Baryon Asymmetry, Chiral Asymmetry, and the Magnetic Fields in the Universe

based on: T. Fujita (Kyoto) & KK, PRD93 (2016) 083520 [arXiv:1602.02109 (hep-ph)]

KK & A.J.Long (Michigan), PRD94 (2016) 063501 [arXiv:1606.08891 (astro-ph.CO)]

KK & A.J.Long (Michigan), PRD94 (2016) 123509 [arXiv:1610.03074 (hep-ph)]

D.Jimenéz (MPIK), KK, K.Schmitz(Padova), X.Xu (MPIK),

JCAP12 (2017) 011 [arXiv:1707.07943 (hep-ph)]

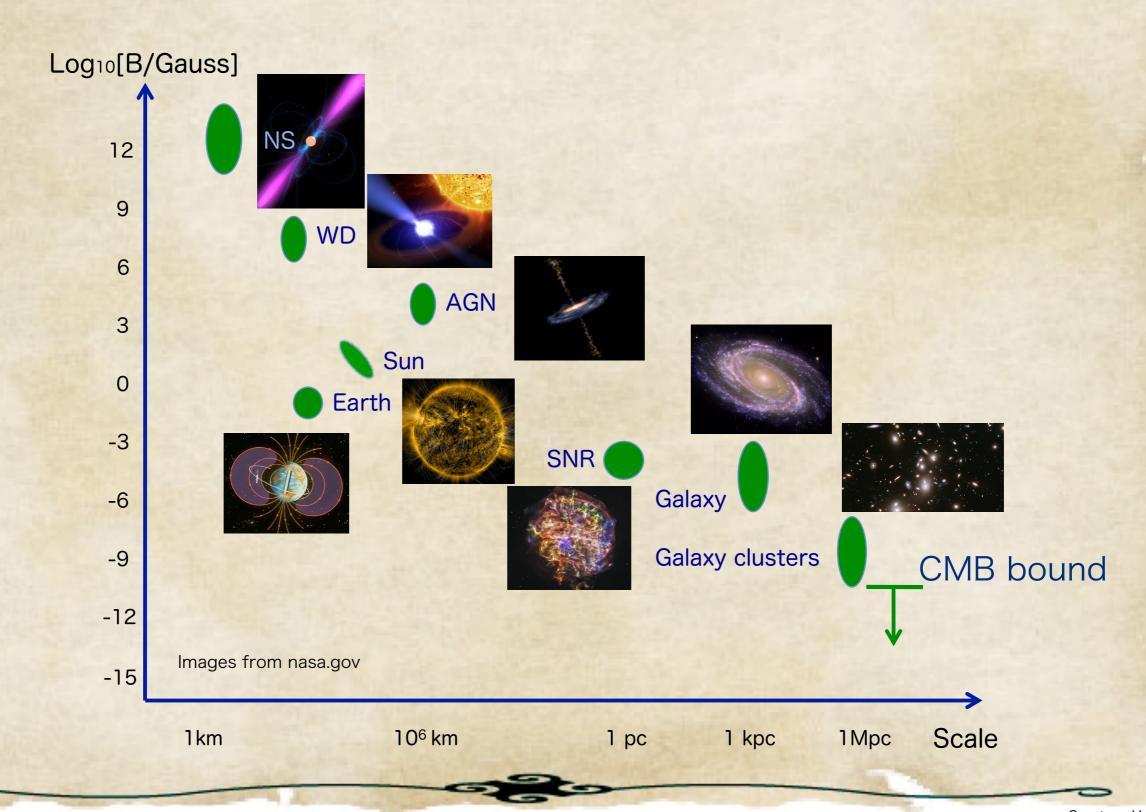
KK, PRD97 (2018) 103506 [arXiv:1802.03055 (hep-ph)] KK, Chang Sub Shin (IBS-CTPU), arXiv:1905.06966 [hep-ph]

Kohei Kamada (RESCEU, U Tokyo)

43rd John Hopkins Workshop 03/06/2019 @ Kavli IPMU, U Tokyo



Magnetic fields (MFs) in the Universe

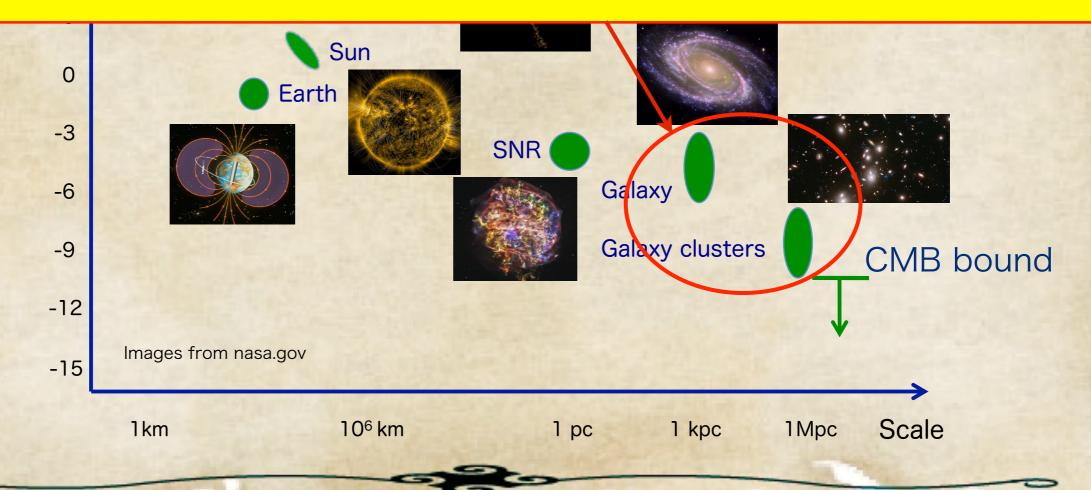




Log10[B/Gauss]

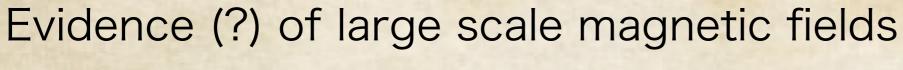
Old problem: seed for galaxy/galaxy cluster MFs.

MFs with $B \gtrsim 10^{-30} {\rm G}, \lambda \sim 10 {\rm kpc}$ @galaxy formation+ Dynamo mech. might explain them. ('99 A. C. Davis+...)



