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# Dark Matter, Black Holes and Phase Transitions

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Michael J. Baker

AstroDark 2021 - 09 December 2021

1912.02830 (PRL) - MJB, J. Kopp, A. Long

2105.07481 - MJB, M. Breitbach, J. Kopp, L. Mittnacht

2110.00005 - MJB, M. Breitbach, J. Kopp, L. Mittnacht



THE UNIVERSITY OF  
MELBOURNE



- Introduction I

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- Filtered Dark Matter at a First-Order Cosmological Phase Transition
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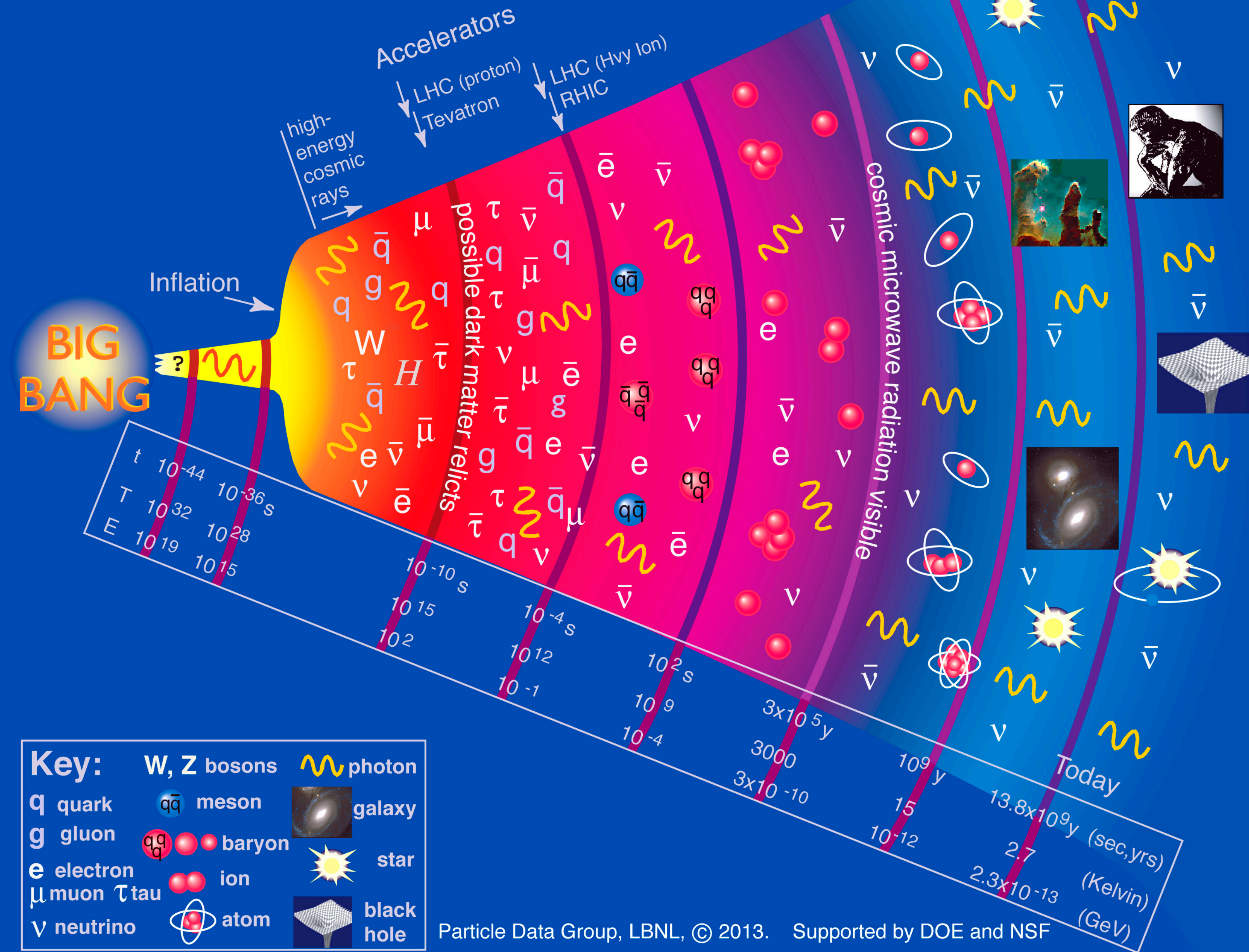


- Introduction I
- Filtered Dark Matter at a First-Order Cosmological Phase Transition
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- Primordial Black Holes from First-Order Cosmological Phase Transitions
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# Introduction



# History of the Universe



# Why new DM production mechanisms?

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- We present a new mechanism which has a large viable parameter space and goes beyond the GK bound

# Filtered Dark Matter at a First Order Phase Transition



$$\mathcal{L} \supset -y_\chi \phi \bar{\chi} \chi - \beta \phi^2 H^\dagger H - V(\phi)$$

