# Fermion-induced Electroweak Symmetry Non-restoration via Temperature-dependent Masses

### **Motivations and Challenges**

### **Motivations:**

- In SM, EW symmetry is restored around T=160 GeV<sup>[1]</sup>. What kind of BSM theories can have distinctly different electroweak epoch? What are the predictions of these theories?
- Intimate relationship between EW symmetry and baryon • asymmetry of the universe (BAU).
  - $U(1)_B$  and  $U(1)_L$  are anomalous symmetry in SM

$$\partial_{\mu} j_{B}^{\mu} = \partial_{\mu} j_{L}^{\mu} = \frac{N_{f}}{32\pi^{2}} \left( g^{2} W \tilde{W} - g'^{2} Y \tilde{Y} \right)$$

$$\Gamma = 4\pi f \left( \lambda/g^{2} \right) g T^{4} \xi^{7} \exp \left( -\frac{4\pi B}{g} \xi \right), \quad \text{if} \quad v_{h} \neq 0$$

$$\Gamma = k \left( \alpha_{W} T \right)^{4}, \quad \text{if} \quad v_{h} = 0$$

$$\xi \equiv v_{h}(T)/T$$

### **Challenges:**

At high temperatures, EW symmetry was always broken or only temporarily restored in some scalars models (e.g.  $SM+O(N_s)$ ) singlet scalars<sup>[2]</sup>, I2HDM+O(N<sub>s</sub>) singlet scalars<sup>[3]</sup>, 2HDM+real singlet scalar<sup>[4]</sup>).

$$V = V_{SM} + \frac{1}{2}\mu_s^2(s_i s_i) + \frac{1}{4}\lambda_s(s_i s_i)^2 + \frac{1}{2}\lambda_{hs}h^2(s_i s_i)$$
$$\frac{\partial^2 V_1^{th}}{\partial h^2}\Big|_{h=0} = T^2 \left(\frac{3}{16}g^2 + \frac{1}{16}g'^2 + \frac{1}{4}\lambda_t^2 + \frac{1}{2}\lambda + \frac{N_s}{12}\lambda_{hs}\right)$$

• Difficult to induce EWSB by fermions from renormalizable models: (When  $m_i^2 \ll T^2$ )

$$\frac{\partial^2 V_{1,F}^{th}}{\partial h^2}\Big|_{h=0} = \sum_i T^2 \frac{n_F}{48} \frac{\partial^2 m_i^2}{\partial h^2} = T^2 \frac{n_F}{48} \frac{\partial^2}{\partial h^2} \sum_i m_i^2$$
$$= T^2 \frac{n_F}{48} \frac{\partial^2}{\partial h^2} \operatorname{Tr}\left(M_f^{\dagger} M_f\right) = T^2 \frac{n_F}{48} \frac{\partial^2}{\partial h^2} \sum_{i,j} |M_{ij}|$$

In renormalizable models,  $M_{ij} = a_0 + a_1 h$ , hence  $\frac{\partial v_1}{\partial h^2}$  $\geq$  0. Thus, it is impossible to achieve EWSNR by adding only new fermions.

But what if some of the new fermions have  $m^2(T) \gg T^2$ ?

- [1] D'Onofrio etc., 1508.07161. [4] Heinemeyer et at.,2103.12707
- [2] Meade, Ramani, 1807.07578. [5] Schmitz, 2002.04615
- [3] Carena et al.,2104.00638

