

# Galaxy-Galaxy Lensing of LBGs at $4 < z < 8$ in CANDELS and the XDF

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with

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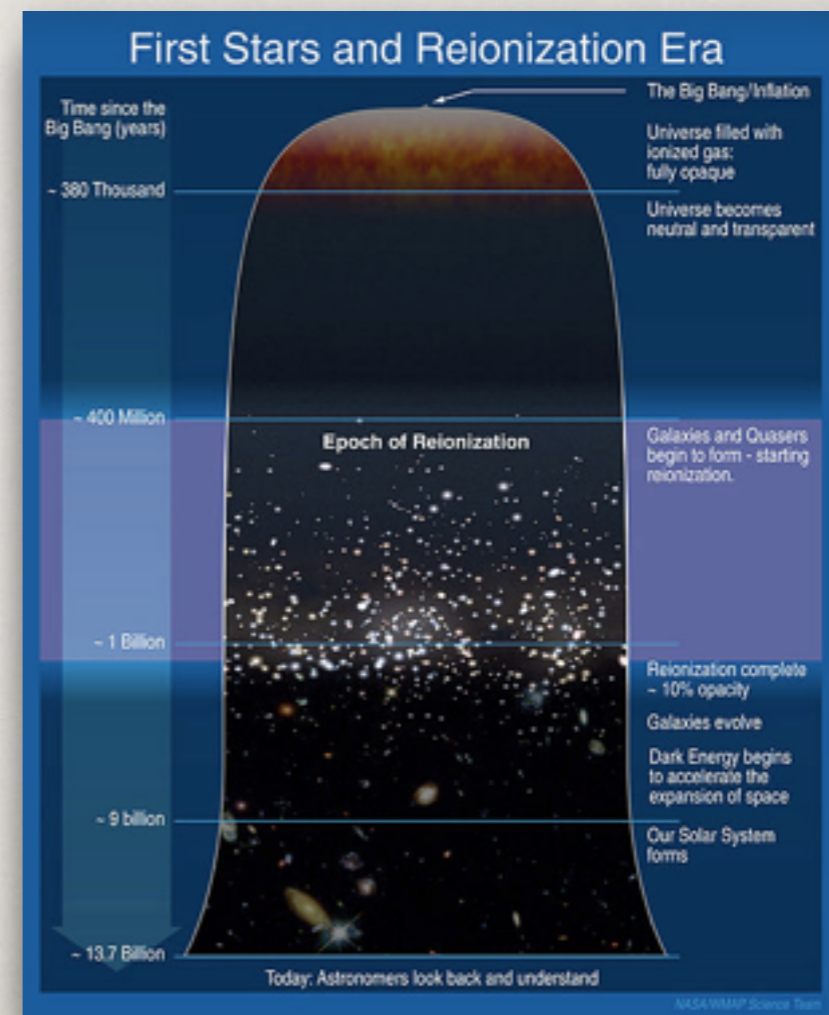
&

Rychard Bouwens

# Big Picture: Reionization

The period when the Universe transitioned from neutral to ionized

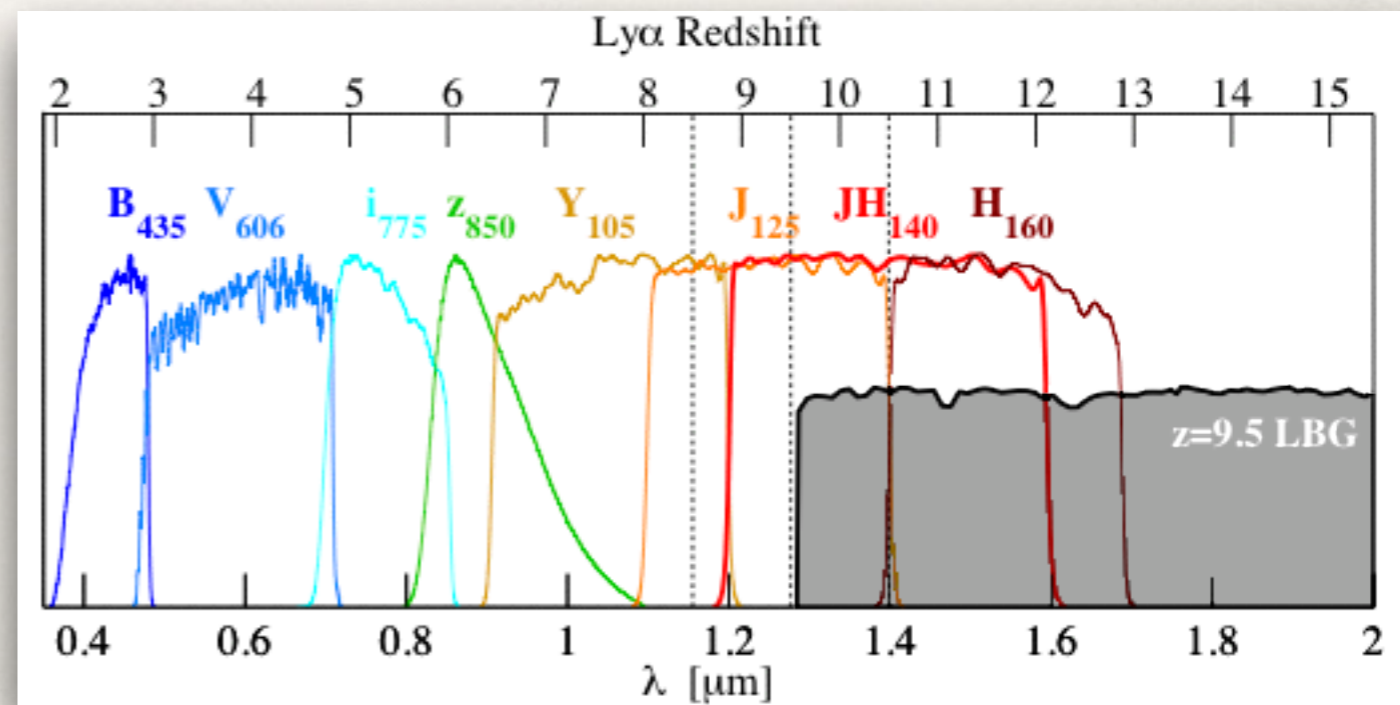
- ❖ Neutral Hydrogen in the IGM is reionized by the first stars and galaxies
- ❖ Thought to be finished by  $z \sim 6-7$  (Becker et al. 2001, Spergel et al. 2006)
- ❖ The question of what reionized the universe is still an open question



# High-Redshift Lyman-Break Galaxies

The search for galaxies that could have reionized the Universe

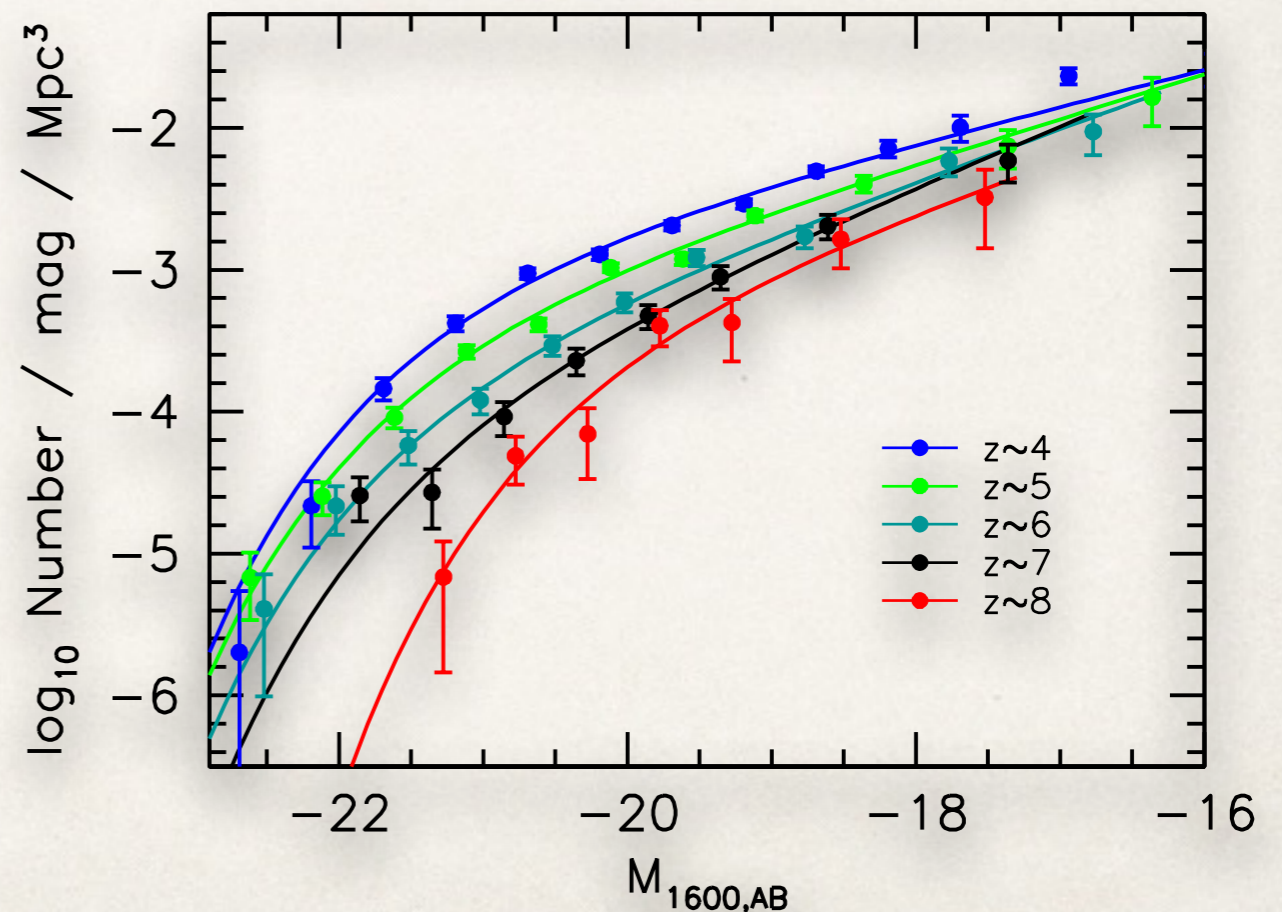
- ❖ Use the Lyman Break, beyond which spectra are heavily attenuated
- ❖ Identify galaxies at different redshifts using colour-colour criteria
- ❖ Filters a galaxy “drops out” in indicates its redshift



