

NuInt15

Present status of single pion production in neutrino-nucleus reactions

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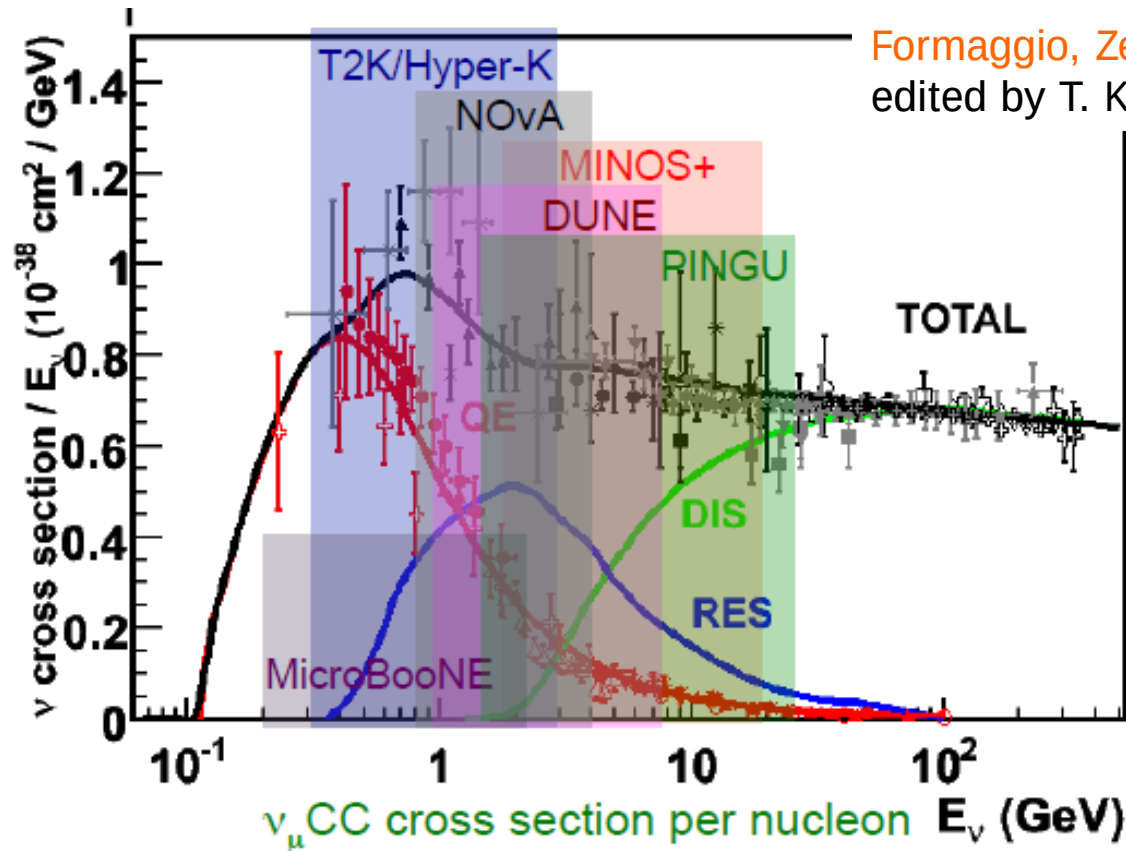
Introduction

- Why π production?

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■ Why π production?

- Important contribution to the inclusive νA cross section

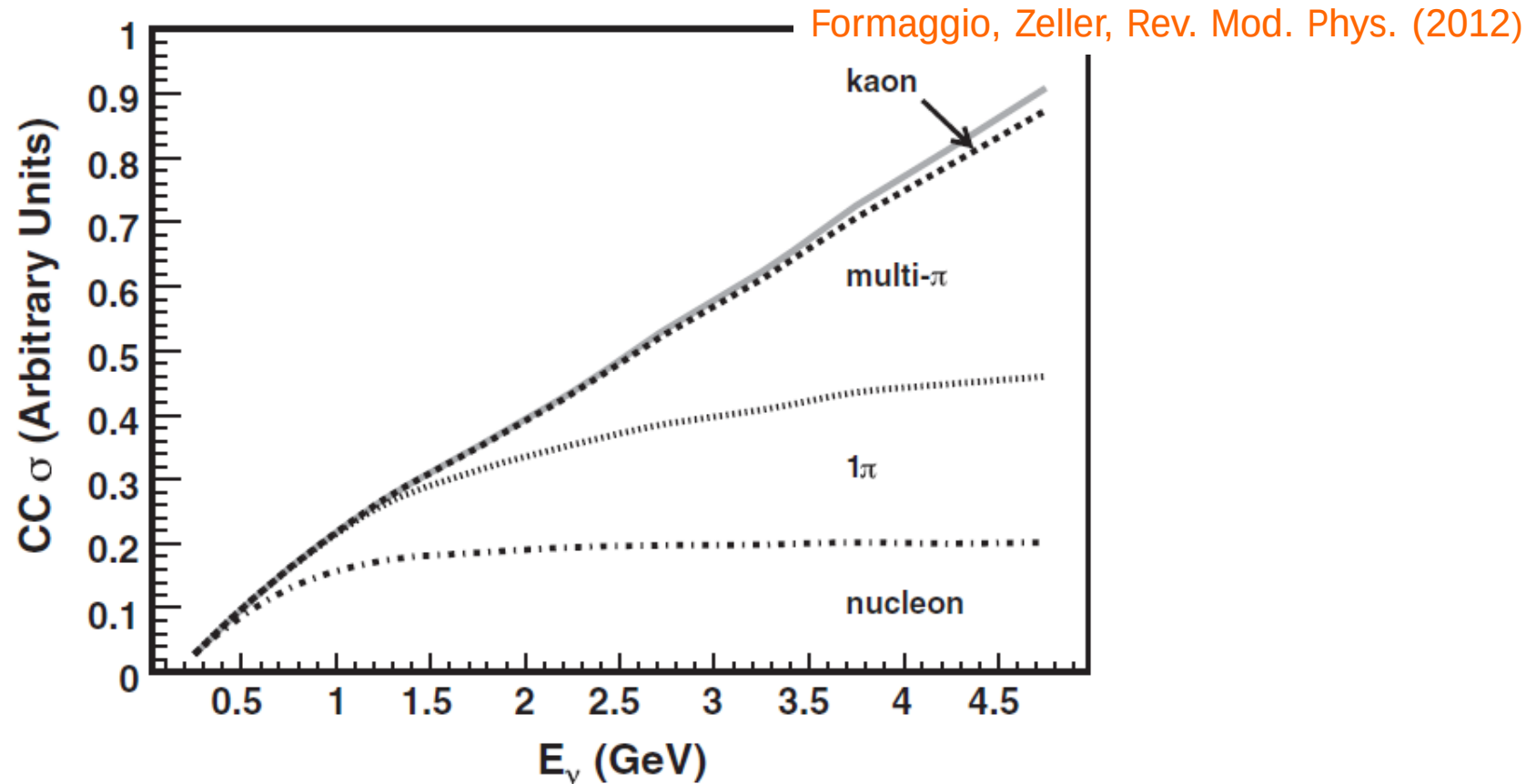


- RES = predominantly $\Delta(1232)$ excitation $\Rightarrow \Delta \rightarrow N \pi$

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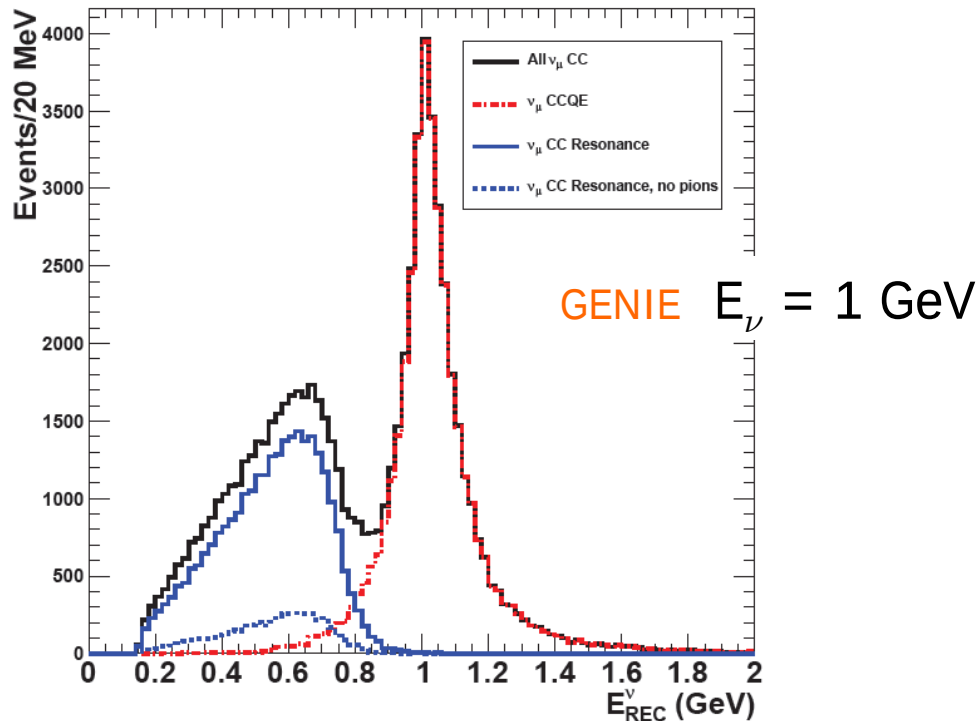
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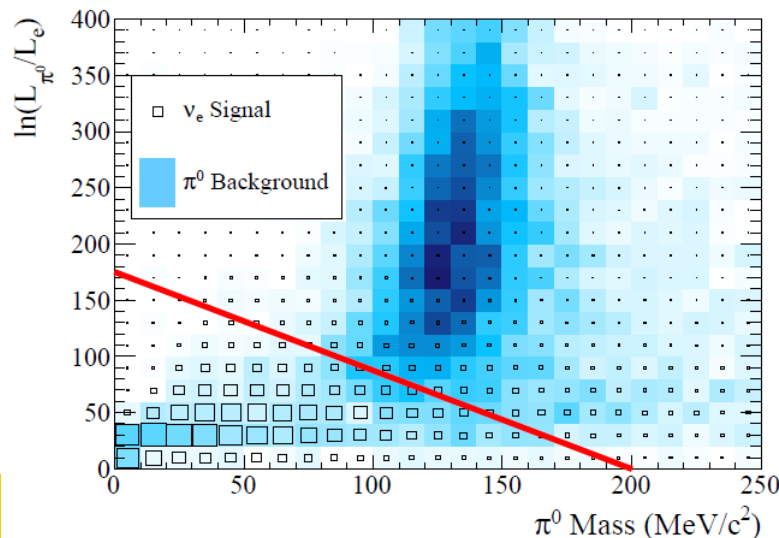
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 - Important contribution to the inclusive νA cross section
 - CC: $\nu_l N \rightarrow l^- \pi N'$
 - source of CCQE-like events (in nuclei)
 - needs to be subtracted for a good E_ν reconstruction



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 - NC: $\nu_l N \rightarrow \nu_l \pi N'$
 - π^0 : e-like background to $\nu_\mu \rightarrow \nu_e$ searches
 - improved at T2K with a π^0 rejection cut



Abe et al, PRL 112 (2014) 061802

Introduction

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 - CC: $\nu_l N \rightarrow l^- \pi N'$
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 - NC: $\nu_l N \rightarrow \nu_l \pi N'$
 - π^0 : e-like background to $\nu_\mu \rightarrow \nu_e$ searches
- Interesting for hadronic physics
 - Nucleon-Resonance (N- Δ , N- N^*) axial form factors
- Key ingredient for 2p2h models

1π production on nucleons

$$\nu_l N \rightarrow l \pi N'$$

■ CC:

