

# Cosmological boost factor for dark matter annihilation at redshifts of $z=10-100$ using the power spectrum approach

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RT & Kohri (2021) PRD

# Introduction to Cosmological reionization

- UV radiation from first stars ionized intergalactic medium (IGM)  
this process began at  $z=10-20$  and ended at  $z=6$   
(e.g., Creig & Mesinger 2017)
- High energy photons or particles ( $e^\pm$ ,  $q$ ,  $\bar{q}$ , etc) might be produced  
by dark matter (DM) annihilation  
→ affect the reionization process (e.g., Valdes+ 2013; Liu+ 2016;  
Hiroshima+ 2021)

Annihilation rate  $\propto$  (DM density)<sup>2</sup>

we calculate this quantity using N-body simulations  
at  $z=10-100$

# Cosmological boost factor

DM mass density

$$\rho_{\text{DM}}(\vec{r}, z) = \bar{\rho}_{\text{DM}}(z) \{1 + \delta_{\text{DM}}(\vec{r}, z)\}$$

mean density contrast

collision rate of DM particles  $\propto$  (DM density)<sup>2</sup>

$$\begin{aligned} \langle \rho_{\text{DM}}^2(\vec{r}, z) \rangle &= \bar{\rho}_{\text{DM}}^2(z) \{1 + \langle \delta_{\text{DM}}^2(\vec{r}, z) \rangle\} \\ &= \bar{\rho}_{\text{DM}}^2(z) \underline{B(z)} \end{aligned}$$

**boost factor**

## How to calculate $B(z)$ ?

1. Halo model approach
2. Power spectrum approach

both approaches give a consistent  $B(z)$  at  $z=0-6$

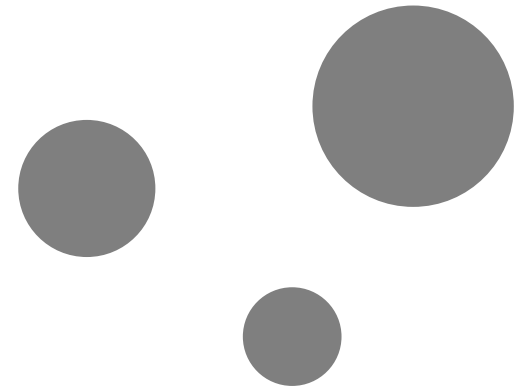
(The Fermi LAT collaboration 2015)

# 1. Halo model approach (e.g., Ullio+ 2002; Cirelli+ 2011; Valdes+ 2013; Evoli+ 2014; Ando+ 2019)

DM annihilation is enhanced at central/dense regions of halos

$B(z)$  is obtained using the following model ingredients

- Halo density profile
- Halo mass function



model uncertainties:

subhalo (or sub-subhalo) mass function, ellipticity, central density profile

## 2. Power spectrum approach (Serpico+ 2012; Seffusatti+ 2014)

Boost factor

$$B(z) = 1 + \langle \delta_{\text{DM}}^2(\vec{r}; z) \rangle$$

$$= 1 + \int_0^\infty d \ln k \, \underline{\Delta^2(k; z)}$$

dimensionless matter power spectrum

$$\Delta^2(k; z) = \frac{k^3}{2\pi^2} P(k; z)$$

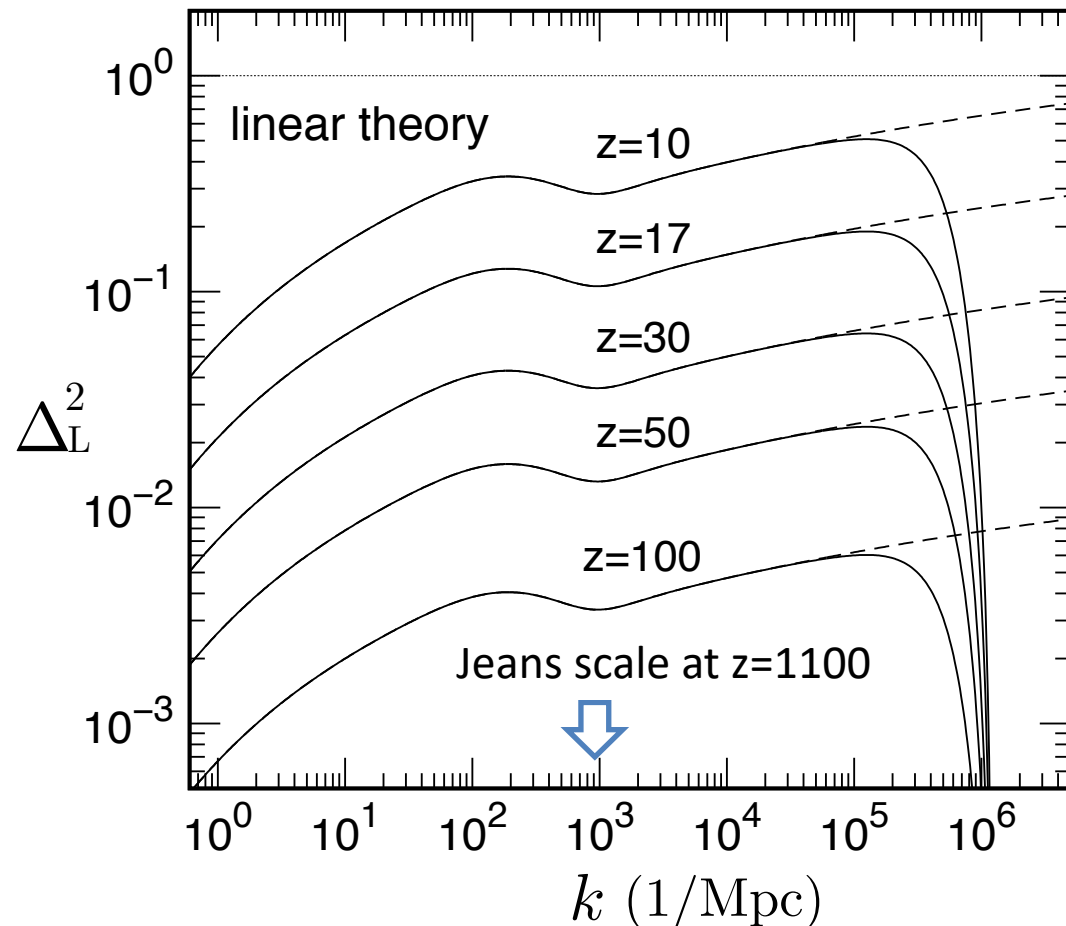
- linear  $\Delta^2$  is obtained using the linear perturbation theory
- non-linear  $\Delta^2$  is obtained using DM N-body simulations

# Linear power spectrum

transfer function (Yamamoto, Sugiyama & Sato 1998)

with free-streaming (FS) damping of DM particles at  $k_{\text{fs}} = 10^6 \text{ Mpc}^{-1}$

(Green, Hoffmann & Schwarz 2004)



