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Anomalies in $b \rightarrow sll$ and Global Fits

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Rare B Decays:

- FCNCs (leptonic, rare semileptonic, rare hadronic)
- Lepton-Universality-Violating observables
- Lepton-Flavor-Violating modes
- Lepton-Number-Violating modes

Strong suppression of these decays in the SM \Rightarrow Smoking guns of NP

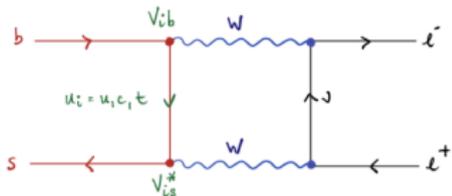
BUT: FCNCs are no longer “rare” at the LHC!

e.g. $N_{events}^{LHCb}(Run\ 1) = 2398$; $N_{events}^{LHCb}(2016) = 2187$ for $B \rightarrow K^* \mu\mu$

And will become “common” decays at **Belle-2** and **LHCb Upgrade II**.

\rightarrow Opportunity to study **BOTH** *New Physics* and *QCD* in rare decays.

SM is GIM/CKM and loop suppressed (and sometimes helicity):



$$= \frac{g^2}{M_W^2} \sum_i V_{ib} V_{is}^* F(x_i)$$

$x_i = m_i^2/M_W^2$

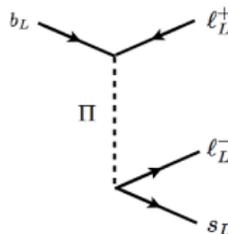
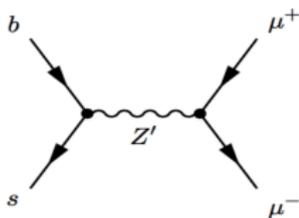
$$F(x_i) = F(0) + x_i \cdot F'(0) + \dots$$

$$\sum_i V_{ib} V_{is}^* = 0$$

$$= \frac{g^2}{M_W^2} V_{tb} V_{ts}^* f(x_t) + \mathcal{O}(x_u - x_c)$$

\swarrow 4% \swarrow Loop $\approx \frac{1}{(4\pi)^2}$

Competes (potentially) with tree-level BSM contributions...



B mesons mix and decay due to $\mathcal{L}_{Weak} + \mathcal{L}_{BSM}$?

For $m_B \ll M_W, M_{BSM}$ we use an EFT : $\mathcal{L}_{EFT} = \mathcal{L}_{QCD+QED} + \sum_i C_i \mathcal{O}_i$

Class	Flavour structure	Number of Ops.	Other flavours	ADM	Example process
Class I	$\bar{s}b \bar{s}b$	5+3	$\bar{d}b \bar{d}b$	$\hat{\gamma}_I$	$B_q - \bar{B}_q$ mixing
Class II	$\bar{u}b \bar{\ell} \nu_{\ell'}$	$(2+3) \times 9$	$\bar{c}b \bar{\ell} \nu_{\ell'}$	$\hat{\gamma}_{II}$	$\bar{B}_d \rightarrow \pi^+ \mu^- \bar{\nu}$
Class III	$\bar{s}b \bar{u}c$	10+10	$\bar{s}b \bar{c}u$ $\bar{d}b \bar{u}c$ $\bar{d}b \bar{c}u$	$\hat{\gamma}_{III}$	$B^- \rightarrow \bar{D}^0 K^-$
Class IV	$\bar{s}b \bar{s}d$	5+5	$\bar{d}b \bar{d}s$ $\bar{b}s \bar{b}d$	$\hat{\gamma}_{IV}$	$B^- \rightarrow \bar{K}^0 K^-$
Class V	$\bar{s}b \bar{q}q$ $\bar{s}b F, \bar{s}b G$ $\bar{s}b \bar{\ell}\ell$	57+57	$\bar{d}b \bar{q}q$ $\bar{d}b F, \bar{d}b G$ $\bar{d}b \bar{\ell}\ell$	$\hat{\gamma}_V$	$\bar{B}_d \rightarrow D^+ D_s^-$ $\bar{B}_d \rightarrow X_s \gamma$ $B^- \rightarrow K^- \mu^+ \mu^-$
Class Vb	$\bar{s}b \bar{\ell}\ell', \ell \neq \ell'$	$(5+5) \times 6$	$\bar{d}b \bar{\ell}\ell'$	$\hat{\gamma}_{Vb}$	$\bar{B}_s \rightarrow \mu^- \tau^+$
Class V ν	$\bar{s}b \bar{\nu}_{\ell} \nu_{\ell'}$	$(1+1) \times 9$	$\bar{d}b \bar{\nu}_{\ell} \nu_{\ell'}$	zero	$B^- \rightarrow K^- \bar{\nu} \nu$

Aebischer, Fael, Greub, Virto 2017

Relevant part of the $W_{\text{eak}} E_{\text{ffective}} T_{\text{theory}}$ for $b \rightarrow s \ell \ell$ transitions:

$$\mathcal{L}_W = \mathcal{L}_{\text{QCD}} + \mathcal{L}_{\text{QED}} + \frac{4G_F}{\sqrt{2}} V_{tb} V_{ts}^* \sum_i C_i(\mu) \mathcal{O}_i(\mu)$$

$$\mathcal{O}_1 = (\bar{c} \gamma_\mu P_L b) (\bar{s} \gamma^\mu P_L c)$$

$$\mathcal{O}_2 = (\bar{c} \gamma_\mu P_L T^a b) (\bar{s} \gamma^\mu P_L T^a c)$$

$$\mathcal{O}_7 = \frac{e}{16\pi^2} m_b (\bar{s} \sigma_{\mu\nu} P_R b) F^{\mu\nu}$$

$$\mathcal{O}_{7'} = \frac{e}{16\pi^2} m_b (\bar{s} \sigma_{\mu\nu} P_L b) F^{\mu\nu}$$

$$\mathcal{O}_{9\ell} = \frac{\alpha}{4\pi} (\bar{s} \gamma_\mu P_L b) (\bar{\ell} \gamma^\mu \ell)$$

$$\mathcal{O}_{9'\ell} = \frac{\alpha}{4\pi} (\bar{s} \gamma_\mu P_R b) (\bar{\ell} \gamma^\mu \ell)$$

$$\mathcal{O}_{10\ell} = \frac{\alpha}{4\pi} (\bar{s} \gamma_\mu P_L b) (\bar{\ell} \gamma^\mu \gamma_5 \ell)$$

