Benda X

JUNO u

Constructio

tion

Water Cheres Waveform

MeV Event GeV Event

Conclusio

Cutting-Edge Machine-Learning Advancements at JUNO

towards ν probablistic machine learning

Benda Xu on behalf of the JUNO collaboration

Tsinghua University, Center for High Energy Physics





2025-10-27 NPML2025 @ Tokyo

Benda >

JUNO u

Construction

tion
Water Cherent

Waveform
MeV Event
GeV Event

Conclusio

ν oscillation

$$|\nu_{\alpha}(t)\rangle = \sum_{i=1,2,3} U_{\alpha i}^* |\nu_i(t)\rangle$$

Mixing of different ν mass eigenstates leads to oscillation:

$$\langle \nu_{\rm e} \, | \, \nu_{\rm e}(t) \rangle = |\langle \nu_{\rm e} \, | \, \nu_{\rm 1} \rangle|^2 + e^{-i\frac{\Delta m_{21}^2 L}{2E}} |\langle \nu_{\rm e} \, | \, \nu_{\rm 2} \rangle|^2 + e^{-i\frac{\Delta m_{31}^2 L}{2E}} |\langle \nu_{\rm e} \, | \, \nu_{\rm 3} \rangle|^2$$
 describes the survival probability of $\nu_{\rm e}$ as $P(\nu_{\rm e} \to \nu_{\rm e}) = |\langle \nu_{\rm e} \, | \, \nu_{\rm e}(t) \rangle|^2$.

2/30

Benda X

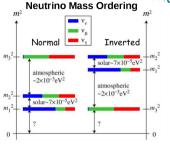
JUNO u

Construction

tion
Water Cherenko
Waveform

Conclusion

 $_{
m nn}^{
u}$ mass ordering (NMO): sign of Δm_{31}^2



•
$$\Delta m_{21}^2 = m_2^2 - m_1^2 = 7.5 \times 10^{-5} \, \text{eV}^2$$

• normal order: $m_3^2 > m_1^2$;

• inverted order: $m_3^2 < m_1^2$

• imprints subtle difference on energy spectra.

Benda X

JUNO ν

Construction

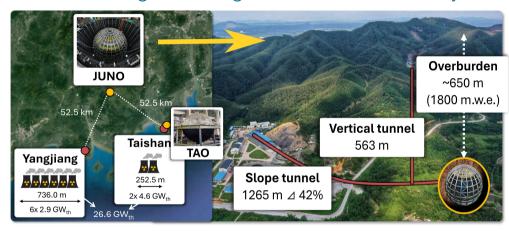
Reconstruction

Water Cherenke
Waveform

MeV Event

GeV Event

Jiangmen Underground Neutrino Observatory



- $52.5\,\mathrm{km}$ is the sweet spot for $\bar{\nu}$ oscillation.
- Detected via inverse β decay $\bar{\nu}_e + p \longrightarrow e^+ + n$.

Benda X

JUNO ν

Construction

Reconstruction

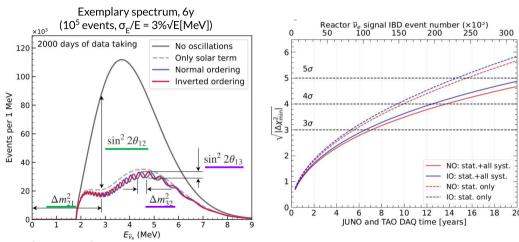
Water Cherenkov

Waveform

MeV Event

GeV Event

Sensitivity to ν mass ordering



 $\Delta\chi^2$ is the χ^2 different between correct and wrong hypothesis. 3σ determination in 6.5 years. Chin. Phys. C 49 033104

Benda X

JUNO ν

Construction

Reconstruction

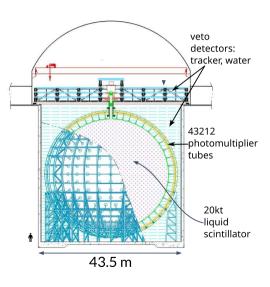
Water Cherenko

Waveform

Waveform MeV Event GeV Event

Conclusio

JUNO design: a liquid scintillator detector



large exposure:

- proven technology to scale up.
- world's largest by $20 \times$.

measurement of ν energy;

- bright liquid scintillator.
- maximize the coverage of photomultiplier tubes.
- $\bullet > 1300 \; {\rm photo\text{-}electrons/MeV}.$

control of backgrounds.

- effective impurity removal: filteration, distillation, absorption.
- ullet active shield of water and μ tracker.