Planck2016 flat  $\Lambda$ CDM

solid line : linear theory

dashed line : linear theory  
w/o FS damping

# Non-linear evolution of power spectrum

dark-matter-only simulations with N-body code GreeM

(Ishiyama+ 2009)

number of particles:  $5120^3$

side length of simulation boxes: 1kpc, 10kpc, 100kpc, 1Mpc & 10Mpc

→ covering a wide range of scales

$$k = 1 \text{ Mpc}^{-1} - 2 \times 10^7 \text{ Mpc}^{-1}$$

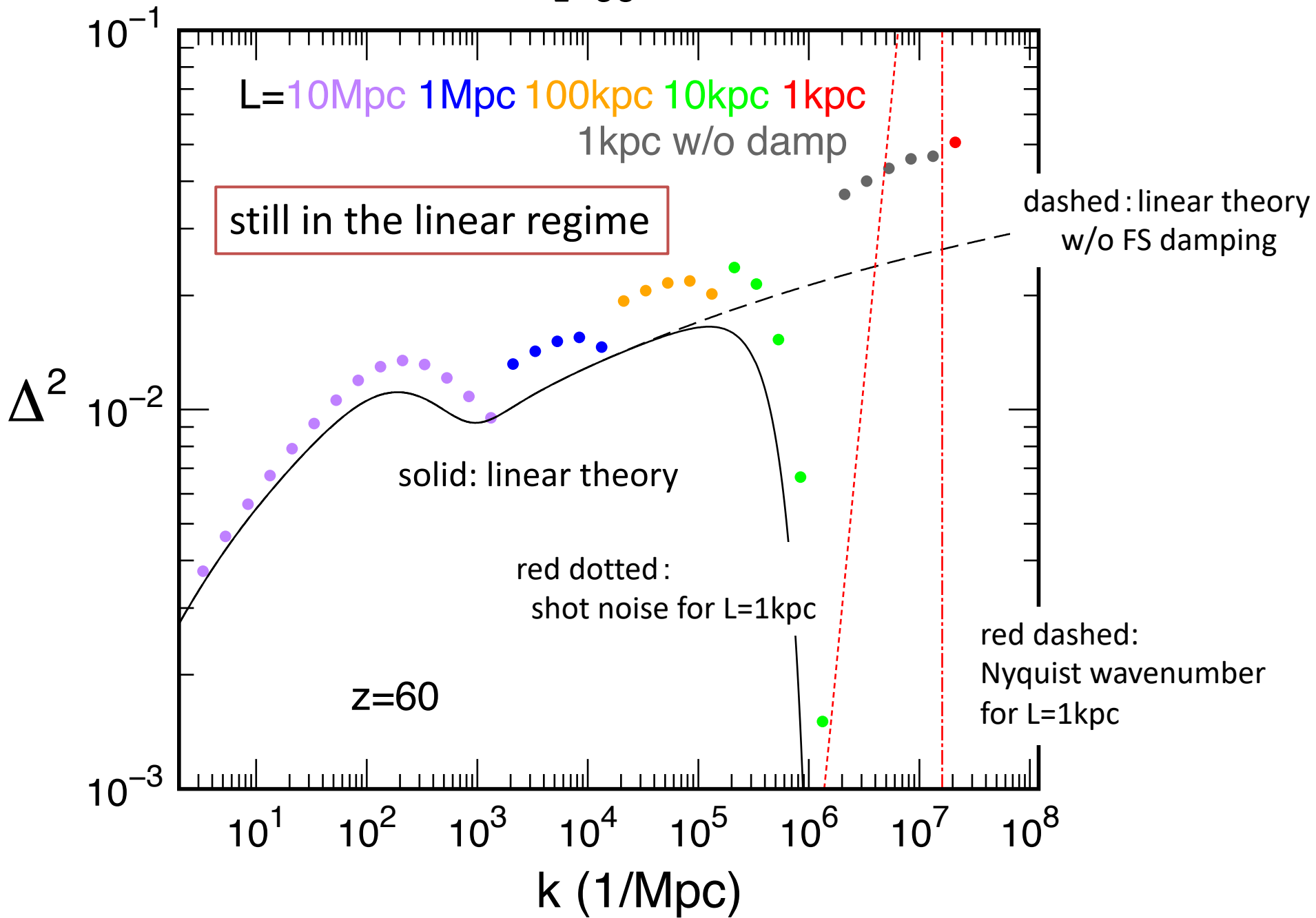
(Nyquist wavenumber for L=1kpc)

Initial redshift  $z=400$

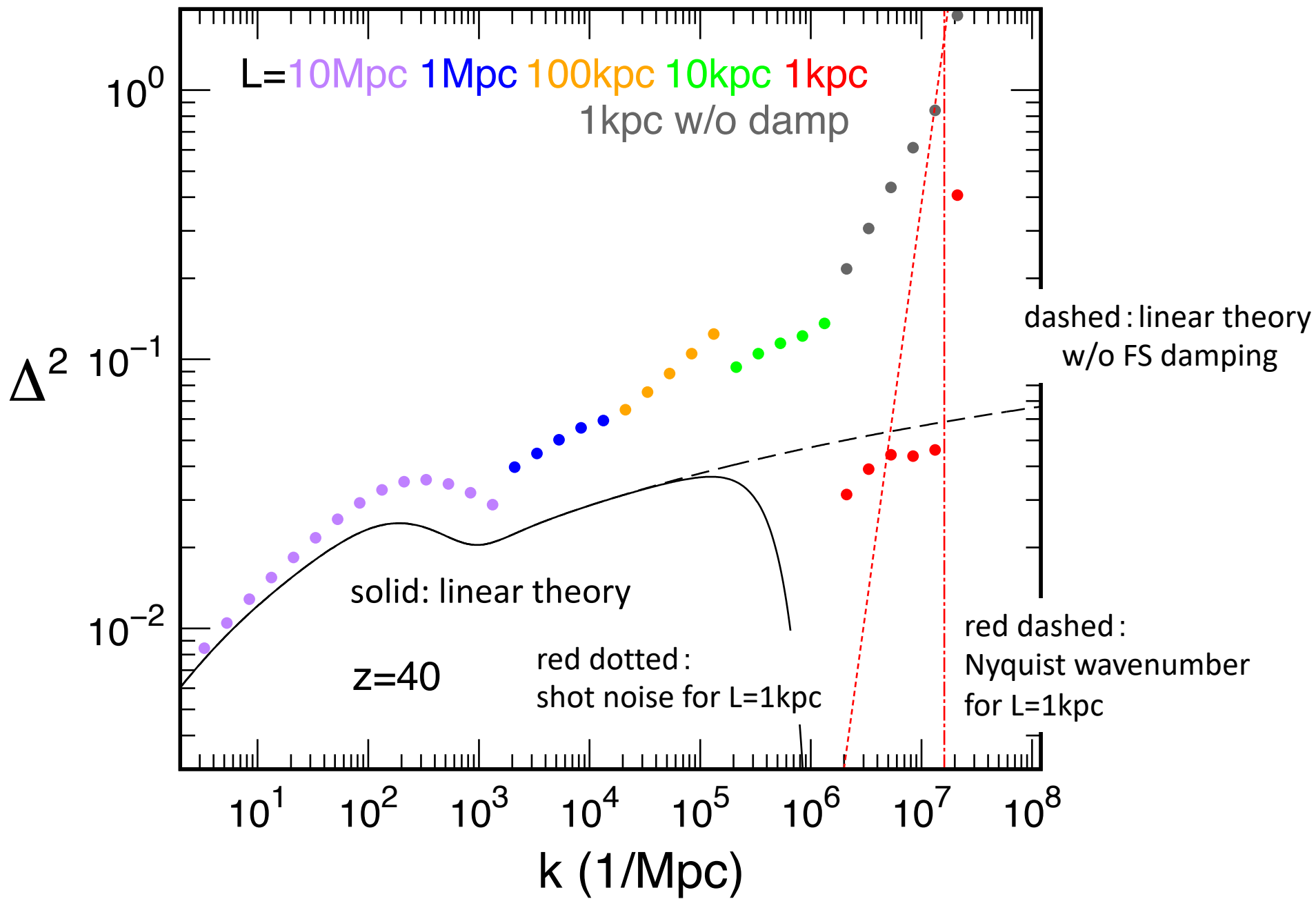
output redshifts  $z=100, 60, 50, 40, 30, 23, 17$  & 10



