Quantum Magnetometry in Search of Dark Matter





[Planck/ESA]

[2006, Clowe et al]



Gravitational observations at many scales teach us that something is missing! That thing is Dark Matter!

2 Introduction



[Symmetry magazine]

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DM particles are something new! A complete mystery!

2 Introduction

[wikipedia]



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Small (if any) non-gravitational interactions. So if we want to measure DM in a lab, we have to be smart!

3 Introduction



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•
$$m_a \propto \Lambda_{\rm QCD}^2 / f_a$$



Axion Like Particles (ALPs)*



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Looking For Ultralight DM: Wave/Particle Duality

$$n_a = \frac{0.4 \text{ GeV}}{m_a \cdot \text{cm}^3}$$

Looking For Ultralight DM: Wave/Particle Duality



Looking For Ultralight DM: Wave/Particle Duality



$$a = a_0 \cos(E_a t - \vec{k}_a \vec{x}) \approx a_0 \cos(m_a t)$$

Ultralight ALPs behave like classical plane-waves! (Mass[±] and frequency are used interchangeably)

ALP-SM Interactions



ALP-SM Interactions



$$\mathscr{L} = g_{a\psi\psi}\partial_{\mu}a \cdot \bar{\psi}\gamma^{\mu}\gamma_{5}\psi \to H = -\vec{b}_{a-\psi}\cdot\vec{S}_{\psi}$$

$$\vec{b}_{a-\psi} = g_{a\psi\psi}\sqrt{2\rho_a}\cos(m_a t) \cdot \vec{v}_{a-\psi} \qquad \text{[astro-ph/9501042]}$$

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Can we measure it linearly?

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Can we measure it linearly?

(Hint :
$$H_{zeeman} = -\gamma \vec{B} \vec{S}$$
)

Today's Papers

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[2022 Science Adv., IMB, Ronen, Shaham, Katz, Volansky, Katz. 👗 🎲 💭]

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Yonit Hochberg



Roy Shaham



Victor Flambaum



Eric Kuflik

Ori Katz

Igor Samsonov





Gil Ronen



Or Katz



Dmitry Budker



Alex Sushkov



Oleg Tretiak









Spin-Based (Co)Magnetometry

Describe the evolution of macroscopic spin systems

 $\frac{\dot{\tilde{S}}}{\tilde{S}}$ –

Describe the evolution of macroscopic spin systems



(generates transverse from longitudinal)

Describe the evolution of macroscopic spin systems



Describe the evolution of macroscopic spin systems

Creating macroscopic polarization (generates a non-trivial steady state solution)



(Glass) Cell





(Glass) Cell Alkali Vapor Noble Gas



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Lasers


(Co)magnetometer Ingredients List

(Glass) Cell Alkali Vapor Noble Gas

Lasers



10

(Co)magnetometer **Ingredients List**

(Glass) Cell Alkali Vapor **Noble Gas**

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Magnetometer → Comagnetometer: Inter-species collisions



Magnetic field from (quantum) point-like interactions

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Magnetic field from (quantum) point-like interactions

$$B_{\text{induced on Alk}} = \mathscr{B}_{\text{Nob}} S_{\text{Nob}}$$

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Magnetometer → Comagnetometer: Inter-species collisions



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$$B_{\text{induced on Alk}} = \mathscr{B}_{\text{Nob}} S_{\text{Nob}}$$



(Sometimes important, but removed to simplify the talk)

Spin Tilt ~ (magnetic response (m_a)) · $(B_{x/y} + b_{x/y}/\gamma)$

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This is true for both noble and alkali

(Though the actual response, γ , and fields are different)

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We only measure
$$S_x$$
, S_y of the alkali, and,

$$B_{x/y}(\text{Alkali}) = B_{\text{noise}, x/y} + \mathscr{B}_{\text{Noble}} \cdot S_{x/y}(\text{Noble})$$

$$B_{x/y}(\text{Noble}) = B_{\text{noise},x/y}$$

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Direct noise measurement

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Direct ALP-Alkali interaction

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With the induced/indirect magnetic fields,

$$B_{\text{ind}} = \mathscr{B} \cdot (\text{Noble Response at } m_a) \left(B_{\text{noise}} + \frac{b_{\text{ALP-Nob}}}{\gamma_{\text{Nob}}} \right)$$

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$$\left(B_{\text{noise}} + \frac{b_{\text{ALP-Nob}}}{\gamma_{\text{Nob}}}\right)$$

Indirect ALP-Noble interaction

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The magnetic subtraction stops working when $m_a \gtrsim 10 \text{ Hz} \cdot h$

Results

 \searrow

[2020 JHEP, IMB, Hochberg, Kuflik, Volansky.