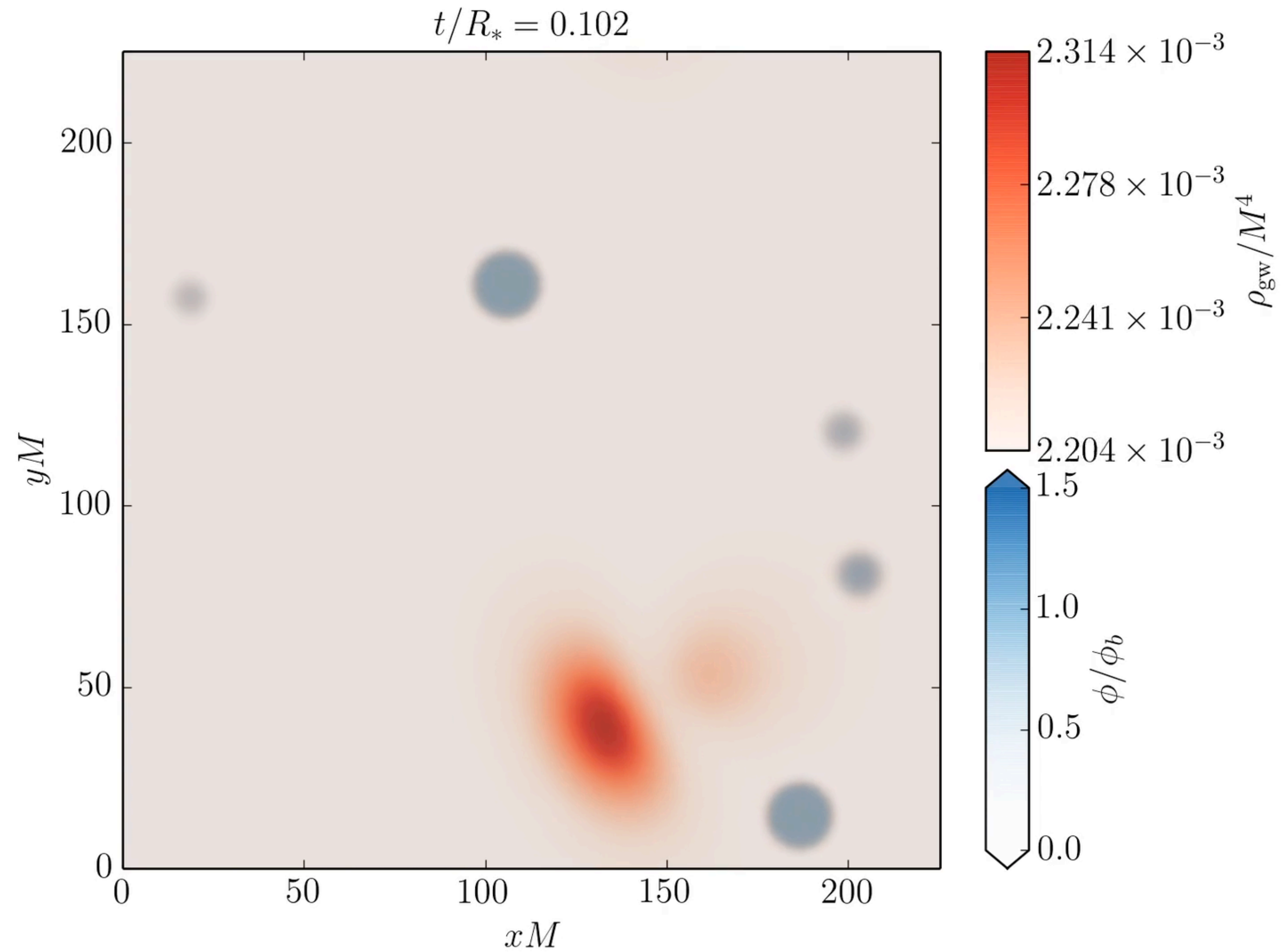
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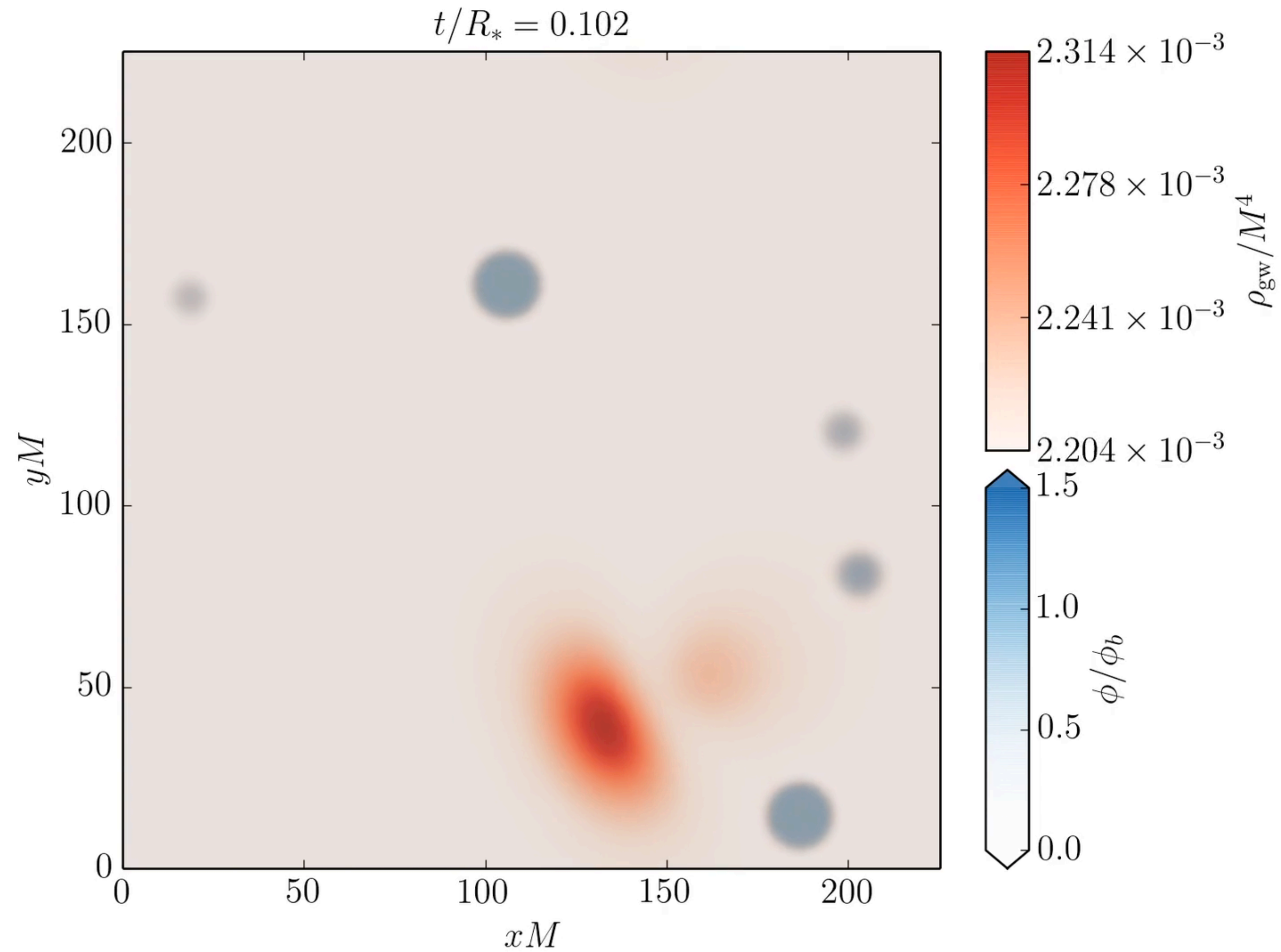
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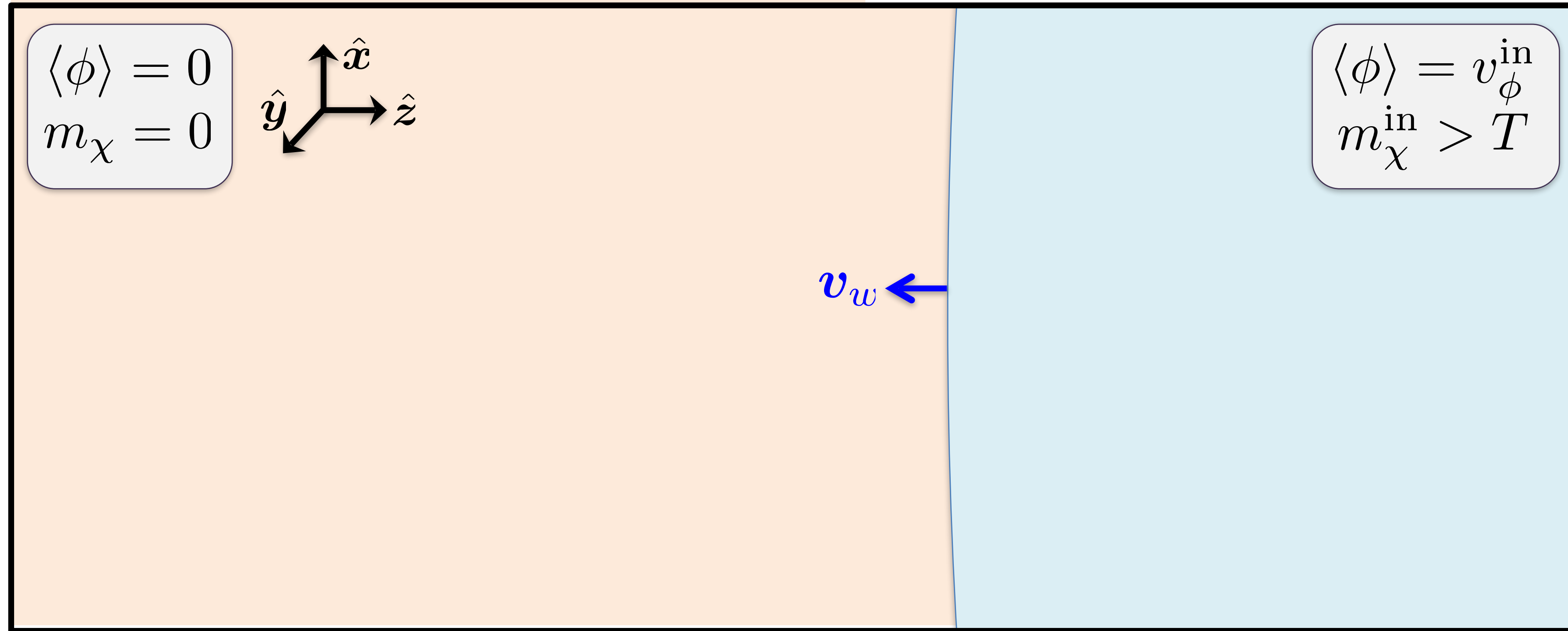
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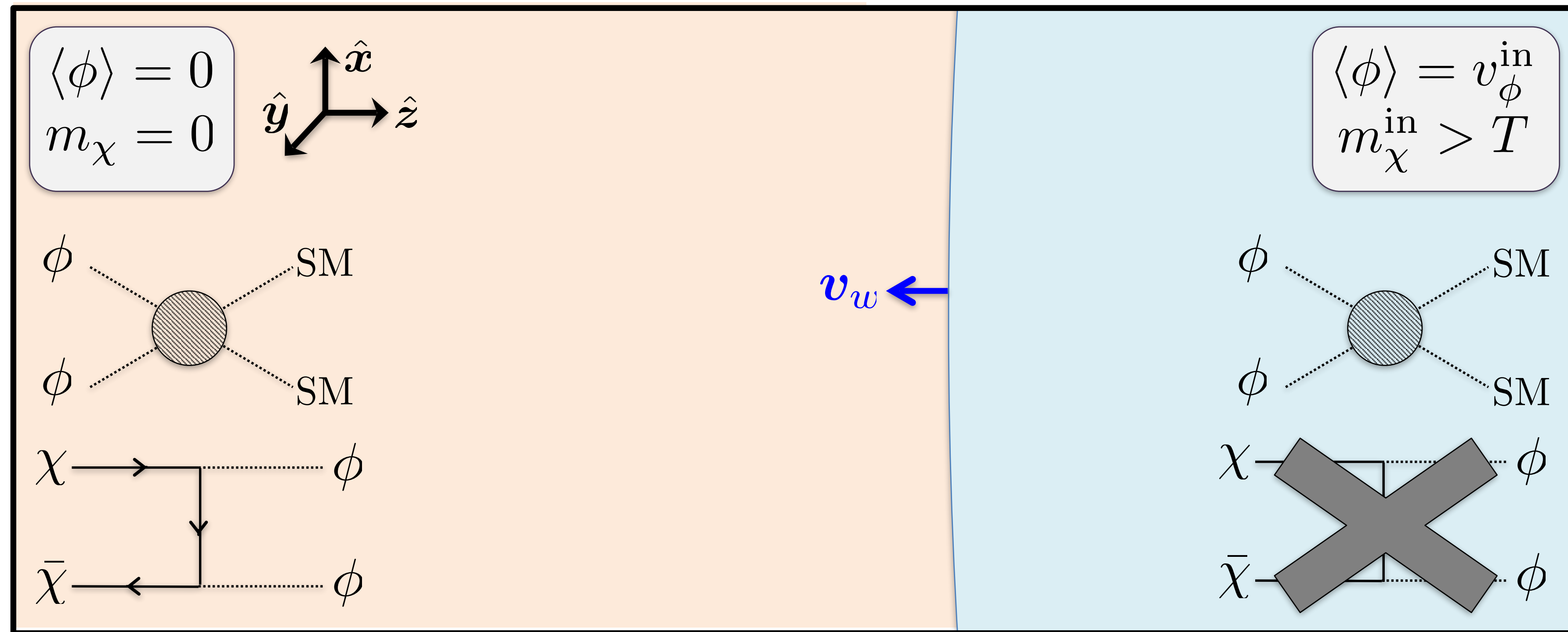
$$-y_\chi \phi \bar{\chi} \chi \xrightarrow{\text{PT}} -y_\chi \langle \phi \rangle \bar{\chi} \chi = -m_\chi \bar{\chi} \chi$$



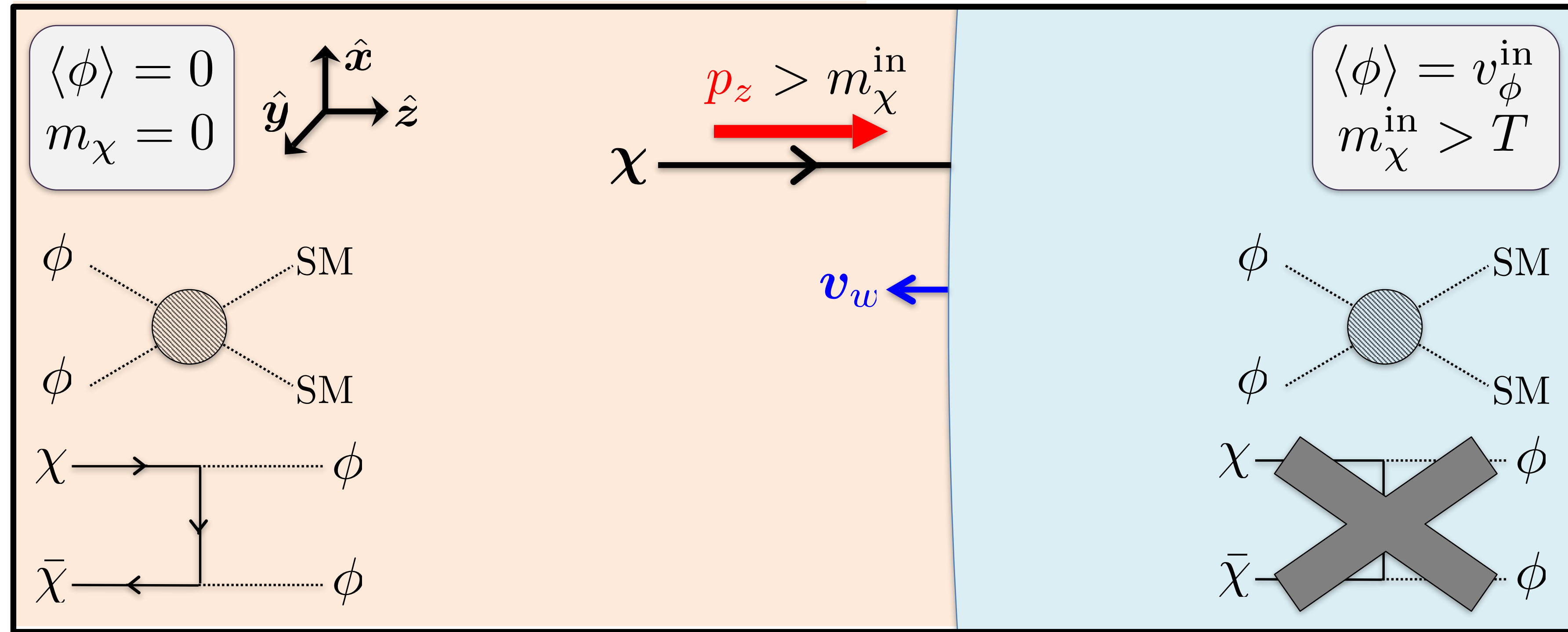
<https://vimeo.com/255031420> - Cosmic Defects - Gravitational waves from a cosmological vacuum phase transition - scalar field value





