

Axion search with the observations of photon's birefringence effect

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ダークマターの正体は何か？

広大なディスカバリースペースの網羅的研究

What is dark matter? - Comprehensive study of the huge discovery space in dark matter



文部科学省
科学研究費助成事業
学術変革領域研究
(2020-2024)



2024.3.13 Berkeley Week (Hongo Campus, University of Tokyo)

What is axion?

QCD axion *Peccei & Quinn (1977); Weinberg, Wilczek (1978); ...*

- Suggested to solve strong CP problem
- Mass & decay constant are related to each other in QCD energy scale

$$m_a = \frac{\Lambda_{\text{QCD}}^2}{f_a} \simeq 6 \mu\text{eV} \left(\frac{10^{12}\text{GeV}}{f_a} \right) \quad (\text{typical}) \text{ QCD axion window}$$
$$10^9 \text{ GeV} \lesssim f_a \lesssim 10^{12} \text{ GeV}$$

Axion-like particle (ALP) *Svrcek & Witten (2006); Arvanitaki+ (2010); ...*

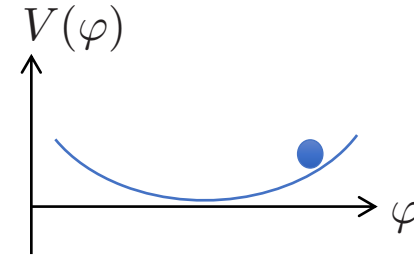
- Predicted by theories beyond the standard model (e.g. string theory)
- Mass & decay constant are treated as independent parameters

↑ Main focus of this talk

Axion as dark matter, dark energy

Cosmological axion background

Evolution: $\ddot{\varphi} + 3H\dot{\varphi} + m_a^2\varphi = 0$



$$m_a \gg H$$

$$\varphi \simeq a^{-3/2}\varphi_i \cos(m_a t) \rightarrow \rho_a \propto a^{-3}, P_a \propto \sin(2m_a t) \sim 0$$

Ultralight axion DM mass (roughly): $10^{-22} \text{eV} \lesssim m_a \lesssim \text{eV}$

Note: behaves as a classical field (different from the particle DM such as WIMP)

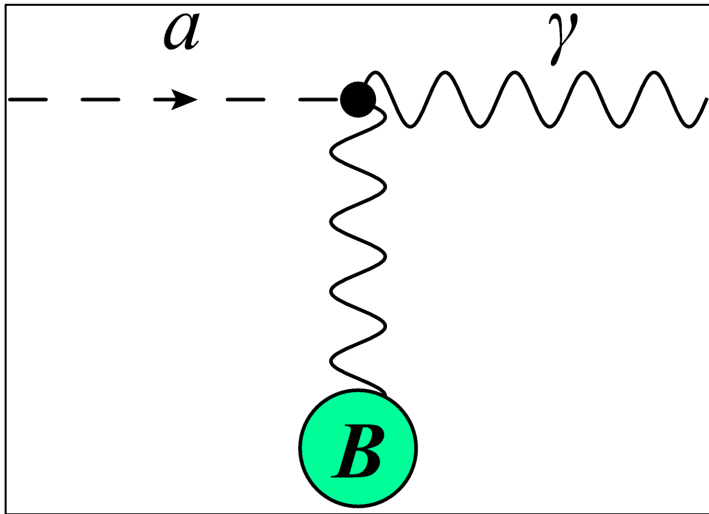
$$m_a \ll H$$

$\varphi \simeq \text{const.}$ **Axion dark energy mass:** $m_a \lesssim H_0 \sim 10^{-33} \text{eV}$

Conventional Axion Search

- Axion generically couples to photon via the topological term

$$\frac{g_{a\gamma}}{4} a F_{\mu\nu} \tilde{F}^{\mu\nu} = g_{a\gamma} a \mathbf{E} \cdot \mathbf{B}$$



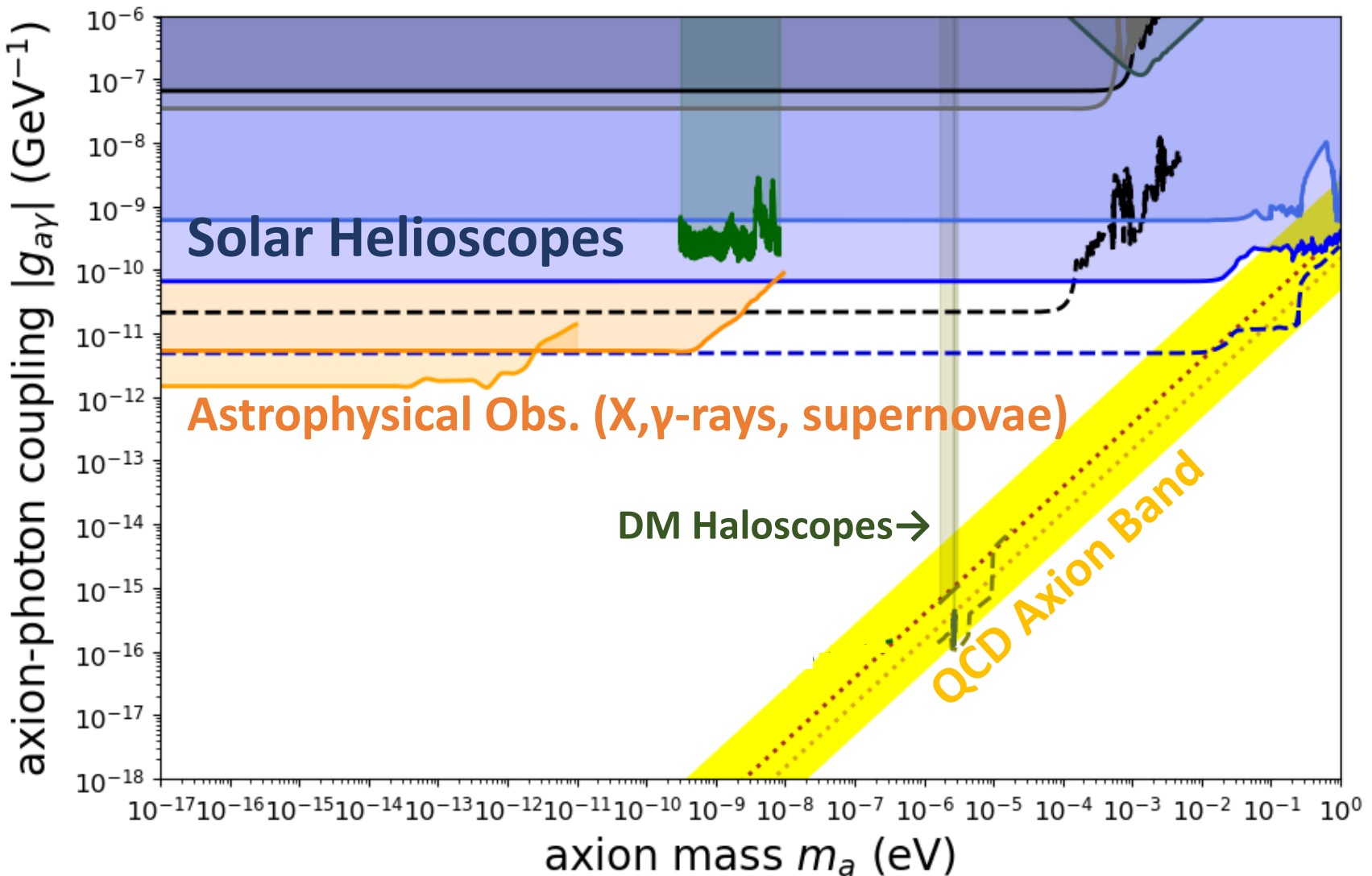
a : axion

γ : photon

B : magnetic field

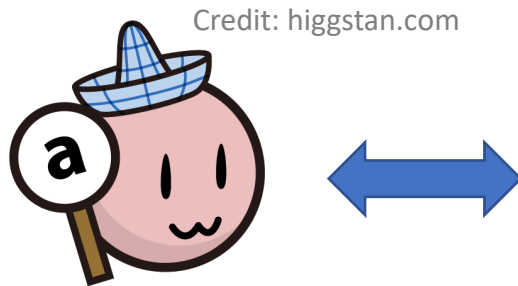
- Axion is converted into photon under the background magnetic field (“axion-photon conversion” or “Primakoff effect”)