Benda X

JUNO u

Constructio

tion

Water Cherenk

Waveform

MeV Event

GeV Event

Conclusio

Measurement of ν energy

Replacing KamLAND as the world's largest liquid scintillator detector

	KamLAND	JUNO	KamLAND2
	(reference)		(future)
PE yield per MeV	250	~ 1600	1200
Photocoverage/%	34	78	61
Light yield	1	1.5	1.4
PMT QE \times CE/%	12	30	23

- $52.5 \,\mathrm{km}$ is the first minimal of $\langle \nu_{\mathrm{e}} \,|\, \nu_{2} \rangle$.
- $\langle \nu_e | \nu_3 \rangle$ oscillations 30 times faster.
 - Requires energy resolution better than 3% at 1 MeV.

Benda X

JUNO ν

Constructio

Reconstruction

Water Cherent

Waveform

MeV Event

GeV Event

Configuration of photo-multiplier tube array





size	type	quantity	detection	dark noise	transit time
			efficiency	rate/kHz	spread $1\sigma/{ m ns}$
$ ot \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \! \!$	micro-channel plate	15057	30%	31	7.0
	dynode	4939	29%	17	1.3
$\varnothing 7.6\mathrm{cm}$	dynode	25600	25%	0.5	1.6

Eur. Phys. J. C 82 12, 1168(2022)

Benda X

JUNO u

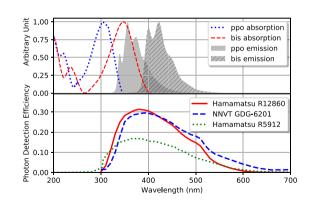
Construction

Reconstruc tion Water Cherenko Waveform MeV Event GeV Event

Liquid scintillator



- Carefully designed liquid scintillation cocktail.
- Efficienct transmission of ionization energy to scintillation photons.



NIM A 967, 163860 (2020)

Benda X

ILINIO

Construction

Reconstruction

Water Cherenk
Waveform
MeV Event
GeV Event

Conclusio

Timeline



How to put an elephant into a fridge?

- ① dig a experimental hall: 2015–2021;
- 2 put a detector inside: 2021-2024;
- 3 top out the water pool: 2024;
- 4 official data taking: 2025.

Benda X

ILINIO

Construction

Reconstruction

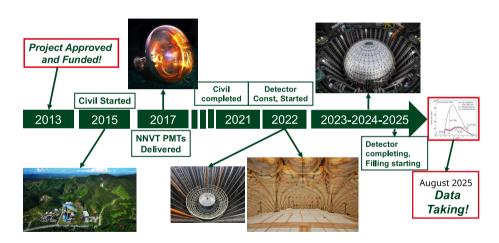
Water Cherent

Waveform

MeV Event

Conclusion

Milestones of JUNO



Benda X

ILINIO :

Construction

tion

Water Cherenk

Waveform MeV Event

Col/ Even

Conclusion

Snapshots construction progress

• Stainless steel frame bottom-up, acrylic sphere top-down.

Benda X

JUNO

Construction

tion
Water Cherer
Waveform
MeV Event
GeV Event

Construction of acrylic sphere



Construction layer by layer.

Benda X

JUNO 1

Construction

Reconstruction

Water Cherenke
Waveform

MeV Event

GeV Event

Conclusion

Layer inspection



Inspection of bonding lines.

Benda X

JUNO :

Construction

Reconstruction

Water Cherer

Waveform

MeV Event

Conclusio

Final layer



All the panels are welded together in situ.

Benda X

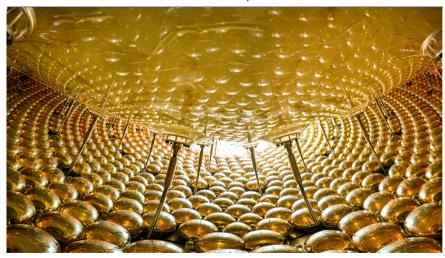
JUNO v

Construction

Reconstrution
Water Cheren
Waveform
MeV Event

Conclusion

Completion of construction



• Dense packing of PMTs.

Benda X

JUNO u

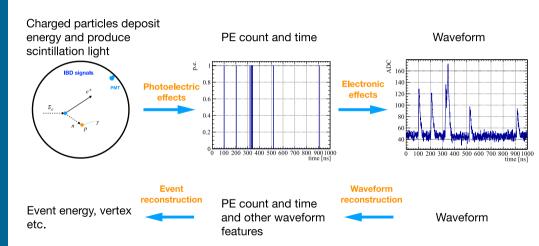
Construction

tion

Water Cherenko

GeV Event

Reconstruction as inverse problems



Benda X

JUNO u

Construction

tion

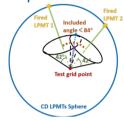
Water Cherenko
Waveform
MeV Event

Conclus

Reconstruction with pure water

Pattern recognition

- Inspired by SuperK NIM A 433 (1999) 240-246
- Narrow peak in residual time for vertex.
- Hough transformation for direction.



