# Can we explain cosmic birefringence without a new light field beyond Standard Model?

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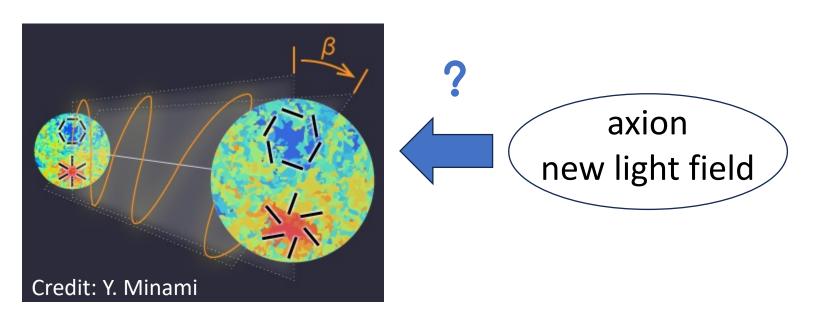
ダークマターの正体は何か? KAKE 広大なディスカバリースペースの網羅的研究 ¾

広大なディスカバリースペースの網羅的研究 文部科学省 科学研究費助成事業 学術変革領域研究 What is dark matter? - Comprehensive study of the huge discovery space in dark matter (2020–2024)



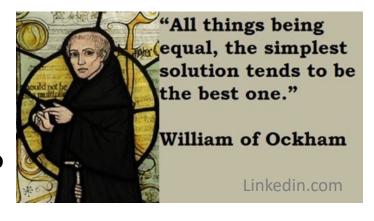
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### Motivation

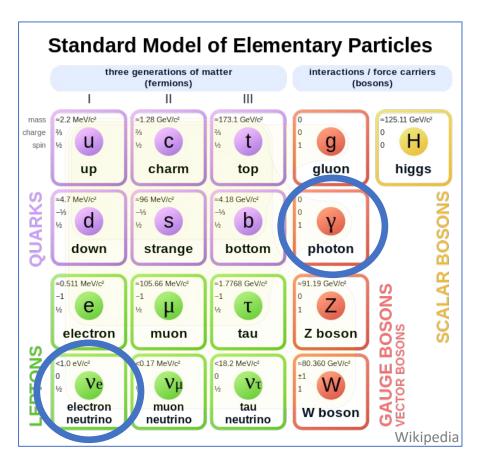


Why new physics?

Why not our known physics in Standard Model?



## Candidates in Standard Model

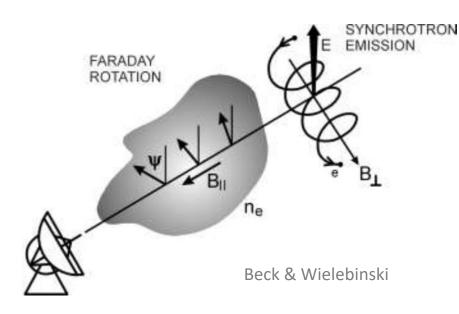


#### Requests:

- Cosmic birefringence is a parity-violating effect
- Signal is isotropic: medium should be homogeneous and stable
- It would be a neutral component: charged cosmological background (electron, proton) would be suppressed due to small number density
- → Let's focus on photon and (electron) neutrino!

## Case 1: Faraday rotation in CMB

■ Polarization rotation due to (cosmological) magnetic field and free electron:



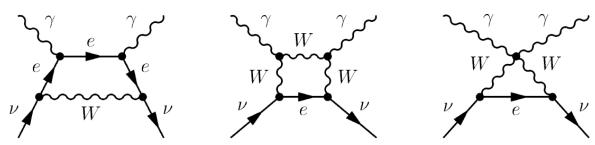
- Helical magnetic field can provide EB correlation in CMB
- Upper limit on primordial magnetic field from CMB observations:

$$B_{1 \mathrm{Mpc}} \lesssim \mathcal{O}(1) \mathrm{nG}$$

## Case 2: Cosmic neutrino background

Mohanty, Nieves, Pal (1997); Karl, Novikov (2000);...