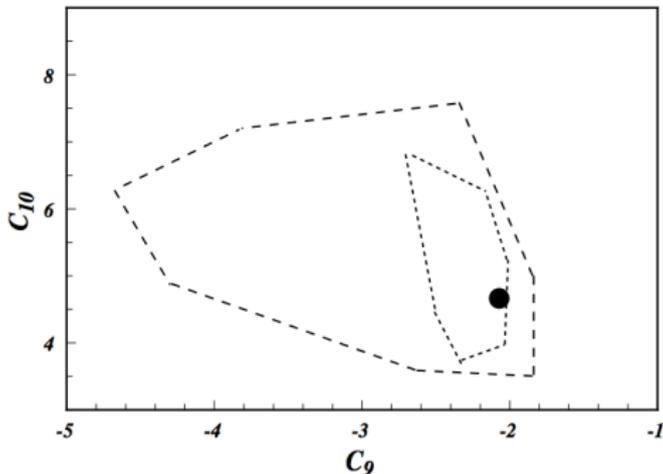
$$\mathcal{O}_{10'\ell} = \frac{\alpha}{4\pi} (\bar{s} \gamma_\mu P_R b) (\bar{\ell} \gamma^\mu \gamma_5 \ell),$$

Currently, global determinations of C_9 (and -maybe- C_{10}) seem discrepant with SM predictions, with an important statistical significance.

How did we get here?
(a historical digression)

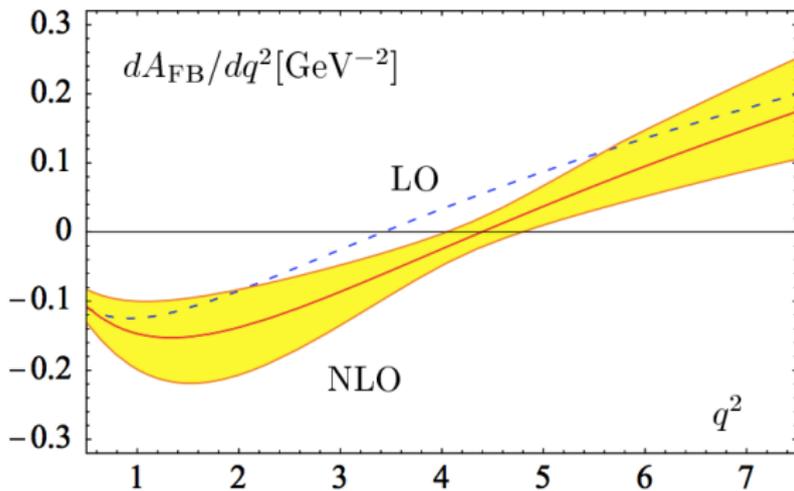
Fits to $b \rightarrow s$ transitions is not a new business

“Towards a Model-Independent Analysis of Rare B Decays”, Ali, Giudice, Mannel, 1994



But measurements of key modes ($B_s \rightarrow \mu\mu, B \rightarrow K^{(*)}ll$) awaited LHC(b)

These measurements were anticipated by theorists.



Cancellation of hadronic uncertainties in the zero-crossing

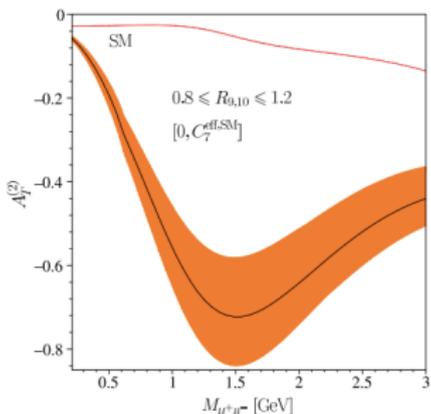
$$\text{At LO: } C_9 + \text{Re}(Y(q_0^2)) = -\frac{2M_B m_b}{q_0^2} C_7^{\text{eff}}$$

$$\begin{aligned}
 V(q^2) &= \frac{m_B + m_{K^*}}{m_B} \xi_{\perp}(q^2) + \Delta V^{\alpha_s}(q^2) + \Delta V^{\Lambda}(q^2), \\
 A_1(q^2) &= \frac{2E}{m_B + m_{K^*}} \xi_{\perp}(q^2) + \Delta A_1^{\alpha_s}(q^2) + \Delta A_1^{\Lambda}(q^2), \\
 A_2(q^2) &= \frac{m_B}{m_B - m_{K^*}} \left[\xi_{\perp}(q^2) - \xi_{\parallel}(q^2) \right] + \Delta A_2^{\alpha_s}(q^2) + \Delta A_2^{\Lambda}(q^2), \\
 A_0(q^2) &= \frac{E}{m_{K^*}} \xi_{\parallel}(q^2) + \Delta A_0^{\alpha_s}(q^2) + \Delta A_0^{\Lambda}(q^2), \\
 T_1(q^2) &= \xi_{\perp}(q^2) + \Delta T_1^{\alpha_s}(q^2) + \Delta T_1^{\Lambda}(q^2), \\
 T_2(q^2) &= \frac{2E}{m_B} \xi_{\perp}(q^2) + \Delta T_2^{\alpha_s}(q^2) + \Delta T_2^{\Lambda}(q^2), \\
 T_3(q^2) &= \left[\xi_{\perp}(q^2) - \xi_{\parallel}(q^2) \right] + \Delta T_3^{\alpha_s}(q^2) + \Delta T_3^{\Lambda}(q^2),
 \end{aligned}$$

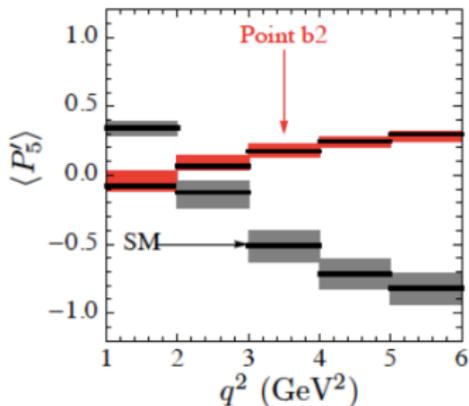
Only two independent structures at leading order + power

Clean observables for all q^2 (Cancellation as functions of q^2)