Likelihood estimator

• Inspired by fiTQun MiniBooNE and SuperK, but without Q.

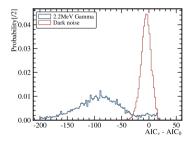
$$\mathcal{L} = \prod_{N_j > 0} \left\{ \exp\left[-v_E \lambda_{j, [\underline{T} - t_0, T_j - t_0]}^0(\vec{r}) \right] v_E R_j^0\left(T_j - t_0; \vec{r}\right) \right\} \times \prod_{N_j = 0} \exp\left[-v_E \lambda_{j, [\underline{T} - t_0, \overline{T} - t_0]}^0(\vec{r}) \right].$$

- \vec{r} : position (x, y, z) and momentum (p_x, p_y, p_z) .
- Employ Markov Chain Monte Carlo (MCMC) to avoid local extrema.
- Simulated annealing is adopted to accelerate convergence.

AIC for removal of dark noise

$$AIC = -2\ln \mathcal{L} + 2k$$

- L: The minimum likelihood of the event
- Use dA = AIC_v AIC₀ to decide whether the event is a signal or background.
- Dataset: Simulation
 - 1 2.2 MeV gamma uniformly distributed in the detector.
 - 2 Events triggered by dark noise.
- It is possible to remove dark noise from 2.2 MeV gamma by AIC.



Benda X

ILINO 1/

Construction

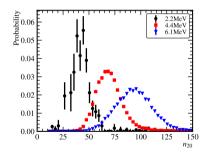
Reconsti

Water Cherenkov
Waveform
MeV Event
GeV Event

Conclusio

Demonstrated low energy threshold in water phase

- From AmBe calibration $\rightarrow 4.4 \, \text{MeV} \, \gamma$;
- From AmC calibration \rightarrow 6.1 MeV γ ;
- Coincident analysis $\rightarrow 2.2 \, \text{MeV} \, \gamma$;
- n₂₀: The total count of PE hits in [-20,20]ns, primary measure of energy.
- Demonstrates JUNO's low energy threshold and clear neutron capture detection with pure water.



Benda Xı

JUNO u

Constructio

Reconstruction

Water Cherenk

Water Cherent
Waveform
MeV Event
GeV Event

Conclus

Photon couting with time

Photon counting is chance to improve JUNO energy resolusion.

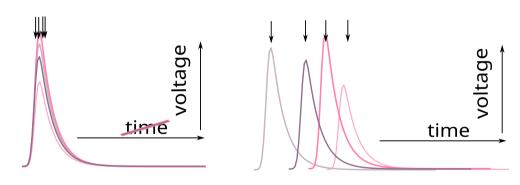


Figure: Total charge from overlapping pulses.

Figure: Time helps recovering pulses from fluctuation and noise.

Go directly from waveforms to event *time, location and energy*.

Benda Xi

JUNO u

Construction

Reconstruction

Water Cherenk
Waveform
MeV Event

Gev Event

Photon counting

100

200

time/ns

300

400

500

Given a light curve $\mu\phi(t-t_0)$ received photoelectron (PE), their times being $\vec{z}:=(t_1,t_2,\cdots,t_N)$. waveform \vec{w} is a time series.

$$\mu,t_0\to\vec{z}\to\vec{w}$$

220

210

180

190

200

time/ns

Benda X

JUNO u

Construction

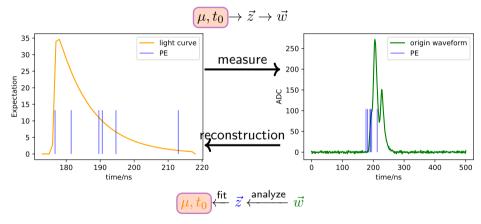
tion
Water Cherent

Waveform MeV Event GeV Event

Conclusio

Photon counting

Given a light curve $\mu\phi(t-t_0)$ received photoelectron (PE), their times being $\vec{z}:=(t_1,t_2,\cdots,t_N)$. waveform \vec{w} is a time series.



overlapping pulses, cannot measure \vec{z} precisely. Big challenge.