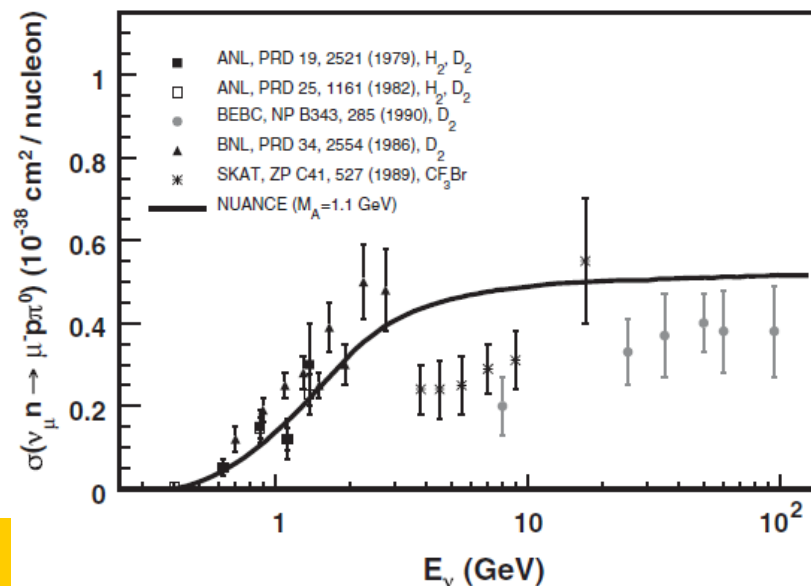
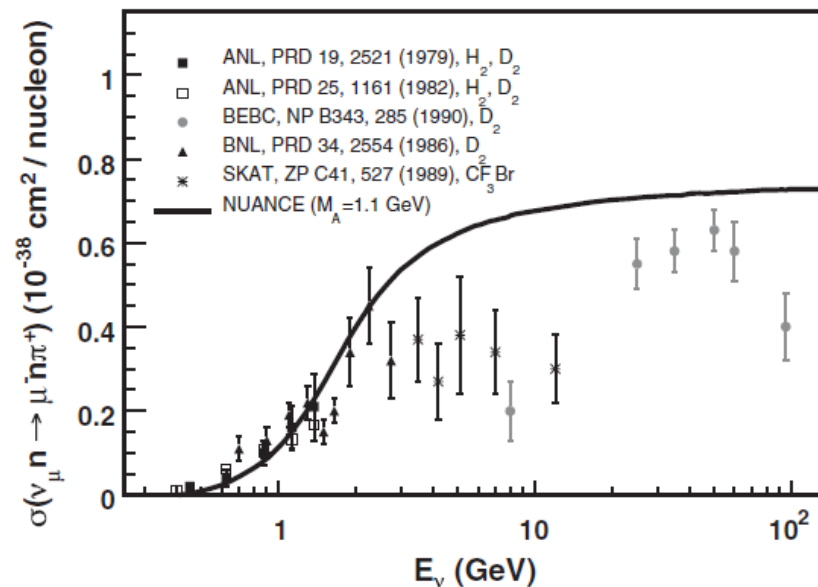
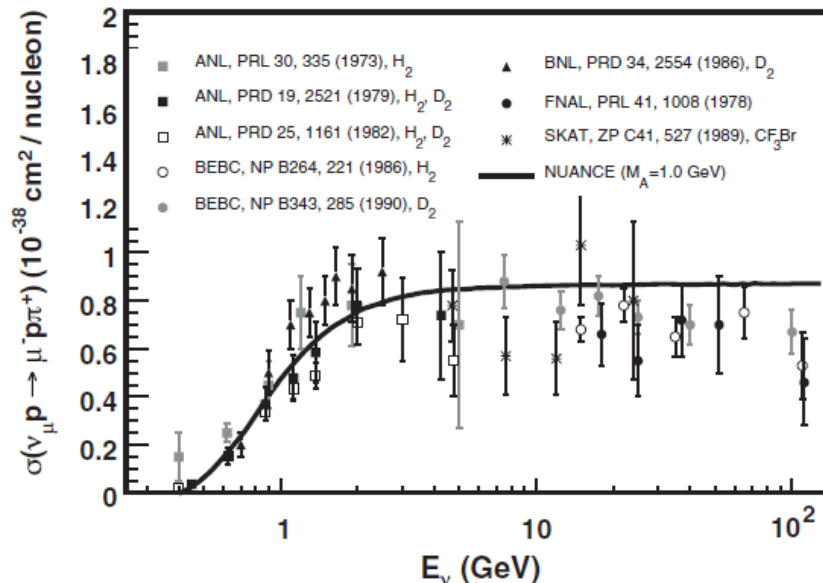
$$\begin{aligned}\nu_\mu p &\rightarrow \mu^- p \pi^+, & \bar{\nu}_\mu p &\rightarrow \mu^+ p \pi^- \\ \nu_\mu n &\rightarrow \mu^- p \pi^0, & \bar{\nu}_\mu p &\rightarrow \mu^+ n \pi^0 \\ \nu_\mu n &\rightarrow \mu^- n \pi^+, & \bar{\nu}_\mu n &\rightarrow \mu^+ n \pi^-\end{aligned}$$

■ NC:

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1π production on nucleons

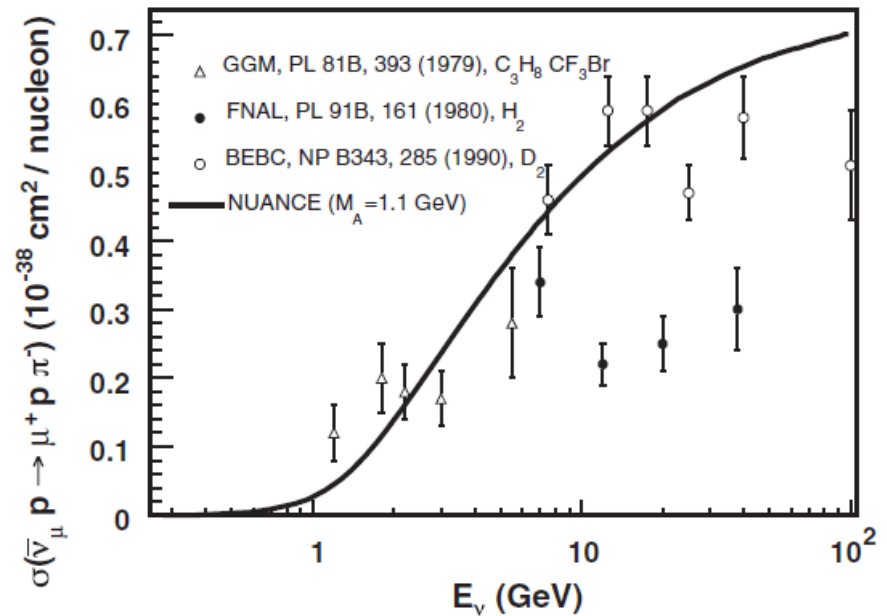
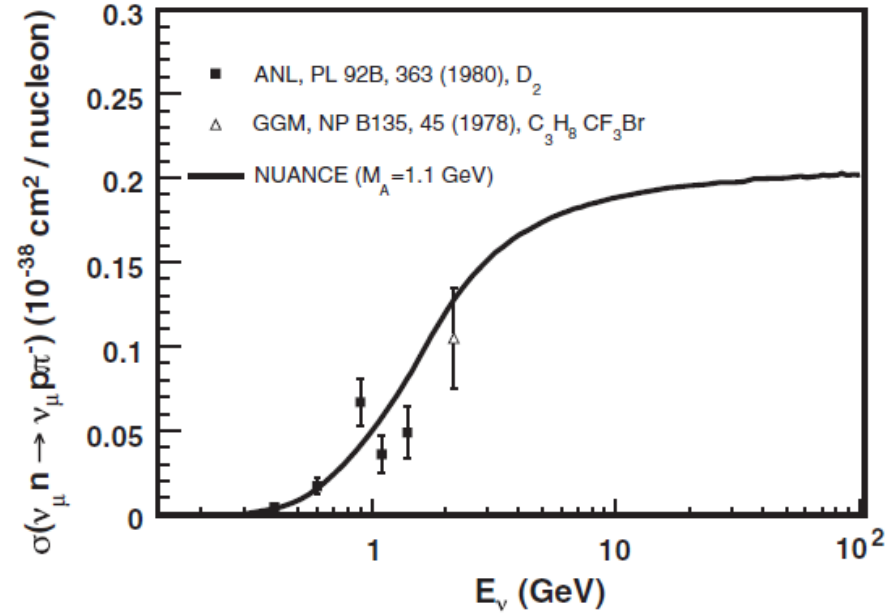
CC data



Formaggio, Zeller, Rev. Mod. Phys. (2012)

1π production on nucleons

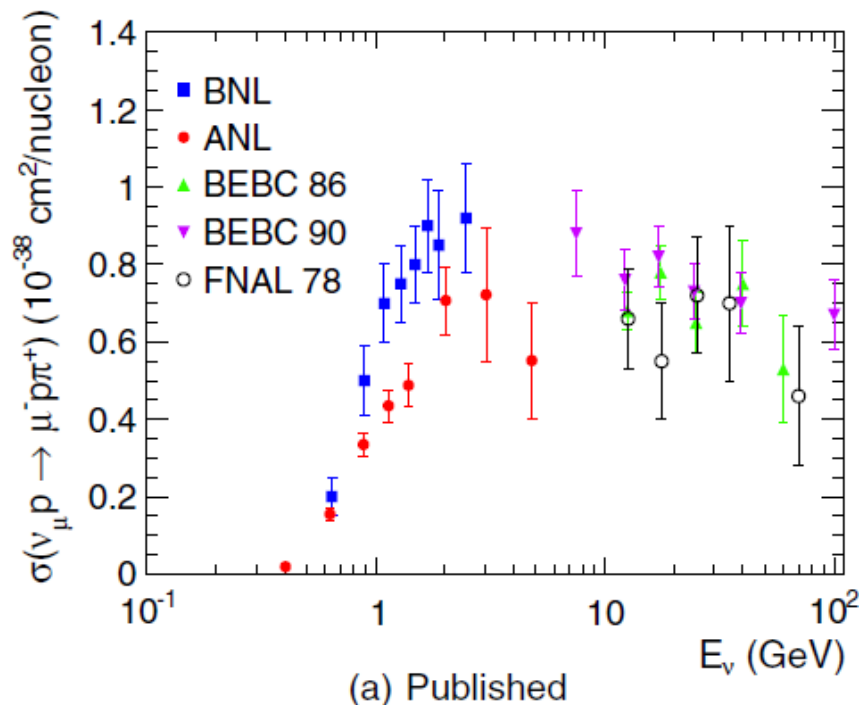
■ NC data



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1π production on nucleons

■ Discrepancies between ANL and BNL datasets



■ Reanalysis by Wilkinson et al., PRD90 (2014)

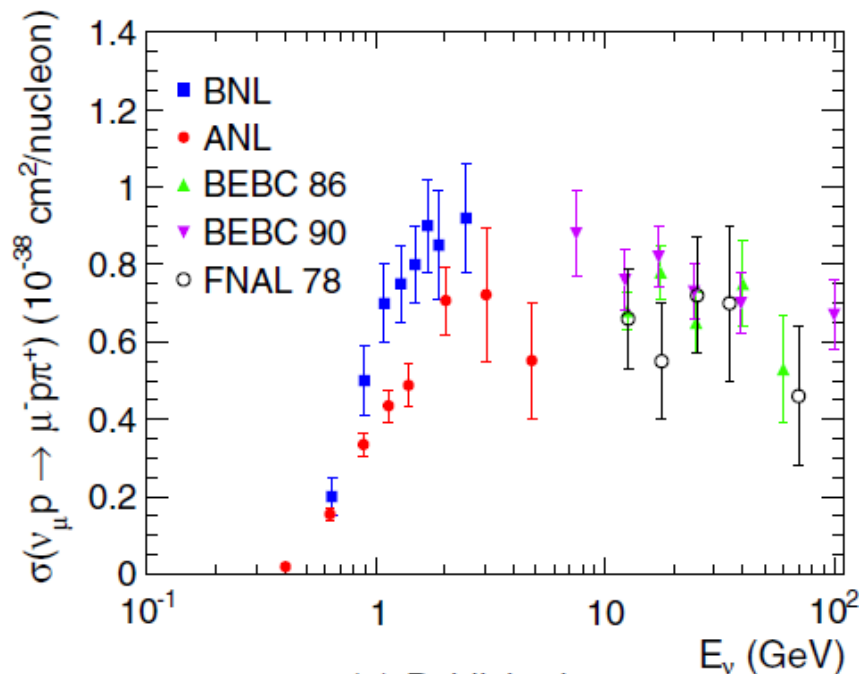
- Flux normalization independent ratios: $CC1\pi^+ / CCQE$