Kruger, Matias 2002



Descotes-Genon, Matias, Ramon, Virto 2012



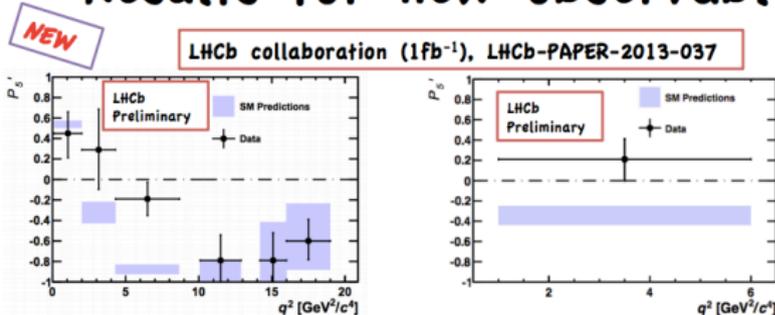
Also: clean observables at large q^2

Bobeth, Hiller, van Dyk

Full basis of “all- q^2 -clean” observables

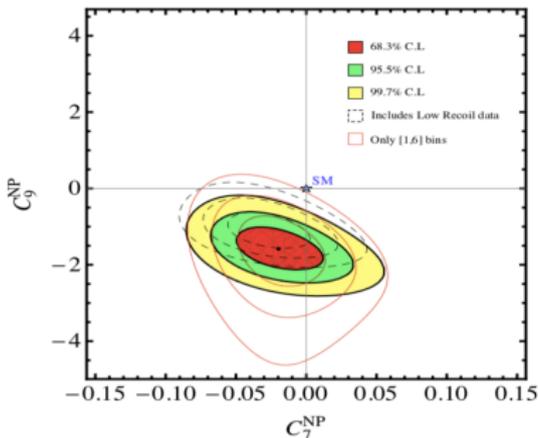
Descotes-Genon, Hurth, Matias, Virto 2013

Results for new observables



- Discrepancy with respect to SM predictions (arXiv:1303.5794) at low q^2
- 3.7 sigma discrepancy in the region $4.3 < q^2 < 8.68$ GeV $^2/c^4$
- 0.5% probability (2.8 sigma) to observe such a deviation considering 24 independent measurements)
- 2.5 sigma discrepancy in the region $1.0 < q^2 < 6.0$ GeV $^2/c^4$

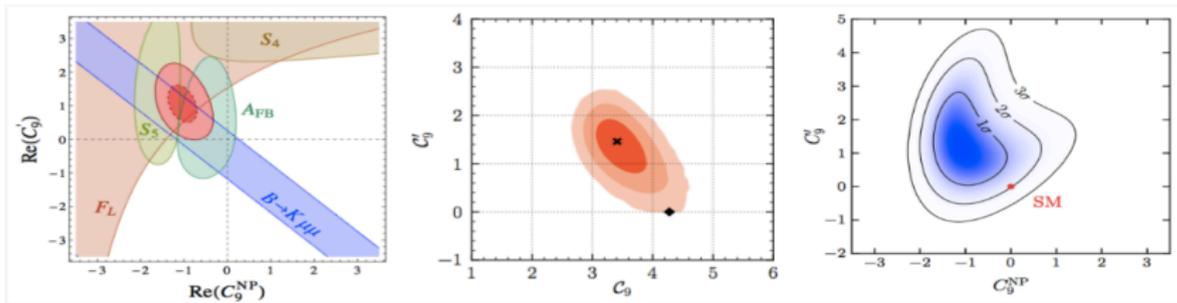
N. Serra, talk at EPS-HEP 2013



Indication for $C_9^{\text{NP}} \sim -1$

We have combined the recent LHCb measurements of $B \rightarrow K^* \mu^+ \mu^-$ observables [19, 20] with other radiative modes in a fit to Wilson coefficients, using the framework of our previous works [15, 21]. We have found a strong indication for a negative NP contribution to the coefficient C_9 , at 4.5σ using large-recoil data (3.9σ using both large- and low-recoil data). Our results correspond to C_9 inside a 68% C.L. range $2.2 \leq C_9 \leq 2.8$ to be compared with $C_9^{\text{SM}} = 4.07$ at the scale $\mu_b = 4.8$ GeV. This is the main conclusion of our analysis of LHCb $B \rightarrow K^* \mu^+ \mu^-$ measurements.

We also observe a slight preference for negative values



Altmannshofer, Straub 1308.1501,

Beaujean, Bobeth, van Dyk 1310.2478,

Horgan et al. 1310.3887

A new “twist”: Lepton Flavor Non-Universality

$$R_K \equiv \frac{\mathcal{B}(B^+ \rightarrow K^+ \mu\mu)_{[1,6]\text{GeV}^2}}{\mathcal{B}(B^+ \rightarrow K^+ ee)_{[1,6]\text{GeV}^2}}; \quad R_K^{\text{SM}} = 1; \quad R_K^{\text{LHCb 2014}} \simeq 0.75 \pm 0.1$$

Hiller, Kruger 2004; Bobeth, Hiller, Piranishvili 2007; Bordone, Isidori, Pattori 2016; LHCb 2014

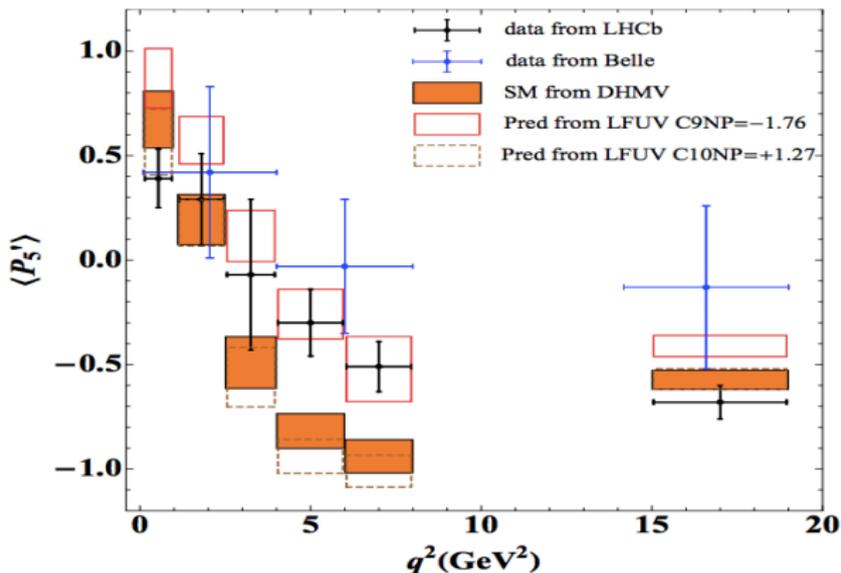
not very well bound, especially for the electronic case, so different scenarios of NP could currently explain (15). For example one could entertain the possibility of a sizable and negative effect in C_9 affecting only the muonic mode, $\delta C_9^\mu = -1$. In this scenario one obtains $R_K \simeq 0.79$. As a side remark, it is worth emphasizing that such a negative NP contribution to $\mathcal{O}_9^{(\prime)}$ has been argued to be necessary to understand the current $b \rightarrow s\mu\mu$ data set [27–30].