Renda X

ILINO :

Construction

Reconstruction

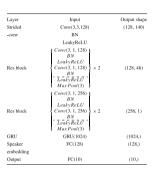
Water Cheren

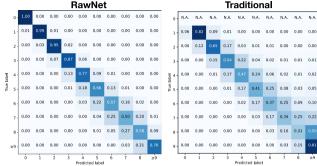
Waveform
MeV Event

MeV Event GeV Event

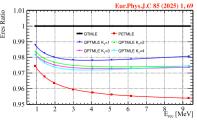
Conclusio

Waveform reconstruction with NN classifier





- A customized RawNet model to predict the probability of PE counts of each PMT.
- Show improvement over traditional waveform reconstruction methods.
- With the potential to further improve JUNO's energy resolution



Benda X

ILINIO -

Construction

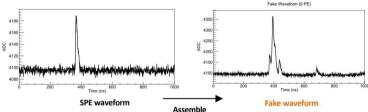
Reconstru tion

Waveform

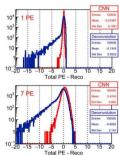
MeV Event GeV Event

Conclusio

Data-driven photo-electron counting



- ML training with simulation datasets is vulnerable to potential uncertainties in waveform modeling.
- Build "fake waveforms" from calibration data from radioactive sources for a data-driven ML training.



Reversible jump Markov Chain Monte Carlo

$$p(\vec{w}|t_0, \mu) = \underbrace{p(\vec{w}|\emptyset)p(\emptyset|t_0, \mu)}_{\text{no integral}} \\ + \underbrace{\int_{\vec{z} \in T} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{single integral}} \\ + \underbrace{\iint_{\vec{z} \in T^2} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{double integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^2} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{w}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{z}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{z}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{z}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z} \in T^3} p(\vec{z}|\vec{z})p(\vec{z}|t_0, \mu) \mathrm{d}\vec{z}}_{\text{triple integral}} \\ + \underbrace{\iiint_{\vec{z}$$

NPE is the uncertain count of elements in \vec{z} .

• Use Markov chain, having \vec{z} jumping over different terms. JINST 17 P06040, NIM A 1082(2026) 170986

Benda X

ILINIO

Constructio

tion Water Cherent

MeV Event

Conclusio

Waveforms to event time, location and energy

• Fusion of waveform analysis and event reconstruction.

$$\mathcal{L}(\{\vec{w_i}\}|E,t_0,\vec{r}) = \prod_i p[\vec{w_i}|R_i(t;E,t_0,\vec{r}) + b_i]$$
 waveform
$$= \prod_i \sum_j p(\vec{w_i}|\vec{z_j}) p[\vec{z_j}|R_i(t;E,t_0,\vec{r}) + b_i]$$
 all PE times (sampled) SPE charge spectrum embedded

- The PEs on PMT i follow inhomogeneous Poisson process $R_i(t; E, t_0, \vec{r})$. It captures scintillation profile, time-of-flight, scattering, re-emission, etc.
- Interfacing with trans-dimensional \vec{z} space allow full propagation of uncertainty.

Benda X

ILINIO

Construction

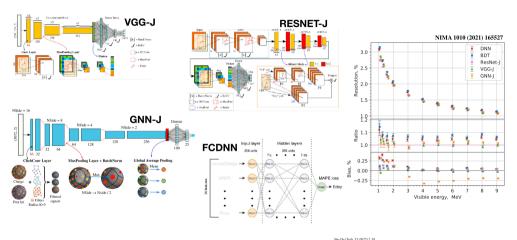
Reconstruction

Water Cherenk

MeV Event

GeV Even

End-to-end Neural Networks



Multiple ML models explored for the energy and vertex reconstruction for reactor neutrinos.
 (NIMA 1010 (2021) 165527, Eur.Phys.J.C 82 (2022) 11, 1021, Nucl.Sci.Tech. 33 (2022) 7, 93)

Benda X

JUNO

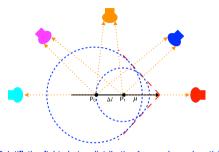
Construction

tion
Water Cherenko
Waveform
MeV Event

GeV Event

.

Atmospheric ν



Scintillation light photon distribution from a charged particle track in space and time is not isotropic



- PMTs at different angles wrt the track see distinct shapes of R(t)
- Exactly how R(t) looks depends on:
- Track direction;
- Track dE/dx...

PID...

Directionality

ullet Machine learning for GeV atmospheric u o Milo Charavet's talk

Benda X

JUNO 1

Construction

Reconstruction
Water Cherenke
Waveform
MeV Event

Conclusion

Probablistic machine learning

 Recent break-throughs e.g. diffusion model are synergy between probability, neutral network and physics.

Table: table of synonyms

Statistics	Computer Science	Physics
estimation	learning	determinate
classification	supervised learning	
clustering	unsupervised learning	
data	training sample	
covariates	features	
guess		estimate

- Wasserman, Larry. All of Statistics: A Concise Course in Statistical Inference. Springer, 2003.
- James, Frederick. Statistical Methods In Experimental Physics. 2nd edition. Wspc, 2006.