Overview of Target Spaces

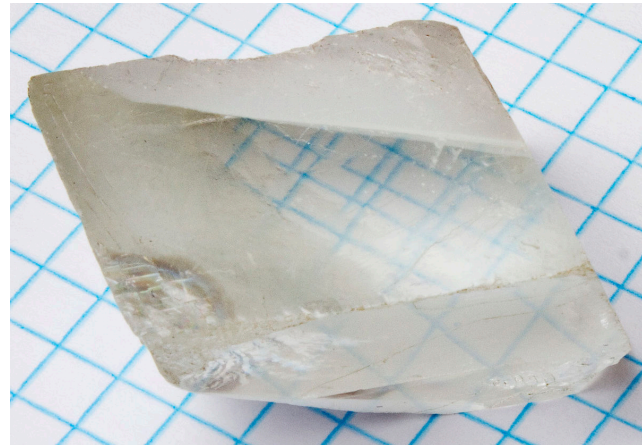


New search methods for axions without using external magnetic field

-Photon's birefringence effect-



Axion as a birefringent material



Photon's birefringence by axion

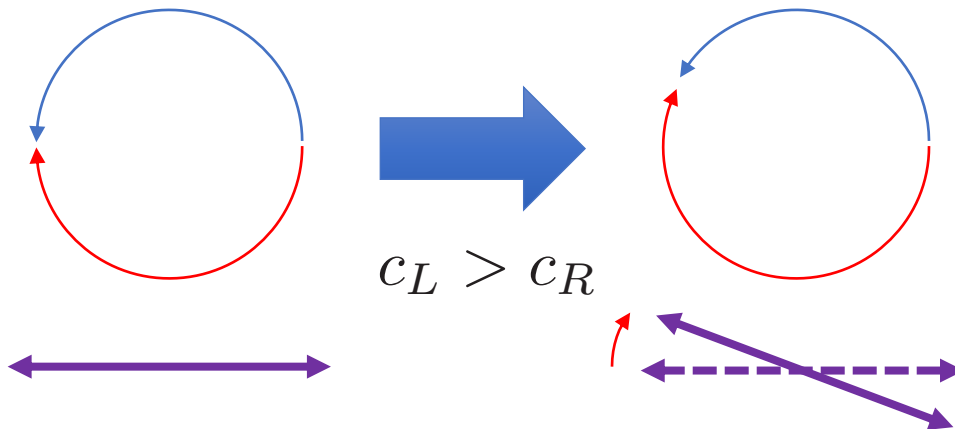
Carroll, Field & Jackiw (1990); Harari & Sikivie (1992); Carroll (1998); ...

Axion behaves as a birefringent material in our universe

- Axion differentiates the phase velocities of circular-polarized photon

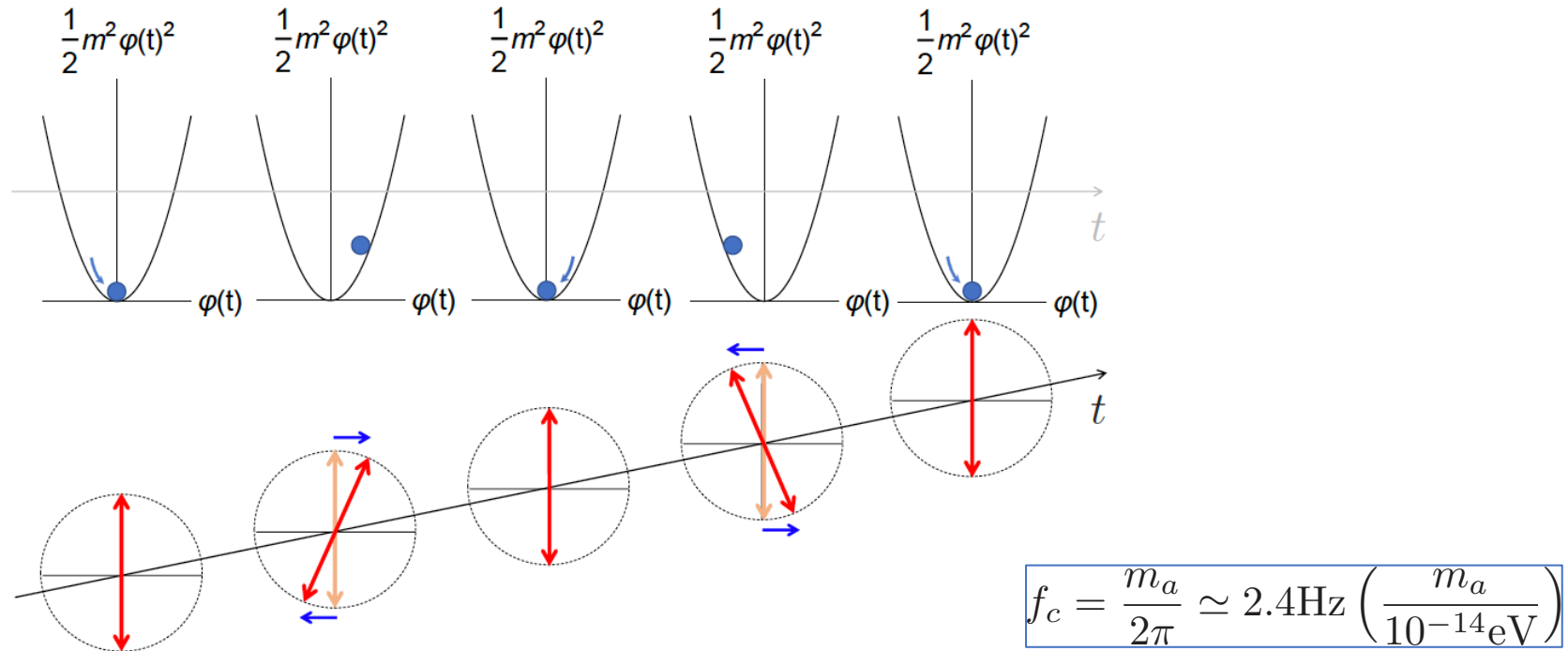
$$\mathcal{L} \supset \frac{1}{4} g_{a\gamma} \varphi F_{\mu\nu} \tilde{F}^{\mu\nu}, \quad F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu$$

$$\text{Dispersion relation: } \ddot{A}_k^{L/R} + \omega_{L/R}^2 A_k^{L/R} = 0, \quad c_{L/R} \equiv \frac{\omega_{L/R}}{k} = \sqrt{1 \pm \frac{g_{a\gamma} \dot{\varphi}}{k}}$$



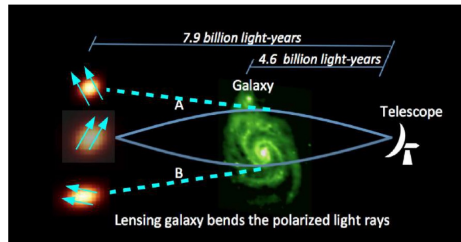
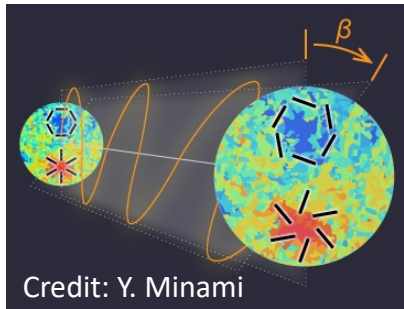
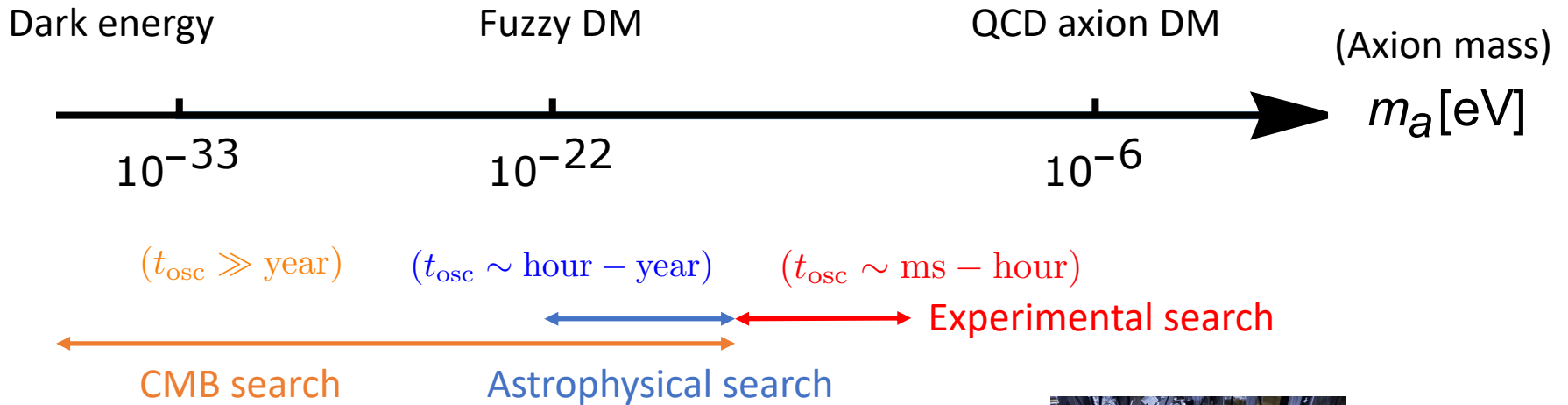
→ leading to the rotation of linear-polarization direction

Photon's birefringence by axion DM

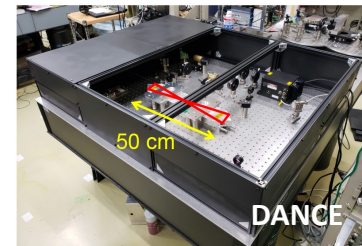
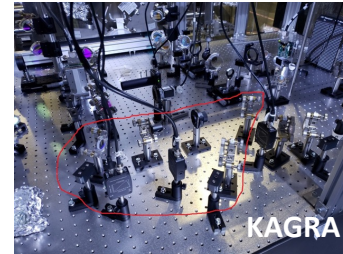
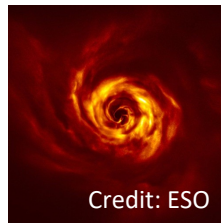
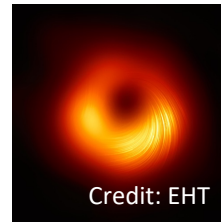


- Axion DM induces the polarization rotation **oscillating in time** with a frequency of axion mass:
- Possible to observe by several experimental/astrophysical approaches!