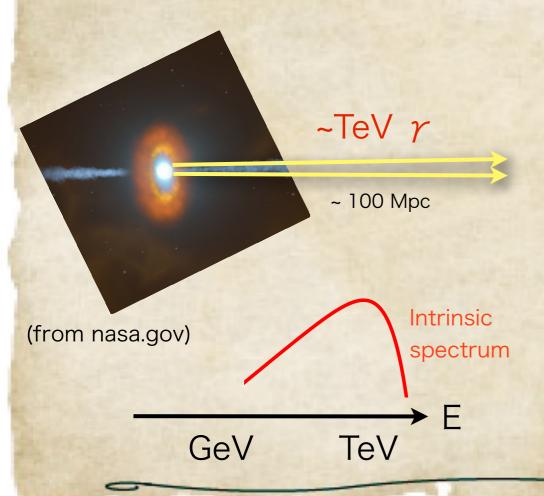
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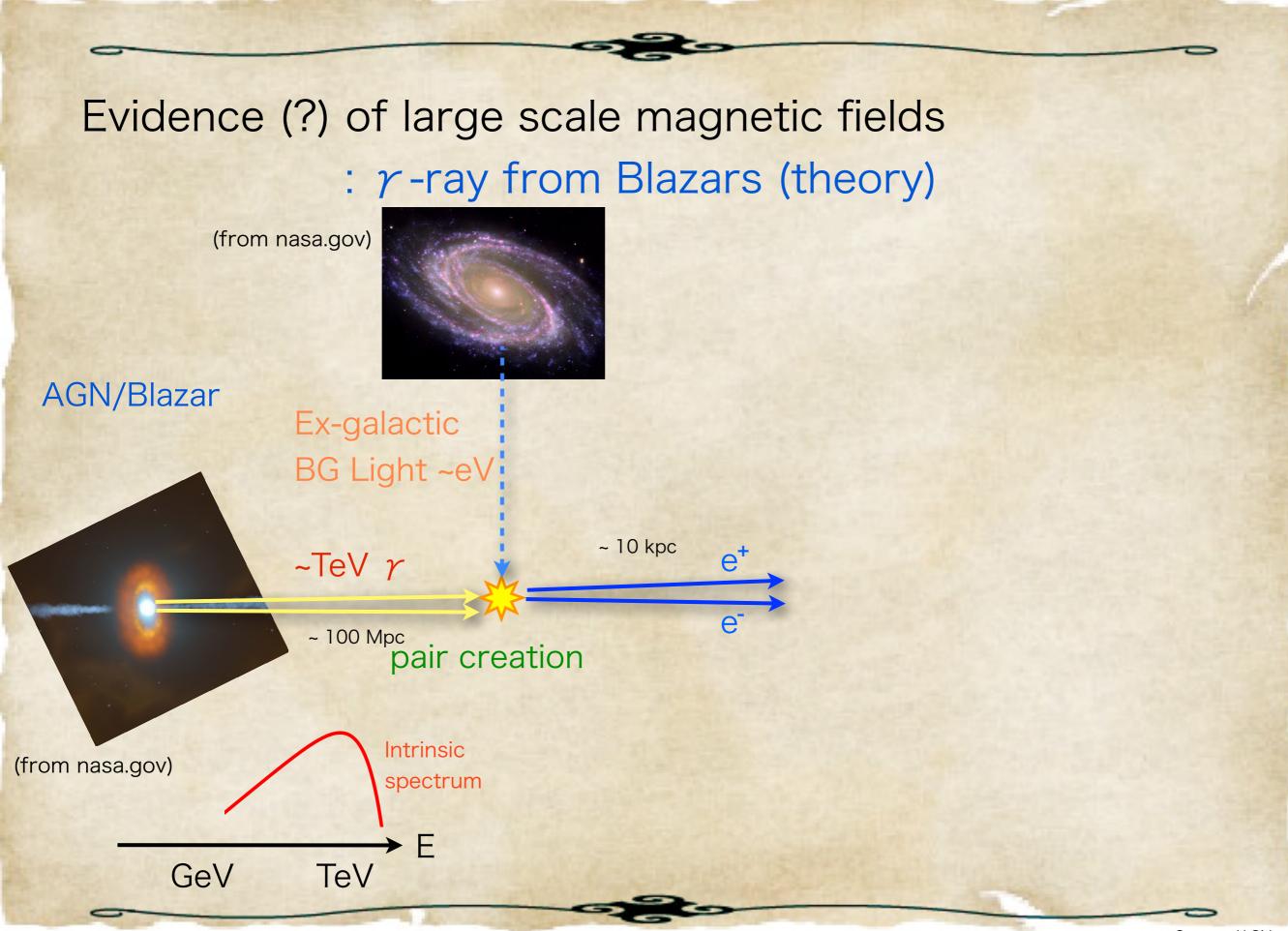


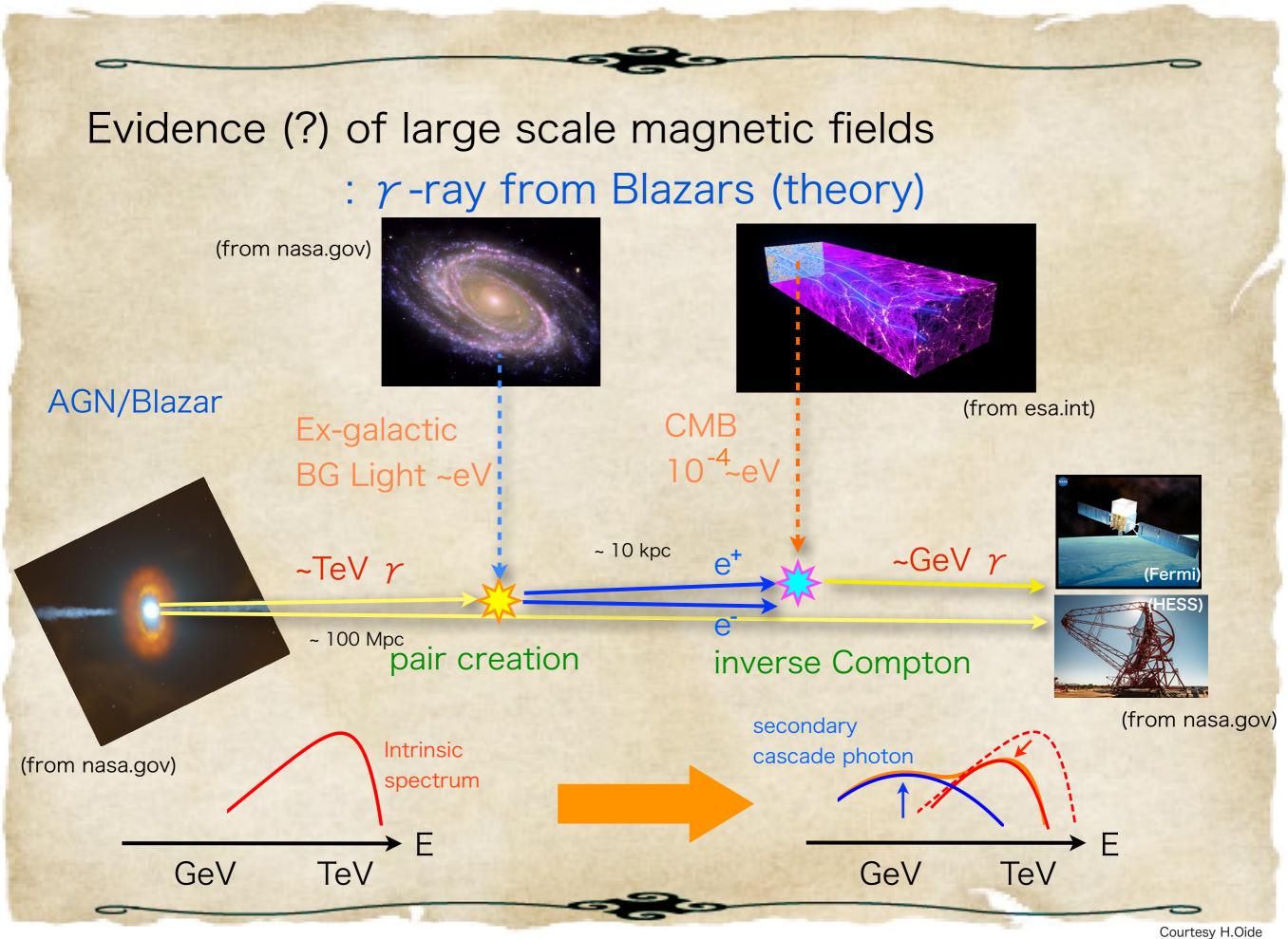


: γ -ray from Blazars (theory)

