

Constraining primordial black holes with microlensing

Masahiro Takada (Kavli IPMU)

Based on Niikura, MT, Yasuda, et al. Nature Astron. 2019

Niikura, MT, et al. PRD 2019



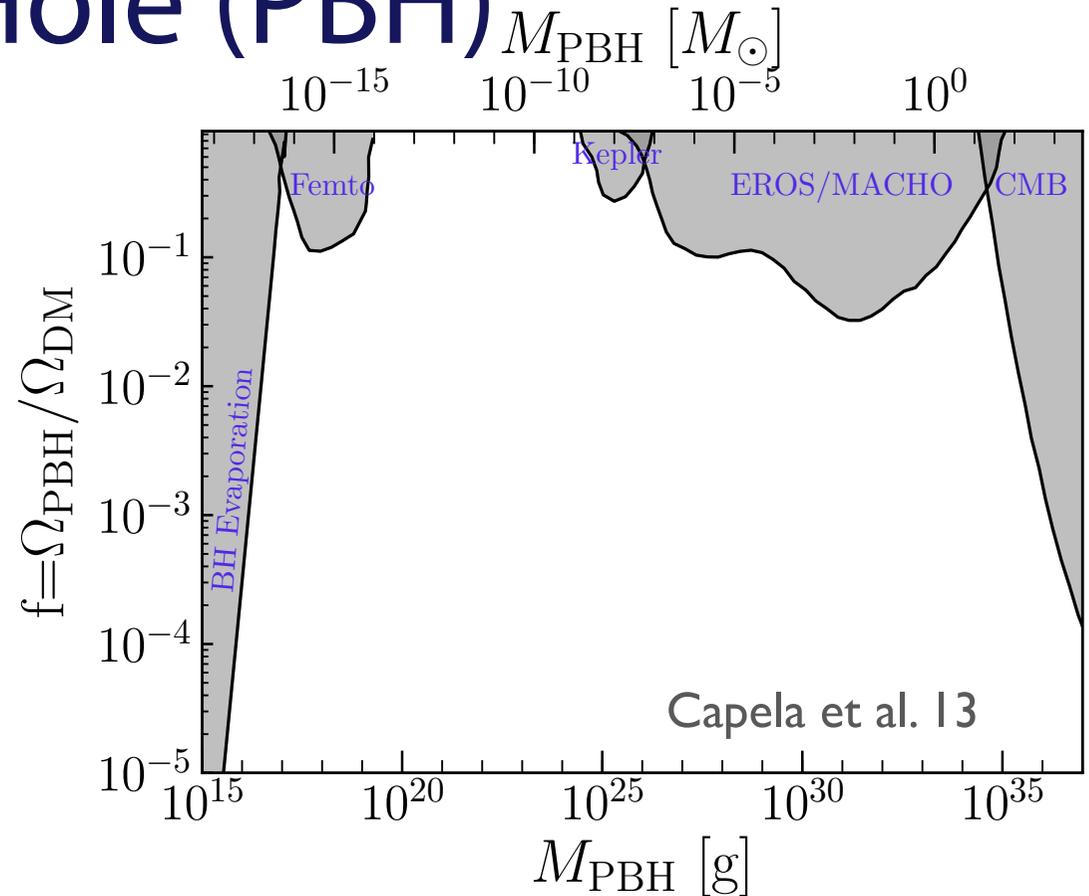
東京大学
THE UNIVERSITY OF TOKYO



@ Kavli IPMU, 2019

Primordial Black Hole (PBH) $M_{\text{PBH}} [M_{\odot}]$

- Can be formed in the early universe (Hawking 1971); not from any astrophysical processes)
- One of viable candidates of CDM
- Progenitor of LIGO GW binary BHs? (Sasaki, Suyama, Tanaka & Yokoyama, PRL 2016; Bird et al. 16)



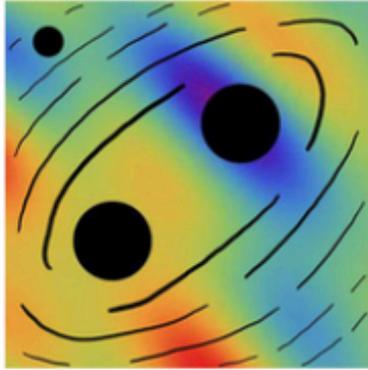
$$M_{\text{PBH}} \sim 10^{24} \text{g} \sim M_H @ T \sim 10 \text{ TeV}$$

Editors' Suggestion

Primordial Black Hole Scenario for the Gravitational-Wave Event GW150914

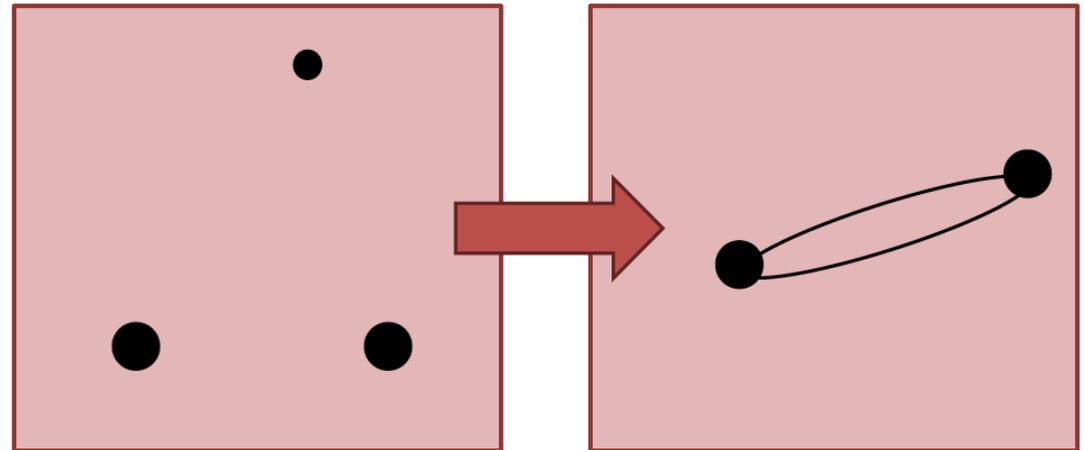
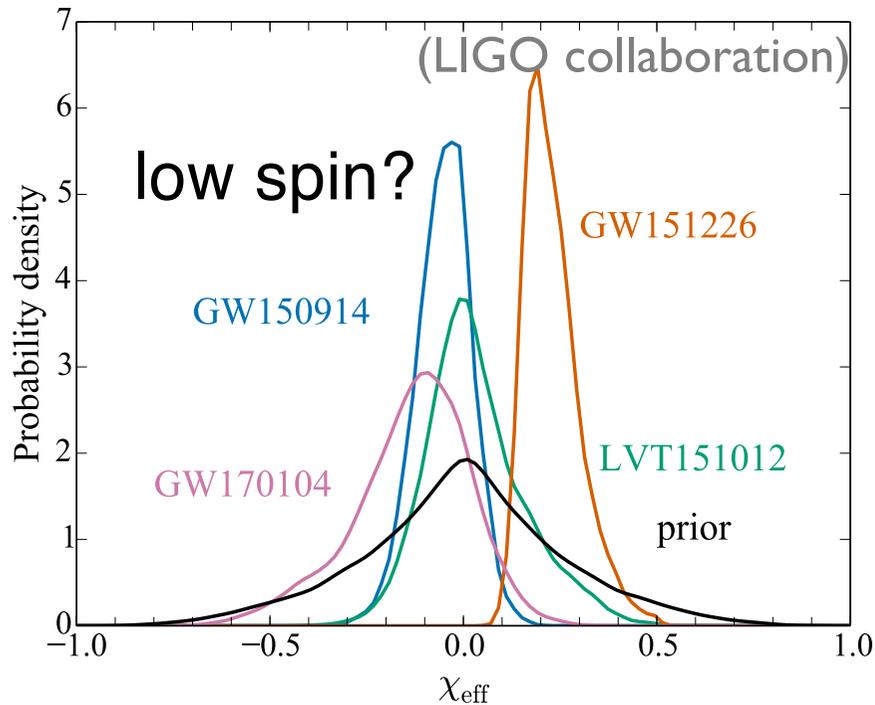
Misao Sasaki, Teruaki Suyama, Takahiro Tanaka, and Shuichiro Yokoyama

Phys. Rev. Lett. **117**, 061101 (2016) – Published 2 August 2016



A theoretical analysis examines the possibility that the gravitational wave signal (GW150914) detected by LIGO was due to the coalescence of primordial black holes created by the extremely dense matter present in the early Universe.

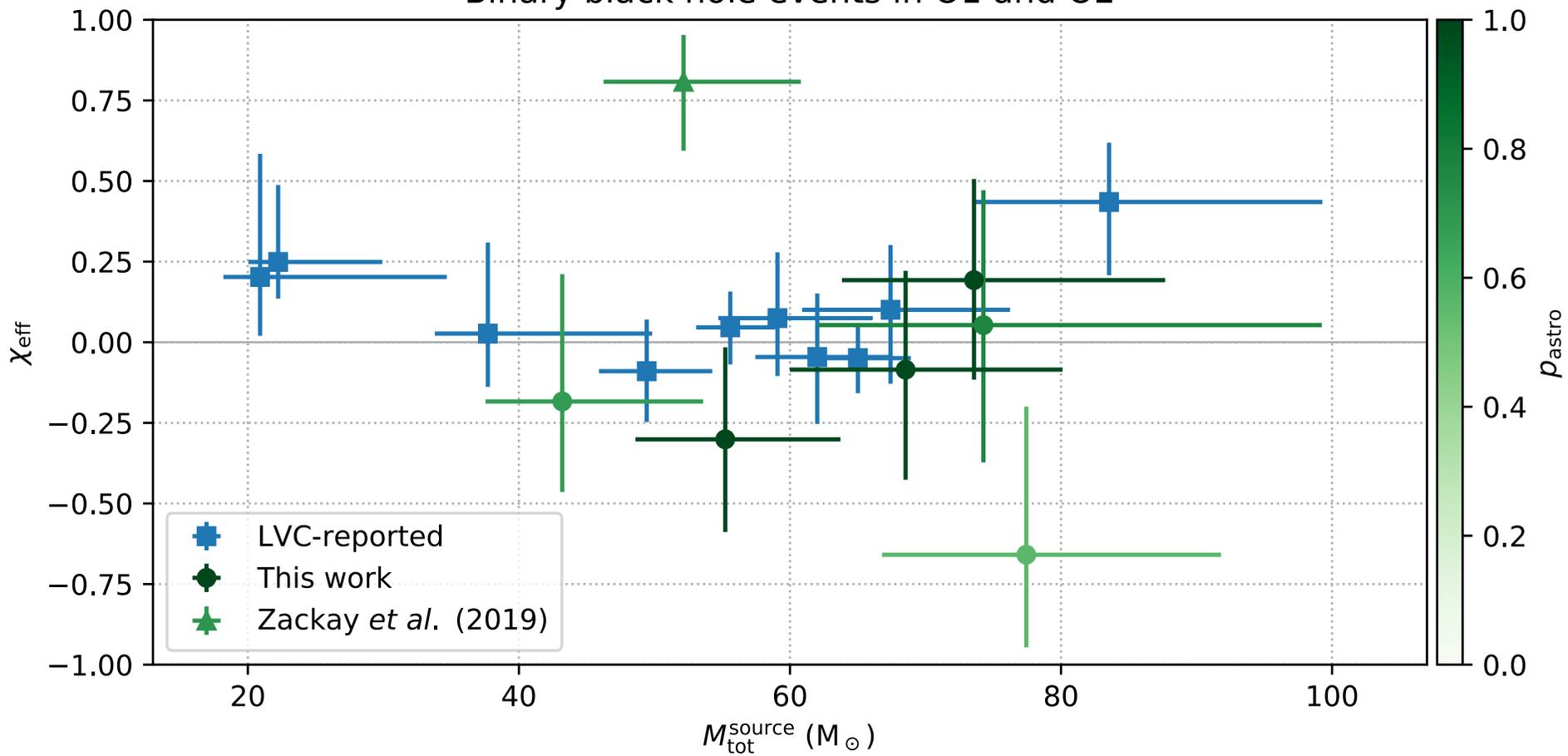
[Show Abstract +](#)



$$f_{\text{PBH/DM}} \sim 10^{-2} - 10^{-3}$$

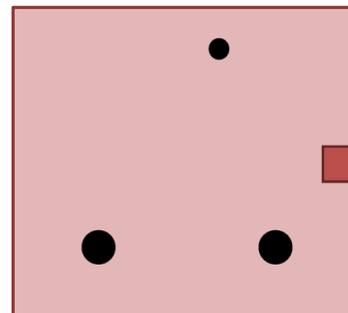
needed to explain the LIGO event rate

Binary black hole events in O1 and O2



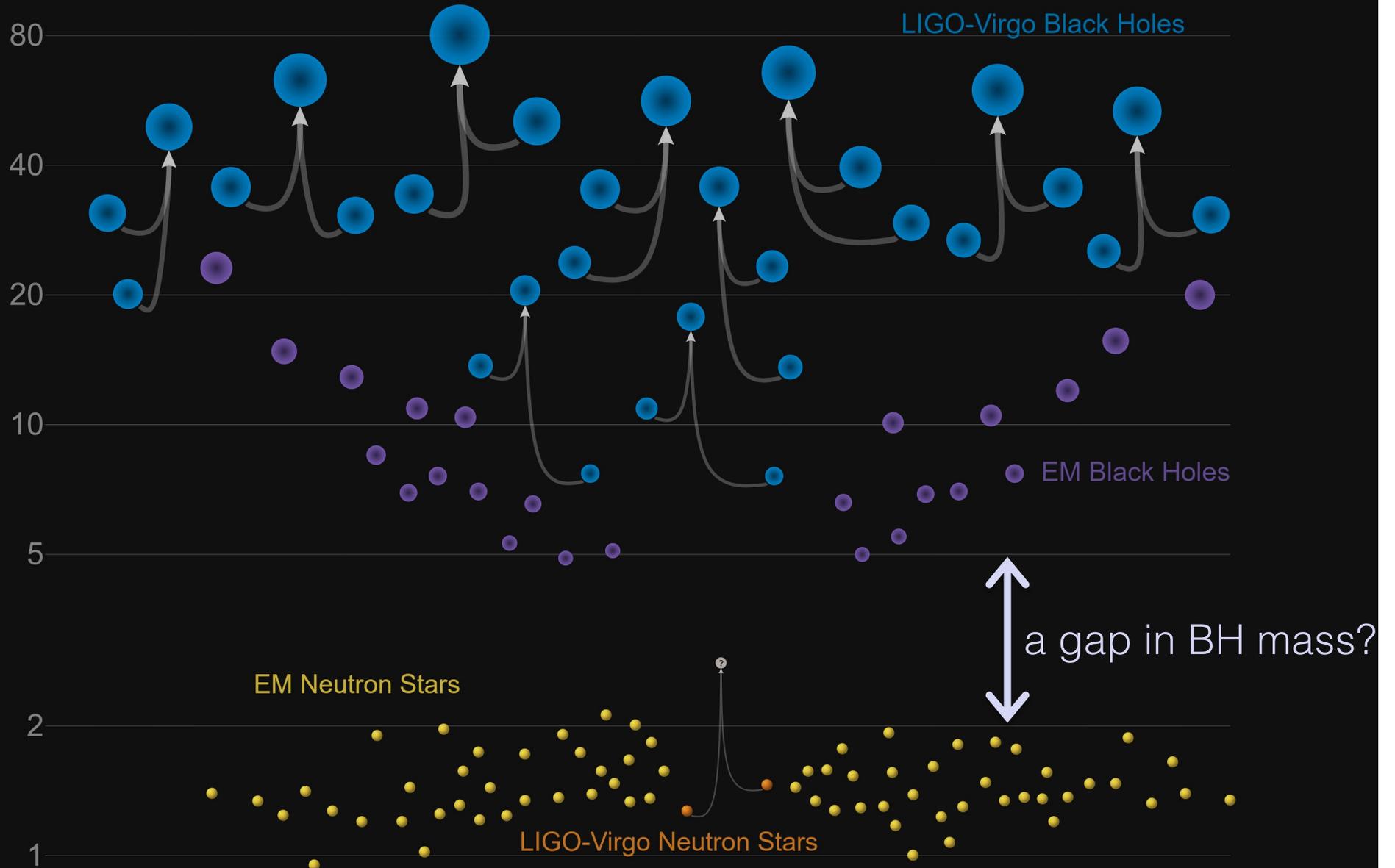
binary star sys. origin $\chi_{\text{eff}} \sim +1$

PBH star cluster (merger) $\chi_{\text{eff}} \sim 0$



Masses in the Stellar Graveyard

in Solar Masses



From LIGO website

PBH formation

- PBH can be formed by the gravitational collapse of the Hubble patch in the radiation dominated era, if a large overdensity of $\delta \sim O(0.1)$ is injected in the patch (Hawking 71)