Probing axions with birefringence

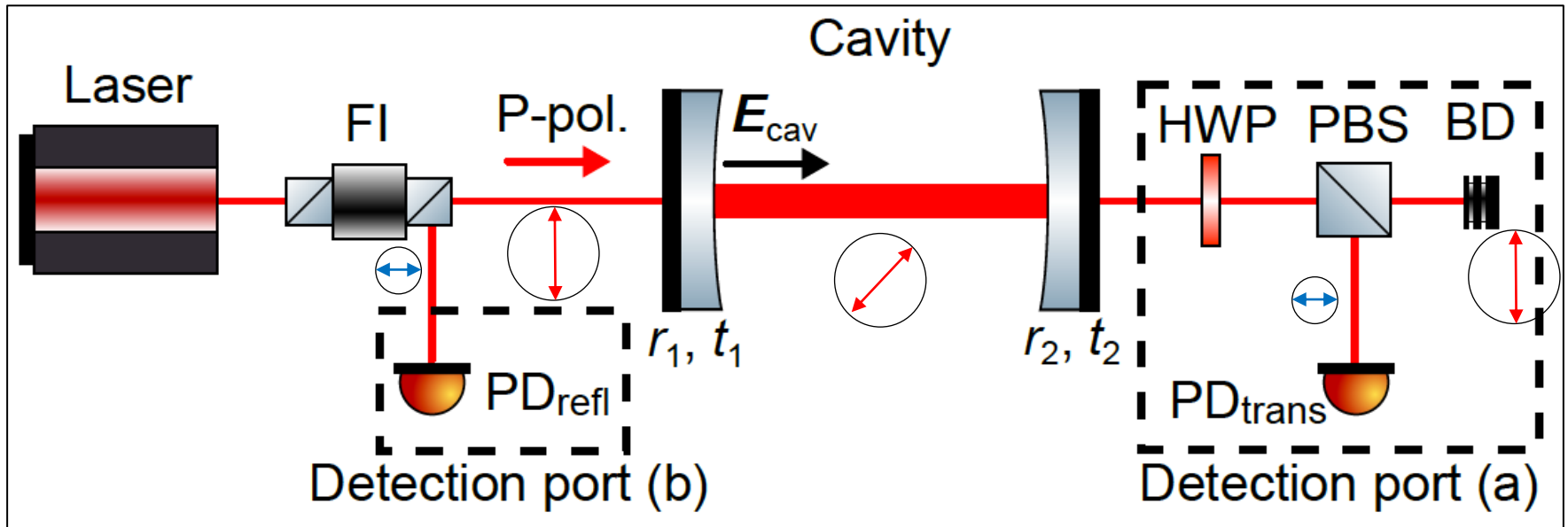


Credit: Y. Urakawa



Experimental birefringence search

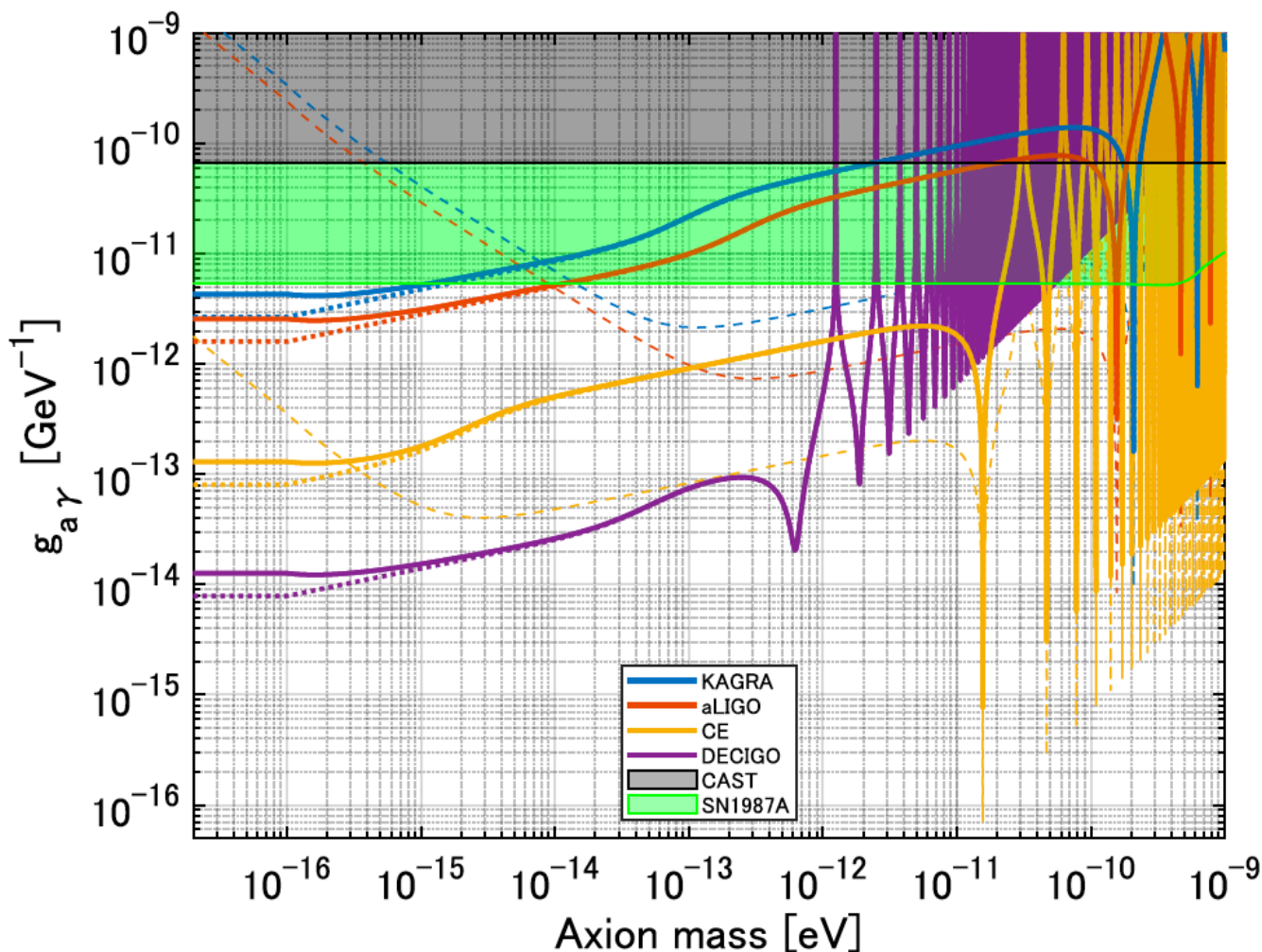
Resonant cavity experiment



- The presence of axion dark matter acts on the laser in the resonator, creating a new polarization state.
- By separating the polarized state of the light that comes out, we can explore the ALP dark matter!

Axion DM search with GW detectors

Nagano, Fujita, Michimura & IO (2019);...



■ Complementary search by installing polarization optics at different ports

■ Assuming

- Axion is 100% in DM
- 1-year observation
- shot noise is primary

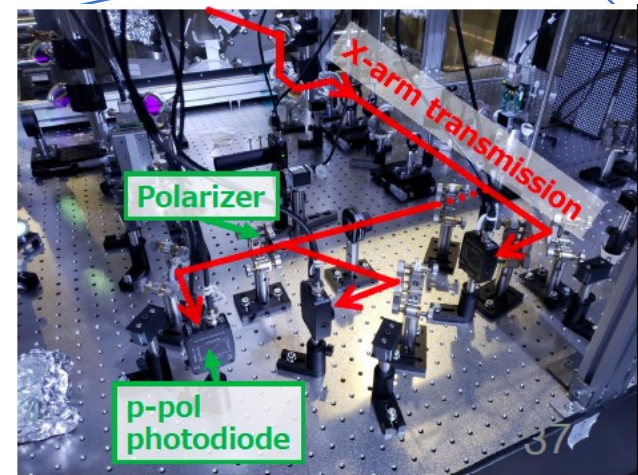
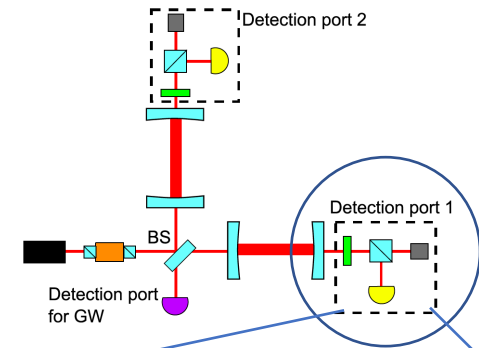
■ sensitive to

$$10^{-17} \text{eV} \lesssim m_a \lesssim 10^{-11} \text{eV}$$

(~mHz) (~kHz)