- Good agreement for ratios

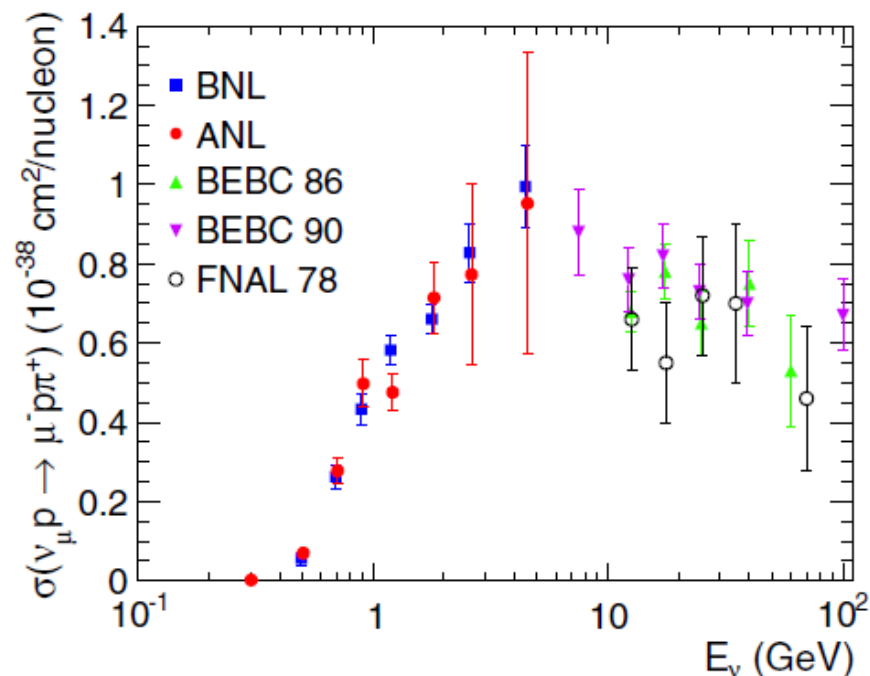
- Better understood $CCQE$ cross section used to obtain the $CC1\pi^+$ one

1π production on nucleons

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(a) Published



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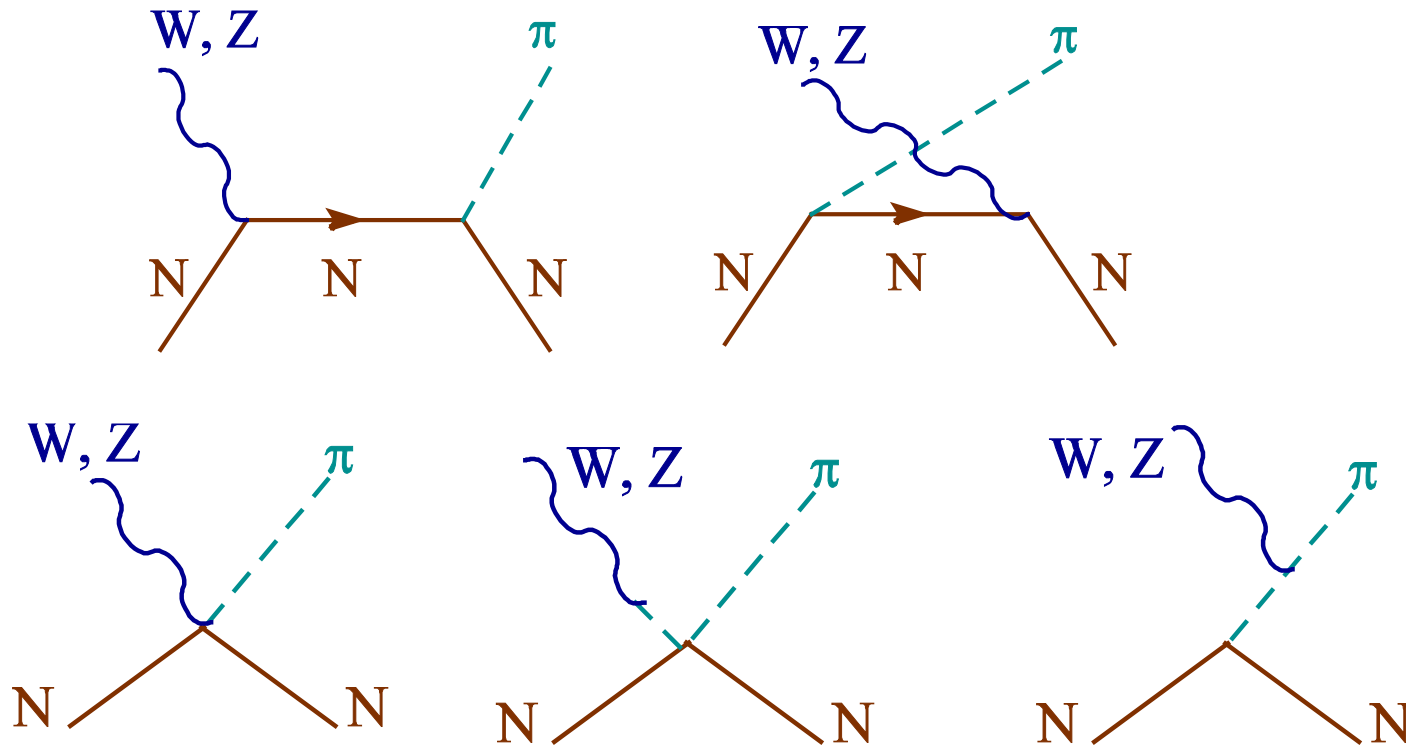
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1π production on nucleons

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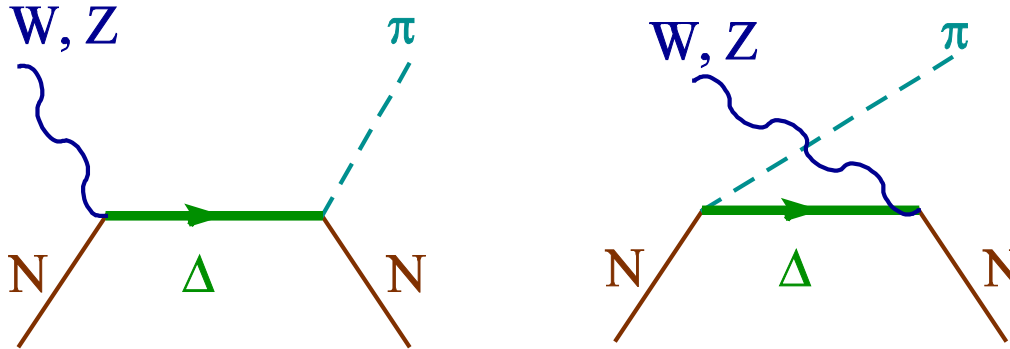
■ From Chiral symmetry:



Hernandez et al., Phys.Rev. D76 (2007) 033005

1π production on nucleons

■ Δ (1232) excitation:



■ N- Δ transition current:

$$J^\mu = \bar{\psi}_\mu \left[\left(\frac{C_3^V}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^V}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + \frac{C_5^V}{M^2} (g^{\beta\mu} q \cdot p - q^\beta p^\mu) \right) \gamma_5 \right. \\ \left. + \frac{C_3^A}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^A}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + C_5^A g^{\beta\mu} + \frac{C_6^A}{M^2} q^\beta q^\mu \right] u$$

■ Vector form factors $\Leftrightarrow$ Helicity amplitudes

1π production on nucleons

■ N- Δ transition current

$$J^\mu = \bar{\psi}_\mu \left[\left(\frac{C_3^V}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^V}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + \frac{C_5^V}{M^2} (g^{\beta\mu} q \cdot p - q^\beta p^\mu) \right) \gamma_5 \right. \\ \left. + \frac{C_3^A}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^A}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + C_5^A g^{\beta\mu} + \frac{C_6^A}{M^2} q^\beta q^\mu \right] u$$

■ Helicity amplitudes can be extracted from data on π photo- and electro-production

$$A_{1/2} = \sqrt{\frac{2\pi\alpha}{k_R}} \langle R, J_z = 1/2 | \epsilon_\mu^+ J_{\text{EM}}^\mu | N, J_z = -1/2 \rangle \zeta$$

$$A_{3/2} = \sqrt{\frac{2\pi\alpha}{k_R}} \langle R, J_z = 3/2 | \epsilon_\mu^+ J_{\text{EM}}^\mu | N, J_z = 1/2 \rangle \zeta$$

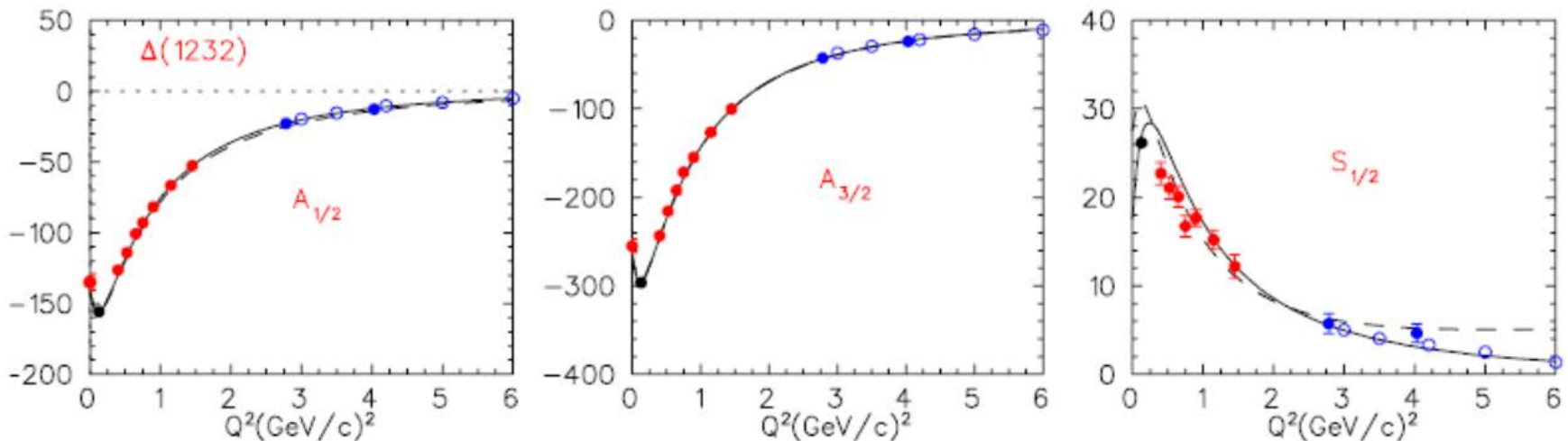
$$S_{1/2} = -\sqrt{\frac{2\pi\alpha}{k_R}} \frac{|\mathbf{q}|}{\sqrt{Q^2}} \langle R, J_z = 1/2 | \epsilon_\mu^0 J_{\text{EM}}^\mu | N, J_z = 1/2 \rangle \zeta$$

1π production on nucleons

■ N- Δ transition current

$$J^\mu = \bar{\psi}_\mu \left[\left(\frac{C_3^V}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^V}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + \frac{C_5^V}{M^2} (g^{\beta\mu} q \cdot p - q^\beta p^\mu) \right) \gamma_5 \right. \\ \left. + \frac{C_3^A}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^A}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + C_5^A g^{\beta\mu} + \frac{C_6^A}{M^2} q^\beta q^\mu \right] u$$

■ **Helicity amplitudes** can be extracted from data on π photo- and electro-production Tiator et al., EPJ Special Topics 198 (2011)



1π production on nucleons

■ N- Δ transition current

$$J^\mu = \bar{\psi}_\mu \left[\left(\frac{C_3^V}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^V}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + \frac{C_5^V}{M^2} (g^{\beta\mu} q \cdot p - q^\beta p^\mu) \right) \gamma_5 \right. \\ \left. + \frac{C_3^A}{M} (g^{\beta\mu} \not{q} - q^\beta \gamma^\mu) + \frac{C_4^A}{M^2} (g^{\beta\mu} q \cdot p' - q^\beta p'^\mu) + C_5^A g^{\beta\mu} + \frac{C_6^A}{M^2} q^\beta q^\mu \right] u$$

■ Axial form factors

$$C_6^A = C_5^A \frac{M^2}{m_\pi^2 + Q^2} \leftarrow \text{PCAC}$$

$$C_5^A = C_5^A(0) \left(1 + \frac{Q^2}{M_{A\Delta}^2} \right)^{-2}$$

■ Constraints from ANL and BNL data on $\nu_\mu d \rightarrow \mu^- \pi^+ p n$

■ with large normalization (flux) uncertainties

■ ANL and BNL data do not constrain $C_{3,4}^A$: consistent with zero Hernandez et al., PRD81(2010)