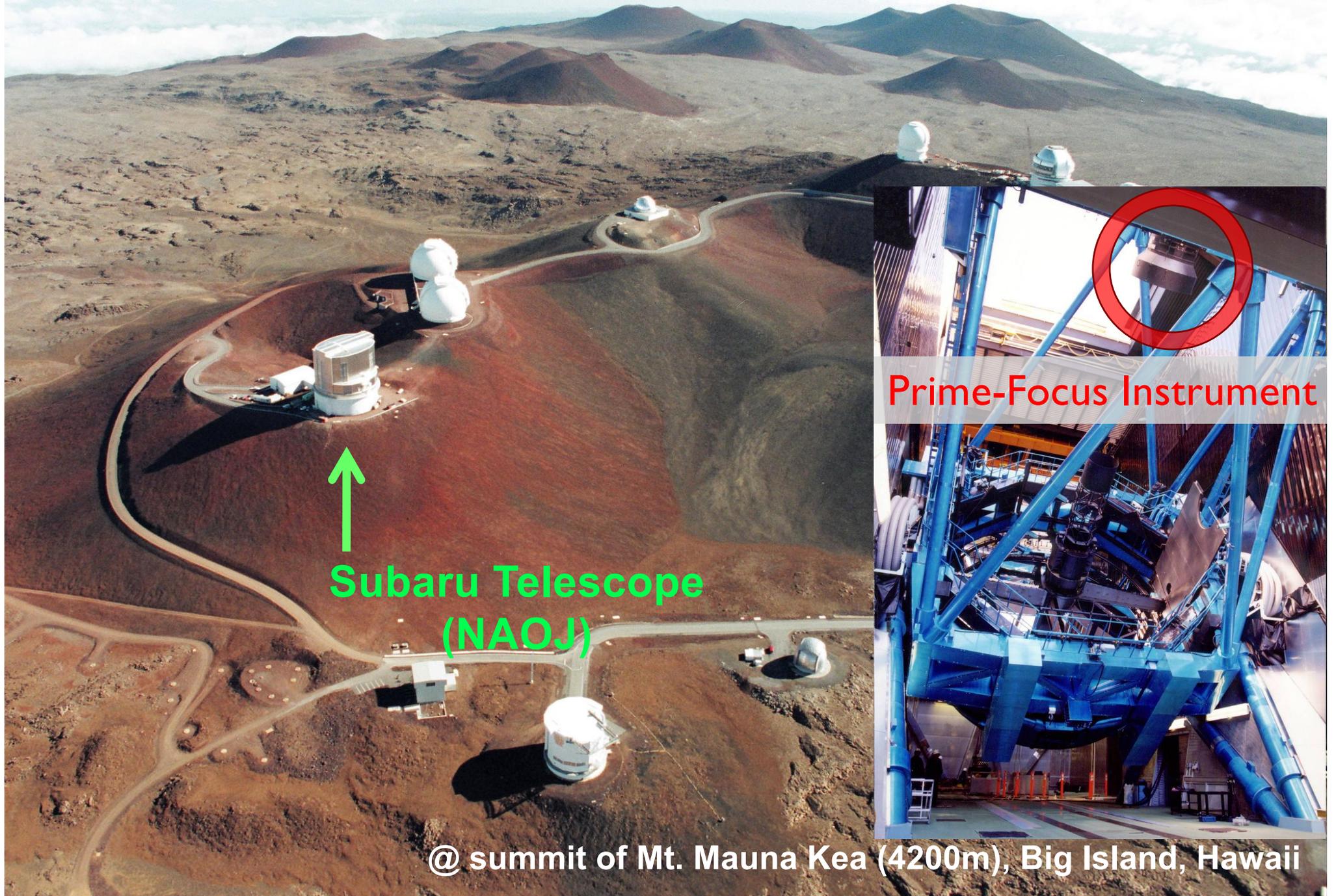
$$\left(\frac{\dot{R}(t)}{R(t)} \right)^2 = \frac{8\pi G}{3} \bar{\rho}_r (1 + \delta_r) - \frac{k}{R^2}$$

- PBHs can contribute DM, by a fraction given as

$$\frac{\Omega_{\text{PBH}}(M_{\text{PBH}})}{\Omega_{\text{DM}}} \sim \left(\frac{\beta(M_{\text{PBH}})}{6 \times 10^{-14}} \right) \left(\frac{100}{g} \right)^{1/4} \left(\frac{0.12}{\Omega_{\text{DM}} h^2} \right) \left(\frac{M_{\text{PBH}}}{10^{-10} M_{\odot}} \right)^{-1/2}$$

$$\beta(M_{\text{PBH}}(k)) = \int_{O(1)}^{\infty} d\delta \frac{1}{\sqrt{2\pi}\sigma(k)} e^{-\frac{\delta^2}{2\sigma(k)^2}}$$

Subaru Telescope

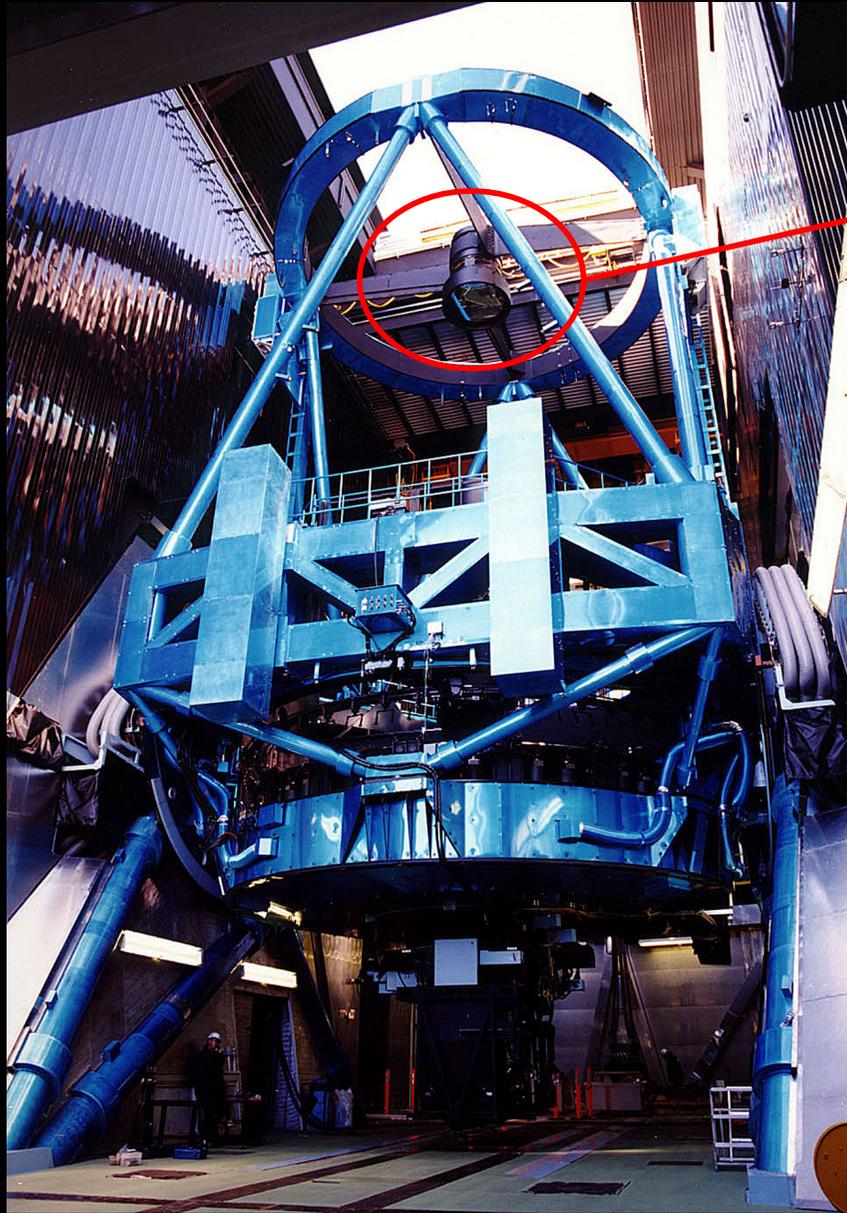


↑
Subaru Telescope
(NAOJ)

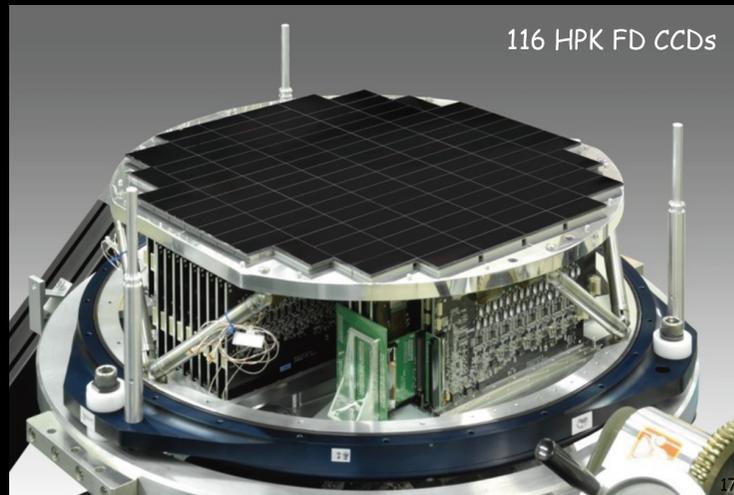
Prime-Focus Instrument

@ summit of Mt. Mauna Kea (4200m), Big Island, Hawaii

Hyper Suprime-Cam

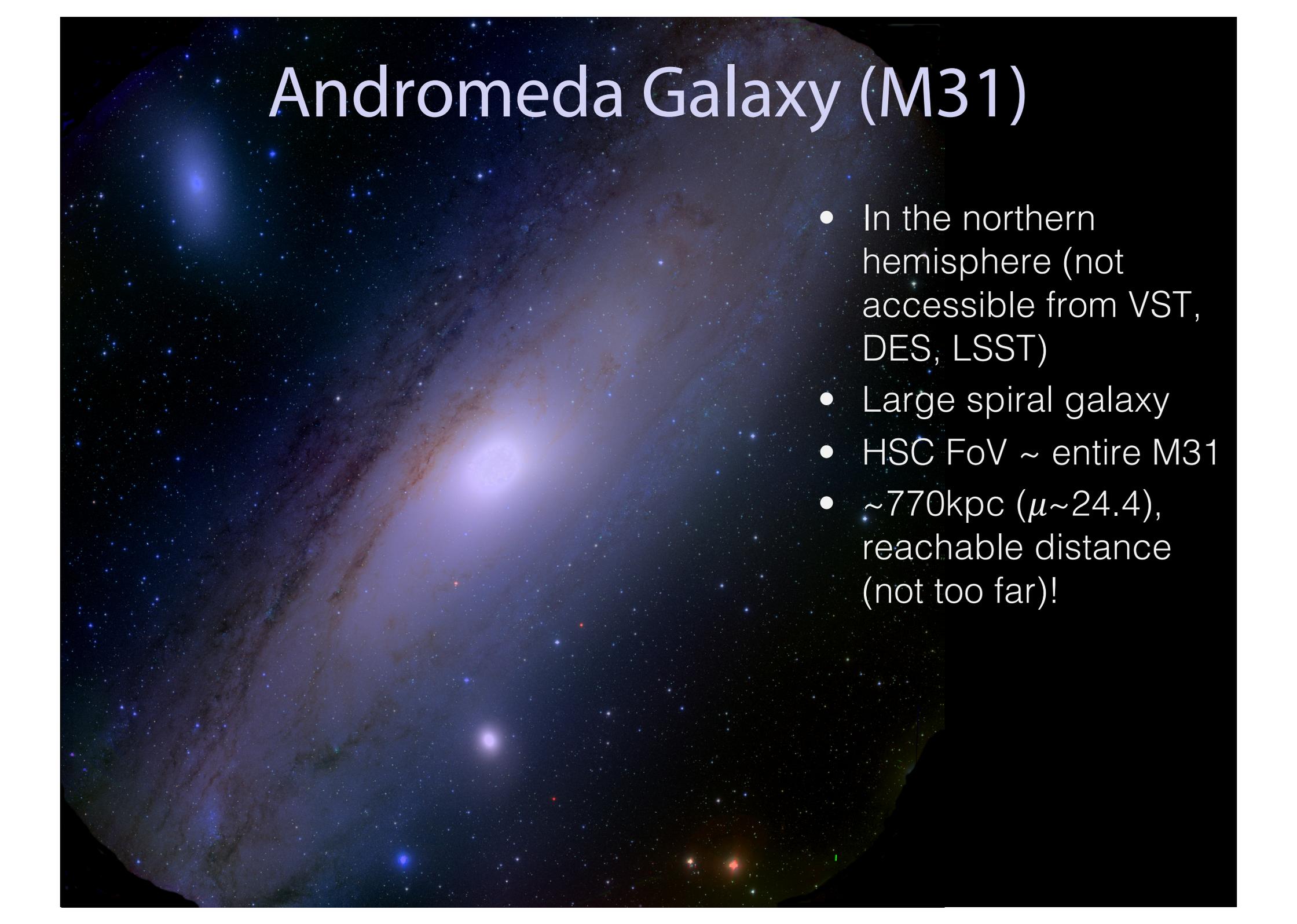


- largest camera
- 3m high
- weigh 3 ton
- 104 CCDs
(~0.9B pixels)





Andromeda Galaxy (M31)



- In the northern hemisphere (not accessible from VST, DES, LSST)
- Large spiral galaxy
- HSC FoV ~ entire M31
- $\sim 770\text{kpc}$ ($\mu \sim 24.4$), reachable distance (not too far)!

probing PBHs with lensing

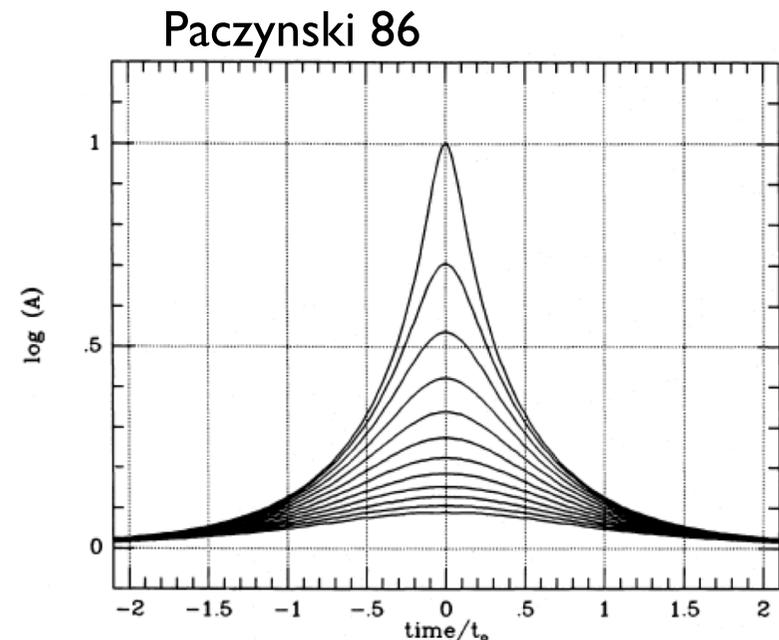
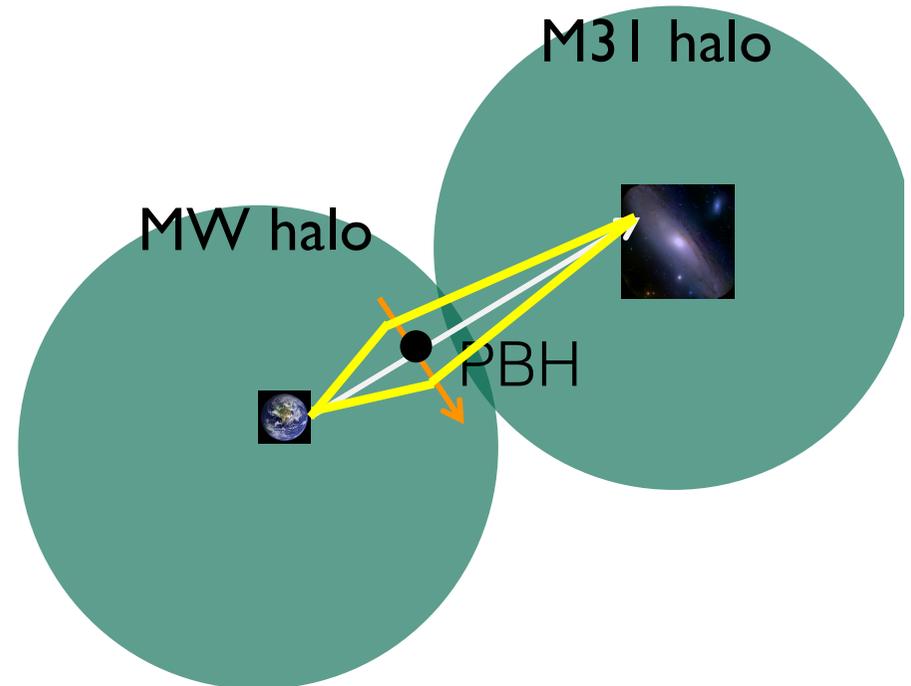
A grid of astronomical images showing a bright star being lensed by a dark object, likely a black hole, with a grid overlay.