Benda X

JUNO u

Construction

Reconstruction

Water Cherenk
Waveform
MeV Event

Conclusion

Conclusion

Personal vision on ν experiments

- an inner machine learning and outer statistical approach.
 - the statistical part captures well-understood distributions.
 - the machine learning part handles complexity of the reality.
- ullet Andrea Serafini's talk on calibration and detector surrogates.

Benda Xı

JUNO u

Construction

Reconstruction

Water Cherenke
Waveform
MeV Event
GeV Event

Conclusion

Conclusion

Personal vision on ν experiments

- an inner machine learning and outer statistical approach.
 - the statistical part captures well-understood distributions.
 - the machine learning part handles complexity of the reality.
- ◆ Andrea Serafini's talk on calibration and detector surrogates.

Summary

- ullet u mass ordering motivate JUNO and machine learning studies.
- JUNO represents state-of-the-art of liquid scintillator detector.
- Liquid scintillator filling completed and data taking started.
- Expecting much excitement in physics!

JUNO collaboration since 2014

17 countries/regions, 74 institutes, >700 people.

Benda >

backup

Ledders of likelihood

Note	Algo. Name	Observable	Likelihood: $\kappa \leq K_T$	Likelihood: $\kappa > K_T$
Charge, Time, Maximum Likelihood Estimation	QTMLE (reference)	q (charge)	$\mathcal{L}(q_i \mu_i) = \sum_{k=1}^{+\infty} P$	$Q(q_i k)P(k,\mu_i)$
PE,Time, Maximum Likelihood Estimation	PETMLE (ideal)	k (true PEs)	$\mathcal{L}(k_i \mu_i) =$	$= P(k_i, \mu_i)$
Charge, Probability, Time, Maximum Likelihood Estimation	QPTMLE (realistic)	{p _k }, q	$\mathcal{L}(\lbrace p_k^i \rbrace \mu_i) = \sum_{k=0}^9 R_{K_T k} p_k^i P(k, \mu_i),$	
Charge,PE, Time, Maximum Likelihood Estimation	QPETMLE (100% accuracy)	k(p _k =1), q	$\mathcal{L}(k_i \mu_i) = P(k_i,\mu_i)$	$\mathcal{L}(q_i \mu_i) = \sum_{k=1}^{+\infty} P_{\mathcal{Q}}(q_i k)P(k,\mu_i)$
Charge,Confusion Matrix, Time, Maximum Likelihood Estimation	QCTMLE	κ (p _{κ} :max), q	$=\sum_{k=0}^{9}C_{k\kappa_{i}}\times P(k,\mu_{i})$	

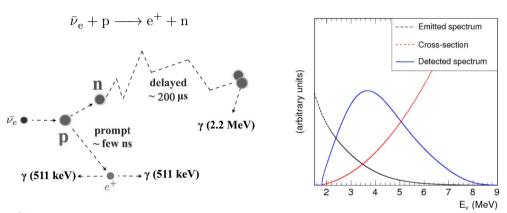
where μ_i is the expected nPEs for the i-th PMT, $P(k, \mu_i)$ is just₄ the Poission probability of observing k p.e. given μ_i and $P_Q(q_i|k)$

$$R_{K_T k} = \sum_{\kappa=0}^{K_T} C_{k\kappa},$$
confusion matrix $C_{kk'}$

Benda >

backup

$\bar{\nu}$ detection with inverse beta decay (IBD)

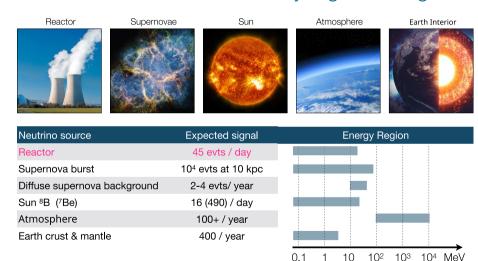


 e^+/γ scintillation light are collected by photomultipliers.

Benda X

backup

ν research enabled by large 20 kt target

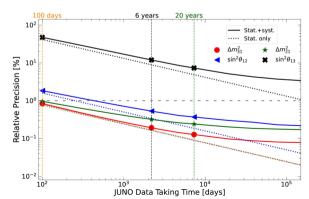


Precision Measurement of Oscillation Parameters

Sensitive to mass differences $\Delta m^2_{31}, \Delta m^2_{21}$ and mixing angles θ_{12}, θ_{13} .

$$\begin{cases} |\langle \nu_{e} | \nu_{1} \rangle| = \cos \theta_{13} \cos \theta_{12} \\ |\langle \nu_{e} | \nu_{2} \rangle| = \cos \theta_{13} \sin \theta_{12} \\ |\langle \nu_{e} | \nu_{3} \rangle| = \sin \theta_{13} \end{cases}$$

Non-unitarity $\sum_{i=1}^{3}\left|\left\langle \nu_{\mathrm{e}}\left|\,
u_{i}
ight
angle
ight|^{2}<1$ indicates the existance of N_{R} and $\left\langle \nu_{\mathrm{e}}\left|\,N_{\mathrm{R}}
ight
angle>0$.