AGN/Blazar

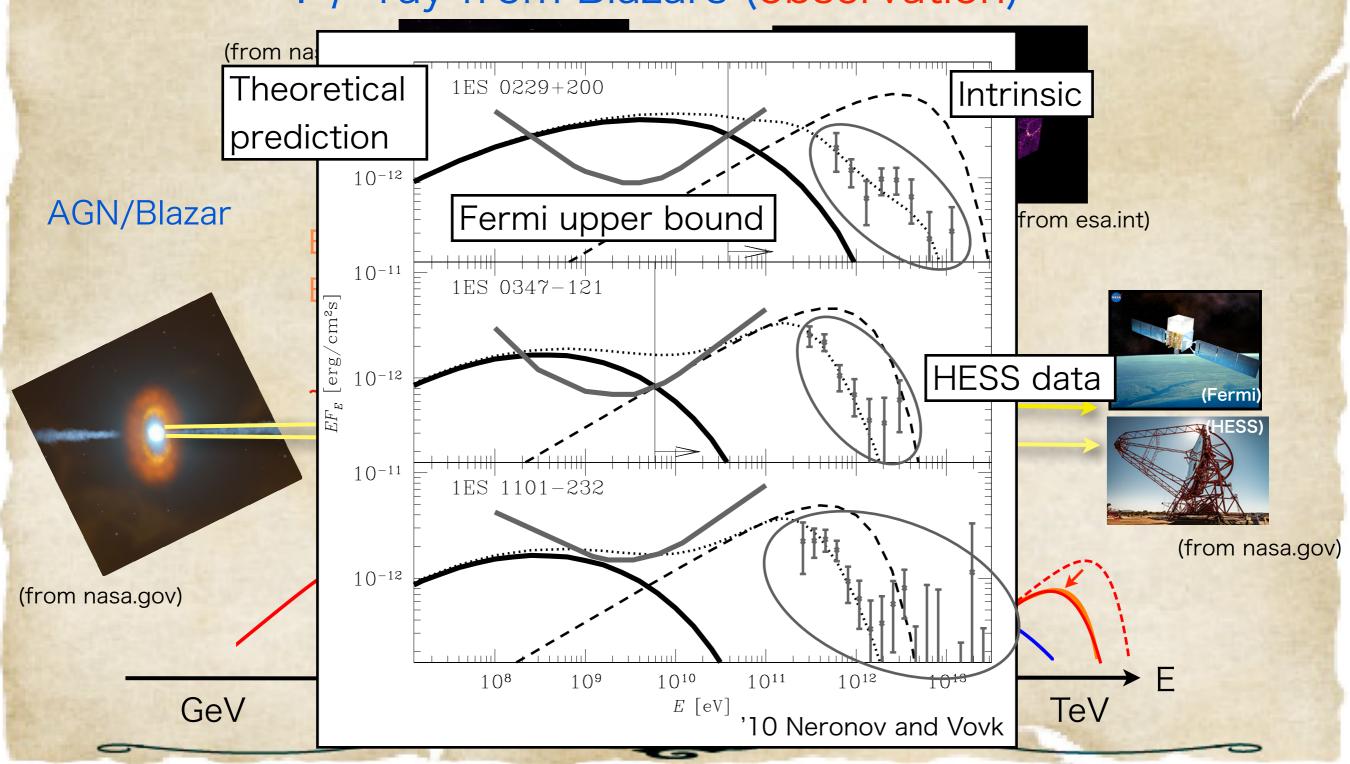






Evidence (?) of large scale magnetic fields

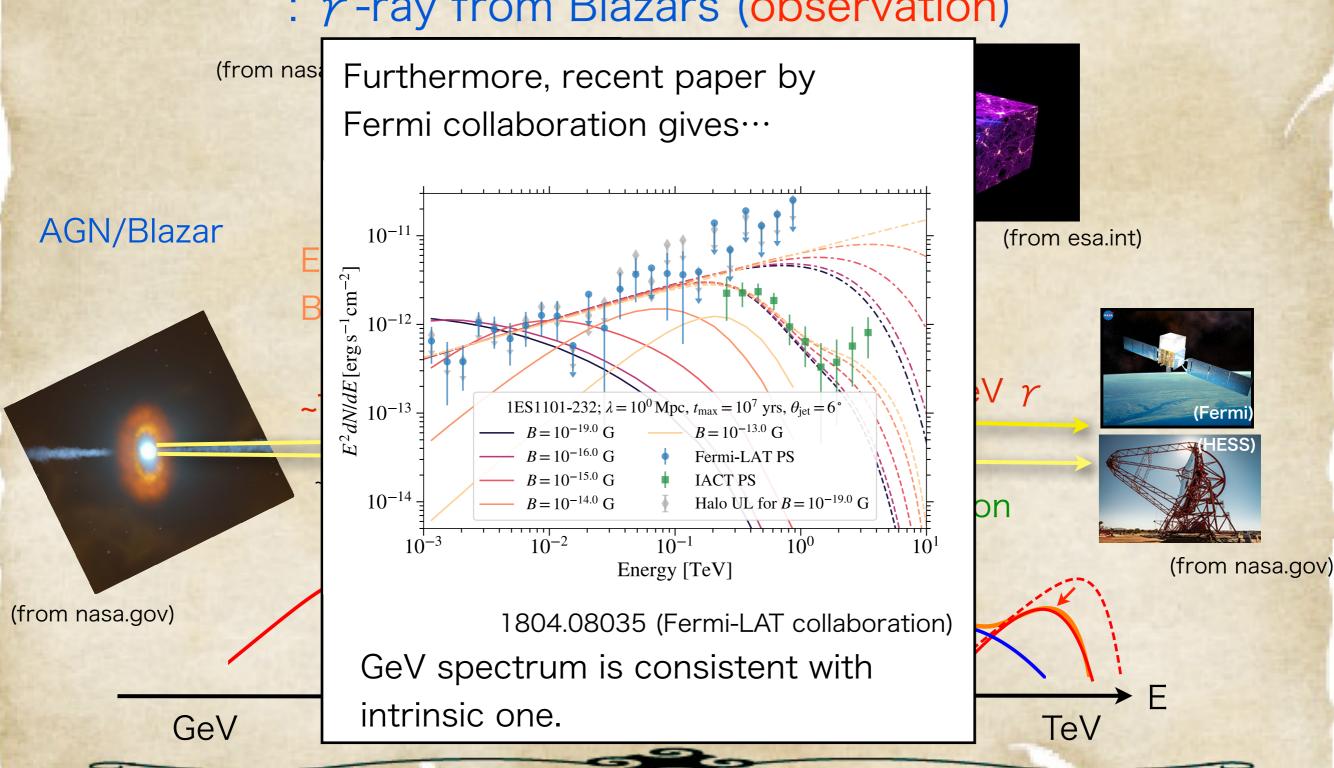
: γ -ray from Blazars (observation)