### Mechansim and models

$$L_{L,R}^{i} = \begin{bmatrix} N^{i} \\ E^{i} \end{bmatrix}_{L,R} \sim$$
  
 $E_{L,R}^{\prime i} \sim (1,1)_{-1}$ 

$$\mathcal{L}_{yuk}^{i} = -y_{NN'1}^{i} \overline{L_{L}^{i}} \widetilde{\phi} N_{R}^{\prime i} - y_{NN'2}^{i} \overline{N_{L}^{\prime i}} \widetilde{\phi}^{\dagger} L_{R}^{i}$$
  

$$-y_{EE'1}^{i} \overline{L_{L}^{i}} \phi E_{R}^{\prime i} - y_{EE'2}^{i} \overline{E_{L}^{\prime i}} \phi^{\dagger} L_{R}^{i}$$
  

$$-m_{Li}(\sigma) \overline{L_{L}^{i}} L_{R}^{i} - m_{N'i}(\sigma) \overline{N_{L}^{\prime i}} N_{R}^{\prime i}$$
  

$$-m_{E'i}(\sigma) \overline{E_{L}^{\prime i}} E_{R}^{\prime i} + h.c.$$
  
W-complete models,  $m_{X} (X = N', E', L)$  can be parameterized as  

$$m_{X}(\sigma) = m_{X0} + y_{X}\sigma.$$

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In UV

$$v_{\sigma}(T) = \begin{cases} b_0, & \text{if } T < T_1 \\ b_0 + b_1 (T - T_1)^{n_1} + b_2 (T - T_2)^{n_2}, & \text{if } T_1 \le T \le T_2. \end{cases}$$
  
When  $m_L^2 \gg m_{N'}^2, \ m_{E'}^2, \ \frac{1}{2} |y_{NN'1} y_{NN'2}| h^2$ , the mass eigenvalues are

$$egin{array}{lll} m_{N1}^2 &pprox & m_{N'}^2 - rac{m_{N'} \operatorname{Re}(y_{NN'1}y_{NN'2})}{m_L} h^2 \,, \ m_{N2}^2 &pprox & m_L^2 \,, \end{array}$$

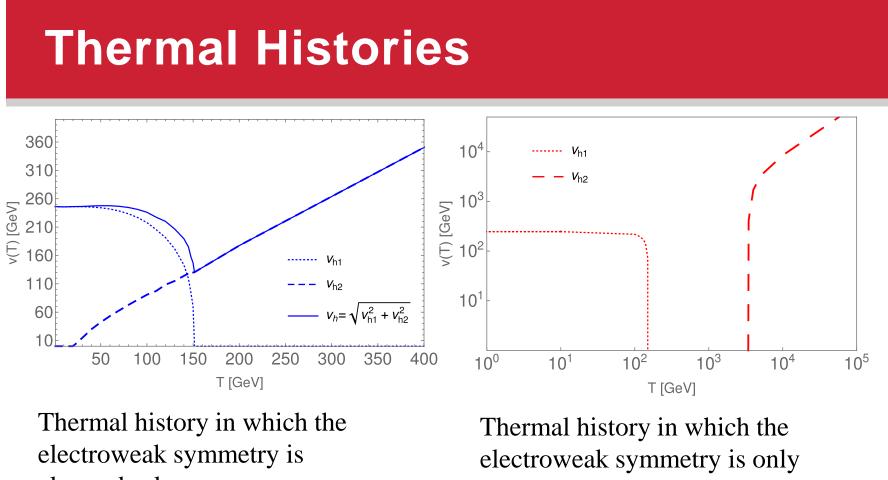
$$m_{N1}^2 \approx m_{N'}^2 - \frac{m_{N'} \operatorname{Re}(y_{NN'1}y_{NN'2})}{m_L}h^2,$$
  
 $m_{N2}^2 \approx m_L^2,$ 

and similarly for  $m_{E1}$ ,  $m_{E2}$ .

where

$$a_h = \frac{N_f}{6n} - \left(\frac{1}{2}\right)$$

In parameter space where  $a_h > 0$ , EW symmetry remains broken at high temperature.



always broken.