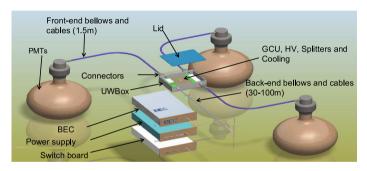
	PDG	JUNO
	2024	6 years
$\sin^2 \theta_{13}$	3.2%	12%
$\sin^2 \theta_{12}$	4.2%	0.5%
Δm^2_{21}	2.4%	0.3%
$\Delta m_{31}^{\bar{2}^{1}}$	1.1%	0.2%

Chin. Phys. C46 12, 1230001 (2022)

Benda X

backup

Underwater electronics system



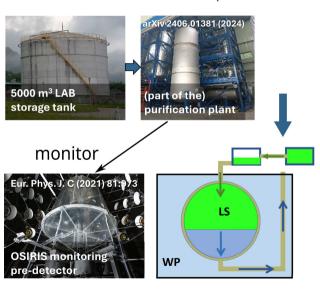
- The 1F3 system cases Splitter, HV FEC, ADC, GCU&FPGA underwater boxes
- · Two cable supply low voltage DC power, timing signal and data transfer



Benda 🤇

backup

Liquid scintillator handling system



- Attenuation length $> 20 \,\mathrm{m}$
- ${\rm U/Th} < 1 \times 10^{-15} \, {\rm g/g}$

procedures

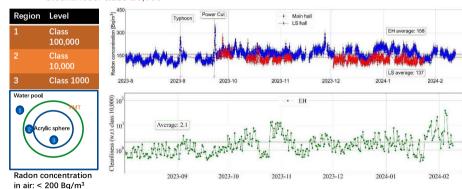
- Al₂O₃ for transperancy.
- Water extraction.
- Rn and O₂ gas stripping.

Benda >

backup

Radiopurity

- Average radon and cleanliness:
- ➤ Radon concentration: ~160 Bg/m³ in the EH, ~140 Bg/m³ in the LS hall
- Cleanliness: class 20,000



Benda X

backup

Removal of radio-purity preserving paper film



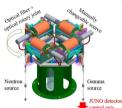
Water washing with hand picking.

Benda >

 ${\sf backup}$

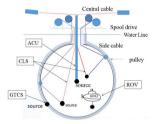
Calibration system

Automatic Calibration Unit (ACU)



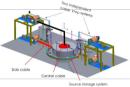
Guide Tube Calibration
System(GTCS)





Complementary for covering entire energy range of reactor neutrinos and fullvolume position coverage inside JUNO central detector

Cable Loop System (CLS)



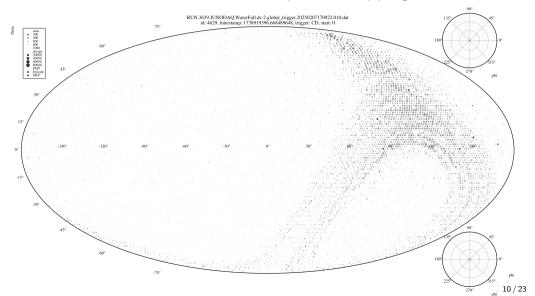
Remotely Operated under-liquid-scintillator Vehicles (ROV)



Benda X

backup

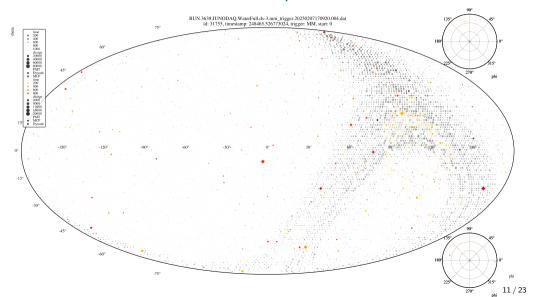
Water phase: stopping muon



Benda X

backup

Water phase: michel electron



Status of the detector

PMTs

- Gains are stable.
- 8 are dead, about 200 are unstable. (out of 17596)

Radiopurity

- 214 Bi/ 214 Po from 238 U chain and 212 Bi/ 212 Po from 232 Th chain
- $^{238} \text{U}/^{232} \text{Th}$ less than $1 \times 10^{-16} \, \text{g/g}$

backup

Water phase comparison with SK

- The fitted light-yield in water phase is $14.0 \pm 0.1 \text{MeV}^{-1}$
 - Higher PMT PDE than $SK\sim(16\%)$
 - Higher PMT coverage rate than $SK\sim(40\%)$
 - Smaller size of detector than SK
 - The light of SK is around 10MeV⁻¹