Nagano, Nakatsuka, Morisaki, Fujita, Michimura, IO (2021)

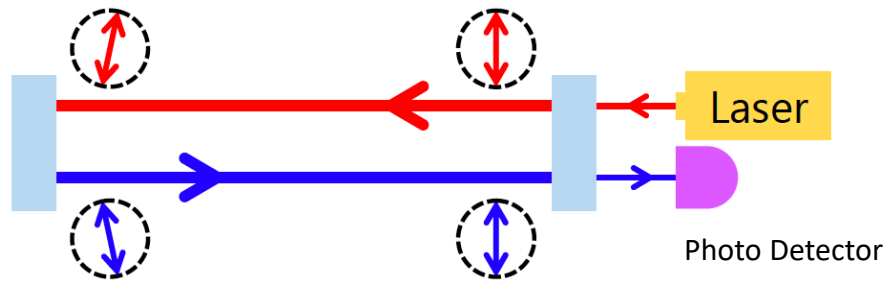
Axion DM search with KAGRA



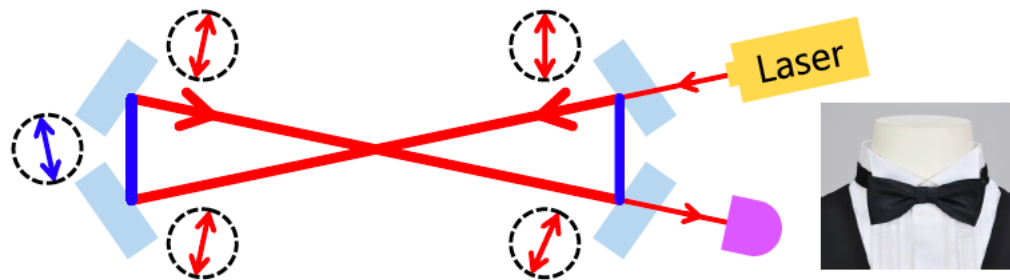
- The polarization optics have been installed at 3-km arm cavity transmission of KAGRA.
- Ready for first data taking in O4 run (starting in May 2023)

Bowtie ring cavity method

In the case of GW laser-interferometers...



- As a demerit of linear cavity, the sensitivity is lost by a **parity-flipping effect** on the reflection of mirror

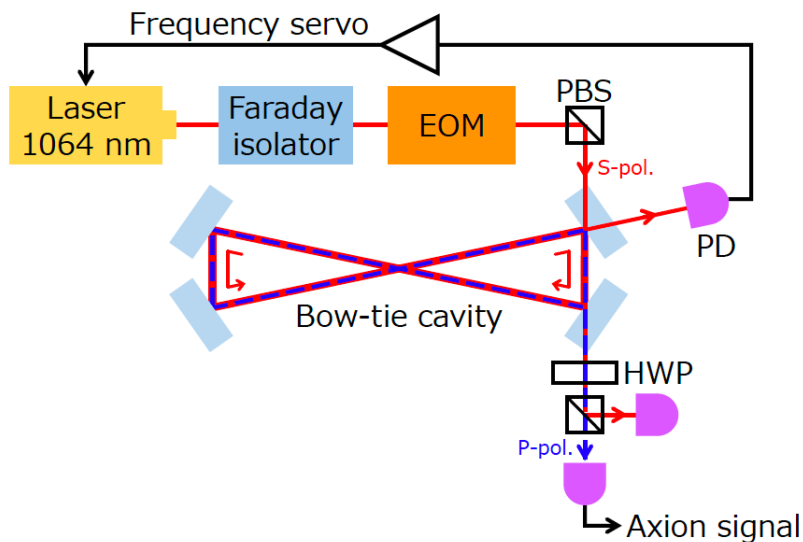


IO, Fujita, Michimura (2018);...

- A bowtie-like mirror configuration can prevent the linear polarization from flipping

Credit: Yuka Oshima

DANCE: Dark matter Axion search with riNg Cavity Experiment



Michimura+ (2019);...

- New table-top experimental project to search for axion DM with an optical ring (bowtie-like) cavity

Dance Act-1 (Tokyo University)