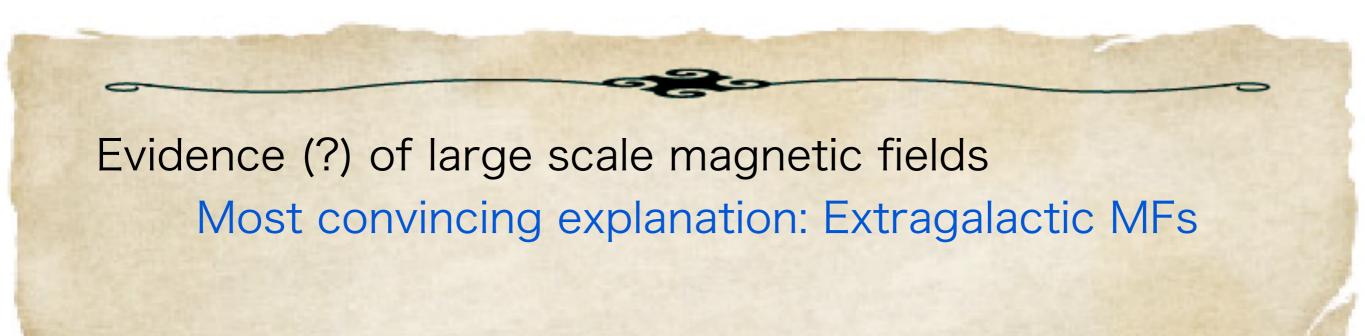


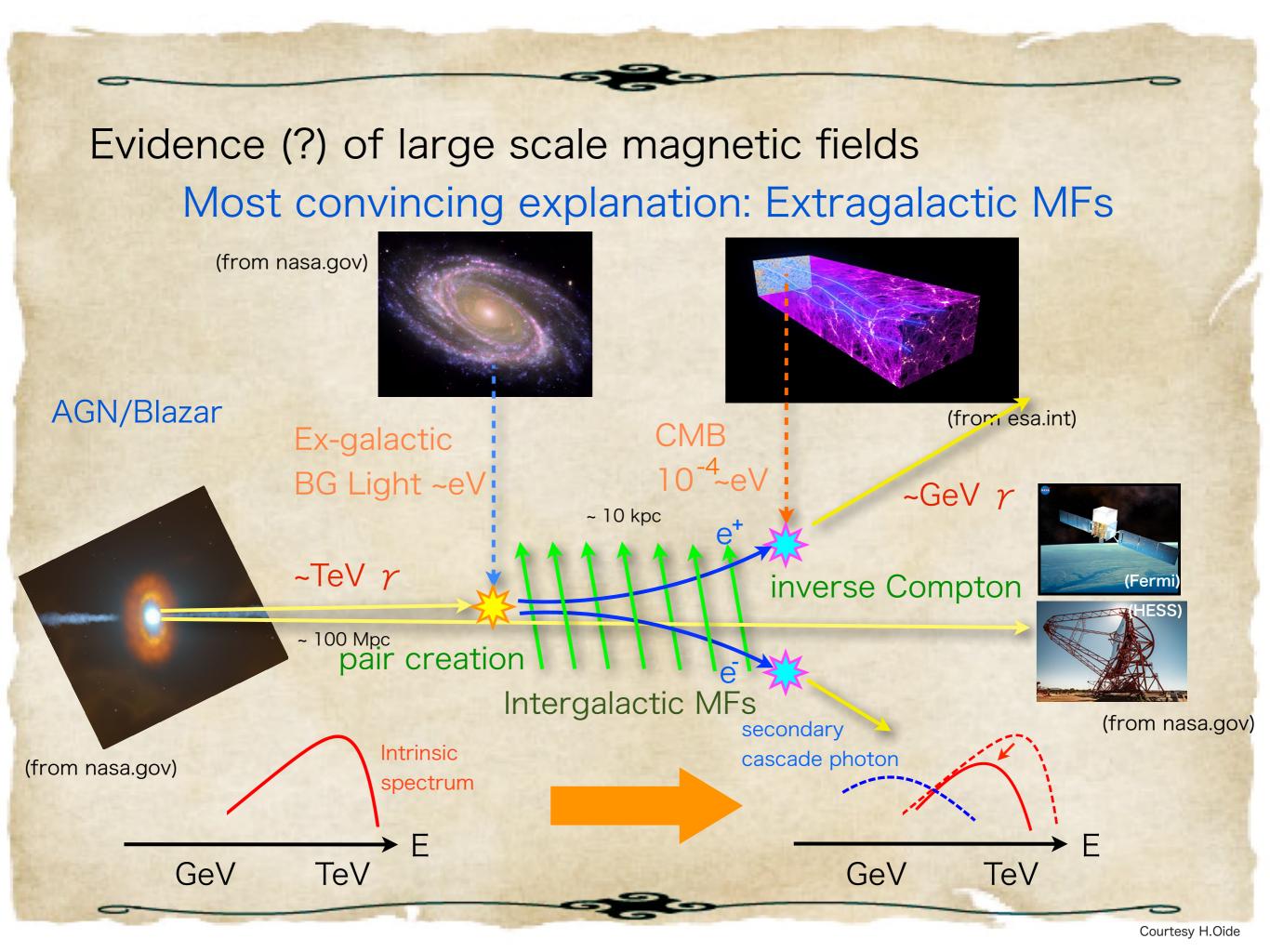
Evidence (?) of large scale magnetic fields : γ -ray from Blazars (observation) (from na: Theoretical 1ES 0229+200 Intrinsic prediction 10^{-12} AGN/Blazar Fermi upper bound from esa.int) 1ES 0347-121 HESS data 10^{-12} (Fermi) Non-detection of GeV (from nasa.gov) 10^{-12} (from nasa.gov) 10^{10} 10^{8} 10^{9} 10^{11} GeV TeV E [eV]'10 Neronov and Vovk

Evidence (?) of intergalactic magnetic fields

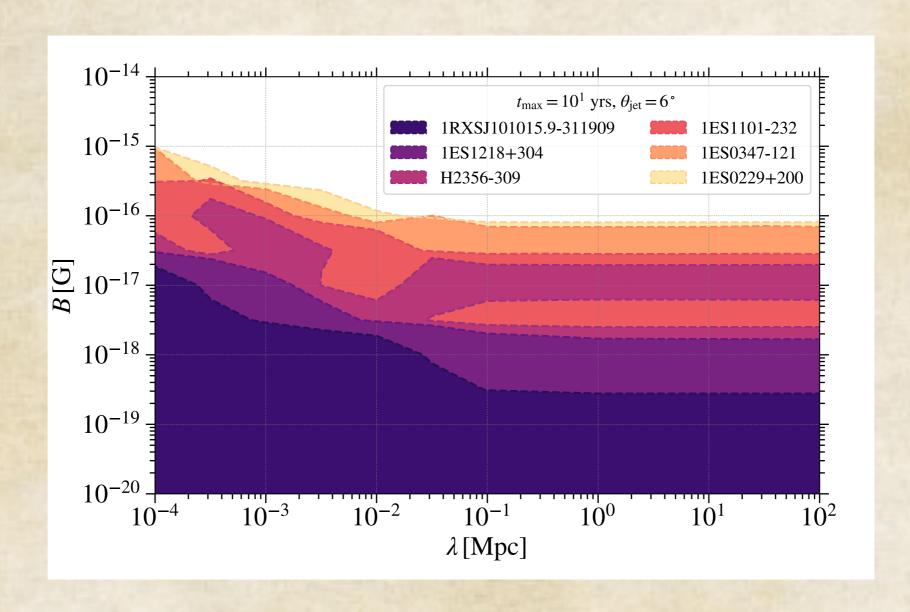
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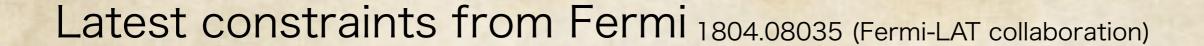