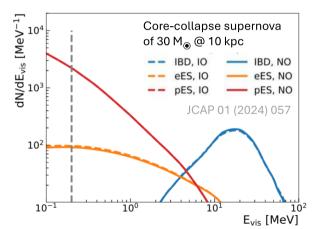
Benda 🗡

backup

Supernova burst neutrinos

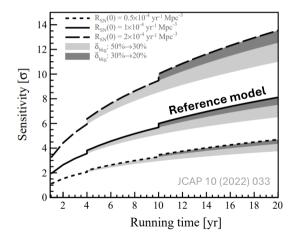
up to 10 kpc. supernova at the local cluster.

- supernovae observer
- pre-supernova alert



Supernova relic neutrinos

- Discriminate against atmospheric neutrino background;
- 5σ discovery potential with reference model.



Solar fusion process

• JUNO is an solar neutrino detector by elastic scattering on the electrons.

predictions of solar neutrino flux

- fusion cross sections are critical inputs
 - together with the abundance, temperature and gravity-radiation presure equation constitutes the standard solar model.

Cleanness of the detector

Solar sensitivity study.

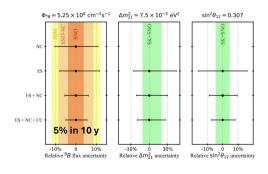
⁸B neutrinos

$$^{8}\mathrm{B} \longrightarrow {^{8}\mathrm{Be}^{*}} + \mathrm{e}^{+} + \nu_{e}$$

- capable to detect ⁸B in a model independent way.
- combination of charged and neutral on ¹³C.

$$^{13}\mathrm{C} + \nu_\mathrm{e} \longrightarrow ^{13}\mathrm{N} + \mathrm{e}^-$$

• measurement of θ_{12} and Δm_{12}^2 . Astrophys. J. 965.2: 122 (2024)

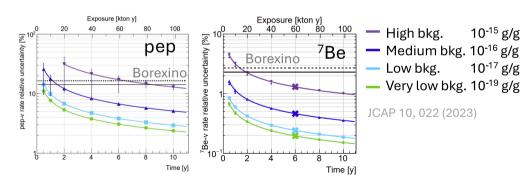


pep and $^7\mathrm{Be}$ neutrinos

$$^{7}Be + e^{-} \longrightarrow ^{7}Li + \nu_{e}$$

$$p + e^{-} + p \longrightarrow ^{2}H + \nu_{e}$$

• better than Borexino (state of the art) in 2 years.



backup

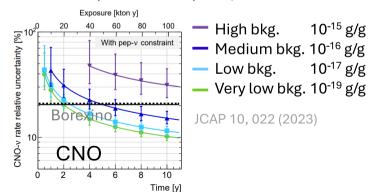
Neutrinos from CNO-cycle

$$^{13}N \longrightarrow ^{13}C + e^{+} + \nu_{e}$$

$$^{15}O \longrightarrow ^{15}N + e^{+} + \nu_{e}$$

$$^{17}F \longrightarrow ^{17}O + e^{+} + \nu_{e}$$

• better than Borexino (state of the art) in 6 years.

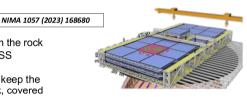


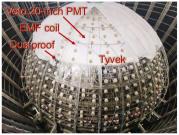
Benda X

backup

Veto

- Water Cherenkov + Top tracker
- Water Cherenkov detector
 - 35 kton water to shield backgrounds from the rock
 - Instrumented w/ 2400 20-inch PMTs on SS structure
 - Water pool lining: 5mm HDPE (black) to keep the clean water and to stop Rn from the rock, covered w/ tyvek
 - 100 ton/h pure water system
 Requirement: U/Th/K<10⁻¹⁴ g/g and Rn<10 mBq/m³, attenuation length>40 m, temperature controlled to (21±1) °C
- · Top tracker
 - Refurbished OPERA scintillators
 - 3 layers, ~60% coverage on the top
 - $-\Delta\theta \sim 0.2^{\circ}$, $\Delta D \sim 20$ cm
- · Earth Magnetic Field compensation coil





Benda X

backup

Non-zero ν mass beyond the standard model (BSM)

Non-zero m_{ν} is established as a solution to the solar neutrino problem.

Benda X

backup

Non-zero ν mass beyond the standard model (BSM)

Non-zero m_{ν} is established as a solution to the solar neutrino problem.