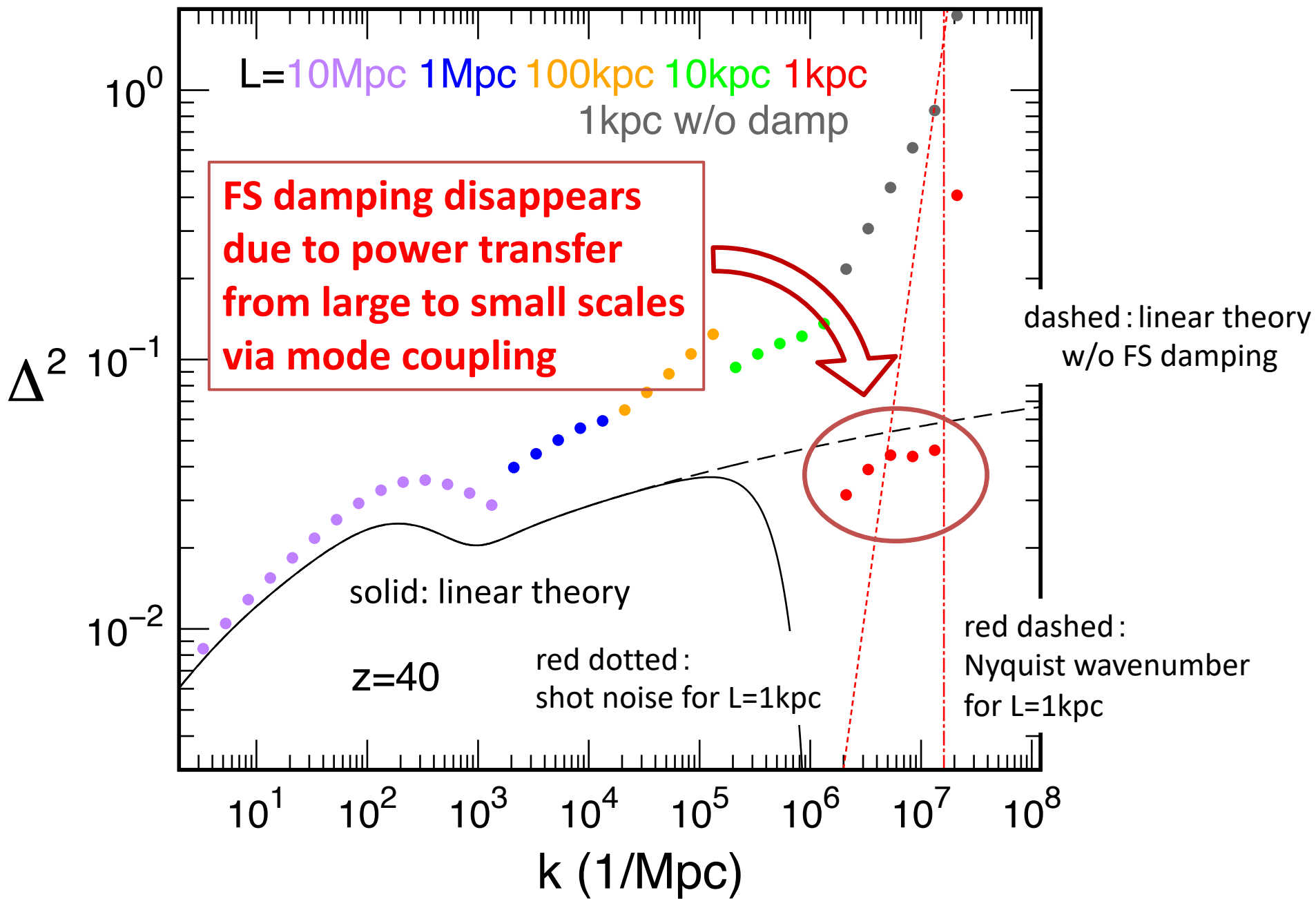
z=60



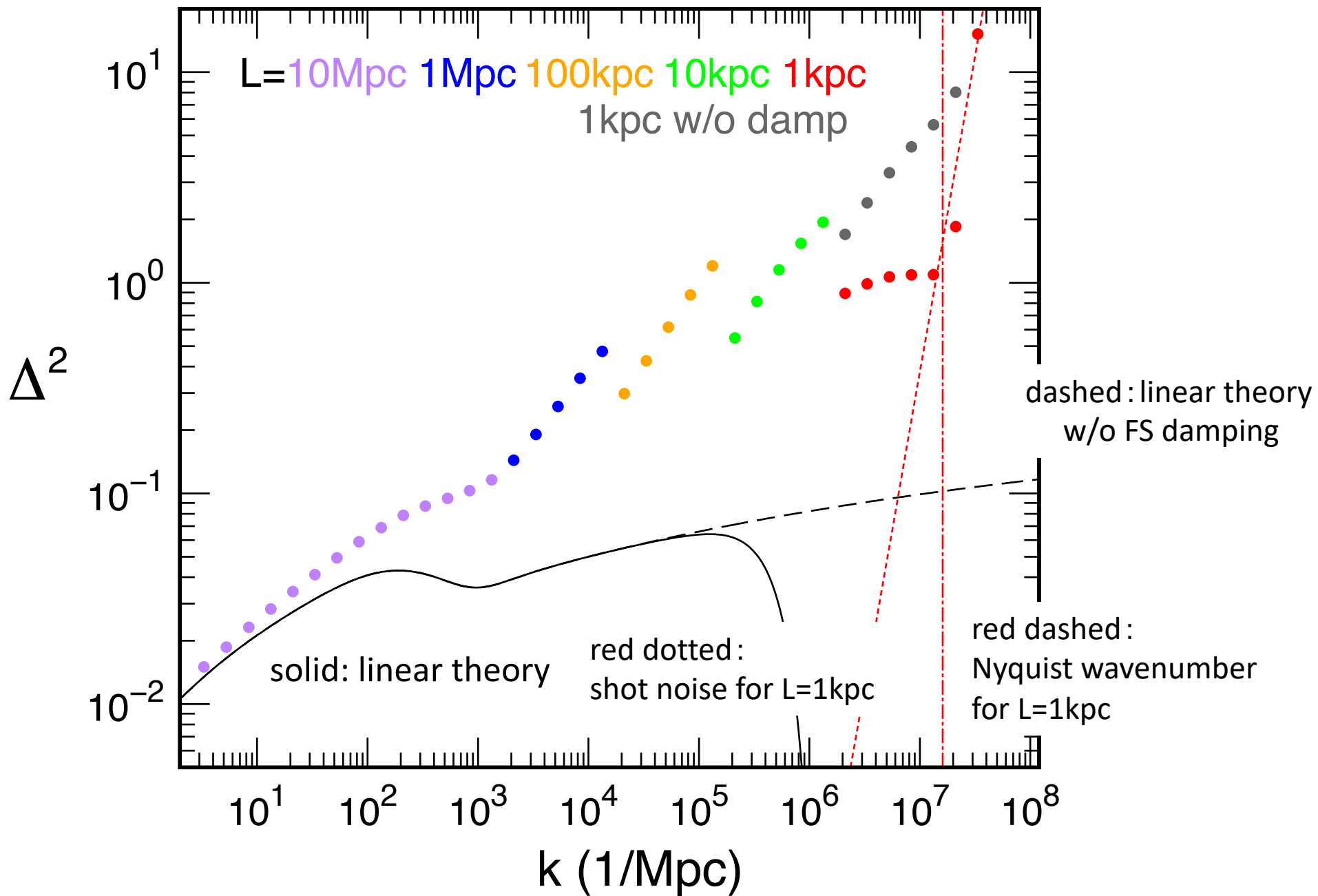
z=40



z=40