# The Luminosity Function

## A census of star-forming activity at high-redshift

- ❖ The luminosity function (LF) makes a census of star-forming activity at high-redshift
- ❖ Many independent studies mostly agree (Schmidt et al. 2014, Bowler et al. 2014, Finkelstein et al. 2012 etc.)
- ❖ The faint-end slope is seen to be very steep at high- $z$ , so faint LBGs could have reionized the universe



# Gravitational Lensing & Magnification Bias

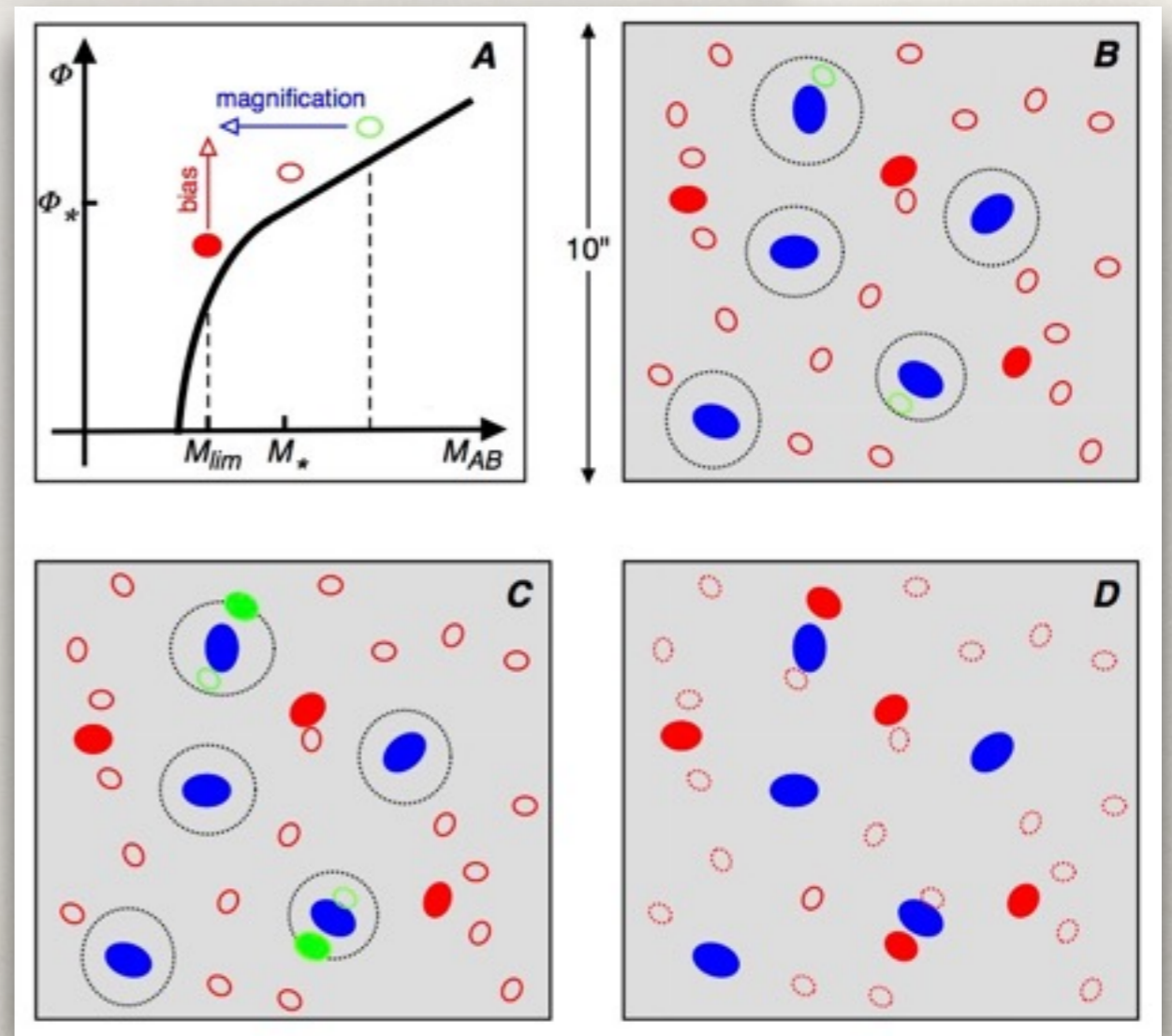
A bias that could skew the luminosity function

- Probability of *strong lensing* given an observed magnitude:

$$P(SL|M) = \frac{P(M|SL)}{P(M)} P(SL)$$

$$B(L) = \frac{\int_{\mu_{\min}}^{\mu_{\max}} \frac{d\mu}{\mu} \frac{dP}{d\mu} \Psi(L/\mu)}{\Psi(L)}$$

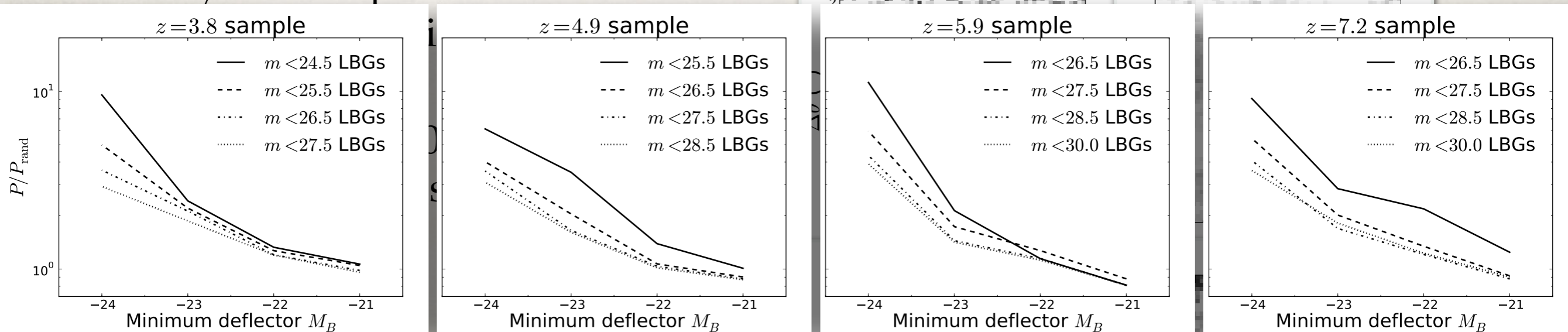
$$B(L > L_{\lim}) = \frac{\int_{\mu_{\min}}^{\mu_{\max}} d\mu \int_{L_{\lim}}^{\infty} dL \frac{dP}{d\mu} \Psi(L/\mu)}{\int_{L_{\lim}}^{\infty} dL \Psi(L)}$$



