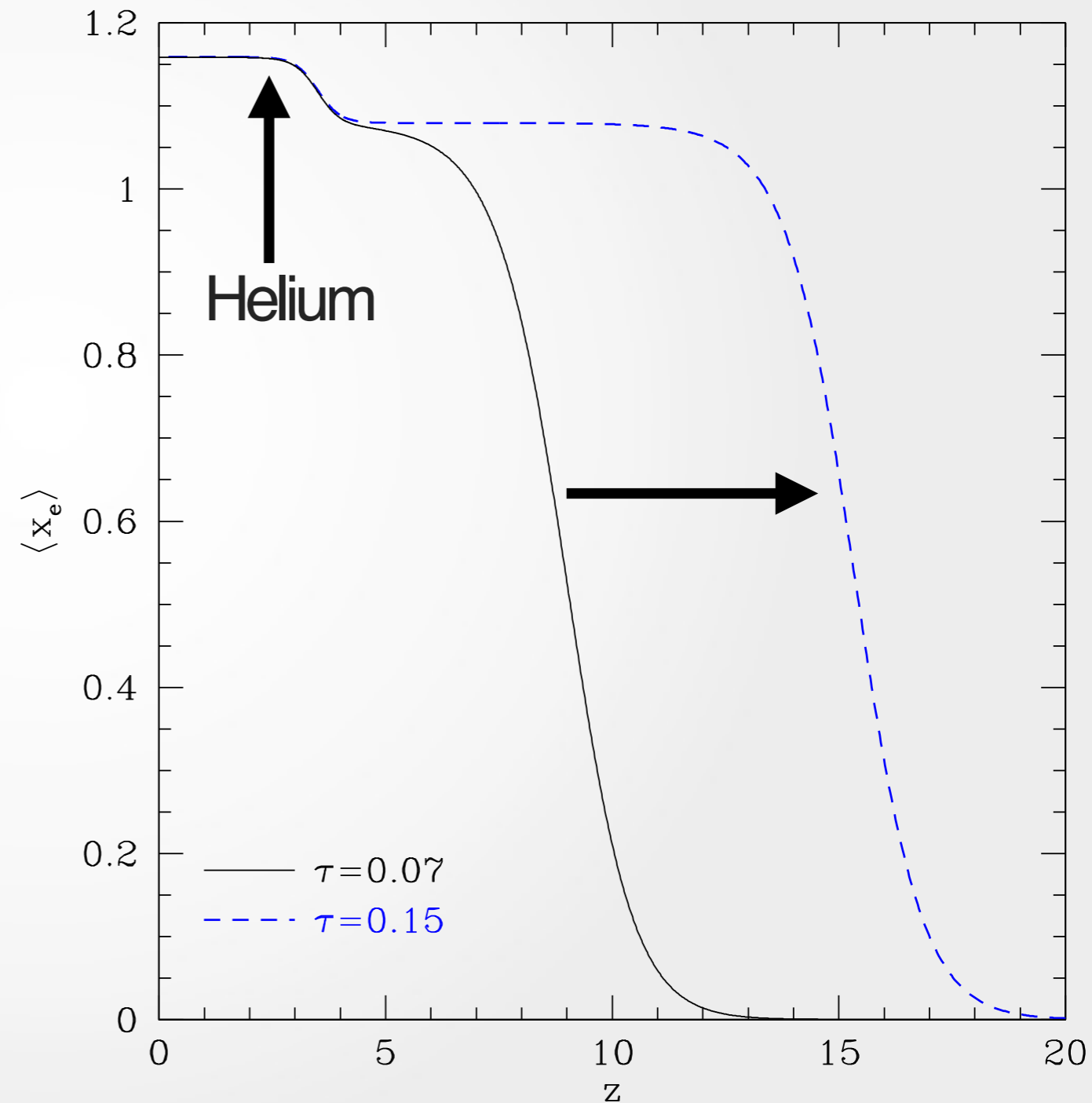
Limitations: Cosmic Variance

Hypothesis: The Instantaneous Reionization Model

Higher optical depth implies transition at higher redshift

$$\tau(z_1, z_2) \propto \int_{z_1}^{z_2} dz \frac{(1+z)^2}{H(z)/H_0} x_e(z)$$

The only free parameter given tau is the transition width.

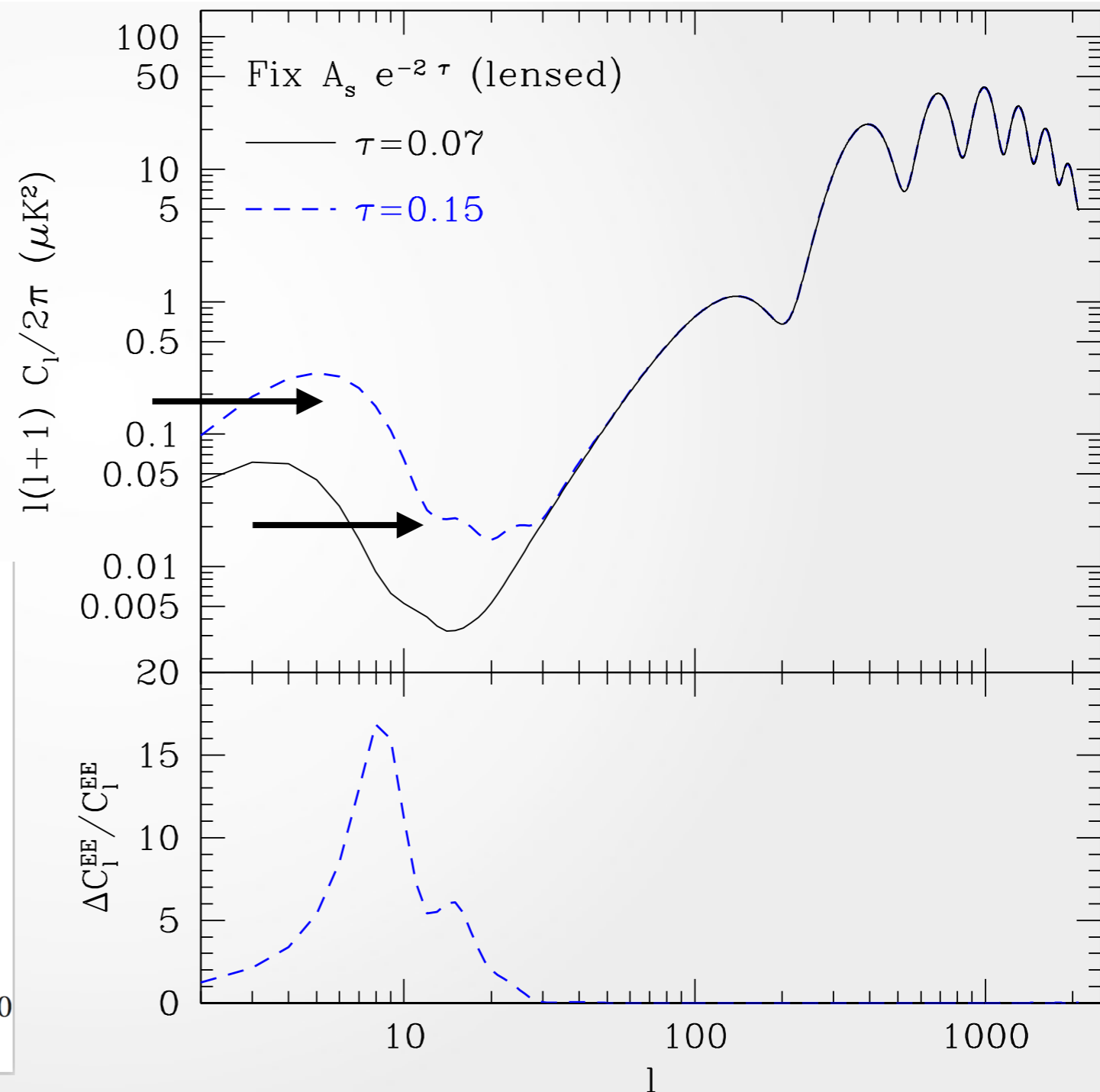
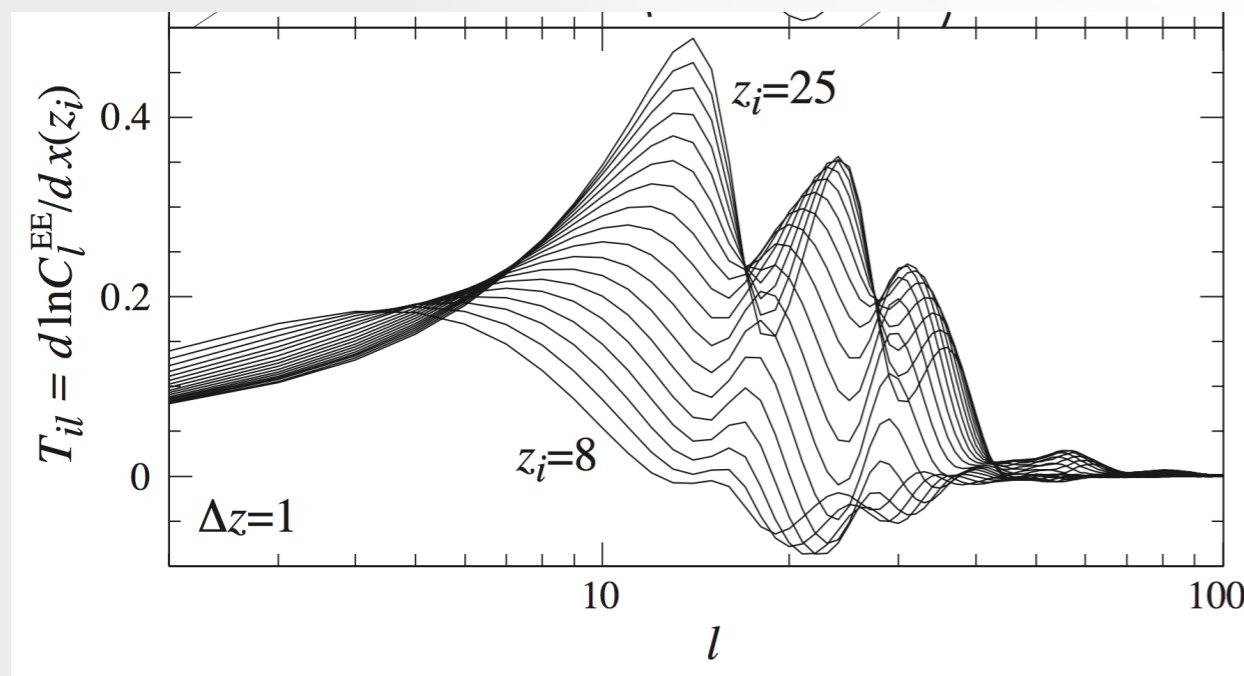