From Alonso, Grinstein, Camalich 2014

See also Hiller, Schmaltz 2014; Gosh, Nardecchia, Renner 2014

A new “twist”: Lepton Flavor Non-Universality

Consistency of P_5' and LFNU in 2017 [Capdevila, Crivellin, Descotes-Genon, Matias, Virto 2017](#)



Fit to LFNU observables only (2017) predicted correct LHCb P_5' measurements

Current status of available measurements (2020)

Spectrum of available $b \rightarrow s\ell\ell$ Observables – (Total = 180)

$B_s \rightarrow \mu^+ \mu^-$	$B \rightarrow X_s \mu^+ \mu^-$	$B \rightarrow K^* \gamma$	$B \rightarrow X_s \gamma$
$B \rightarrow K \mu \mu$	$B \rightarrow K^* \mu \mu$	$B_s \rightarrow \Phi \mu \mu$	$\Lambda_b \rightarrow \Lambda \mu \mu$
BRs	AOs	Low q^2	Large q^2
R_K	R_{K^*}	LFU (μ)	LFUV (μ vs e)
LHCb	Belle/BaBar	ATLAS	CMS

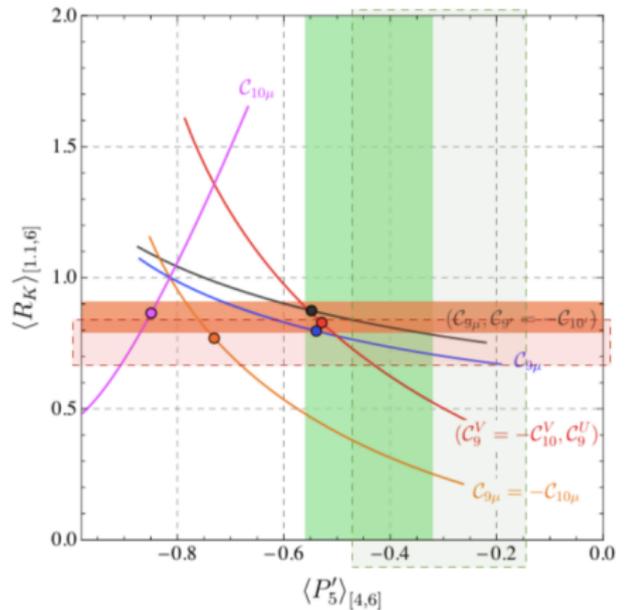
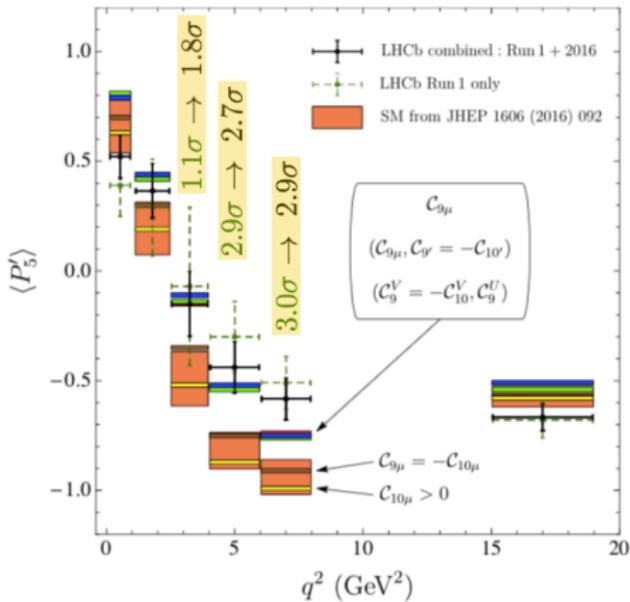
Latest updates: R_K^{LHCb} , R_K^{Belle} (2019), $B \rightarrow K^* \mu \mu$ (LHCb 2020 [Run 1 + 2016]).

“Anomalies” (as of 2020)

Observable	Experiment	SM prediction	pull
$R_K^{[1.1,6]}$	0.85 ± 0.06	1.00 ± 0.01	$+2.5\sigma$
$R_{K^*}^{[0.045,1.1]}$	$0.66_{-0.07}^{+0.11}$	0.92 ± 0.02	$+2.3\sigma$
$R_{K^*}^{[1.1,6]}$	$0.69_{-0.08}^{+0.12}$	1.00 ± 0.01	$+2.6\sigma$
$\langle P'_5 \rangle_{[4,6]}$	-0.44 ± 0.12	-0.82 ± 0.08	-2.7σ
$\langle P'_5 \rangle_{[6,8]}$	-0.58 ± 0.09	-0.94 ± 0.08	-2.9σ
$\mathcal{B}_{\phi\mu\mu}^{[2,5]}$	0.77 ± 0.14	1.55 ± 0.33	$+2.2\sigma$
$\mathcal{B}_{\phi\mu\mu}^{[5,8]}$	0.96 ± 0.15	1.88 ± 0.89	$+2.2\sigma$

Global fit should accommodate these deviations within all other measurements

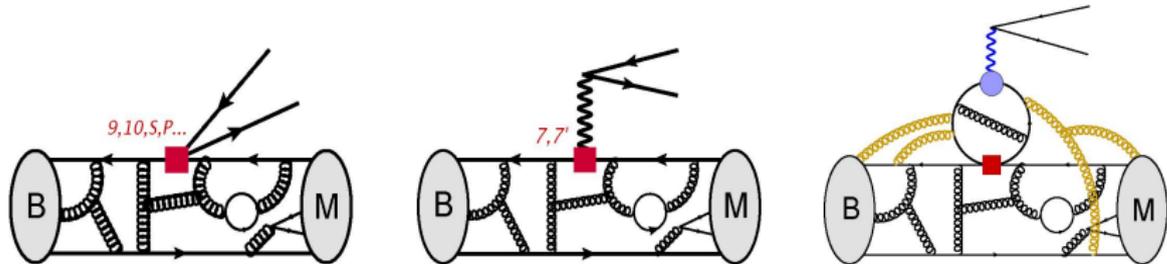
A closer look at new measurements of R_K and P'_5 (LHCb 2019, 2020)