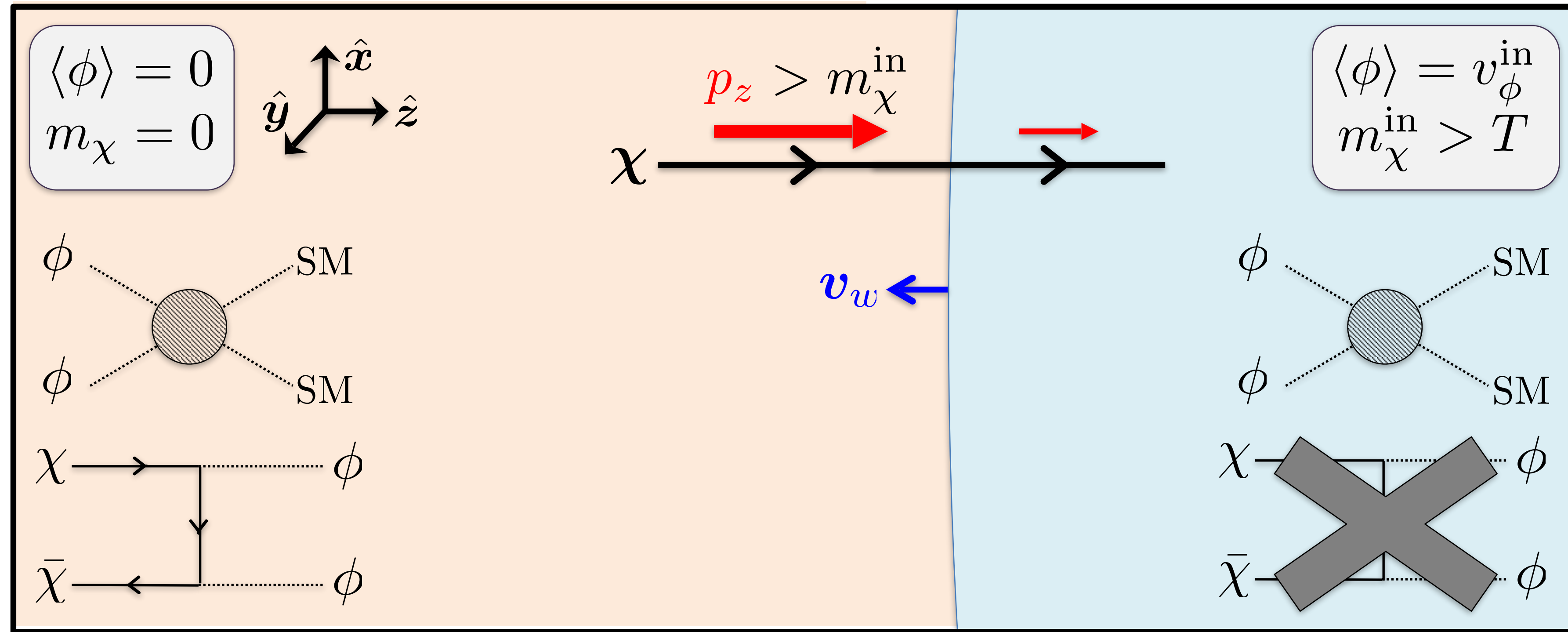


In massless phase, DM in thermal equilibrium, orders of magnitude too much DM

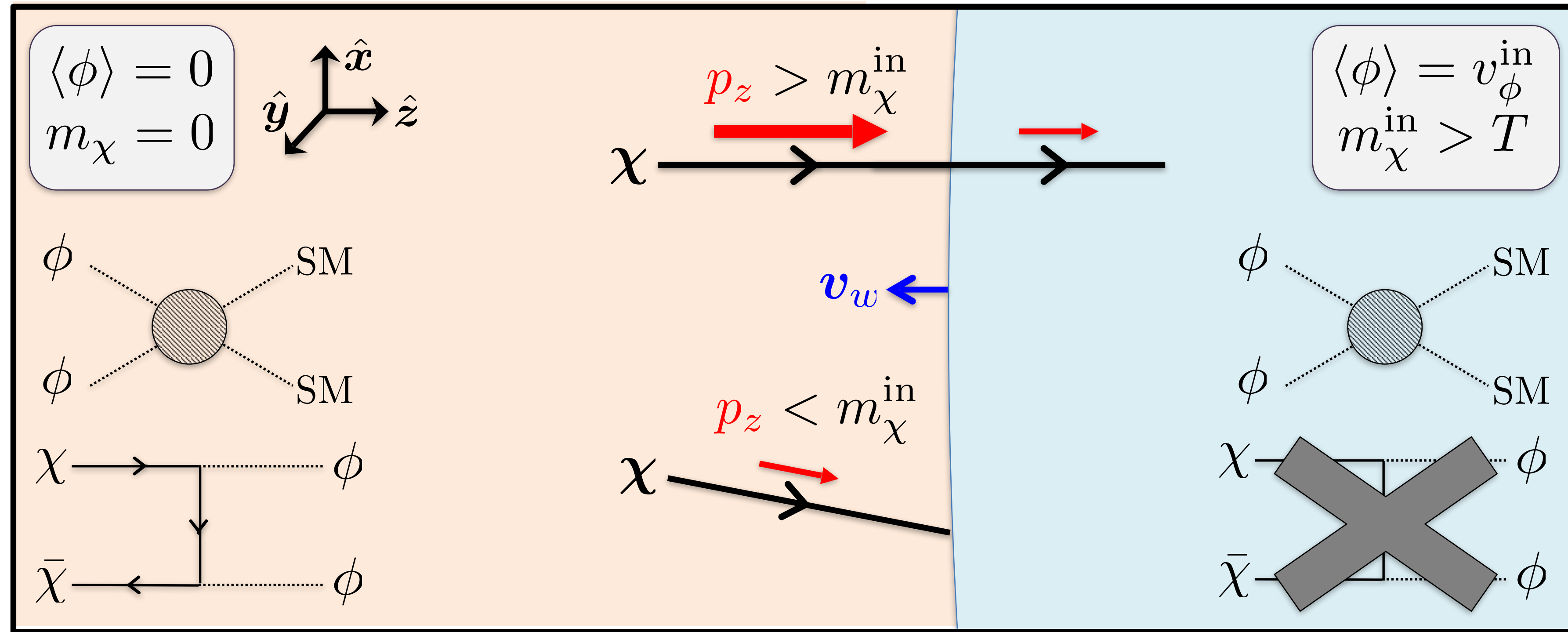


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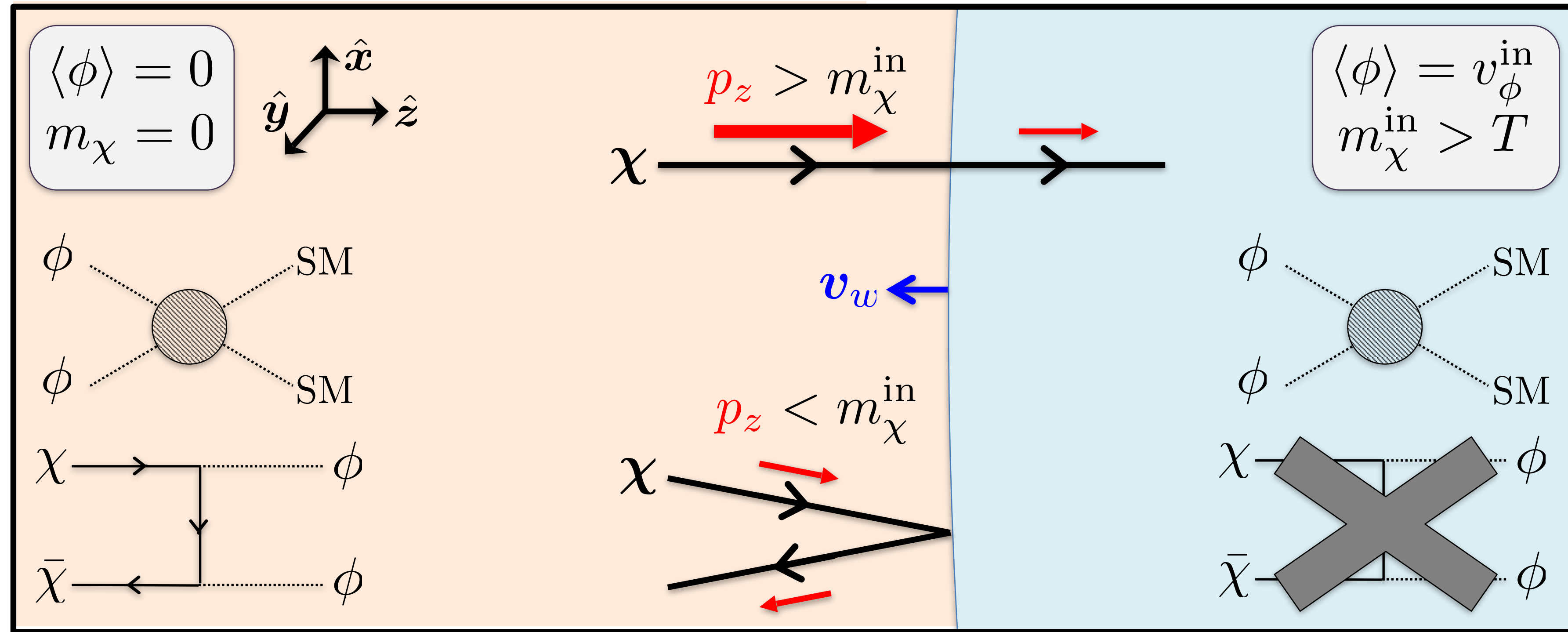