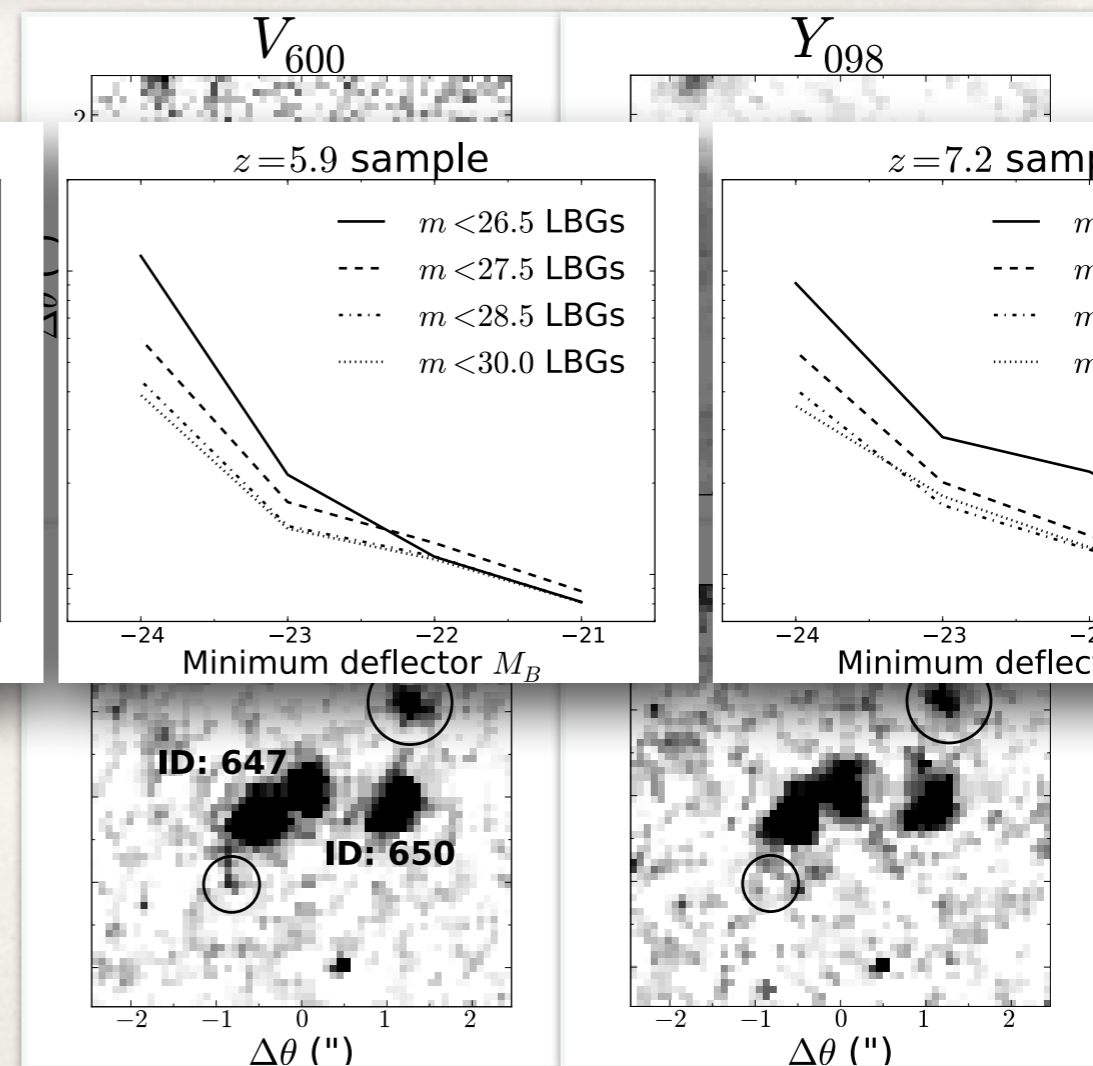
# Is Magnification Bias There?

There *should* be gravitationally lensed galaxies in current surveys

- ❖ Very hard to prove individual



- ❖ Shallower surveys, such as Brightest of Reionizing Galaxies survey (PI: Trenti), should have a high lensed fraction



# Our Search

Use Bouwens et al. (2014) samples of LBGs at  $z \sim 4, 5, 6$  &  $7$  to search for a statistical signal of magnification bias

- \* We estimate the magnification,  $\mu$ , of each LBG at  $z \sim 4, 5, 6$  &  $7$

- \* For each pair of LBG and nearby foreground object, use:

$$\theta_{ER} = 4\pi \left( \frac{\sigma_{\star}}{c} \right)^2 \frac{D_{LS}}{D_S},$$

Bouwens et al. (2014)

- \* Source and deflector redshift

& 3D-HST

- \* Deflector luminosity

3D-HST

$$\mu = \frac{|\theta_{\text{sep}}|}{|\theta_{\text{sep}}| - \theta_{ER}},$$

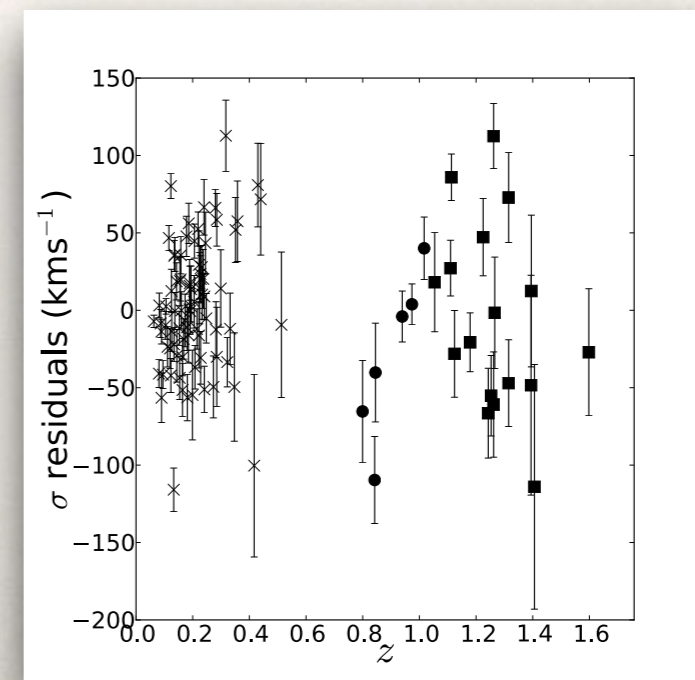
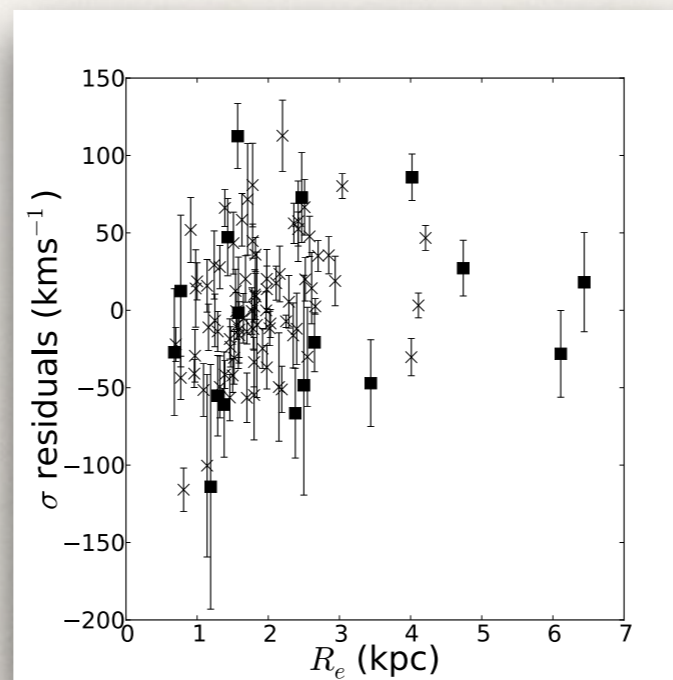
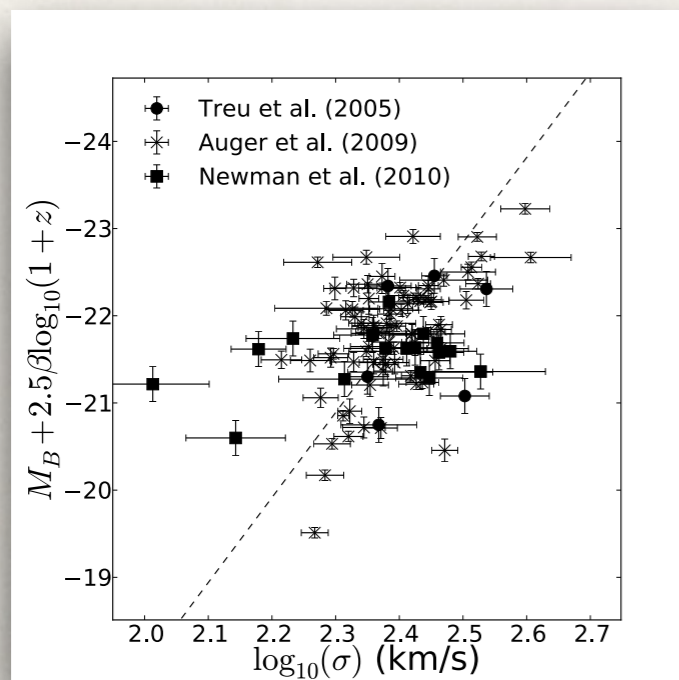
- \* Separation between LBG & deflector

# The Faber-Jackson Relation

A way of estimating velocity dispersion from luminosity

- Most deflectors will be at  $z \sim 1-2$ , where local FJR's aren't applicable
- Calibrate a redshift dependent FJR using Treu+05, Auger+09 & Newman+11 sample to account for evolution in the mass-to-light

$$L_B = m\sigma_*^\alpha (1+z)^\beta,$$





# Strong Lensing Probabilities

Assigning a probability that an LBG has been gravitationally lensed

- \* Ask two questions about each LBG-deflector pair:

$$\mu = \frac{|\theta_{\text{sep}}|}{|\theta_{\text{sep}}| - \theta_{ER}},$$

- \* *What deflector velocity dispersion is required for strong lensing ( $\mu=2$ )?*

$$2 = \frac{|\theta_{\text{sep}}|}{|\theta_{\text{sep}}| - 4\pi \left(\frac{\sigma_{\star, \text{req}}}{c}\right)^2 \frac{D_{LS}}{D_S}}$$