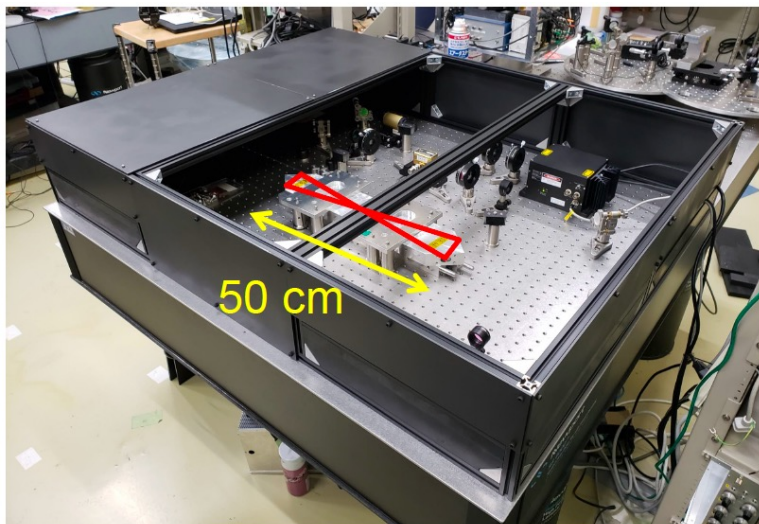
- First-step prototype experiment

Design goal

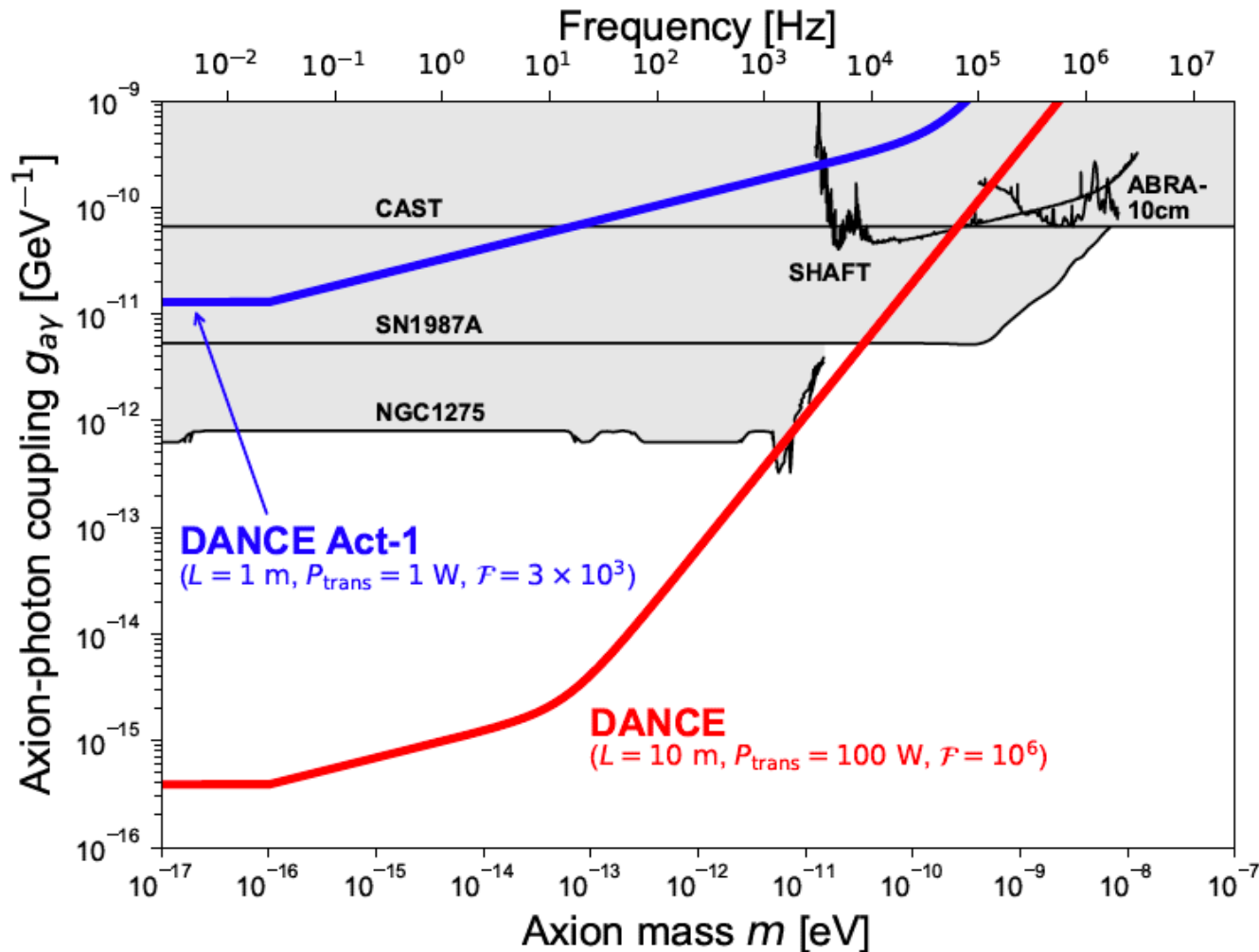
Round-trip: 1m

Laser power: 1W

Finesse: 3000



Design sensitivity of DANCE

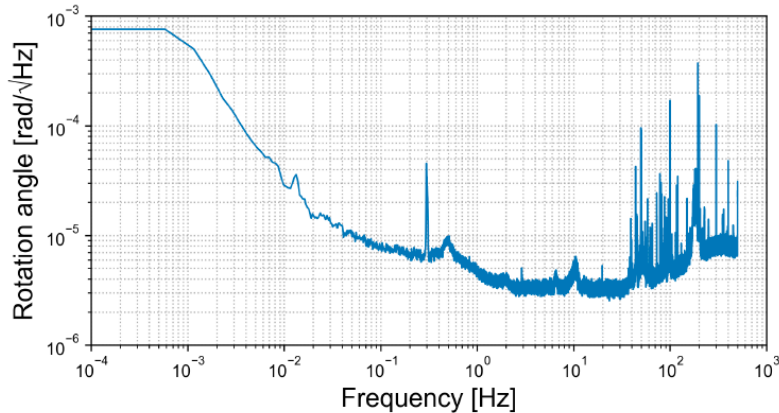


Assuming...

- ✓ quantum shot noise
- ✓ 1-year observation
- ✓ Axion is 100% in DM

First results of DANCE (May, 2021)

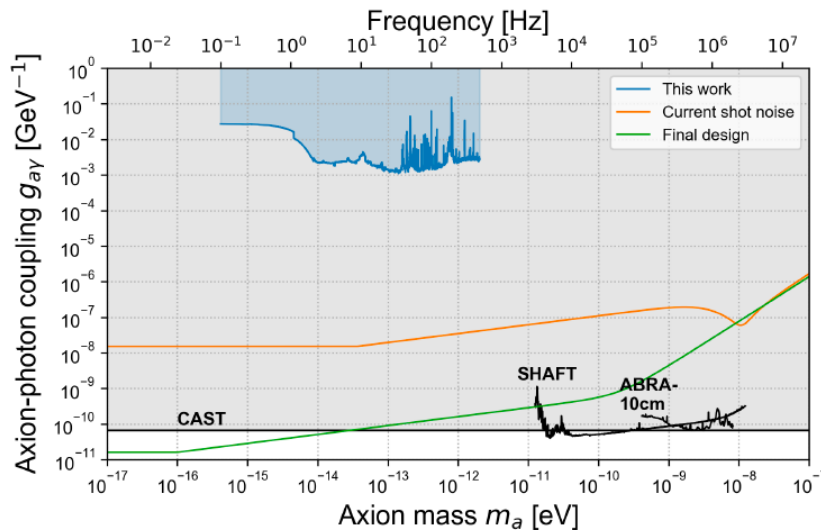
Oshima, Fujimoto, Kume, Morisaki, Nagano, Fujita, IO, Nishizawa, Michimura, Ando (2023)



- Rotation angle of linear polarization:

$$\phi(t) = \sqrt{\frac{P_p(t)}{P_s(t) + P_p(t)}} - 2\theta_{\text{HWP}}$$

- Observed for 2 weeks, and analyzed two sets of continuous 24-hour data



We need to...

- ✓ reduce classical noises
- ✓ Improve the experimental parameters

Laser power: 0.2 W → 1 W

Observation time: 24 hour → 1 year

Resonant freq. difference: 3MHz → 0 Hz

Takidera+, in progress

Astrophysical birefringence search

■ A couple of axion DM searches with birefringence:

➤ **Protoplanetary disk**

Fujita, Tazaki, Toma (2019);

➤ **Strong gravitational lenses**

Basu, Goswami, Schwarz, Urakawa (2021);

➤ **Pulsar polarimetry**

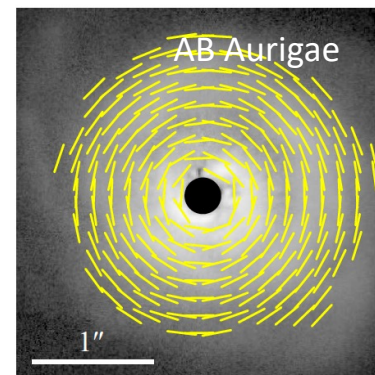
Castillo+ (2022);

➤ **Event Horizon Telescope**

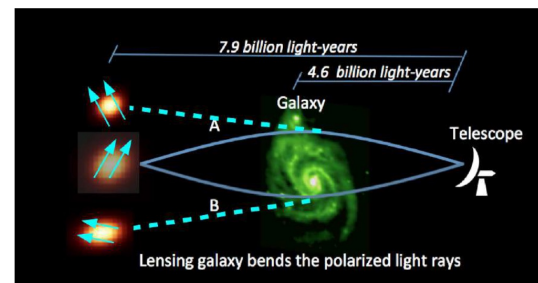
Chen+ (2020,2021);

(Note: search for axion cloud around spinning BH)

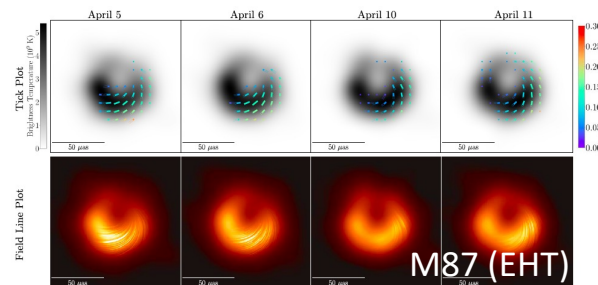
■ Sensitive to $10^{-22} \text{eV} \lesssim m_a \lesssim 10^{-18} \text{eV}$
 (~years) (~hours)



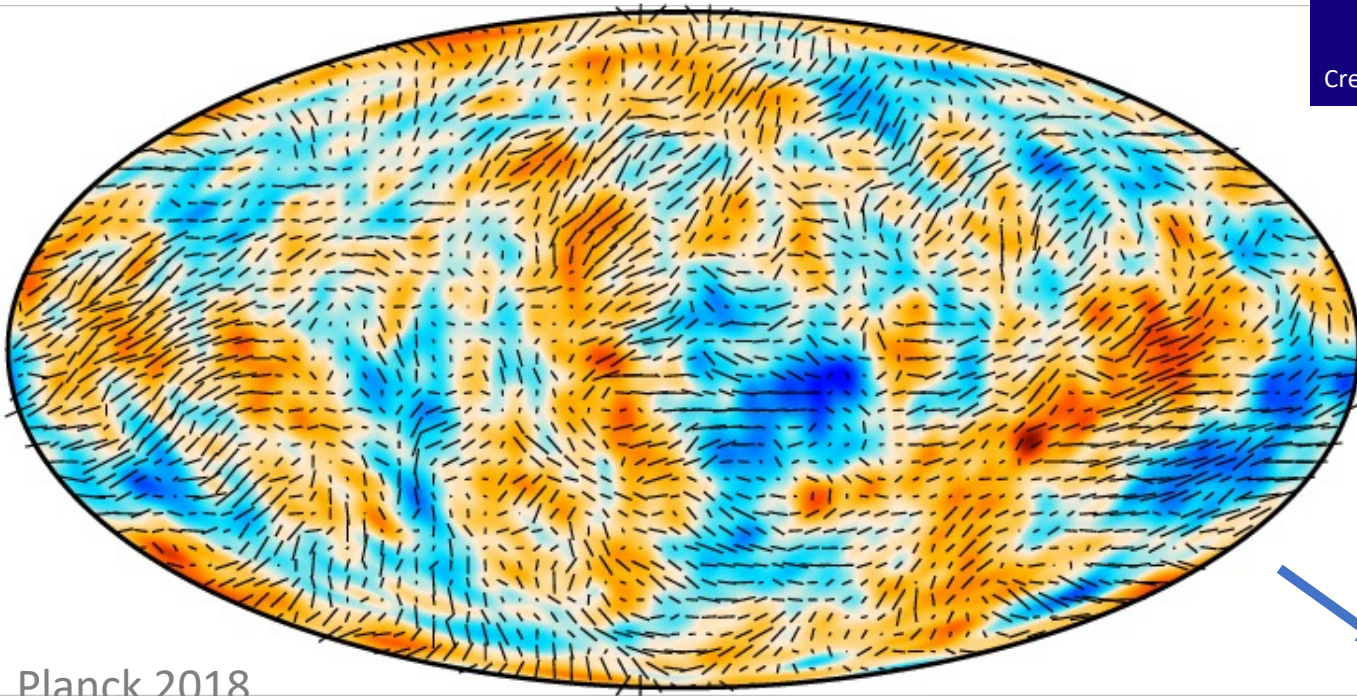
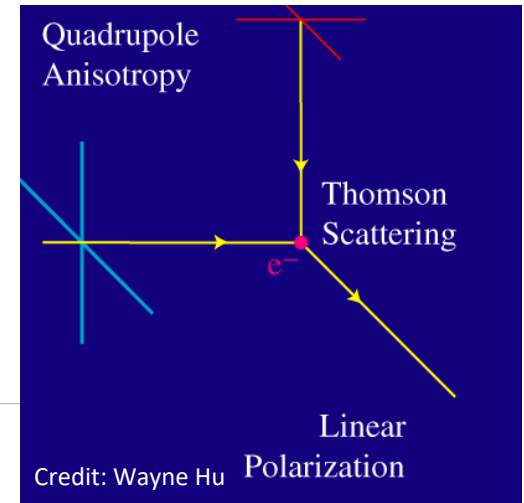
Hashimomto+ (2011)