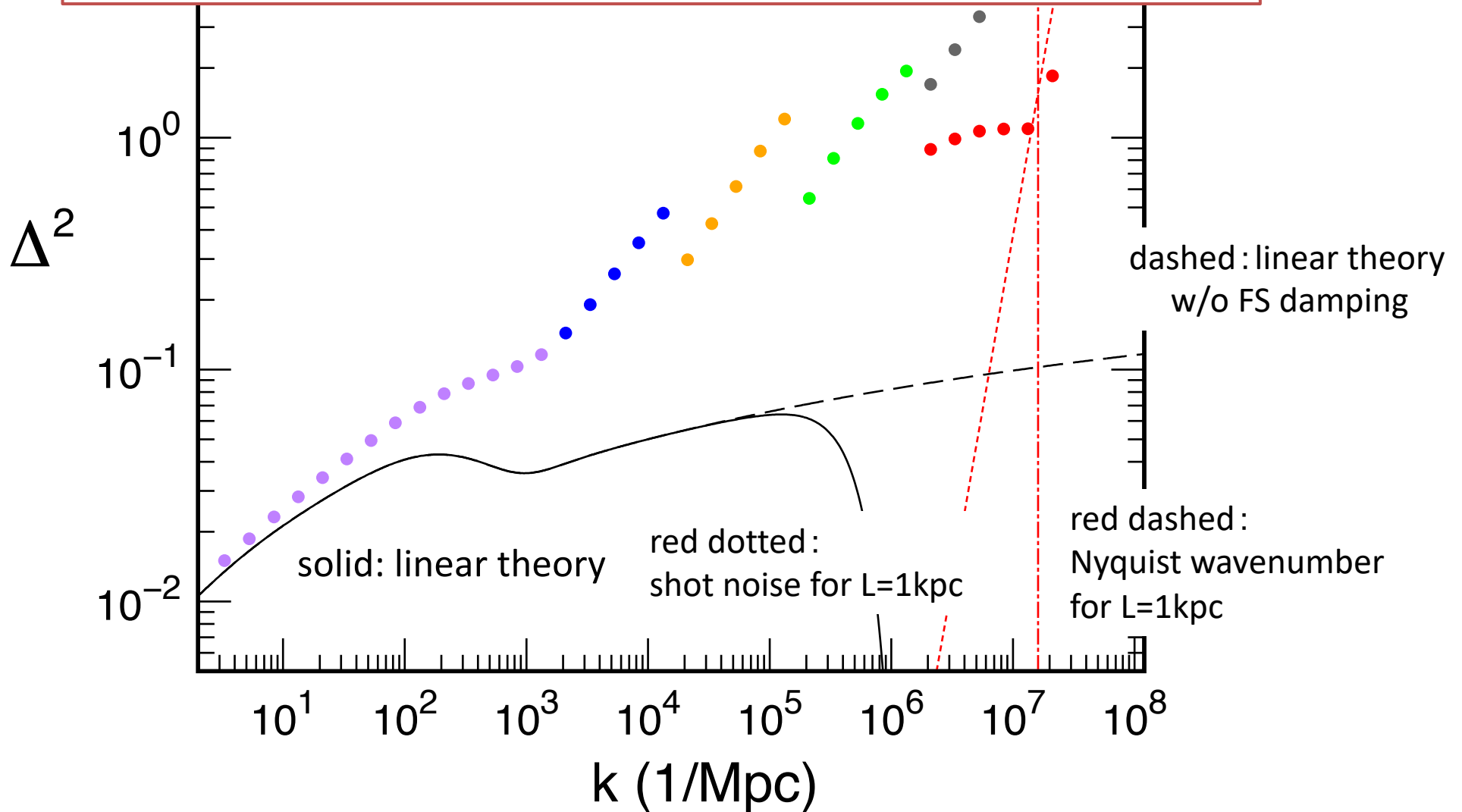
z=30



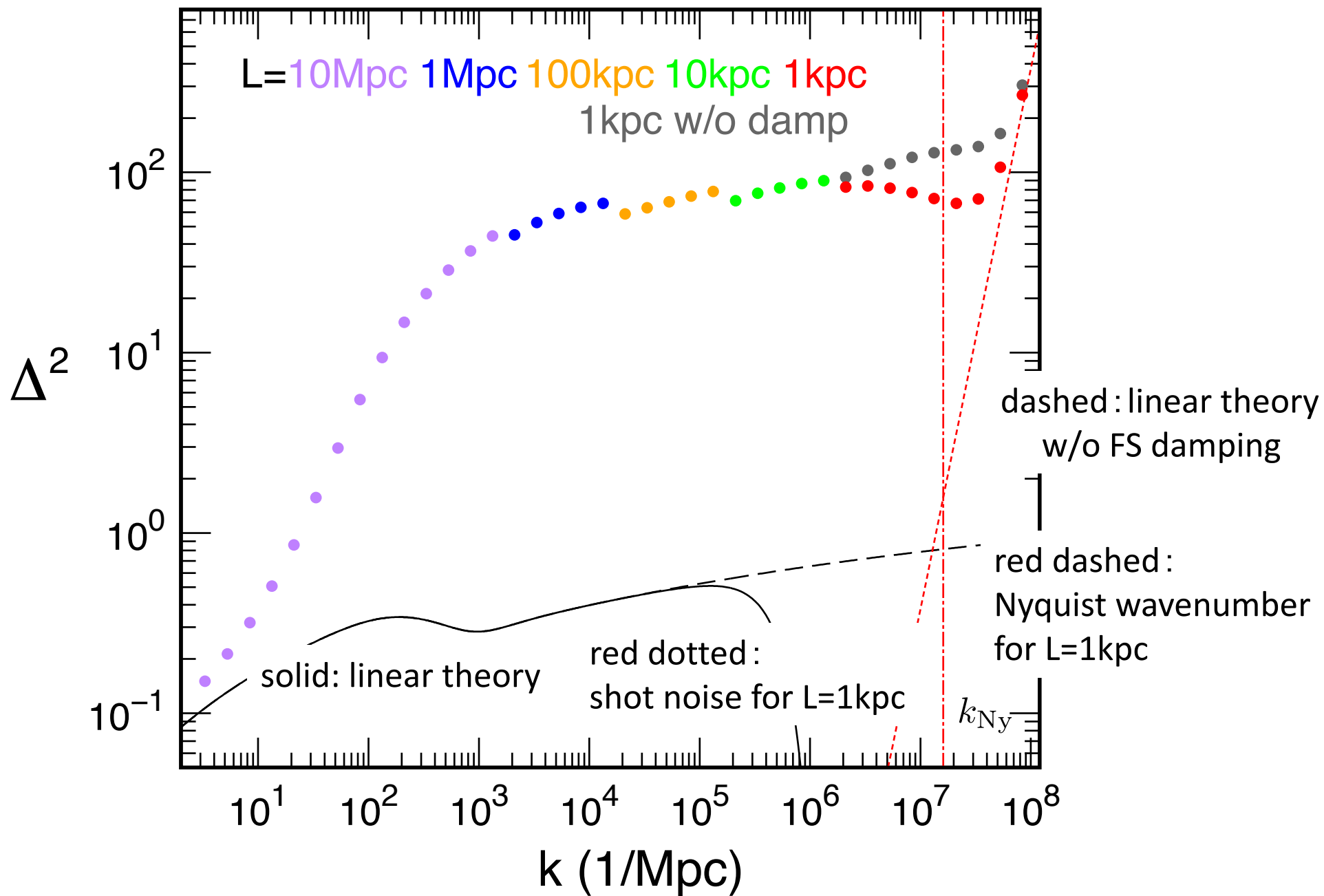
$z=30$

discontinuities between different box sizes