More details: [Algeró et al. Addendum to Eur.Phys.J.C 79 \(2019\)](#)

Some Details on Theory Predictions

Anatomy of $B \rightarrow M_\lambda \ell^+ \ell^-$ EFT Amplitudes

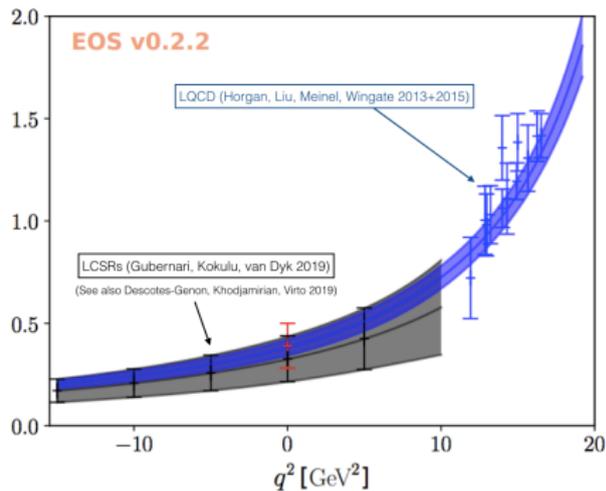
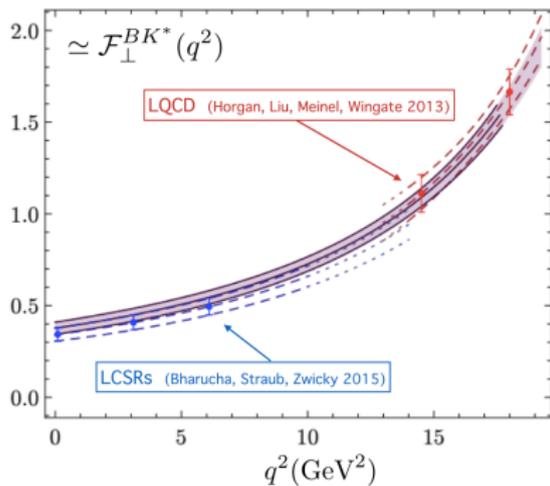


$$\mathcal{A}_\lambda^{L,R} = \mathcal{N}_\lambda \left\{ (C_9 \mp C_{10}) \mathcal{F}_\lambda(q^2) + \frac{2m_b M_B}{q^2} \left[C_7 \mathcal{F}_\lambda^T(q^2) - 16\pi^2 \frac{M_B}{m_b} \mathcal{H}_\lambda(q^2) \right] \right\}$$

► Local (Form Factors): $\mathcal{F}_\lambda^{(\Gamma)}(q^2) = \langle \bar{M}_\lambda(k) | \bar{s} \Gamma_\lambda^{(\Gamma)} b | \bar{B}(k+q) \rangle$

► Non-Local: $\mathcal{H}_\lambda(q^2) = i \mathcal{P}_\mu^\lambda \int d^4x e^{iq \cdot x} \langle \bar{M}_\lambda(k) | T \{ \mathcal{J}_{\text{em}}^\mu(x), C_i \mathcal{O}_i(0) \} | \bar{B}(q+k) \rangle$

Local form factors



- ▶ Two main approaches: (1) **Lattice QCD** (large q^2) (2) **LCSRs** (low q^2)
- ▶ Two approaches to **LCSRs**, in terms of (1) K^* LCDAs (2) B LCDAs
- ▶ q^2 dependence can be parametrized model-independently

Non-local Form Factors: OPE + dispersion relations

$$\mathcal{H}_{\lambda,x}(q^2) = \mathcal{H}_{\lambda,x}^{\text{OPE}}(q_0^2 < 0) + (q^2 - q_0^2) \int_{s_{\text{th}}}^{\infty} dt \frac{\rho_{\lambda,x}(t)}{(t - q^2 - i\epsilon)(t - q_0^2)}$$

- $\mathcal{H}_{\lambda,x}^{\text{OPE}}(q_0^2)$: Theory e.g. Khodjamirian et al 2010, 2012; Asatrian, Greub, Virto 2019
- $\rho_{\lambda,c}(t)$: $B \rightarrow K^{(*)}J/\psi$, $B \rightarrow K^{(*)}\psi(2S)$, $B \rightarrow K^{(*)}D\bar{D}$, ...
- $\rho_{\lambda,sb}(t)$: $B \rightarrow K^{(*)}\phi$, $B \rightarrow K^{(*)}\bar{K}K$, ...
- $\rho_{\lambda,ud}(t)$: $B \rightarrow K^{(*)}\rho$, $B \rightarrow K^{(*)}\omega$, $B \rightarrow K^{(*)}\pi\pi$, $B \rightarrow K^{(*)}\pi\pi\pi$, ...

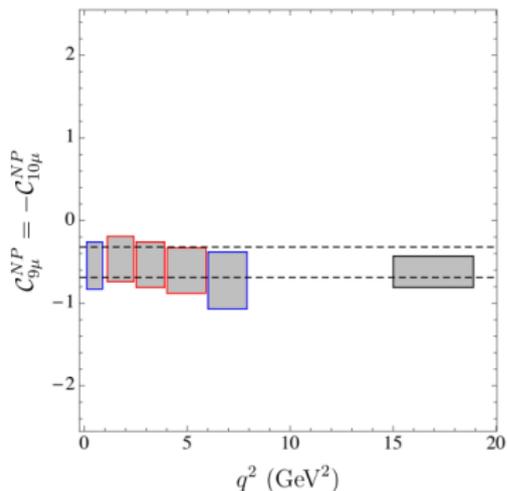
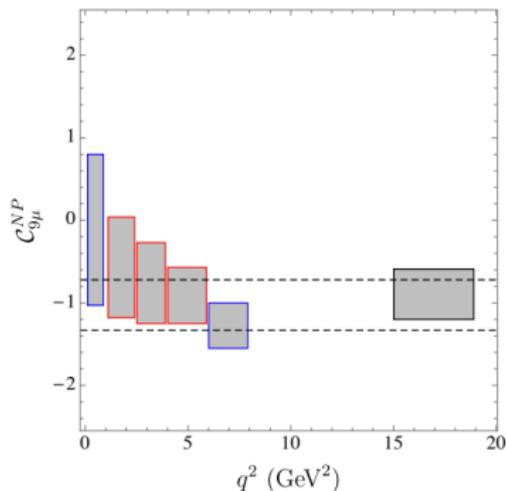
Charm contribution \rightarrow numerically leading

From OPE region to physical region requires DATA ($B \rightarrow K^{(*)}X_{1--}$)

\Rightarrow Current fit uses QCDF (BFS) + KMPW correction + nuisances for PCs.