1π production on nucleons

- N- Δ axial form factors: determination of $C_5^A(0)$ and $M_{A\Delta}$
- $C_5^A = C_5^A(0) \left(1 + \frac{Q^2}{M_{A\Delta}^2}\right)^{-2}$
- From ANL and BNL data on $\nu_\mu d \rightarrow \mu^- \pi^+ p n$
- Graczyk et al., PRD 80 (2009)
 - Deuteron effects
 - Non-resonant background **absent**
 - $C_5^A(0) = 1.19 \pm 0.08$, $M_{A\Delta} = 0.94 \pm 0.03$ GeV
- Hernandez et al., PRD 81 (2010)
 - Deuteron effects
 - $C_5^A(0) = 1.00 \pm 0.11$, $M_{A\Delta} = 0.93 \pm 0.07$ GeV
 - **20% reduction** of the GT relation $C_5^A(0) = 1.15 - 1.2$

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- Alam et al., arXiv:1509.08622 & R. Alam @ NuInt15
 - Deuteron effects
 - N^* resonances: $P_{11}(1440)$, $S_{11}(1535)$, $D_{13}(1520)$, $S_{11}(1650)$, $P_{13}(1720)$.
 - $C_5^A(0) = 1.00$, $M_{A\Delta} = 1.026$ GeV
 - **20% reduction** of the GT relation $C_5^A(0) = 1.15 - 1.2$

1π production on nucleons

- N- Δ axial form factors: determination of $C_5^A(0)$ and $M_{A\Delta}$
- $C_5^A = C_5^A(0) \left(1 + \frac{Q^2}{M_{A\Delta}^2}\right)^{-2}$
- From ANL and BNL data on $\nu_\mu d \rightarrow \mu^- \pi^+ p n$
- Graczyk et al., PRD 90 (2014)
 - Deuteron effects
 - Non-resonant background **present**
 - N- Δ e.m. form factors **fitted** to F_2 data (e-p scattering)
 - $C_5^A(0) = 1.10^{+0.15}_{-0.14}$, $M_{A\Delta} = 0.85^{+0.09}_{-0.08}$ GeV

1π production on nucleons

- **Watson's theorem** LAR, E. Hernandez, J. Nieves, M. J. Vicente Vacas, arXiv:1510.06266

- Unitarity
- Time reversal invariance

$$\sum_M \langle M|T|F \rangle^* \langle M|T|I \rangle = -2\text{Im} \langle F|T|I \rangle \in \mathbb{R}$$

- For $W N \rightarrow \pi N$

- assuming that $|M\rangle = |F\rangle = |\pi N\rangle$
- schematically:

$$\langle \pi N|T|\pi N \rangle^* \langle \pi N|T|W N \rangle = -2\text{Im} \langle \pi N|T|W N \rangle \in \mathbb{R}$$

$$\langle \pi N|T|\pi N \rangle \approx \langle \pi N|T_{\text{strong}}|\pi N \rangle$$

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- For $W N \rightarrow \pi N$

$$\sum_{\rho} \sum_L \frac{2L+1}{2J+1} (L, 1/2, J; 0, -\lambda') (L, 1/2, J; 0, -\rho) \langle J, M; L, 1/2 | T_{\text{str}} | J, M; L, 1/2 \rangle^* \langle J, M; 0, \rho | T | 0, 0; r, \lambda \rangle \in \mathbb{R}.$$

- For the dominant $J=3/2, I=3/2, L=1 \Leftrightarrow P_{33}$ partial wave

$$\left[\sum_{\rho} (1, 1/2, 3/2; 0, -\rho) (1, 1/2, 3/2; 0, -\rho) \langle 3/2, M; 0, \rho | T | 0, 0; r, \lambda \rangle \right] e^{-i\delta_{P_{33}}} \in \mathbb{R}$$

writing $T = T_{\Delta} + T_B e^{-i\delta(W, q^2)}$ we **impose** Watson's theorem.

- This approach has been applied for π **photo and electroproduction**

Olsson, NPB78 (1974)

Carrasco, Oset, NPA536 (1992)

Gil, Nieves, Oset, NPA627 (1997)

1π production on nucleons

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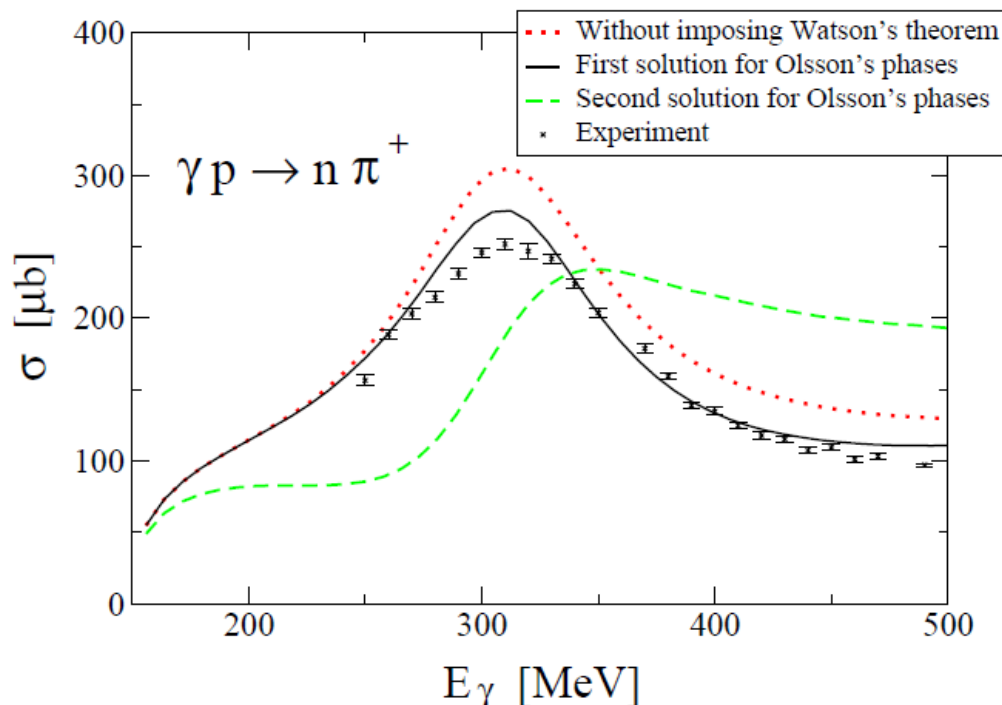
■ For W

$$\sum_{\rho} \sum_L \frac{2L+1}{2J+1} \left(\right.$$

■ For the

$$\left[\sum_{\rho} (1, 1/2 \right.$$

writing T



$$\langle J, 1/2 \rangle^* \langle J, M; 0, \rho | T | 0, 0; r, \lambda \rangle \in \mathbb{R}.$$

wave

$$\Gamma | 0, 0; r, \lambda \rangle \Big] e^{-i\delta_{P33}} \in \mathbb{R}$$

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- Time reversal invariance

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$$\sum_{\rho} \sum_L \frac{2L+1}{2J+1} (L, 1/2, J; 0, -\lambda') (L, 1/2, J; 0, -\rho) \langle J, M; L, 1/2 | T_{\text{str}} | J, M; L, 1/2 \rangle^* \langle J, M; 0, \rho | T | 0, 0; r, \lambda \rangle \in \mathbb{R}$$

- For the dominant $J=3/2, I=3/2, L=1 \Leftrightarrow P_{33}$ partial wave

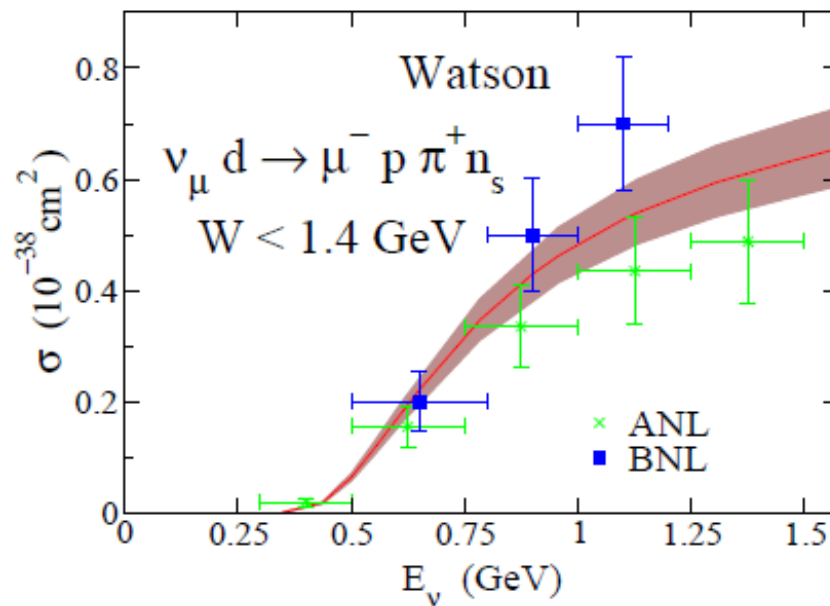
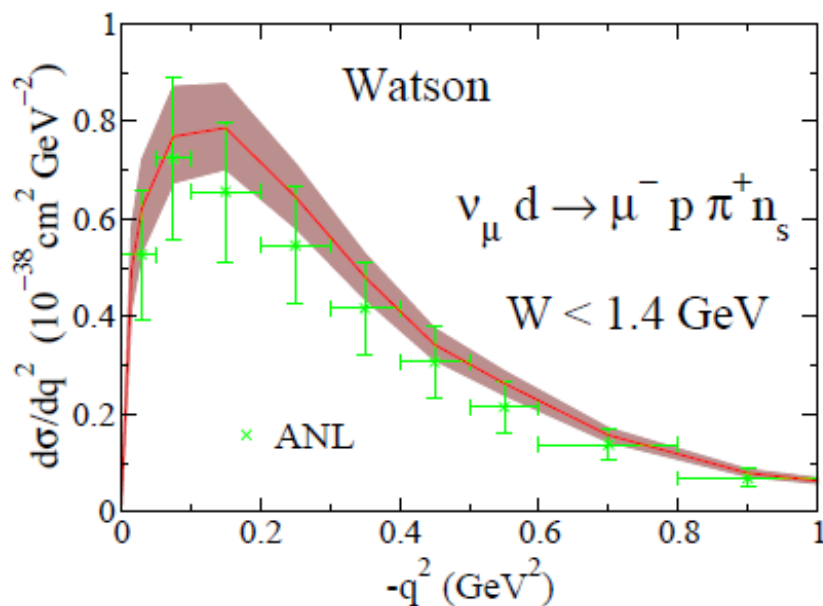
$$\left[\sum_{\rho} (1, 1/2, 3/2; 0, -\rho) (1, 1/2, 3/2; 0, -\rho) \langle 3/2, M; 0, \rho | T | 0, 0; r, \lambda \rangle \right] e^{-i\delta_{P_{33}}} \in \mathbb{R}$$

writing $T = T_{\Delta} + T_B e^{-i\delta(W, q^2)}$ we **impose** Watson's theorem.