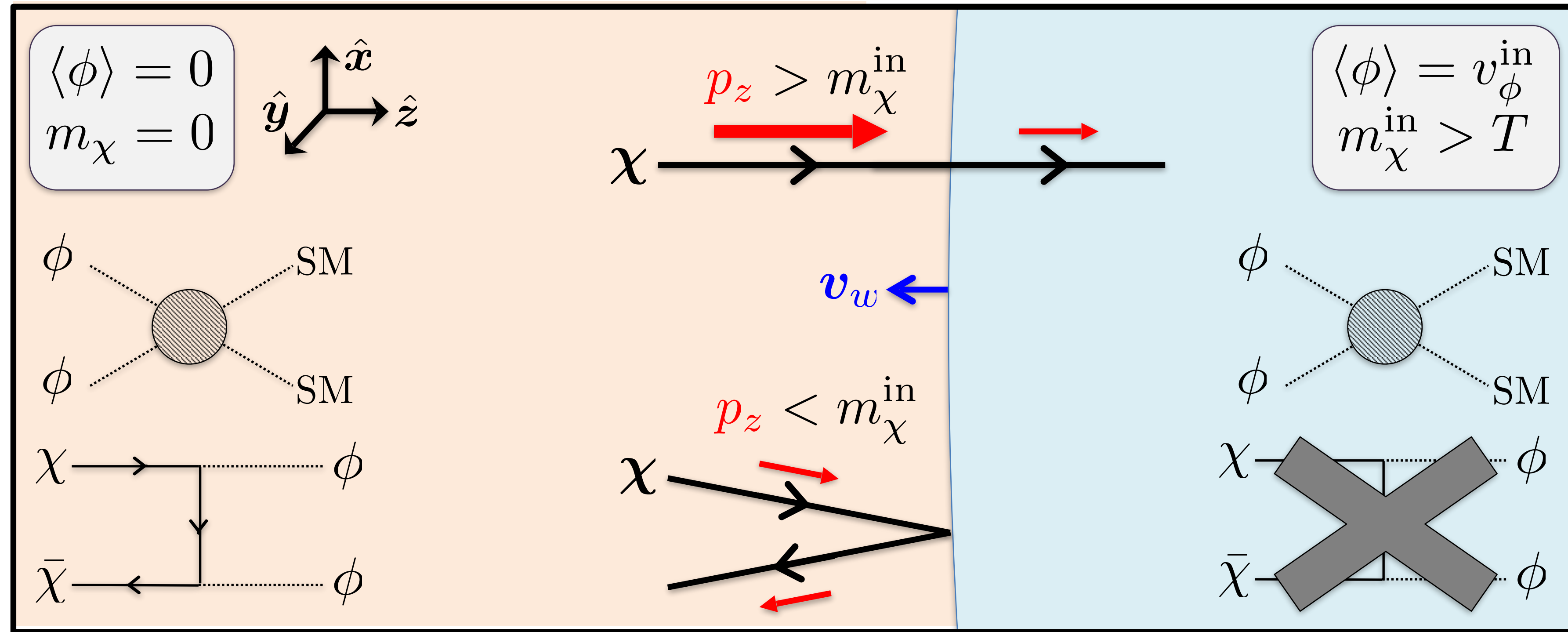
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Only high momentum DM pass through bubble wall and survive, reduces abundance

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$$\mathbf{L}[f_\chi] = \mathbf{C}[f_\chi]$$

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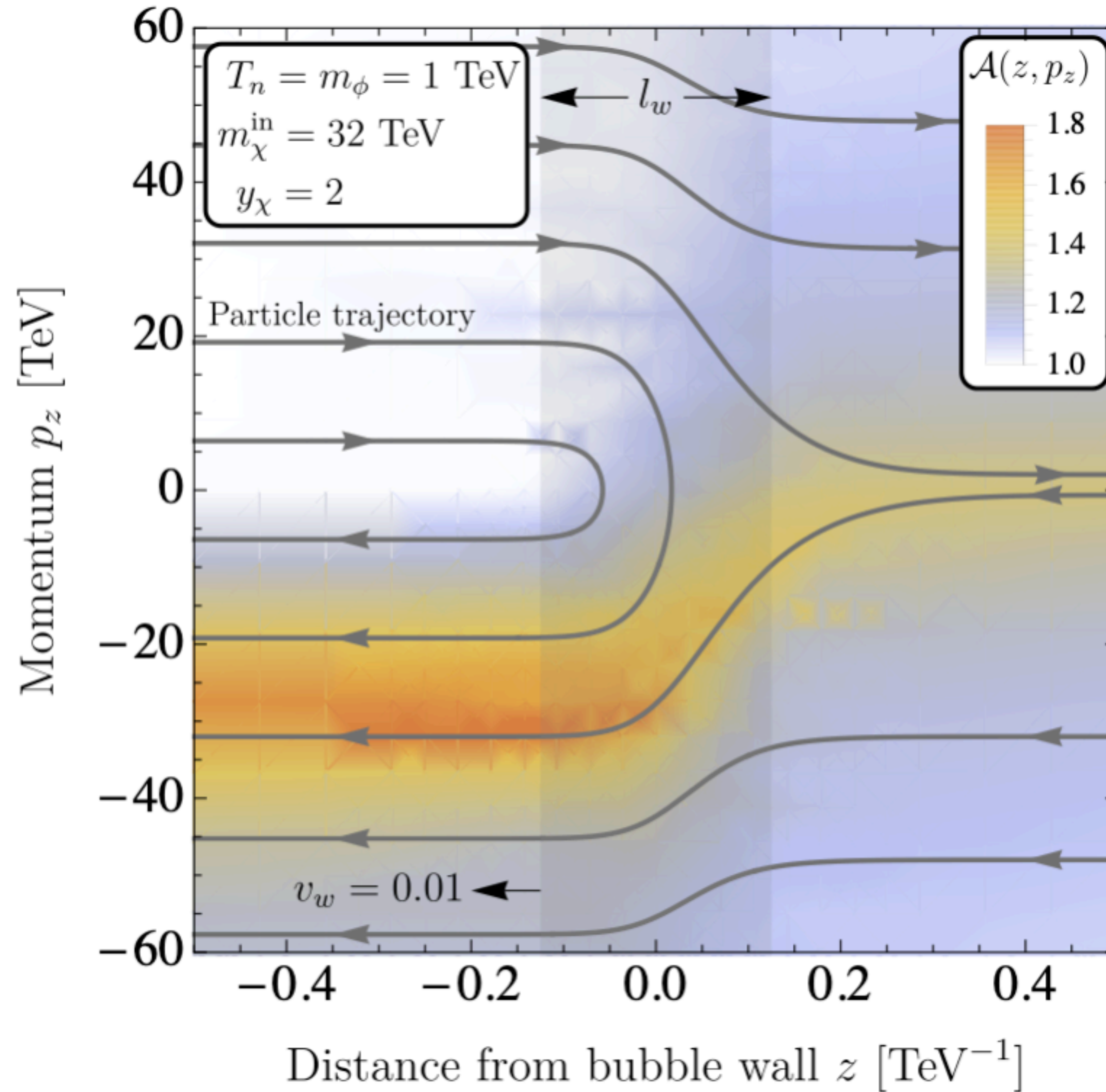
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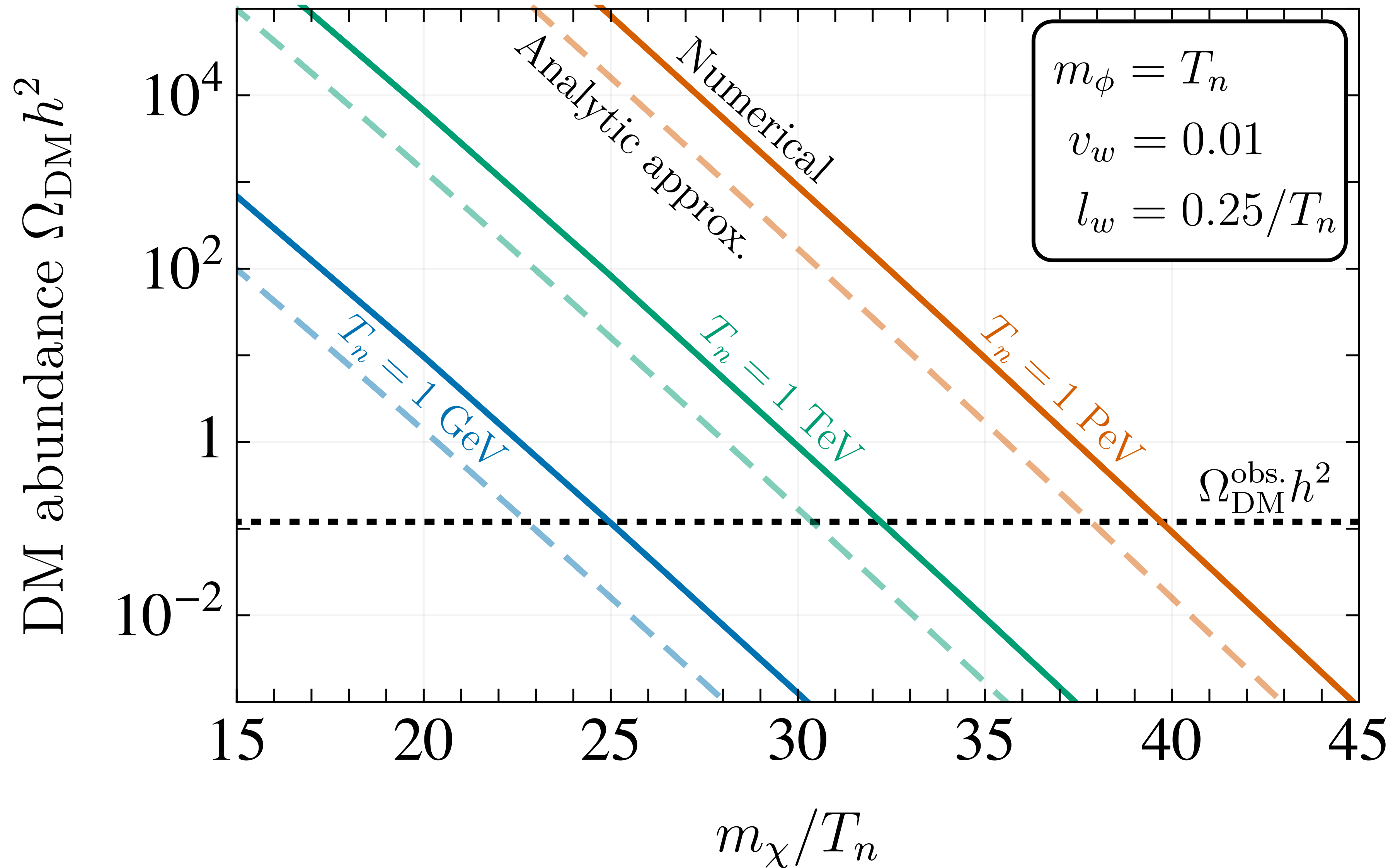
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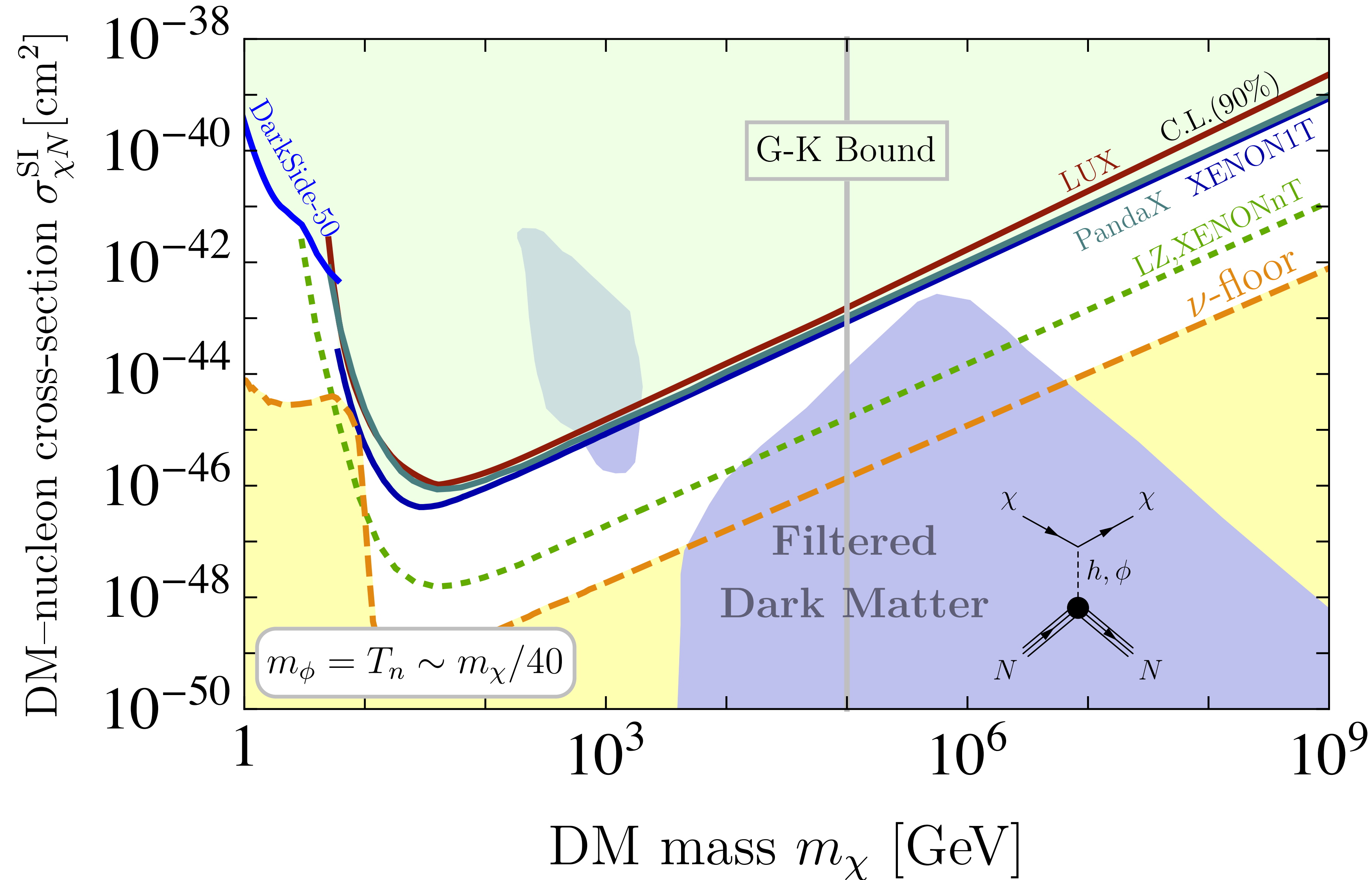
We leave z-momentum un-integrated,  
and look for steady state solution near  
bubble wall