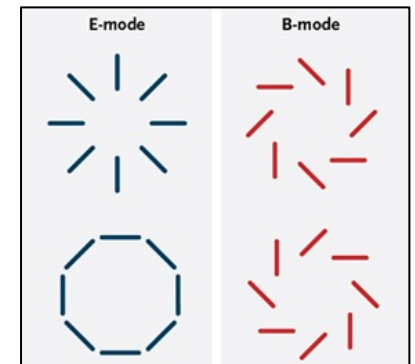
Credit: Y. Urakawa



Birefringence in CMB



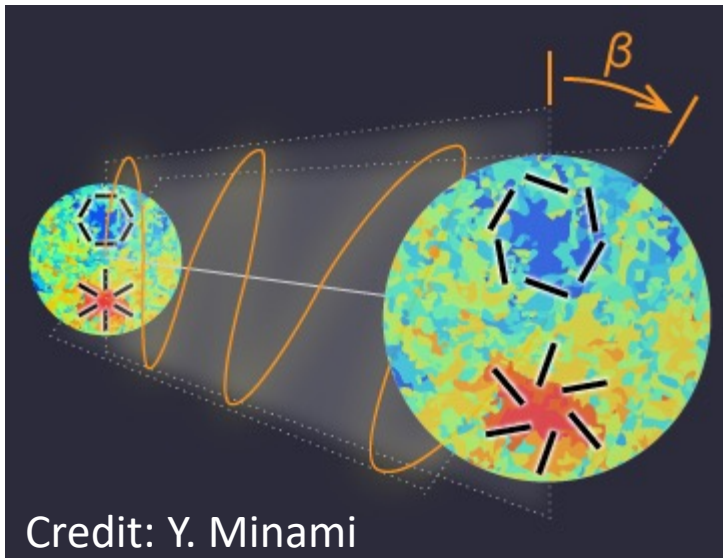
E-mode v.s. B-mode



| 0.41 μ K -160 160 μ K

Generation EB correlation function

Lue, Wang & Kamionkowski (1999); Feng+ (2005,2006); Liu, Lee & Ng (2006); ...



■ Parity-violating interaction

$$\text{e.g. } \mathcal{L}_{\text{int}} = \frac{1}{4} g_{a\gamma} \varphi F_{\mu\nu} \tilde{F}^{\mu\nu}$$

produces the parity-odd EB correlation

$$C_{\ell}^{EB,o} = \frac{1}{2} \sin(4\beta) \left(C_{\ell}^{EE,\text{CMB}} - C_{\ell}^{BB,\text{CMB}} \right) + \cos(4\beta) C_{\ell}^{EB,\text{CMB}}$$

↑ measured value

(β is assumed to be constant)

↑ usually assume 0

History of measurements (WMAP, Planck, ACT,...)

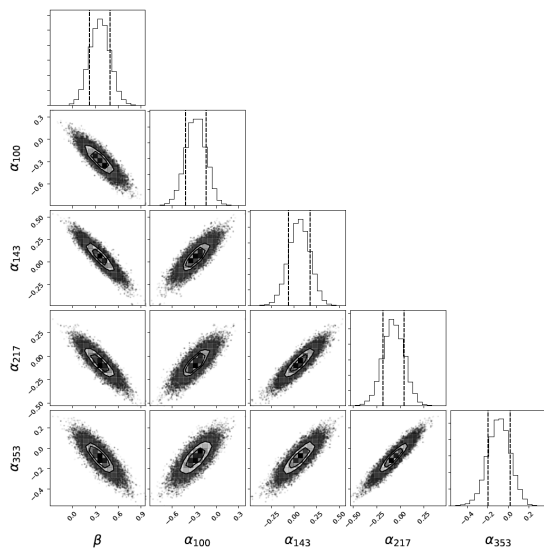
Non-zero $\langle EB \rangle$ has been detected.

But, not reliable estimates due to the miscalibration of instrumental angle " α ".

Isotropic cosmic birefringence (ICB)

Minami, Komatsu (2020); (Planck PR3)

calibrate the systematic angle by using the polarizations from the galactic foregrounds:



$$\beta = 0.35 \pm 0.14 \text{ deg } (2.4\sigma)$$



(upgrade!)

Eskilt & Komatsu (2022); (Planck/WMAP)

$$\beta = 0.34 \pm 0.09 \text{ deg } (3.6\sigma)$$

- Linear polarization rotation is potentially caused by the axion-photon interaction

$$\mathcal{L}_{\text{int}} = \frac{1}{4} g_{\phi\gamma} \phi F_{\mu\nu} \tilde{F}^{\mu\nu} \rightarrow \omega_{L/R} = k \sqrt{1 \pm \frac{g_{\phi\gamma} \dot{\phi}}{k}} \simeq k \pm \frac{g_{\phi\gamma}}{2} \dot{\phi}$$

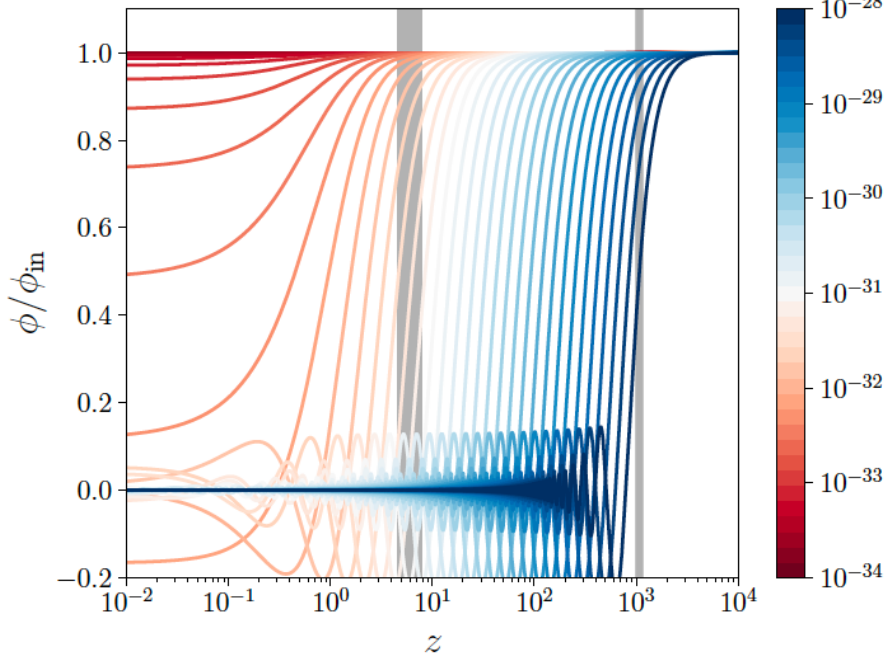
$$\beta = \frac{1}{2} \int_{t_{\text{emit}}}^{t_{\text{obs}}} dt (\omega_L - \omega_R) = \frac{g_{\phi\gamma}}{2} \int_{t_{\text{emit}}}^{t_{\text{obs}}} dt \dot{\phi} = \frac{g_{\phi\gamma}}{2} [\phi(t_{\text{obs}}) - \phi(t_{\text{emit}})]$$

ICB from cosmological axion background

Fujita, Murai, Nakatsuka & Tsujikawa (2020);...