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- Electrons are very hard to work with due to their (i) wide bandwidth and (ii) large response to background magnetic fields.
- We need our own experiment!

Noble and Alkali Spin Detectors for Ultralight Coherent darK matter

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NASDUCK



Existing NASDUCK Experiments

NASDUCK SERF



[2023 Nature Comm., IMB, Shaham, Hochberg, Kuflik, Volansky, Katz.

NASDUCK Floquet



[2022 Science Adv., IMB, Ronen, Shaham, Katz, Volansky, Katz. 👗 😭 🦳]

Existing NASDUCK Experiments



[2023 Nature Comm., IMB, Shaham, Hochberg, Kuflik, Volansky, Katz. **NASDUCK Floquet**



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The Compensation point Comagnetometer is a broadband detector. This was a resonant search at a unique regime called "SERF".

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NASDUCK SERF



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A very fancy resonance search, where both the Alkali and the noble were on-resonance.

Noble Alkali [2022 Science Adv., IMB, Ronen, Shaham, Katz, Volansky, Katz.

NASDUCK Floquet

NASDUCK Floquet Results



Transverse vs. Longitudinal Magnetometry

Until now:

From now on:

20 Novel Magnetometry Techniques

Transverse vs. Longitudinal Magnetometry

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Transverse Magnetometry:



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Transverse vs. Longitudinal Magnetometry

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From now on:

Longitudinal Magnetometry:



Transverse vs. Longitudinal Magnetometry

Until now:

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From now on:

Longitudinal Magnetometry:

(P.S: We're also going to drop the noble gas, and start using non-alkali metals)

20 Novel Magnetometry Techniques

[2023 PRD, IMB, Budker, Flambaum, Samsonov, Sushkov, Tretiak.

Since coupling constants are scalars, scalar DM (not ALPs) can mimic variation in fundamental constants (for example: $\mathscr{L} = m_e \bar{e} e \rightarrow (m_e + g_{\phi ee} \phi) \bar{e} e$)

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$$\delta \overrightarrow{B} \propto \overrightarrow{B}$$

We can measure B_z rather than B_\perp

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21 Novel Magnetometry Techniques

Can Longitudinal Magnetometry be used for ALPs?

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Naive answer:

$$S_{x/y}(t \to \infty) \propto \frac{b_{\perp,ALP}\Gamma}{(m_a - \omega_{\rm res})^2 + \Gamma^2}$$

$$S_z(t \to \infty) \propto 1 - \frac{b_{\perp,ALP}^2 \Gamma}{((m_a - \omega_{res})^2 + \Gamma^2) \Gamma_L}$$

δS_z is second order in the couplings!



(Green are astro-bounds)









23 Novel Magnetometry Techniques





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$$\overrightarrow{B} = B_z \hat{z}$$
 (and no axions):

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 $H = -\gamma B_z S_z$, and so $[S_x, H] \neq 0$, measuring S_x would induce quantum noise, known as the **spin shot noise**

$$\sqrt{\langle S_x^2 \rangle} \sim \sqrt{N_{\text{spins}}} \sim \frac{\langle S_z \rangle}{\sqrt{N_{\text{spins}}}}$$

24 Novel Magnetometry Techniques

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This shot noise does not exist when measuring $S_z!$

Axion Longitudinal Signal



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[In progress. 💬]

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$$\left\langle S_z(t \to \infty) \right\rangle \propto 1 - \frac{b_{\perp,ALP}^2 \Gamma}{((m_a - \omega_{res})^2 + \Gamma^2) \Gamma_L}$$

However

Due to the axions, $[S_z, H] \neq 0$, so measuring

 $\langle S_z \rangle$ would induce a quantum noise $\sqrt{\langle S_z^2 \rangle}$

25 Novel Magnetometry Techniques













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- The use of spin-based sensors to search for ULDM has bloomed and expanded in the last few years.
- Existing technologies can already enhance the current capabilities, but...
- With creativity, one can think of new ideas, with many promising directions!

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DUCK-matter

(Degree in beakness school)

Thanks for listening!

NASDUCK-matter