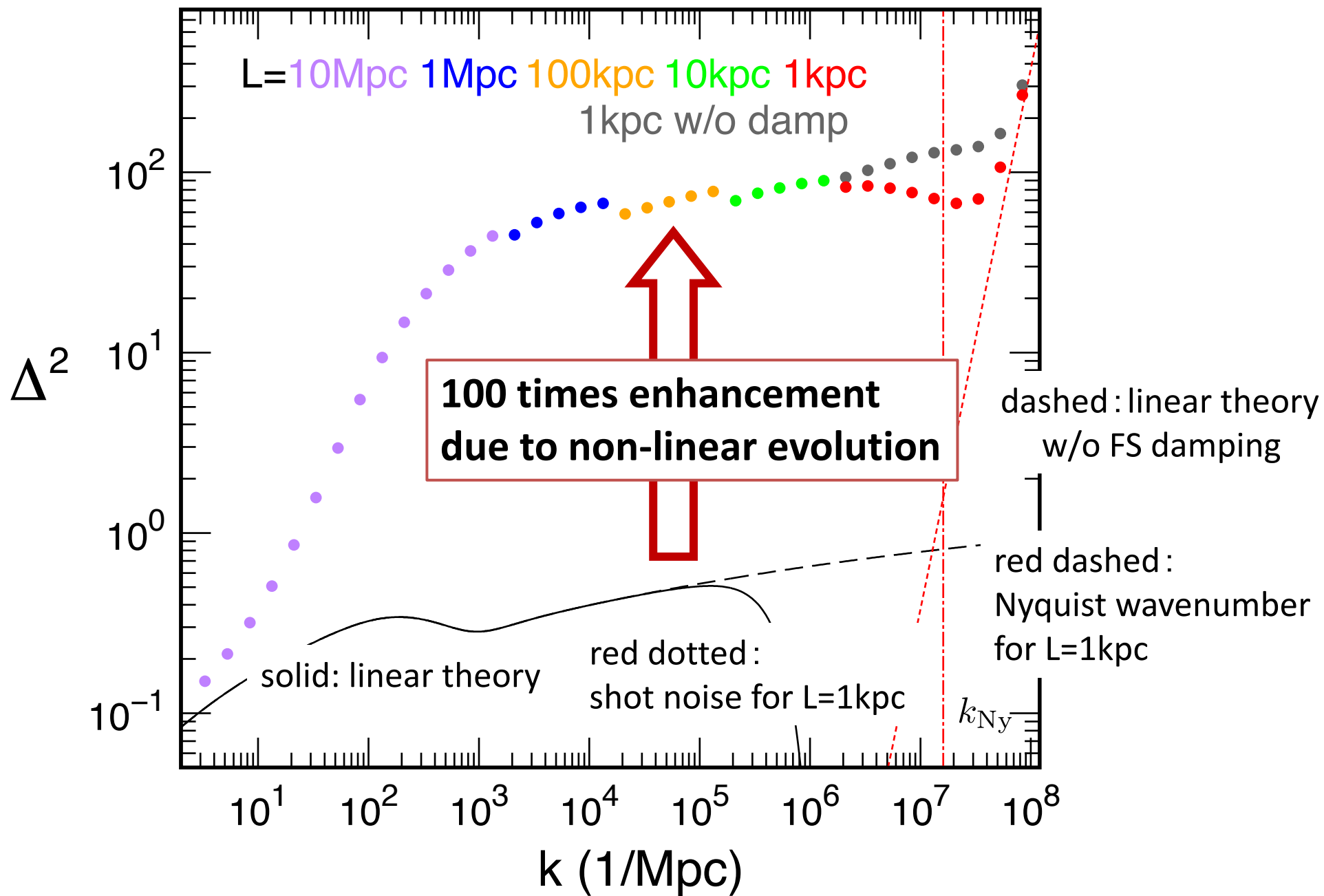
← lack of density fluctuations larger than smaller box size