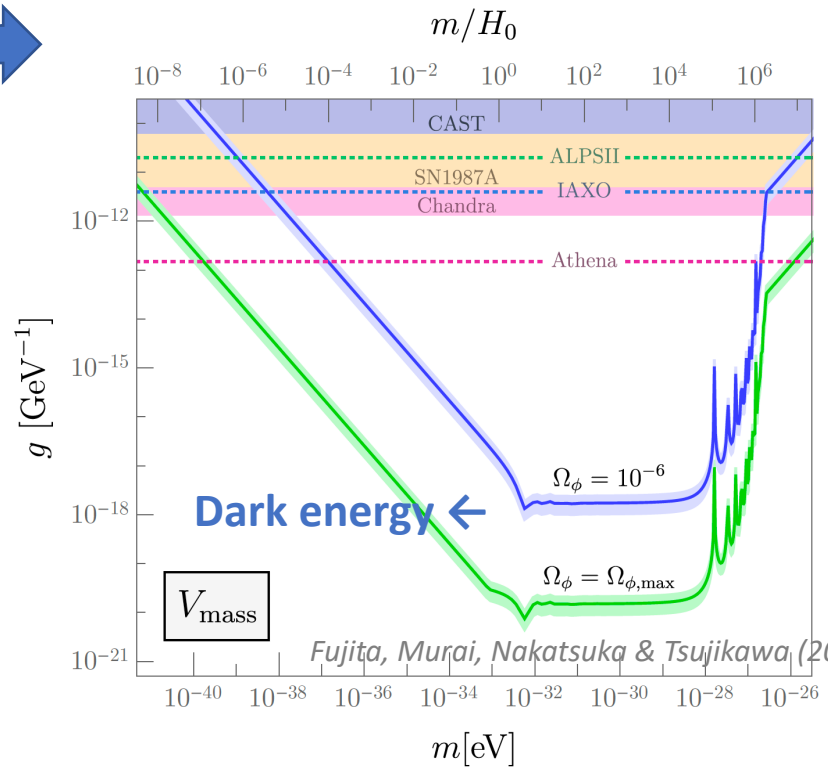
$$\beta = \frac{g_{a\phi}}{2} \Delta\phi$$

Time evolution of axion with different mass



Lee, Hotinli, Kamionkowski (2022)

Constraints on the axion-photon coupling



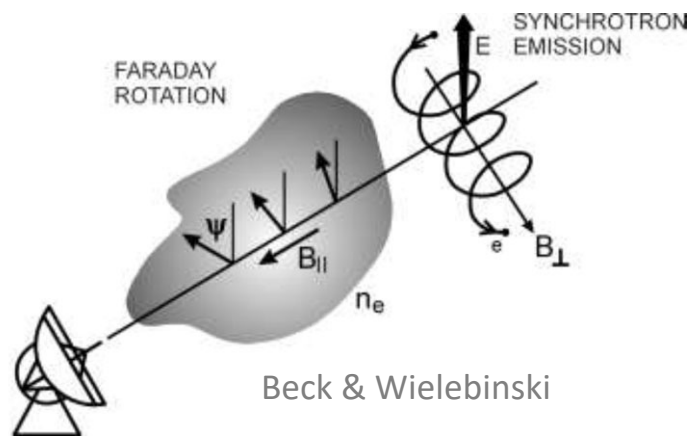
Fujita, Murai, Nakatsuka & Tsujikawa (2020);...

$$\Omega_{\phi, \max} \simeq \begin{cases} 0.69 & (m \lesssim 10^{-33} \text{eV}) \\ 6 \times 10^{-3} h^{-2} & (10^{-32} \text{eV} \lesssim m \lesssim 10^{-25} \text{eV}) \end{cases}$$

Hlozek+ (2015)

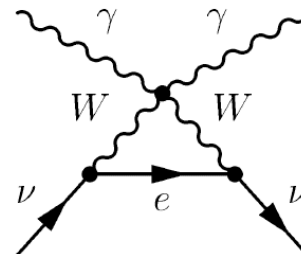
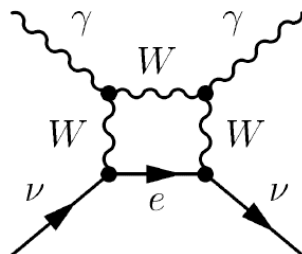
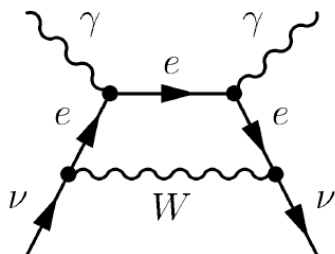
Any other explanations on ICB?

- Faraday rotation due to (cosmological) magnetic field and free electron:



$$\beta = \text{RM} \lambda^2$$

$$\text{RM} = \frac{e^3}{2\pi m_e^2 c^4} \int_0^d ds n_e(s) B_{\parallel}(s)$$



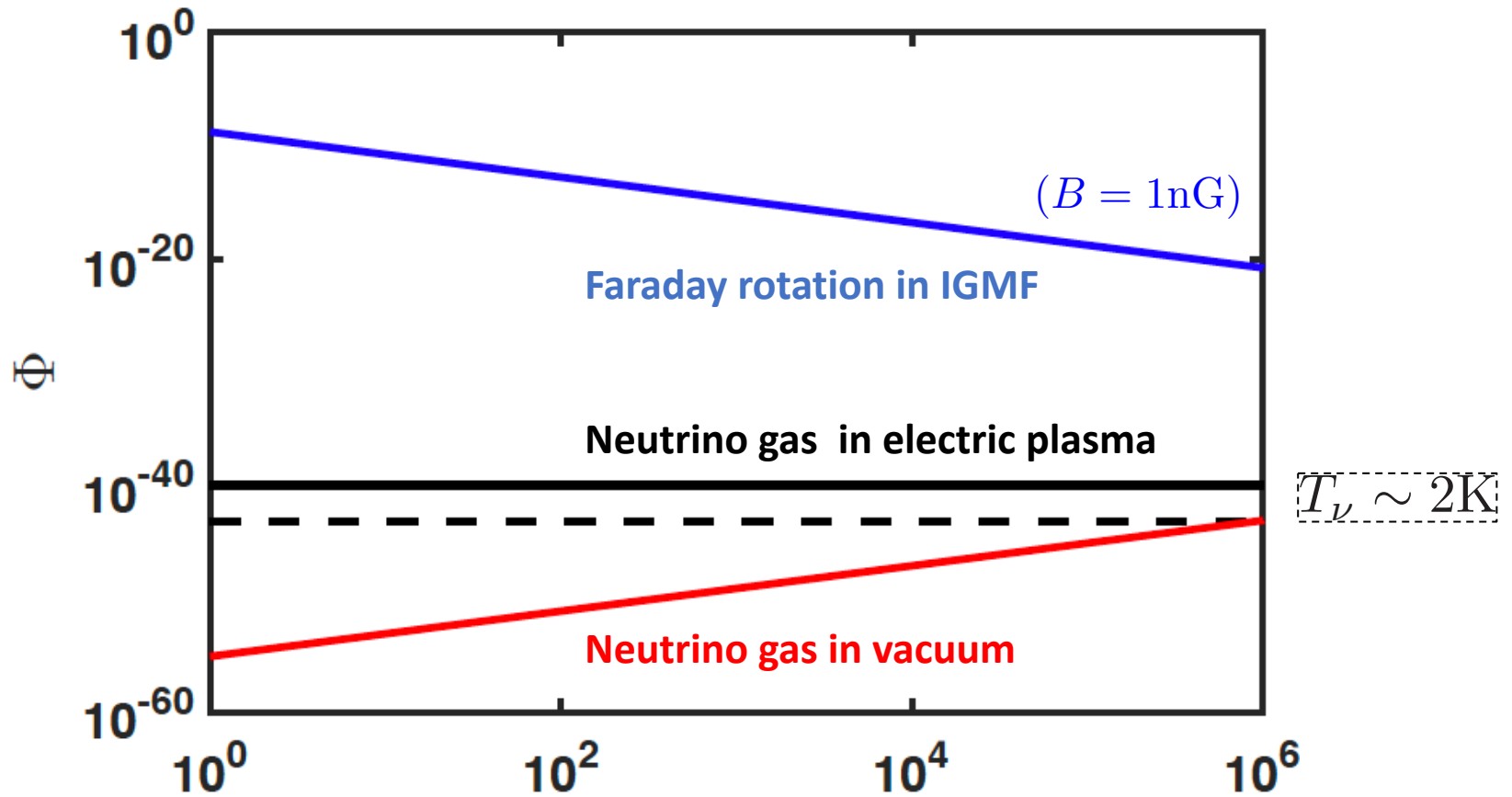
Karl & Novikov (2004);

- Via loop-interactions, neutrino-antineutrino background asymmetry could provide a difference of photon's propagation between two helicities.