Hypothesis: The Instantaneous Reionization Model

Low and high redshift

behavior are linked together

higher redshift \Rightarrow higher l



Beyond IRM: Principal Components Analysis

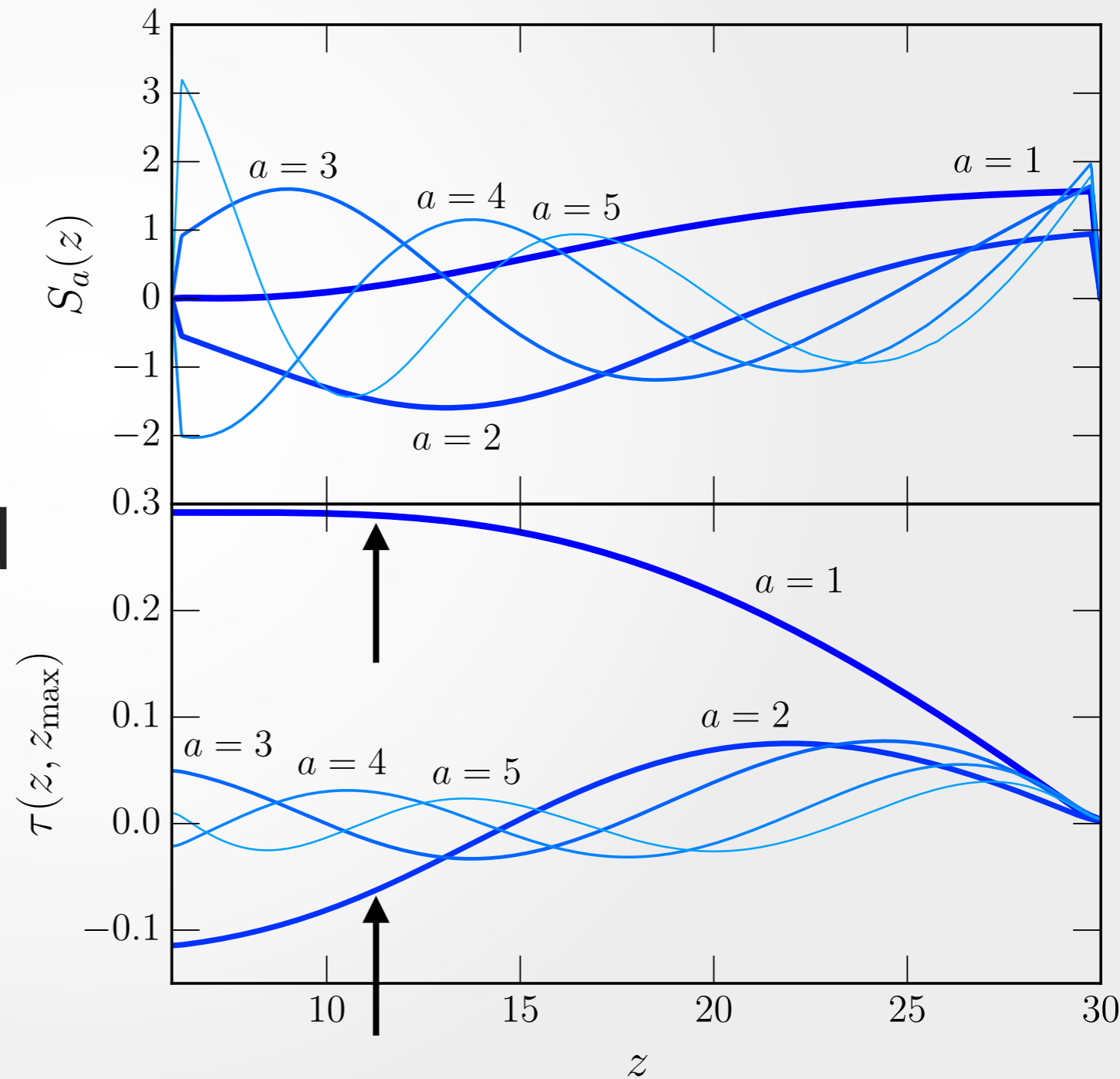
Eigenvectors covariance

$$x_e(z) = x_e^{\text{fid}}(z) + \sum_a m_a S_a(z)$$

Lower PCs: better constrained

$a=1 \sim$ average optical depth

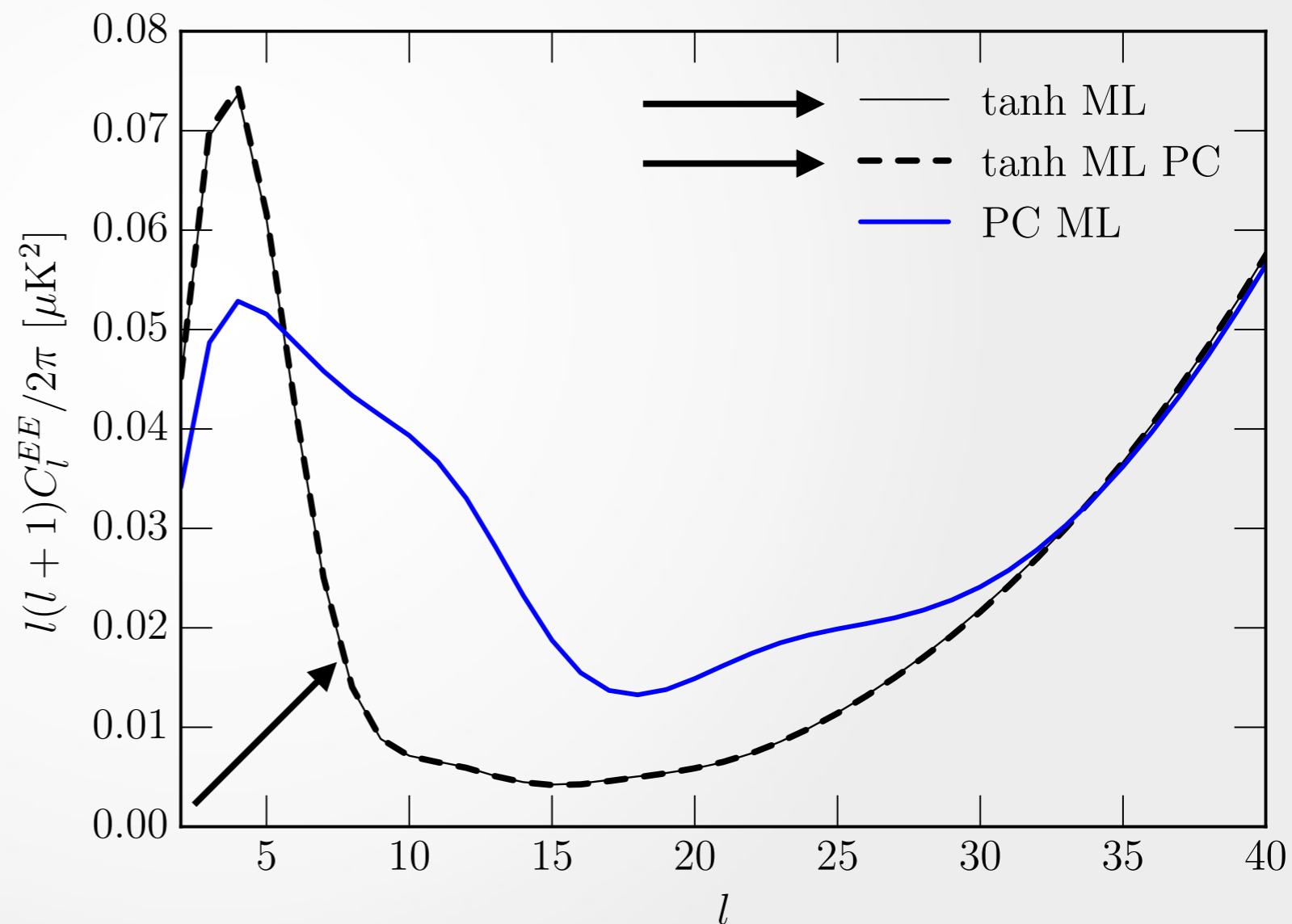
$a=2 \sim$ Difference high-low z



PCA: Completeness

5 PCs are complete!