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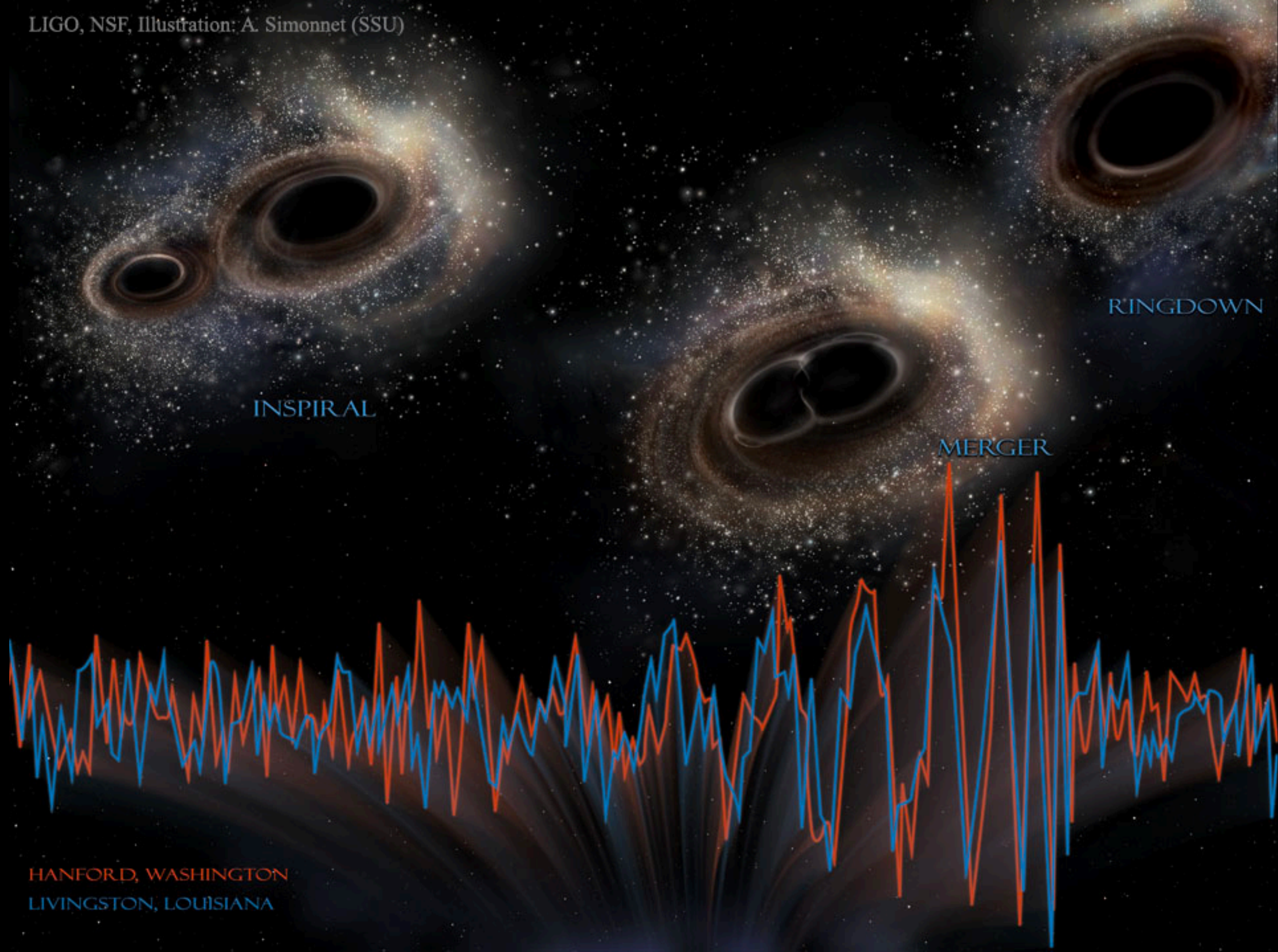