- If PBHs are (a part of) dark matter, they should exist in between the Earth and M31 (huge volume!)
- PBHs cause microlensing magnification on stars in M31
- Lensing can probe invisible
- HSC can monitor all stars in the bulge and disk regions of M31

PBH microlensing on M31 star

- Lensed image can't be resolved with optical resolution ($\sim 10^{-8}$ arcsec) \Rightarrow only light curve is a signal
- Huge volume
- MW/M31 halo $\sim 10^{12} M_{\text{sun}}$ (we assumed NFW models)
- PBH has a peculiar velocity of $\sim 200 \text{ km/s}$
- Need to **monitor** brightness of the same star as a function of **"time"** (time domain astronomy)

$$R_E = \sqrt{\frac{4\pi G M_{\text{PBH}} d (1 - d/d_s)}{c^2}}$$

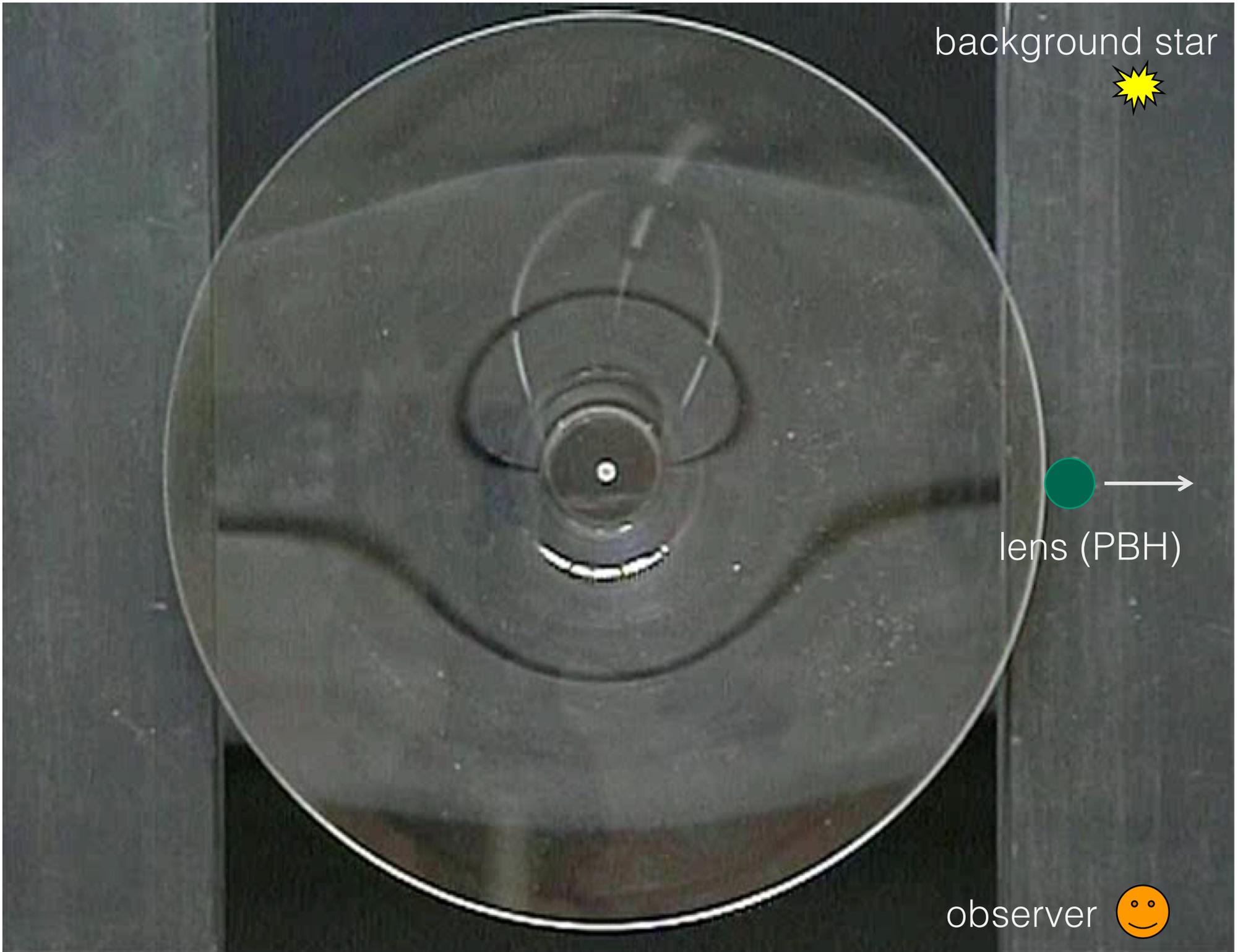


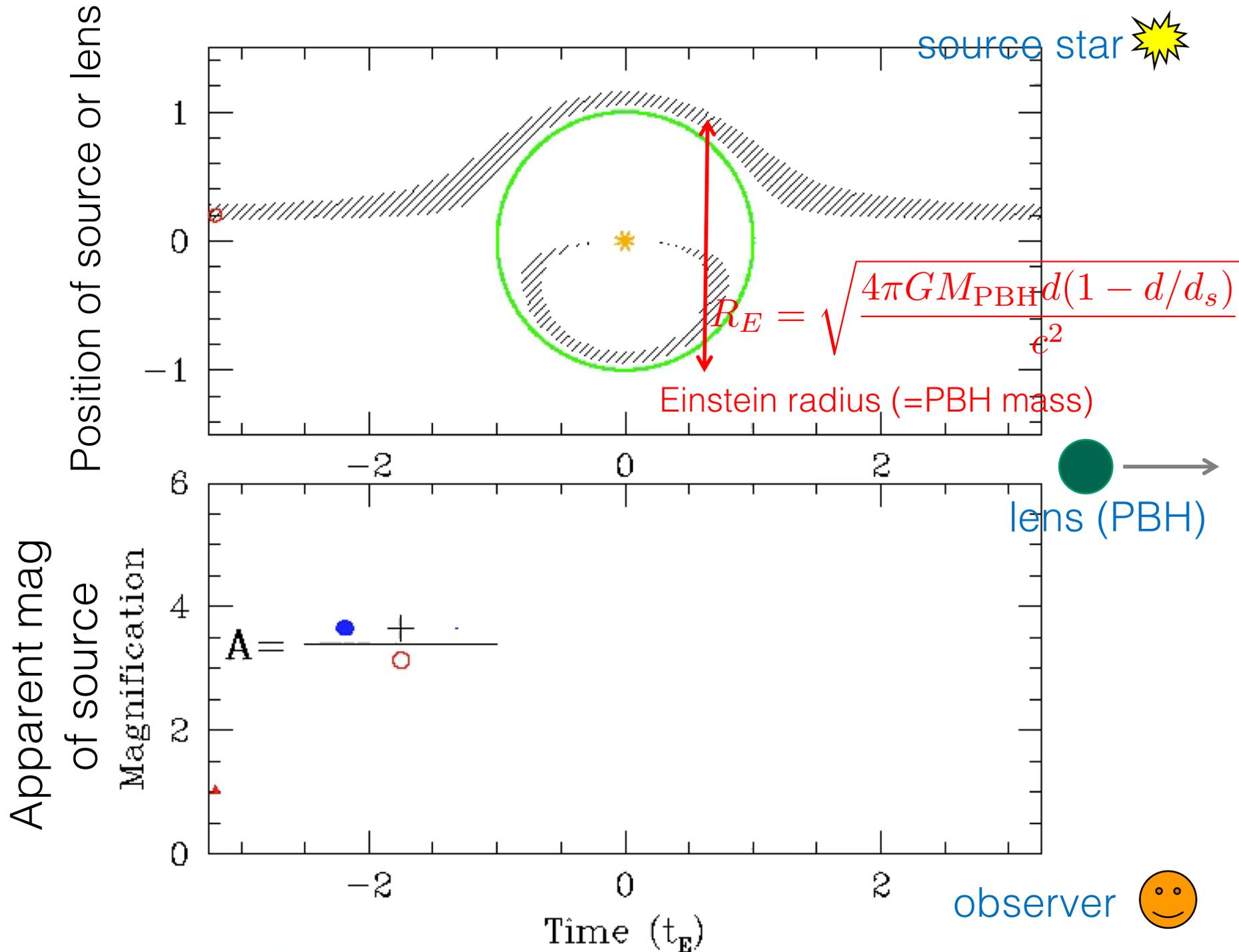
background star



lens (PBH)

observer

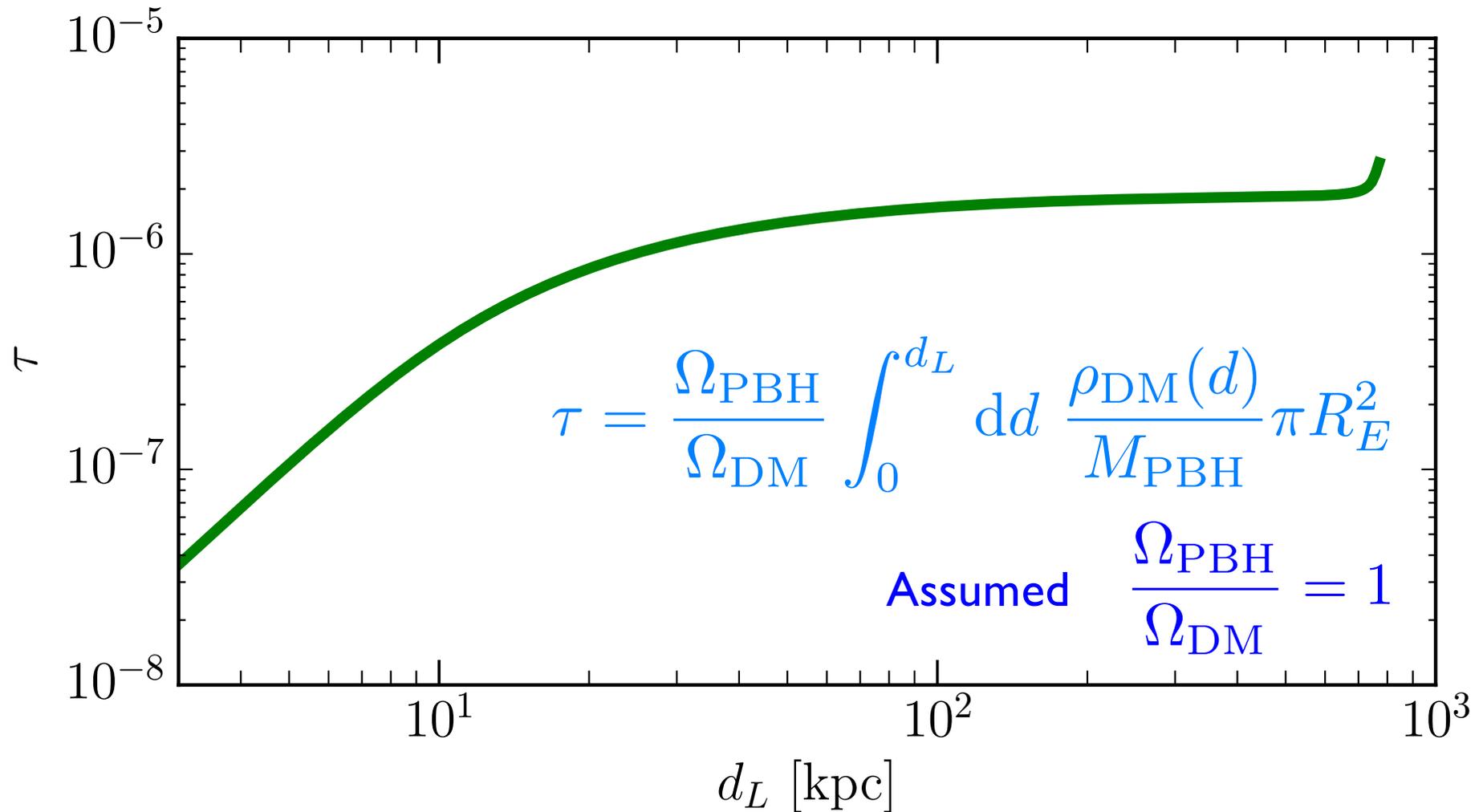




PBS lensing \Rightarrow multiple image can't be resolved \Rightarrow microlensing

PBH microlensing on M31 star

Cumulative optical depth of PBH microlensing for a single star in M31



If we observe $\sim 10^6$ stars at one time, one star at least should be micro-lensed if PBHs are DM

Event rate of PBH ML

$$N_{\text{ML,exp}} \simeq \underbrace{N_s}_{\text{red}} \times \underbrace{t_{\text{obs}}}_{\text{blue}} \times \underbrace{\frac{d\tau}{dt_E}}_{\text{grey}} \times \underbrace{\epsilon(t_E)}_{\text{purple}}$$

of source stars
– depends on
target gals (M31,
LMC, Galactic
bulge), tel. aperture,
seeing, ...

total
observation
time
(duration of
monitoring
observation)

ML optical
depth –
depends on
the nature of
compact DM
(e.g. PBH),
and the mass
fraction of
compact DM
to total

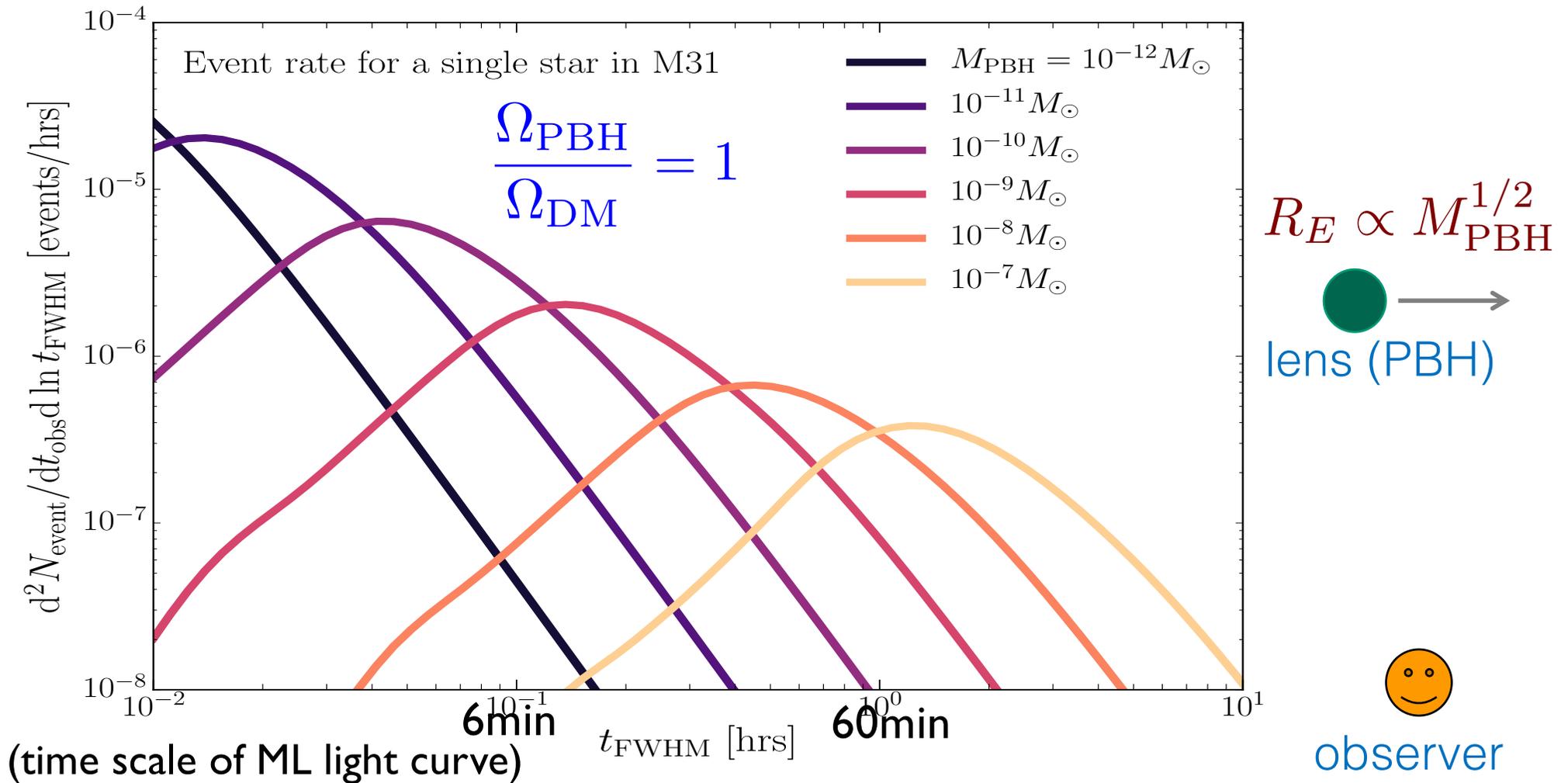
efficiency –
depends on
cadence
and quality
of data