Complete in polarization
error < cosmic variance



PCA Results On The EOR



Chen He



@ JPL



V. Miranda



@ Job market



Wayne Hu



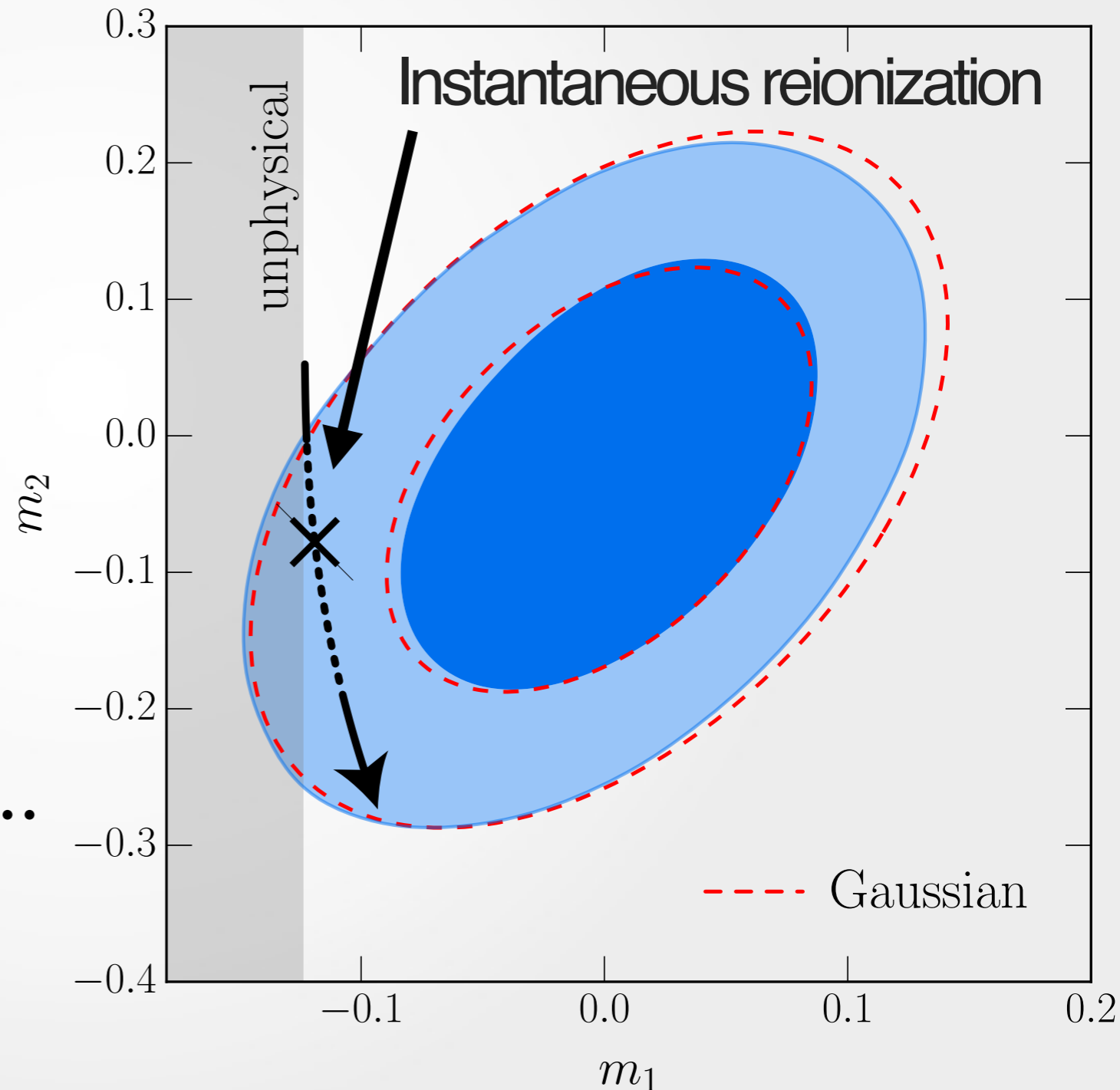
Has tenure

PCA Results On The EOR

Is IRM favored by the data?

$$x_e(z) = x_e^{\text{fid}}(z) + \sum_a m_a S_a(z)$$

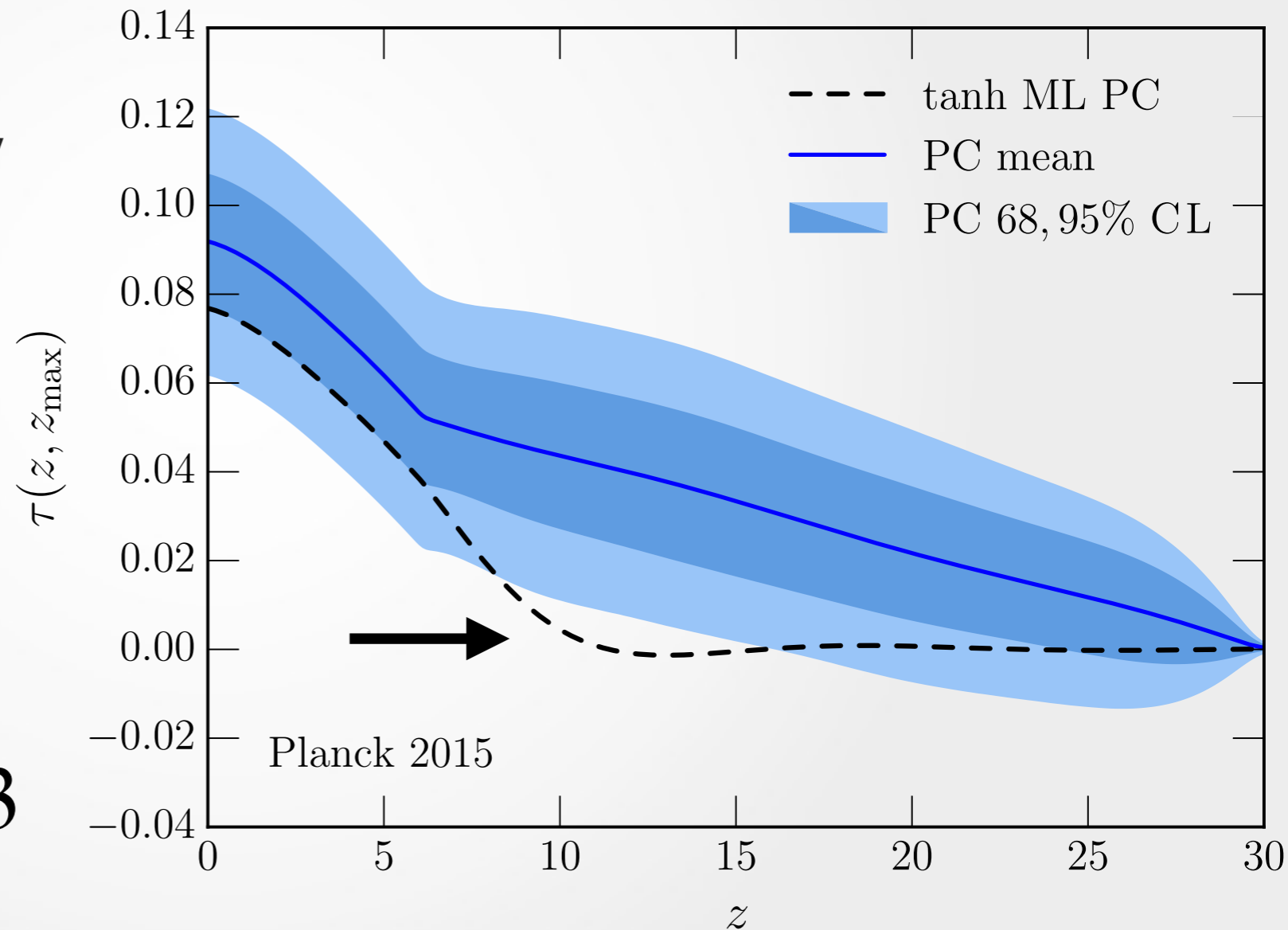
$$\sigma(m_1) < \sigma(m_2) < \sigma(m_3) < \dots$$



PCA Results On The EOR

Does the IRM spuriously
disfavor high redshift
sources?

