Cosmic birefringence tomography with polarized Sunyaev-Zel'dovich effect

Toshiya Namikawa (Kavli IPMU, University of Tokyo)

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 Minami & Komatsu (2020)

 0.36 ± 0.11 deg
 Diego-Palazuelos et al. (2022)

 0.34<sup>+0.094</sup><sub>-0.091</sub> deg
 Eskilt & Komatsu (2022)

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$$C_{\ell}^{EB} \simeq 2\beta C_{\ell}^{EE} \qquad \beta = \frac{g\Delta\phi}{2}$$

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• However,  $C_{\ell}^{EB}$  significantly depends on time evolution of  $\phi$  at reionization/recombination ( $z \sim 10 \& 1000$ ): Axion-like particles (Nakatsuka et al. 2022, Naokawa et al. in prep.) Early dark energy (Murai et al. 2022, Galaverni et al. 2023)  $C_{\ell}^{EB} \approx 2\beta C_{\ell}^{EE}$ 

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We can probe time evolution of  $\phi$  at reionization/recombination from the shape of  $C_{\ell}^{EB}$ (+ Break degeneracies between birefringence signals and miscalibration angle (Sherwin & Namikawa 2022))

cosmic birefringence tomography

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cosmic birefringence tomography

In this talk, I discuss new tomographic sources; the polarized Sunyaev Zel'dovich (pSZ) effect ( $z \ll 10$ )

Temperature quadrupole anisotropies -> linear polarization





Wayne Hu's Tutorial (http://background.uchicago.edu/~whu)

# Polarized Sunyaev Zel'dovich (pSZ) effect



#### Polarized Sunyaev Zel'dovich (pSZ) effect

CMB polarization from recombination e

CMB polarization generated in the late-time universe (polarized Sunyaev Zel'dovich effect)

> Sunyaev & Zel'dovich 1980, Kamionkowski & Loeb 1997, Portsmouth 2004

pSZ can be used to probe time evolution of  $\phi$  in the late-time universe

•  $Q^{pSZ} \pm iU^{pSZ} = \int dz$  (local polarization) × (electron number density)  $q^E$   $\bar{n}_e$ 

Polarization pattern with homogeneous  $n_e$ 



(Local polarization has only E-modes,  $q^E$ )

pSZ contributions in observed E/B modes:

$$\bar{E}^{pSZ} \sim \int dz \ \bar{n}_e w^E q^E$$
$$\bar{B}^{pSZ} = 0$$

•  $Q^{pSZ} \pm iU^{pSZ} = \int dz$  (local polarization) × (electron number density)  $q^E$   $n_e = \bar{n}_e(1 + \delta_e)$ 

Polarization pattern with inhomogeneous  $n_e$ 



(Local polarization has only E-modes,  $q^E$ )

pSZ contributions in observed E/B modes:

$$E^{pSZ} \sim \overline{E}^{pSZ} + \int dz \, w^E \overline{n}_e \delta_e \, q^E$$
$$B^{pSZ} \sim \int dz \, w^B \overline{n}_e \delta_e q^E$$

•  $Q^{pSZ} \pm iU^{pSZ} = \int dz$  (local polarization) × (rotation) × (electron number density)  $q^{E}$ ,  $q^{B} = 2\beta q^{E}$   $n_{e} = \bar{n}_{e}(1 + \delta_{e})$ 

Polarization pattern with inhomogeneous  $n_e$  + rotation  $2\beta$ 



(Local polarization has both E- and B-modes,  $q^E$ ,  $q^B$ )

pSZ contributions in observed E/B modes:

$$\begin{split} E'^{\text{pSZ}} &\sim E^{\text{pSZ}} + \mathcal{O}(\beta^2) \\ B'^{\text{pSZ}} &\sim B^{\text{pSZ}} + \int dz \, \bar{n}_e w^E (1 + \delta_e) q^B \\ &+ \mathcal{O}(\beta^2) \end{split}$$

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(Local polarization has both E- and B-modes,  $q^E$ ,  $q^B$ )

We can reconstruct the local polarization  $q^E$ ,  $q^B$  at each z-bin with the fact that the polarization is distorted by  $\delta_e$  (next slides)









• pSZ estimator  $\sim$  (observed E/B-modes)  $\times$  (galaxy number density fluctuations)

(Deutsch et al. 2018)

 $\hat{q}^{E,i} = \underline{E^{\text{obs}}} \odot \delta^{\text{obs}}_{g,i}$ 



• pSZ estimator  $\sim$  (observed E/B-modes)  $\times$  (galaxy number density fluctuations)

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$$\hat{q}^{E,i} = E^{\text{obs}} \odot \delta_{g,i}^{\text{obs}} \sim E^{\text{pSZ}} \odot \delta_{m,i} \sim q^{E,i} \delta_{m,i}^2$$



• pSZ estimator ~ (observed E/B-modes) × (galaxy number density fluctuations)