PBH microlensing event rate

source star



$$t_E \sim \frac{d_L \theta_E}{v_{\text{PBH}}} \sim 34 \text{ min} \left(\frac{M_{\text{PBH}}}{10^{-8} M_\odot} \right)^{1/2} \left(\frac{d_L}{100 \text{ kpc}} \right) \left(\frac{v_{\text{PBH}}}{200 \text{ km/s}} \right)^{-1}$$

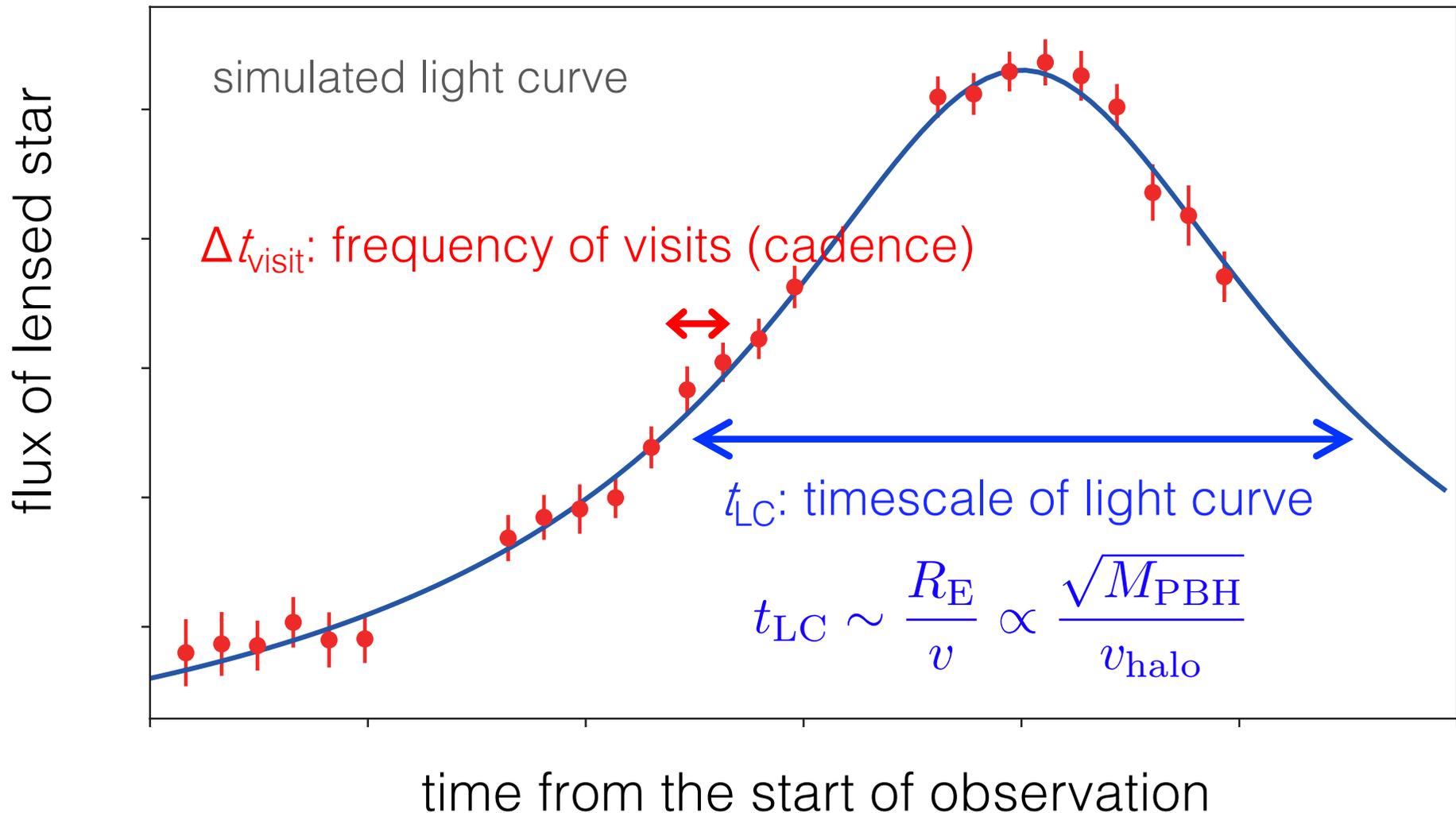


Event rate per unit obs. time and per a single star in M31 for a given timescale of light curve (we monitored $\sim 10^8$ stars)

Rule of the game: LC timescale vs. Cadence

Design the ML observation satisfying the condition; at least

$$\Delta t_{\text{visit}} \sim \frac{t_{\text{LC}}}{O(10)}$$





Hiroko Niikura

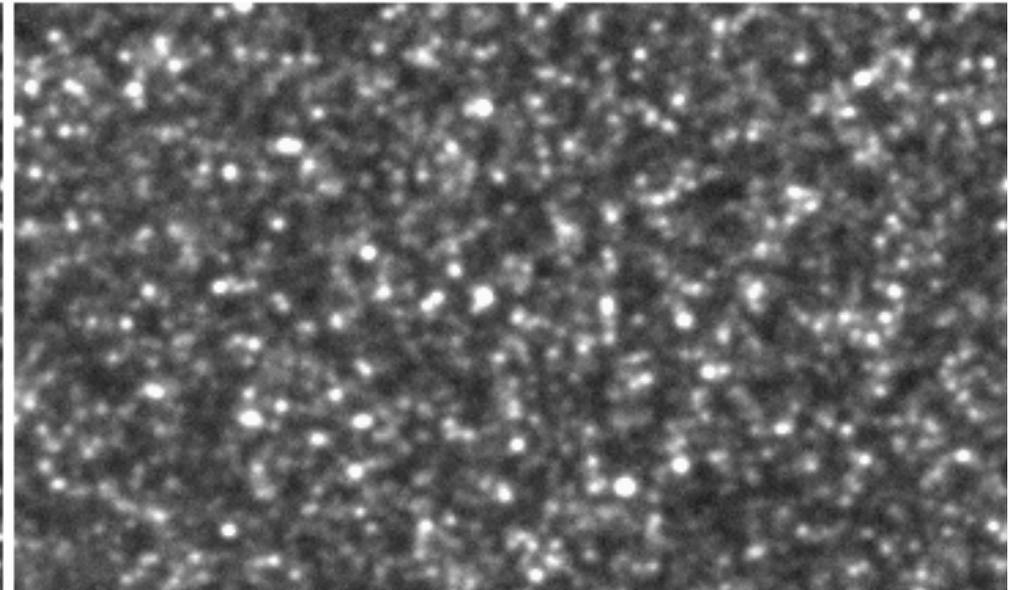
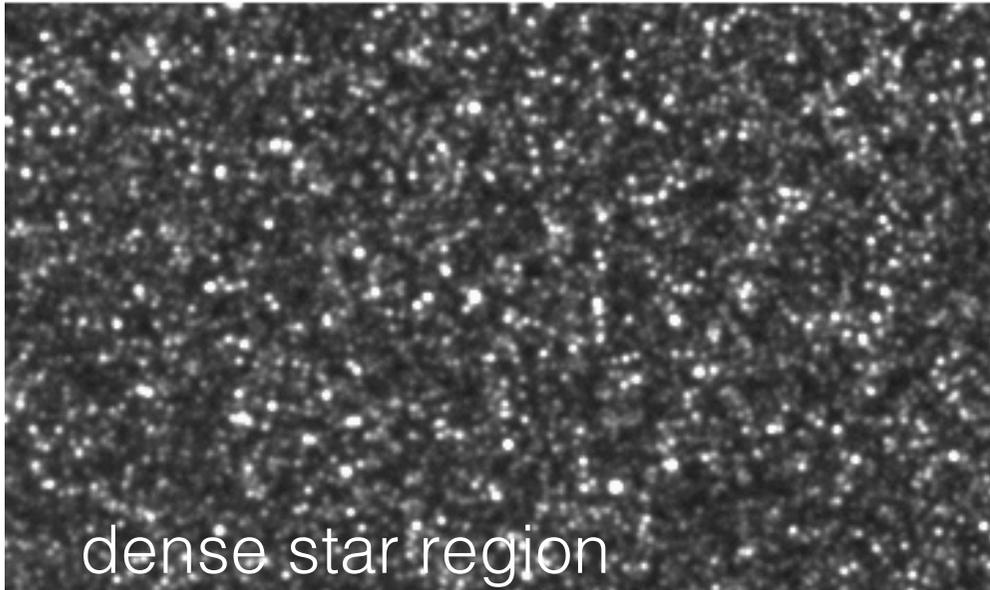
~2 min

HSC dense-cadence observation of M31 (PI Takada, S14B)

- Nov 2014
- 90sec exposure each (r-band)
- ~30sec readout
- ~190 exposures
- No dithering
- one clear night (seeing ~0.5-0.6")
- Also used g-data (from commissioning run)

Challenges: Pixel lensing

Fluxes from multiple stars are overlapped at each position

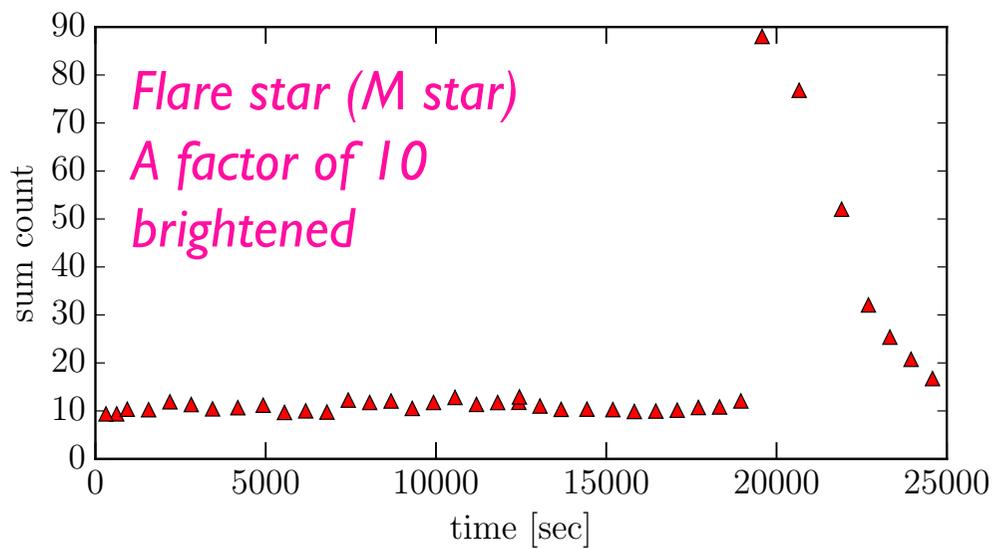
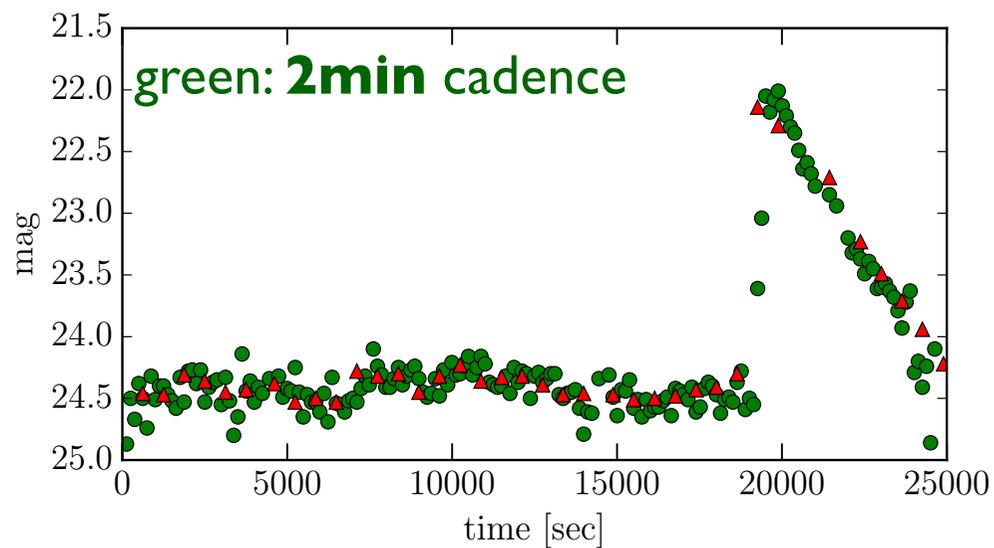
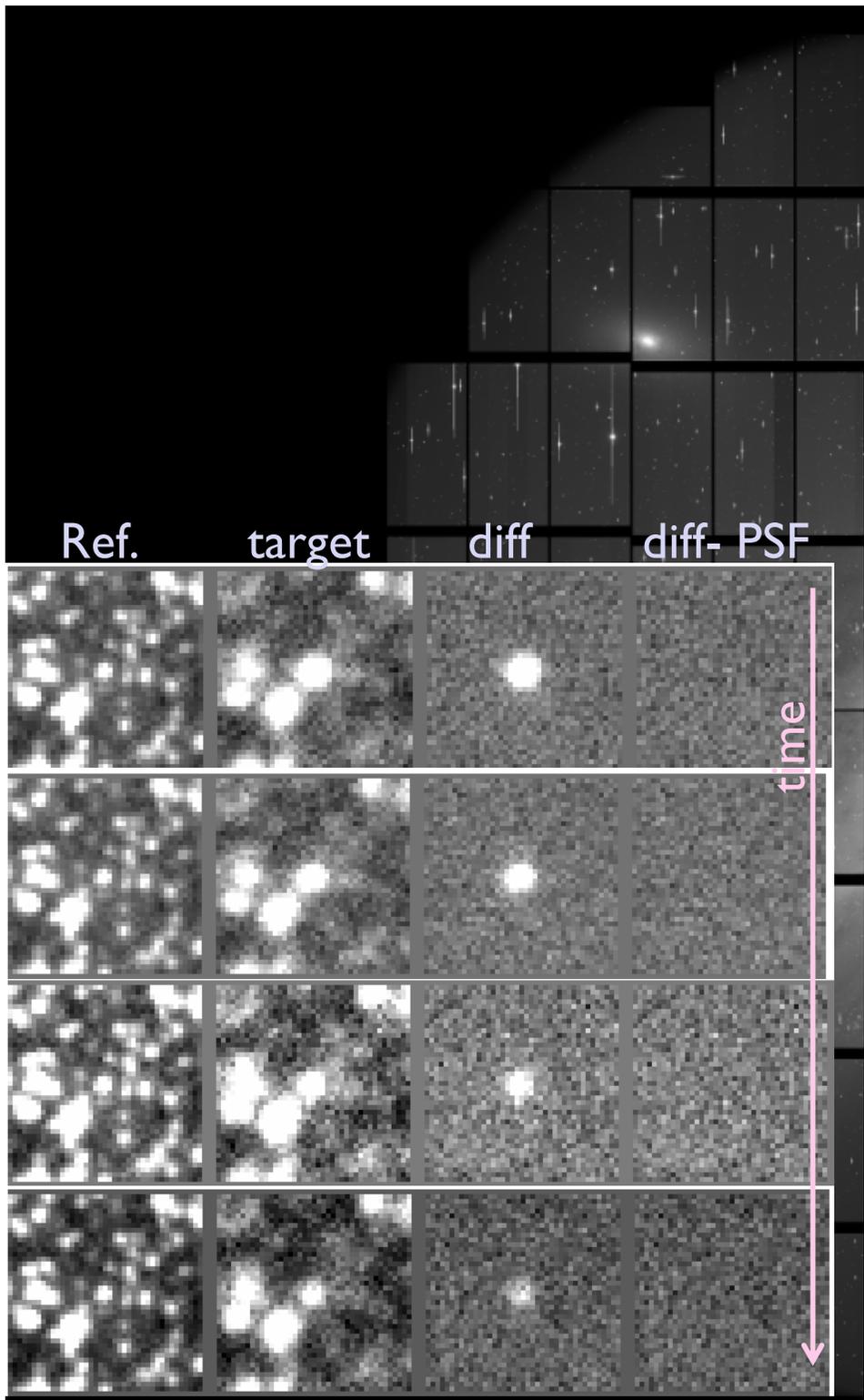


Upper left: **reference** image (0.5'')

Upper right: **target** image (0.8'')