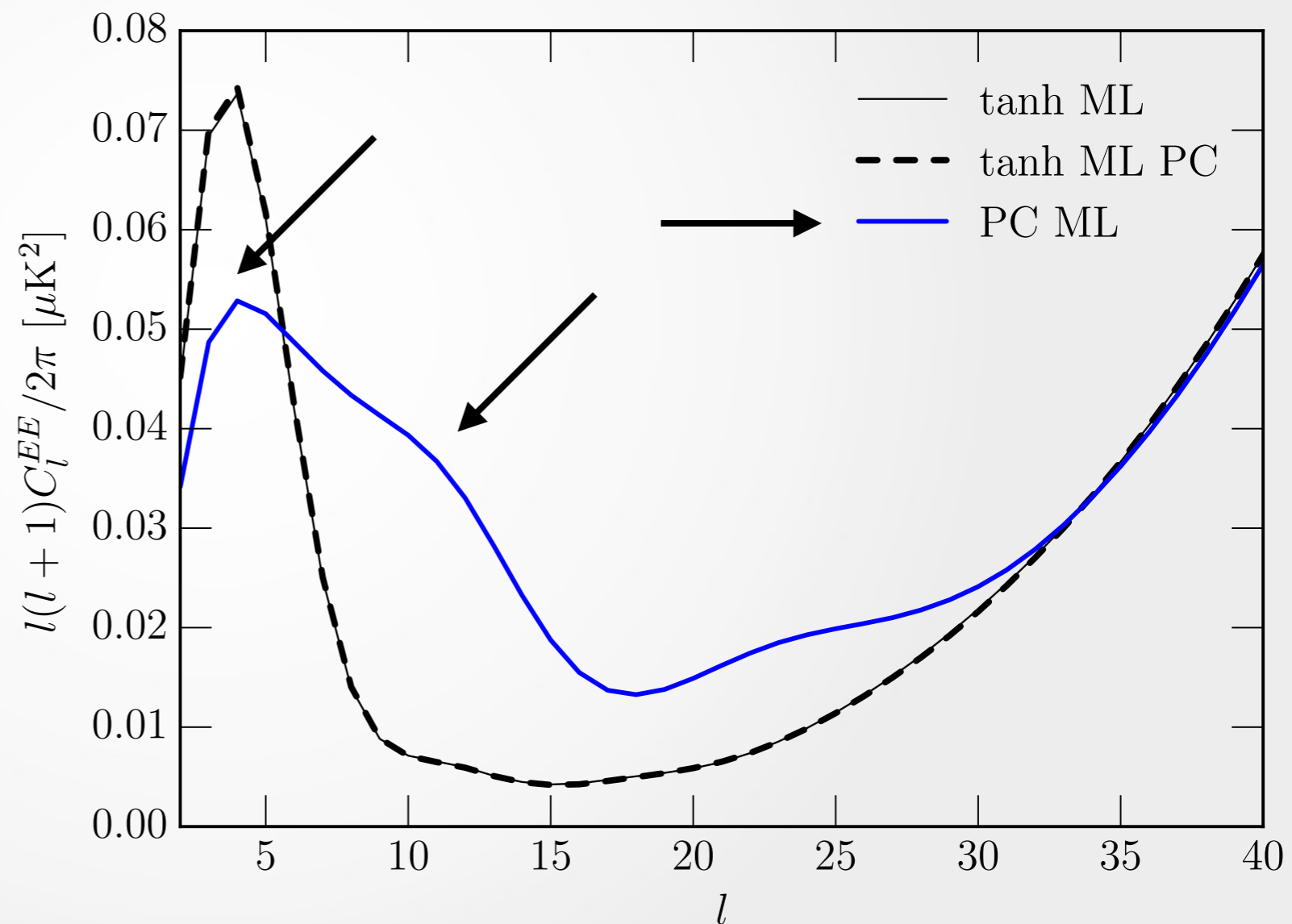
$$\tau_{\text{PC}}(z = 15, z_{\text{max}}) = 0.033$$



PCA Results On The EOR

What the polarization spectrum look like?

Presence of high redshift sources does **NOT** imply unreasonable tau



PCA: Completeness

Forward Modeling Only

Can models with metal-free stars be the source of the high redshift signal?



Chen He



V. Miranda



Wayne Hu



Adam Lidz

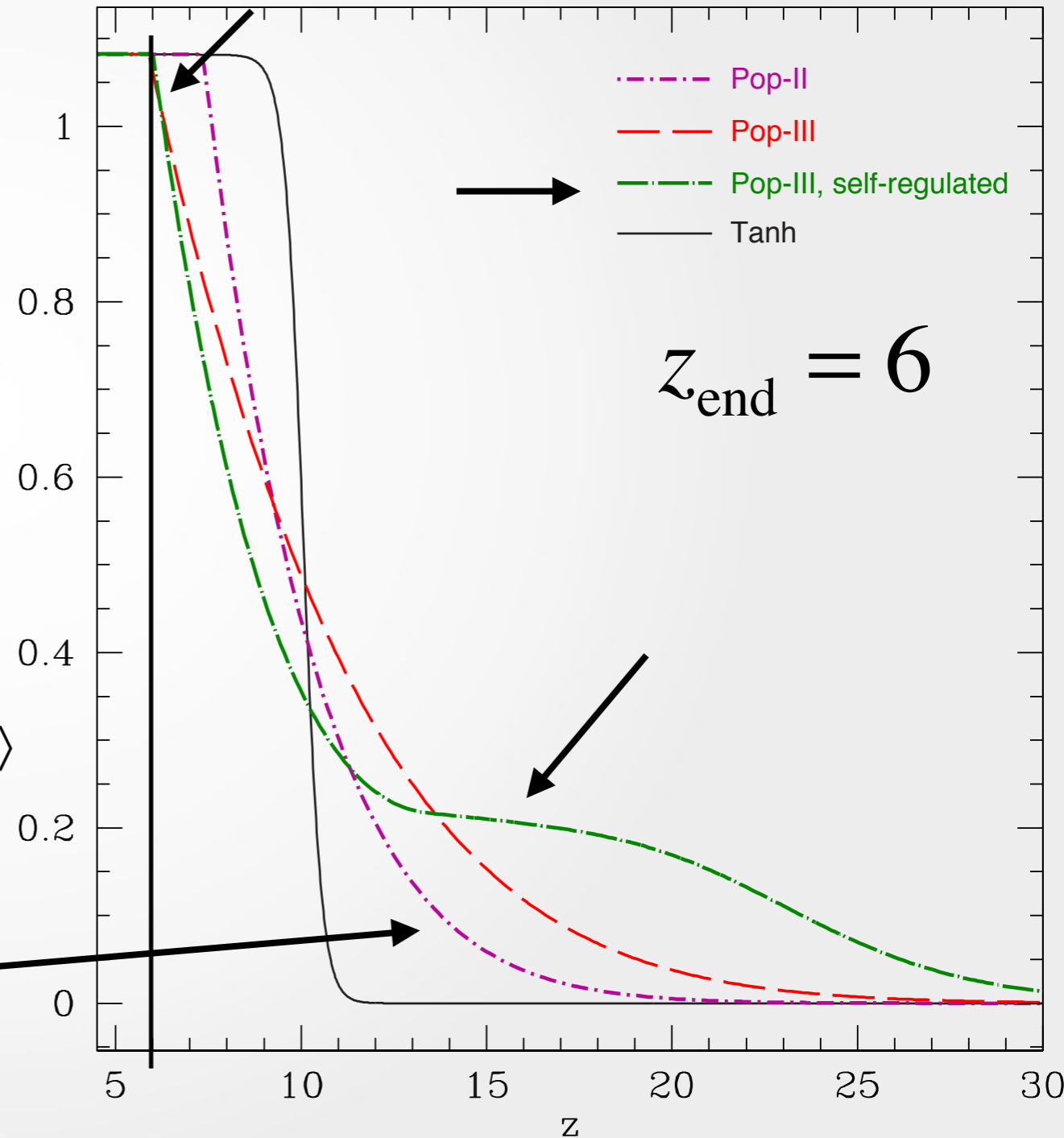
Source Of High Redshift Ionization: Pop-III?

We solve the following ODE

$$\frac{d\langle x_i \rangle}{dt} = \frac{d}{dt} \left(\zeta_{II} f_{c,II} + \zeta_{III} f_{c,III} \right) - \frac{\langle x_i \rangle}{\bar{t}_{\text{rec}}(z)}$$

\uparrow \uparrow \uparrow
 Efficiency $\langle x_T \rangle \neq \langle x_{II} \rangle + \langle x_{III} \rangle$

Baseline model (Pop-II stars)



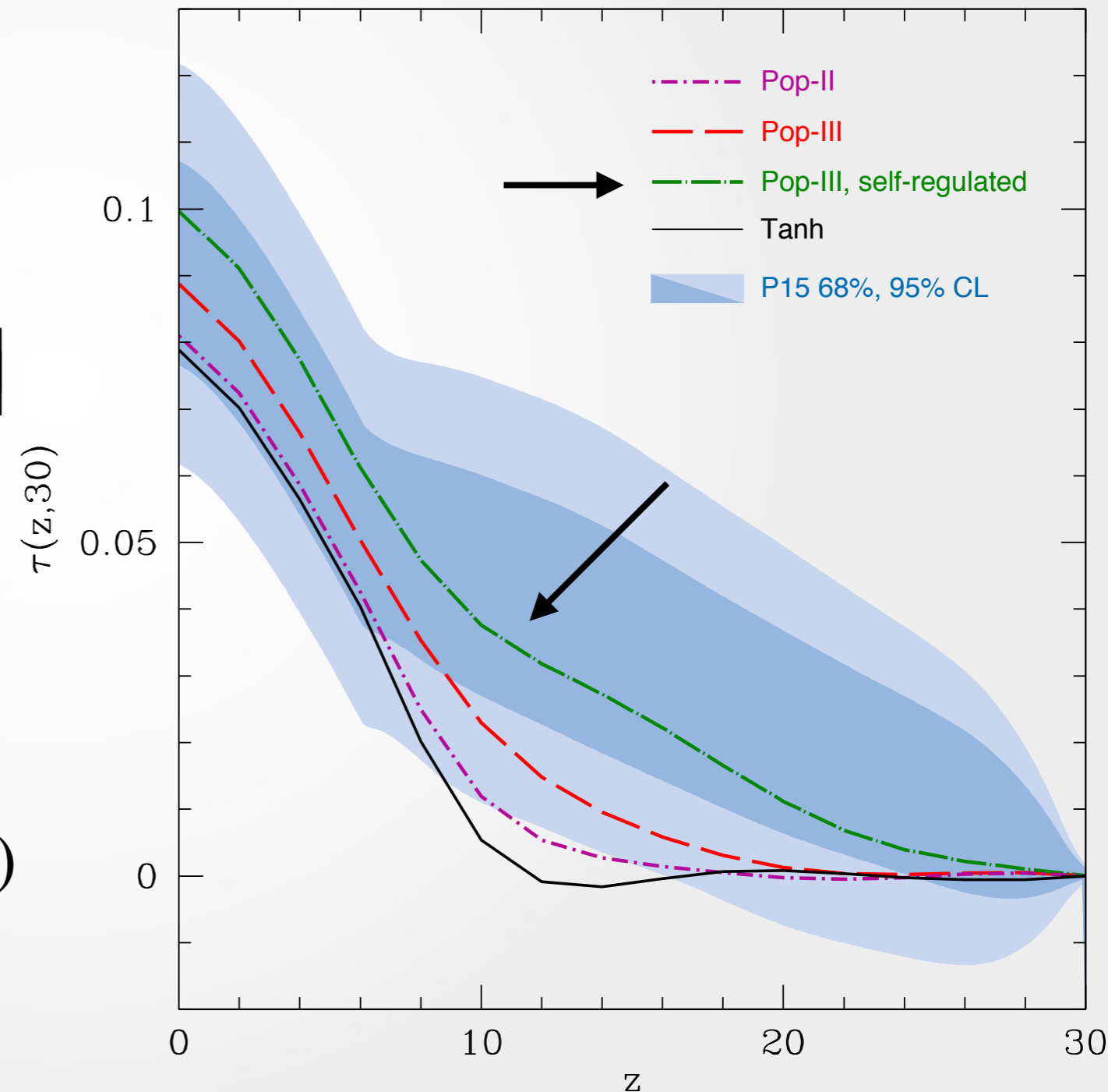
Source Of High Redshift Ionization: Pop-III?