- This approach has been applied for π **photo and electroproduction**
- In **weak** production **two phases** δ_V and δ_A are needed

1π production on nucleons

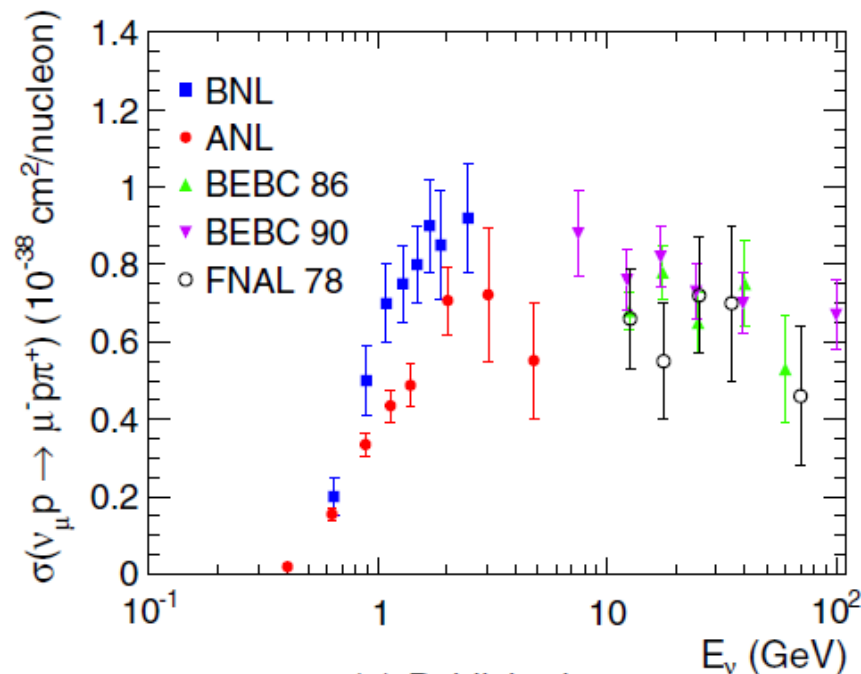
- **Watson's theorem** LAR, E. Hernandez, J. Nieves, M. J. Vicente Vacas, arXiv:1510.0626
- Fit to **ANL** and **BNL** data with $W < 1.4$ GeV



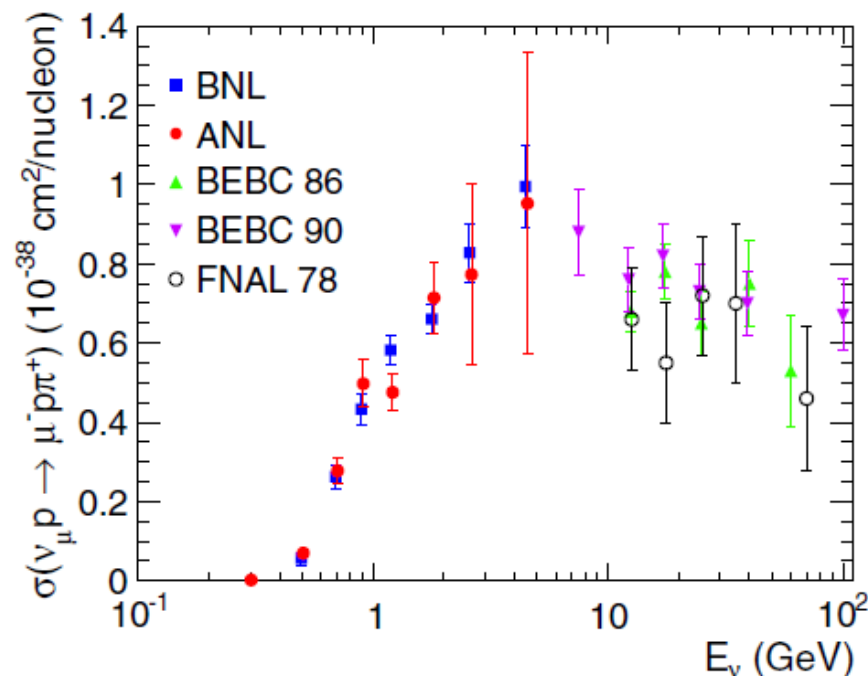
- $C_5^A(0) = 1.12 \pm 0.11$, $M_{A\Delta} = 0.95 \pm 0.06$ GeV
- **Consistent** with the off-diagonal **GT** relation $C_5^A(0) = 1.15 - 1.2$

1π production on nucleons

■ Discrepancies between ANL and BNL datasets



(a) Published



(b) This analysis

■ Reanalysis by Wilkinson et al., PRD90 (2014)

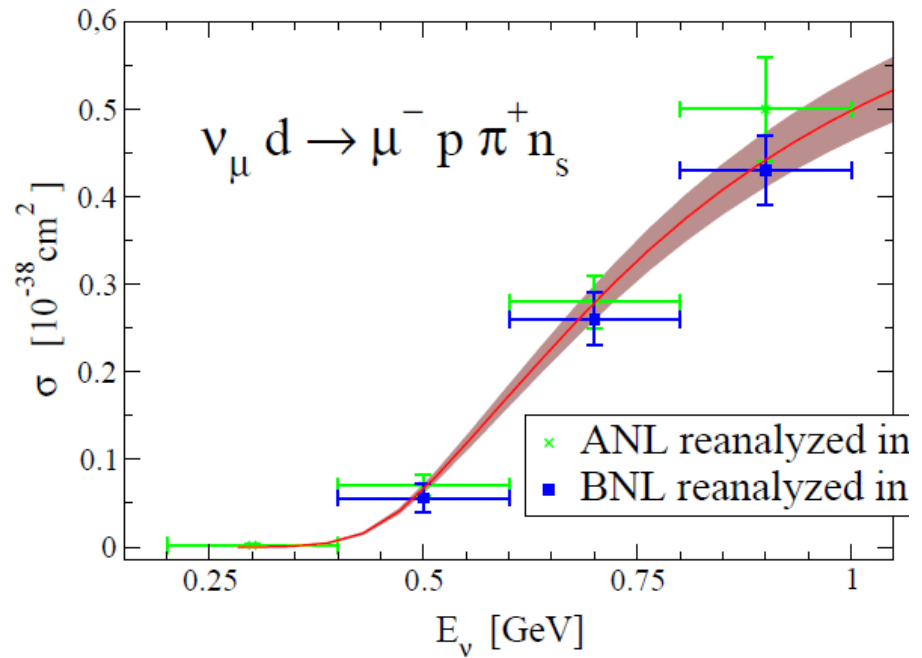
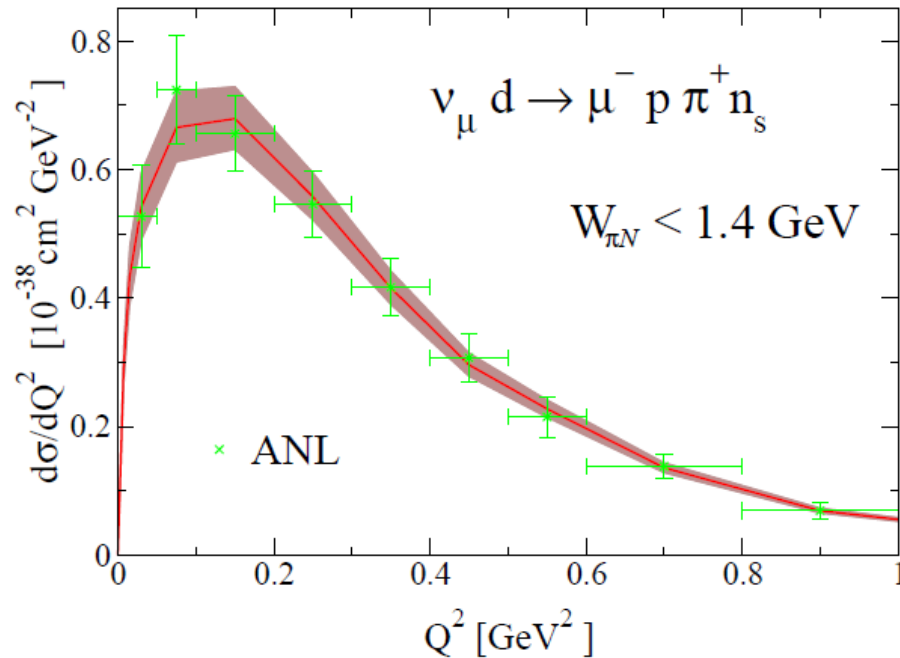
- Flux normalization independent ratios: $\text{CC}1\pi^+ / \text{CCQE}$

- Good agreement for ratios

- Better understood CCQE cross section used to obtain the $\text{CC}1\pi^+$ one

1π production on nucleons

- New fit to ANL and BNL data
 - Shape from original ANL $d\sigma/dQ^2$
 - Integrated σ from Wilkinson et al.: points with $E_\nu < 1$ GeV



- $C^A_5(0) = 1.14 \pm 0.07$, $M_{A\Delta} = 0.96 \pm 0.07$ GeV
- $C^A_5(0) = 1.12 \pm 0.11$, $M_{A\Delta} = 0.95 \pm 0.06$ GeV ← former fit
- $C^A_5(0) = 1.15 - 1.20$ ← GT

1π production on nucleons

- Fits to ANL and BNL data
 - $C^A_5(0) = 1.12 \pm 0.11$, $M_{A\Delta} = 0.95 \pm 0.06$ GeV $\leftarrow$ original data (A)
 - $C^A_5(0) = 1.14 \pm 0.07$, $M_{A\Delta} = 0.96 \pm 0.07$ GeV $\leftarrow$ reanalysis (B)
- Relative error: $r_A = 10\%$ $\Rightarrow$ $r_B = 6\%$
- Is this precision enough?

1π production on nucleons

- NN final state interactions: d target
 - Wu, Sato and Lee, PRC 91 (2015) and H. Lee @ NuInt15
 - Reduce the cross section for pn final states but not for pp
 - Cuts in the actual measurements should be considered
- Dynamical model Sato, Uno, Lee, PRC67 (2003)
 - Lippmann-Schwinger equation in coupled channels $\Rightarrow$ unitarity
 - Watson's theorem exactly fulfilled
- Extended (DCC) to other meson production channels
Nakamura et al, PRD92 (2015)

1π production on nuclei

- (Modern) cross section measurements:
- **MiniBooNE**: on CH_2 at $\langle E_\nu \rangle \sim 1$ GeV
 - $\nu_\mu \bar{\nu}_\mu$ $\text{NC}\pi^0$ Aguilar Arevalo et al., PRD81 (2010)
 - ν_μ $\text{CC}\pi^+$ Aguilar Arevalo et al., PRD83 (2011)
 - ν_μ $\text{CC}\pi^0$ Aguilar Arevalo et al., PRD83 (2011)
- **MINERvA**: on CH at $\langle E_\nu \rangle \sim 4$ GeV
 - ν_μ $\text{CC}\pi^\pm$ Eberly et al., arXiv:1406.6415
 - $\bar{\nu}_\mu$ $\text{CC}\pi^0$ Le et al., PLB749 (2015)
- **ArgoNeuT**: on Ar at $\langle E_\nu \rangle \sim 9.6$ GeV (ν_μ) and 3.6 GeV ($\bar{\nu}_\mu$)
 - $\nu_\mu \bar{\nu}_\mu$ $\text{NC}\pi^0$ Acciarri et al., arXiv:1511.00941

1π production on nuclei

- Incoherent 1π production in nuclei

$$\nu_l A \rightarrow l \pi X$$

- Fermi motion, or more realistic SF, and Pauli blocking
- Modification of the $\Delta(1232)$ properties in the medium

$$D_{\Delta} \Rightarrow \tilde{D}_{\Delta}(r) = \frac{1}{(W + M_{\Delta})(W - M_{\Delta} - \text{Re}\Sigma_{\Delta}(\rho) + i\tilde{\Gamma}_{\Delta}/2 - i\text{Im}\Sigma_{\Delta}(\rho))}$$

$\tilde{\Gamma}_{\Delta} \leftarrow$ Free width $\Delta \rightarrow N \pi$ modified by Pauli blocking

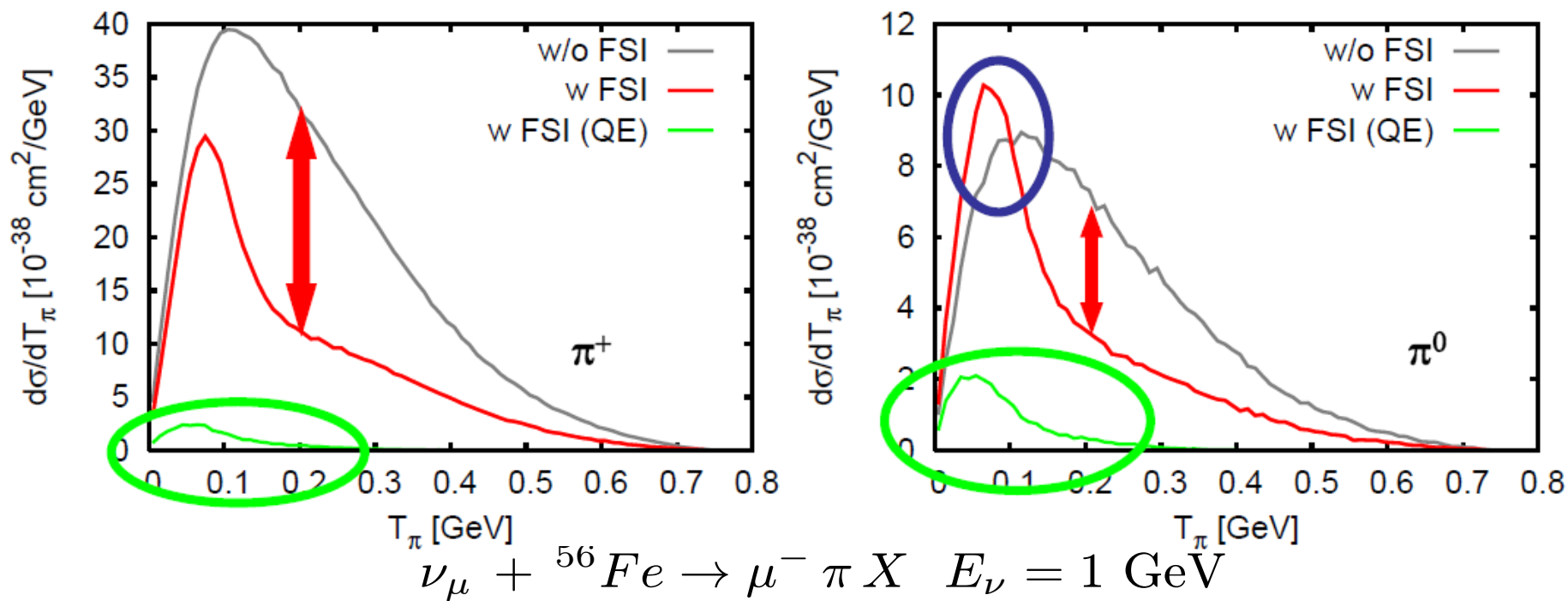
$$\text{Re}\Sigma_{\Delta}(\rho) \approx 40\text{MeV} \frac{\rho}{\rho_0}$$

$$\text{Im}\Sigma_{\Delta}(\rho) \leftarrow \begin{aligned} &\bullet \Delta N \rightarrow N N \\ &\bullet \Delta N \rightarrow N N \pi \\ &\bullet \Delta N N \rightarrow N N N \end{aligned}$$