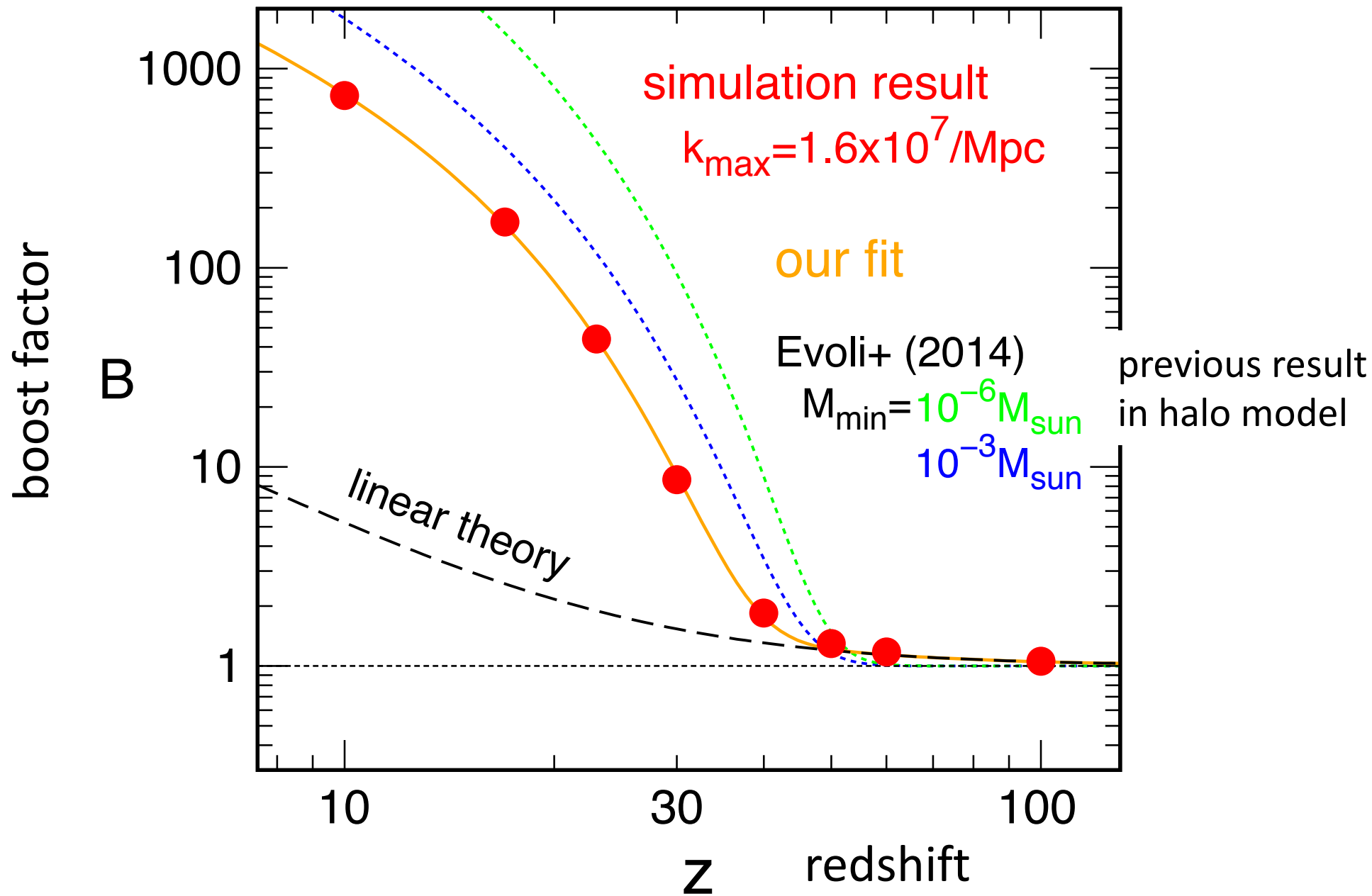


z=10

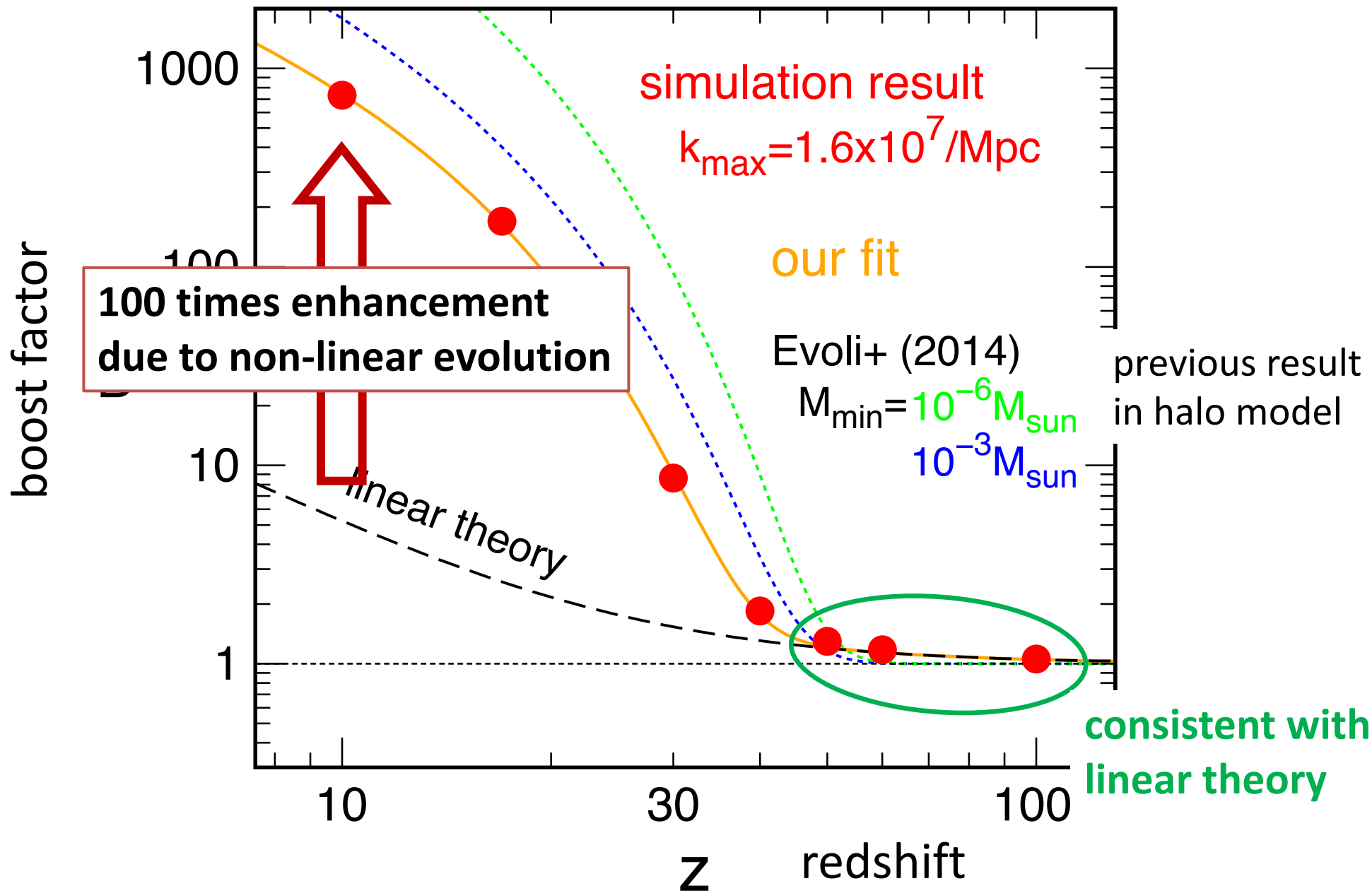


z=10









# Summary

- **Cosmological boost factor at  $z=10-100$  is obtained** following non-linear gravitational evolution of DM density fluctuations with N-body sims  
see also [Hiroshima+ \(2021\)](#) for practical application of our  $B(z)$
- Our  $B(z)$  is consistent with linear theory prediction at  $z>50$ , but it is strongly enhanced at  $z<40$
- **free-streaming damping still remains at  $z>50$ , but it disappears at  $z<40$  due to power transfer from large to small scale** (via mode coupling)
- Our simulation does not include density fluctuations smaller than  $\approx 0.4$  Mpc, therefore **our  $B(z)$  is lower bound**



TABLE I. Summary of our  $N$ -body simulations: the side length of cubic simulation box  $L$ , the number of particles  $N_p$ , the minimum wave number  $2\pi/L$ , the particle Nyquist wave number  $k_{\text{Ny}} \equiv (\pi/L)N_p^{1/3}$ , and the  $N$ -body particle mass  $m_p$ . Values in parentheses indicate differing values for the low-resolution runs.