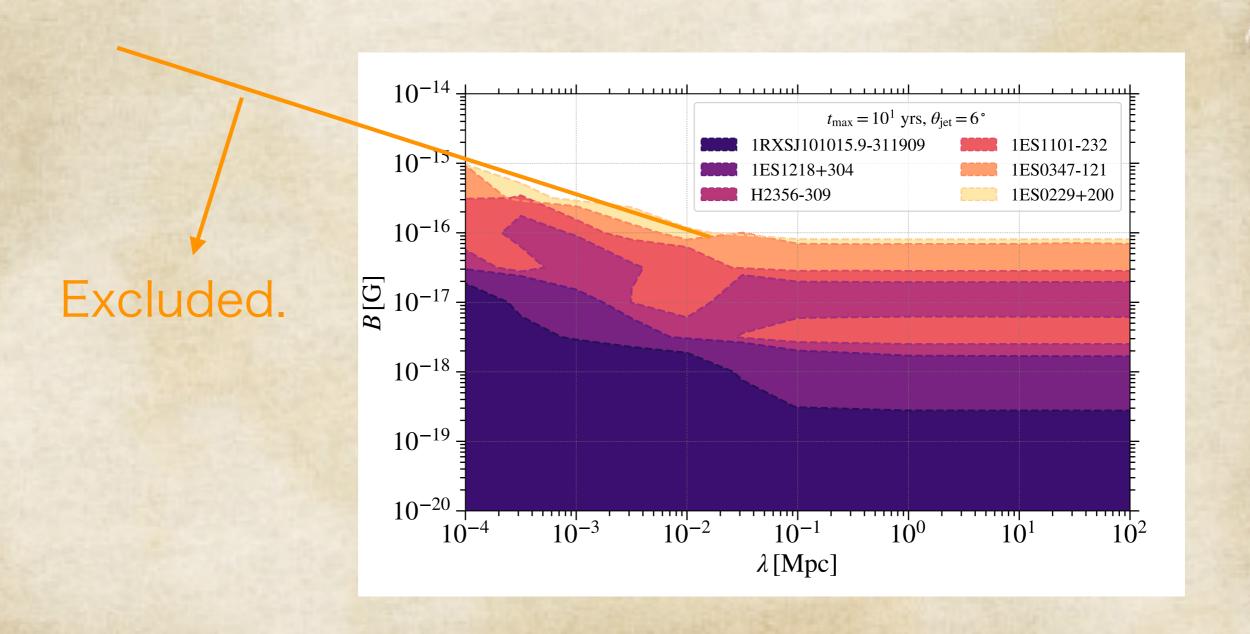


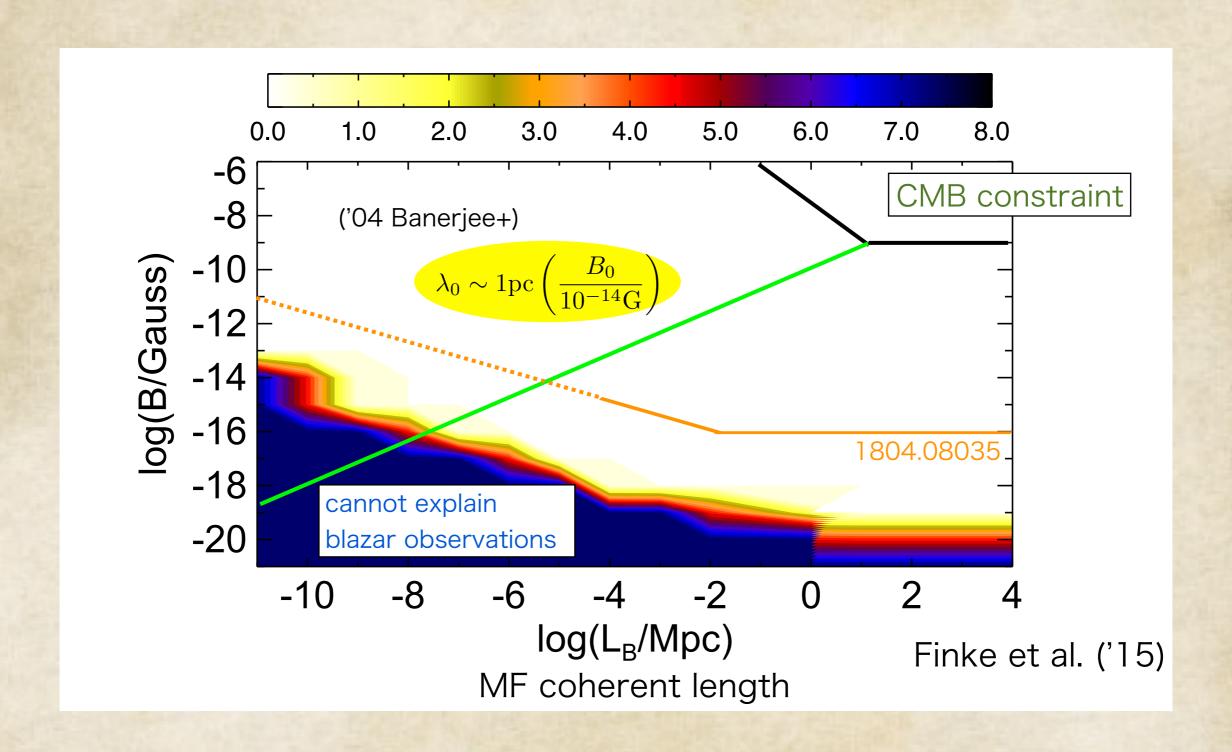


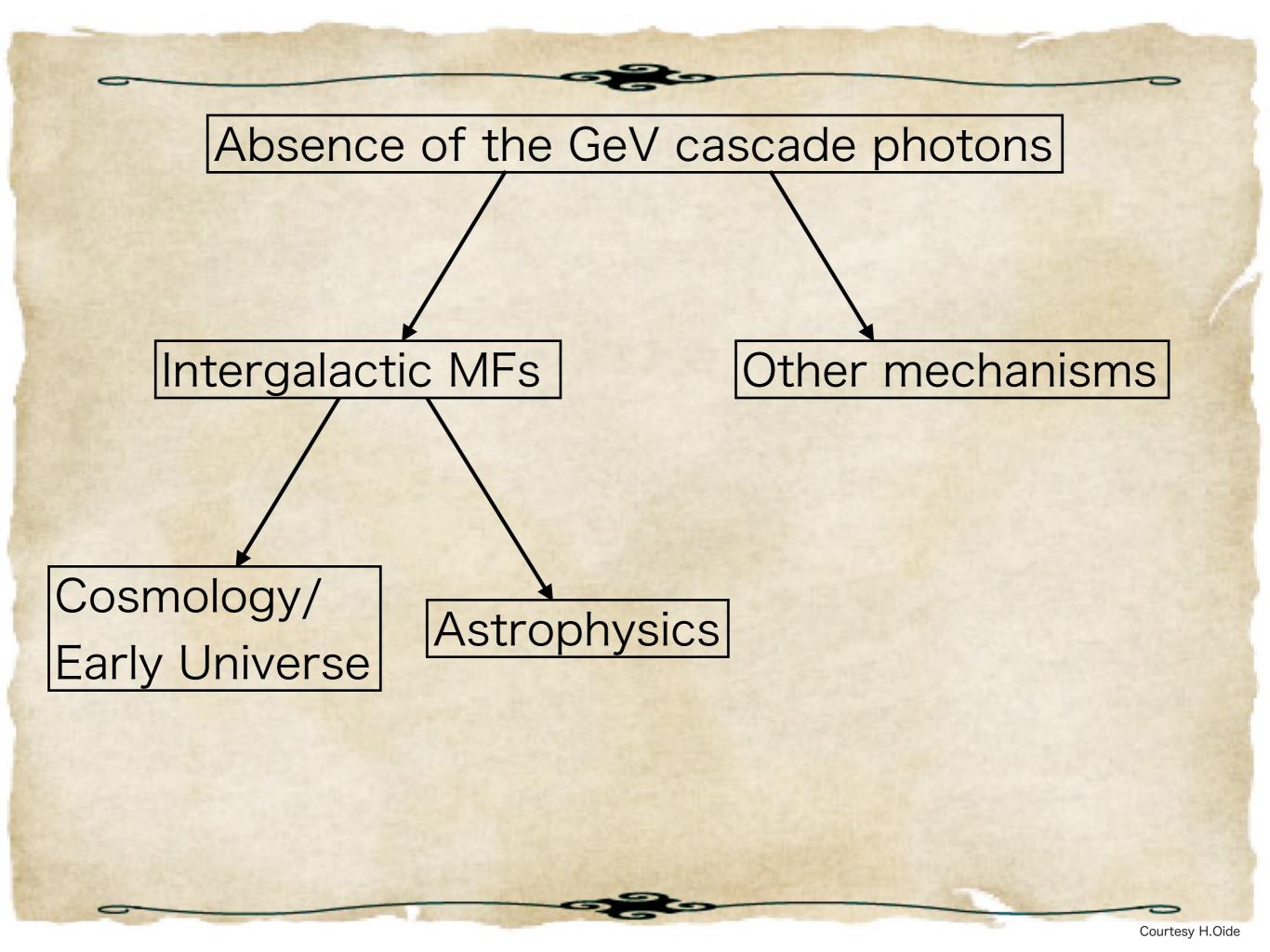


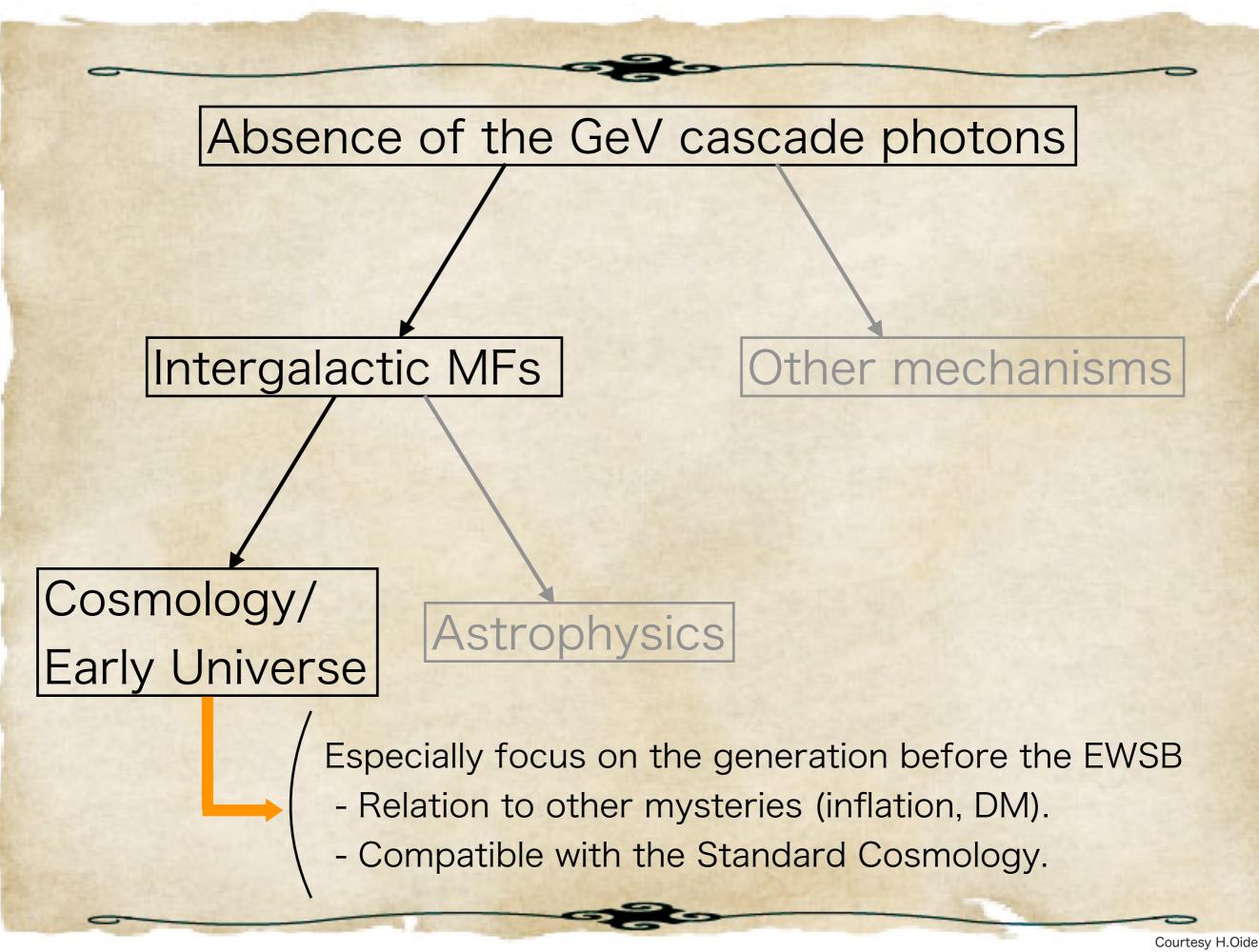


Expected to continue to smaller scales with $B_0 \gtrsim 10^{-16} {
m G} \left(\frac{\lambda_0}{10^{-2} {
m Mpc}} \right)^{-1/2}$











- 1. If helical hyper MFs existed in the early Universe before the Electroweak symmetry breaking, Baryon asymmetry is generated automatically.
- 2. Pseudo scalar dynamics as well as the CME is a good mechanism to produce helical hyper MFs.

Chiral anomaly in the SM breaks B+L

('76 't Hooft)

$$\Delta Q_B = \Delta Q_L = N_g \left(\Delta N_{\rm CS} - \frac{g'^2}{16\pi^2} \Delta \mathcal{H}_Y \right)$$

$$\frac{d}{dt}n_B = \frac{d}{dt}n_L \ni -\frac{g'^2}{16\pi^2}N_g\frac{d}{dt}\left(\frac{H_Y}{V}\right) = \frac{g'^2}{4\pi^2}N_g\mathbf{E} \cdot \mathbf{B}$$