- π propagation (scattering, charge exchange), absorption (FSI)
 - semiclassical cascade, transport models

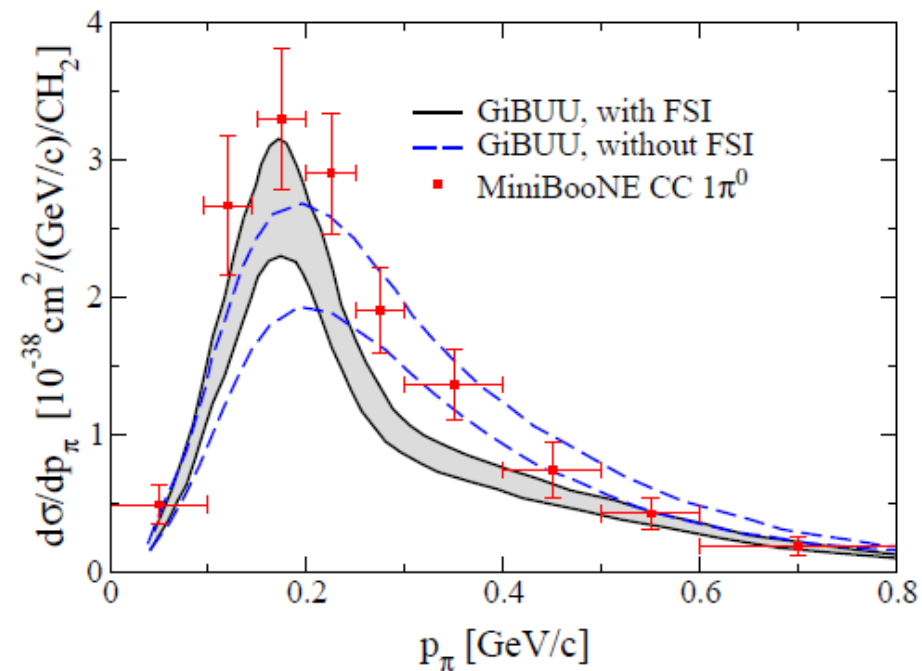
1π production on nuclei

- GiBUU Leitner, LAR, Mosel, PRC 73 (2006)
 - Effects of FSI on pion kinetic energy spectra
 - strong absorption in Δ region
 - side-feeding from dominant π^+ into π^0 channel
 - secondary pions through FSI of initial QE protons

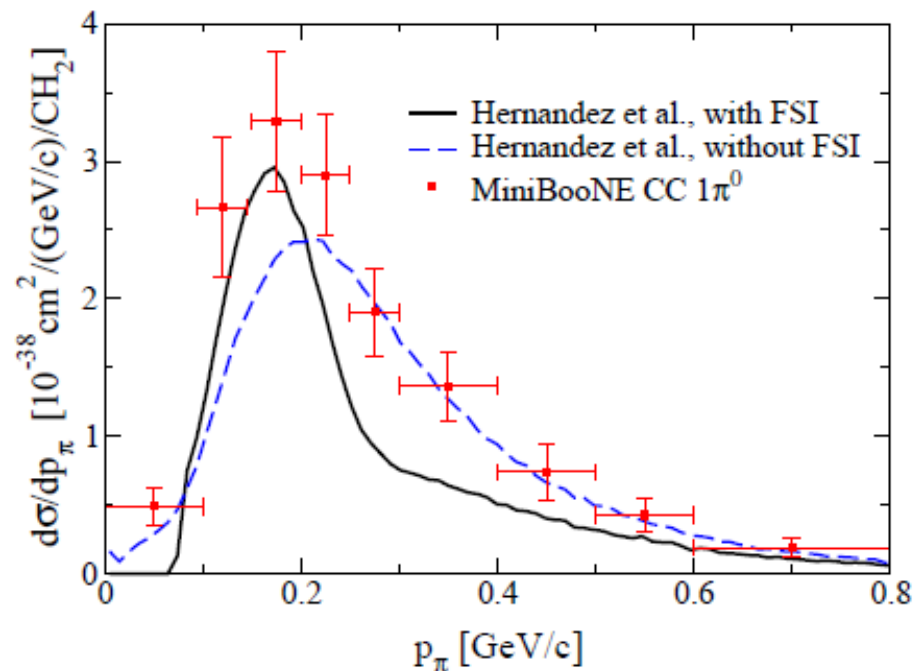


1π production on nuclei

■ Comparison to MiniBooNE: CC $1\pi^0$ Aguilar-Arevalo, PRD83 (2011)



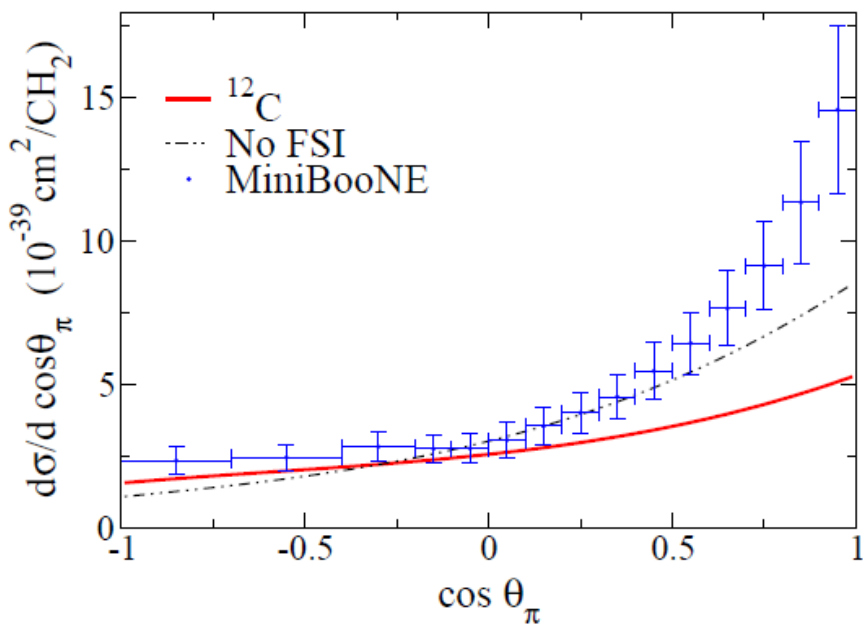
Hernandez et al., PRD87 (2013)



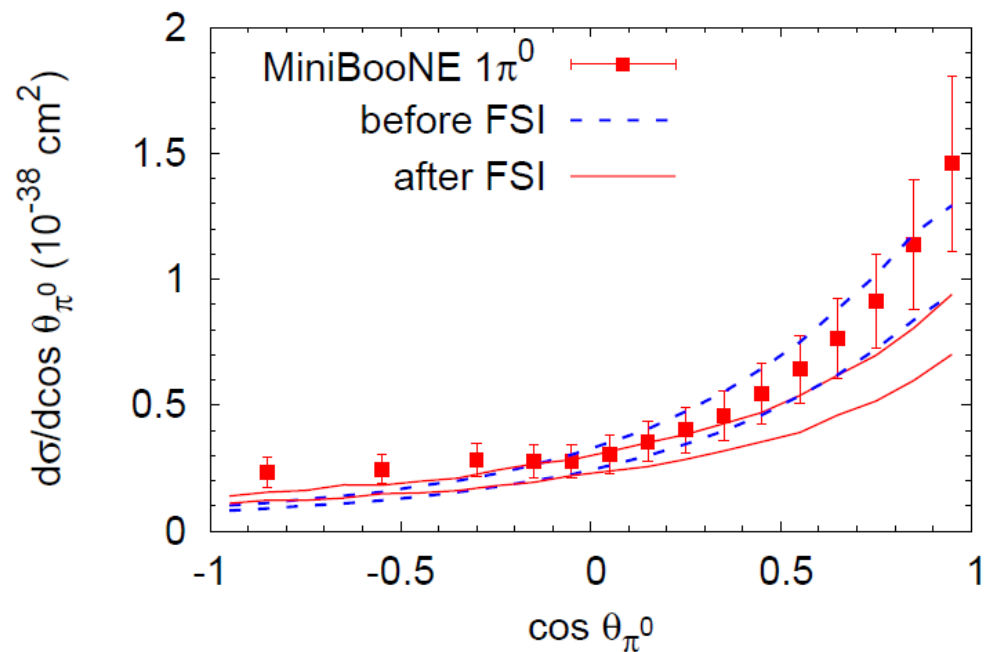
Lalakulich, Mosel, PRC87 (2013)

1π production on nuclei

- Comparison to MiniBooNE: $CC1\pi^0$ Aguilar-Arevalo, PRD83 (2011)



Hernandez et al., PRD87 (2013)

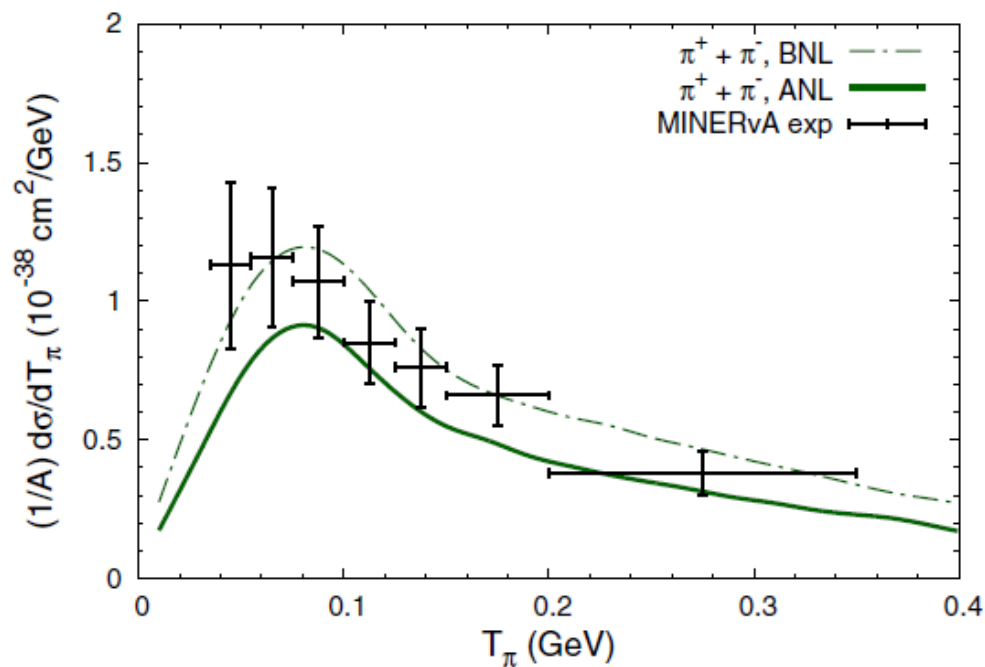
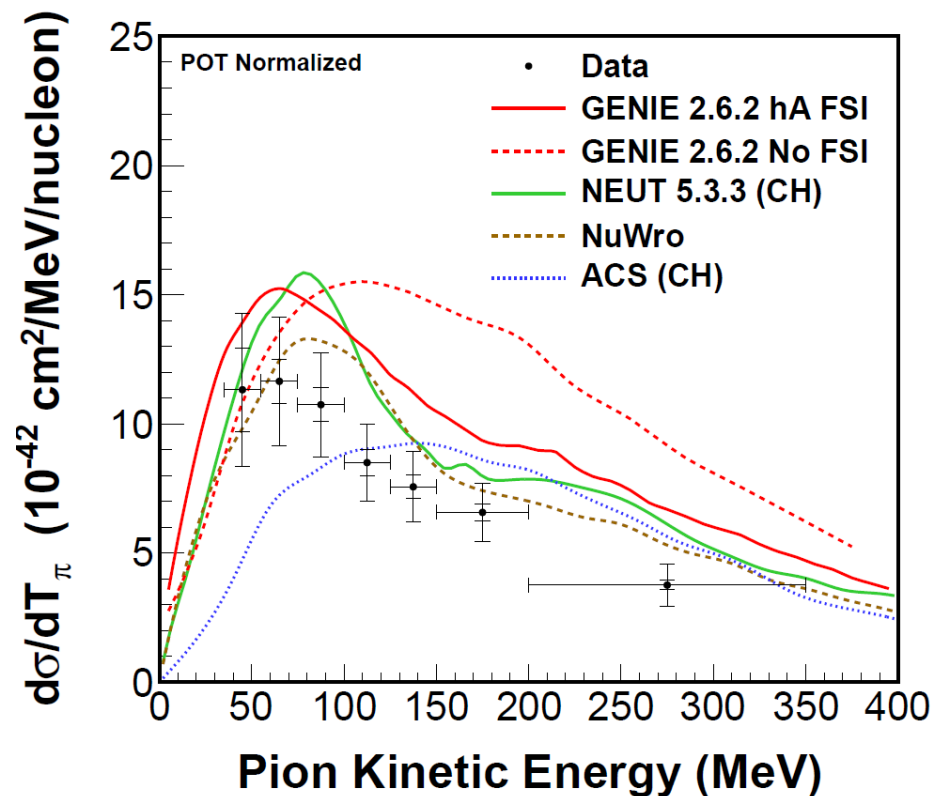