*Karl & Novikov (2004);* 



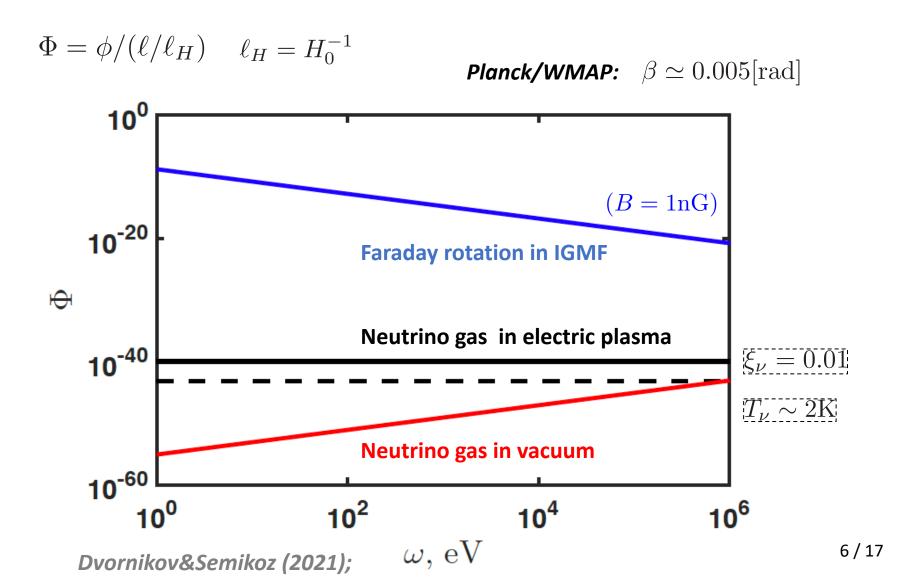
- Via loop-interactions, neutrino-antineutrino background asymmetry could provide a difference of photon's propagation between two helicities.
- Photon's rotation angle per length:

On-shell: 
$$\frac{\phi}{l} = \frac{112\pi G_{\rm F}\alpha_{\rm em}}{45\sqrt{2}} \left[ \ln\left(\frac{M_{\rm W}}{m_e}\right)^2 - \frac{8}{3} \right] \frac{\omega^2 T_{\nu}^2}{M_{\rm W}^4} (n_{\nu} - n_{\bar{\nu}}) \quad (\omega \ll M_W)$$

Off-shell: 
$$\frac{\phi}{l} = \frac{\sqrt{2}G_{\rm F}\alpha_{\rm em}}{3\pi} \left(\frac{\omega_p^2}{m_e^2}\right) (n_{\nu_e} - n_{\bar{\nu}_e}) \qquad \left|\omega_p \equiv \sqrt{\frac{e^2 n_e}{m_e}}\right|$$

neutrino-asymmetry:  $n_{\nu}-n_{\bar{\nu}}\simeq \xi_{\nu}T_{\nu}^3/6$   $\xi_{\nu}\equiv \mu_{\nu}/T_{\nu}\ll 1$ 

## Rotation angle at horizon size

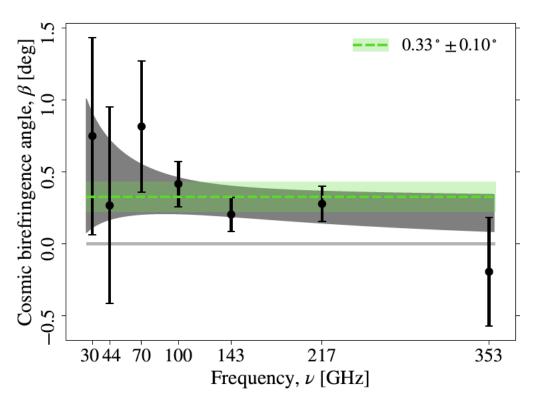


## Another important observational fact

#### Eskilt (2022);

 $\blacksquare$  Constraint on a frequency-dependence of the birefringence angle  $\beta$ :

$$eta_{
u} = eta_0 \left( rac{
u}{
u_0 = 150 
m GHz} 
ight)^n$$
 (Planck DR4 polarization maps)



■ For a nearly full-sky measurement,

$$\beta_0 = 0.29^{\circ + 0.10^{\circ}}_{-0.11^{\circ}}$$

$$n = -0.35^{+0.48}_{-0.47}$$

Consistent with frequency-independent

## Question

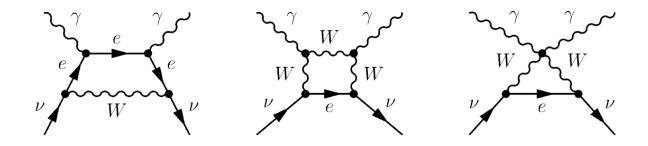
■ Is it really impossible to explain the measured cosmic birefringence angle in our known fields?

■ We may need to consider beyond Standard Model. But we may not need a new field.

■ We can list up whole relevant cases by using Effective field theory (EFT) of Standard Model (SMEFT)!