PC Projection

$$m_a = \frac{1}{24} \int_6^{30} dz S_a(z) \left[\langle x_e \rangle(z) - \langle x_e^{\text{fix}} \rangle(z) \right]$$

Then evaluate optical depth

$$\tau(z_1, z_2) = \tau^{\text{fid}}(z_1, z_2) + \sum m_a \tau_a(z_1, z_2)$$



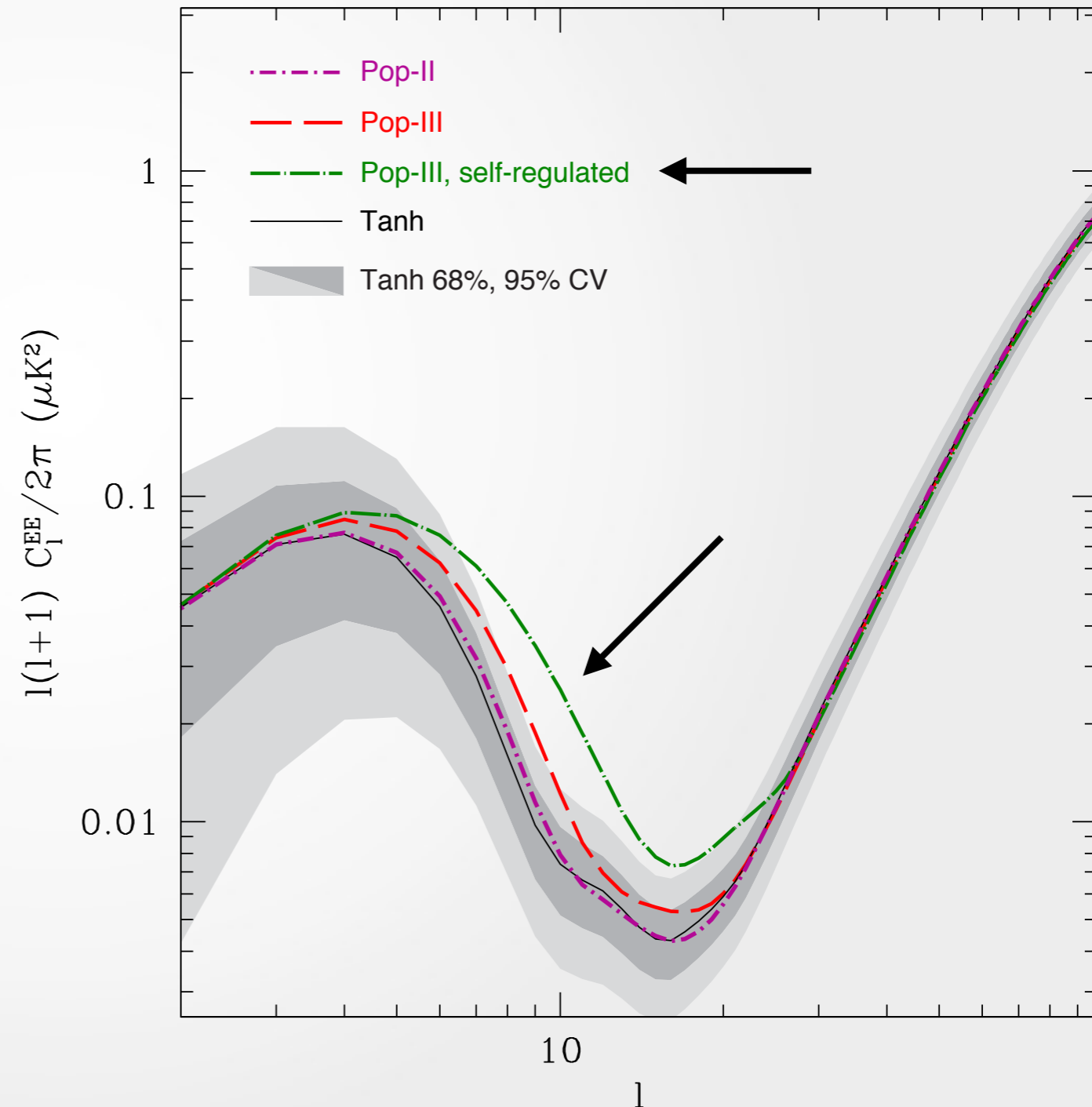
Source Of High Redshift Ionization: Pop-III?

Get polarization spectrum

Shades = CV assuming

instantaneous ionization is the
correct model*

*Tricky type of question

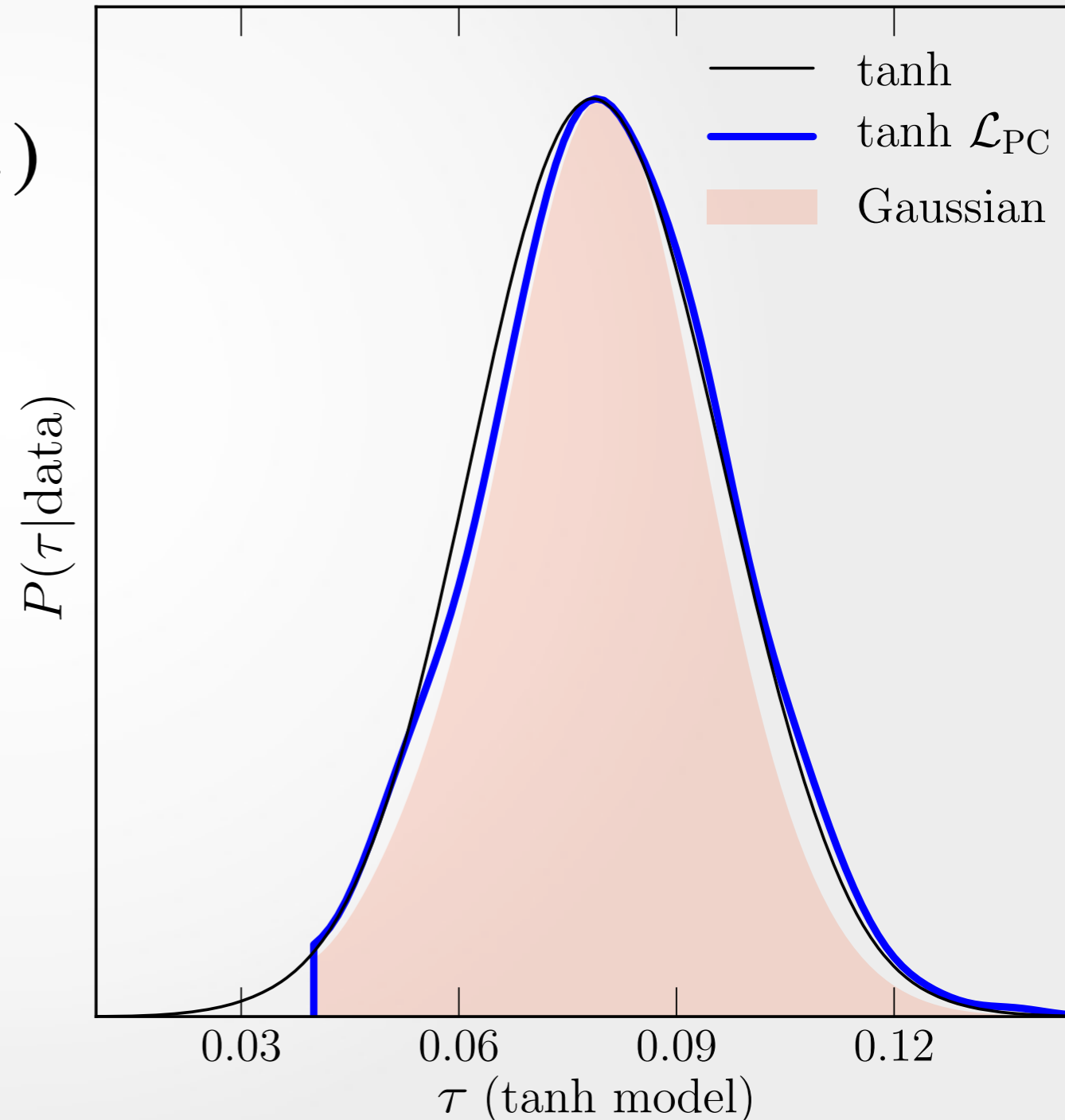


Make Results Useful to Everyone: PCA Fast Likelihood

$$\mathcal{L}_{\text{PC}}(\text{data} | \mathbf{m}) = \sum_{i=1}^N w_i K_f(\mathbf{m} - \mathbf{m}_i)$$