# Introduction: Black Holes



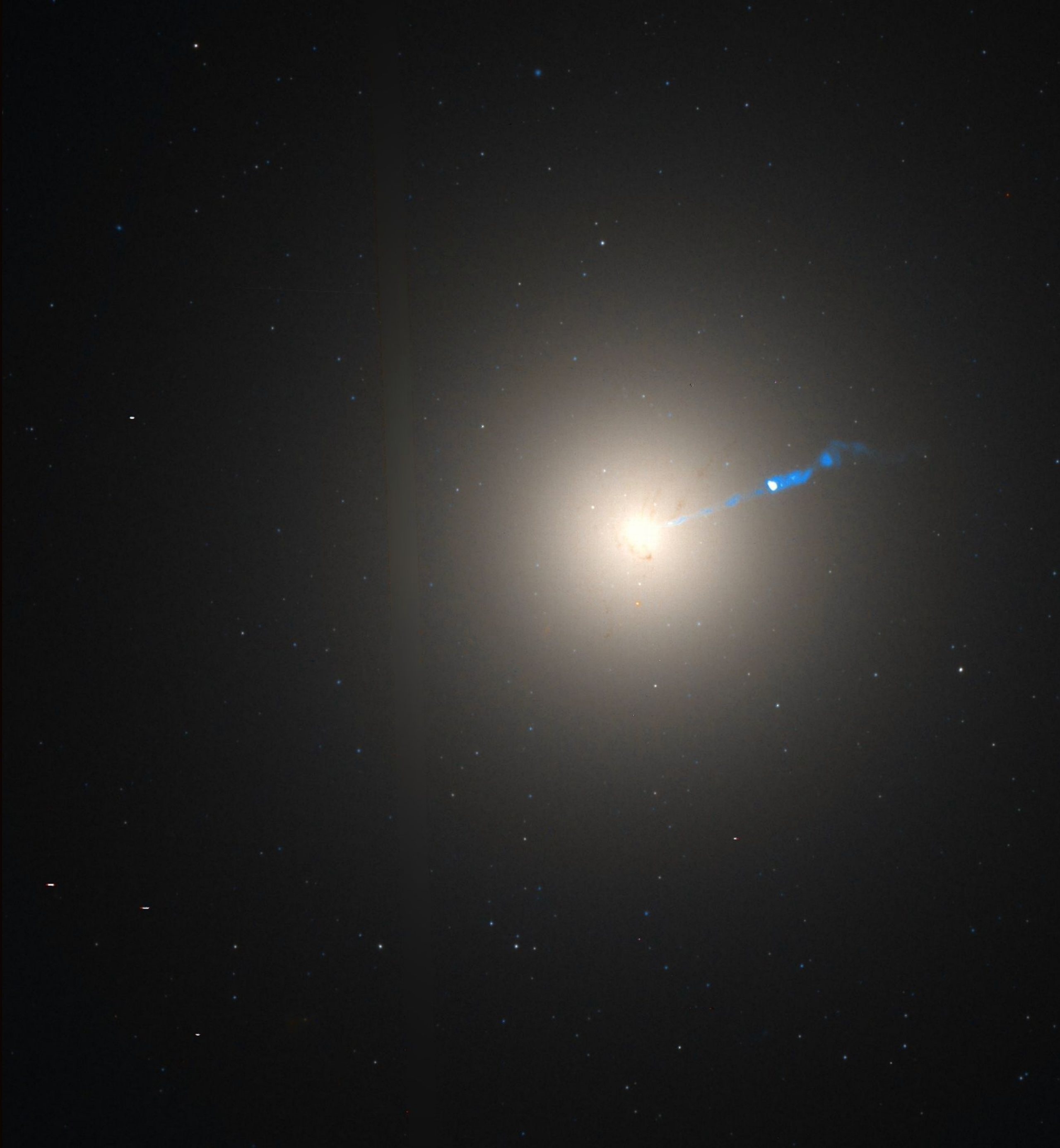








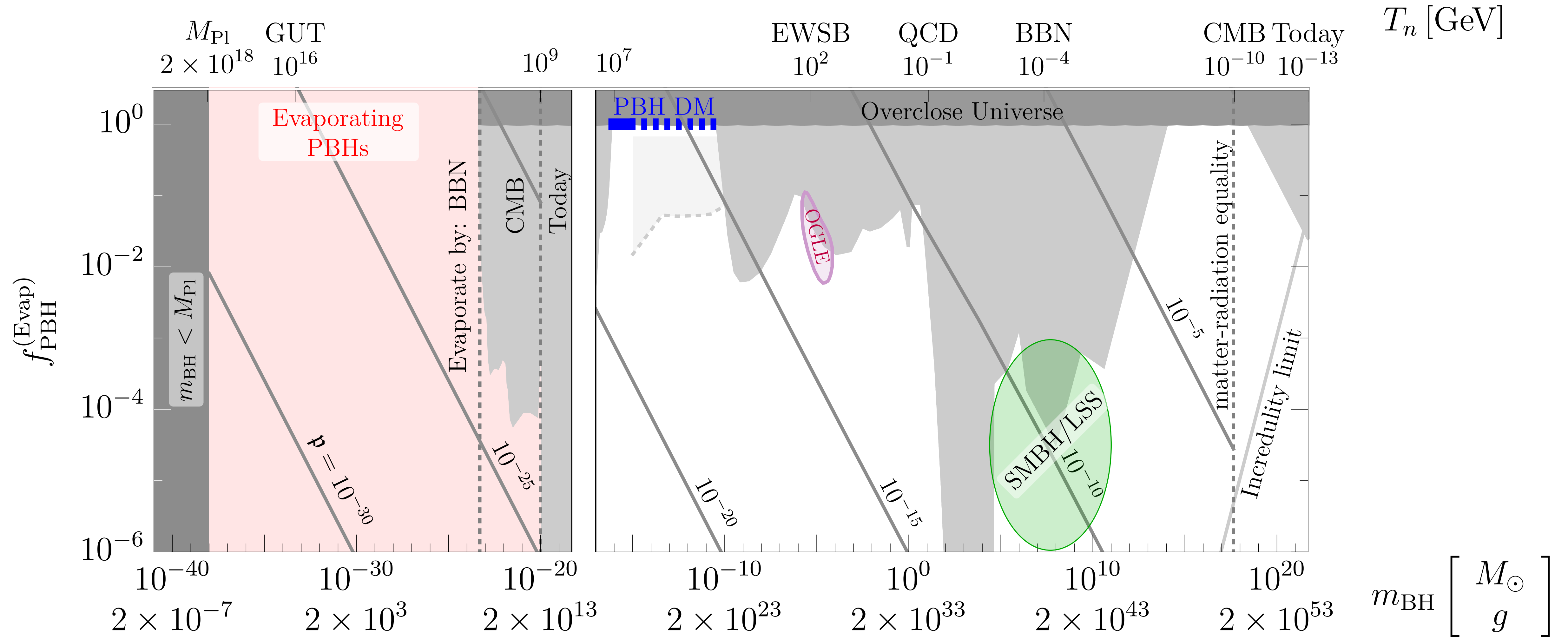
Event Horizon Telescope Collaboration



M87 - Hubble Space Telescope



# Primordial Black Holes





# PBH production mechanisms

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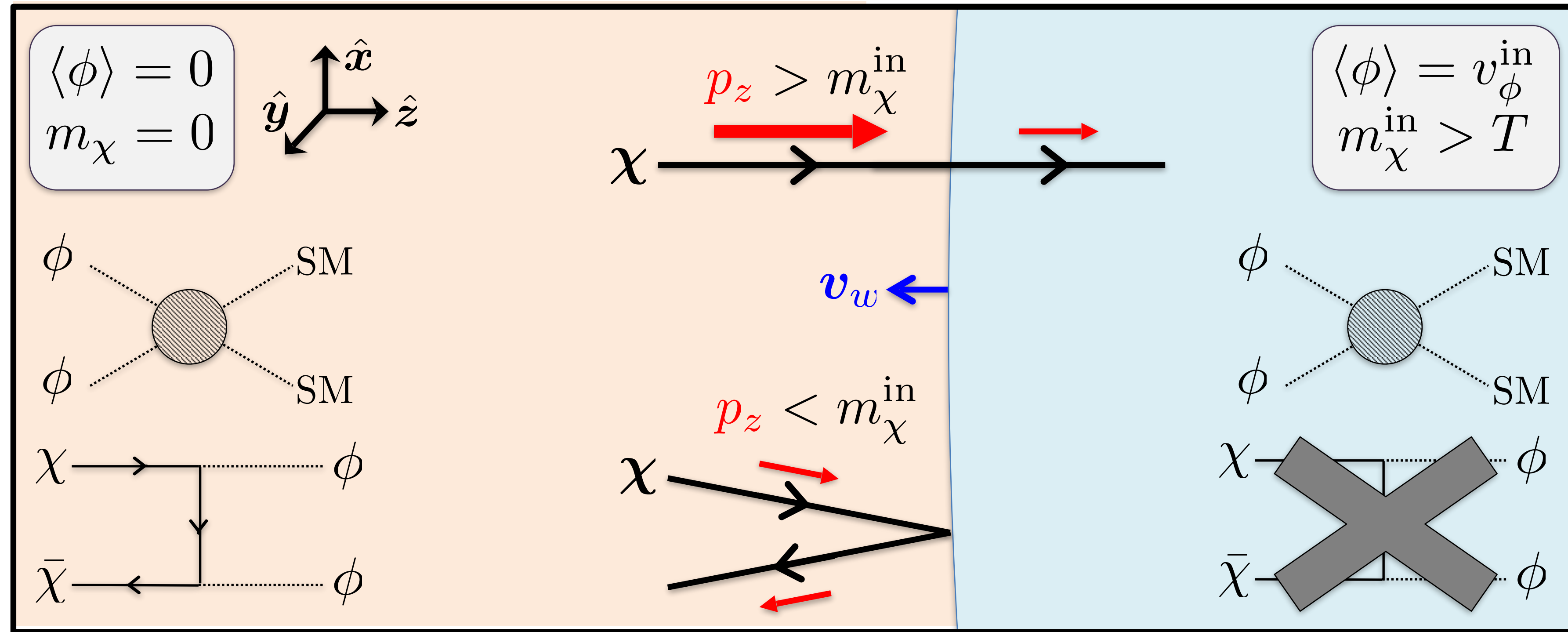
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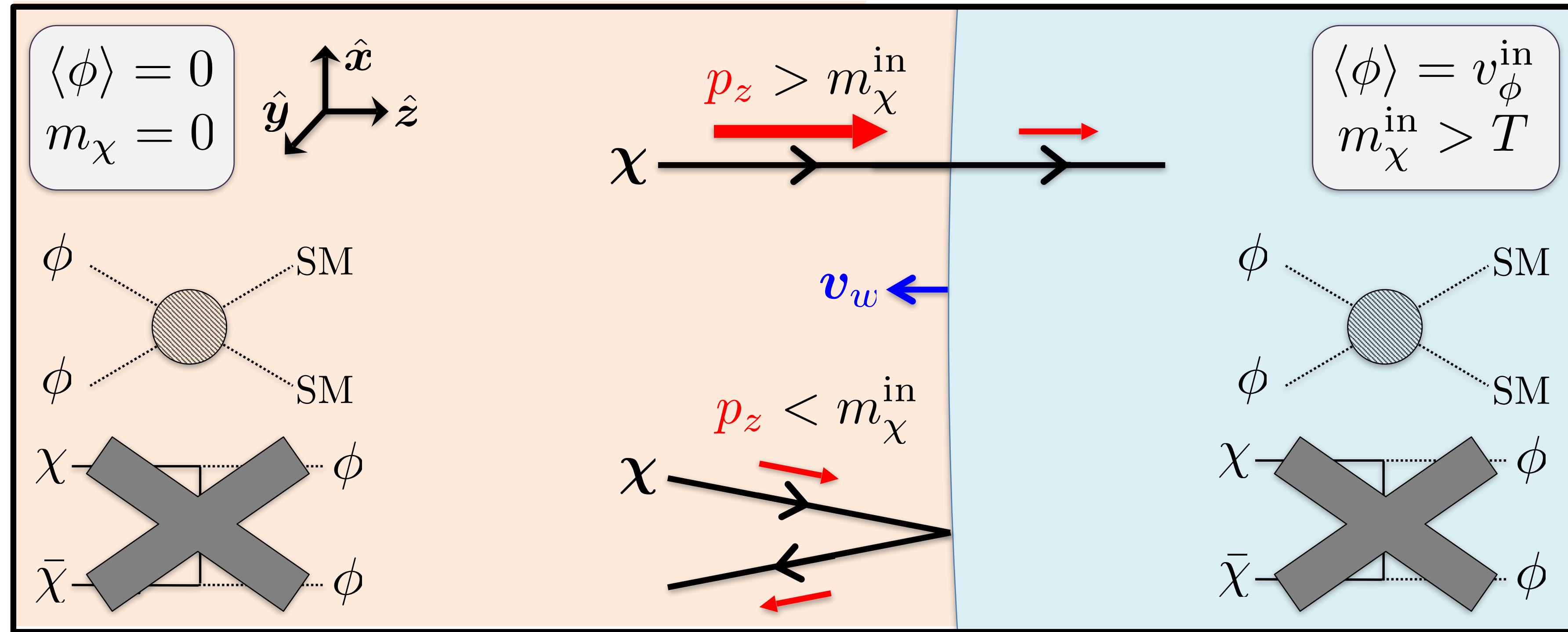