Lalakulich, Mosel, PRC87 (2013)

- Deficit at forward π^0 angles
- Two-nucleon mechanisms (?)

1π production on nuclei

- Comparison to MINERvA: $CC\pi^\pm$ Eberly et al., arXiv:1406.6415

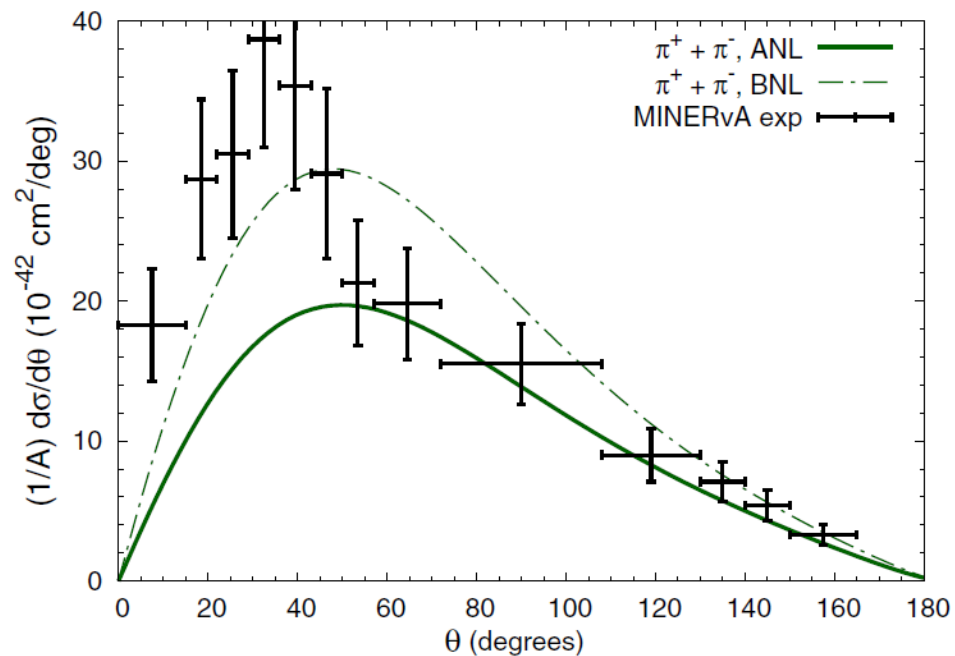
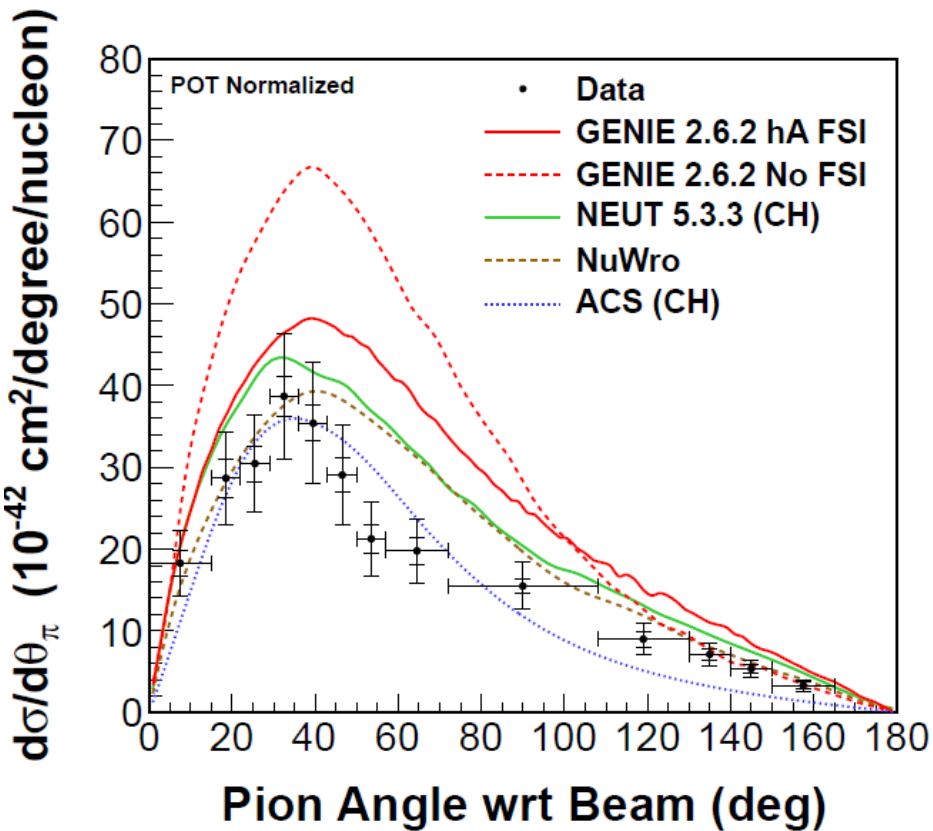


Mosel, PRC91 (2015)

- GiBUU: deficit of $\pi^\pm$

1π production on nuclei

- Comparison to MINERvA: $\text{CC}\pi^\pm$ Eberly et al., arXiv:1406.6415

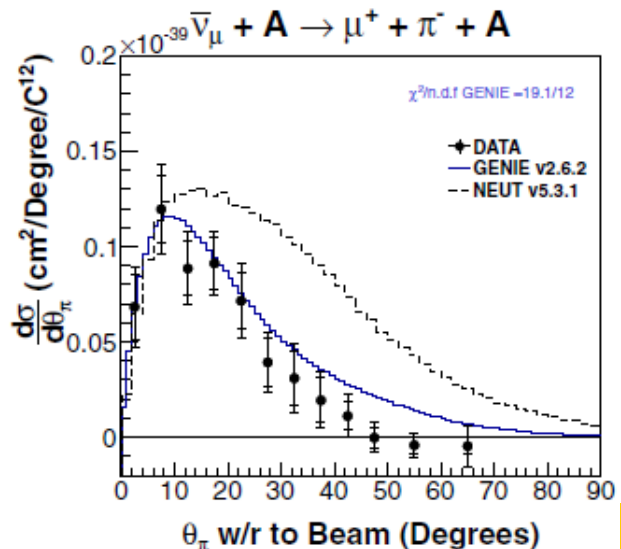
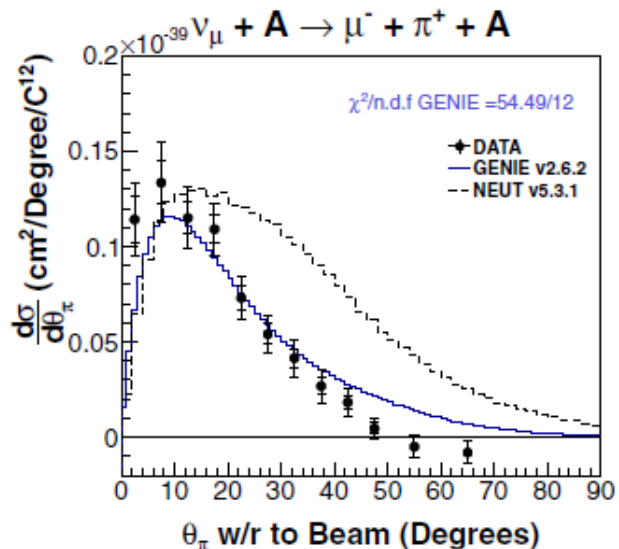
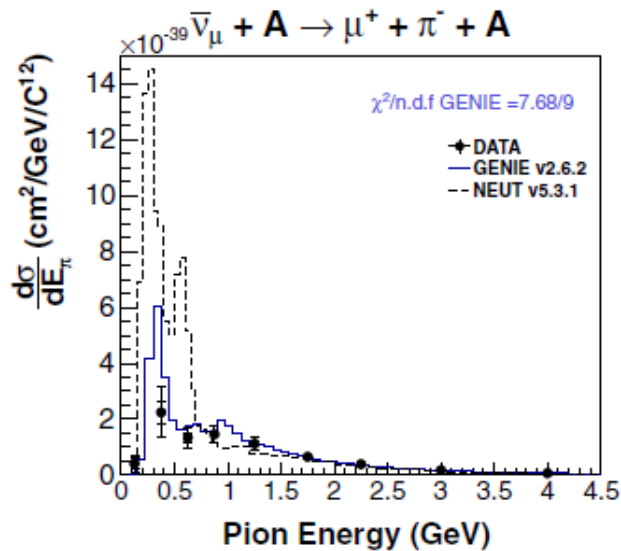
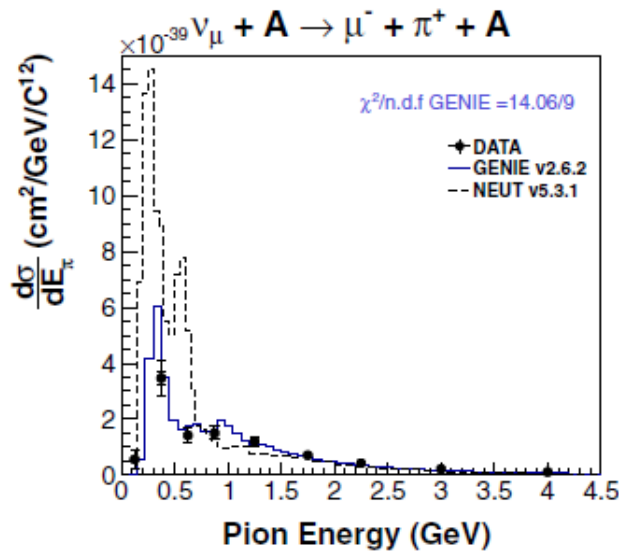


Mosel, PRC91 (2015)

- GiBUU: deficit of $\pi^\pm$ at forward angles

Coherent Pion Production

- MINERvA measurement Higuera et al., PRL 113 (2014)