## Effective Lagrangian approach

Ex) photon-neutrino loop interactions



- lacksquare For low energy  $\ll m_e, M_W$ 
  - above interactions can be described by the following operator: Karl & Novikov (2004);

$$\frac{1}{m^6} [F_{\mu\alpha}(\partial_{\gamma}\tilde{F}_{\mu\beta})] [\bar{\nu}\gamma_{\alpha}\partial_{\beta}\partial_{\gamma}(1+\gamma_5)\nu] + h.c.$$

lacksquare Leading to list up the parity-violating operator  $-rac{1}{4}F\hat{\mathcal{O}} ilde{F}$ 

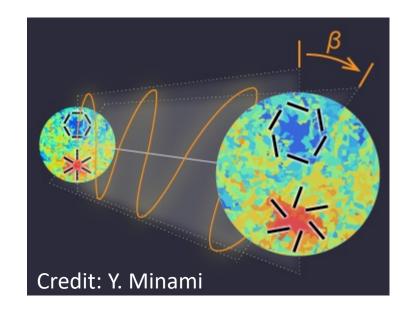
## Isotropic cosmic birefringence (ICB)

■ To explain this, we need to consider:

$$\mathcal{L} = -\frac{1}{4}FF - \frac{1}{4}F\tilde{\mathcal{O}}\tilde{F}$$

On a cosmological background

$$\phi_{\tilde{\mathcal{O}}} \equiv \langle \tilde{\mathcal{O}} \rangle,$$



the rotation angle is given by its field displacement

$$\beta = \frac{1}{2} \int_{t_{\rm LSS}}^{t_0} dt \, \frac{\partial \phi_{\tilde{\mathcal{O}}}}{\partial t} = \frac{1}{2} \left[ \phi_{\tilde{\mathcal{O}}}(t_0) - \phi_{\tilde{\mathcal{O}}}(t_{\rm LSS}) \right]$$
 (present) (last scattering surface)

 $\blacksquare$  If  $\,\tilde{\mathcal{O}}=\tilde{\mathcal{O}}(\partial)\to\tilde{\mathcal{O}}(\omega)\,$  , it leads to a frequency-dependent birefringence

## SMEFT and low-energy EFT (LEFT)

(caution: not Standard Model itself!)

■ Include all operators of SM fields respecting gauge symmetries

$$SU(3)_C \times SU(2)_L \times U(1)_Y$$

(LEFT: EFT below the electroweak breaking scale)  $SU(3)_C \times U(1)_{EM}$ 

Provided that no undiscovered light particles exist (such as axion)

#### Our results Nakai, Namba, Qiu, IO, Saito (2023);

- $\blacksquare$  Only a CS-type effective operator  $\,\tilde{\mathcal{O}}F_{\mu\nu}\tilde{F}^{\mu\nu}\,$  can produce a frequency-independent isotropic cosmic birefringence But...
- None of such effective operator leads to the desired birefringence angle

## CS-type scalar operator

$$\mathcal{L}_{\text{CS}} = \frac{\alpha}{8\pi} \sum_{a} \frac{\tilde{\mathcal{O}}_{a}}{\Lambda_{a}^{n}} F_{\mu\nu} \tilde{F}^{\mu\nu} \quad \begin{array}{l} (a: \text{ operator species}) \\ (n: \text{ dimension of the operator}) \end{array}$$

 $ilde{\mathcal{O}}_a$  : Lorentz scalars, singlets for SM symmetry  $SU(3)_C imes SU(2)_L imes U(1)_Y$ 

List up all possible operators of each dimension in SMEFT/LEFT

## dimension 1 $\checkmark$ Higgs field H $\checkmark$ Covariant derivative D

dimension 3/2  $\checkmark$  SM fermion  $\psi$ 

Building blocks:

dimension 2  $\checkmark$  SM field strength tensor X

## Scalar operator (dimension-six)

$$\tilde{\mathcal{O}}_a = H^2 \text{ or } D^2$$

#### Grzadkowski+(2010);

■ The operators relevant to CS are reduced to Higgs one:

$$\frac{\alpha}{8\pi} \frac{H^{\dagger} H}{\Lambda_H^2} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

■ Higgs field gets a vev below electroweak scale and becomes time-independent.