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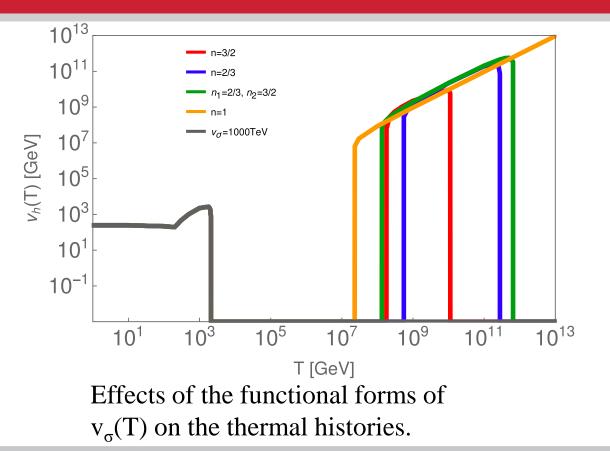
 $V(1,2)_{-\frac{1}{2}}, \ N_{L,R}^{\prime i} \sim (1,1)_0,$ 

$$\frac{\partial^2 V_1^{th}}{\partial h^2}\Big|_{h=0} = -a_h T^2$$

 $\frac{F}{m}(m_{N'}y_{NN'1}y_{NN'2} + m_{E'}y_{EE'1}y_{EE'2})$ 

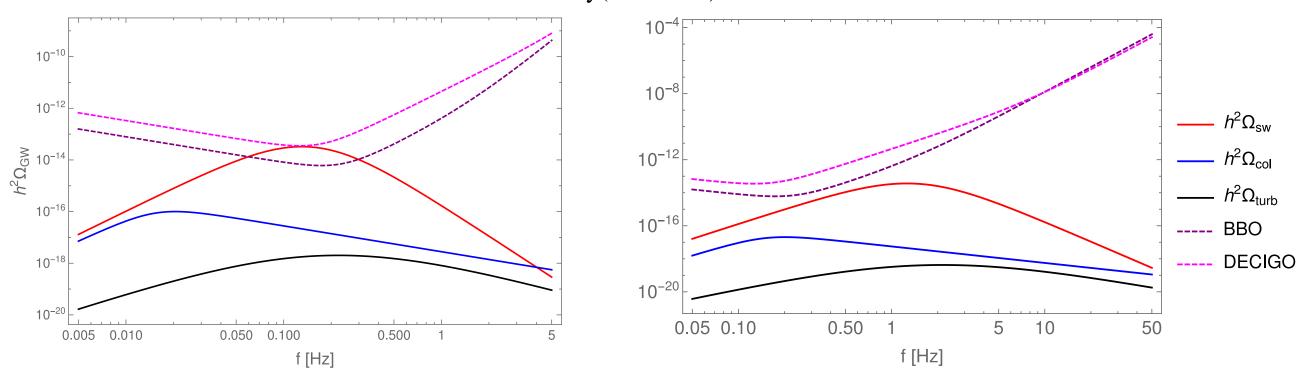
$$\frac{3}{16}g^2 + \frac{1}{16}g'^2 + \frac{1}{4}y_t^2 + \frac{1}{2}\lambda_h\right) \ .$$

temporarily restored.