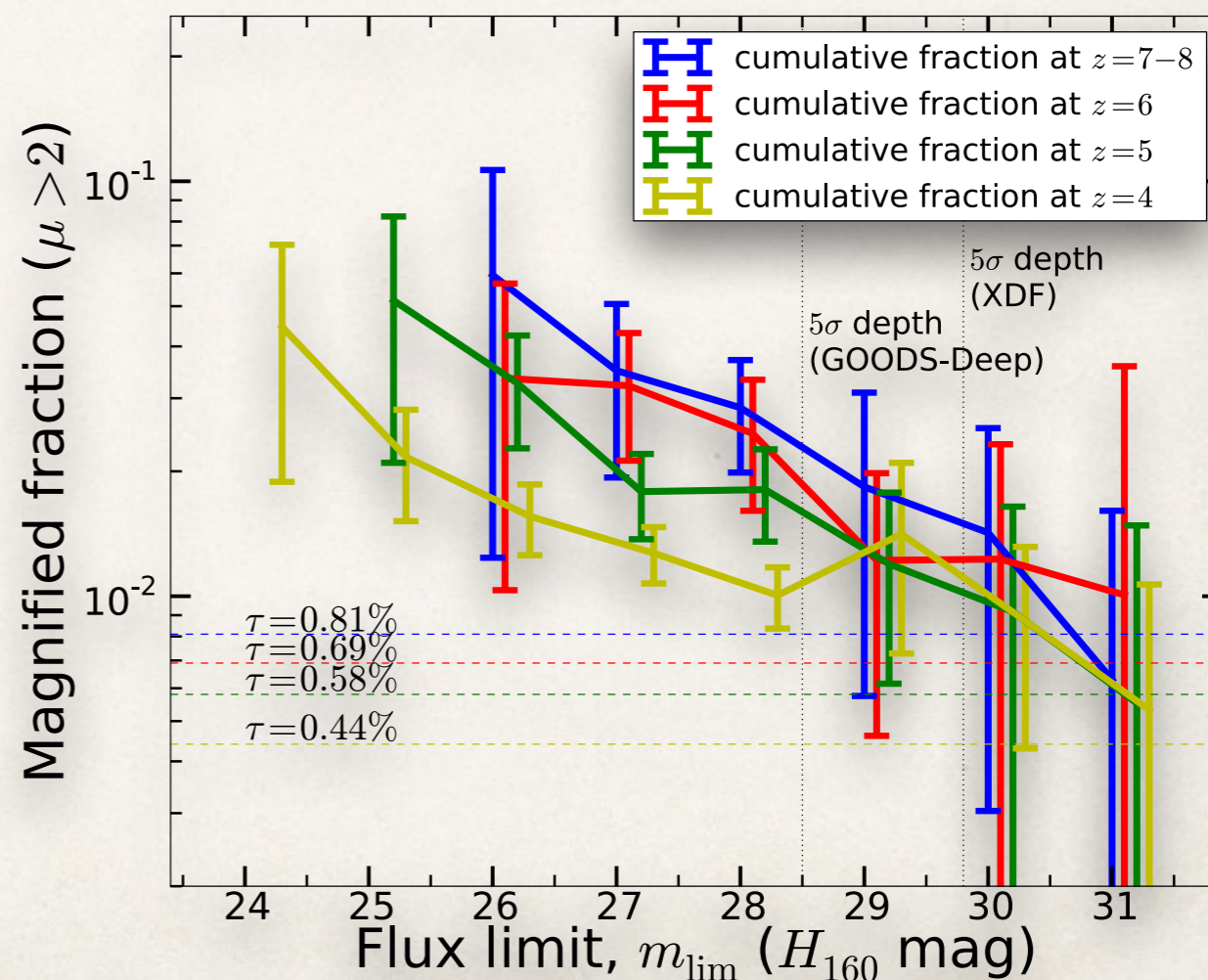
- \* *What is the chance that that deflector has a velocity dispersion equal to or greater than that required?*

$$\mathcal{L} = \frac{1}{2} \text{erfc} \left( \frac{\sigma_{\star, \text{req}} - \sigma_{\star, \text{inf}}}{\sqrt{2}\epsilon_{\text{FJR}}} \right)$$

# Results - Lensed Fraction

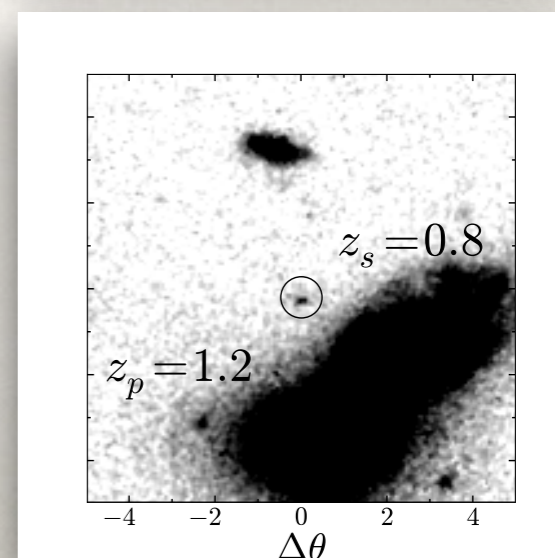
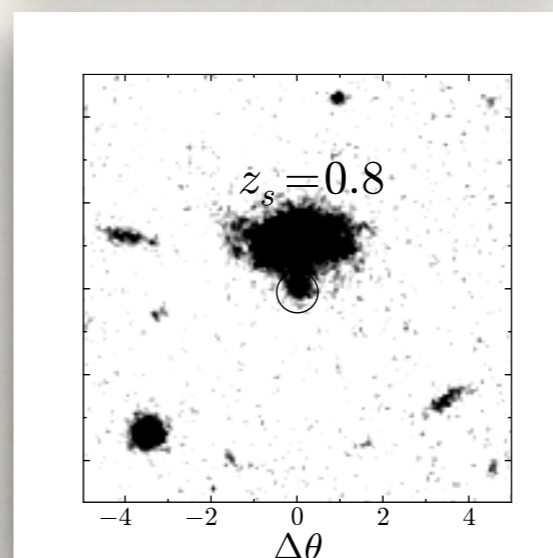
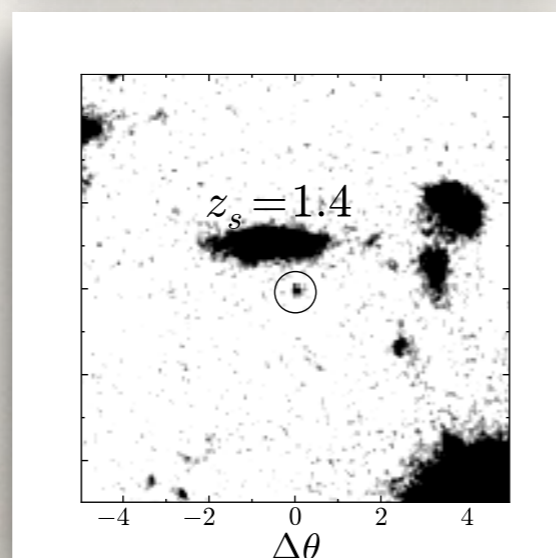
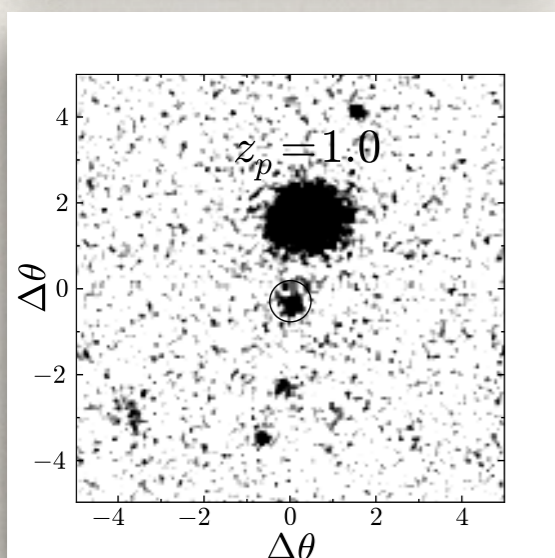
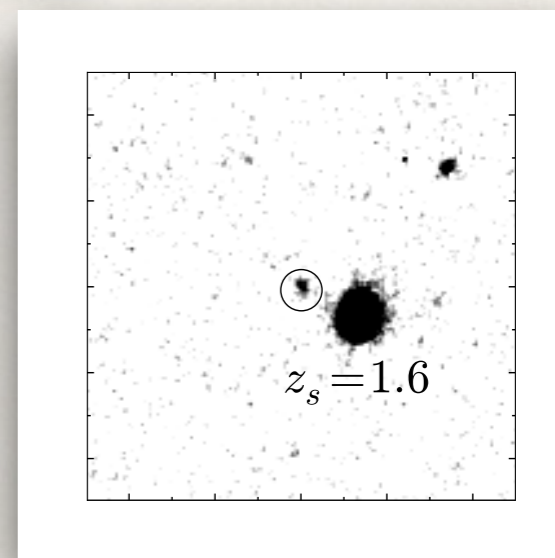
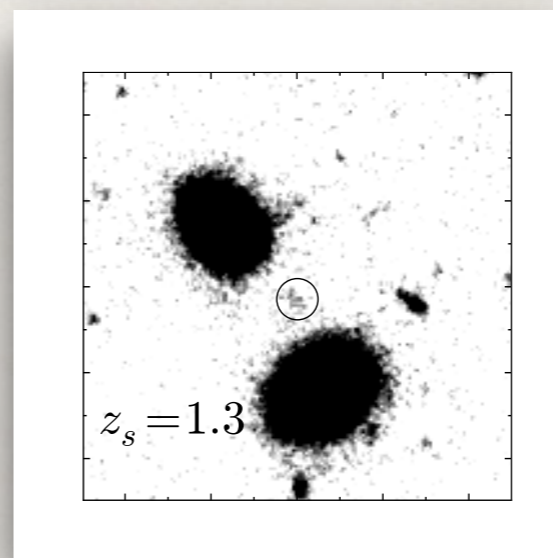
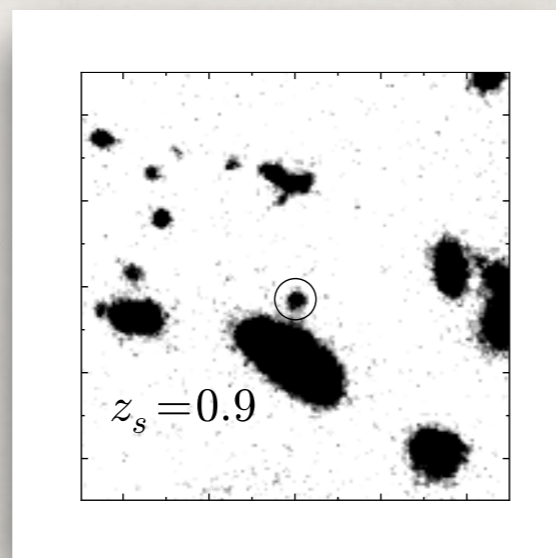
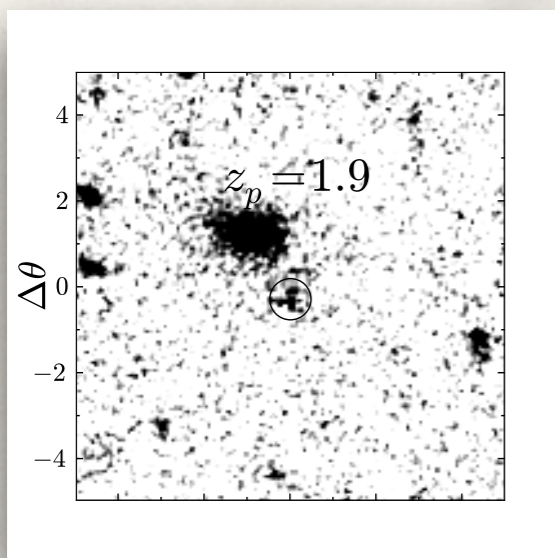
The fraction of strongly lensed LBGs above a flux limit