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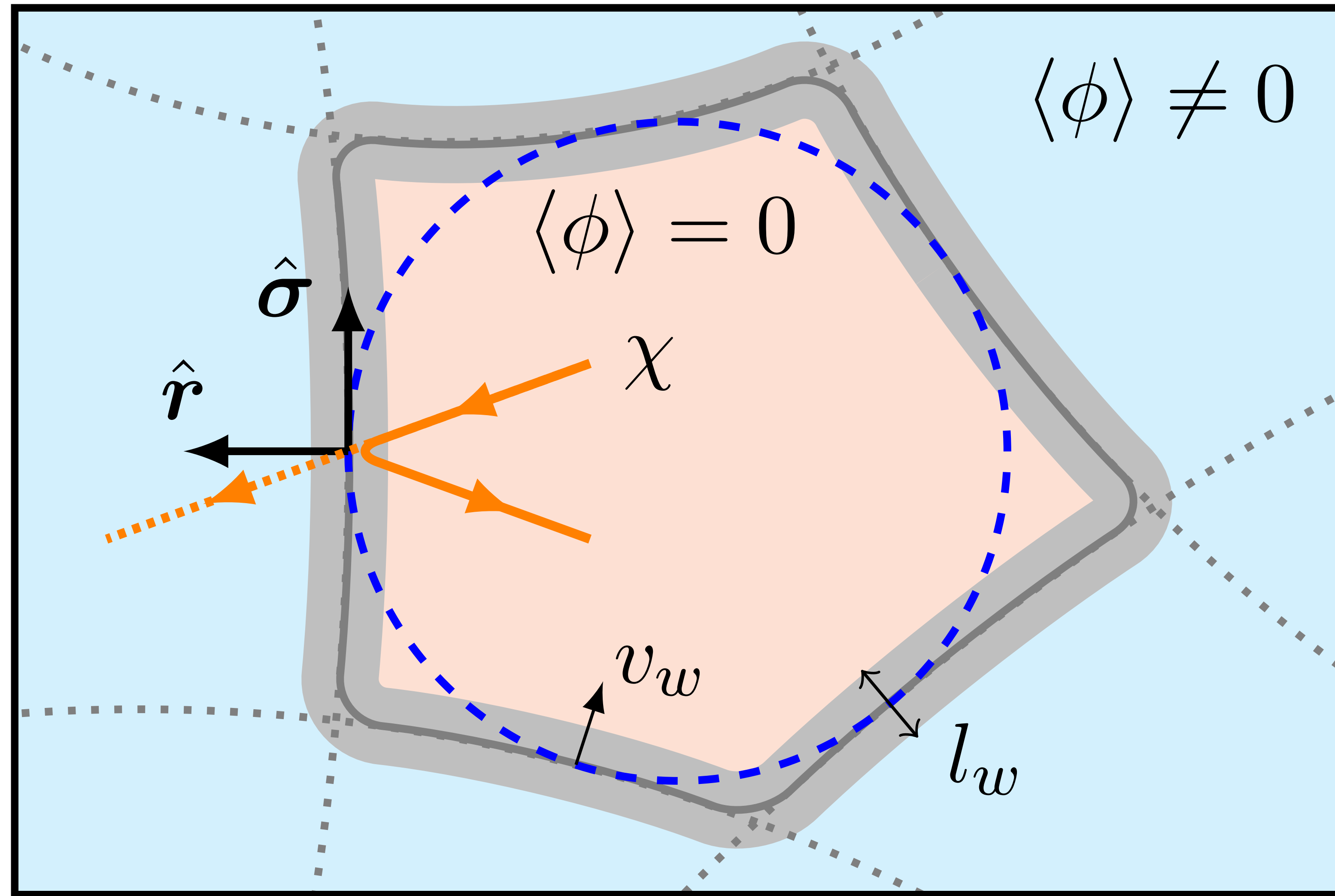
- Several possible production mechanisms
  - Collapse of density perturbations generated during inflation
  - Collapse of topological defects
  - Dynamics of scalar condensates
  - Collision of bubble walls during a first-order PT
- Previous work on first-order PT has only considered energy stored in bubble walls. We focus on a population of particles that interact with the bubble wall