BFS = Beneke, Feldmann, Seidel 2001; KMPW = Khodjamirian et al 2010

Non-local Form Factors: Consistency Tests



Algeró et al. Addendum to Eur.Phys.J.C 79 (2019)

No evidence for a q^2 dependence pointing towards a missing LD effect, but interesting to see what happens with more and more precise data.

Updated Fits

Fit: Statistical Approach

$$\chi^2(C_i) = [O_{\text{exp}} - O_{\text{th}}(C_i)]_j [Cov^{-1}]_{jk} [O_{\text{exp}} - O_{\text{th}}(C_i)]_k$$

- $Cov = Cov^{\text{exp}} + Cov^{\text{th}}$
- Cov^{exp} is provided by LHCb
- Calculate Cov^{th} : correlated multigaussian scan over all nuisance parameters
- Cov^{th} depends on C_j : Must check this dependence

For the Fit:

- Minimise $\chi^2 \rightarrow \chi_{\text{min}}^2 = \chi^2(C_i^0)$ (Best Fit Point = C_i^0)
- Confidence level regions: $\chi^2(C_i) - \chi_{\text{min}}^2 < \Delta\chi_{\sigma,n}$
- Compute pulls by inversion of the above formula

1D Hyp.	All				LFUV			
	Best fit	$1 \sigma/2 \sigma$	Pull _{SM}	p-value	Best fit	$1 \sigma/2 \sigma$	Pull _{SM}	p-value
$C_{9\mu}^{\text{NP}}$	-1.03	$[-1.19, -0.88]$ $[-1.33, -0.72]$	6.3	37.5 %	-0.91	$[-1.25, -0.61]$ $[-1.63, -0.34]$	3.3	60.7 %
$C_{9\mu}^{\text{NP}} = -C_{10\mu}^{\text{NP}}$	-0.50	$[-0.59, -0.41]$ $[-0.69, -0.32]$	5.8	25.3 %	-0.39	$[-0.50, -0.28]$ $[-0.62, -0.17]$	3.7	75.3 %
$C_{9\mu}^{\text{NP}} = -C_{9'\mu}$	-1.02	$[-1.17, -0.87]$ $[-1.31, -0.70]$	6.2	34.0 %	-1.67	$[-2.15, -1.05]$ $[-2.54, -0.48]$	3.1	53.1 %
$C_{9\mu}^{\text{NP}} = -3C_{9e}^{\text{NP}}$	-0.93	$[-1.08, -0.78]$ $[-1.23, -0.63]$	6.2	33.6 %	-0.68	$[-0.92, -0.46]$ $[-1.19, -0.25]$	3.3	60.8 %

TABLE VII. Most prominent 1D patterns of NP in $b \rightarrow s\mu^+\mu^-$ transitions (state-of-the-art fits as of March 2020). Here, Pull_{SM} is quoted in units of standard deviation and the p -value of the SM hypothesis is 1.4% for the fit “All” and 12.6% for the fit LFUV.

p-values have decreased in general due to decrease in experimental uncertainties

Some results of the fit: 6D

Algeró et al. Addendum to Eur.Phys.J.C 79 (2019)

	C_7^{NP}	$C_{9\mu}^{\text{NP}}$	$C_{10\mu}^{\text{NP}}$	$C_{7'}$	$C_{9'\mu}$	$C_{10'\mu}$
Best fit	+0.00	-1.13	+0.20	+0.00	+0.49	-0.10
1σ	$[-0.02, +0.02]$	$[-1.30, -0.96]$	$[+0.05, +0.37]$	$[-0.01, +0.02]$	$[+0.04, +0.95]$	$[-0.33, +0.14]$
2σ	$[-0.03, +0.04]$	$[-1.46, -0.78]$	$[-0.09, +0.57]$	$[-0.03, +0.04]$	$[-0.39, +1.45]$	$[-0.55, +0.41]$

TABLE IX. 1 and 2σ confidence intervals for the NP contributions to Wilson coefficients in the 6D hypothesis allowing for NP in $b \rightarrow s\mu^+\mu^-$ operators dominant in the SM and their chirally-flipped counterparts, for the fit “All” (state-of-the-art as of March 2020). The Pull_{SM} is 5.8σ and the p -value is 46.8%.