- ❖ Assess the lensed fraction at multiple flux limits for samples at  $z \sim 4, 5, 6, \& 7$
- ❖ See a monotonic increase in the lensed fraction for brighter flux limits
- ❖ Also see increase in the lensed fraction with redshift



# Results - Lensed Fraction

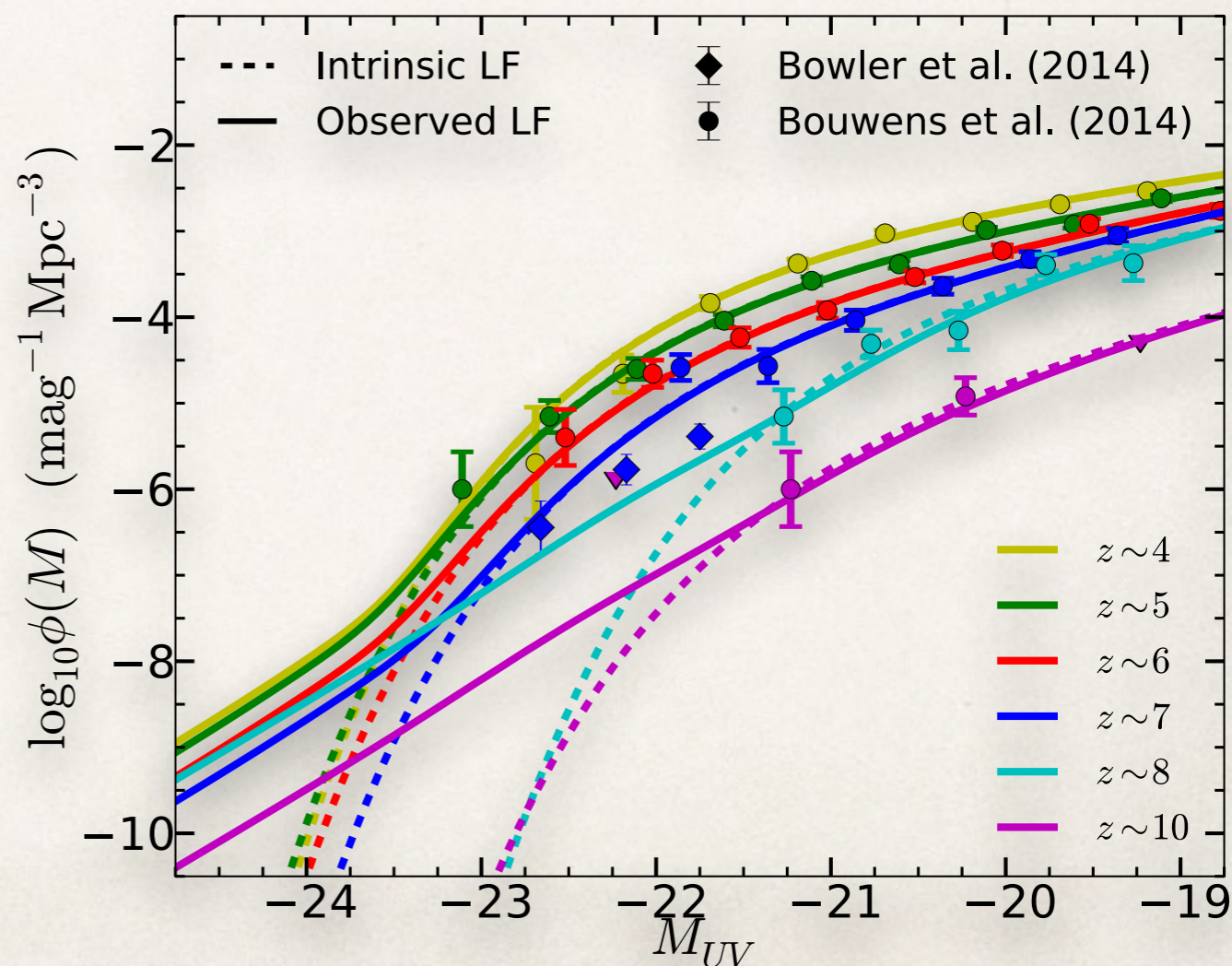
## Examples of possibly-lensed LBGs



# Effect on the Luminosity Function

Does this lensing affect current LFs?

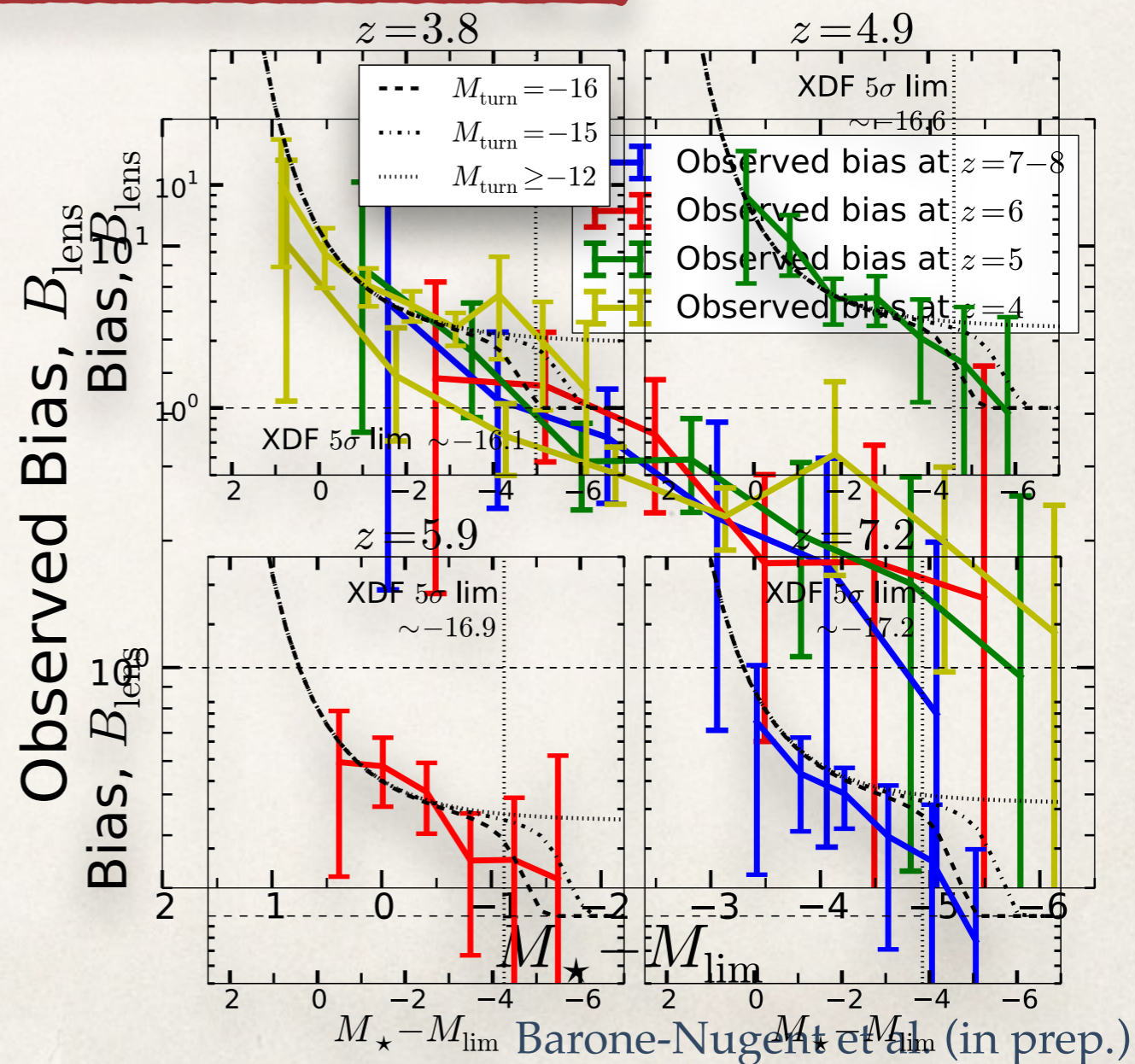
- \* Compute the *observed* luminosity function given an *intrinsic* luminosity function
- \* Current LFs out to  $z \sim 8$  are not significantly affected
- \* Future surveys at  $z > 10$ , however, will be affected