Hypermagnetic helicity decay = baryon & lepton number induction

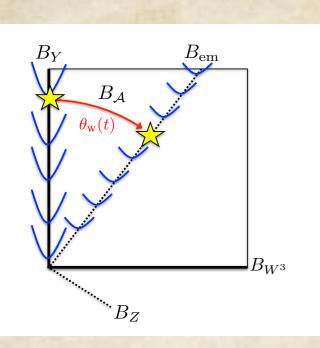
Hypermagnetic helicity decay in the early Universe (BG hyperMFs with large coherence length)

1. MHD diffusion ('98 Givannini&Shaposhnikov, '16 Fujita&KK)

$$rac{dn_B}{dt}
ightarrow \langle m{E} \cdot m{B}
angle = rac{\langle m{B} \cdot (m{
abla} imes m{B})
angle}{\sigma} \simeq rac{B^2}{\lambda \sigma} \quad \sigma \simeq 100T$$

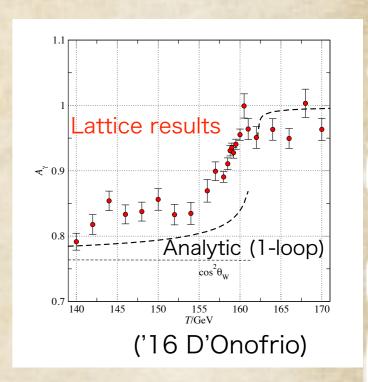
$$\left(m{
abla} imes m{B} = \dot{m{E}} + m{J}, \quad m{J} = \sigma (m{E} + m{v} imes m{B})
ight)$$

2. EWSB ('16 KK&Long)



$$\Delta N_{\rm CS} - \frac{g'^2}{16\pi^2} \Delta H_Y \sim \sin^2 \theta_W H_Y$$

$$\frac{dn_B}{dt} \ni \dot{\theta}_W \sin 2\theta_W \frac{H_Y}{V} \simeq \dot{\theta}_W \sin 2\theta_W \lambda B^2$$



Worry about washout by sphaleron?