$C_{9\mu}$ stands out since 2013

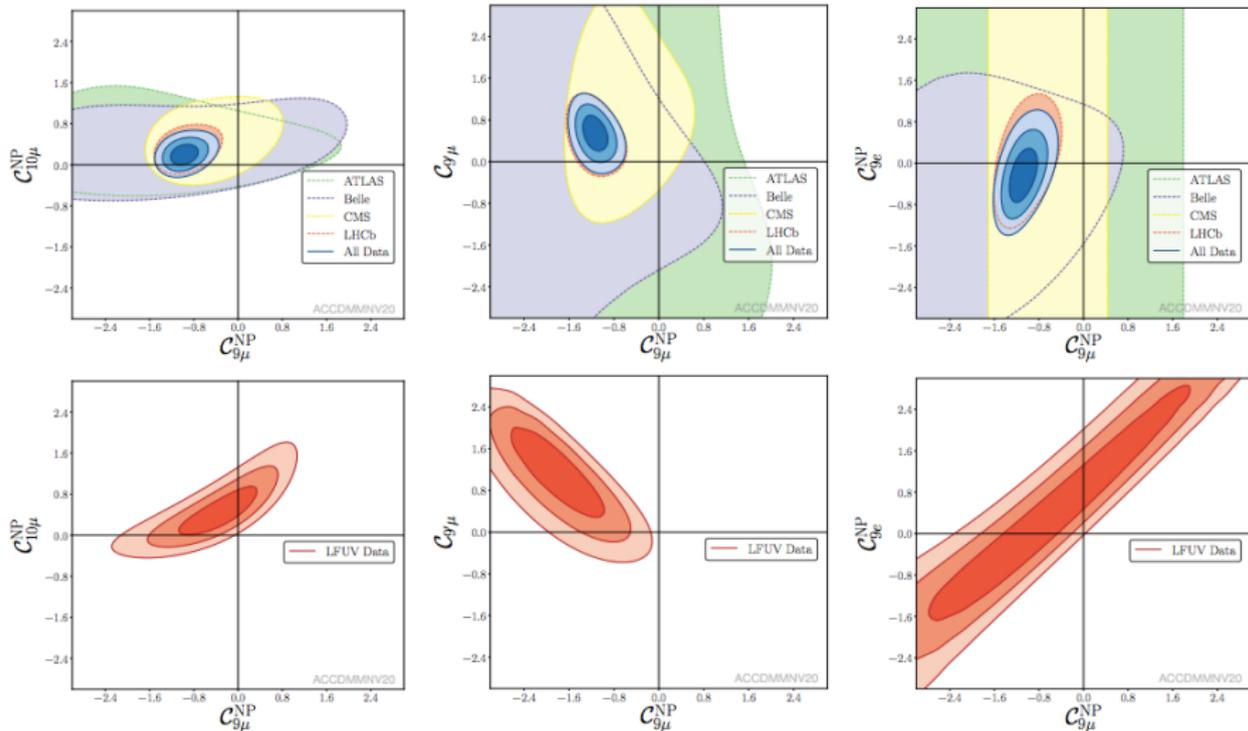
2D Hyp.	All			LFUV		
	Best fit	Pull _{SM}	p-value	Best fit	Pull _{SM}	p-value
$(C_{9\mu}^{\text{NP}}, C_{10\mu}^{\text{NP}})$	(-0.98,+0.19)	6.2	39.8 %	(-0.31,+0.44)	3.2	70.0 %
$(C_{9\mu}^{\text{NP}}, C_{7'})$	(-1.04,+0.01)	6.0	36.5 %	(-0.92,-0.04)	3.0	57.4 %
$(C_{9\mu}^{\text{NP}}, C_{9'\mu})$	(-1.14,+0.55)	6.5	47.4 %	(-1.86,+1.20)	3.5	81.2 %
$(C_{9\mu}^{\text{NP}}, C_{10'\mu})$	(-1.17,-0.33)	6.6	50.3 %	(-1.87,-0.59)	3.7	89.6 %
$(C_{9\mu}^{\text{NP}}, C_{9e}^{\text{NP}})$	(-1.09,-0.25)	6.0	36.5 %	(-0.72,+0.19)	2.9	54.5 %
Hyp. 1	(-1.10,+0.28)	6.5	48.9 %	(-1.69,+0.29)	3.5	82.4 %
Hyp. 2	(-1.01,+0.07)	5.9	33.7 %	(-1.95,+0.22)	3.1	64.3 %
Hyp. 3	(-0.51,+0.10)	5.4	24.0 %	(-0.39,-0.04)	3.2	69.9 %
Hyp. 4	(-0.52,+0.11)	5.6	26.4 %	(-0.46,+0.15)	3.4	77.9 %
Hyp. 5	(-1.17,+0.23)	6.6	51.1 %	(-2.05,+0.50)	3.8	91.9 %

TABLE VIII. Most prominent 2D patterns of NP in $b \rightarrow s\mu^+\mu^-$ transitions (state-of-the-art fits as of March 2020). The last five rows correspond to Hypothesis 1: $(C_{9\mu}^{\text{NP}} = -C_{9'\mu}, C_{10\mu}^{\text{NP}} = C_{10'\mu})$, 2: $(C_{9\mu}^{\text{NP}} = -C_{9'\mu}, C_{10\mu}^{\text{NP}} = -C_{10'\mu})$, 3: $(C_{9\mu}^{\text{NP}} = -C_{10\mu}^{\text{NP}}, C_{9'\mu} = C_{10'\mu})$, 4: $(C_{9\mu}^{\text{NP}} = -C_{10\mu}^{\text{NP}}, C_{9'\mu} = -C_{10'\mu})$ and 5: $(C_{9\mu}^{\text{NP}}, C_{9'\mu} = -C_{10'\mu})$.

Several “good” scenarios, all featuring $C_{9\mu}$.

Some results of the fit: 2D

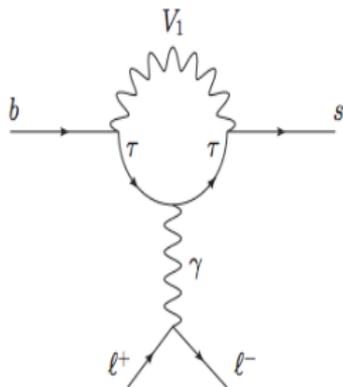
Algeró et al. Addendum to Eur.Phys.J.C 79 (2019)



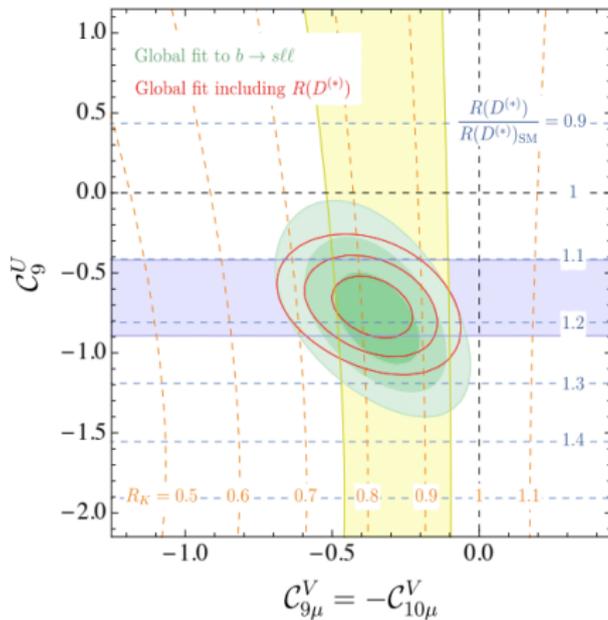
LHCb dominates de fits

Other interesting scenarios arise

Algeró et al. Addendum to Eur.Phys.J.C 79 (2019)