Your Favorite
model

MCMC models

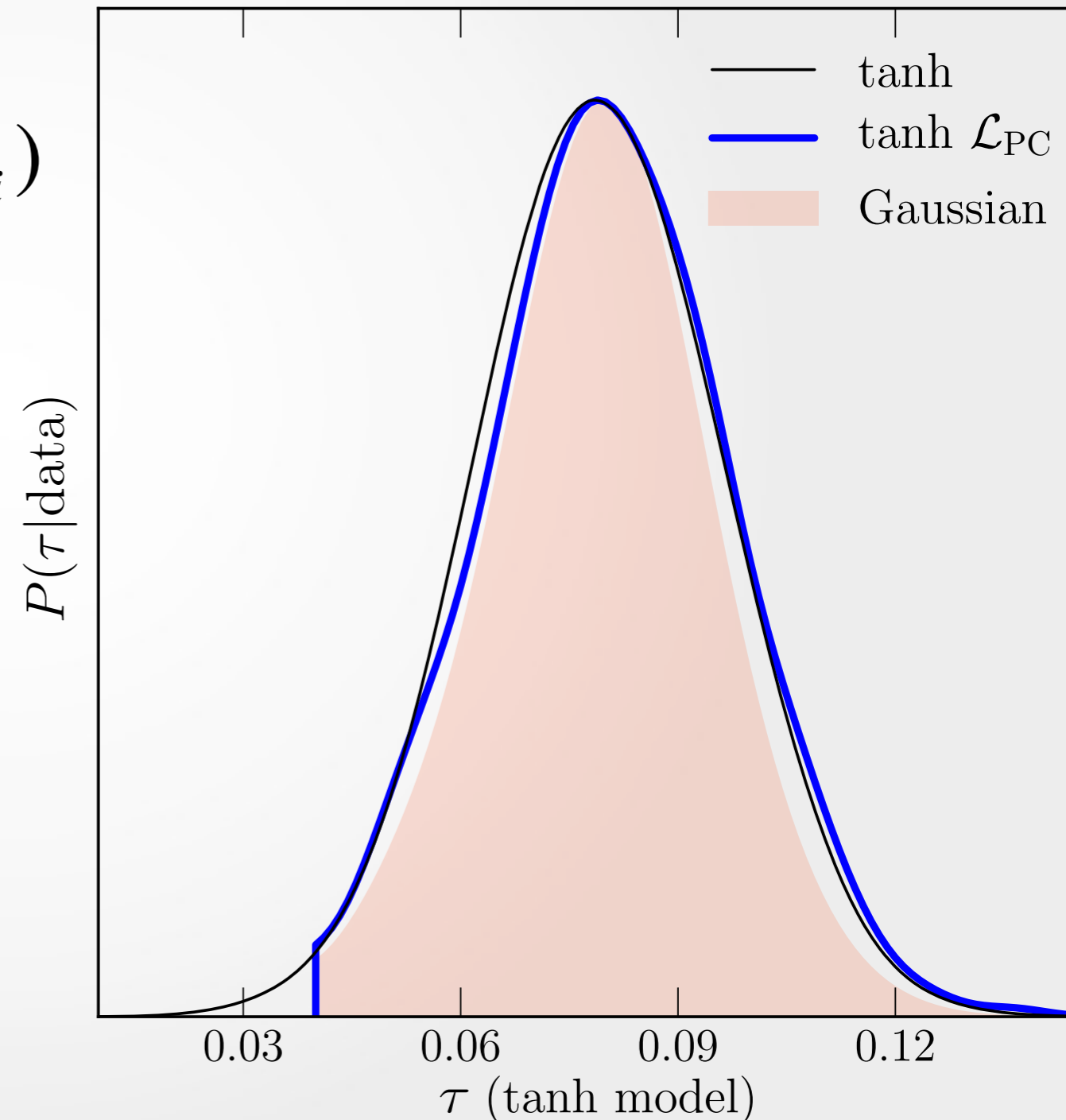


Make Results Useful to Everyone: PCA Fast Likelihood

$$\mathcal{L}_{\text{PC}}(\text{data} | \mathbf{m}) = \sum_{i=1}^N w_i K_f(\mathbf{m} - \mathbf{m}_i)$$

Chain
multiplicities

Kernel
(Gaussian)

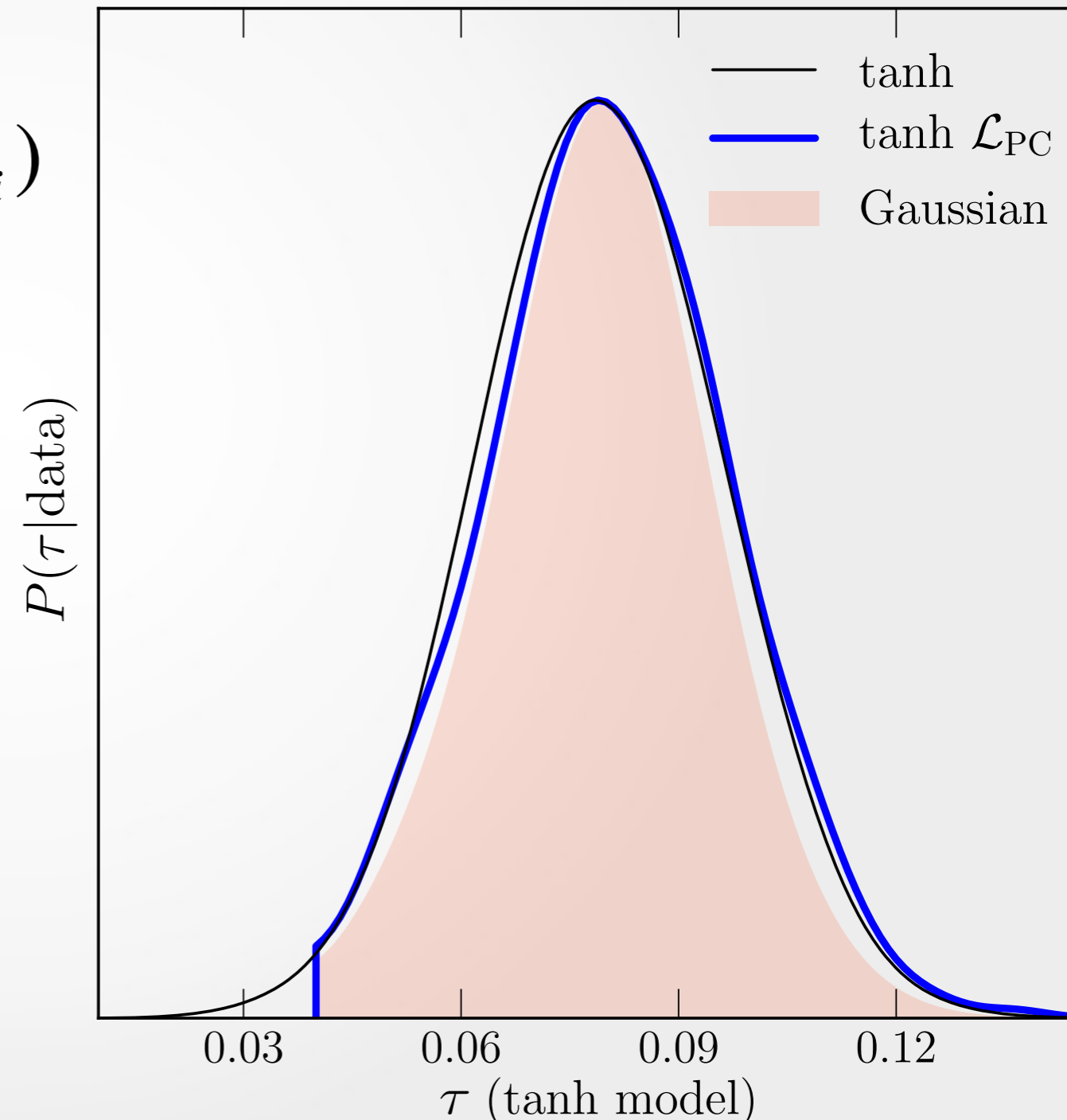


Make Results Useful to Everyone: PCA Fast Likelihood

$$\mathcal{L}_{\text{PC}}(\text{data} | \mathbf{m}) = \sum_{i=1}^N w_i K_f(\mathbf{m} - \mathbf{m}_i)$$

Good: fast (no CAMB)

Bad: needed $\sim 10x$ more
chain points than normal
convergence



What Our Results Means for 21-cm, neutrinos, CMB-S4...

$$\tau_{\text{PC}}(z = 15, z_{\text{max}}) = 0.033$$

- CMB-S4: neutrino mass constraints with lensing
- Optical Depth is one of the highest sources of error
- 21-cm claims they can measure tau better than CV
- This claim will fail if our result is not due to systematics