Source term washout term

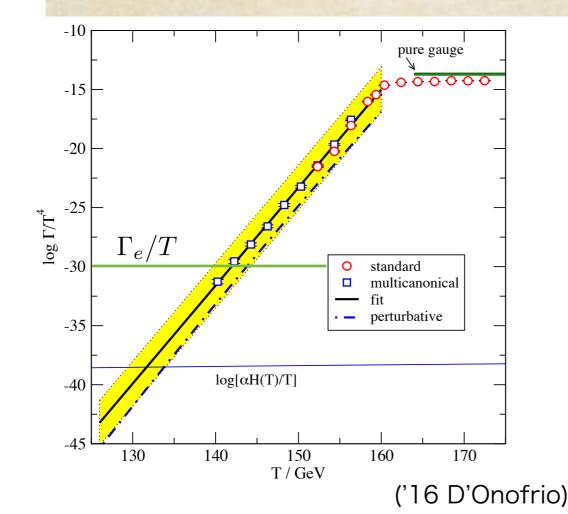
$$\frac{dn_B}{dt} = \left(\# \frac{B^2}{\sigma \lambda} + \# \dot{\theta}_W \lambda B^2 \right) - \Gamma_{\text{w.o.}} n_B$$

MHD decay

EWSB

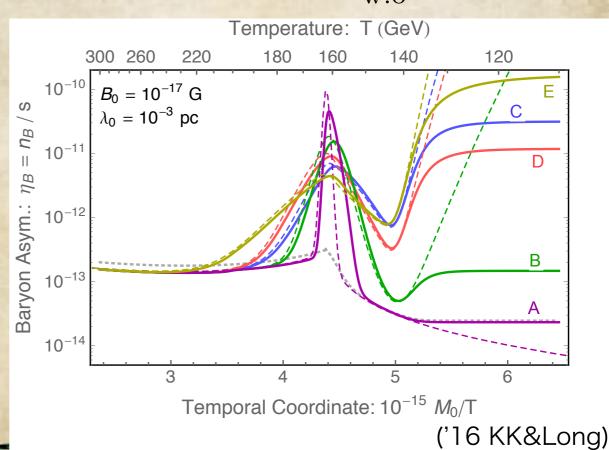
EW sphaleron chirality-flip CME

$$n_B \simeq \frac{\#B^2/\sigma\lambda + \#\dot{\theta}_W\lambda B^2}{\Gamma_{\rm w.o}}$$



onical

180





Resultant final baryon asymmetry

$$\left. \frac{n_B}{s} \right|_{\text{today}} \simeq \left. \frac{\text{Hyperhelicity decay}}{\text{Washout effect}} \right|_{T \simeq 135 \text{GeV}} = \frac{17}{37} \left[(g^2 + g'^2) \frac{f(T)S(T)}{\gamma_{\text{sph}}} \right]_{T \sim 135 \text{GeV}}$$

$$f(T) \equiv -T \frac{d\theta_{\rm W}}{dT} \sin(2\theta_{\rm W}(T))$$
 $S(T) \equiv \frac{H}{sT} \frac{\lambda_p(T)B_p(T)}{16\pi^3}$

$$\gamma_{\rm sph} = \exp\left[-145 + 0.8\left(\frac{T}{\rm GeV}\right)\right]$$

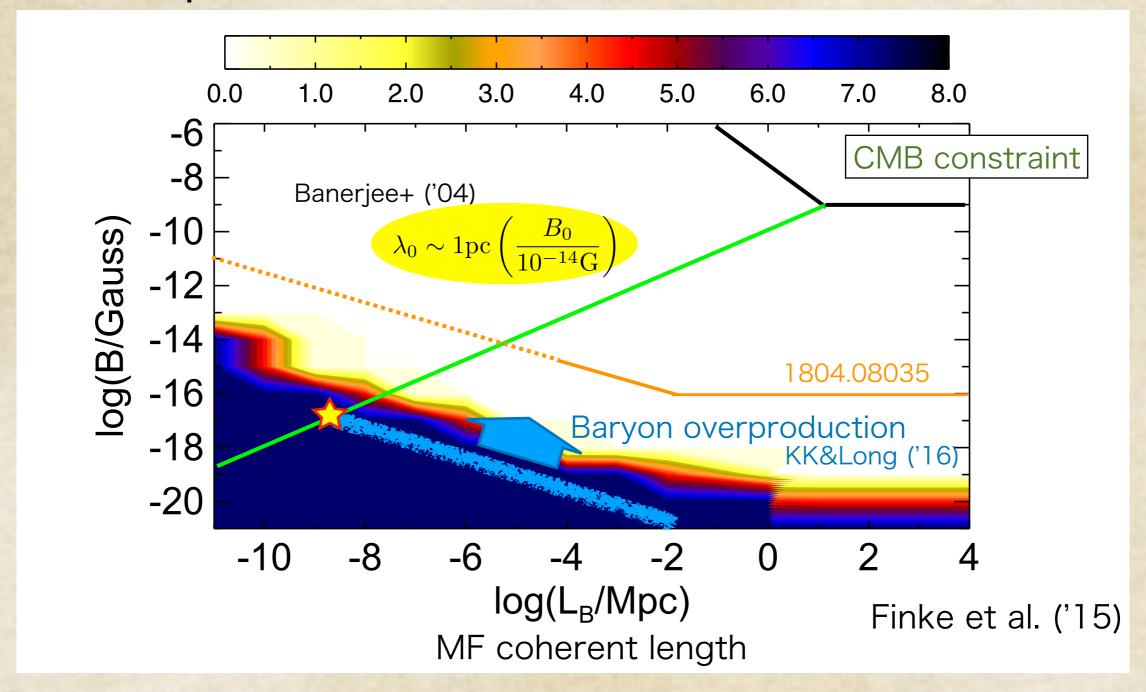
$$\eta_B \simeq 10^{-10} f(\theta_W, T \sim 135 \text{GeV}) \left(\frac{\lambda_{\text{EW}}}{10^6 \text{GeV}^{-1}}\right) \left(\frac{B_{\text{EW}}}{10^{-3} \text{GeV}^2}\right)^2$$

('16 KK&Long)

Corresponds to the intergalactic magnetic field properties:

$$\lambda_0 = 10^{-3 \sim 2} \text{pc}, \quad B_0 \simeq 10^{-16 \sim 17} \text{G}$$

In the B_0 - λ_0 plane...



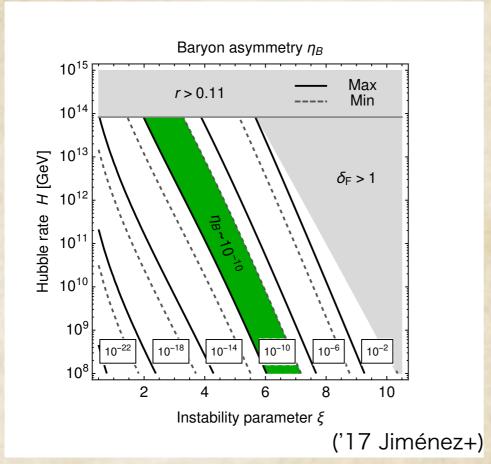
in the case magnetic fields are maximally helical.