Rotation angle at horizon size

$$\Phi = \phi / (\ell / \ell_H) \quad \ell_H = H_0^{-1}$$

Planck/WMAP: $\beta \simeq 0.005$ [rad]

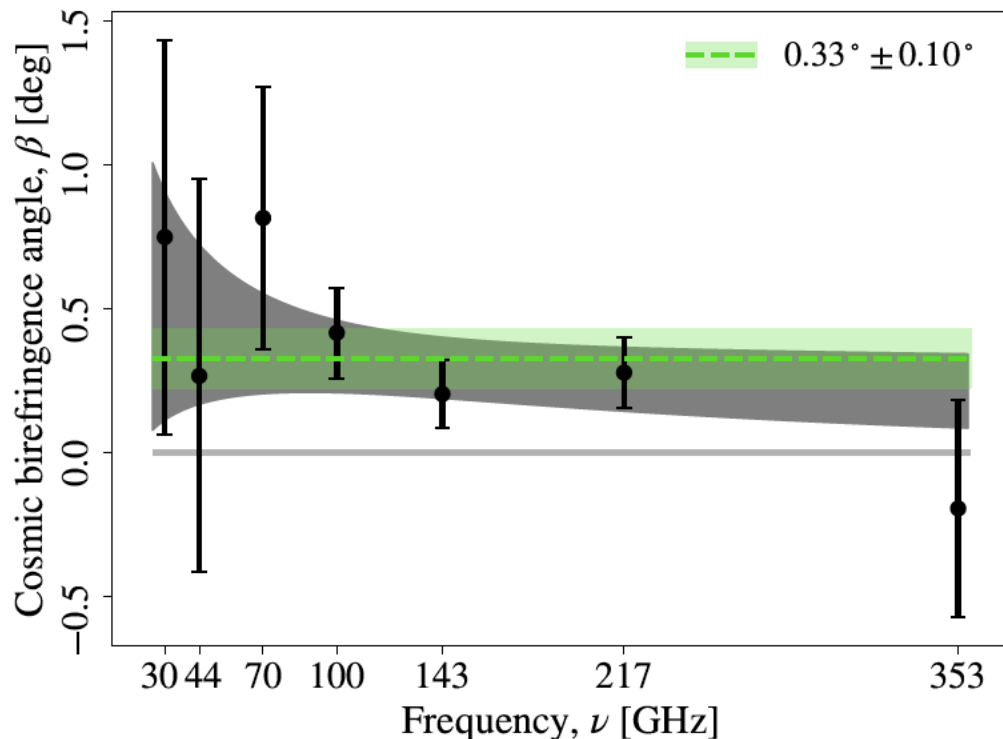


Another important observational fact

Eskilt (2022);

- Constraint on a frequency-dependence of the birefringence angle β :

$$\beta_\nu = \beta_0 \left(\frac{\nu}{\nu_0 = 150\text{GHz}} \right)^n \quad (\text{Planck DR4 polarization maps})$$



- For a nearly full-sky measurement,

$$\beta_0 = 0.29^{+0.10^\circ}_{-0.11^\circ}$$

$$n = -0.35^{+0.48}_{-0.47}$$

- Consistent with frequency-independent

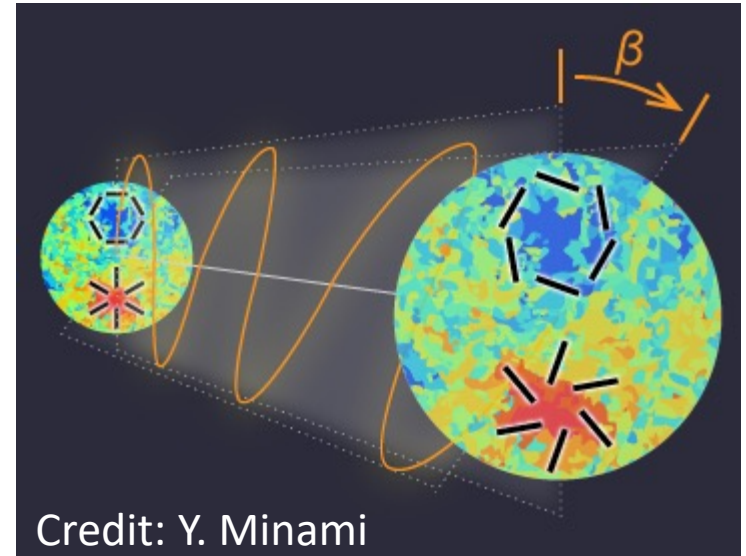
ICB from effective Lagrangian approach

- To explain this, we need to consider:

$$\mathcal{L} = -\frac{1}{4}F F - \frac{1}{4}F\tilde{O}\tilde{F}$$

- On a cosmological background

$$\phi_{\tilde{O}} \equiv \langle \tilde{O} \rangle,$$



the rotation angle is given by **its field displacement**

$$\beta = \frac{1}{2} \int_{t_{\text{LSS}}}^{t_0} dt \frac{\partial \phi_{\tilde{O}}}{\partial t} = \frac{1}{2} [\phi_{\tilde{O}}(t_0) - \phi_{\tilde{O}}(t_{\text{LSS}})]$$

(present) (last scattering surface)

- If $\tilde{O} = \tilde{O}(\partial) \rightarrow \tilde{O}(\omega)$, it leads to a frequency-dependent birefringence

Why axion is necessary to explain ICB?

Nakai, Namba, IO, Qiu, Saito (2023);

Chern Simons-type effective operator: $\mathcal{L}_{\text{CS}} = \frac{\alpha}{8\pi} \sum_a \frac{\tilde{\mathcal{O}}_a}{\Lambda_a^n} F_{\mu\nu} \tilde{F}^{\mu\nu}$

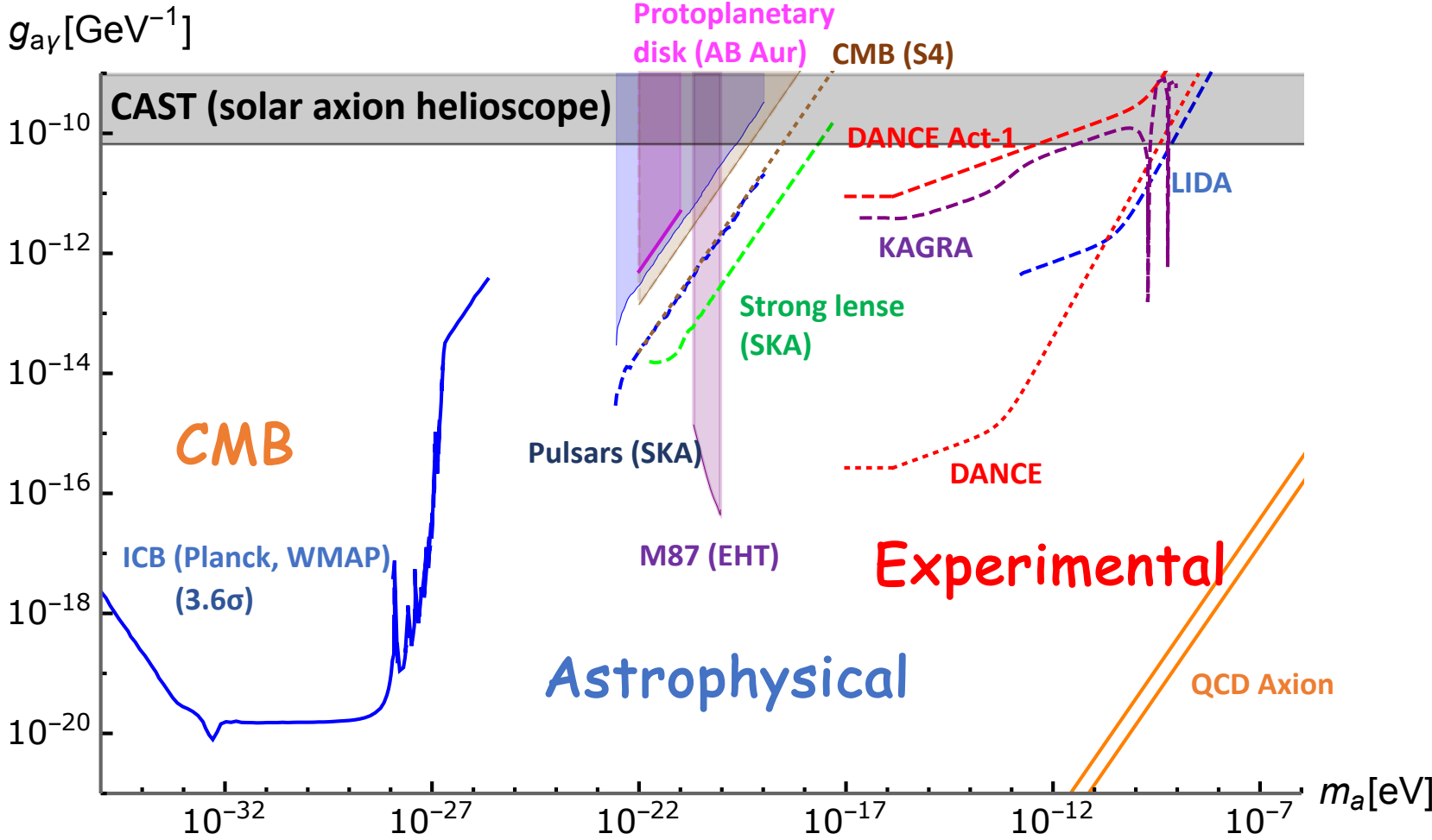
is possible to explain measured ICB angle in the EFT of Standard Model (SMEFT)?

- Homogeneous & neutral background: Higgs, quark/gluons, neutrino
 - ✓ Higgs vev, quark/gluon condensates: time-independent in CMB epoch → no ICB
 - ✓ How about cosmic neutrino background?

$$\beta \simeq -0.008^\circ \frac{\alpha}{137^{-1}} \sum_i \frac{m_i}{T_{\text{LSS}}} (\tilde{\mathcal{C}}_\nu + \tilde{\mathcal{C}}_\nu^\dagger)^{ii} \frac{N^i + \bar{N}^i}{\Lambda_\nu^3} \quad (\text{too small})$$

SMEFT is hard to explain ICB → Need for a new (light) particle

Summary Overview



Thank you very much!