Lower: difference image

*Accurate PSF and astrometry
measurements needed.
HSC pipeline (hscPipe) works!*



To constrain the PBH abundance

- Expectation number of PBH microlensing events

$$N_{\text{exp}} = \underbrace{\Delta t_{\text{obs}}}_{\text{duration of observation time (about 7 hours)}} \int dm_r \underbrace{\frac{dN_s}{dm_r}}_{\text{number of source stars in the magnitude range [m, m+dm] (see later)}} \int dt_{\text{FWHM}} \underbrace{\frac{d\Gamma}{dt_{\text{FWHM}}}}_{\text{Event rate of PBH microlensing (computed assuming NFW profiles of the MW and M31 halos)}} \underbrace{\epsilon(t_{\text{FWHM}}, m_r)}_{\text{Detection efficiency for microlensing event of timescale } t_{\text{FWHM}} \text{ for a star of magnitude, } m_r \text{ (see later)}}$$

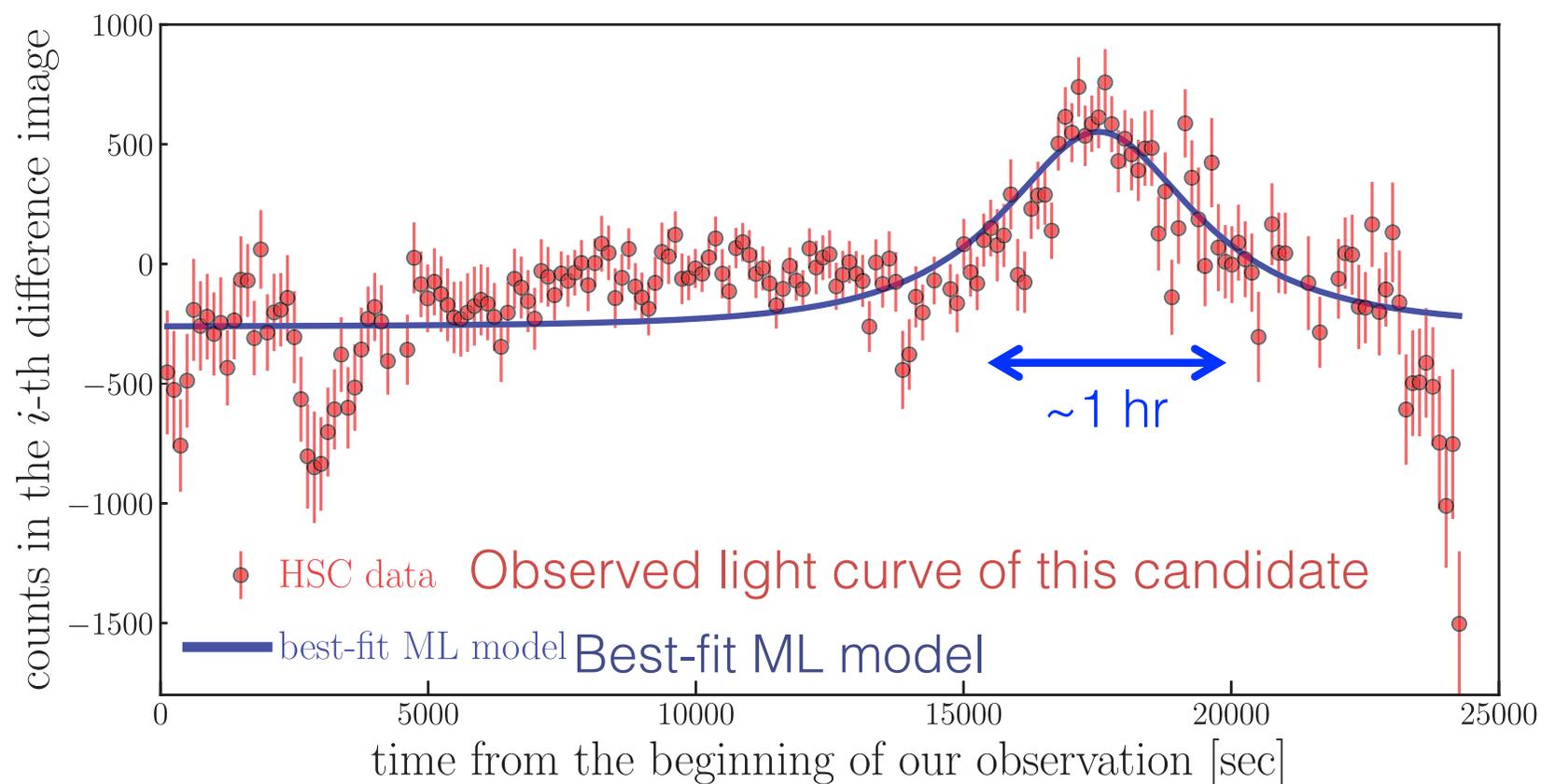
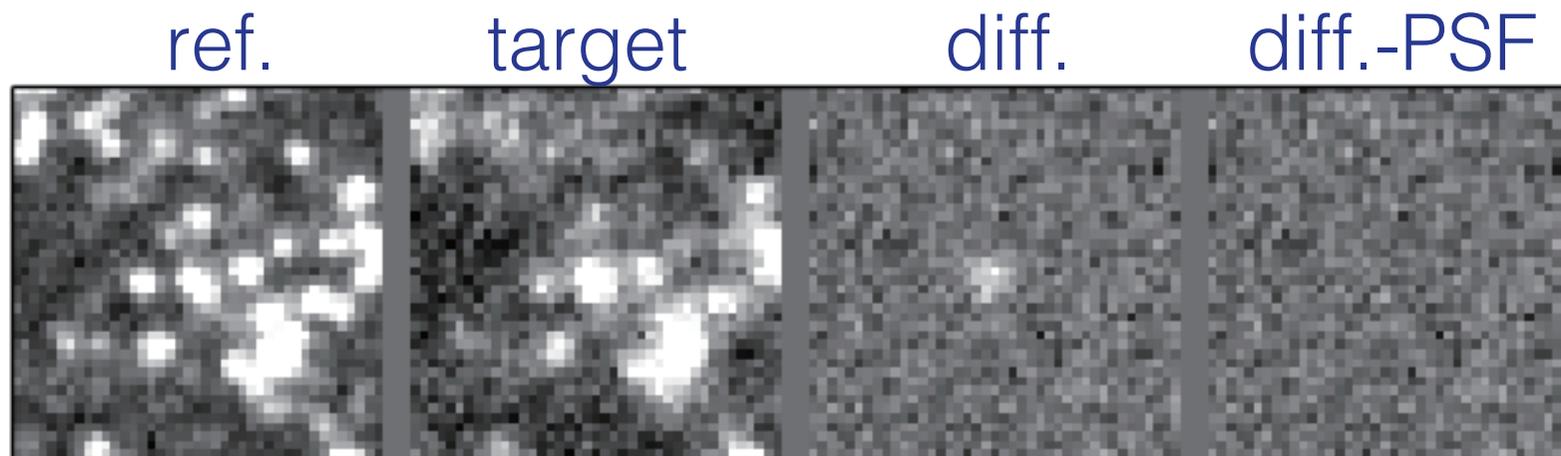
duration of observation time (about 7 hours)

number of source stars in the magnitude range $[m, m+dm]$ (see later)

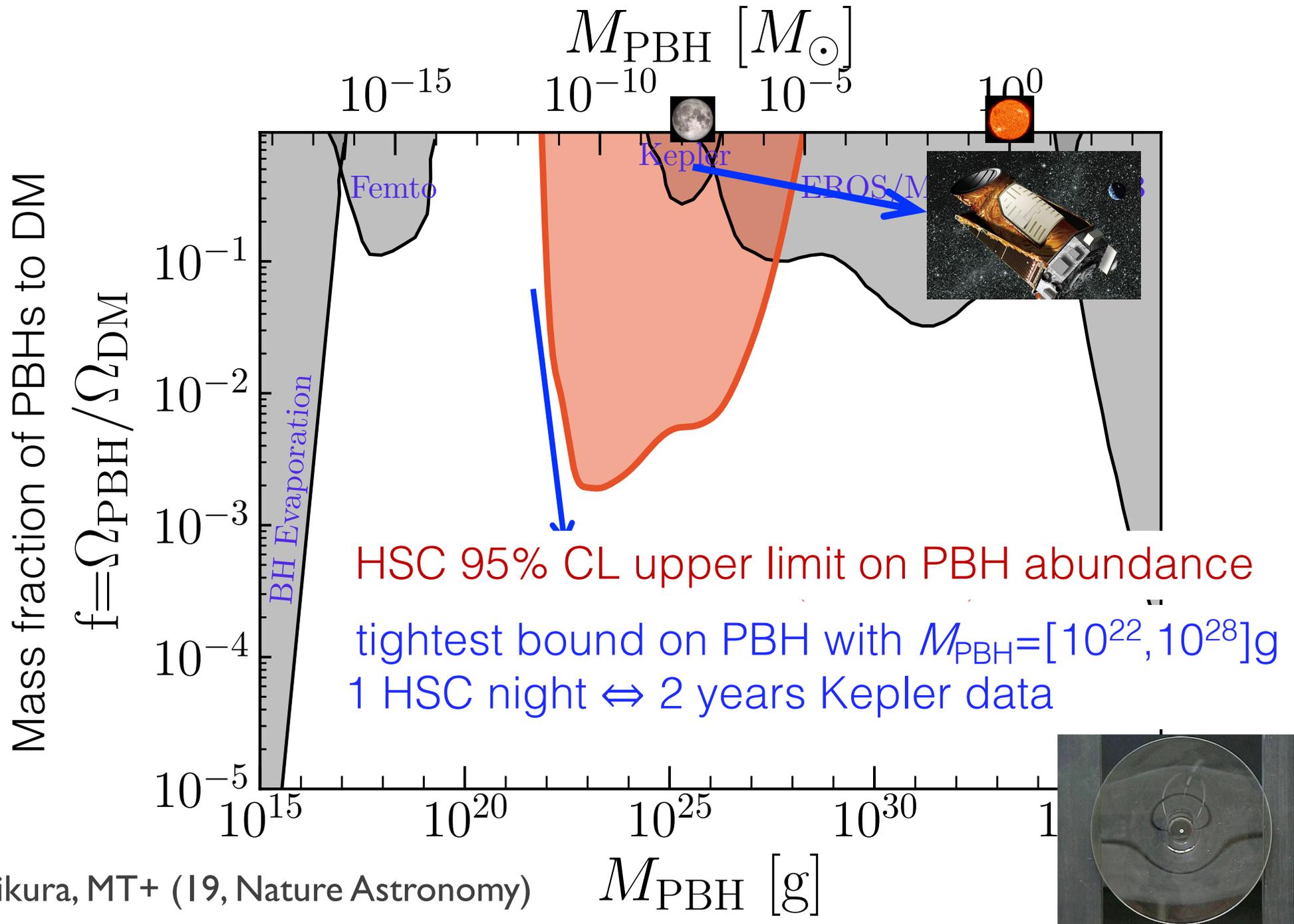
Event rate of PBH microlensing (computed assuming NFW profiles of the MW and M31 halos)

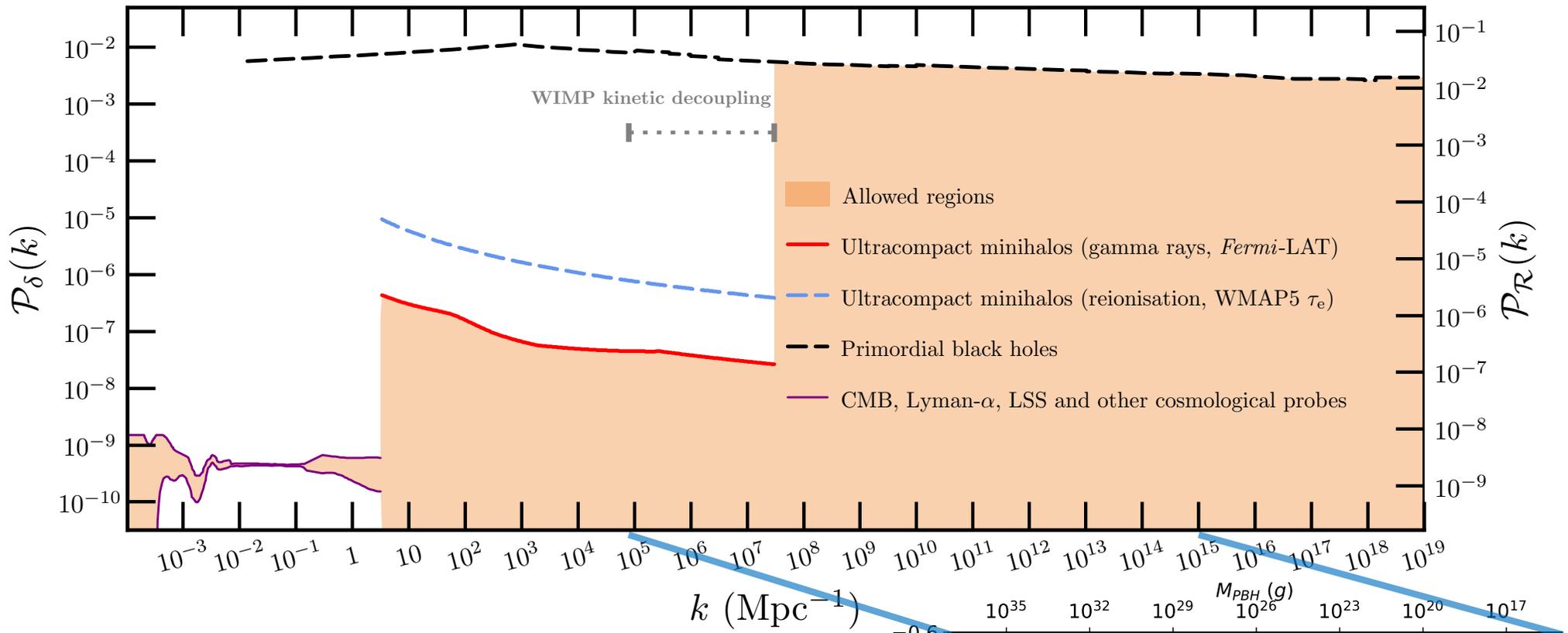
Detection efficiency for microlensing event of timescale t_{FWHM} for a star of magnitude, m_r (see later)

One microlensing candidate among $\sim 15,000$ variable stars ...?