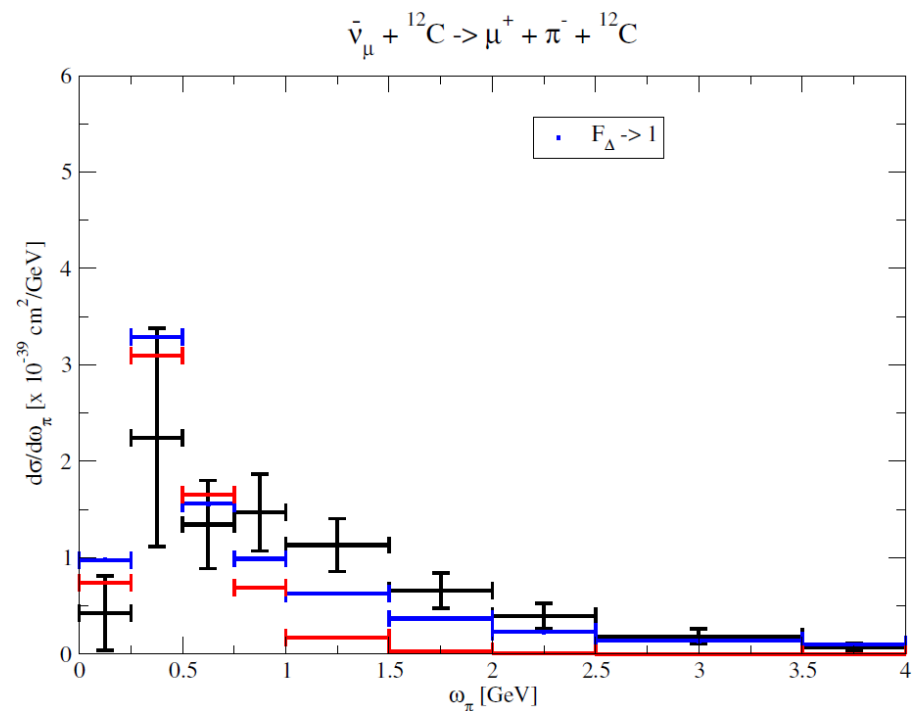
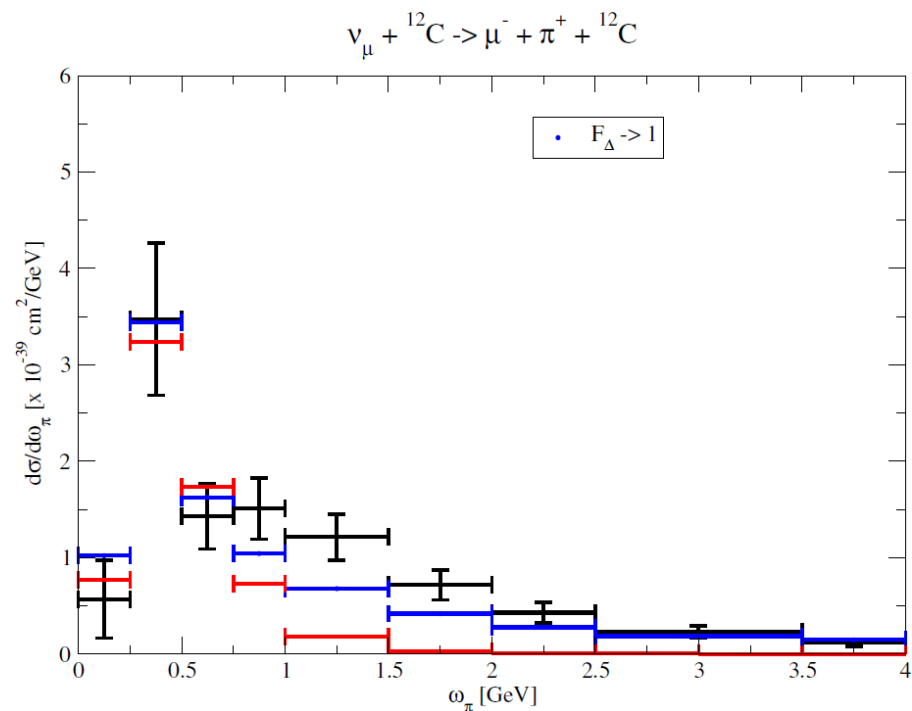


Coherent Pion Production

- **PCAC models** Rein & Sehgal, NPB 223 (1983), Kartavtsev et al., PRD 74 (2006), Berger & Sehgal, PRD 79 (2009), Paschos & Schalla, PRD 80 (2009)
 - In the $q^2=0$ limit, **PCAC** is used to relate ν induced coherent pion production to πA **elastic scattering**
 - $q^2=0$ approximation **neglects** important angular dependence at **low energies** and for light nuclei
 - πA elastic **not realistic** $\Rightarrow$ **experimental** πA cross section
- **Microscopic models** Kelkar et al., PRC55 (1997); Singh et al., PRL 96 (2006); LAR et al., PRC 75, 76 (2007); Amaro et al., PRD 79 (2009), Nakamura et al., PRC 81 (2010), Zhang et al. PRC 86 (2012)
 - Same **hadronic/nuclear** input as for the incoherent(resonant) channel
 - Can be applied/validated in other reactions (γ , e , π , ...)
 - Limited to the Δ region and below
 - Technically more complex and harder to implement than **PCAC** models

Coherent Pion Production

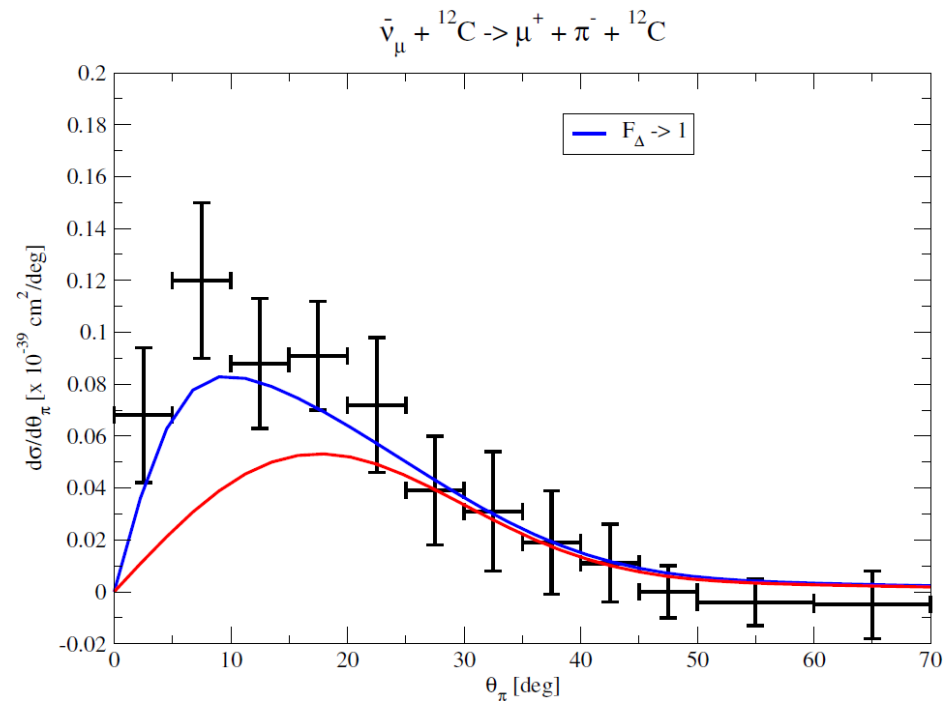
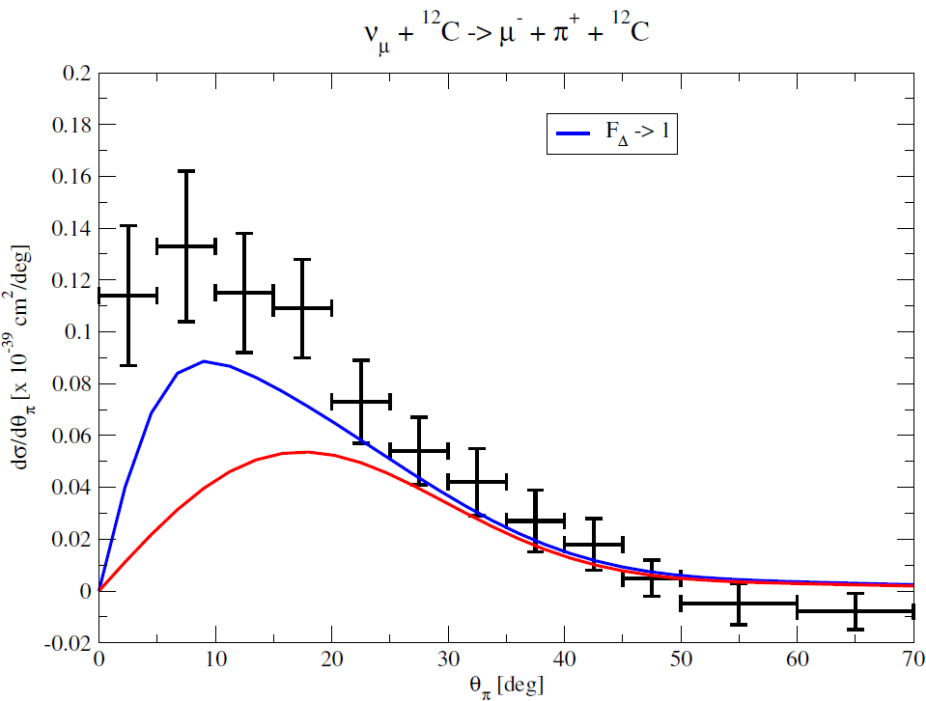
- Microscopic model: comparison to MINERvA data, LAR, preliminary



- Good agreement at the Delta(1232) peak

Coherent Pion Production

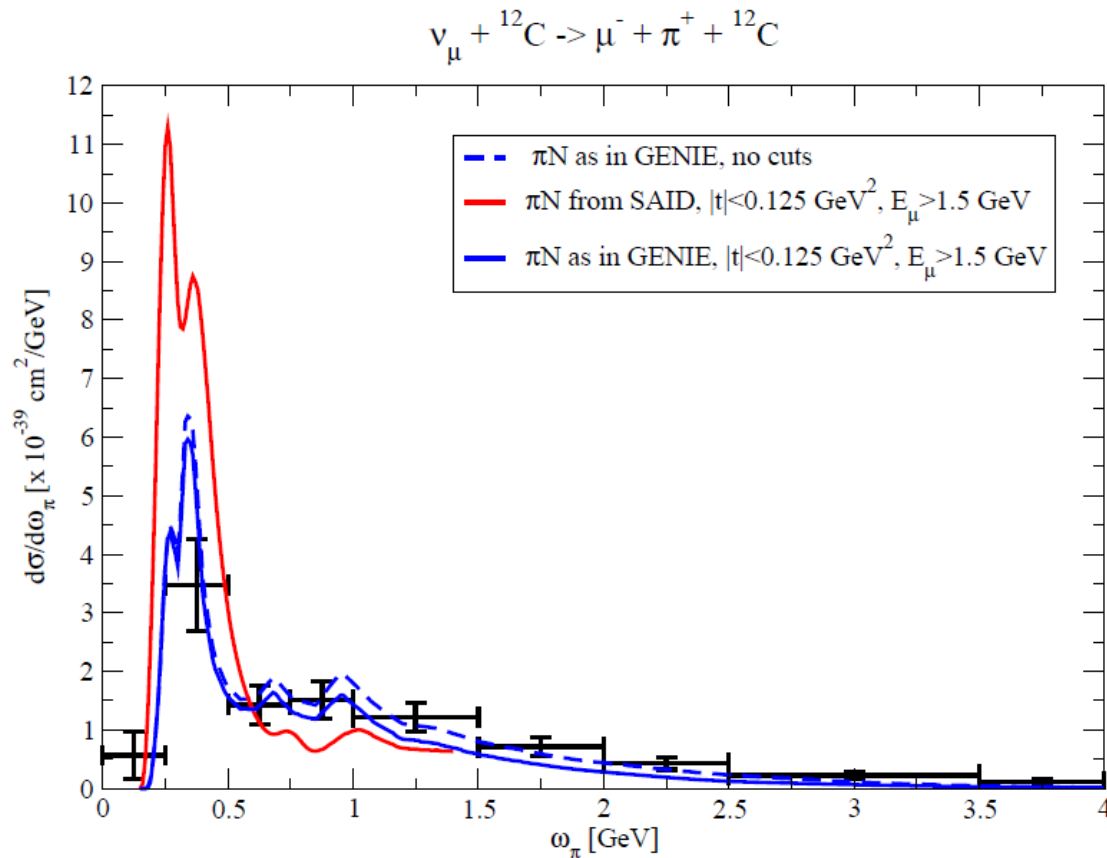
- Microscopic model: comparison to MINERvA data, LAR, preliminary



- $\Delta(1232)$ contribution is less forward peaked than data

Coherent Pion Production

- PCAC models: comparison to MINERvA data, LAR, preliminary



- Improvement in $\pi\text{N} \Rightarrow$ disagreement with data !?!

Conclusions

- ν -induced pion production on nucleons and nuclei is relevant for oscillation studies and interesting for hadron physics
- Consistency with the off-diagonal G-T relation for the N- Δ transition is restored by imposing the Watson's theorem
- Proper understanding of ν -induced pion production on nuclei still missing
- Coherent pion production
 - Microscopic description OK at the Delta(1232) peak
 - Are PCAC models realistic at MINERvA energies?