# Results - Magnification Bias

## The excess probability of lensing

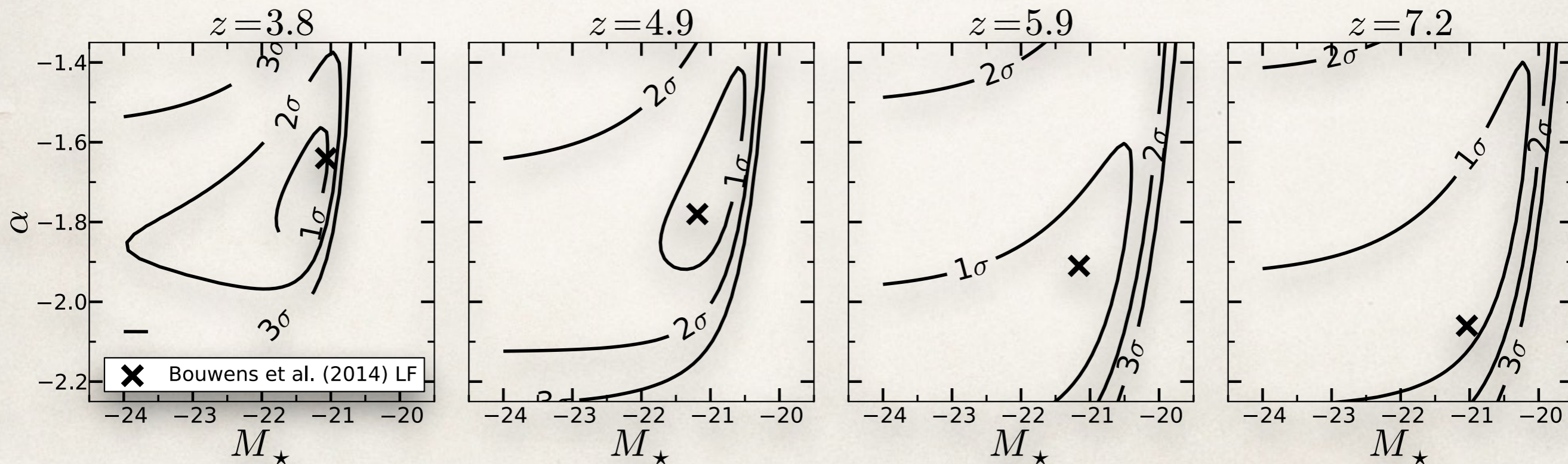
- The *magnification bias* is the strongly-lensed fraction divided by the optical depth,  $\tau$
- Calculate the optical depth by assessing the lensed fraction of random source positions
- Compare observed magnification bias with theoretical bias



# A New Way to Fit the LF

An alternative method to number counts of galaxies

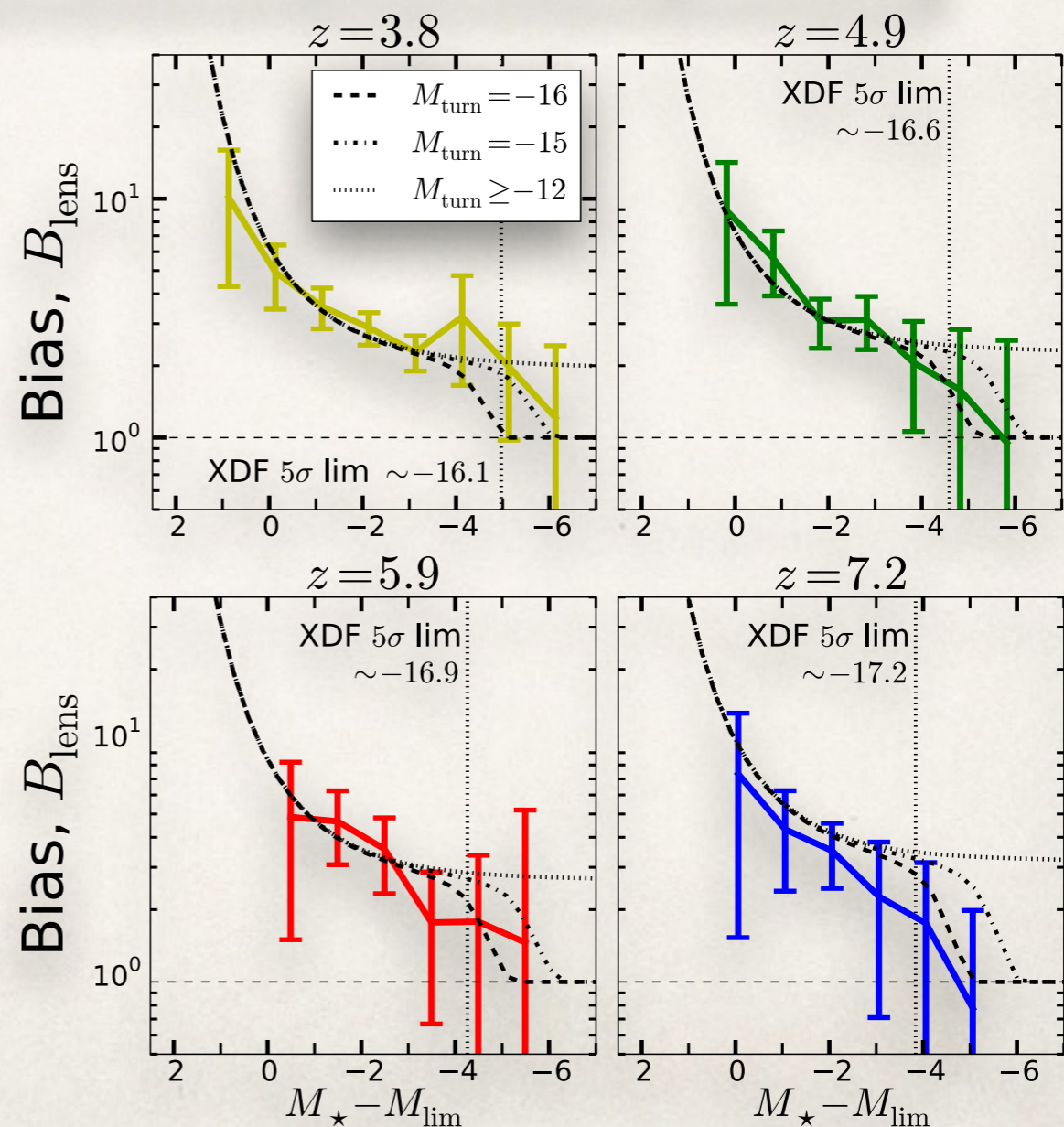
$$B(L) = \frac{\int_{\mu_{\min}}^{\mu_{\max}} \frac{d\mu}{\mu} \frac{dP}{d\mu} \Psi(L/\mu)}{\Psi(L)},$$