# Primordial Black Holes from First-Order Cosmological Phase Transitions







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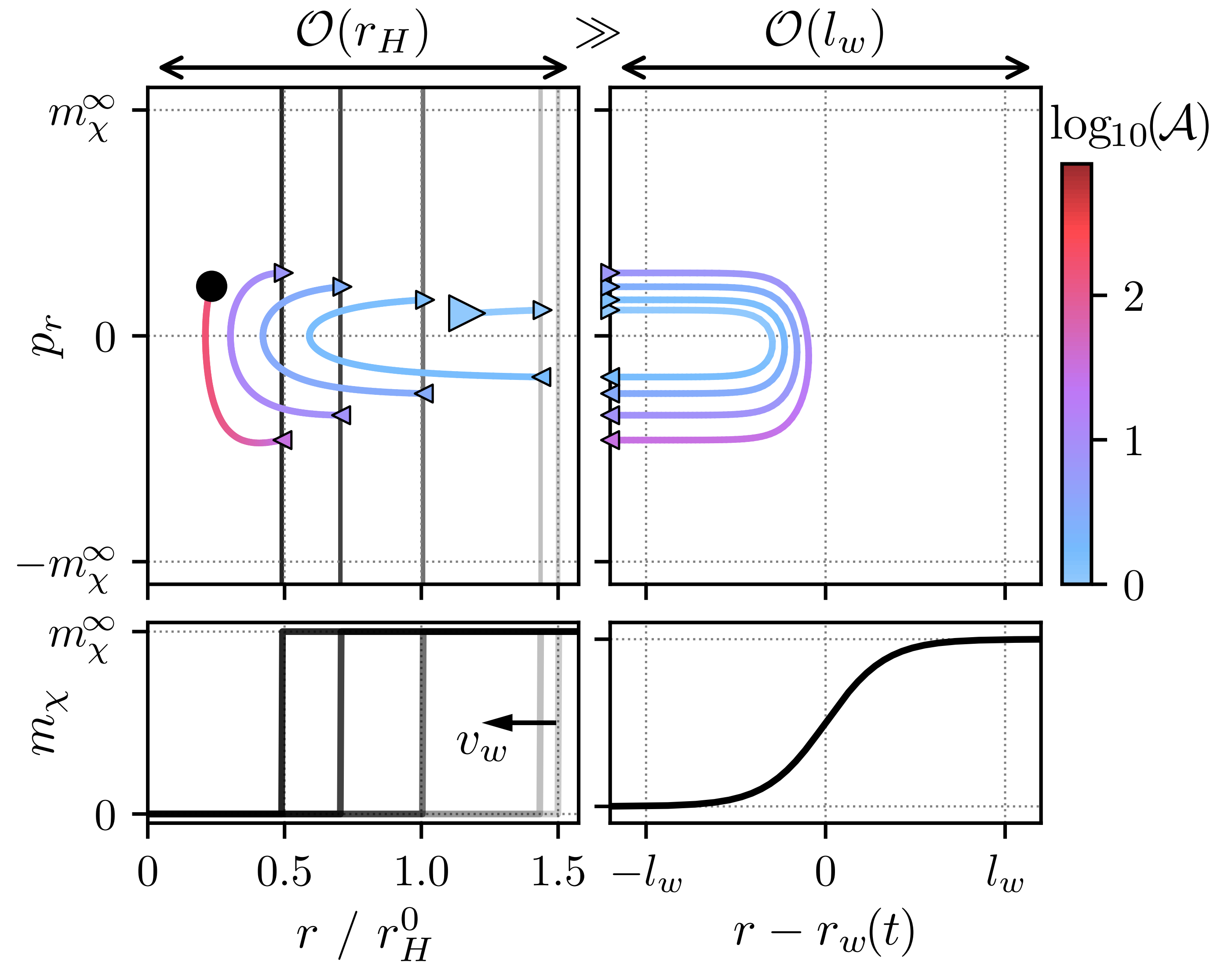
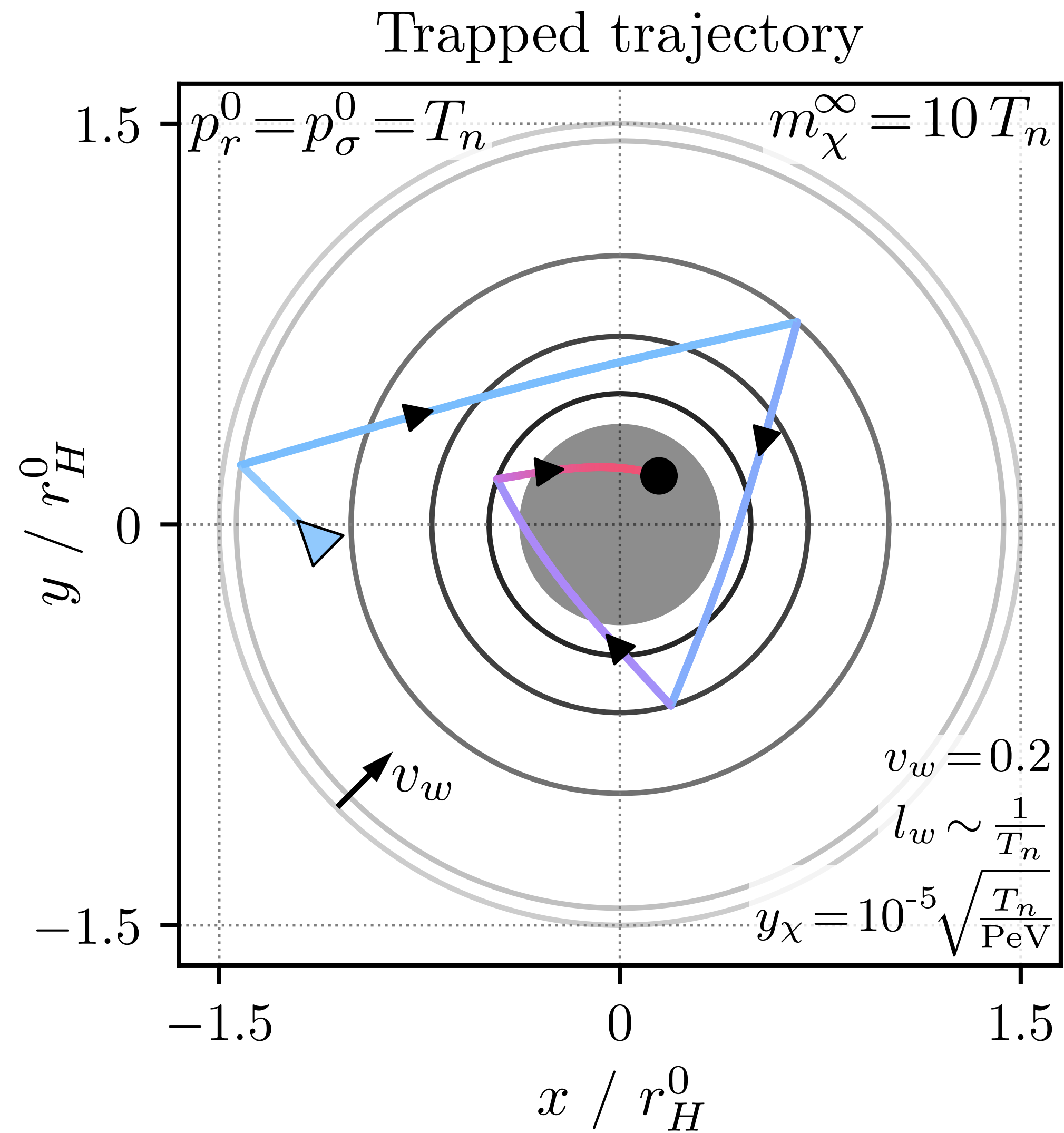
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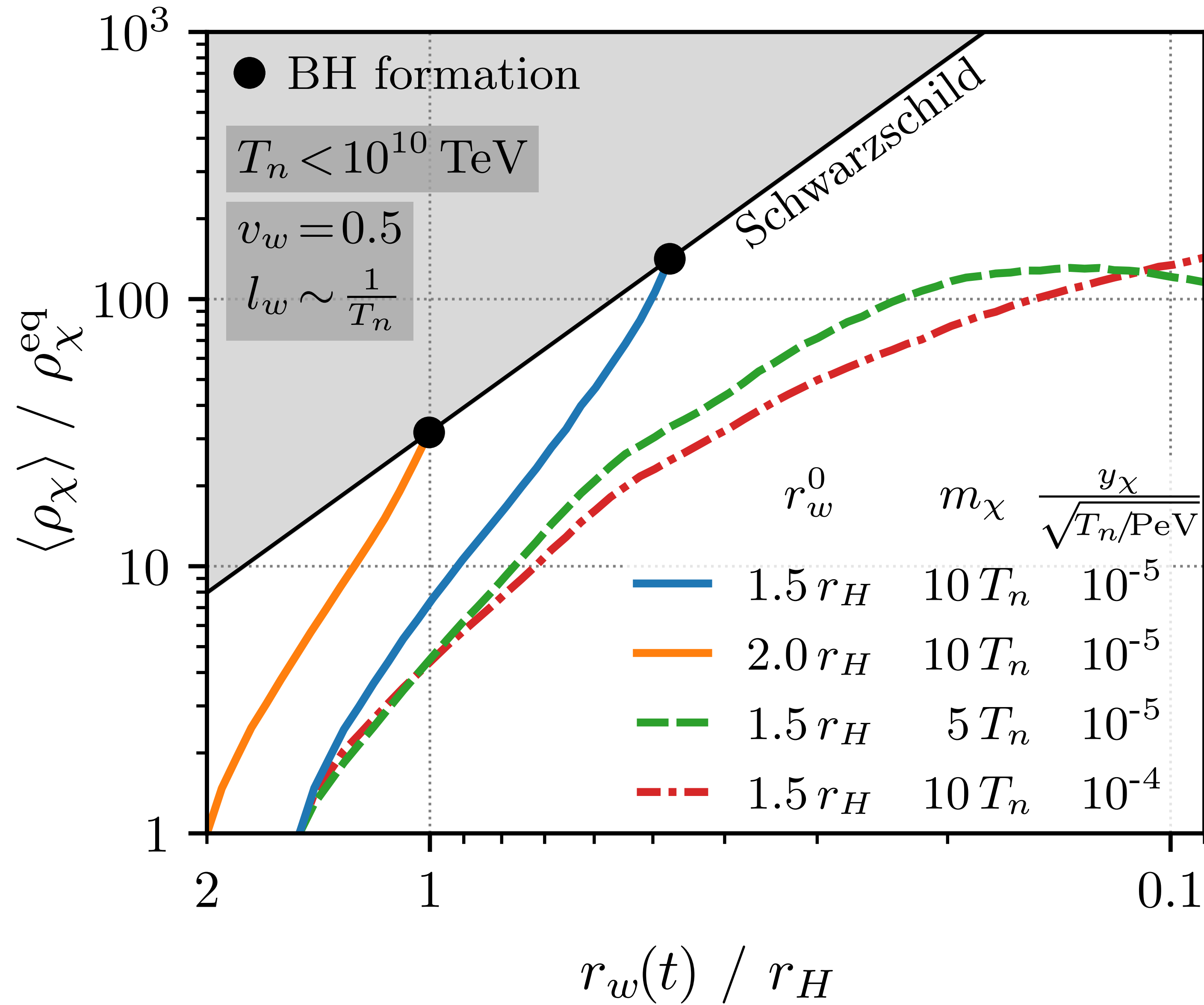
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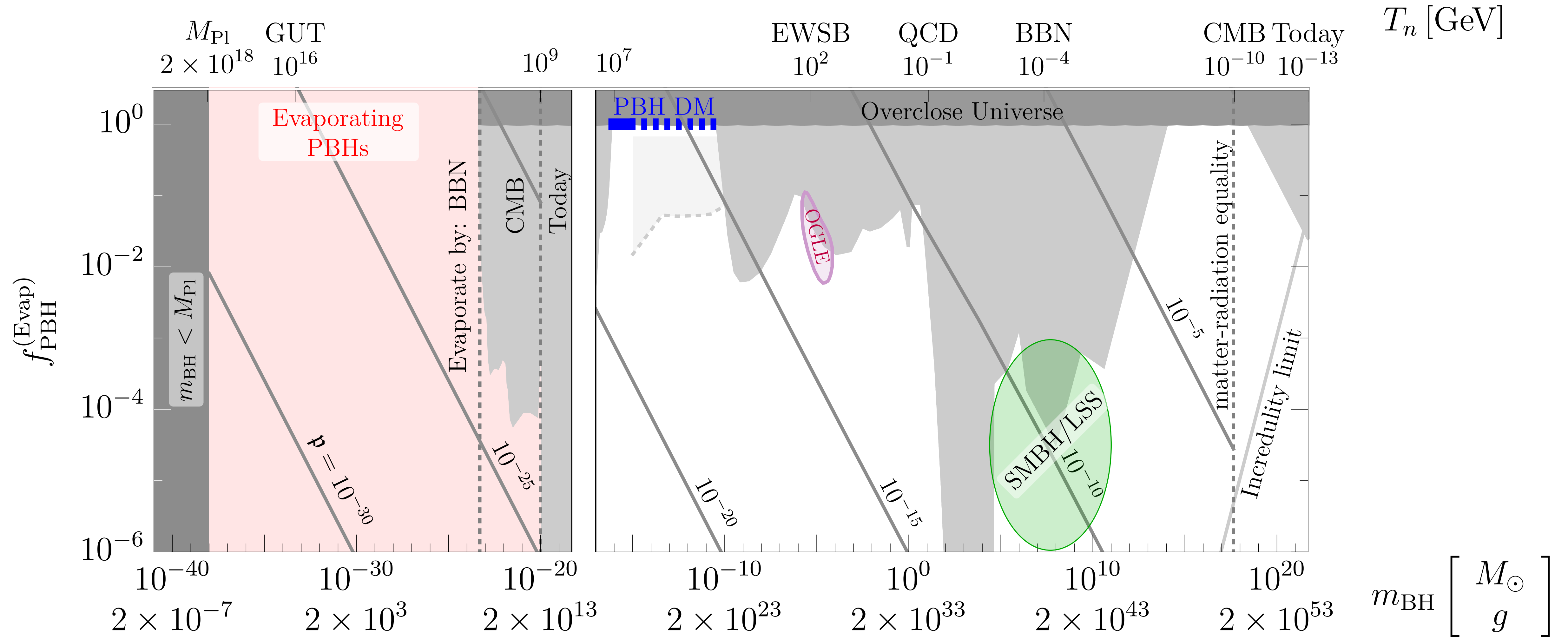
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- Time dependence
- Need to solve in whole volume, not just near wall







# PBH mass and density



# Conclusions

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Thank you!