Part II - Inflationary Features



Georges Obied



Cora Dvorkin



Chen He



V. Miranda



Wayne Hu

The Generalized Slow-Roll Approximation

$$\ln \Delta_{\mathcal{R}}^2 = I_0(k) + \ln[1 + I_1^2(k)]$$

$$I_j(k) \propto \int d \ln s W_j(ks) G'(\ln s)$$



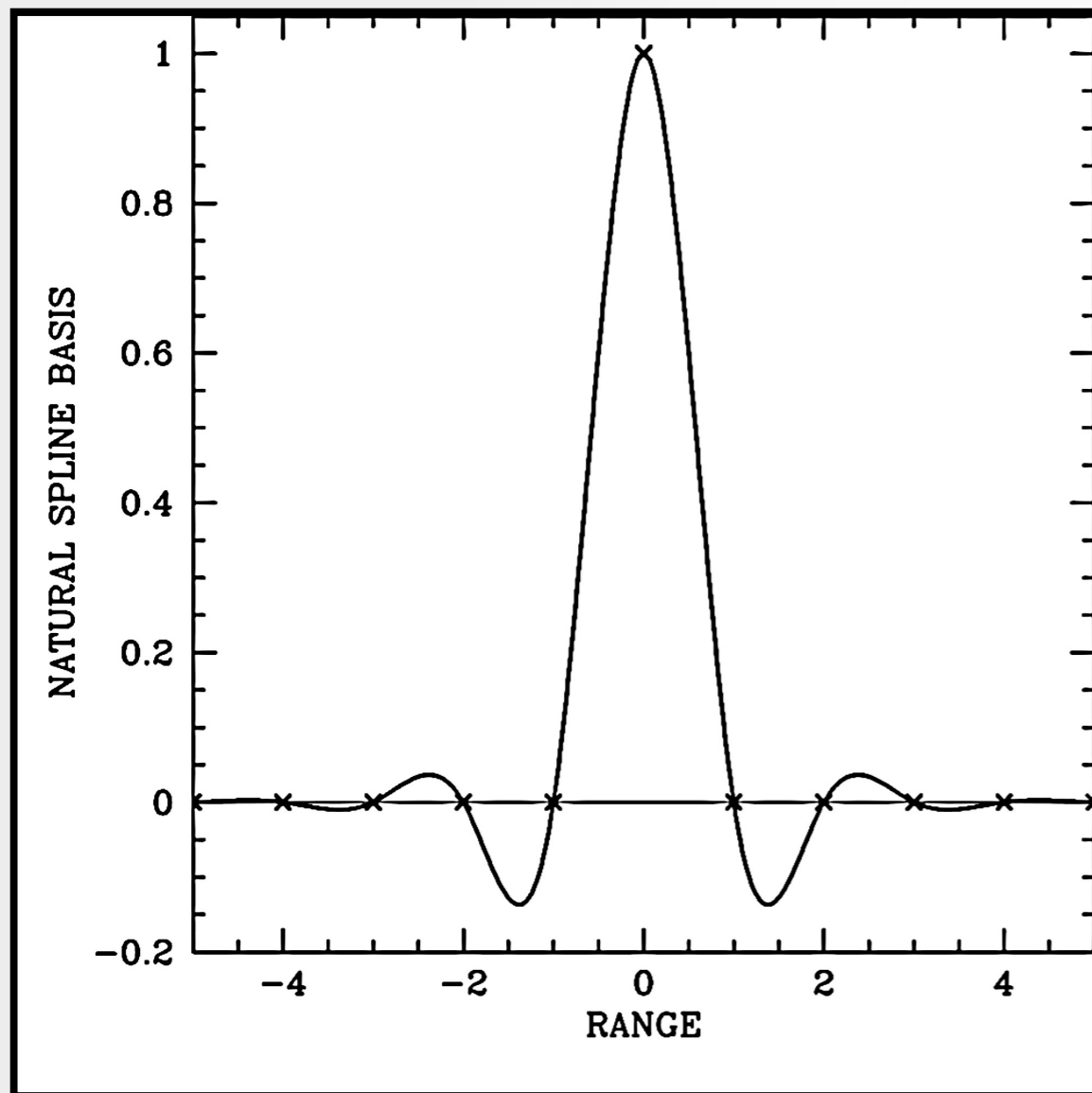
Cora Dvorkin



Wayne Hu

Single kernel encompasses
power spectrum observables

Kernel Expansion: Non-Parametric Spline Basis



$$G'(\ln s) = (1 - n_s) + \sum_i B_i(\ln s) w_i$$

SB: more efficient than PCAs
for localized features



V. Miranda

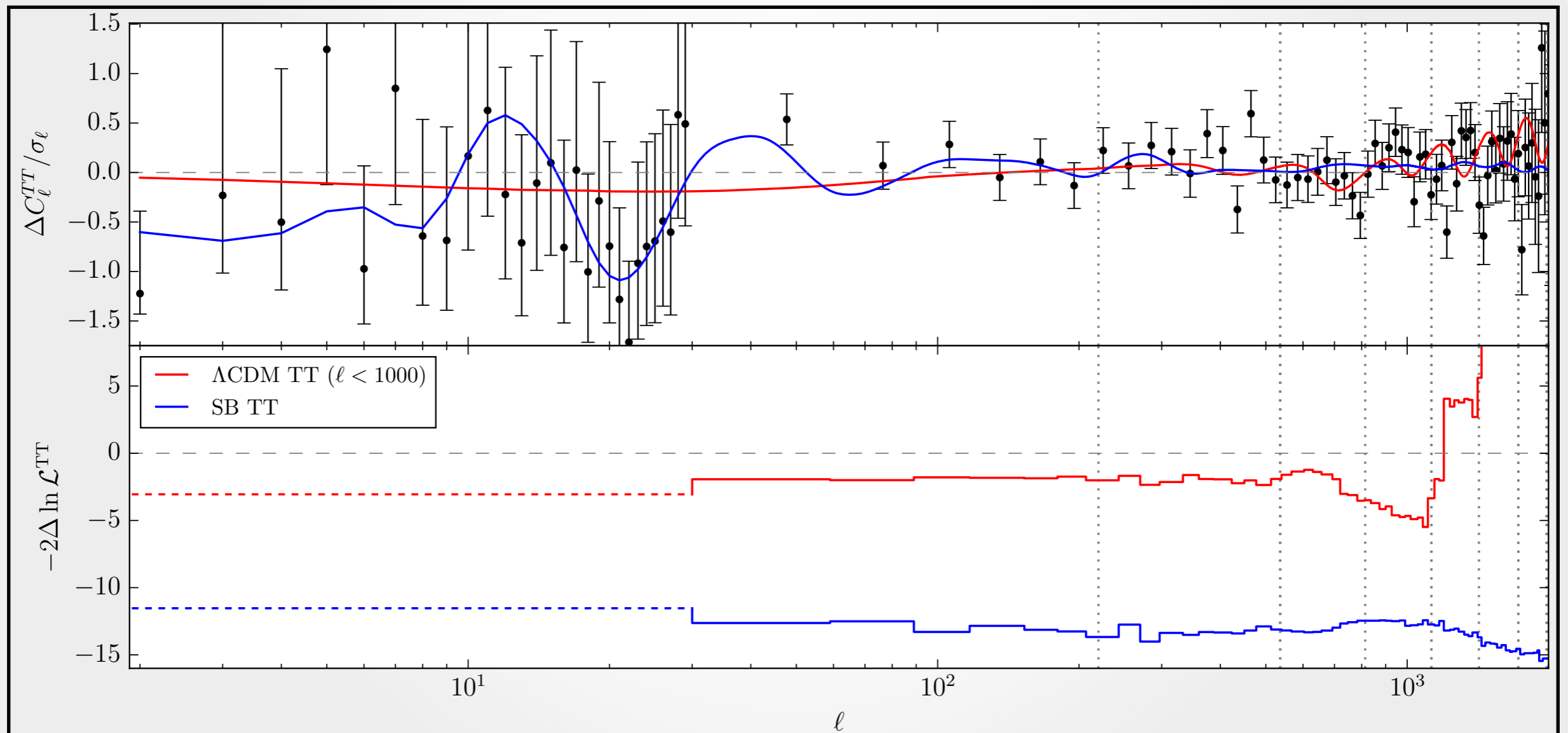


C. Dvorkin



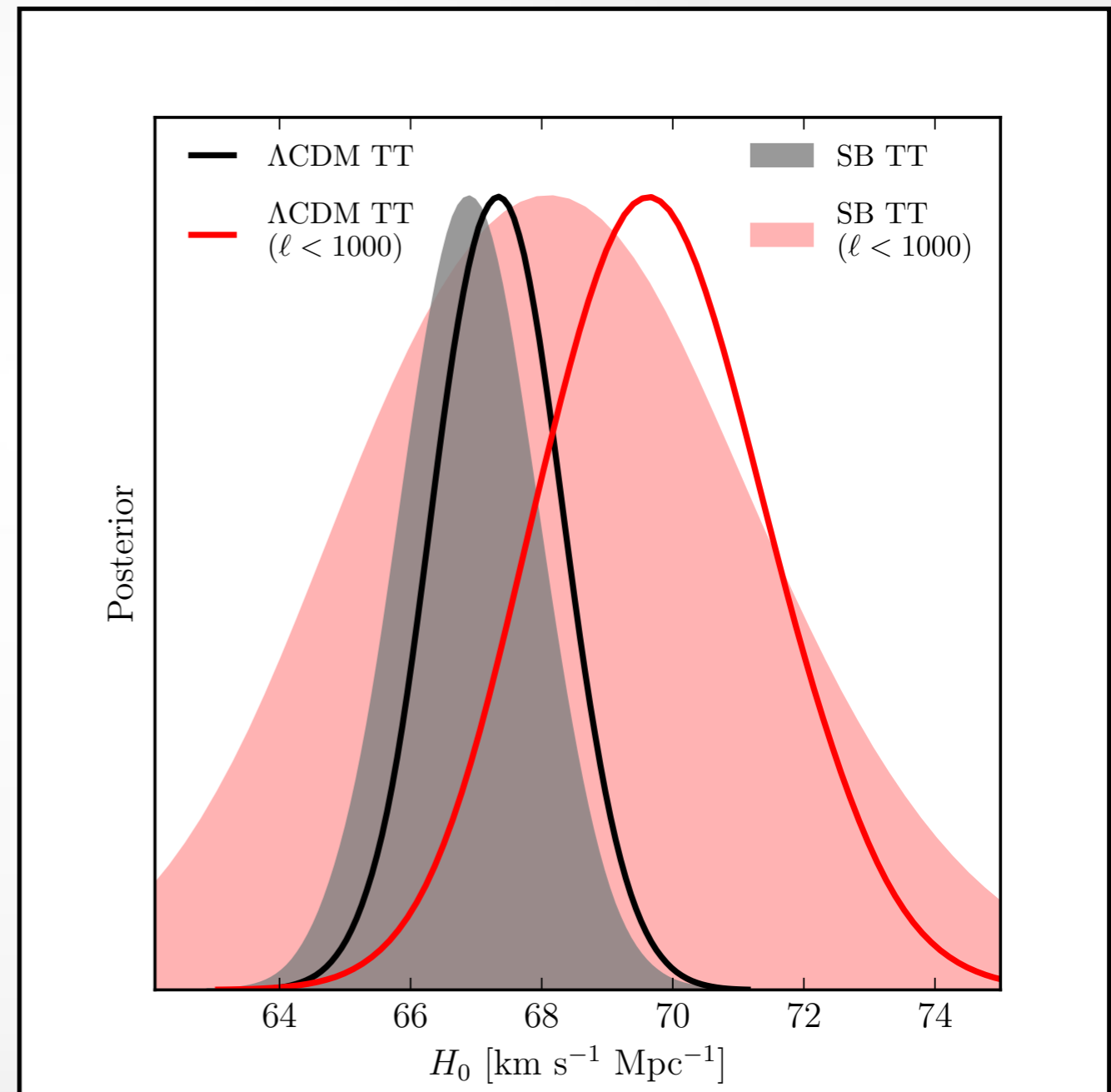
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WMAP/Planck $l \sim 20$ Features on Temperature Spectrum