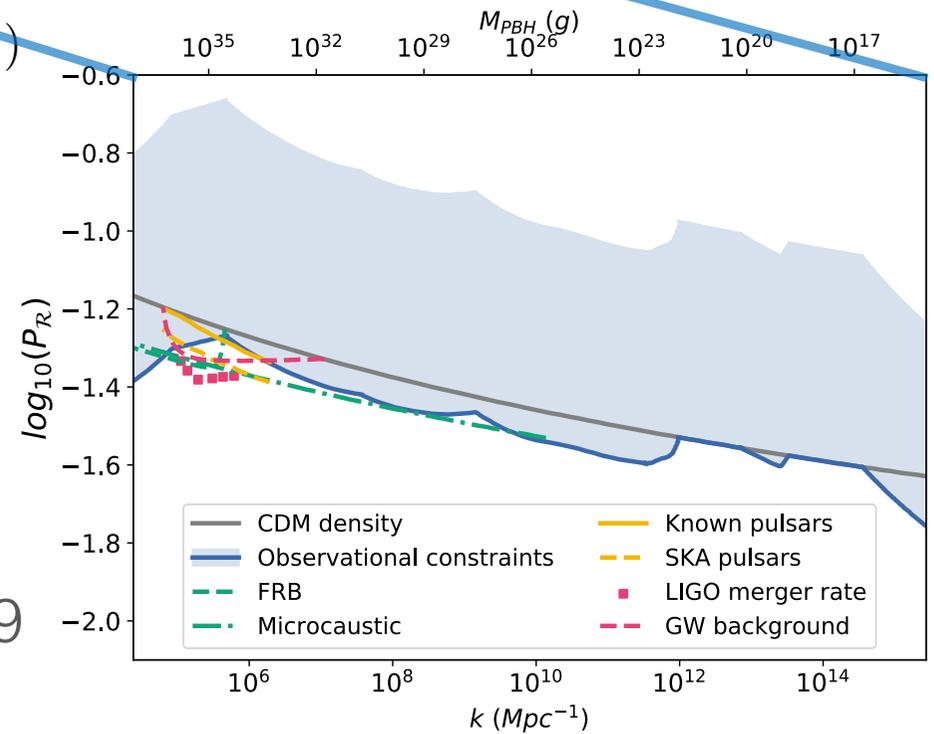


Subaru/HSC constraint on PBH abundance





Bringmann et al. 11



Recent update by Sato-Polite et al. 19

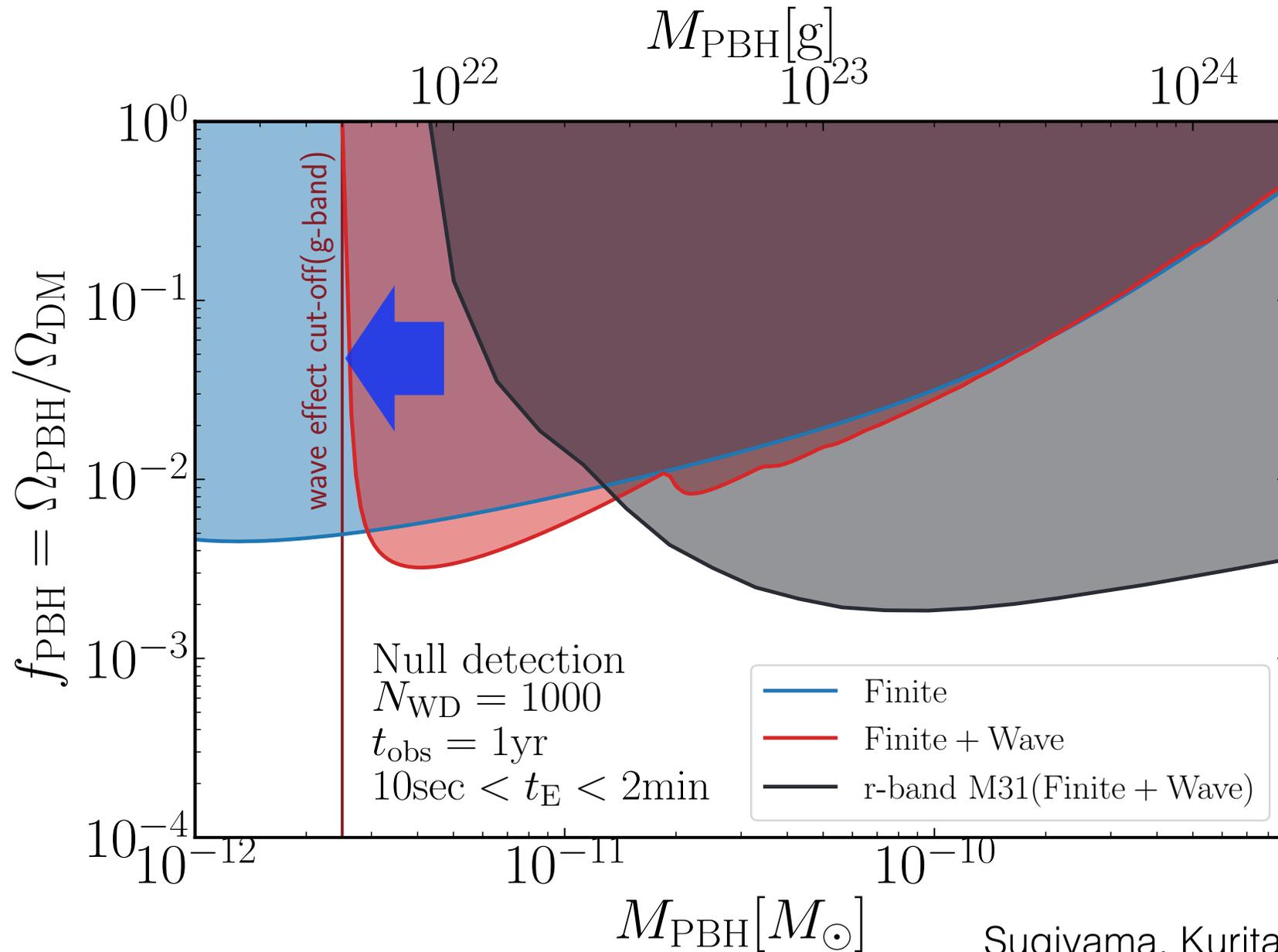
Any further improvement in optical microlensing?



Sunao Sugiyama

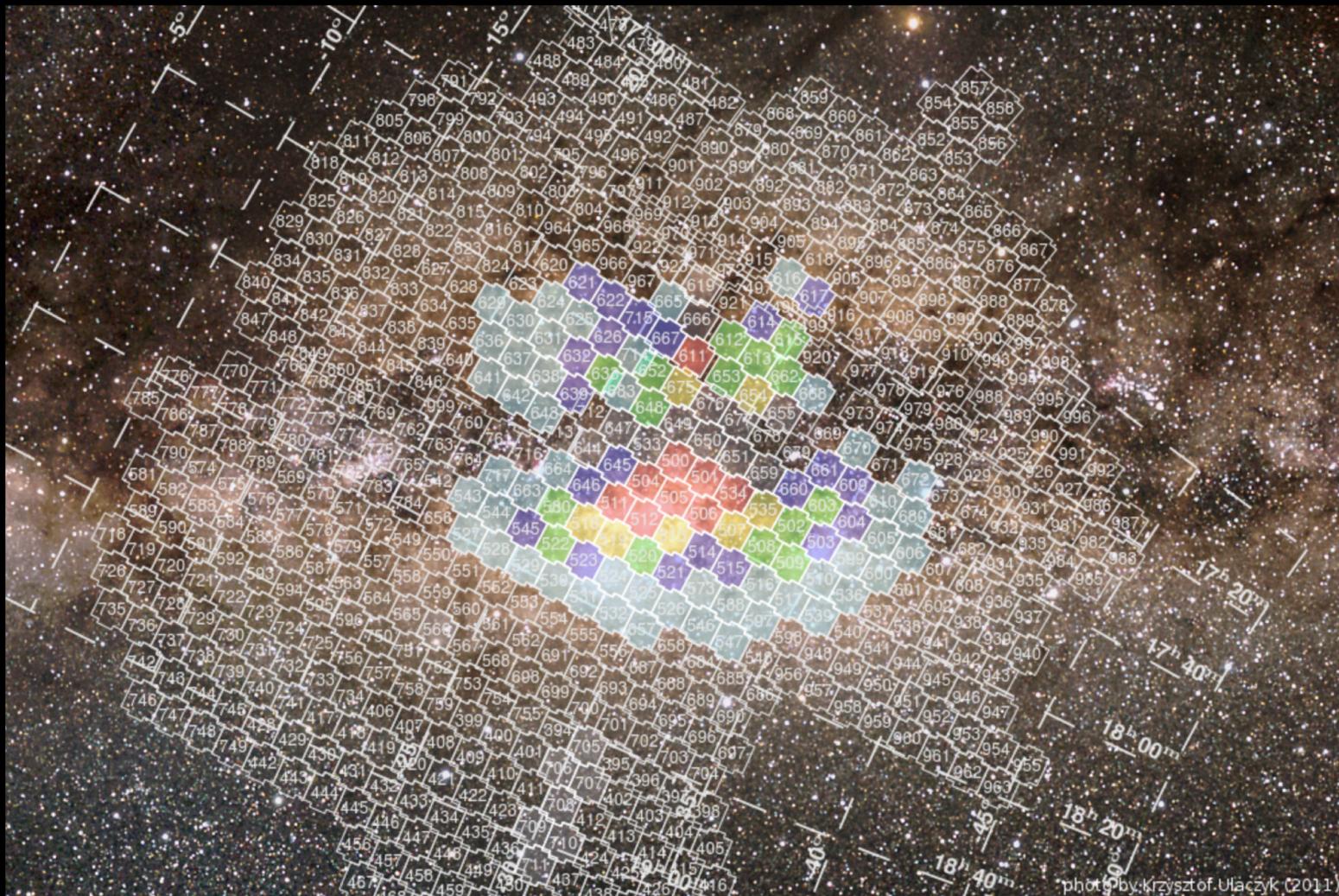


Toshiki Kurita



Optical Gravitational Lensing Experiment (OGLE)

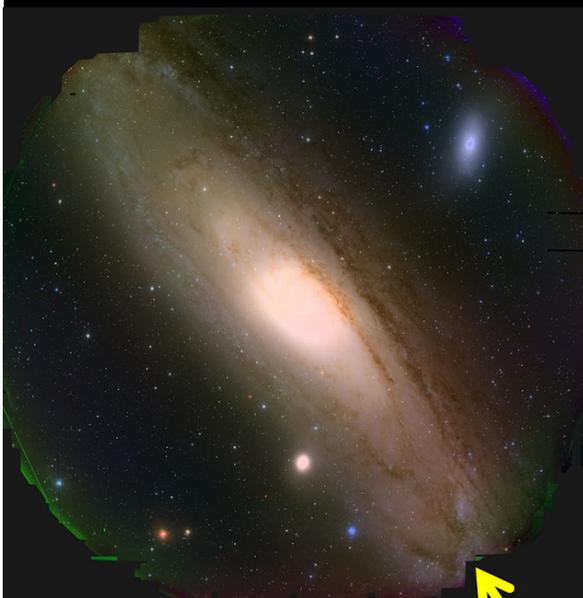
- A long-term monitoring observation of Galactic bulge (1992-). PI Prof. Udalski (Warsaw)
- 1.3m Warsaw U. Telescope at Las Campanas, Chile



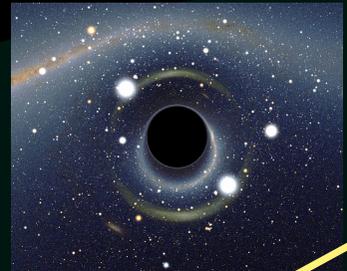
Constraining PBH with microlensing



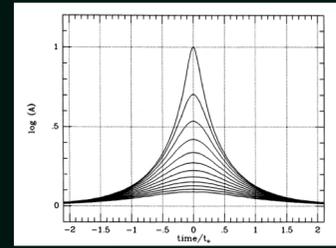
Hiroko Niikura
(U. Tokyo/IPMU
just graduated!)



HSC M31
PBH
microlensing
search



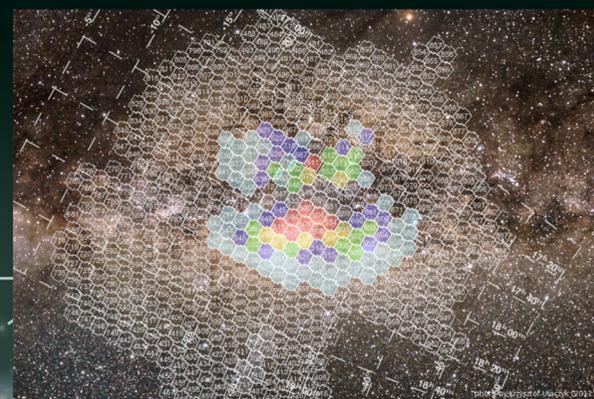
PBH



Bulge

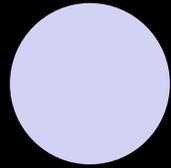


Sun

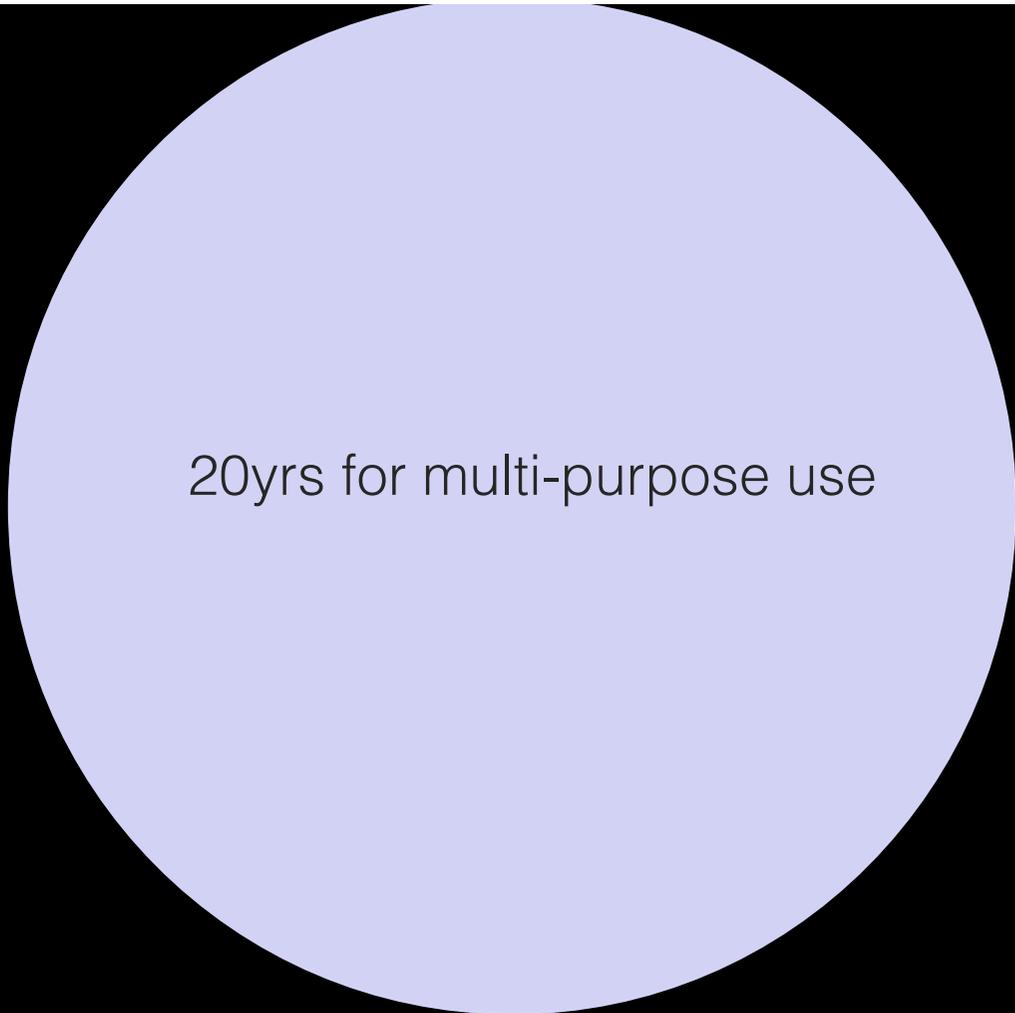


Disc OGLE (Optical
Gravitational Lensing
Experiment) for PBH
search

Stellar Halo



25yrs for ML search



20yrs for multi-purpose use



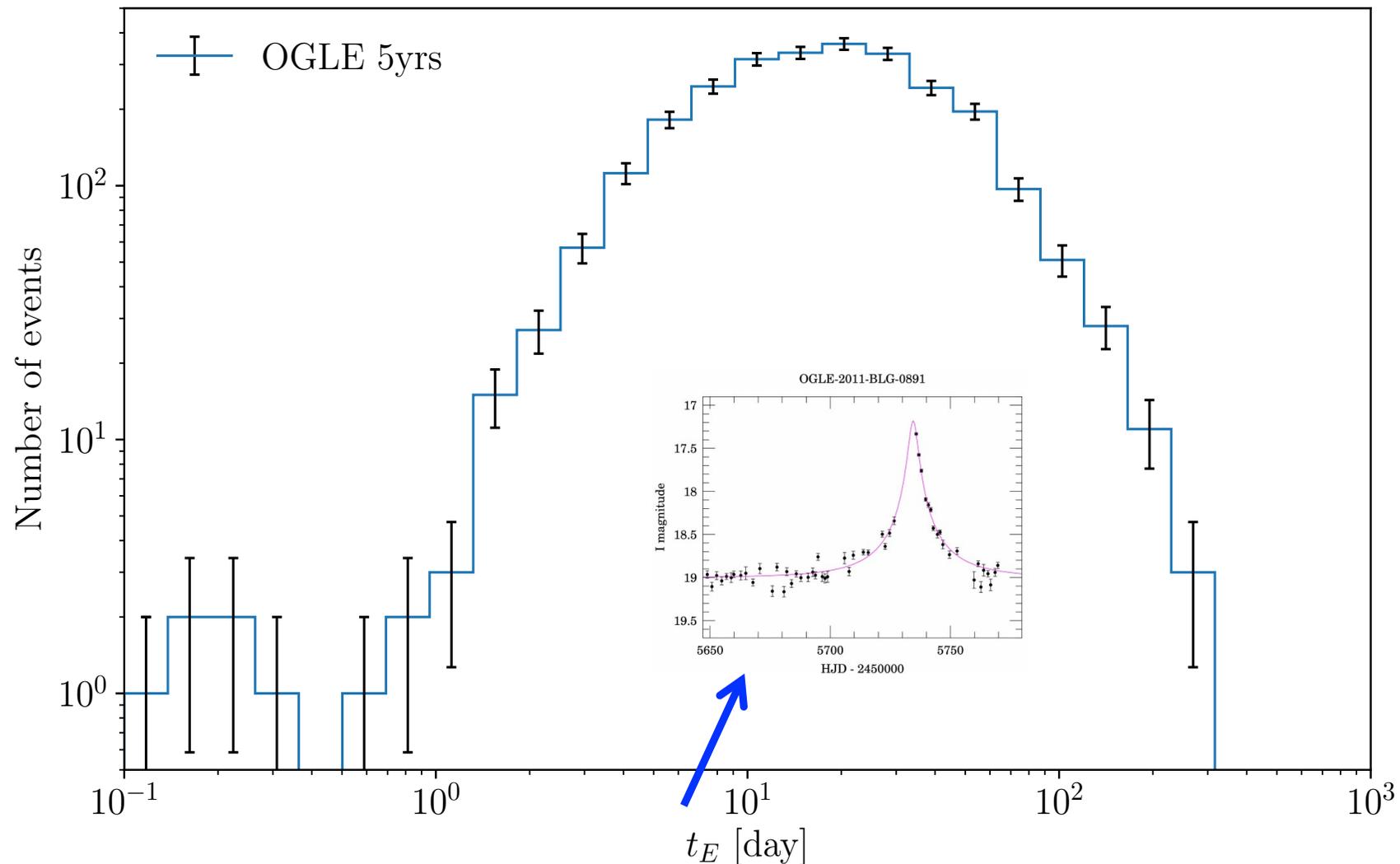
1.3m Warsaw tel. (Chile)