Magnetogenesis models

1. pseudoscalar inflation ('06 Anber+, and many others including '17 Jimenez, KK, Schmitz, Xu)

$$\frac{\phi}{f}Y_{\mu\nu}\tilde{Y}^{\mu\nu} \qquad \qquad \left[\frac{\partial^2}{\partial \tau^2} + k^2 \left(1 \pm \frac{4\dot{\phi}/(Hf)}{k\tau}\right)\right]Y_{\pm} = 0.$$

One polarization mode feels instability => maximally helical MFs

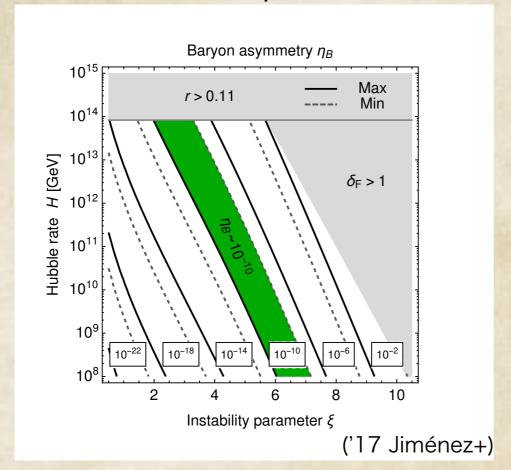


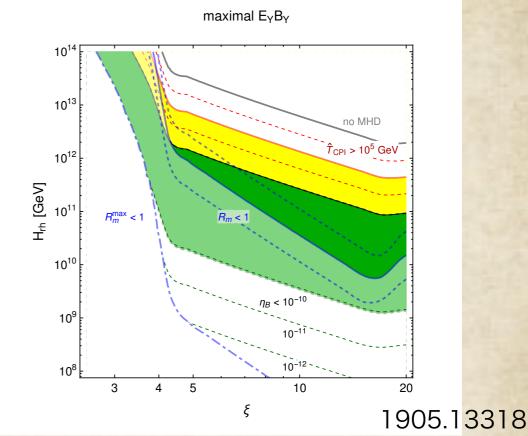
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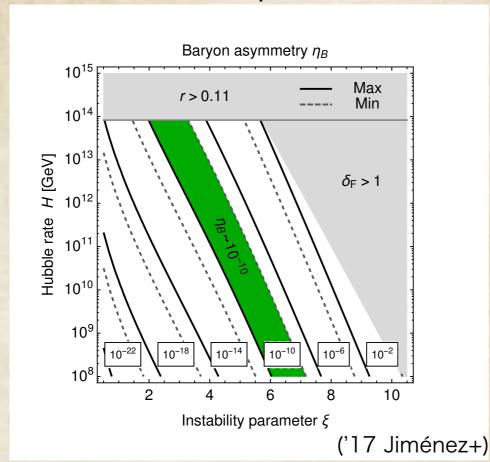
(Today's paper by Domcke, Harling, Morgante, & Mukaida)

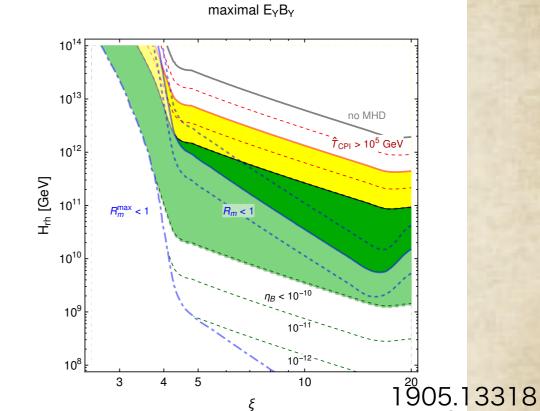
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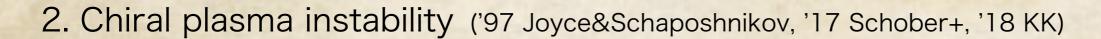
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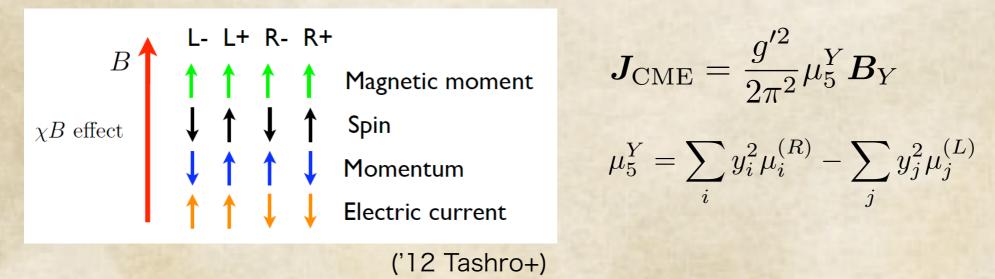


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Phase of the Affleck Dine field can also have such an anomalous coupling
('19 KK & Shin)



Chiral Magnetic Effect ('80 Vilenkin, '08 Fukushima, Kharzéev&Warringa, and more…)



$$J_{\text{CME}} = \frac{g'^2}{2\pi^2} \mu_5^Y \boldsymbol{B}_Y$$

$$\mu_5^Y = \sum_i y_i^2 \mu_i^{(R)} - \sum_j y_j^2 \mu_j^{(L)}$$

$$\mu_5 \leftrightarrow \frac{\dot{\theta}}{f}$$

$$\frac{d\boldsymbol{B}}{d\tau} = -\boldsymbol{\nabla} \times \boldsymbol{E}, \quad \boldsymbol{\nabla} \times \boldsymbol{B} = \boldsymbol{J}, \quad \boldsymbol{J} = \sigma(\boldsymbol{E} + \boldsymbol{v} \times \boldsymbol{B}) + \frac{2\alpha}{\pi} \mu_5 \boldsymbol{B}$$

$$\downarrow \quad \uparrow \quad \uparrow \quad \uparrow \quad \uparrow \quad \mathsf{Spin} \qquad \frac{\alpha_Y}{\pi} \mu_5^Y \boldsymbol{\nabla} \times \boldsymbol{B}_Y \right) + \boldsymbol{\nabla} \times (\boldsymbol{v} \times \boldsymbol{B}_Y)$$

$$\uparrow \quad \uparrow \quad \downarrow \quad \mathsf{Momentum}$$

$$\downarrow \quad \uparrow \quad \uparrow \quad \downarrow \quad \mathsf{Electric current}$$

$$\Rightarrow \text{ feels instability} \Rightarrow \text{maximally helical MFs}$$

$$rac{lpha_Y}{\pi} \mu_5^Y oldsymbol{
abla} imes oldsymbol{B}_Y igg) + oldsymbol{
abla} imes (oldsymbol{v} imes oldsymbol{B}_Y)$$



Summary

- Baryon asymmetry is generated from decaying hypermagnetic helicity through the chiral anomaly. No BSM ingredient!
- B-violation: chiral anomaly/ C&CP-violation: hypermagnetic helicity Out of equilibrium: Decay of hypermagnetic helicity/EWSB
- Present B-asymmetry is explained for $B_0 \simeq 10^{-16 \sim 17} {\rm G}$ $\lambda_0 \simeq 10^{-2 \sim 3} {\rm pc}$ with positive maximally helical MFs.
- Anomalous coupling of the pseudo scalar including inflaton and AD field as well as the chiral magnetic effect can generate helical magnetic fields.
- It will be interesting to explore other magnetogenesis mechanisms.