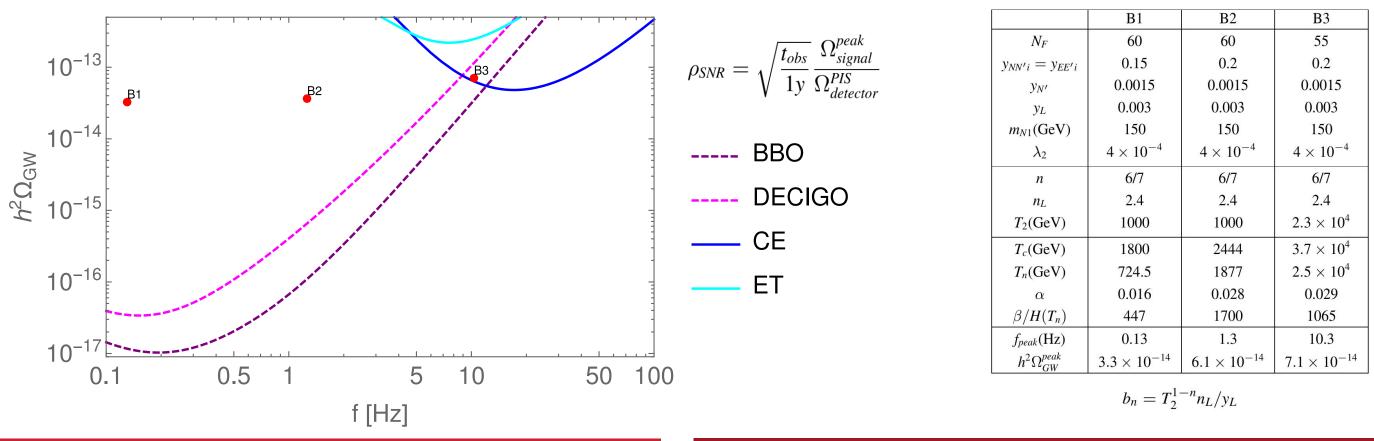


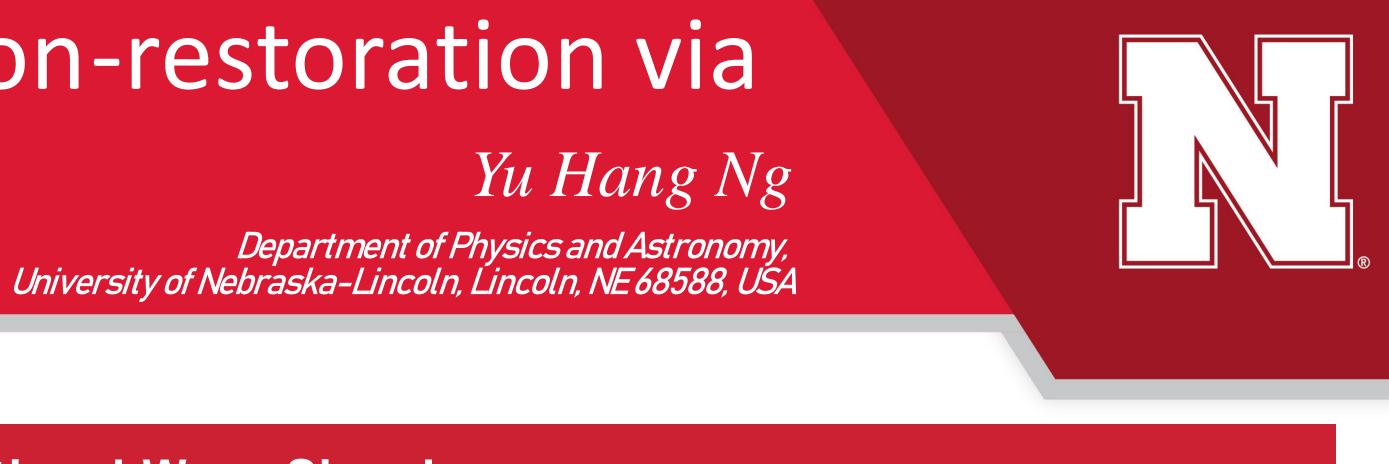
# **Gravitational Wave Signals**

# and DECi-hertz Interferometer Gravitational wave Observatory(DECIGO).



Peak-integrated sensitivity curves (left panel) for several future gravitational wave observatories<sup>[5]</sup>. The red dots are some benchmarks (some details are given in the table on right panel). The x-coordinate of each benchmark is its peak frequencies, and y-coordinate is its peak GW strength.





The gravitational wave spectrum of benchmarks B1 (left panel), B2 (right panel), and the noise spectrum of the Big Bang Observer(BBO)

### Summary

- New fermions from renormalizable models can induce EW symmetry non-restoration, or push the EWPT temperature well above the EW scale.
- These models have intriguing cosmological implications: origin of matter-antimatter asymmetry (e.g. high-temperature EWBG), gravitational wave signatures.

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