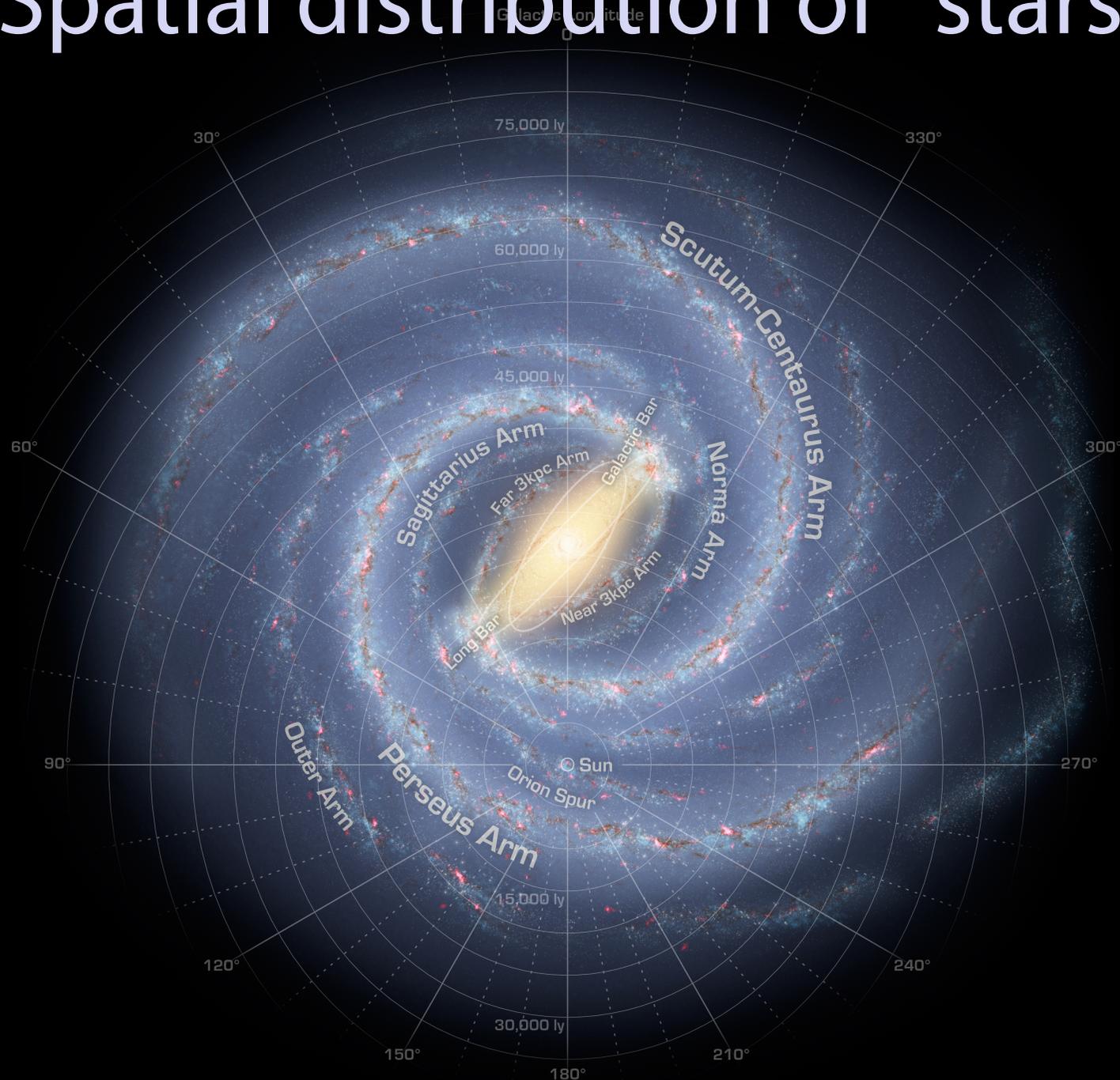
8.2m Subaru tel. (Hawaii)

5-years OGLE data: Mroz et al. 2017

- 2622 ML events: the ML timescale distribution is provided (now >5000 events)



Spatial distribution of "stars"



Gould & Han 1995

TABLE 2
BULGE AND DISK DENSITY MODELS

| Location | Model | Distribution |
|-------------|------------|--|
| Bulge | isothermal | $\rho(r) = \sigma_{\text{bulge}}^2 / 2\pi G r^2 = 36.7 (\sigma_{\text{bulge}} / r)^2 M_{\odot} \text{pc}^{-3}$ |
| | Kent | $\rho(s) = 1.04 \times 10^6 (s/0.482)^{-1.85} M_{\odot} \text{pc}^{-3} \quad (s < 938 \text{ pc})$ $\rho(s) = 3.53 K_0 (s/667) M_{\odot} \text{pc}^{-3} \quad (s \geq 938 \text{ pc})$ |
| | bar | $v(r_s) = v_0 \exp(-0.5r_s^2) \times 10^9 L_{\odot} \text{pc}^{-3}$ |
| Disk | Bahcall | $n(R, z) = n(0, 0) \exp\{-[(R - 8000)/3500 + z/325]\}$ |
| | Kent | $v(R, z) = 3.0 \exp[-(R/3001 + z/h_1)] L_{\odot} \text{pc}^{-3} \quad (R < 5 \text{ kpc})$ $v(R, z) = 3.0(h_1/h_2) \exp[-(R/3001 + z/h_2)] L_{\odot} \text{pc}^{-3} \quad (R \geq 5 \text{ kpc})$ |
| | KP | $\rho = 0.1 M_{\odot} \text{pc}^{-3} \quad (d < d_{\text{max}})$ $\rho = 0 M_{\odot} \text{pc}^{-3} \quad (d \geq d_{\text{max}})$ |

The density distribution models adopted for stellar populations. The values $r = (x^2 + y^2 + z^2)^{1/2}$, $R = (x^2 + y^2)^{1/2}$, $s^4 = R^4 + (z/0.61)^4$ are measured in pc. K_0 is a modified Bessel function and $n(0, 0) = 0.097 \text{pc}^{-3}$. We adopted $d_{\text{max}} \sim 4 \text{kpc}$ for the KP model. The Bahcall and Kent disk models and the barred bulge model are expressed in number density, $n(R, z)$, and luminosity functions, $v(R, z)$ and $v(r_s)$, respectively. For the Kent disk model two different scale heights are adopted for the inner (h_1 for $R < 5 \text{kpc}$) and outer (h_2 for $R \geq 5 \text{kpc}$) parts of the disk. The respective scale heights are $h_1 = 165 \text{pc}$ and $h_2 = (0.027R + 28.3) \text{pc}$. For the barred (anisotropic) bulge model, $v_0 = 3.66 \times 10^7 L_{\odot} \text{kpc}^{-3}$, and $r_s = \{[(x'/x_0)^2 + (y'/y_0)^2]^2 + (z'/z_0)^4\}^{1/4}$. Here the coordinates (x', y', z') have their center at the Galactic center, the longest axis is the x' axis, and the shortest axis is the z' axis. The values of the scale lengths are $x_0 = 1.58 \text{kpc}$, $y_0 = 0.62 \text{kpc}$, and $z_0 = 0.43 \text{kpc}$, respectively.

Velocity structure of "stars"

Earth: rigid rotation $\sim 220\text{km/s}$

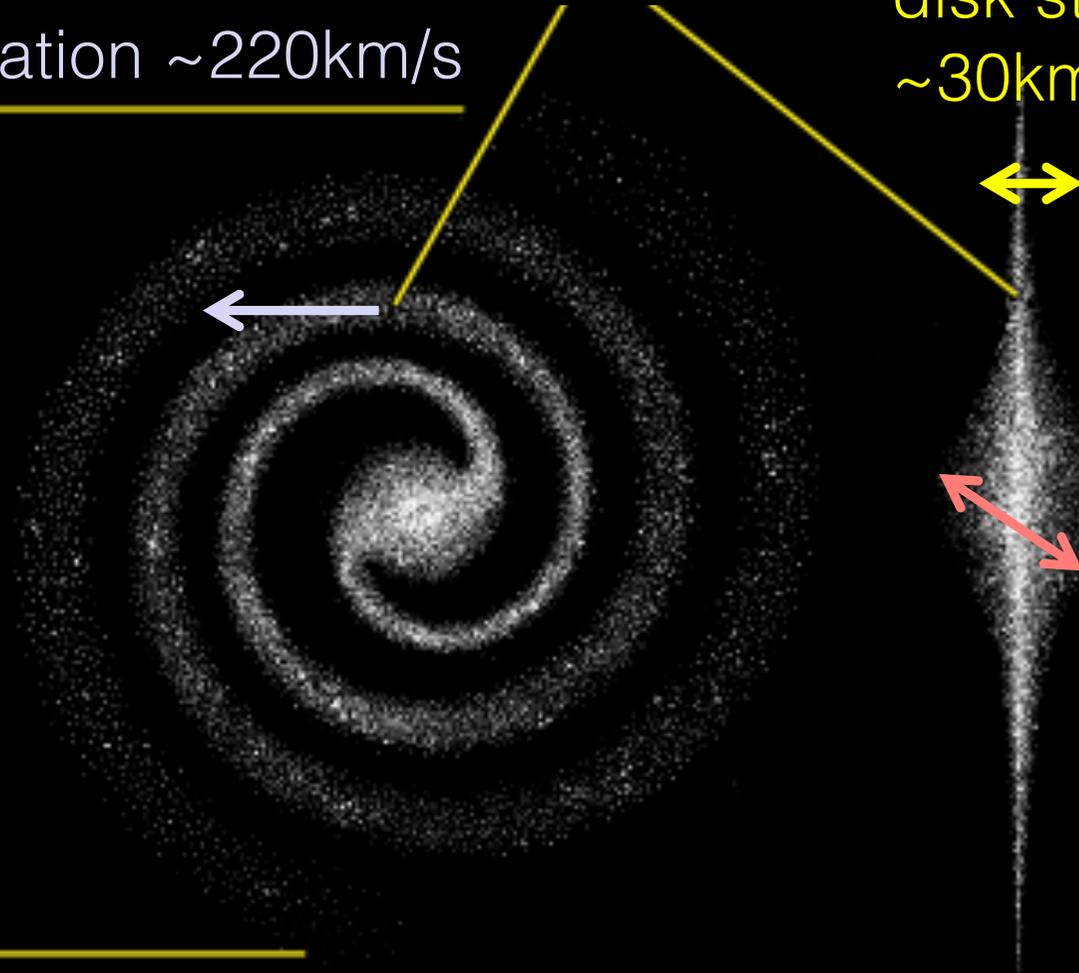
diameter of
Milky Way
galaxy
(100,000
light-years)