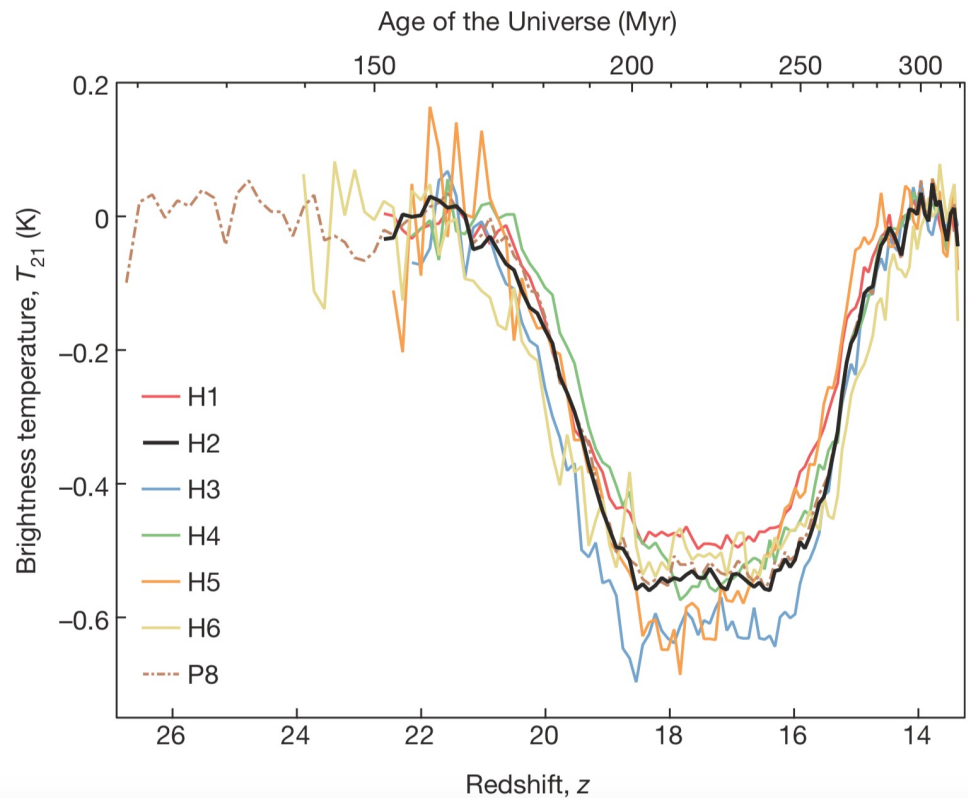
$L$	$N_p$	$2\pi/L$ [Mpc $^{-1}$ ]	$k_{\text{Ny}}$ [Mpc $^{-1}$ ]	$m_p$ [ $M_\odot$ ]
10 Mpc	5120 $^3$ (2560 $^3$ )	0.63	$1.6 \times 10^3$ (800)	29 (230)
1 Mpc	5120 $^3$ (2560 $^3$ )	6.3	$1.6 \times 10^4$ ( $8.0 \times 10^3$ )	$2.9 \times 10^{-2}$ (0.23)
100 kpc	5120 $^3$ (2560 $^3$ )	63	$1.6 \times 10^5$ ( $8.0 \times 10^4$ )	$2.9 \times 10^{-5}$ ( $2.3 \times 10^{-4}$ )
10 kpc	5120 $^3$ (2560 $^3$ )	630	$1.6 \times 10^6$ ( $8.0 \times 10^5$ )	$2.9 \times 10^{-8}$ ( $2.3 \times 10^{-7}$ )
1 kpc	5120 $^3$ (2560 $^3$ )	$6.3 \times 10^3$	$1.6 \times 10^7$ ( $8.0 \times 10^6$ )	$2.9 \times 10^{-11}$ ( $2.3 \times 10^{-10}$ )

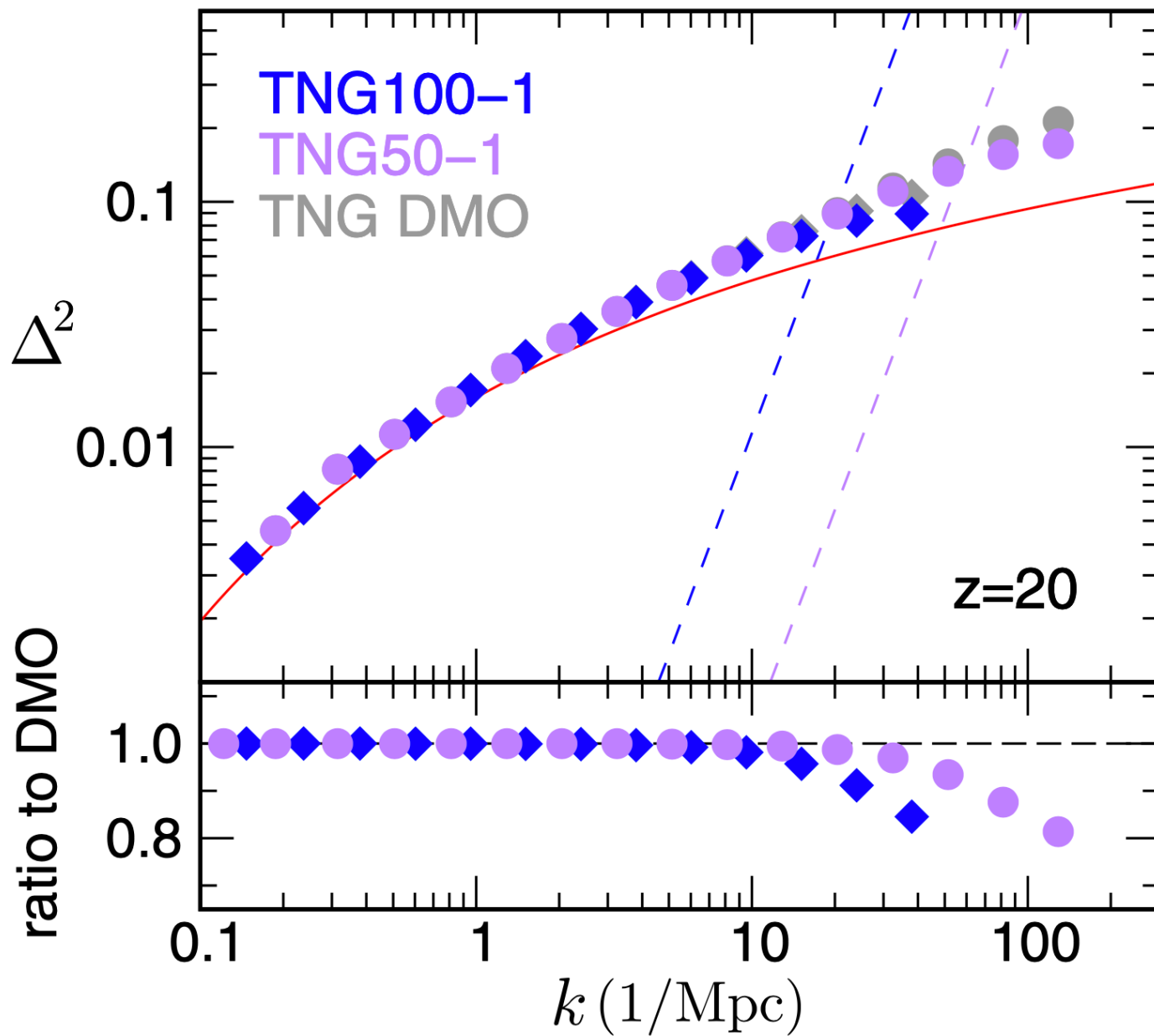
# Introduction to Cosmological reionization