Constraint on the time variation via electron mass:  $\Delta m_e/m_e = (4\pm11)\times10^{-3}(68\%~\mathrm{C.L.})$ 

Planck (2015);

lacksquare From collider constraint,  $\Lambda_H > {
m TeV}$ 

#### Higgs cannot explain the reported ICB

## Scalar operator (dimension-seven)

$$\tilde{\mathcal{O}}_a = \psi^2$$

$$\sum_{\psi=e,\nu,d,u} \frac{\alpha}{8\pi} \frac{\tilde{\mathcal{O}}_{\psi}}{\Lambda_{\psi}^{3}} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

electron: 
$$\tilde{\mathcal{O}}_e \equiv \tilde{\mathcal{C}}_e^{ij} \bar{e}^i P_L e^j + \text{h.c.}$$
,  $\Rightarrow$  excluded (small density)

neutrino:  $\tilde{\mathcal{O}}_{\nu} \equiv \tilde{\mathcal{C}}_{\nu}^{ij} \bar{\nu}^i P_L \nu^j + \text{h.c.}$ ,  $\Rightarrow$  most relevant?

 $\tilde{\mathcal{O}}_d \equiv \tilde{\mathcal{C}}_d^{ij} \bar{d}^i P_L d^j + \text{h.c.}$ ,  $\Rightarrow$  excluded (time-independent)

 $\tilde{\mathcal{O}}_u \equiv \tilde{\mathcal{C}}_u^{ij} \bar{u}^i P_L u^j + \text{h.c.}$ ,  $\Rightarrow$  excluded (time-independent)

 $\tilde{\mathcal{O}}_u \equiv \tilde{\mathcal{C}}_u^{ij} \bar{u}^i P_L u^j + \text{h.c.}$ ,

## Scalar operator (dimension-seven)

Evaluate cosmological background value:

$$\langle \bar{\nu}^i \nu^j \rangle = \delta^{ij} \mathcal{F}(t) \,,$$

$$\mathcal{F}(t) \equiv \int \frac{d^3p}{(2\pi)^3} \frac{m_i}{E_{\mathbf{p}}} \left[ n^i(p,t) + \bar{n}^i(p,t) \right] \qquad \langle \bar{\nu}^i \gamma^5 \nu^j \rangle = 0$$

At the last scattering surface,

$$\mathcal{F}(t_{\rm LSS}) \simeq 0.5 \, \frac{m_i}{T_{\rm LSS}} \left( N^i + \bar{N}^i \right), \ m_i \ll T_{\rm LSS} \ N_i^{1/3} = \mathcal{O}(10^{-10}) \, {\rm GeV}$$

$$\beta \simeq -0.008 \, \frac{\alpha}{137^{-1}} \sum_{i} \frac{m_i}{T_{\rm LSS}} (\tilde{\mathcal{C}}_{\nu} + \tilde{\mathcal{C}}_{\nu}^{\dagger})^{ii} \frac{N^i + \bar{N}^i}{\Lambda_{\nu}^3} \qquad \qquad \overline{\Lambda_{\nu}} > \mathcal{O}(10^{-2}) \text{GeV to } \mathcal{O}(10^2) \text{GeV}$$

Altmannshofer, Tammaro, Zupan (2021);

$$\Lambda_{\nu} > \mathcal{O}(10^{-2}) \mathrm{GeV} \ \mathrm{to} \ \mathcal{O}(10^{2}) \mathrm{GeV}$$

## Scalar operator (dimension-eight)

$$\widetilde{\mathcal{O}}_{a} = X^{2} \sum_{X=F,Z,W,G} \frac{\alpha}{8\pi} \left( \frac{X_{\alpha\beta} X^{\alpha\beta}}{\Lambda_{X}^{4}} + \frac{X_{\alpha\beta} \widetilde{X}^{\alpha\beta}}{\Lambda_{\widetilde{X}}^{4}} \right) F_{\mu\nu} \widetilde{F}^{\mu\nu}$$

In the presence of background magnetic field,  $F_{\mu\nu}=F_{\mu\nu}^{(\mathrm{bg})}+F_{\mu\nu}^{(\mathrm{p})}$  the component  $(F_{\alpha\beta}^{(\mathrm{bg})}F^{(\mathrm{p})\alpha\beta})(F_{\mu\nu}^{(\mathrm{bg})}\tilde{F}^{(\mathrm{p})\mu\nu})$  leads to  ${m E}_{||}\cdot{m B}_{||}$  term (parallel to background vector)

#### → providing spatially-dependent cosmic birefringence

- Weak bosons are unstable. Gluon condensate scale (QCD scale) would be much smaller than the cutoff mass scale (> TeV) → excluded
- For dimensions over 8: does not contain new building blocks, will give subdominant effect

## Summary & Outlook

- Isotropic cosmic birefringence may give us a hint for new physics? Is it possible to explain by SM?
- SMEFT/LEFT is a powerful tool to systematically list up operators in SM and its extension.
- Standard Model fields are impossible to explain the current measured angle of isotropic birefringence.
- Necessary to think of new light fields!