# Beyond Current Flux Limits

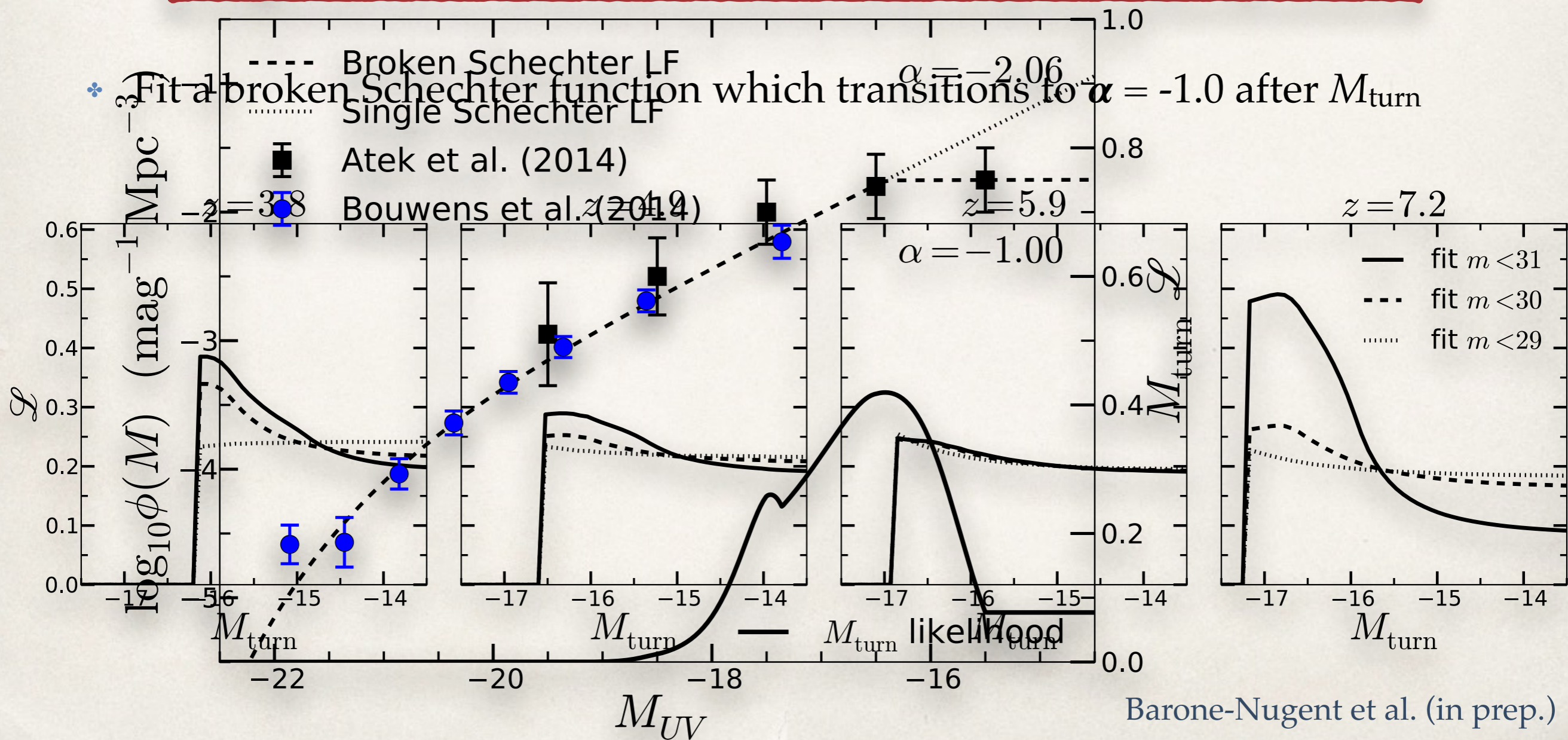
Magnification bias allows us to look beyond survey limits

- \* Bias at a flux limit depends directly on the LF to a few magnitudes deeper than that limit
- \* Observed magnification bias approaches unity in each of the samples from  $z \sim 4$  to  $z \sim 7$
- \* This may be caused by a flattening LF beyond flux limits



# Beyond Current Flux Limits

Magnification bias allows us to look beyond survey limits



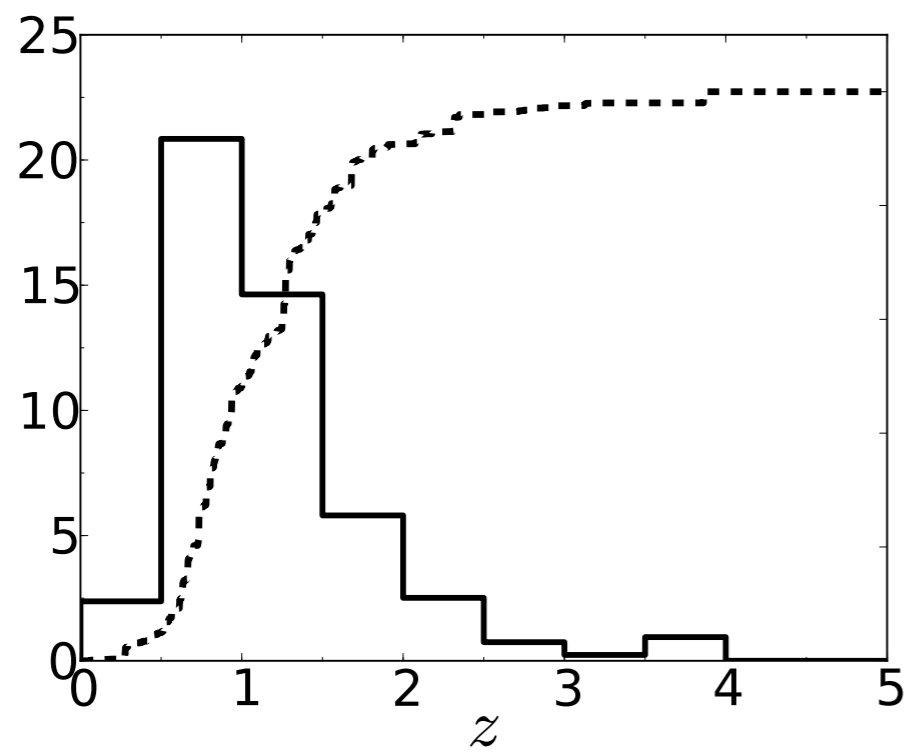


# Conclusions

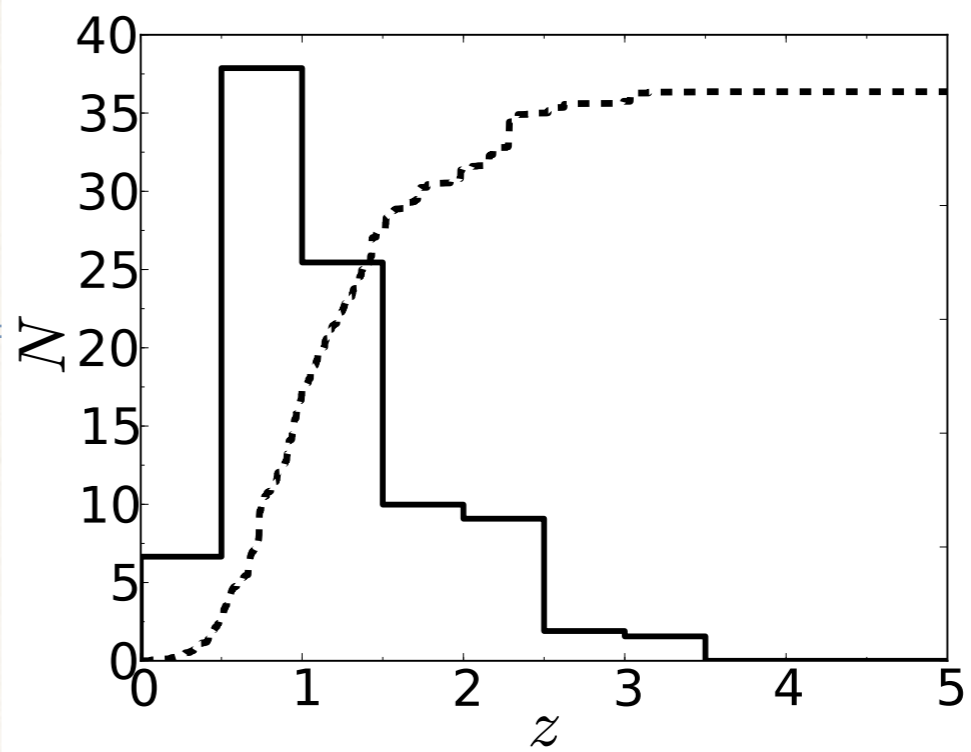
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- ❖ Magnification bias exists in current surveys, with  $\sim 10\%$  of LBGs brighter than  $M_{\star}$  at  $z \sim 7$  strongly lensed,
- ❖ Future surveys using JWST of LBGs at  $z > 10$  will need to compensate for its effect on the LF,
- ❖ Most or all LBGs detected at  $z > 10$  may be strongly lensed,
- ❖ Measuring the bias can be used to constrain the LF independently of galaxy number counts,
- ❖ The measurements imply the possibility of a deviation from a steep faint-end slope a few magnitudes beyond current flux limits, which has repercussions for the photon budget of reionization.