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$$\hat{q}^{E,i} = E^{\text{obs}} \odot \delta_{g,i}^{\text{obs}} \sim E^{\text{pSZ}} \odot \delta_{m,i} \sim q^{E,i} \delta_{m,i}^2$$
$$\hat{q}^{E,i} = B^{\text{obs}} \otimes \delta_{g,i}^{\text{obs}} \sim B^{\text{pSZ}} \otimes \delta_{m,i} \sim q^{E,i} \delta_{m,i}^2$$
$$\hat{q}^{B,i} = B^{\text{obs}} \odot \delta_{g,i}^{\text{obs}} \sim B^{\text{pSZ}} \odot \delta_{m,i} \sim 2\beta_i q^{E,i} \delta_{m,i}^2$$



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A tomographic measurement of the cosmic birefringence angle

New correlations induced by polarization angle rotation (from  $E^{obs}$ ,  $B^{obs}$ ,  $q^{E,obs,i}$ ,  $q^{B,obs,i}$ )

 $\langle E^{\rm obs} q^{B,{\rm obs},i} \rangle \sim 2\beta_i \langle E q^{E,i} \rangle$ 

 $\langle q^{E,\text{obs},i}q^{B,\text{obs},j}\rangle \sim 2\beta_j \langle q^{E,i}q^{E,j}\rangle$ 

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Previous study considers cosmic birefringence effect on measured pSZ signals (Lee, Hotinli, Kamionkowski 2022)

New correlations induced by polarization angle rotation (from  $E^{obs}$ ,  $B^{obs}$ ,  $q^{E,obs,i}$ ,  $q^{B,obs,i}$ )

 $\langle E^{\rm obs} \overline{q^{B,{\rm obs},i}} \rangle \sim 2\beta_i \overline{\langle Eq^{E,i} \rangle}$ 

 $\langle q^{E,\text{obs},i}q^{B,\text{obs},j}\rangle \sim 2\beta_j \langle q^{E,i}q^{E,j}\rangle$ 

Previous study considers cosmic birefringence effect on measured pSZ signals (Lee, Hotinli, Kamionkowski 2022)

However, we should also consider the cosmic birefringence signal in the total observed B-modes

$$B^{\text{obs}} \supset B^{\text{pSZ}} \sim \int dz \, w^E 2\beta(z) \, \bar{n}_e q^E \sim \sum_i 2\beta_i \underbrace{\int_{z_i - \Delta z}^{z_i + \Delta z} dz \, w^E q^E}_{E^i} = \sum_i 2\beta_i E$$

New correlations induced by polarization angle rotation (from  $E^{obs}$ ,  $B^{obs}$ ,  $q^{E,obs,i}$ ,  $q^{B,obs,i}$ )

 $\langle E^{\rm obs} q^{B,{\rm obs},i} \rangle \sim 2\beta_i \langle E q^{E,i} \rangle$ 

$$\langle q^{E,\text{obs},i}q^{B,\text{obs},j}\rangle \sim 2\beta_j \langle q^{E,i}q^{E,j}\rangle$$

$$\langle E^{\text{obs}}B^{\text{obs}} \rangle \sim \sum_{i} 2\beta_{i} \langle EE^{i} \rangle$$

$$\begin{array}{l} \text{These correlations} \\ \text{are also generated} \end{array}$$

$$\left\langle q^{E,\text{obs},i}B^{\text{obs}} \right\rangle \sim \sum_{j} 2\beta_{j} \langle q^{E,i}E^{j} \rangle \\ \text{Equivalent to measure } \langle BB\delta_{g} \rangle$$

We check how the missing terms change the constraint on birefringence angles

• Constraints on rotation angle at each z bin



Missing terms change the constraint by an order of magnitude especially at high z

#### Forecast results

•  $1\sigma$  constraints on overall amplitude of the rotation angle for ALPs with a specific mass (shaded region)



We would be able to distinguish different mass of ALPs even if they oscillate well after the reionization/recombination

We forecast expected constraints on cosmic birefringence with low-ell CMB (E, B) and reconstructed pSZ ( $q^E, q^B$ )

We include all relevant terms some of which are missed in the previous work and show that these missing terms are important

1  $\sigma$  constraint on the rotation angle at each z bin is roughly degree to sub-degree level

pSZ would be useful for constraining late-time cosmic birefringence

# Backup

• Reconstruction of the time evolution of the rotation angle

We define the relative rotation angle which characterizes the evolution of  $\phi$  at each z-bin:

$$\Delta\beta_i \equiv \frac{1}{2}g_{\gamma\phi}(\phi(z_{i+1}) - \phi(z_i)) = \beta(z_{i+1}) - \beta(z_i)$$

• Reconstruction of the time evolution of the rotation angle



Missing terms change the constraint by an order of magnitude at high z

We forecast expected constraints on cosmic birefringence with low-ell CMB (E, B) and reconstructed pSZ ( $q^E, q^B$ )

We include all relevant terms some of which are missed in the previous work and show that these missing terms are important

1  $\sigma$  constraint on the reconstructed rotation angle is more than 1deg for S4 with LSST galaxies, while constraint at each z is sub degrees

pSZ would be useful for constraining late-time cosmic birefringence