Crivellin, Greub, Müller, Saturnino

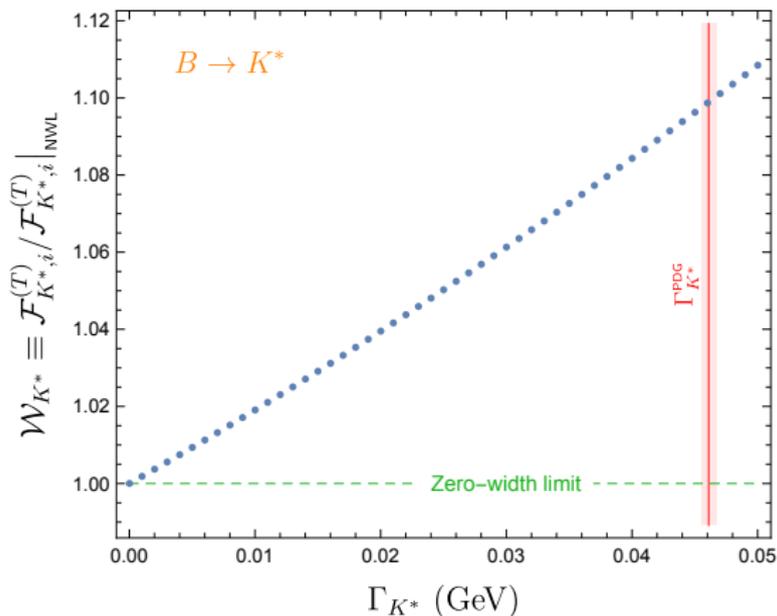


$b \rightarrow c$ anomaly induces $b \rightarrow s$ anomalies

Some future improvements

Form factors for unstable mesons (e.g., K^*): width effects

Descotes-Genon, Khodjamirian, Virto 2019

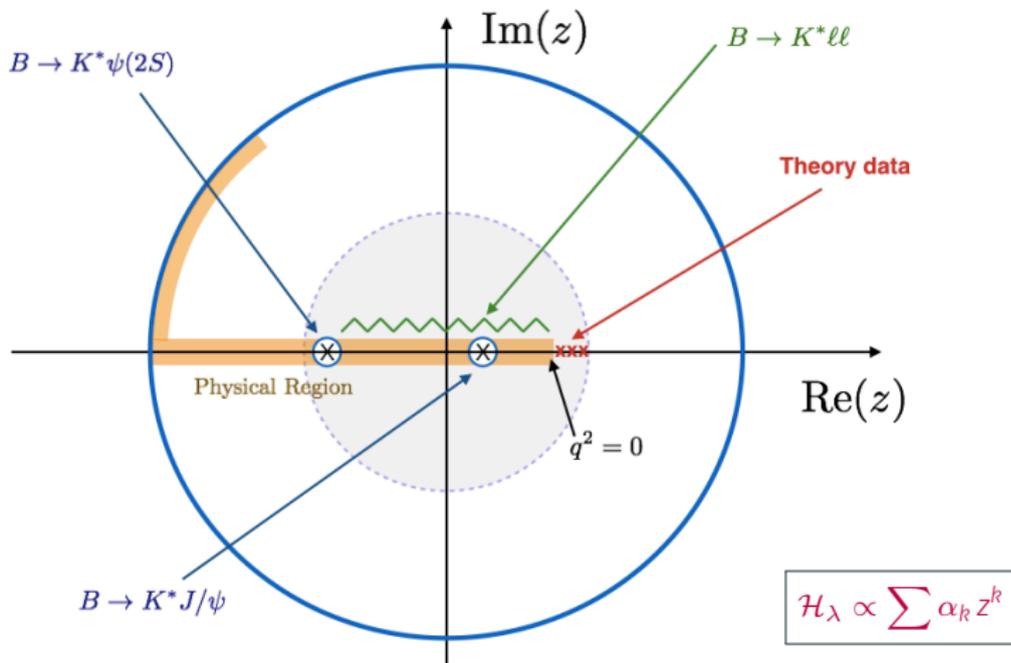


Crucial input: $\tau \rightarrow K\pi\nu$

$$\mathcal{W}_{K^*} \simeq 1 + 1.9 \frac{\Gamma_{K^*}}{m_{K^*}}$$

$$\mathcal{W}_{K^*} = 1.09 \pm 0.01$$

\Rightarrow BRs are corrected by a factor $|\mathcal{W}_{K^*}|^2 \simeq 1.2$ (increasing anomalies)



Constrain non-local effect with $B \rightarrow K^* \psi_n$ | Use interresonance $B \rightarrow K^* \ell \ell$ DATA

Non-local Form Factors: New OPE calculations of charm-loop effects

Gubernari, van Dyk, Virto, to appear

Results and comparison

$\Delta C9(q^2 = 1 \text{ GeV}^2)$	KMPW2010	GvDV2019
factorizable contr.	0.27	0.27
$B \rightarrow K \ell \ell$ $\tilde{\mathcal{A}}$	$-0.09^{+0.06}_{-0.07}$	$(1.9^{+0.6}_{-0.6}) \cdot 10^{-4}$
$B \rightarrow K^* \ell \ell$ $\tilde{\mathcal{V}}_1$	$0.6^{+0.7}_{-0.5}$	$(1.2^{+0.4}_{-0.4}) \cdot 10^{-3}$
$B \rightarrow K^* \ell \ell$ $\tilde{\mathcal{V}}_2$	$0.6^{+0.7}_{-0.5}$	$(2.1^{+0.7}_{-0.7}) \cdot 10^{-3}$
$B \rightarrow K^* \ell \ell$ $\tilde{\mathcal{V}}_3$	$1.0^{+1.6}_{-0.8}$	$(3.0^{+1.0}_{-1.0}) \cdot 10^{-3}$

- results represented as a q^2 dependent correction to $C9$
- we reproduce the analytical results given in KMWP2010
- our results are **two orders of magnitude smaller** than in KMWP2010

Slide from N.Gubernari's PhD defense

Subleading contributions to non-local FFs might be much smaller than currently assumed!

Summary and comments:

- $b \rightarrow s\ell\ell$ anomalies are alive and in good shape after LHCb 2019/2020 analyses
- Despite psychological concerns, NP fit is good and SM pull is high
- Decrease of significance of certain tensions (e.g. R_K or P'_5) might be good for NP
- A few different scenarios stand out. Consistent with 2013. Need more data to discern.

- Efforts on the QCD side less popular but terribly important
- Data-driven determination of hadronic effects promising and might be crucial
- In this context EXPERIMENT can also contribute immensely