EDGES reported a detection of HI 21cm absorption at  $z=17$

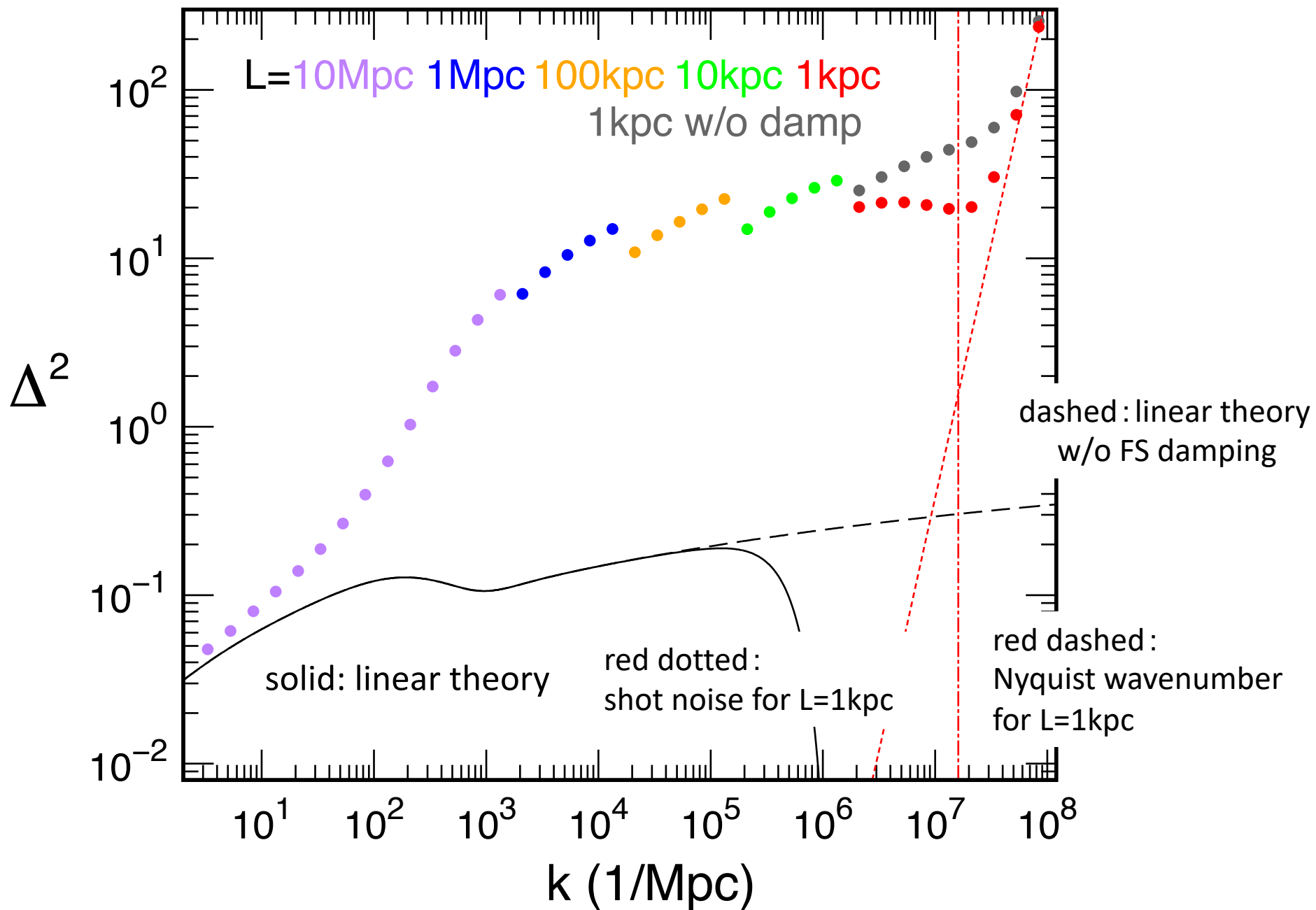
(Bowman+ 2018, Nature)

⇒ constrain (or exclude) heating of IGM by DM annihilation





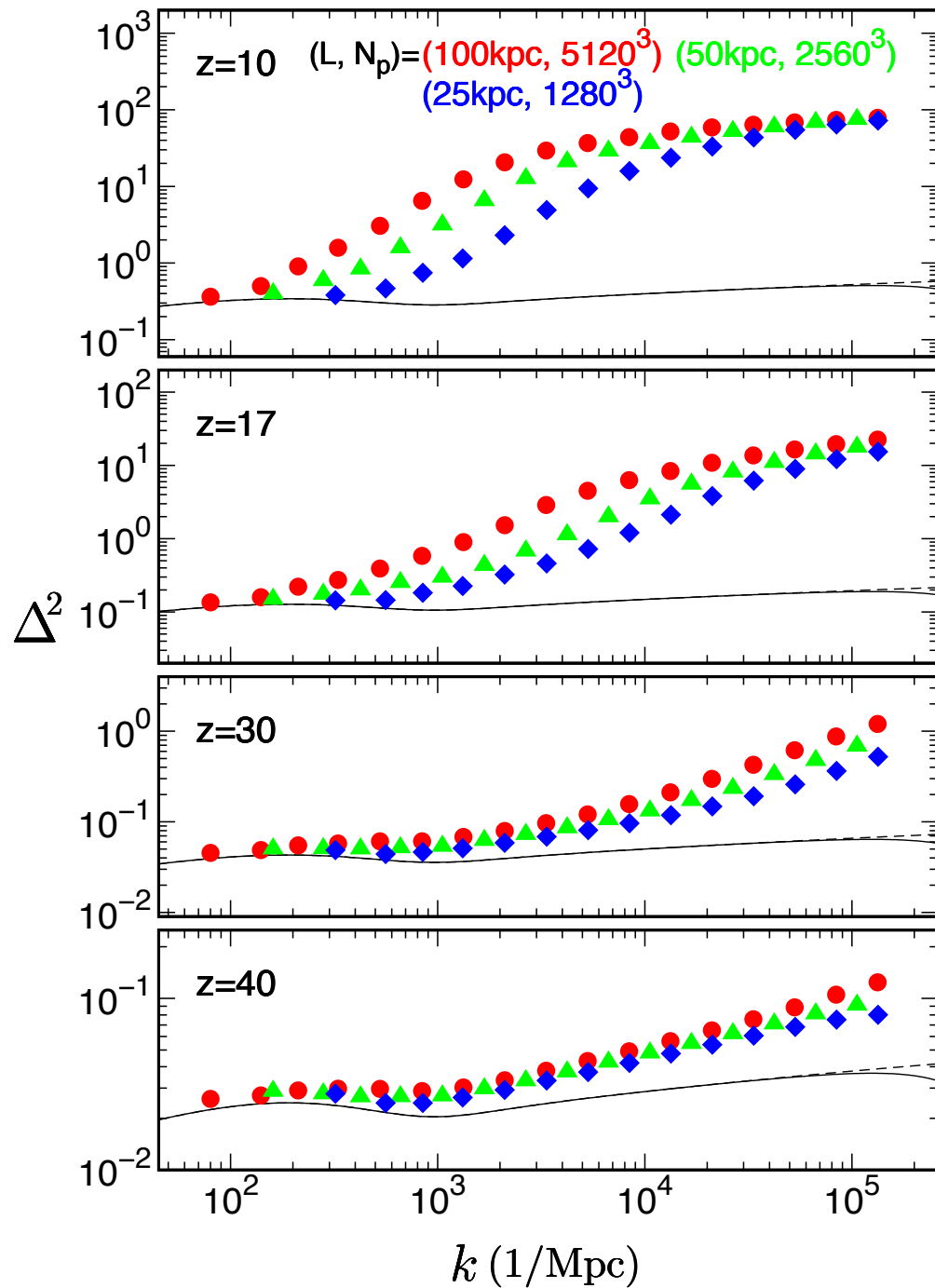
z=17



# イントロダクション: 宇宙再イオン化

- ・初代星からの紫外線による中性水素ガスのイオン化
- ・赤方偏移  $z=10-20$  程度から始まり、 $z=6$  には終了 (e.g., 天文学辞典)
- ・暗黒物質の対消滅により生ずる粒子(光子、電子・陽電子等)が宇宙再イオン化へ及ぼす可能性を考える (Sekiguchi+ in preparation)
- ・対消滅率は暗黒物質密度の2乗に比例するため、この物理量を求める





解像度は固定  
ボックス長のみ変化