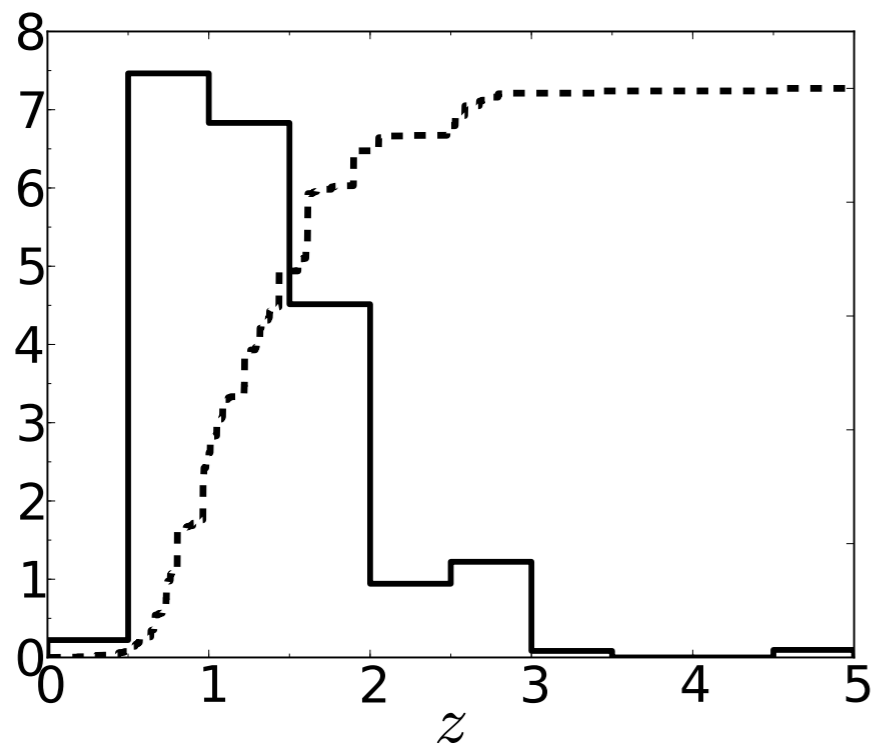
$z=3.8$



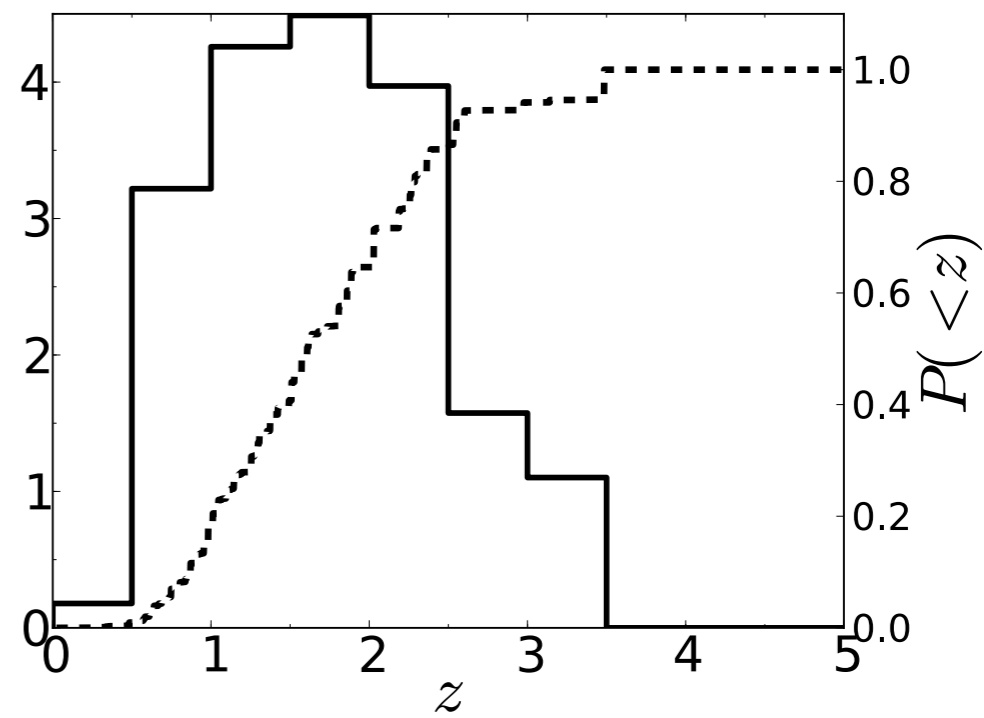
$z=4.9$



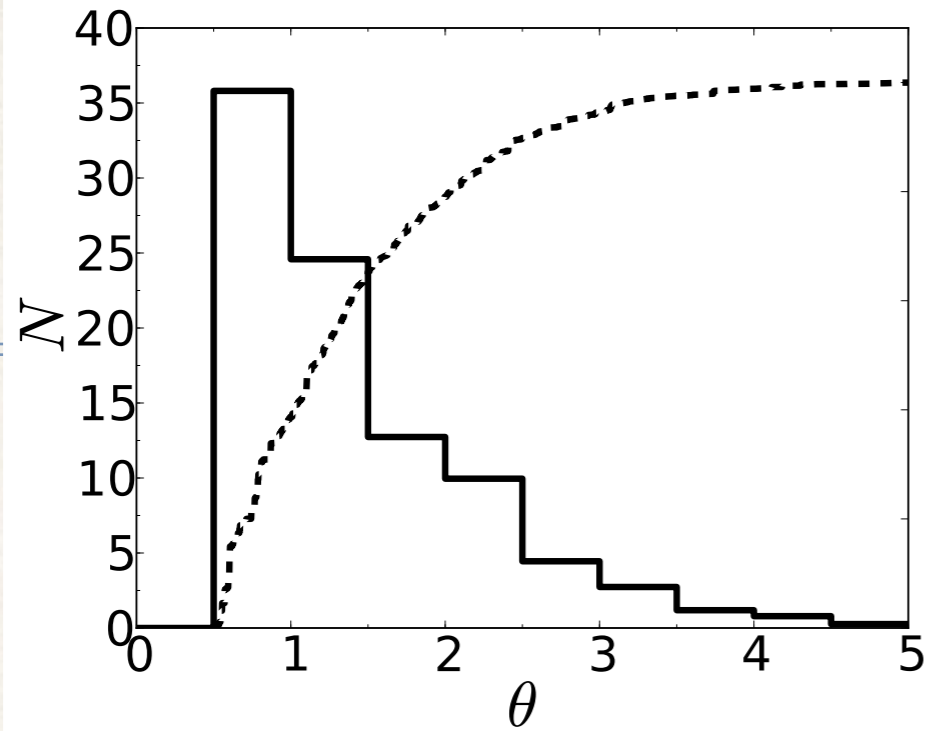
$z=5.9$



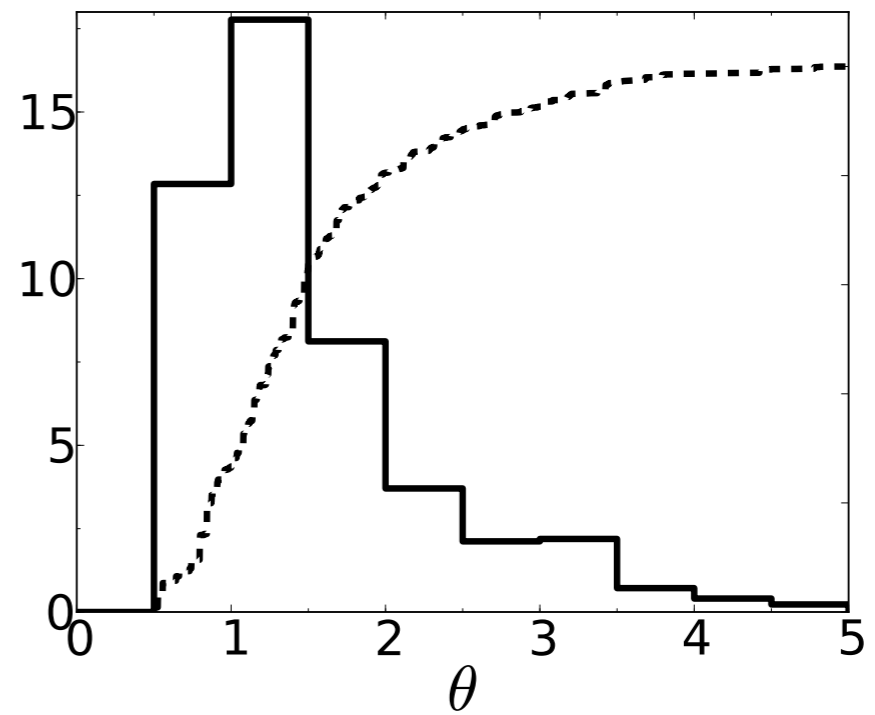
$z=7.2$



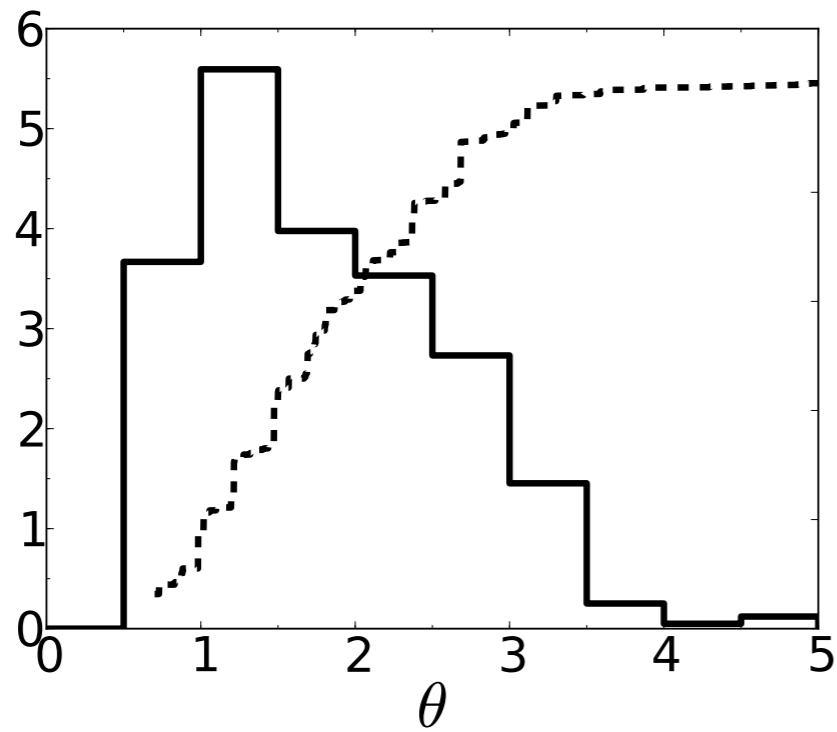
$z=3.8$



$z=4.9$



$z=5.9$



$z=7.2$