disk stars (vertical)
 $\sim 30\text{km/s}$

bulge stars
 $\sim 100\text{km/s}$

galaxy viewed from above

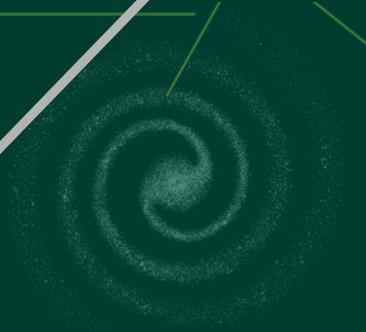
galaxy viewed from the side



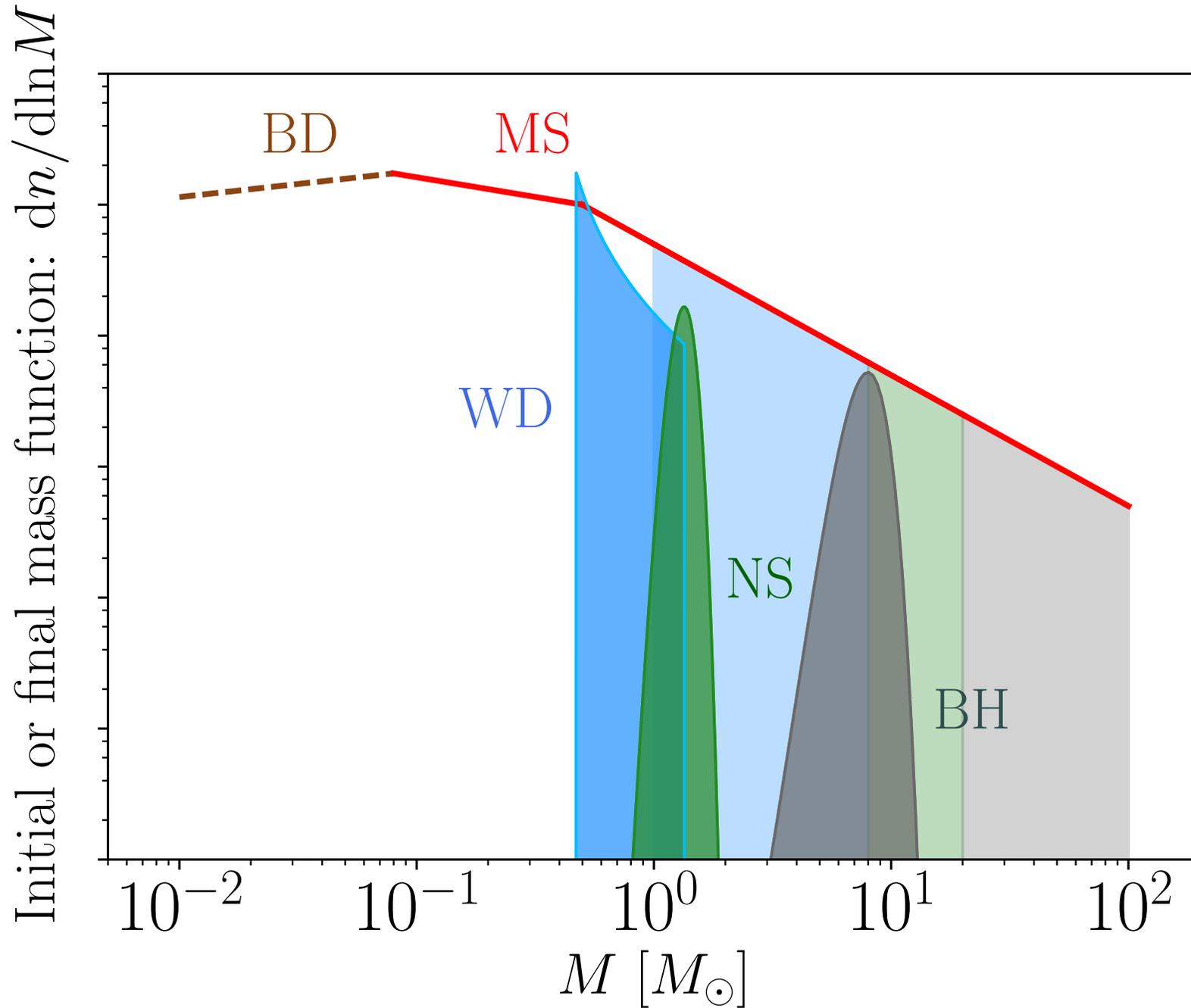
MW dark matter halo

Dark matter
(WIMP),
PBH,....
~220km/s

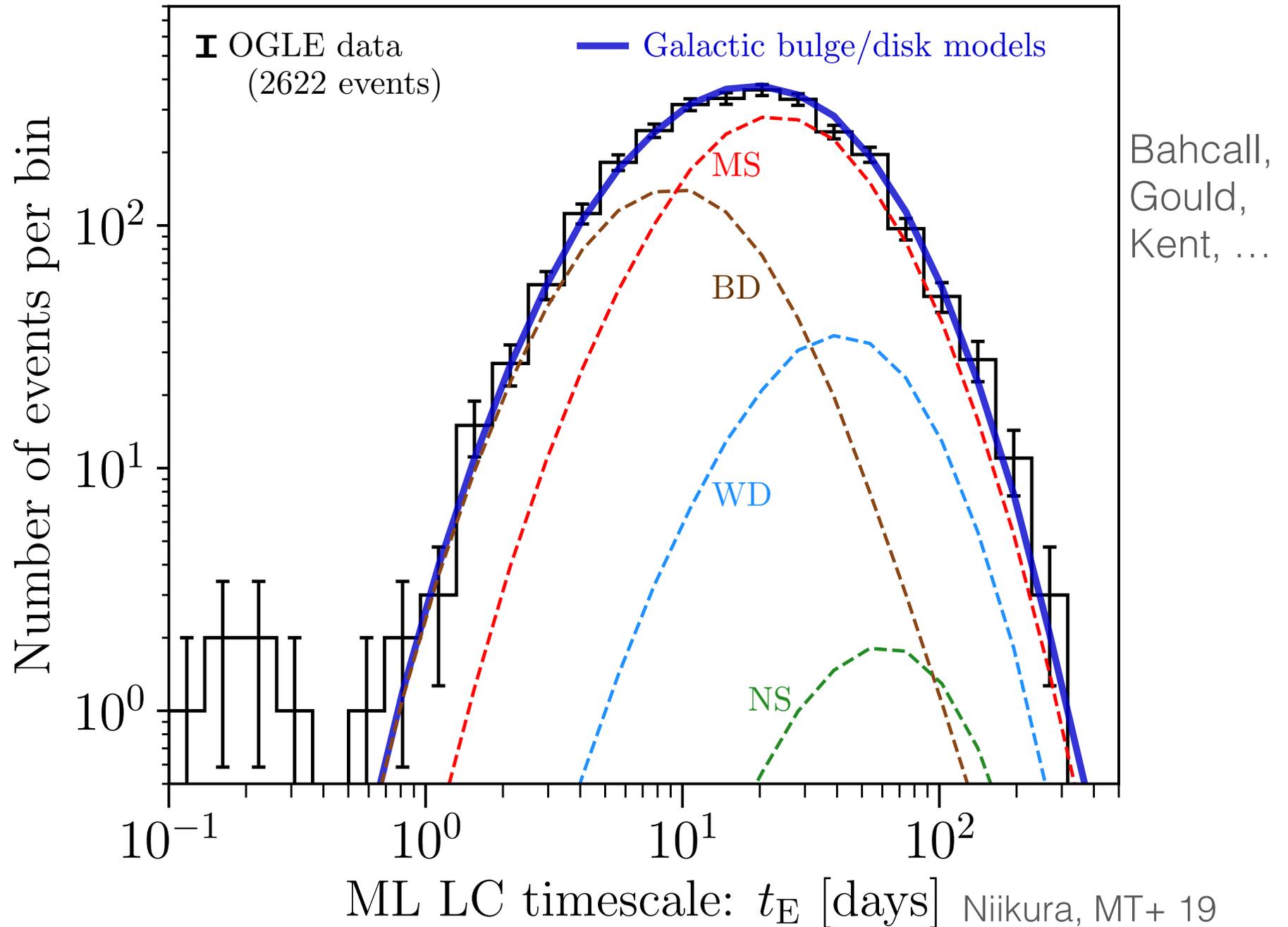
diameter of
Milky Way
galaxy
(100,000
light-years)



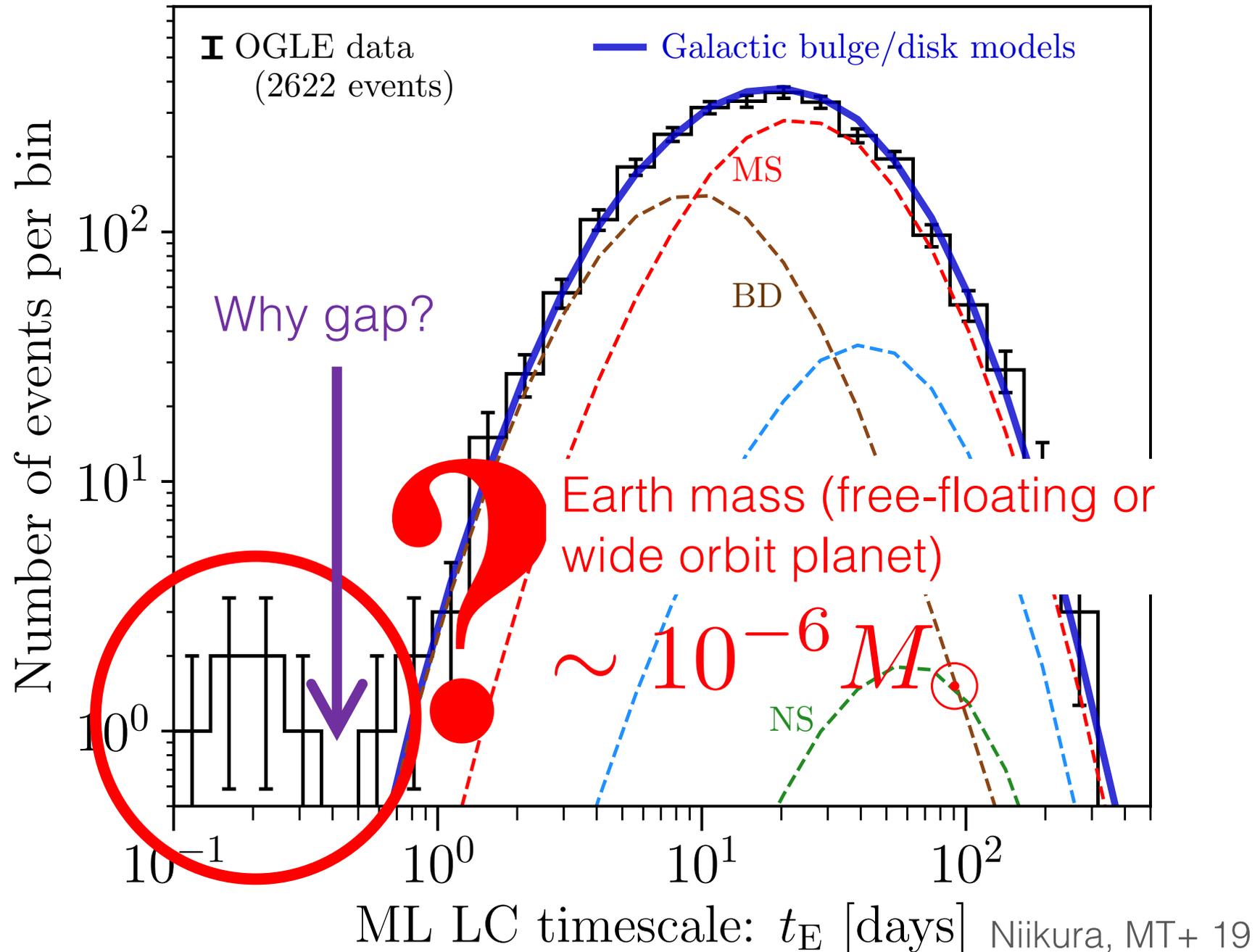
Astrophysical lenses: stars and stellar remnants



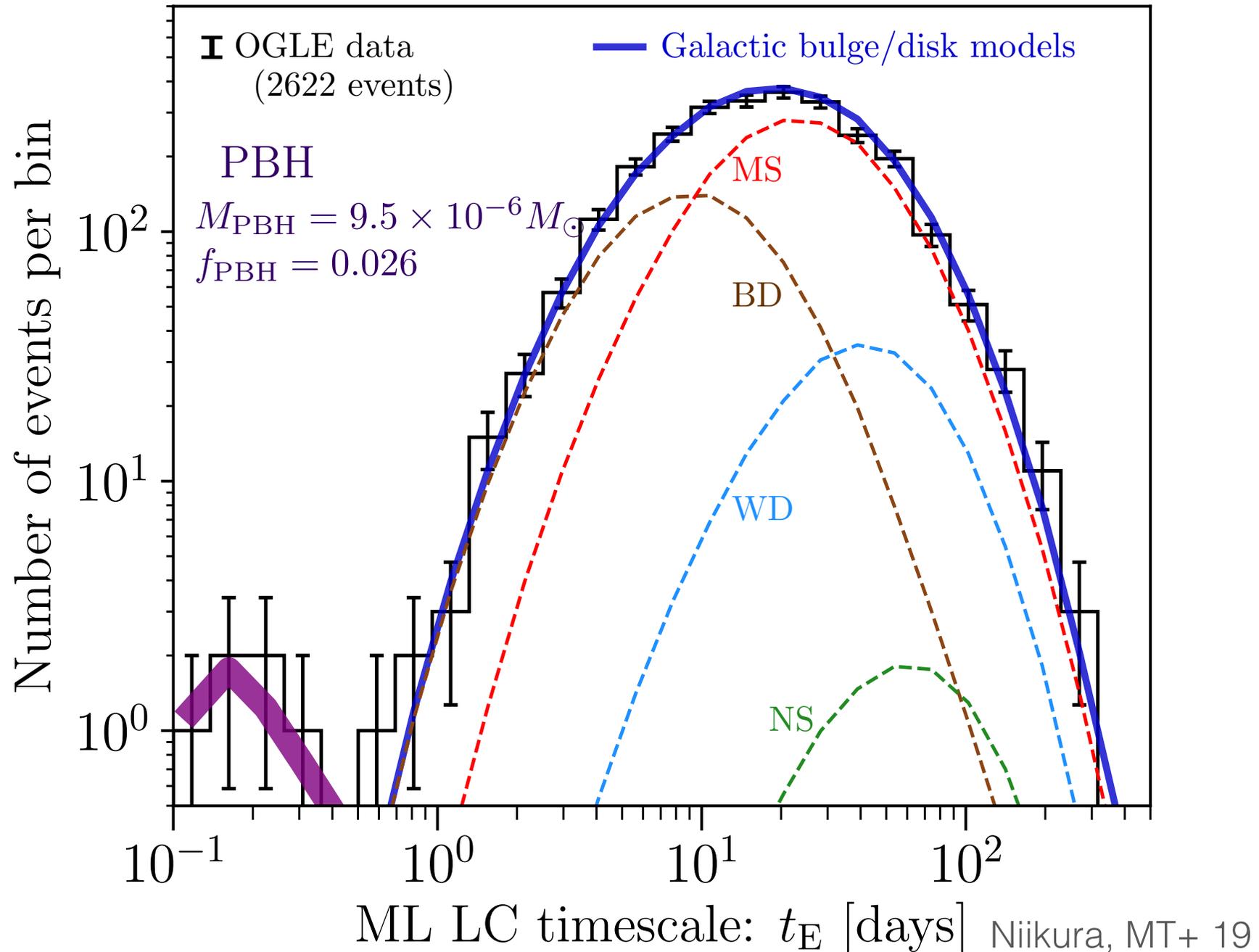
(old-days) Astronomers smart!



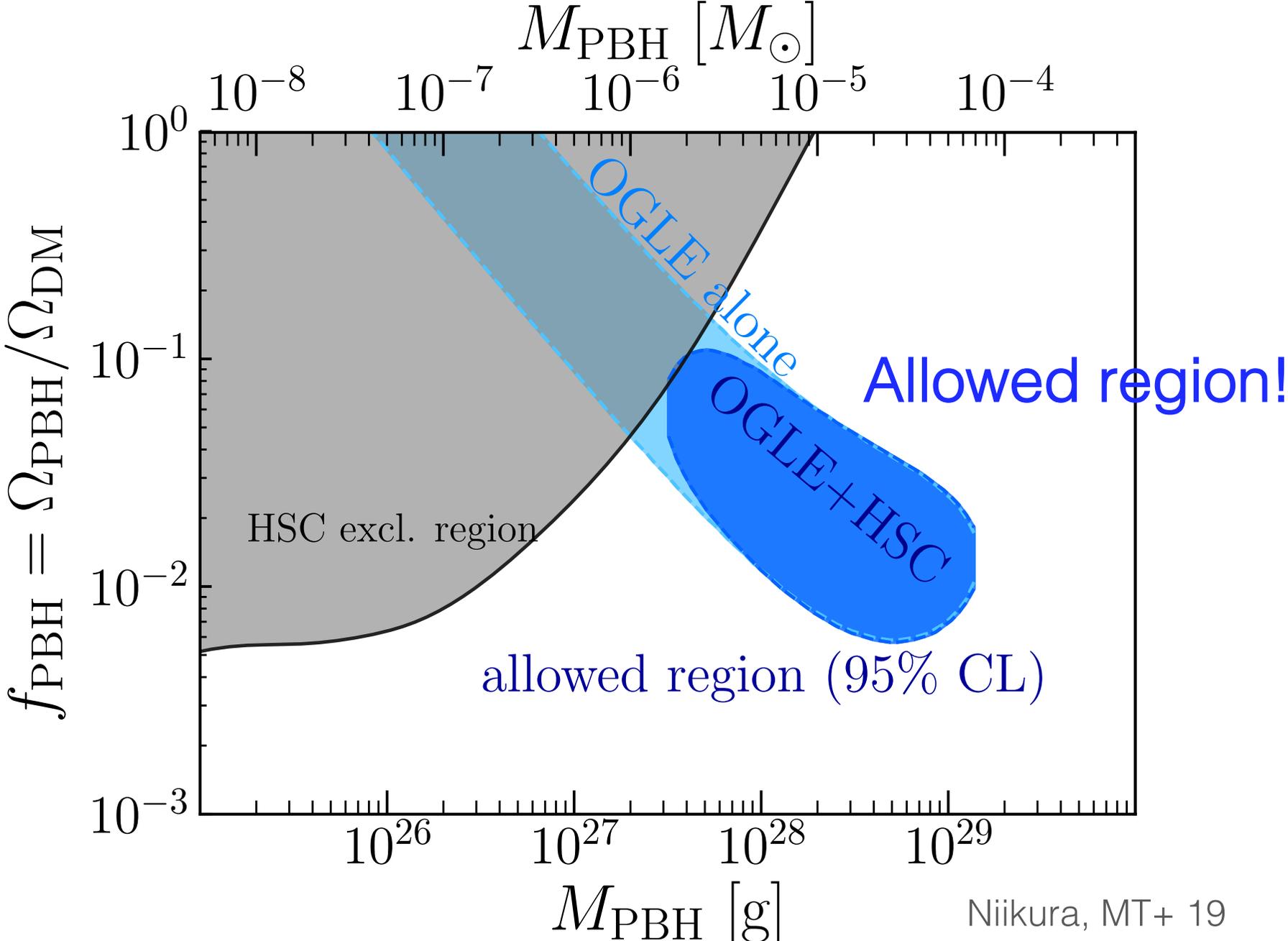
PBH lenses needed?



Earth-mass scale PBH?



Earth-mass scale PBH?



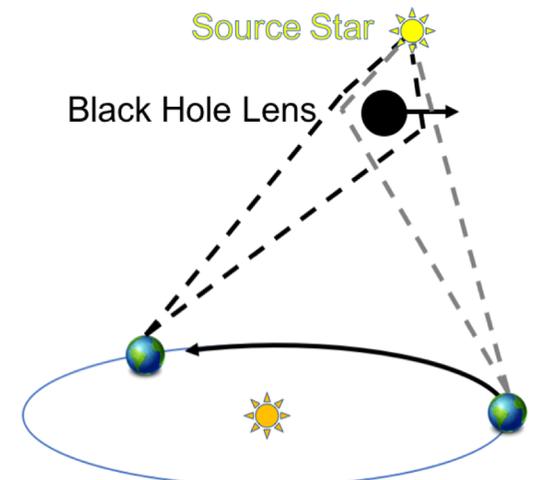
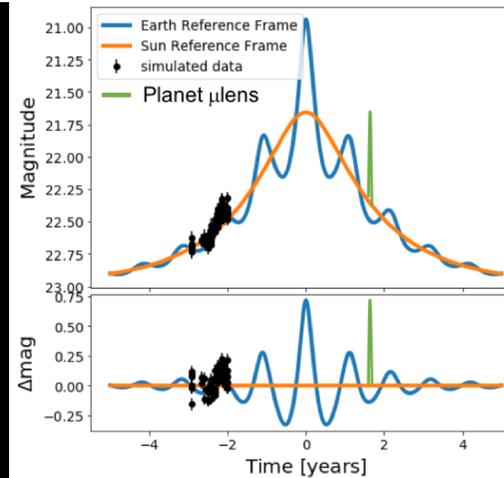
Future prospects



Subaru



LSST (2022-)



photometric + astrometric ML

$$t_E \sim \frac{R_E}{v} \sim \frac{\sqrt{M}}{v}$$



NASA WFIRST (2025-)



TMT (2028-)

Credit: NAJ

summary

- **Microlensing** is a powerful probe of compact DM candidate such as PBH
- **Subaru & OGLE ML** data place **stringent constraints** on the abundance of PBHs
 - However, PBH DM scenario in the mass range $[10^{-16}, 10^{-11}]M_{\odot}$ is not ruled out
 - Although subdominant (not total DM), some implications for Earth-mass and LIGO-mass PBHs → worth to explore these PBHs (e.g. Subaru M31)
- More exciting opportunities with **future telescopes**
 - PBHs
 - Constrain low-mass stars (constrain the initial mass function)
 - Exoplanets
 - **Astrophysical black holes!**