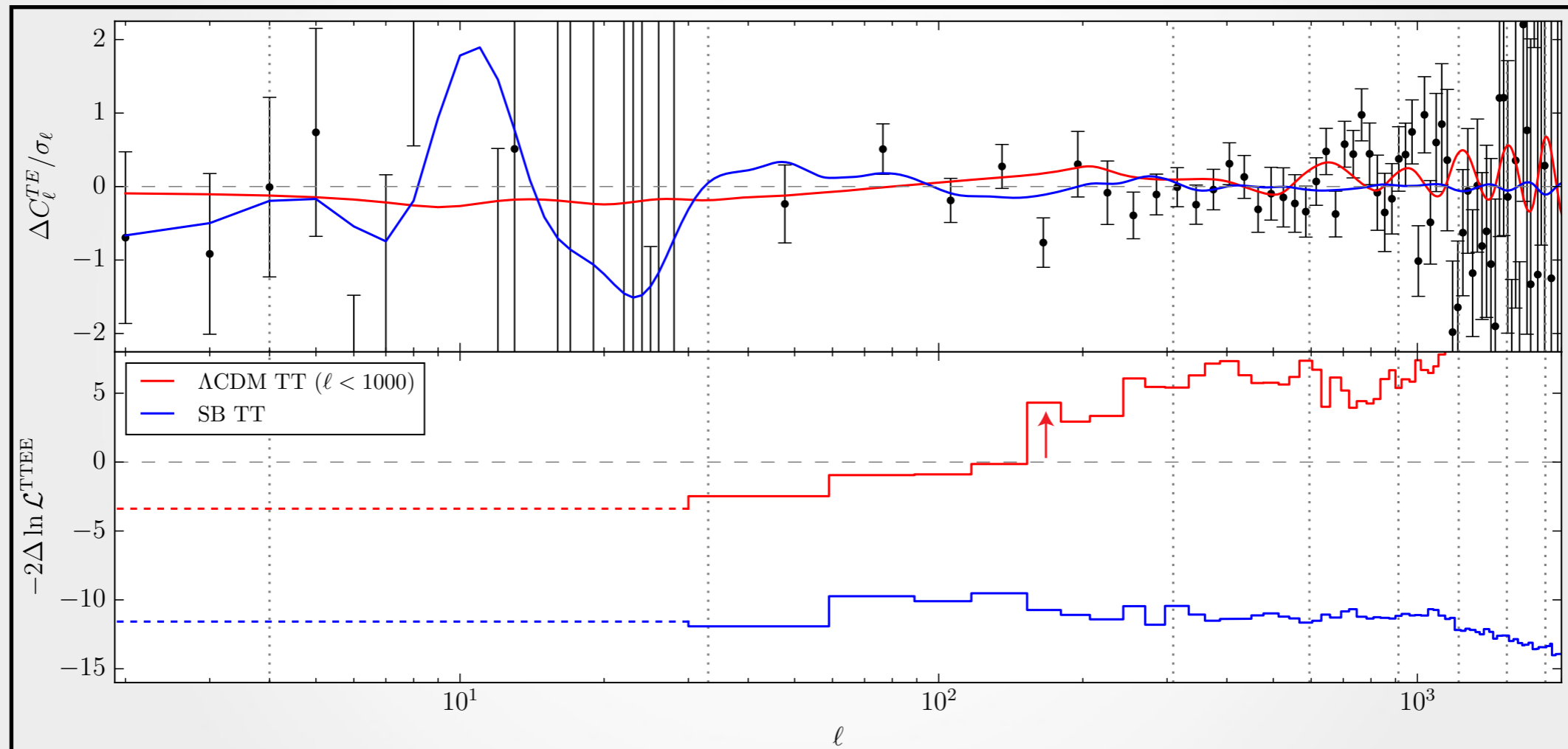


Features Affect Inferences On The Hubble Constant

Features in inflation impact
 H_0 predictions
(especially if $l_{\text{max}} < 1000$)



WMAP/Planck $l \sim 20$ Features On TE Spectrum



Also impacts TE \rightarrow what about reionization?

Near Future: Combined Analysis (Stay Tuned)

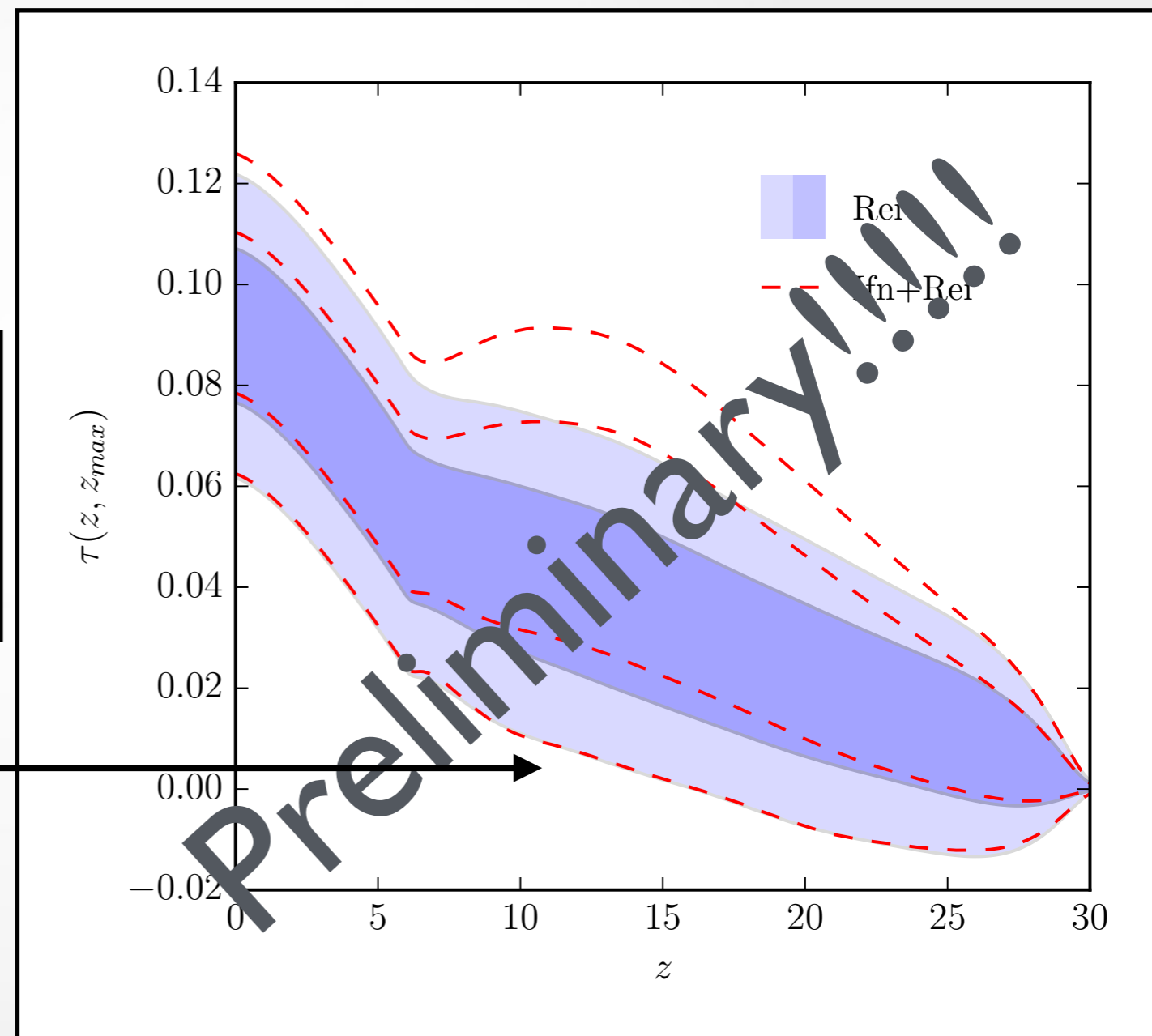
Inflationary vs. Reionization Features from *Planck* 2015 Data

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B-MODE from Space - Berkeley - Vinicius Miranda

Conclusions