Indicates the existance of right-handed counterparts:

- Lorentz: try travel faster than a $\nu_{\rm L}$.
- Higgs: right-handed ν to have mass.

$$\begin{pmatrix} u_{\rm L} \\ d_{\rm L} \end{pmatrix} \longrightarrow \begin{matrix} u_{\rm R} \\ d_{\rm R} \end{matrix}$$

$$\begin{pmatrix} \nu_{e\rm L} \\ e_{\rm L} \end{pmatrix} \longrightarrow \begin{matrix} N_R^{\rm Majorana} \\ mass \end{matrix}$$

$$\mathcal{L} = rac{1}{2} M_{\mathsf{N}} \overline{N_{\mathsf{R}}^c} N_{\mathsf{R}} + Y_{
u} H \overline{L_{\mathsf{L}}} N_{\mathsf{R}} + \cdots + \mathsf{h.c.}$$

 $M_{
m N}\gg m_{
u}$ is the mass of majorana right-handed u.

Benda X

backup

Non-zero ν mass beyond the standard model (BSM)

Non-zero m_{ν} is established as a solution to the solar neutrino problem.

Indicates the existance of right-handed counterparts:

- Lorentz: try travel faster than a $\nu_{\rm L}$.
- Higgs: right-handed ν to have mass.

$$\begin{pmatrix} u_{\rm L} \\ d_{\rm L} \end{pmatrix} \longleftrightarrow \begin{matrix} u_{\rm R} \\ d_{\rm R} \\ \end{pmatrix}$$

$$\begin{pmatrix} \nu_{e\rm L} \\ e_{\rm L} \end{pmatrix} \longleftrightarrow \begin{matrix} N_R^{\rm Majorana} \\ mass \end{matrix}$$

$$\mathcal{L} = rac{1}{2} M_{\mathsf{N}} \overline{N_{\mathsf{R}}^c} N_{\mathsf{R}} + Y_{\nu} H \overline{L_{\mathsf{L}}} N_{\mathsf{R}} + \cdots + \mathsf{h.c.}$$

 $M_{
m N}\gg m_{
u}$ is the mass of majorana right-handed u.

The standard solar model defeated standard model of particle physics.

- Solar physicists won the battle against their particle colleagues;
- Particle physicists are excited to lose!

backup

The inevitable majorana term and seesaw mechanism

$$\mathcal{L} = \frac{1}{2} M_{\mathsf{N}} \overline{N_{\mathsf{R}}^c} N_{\mathsf{R}} + Y_{\nu} H \overline{L_{\mathsf{L}}} N_{\mathsf{R}} + \dots + \mathsf{h.c.}$$

Seesaw mechanism $m_{\nu} \propto 1/M_{\rm N}$ is a minimal extension to the standard model.

The inevitable majorana term and seesaw mechanism

$$\mathcal{L} = \frac{1}{2} M_{\mathsf{N}} \overline{N_{\mathsf{R}}^c} N_{\mathsf{R}} + Y_{\nu} H \overline{L_{\mathsf{L}}} N_{\mathsf{R}} + \dots + \mathsf{h.c.}$$

Seesaw mechanism $m_{\nu} \propto 1/M_{
m N}$ is a minimal extension to the standard model.

Clues to the difficult problems of physics, astronomy and cosmology:

- 1 How ν have mass and why the m_{ν} is so small (< 1 eV).
- 2 If lepton number is violated i.e. if there are majorana fermions in nature.
- 3 If leptogensis created the matter-antimatter asymmetry.
 - → the origin of matter preluding nucleosynthesis.
- 4 $\nu_{\rm R}$ is among the dark matter candidates.
 - \rightarrow gravitational evolution of galaxies.

Benda :

backup

The inevitable majorana term and seesaw mechanism

$$\mathcal{L} = \frac{1}{2} M_{\mathsf{N}} \overline{N_{\mathsf{R}}^c} N_{\mathsf{R}} + Y_{\nu} H \overline{L_{\mathsf{L}}} N_{\mathsf{R}} + \dots + \mathsf{h.c.}$$

Seesaw mechanism $m_{\nu} \propto 1/M_{
m N}$ is a minimal extension to the standard model.

Clues to the difficult problems of physics, astronomy and cosmology:

- **1** How ν have mass and why the m_{ν} is so small (< 1 eV).
- 2 If lepton number is violated i.e. if there are majorana fermions in nature.
- 3 If leptogensis created the matter-antimatter asymmetry.
 - → the origin of matter preluding nucleosynthesis.
- Φ $\nu_{\rm R}$ is among the dark matter candidates.
 - \rightarrow gravitational evolution of galaxies.

IUNO is the next milestone

to measure the ν mass spectra and falsify $\nu_{\rm I}$ - $N_{\rm R}$ mixing.

Benda X

backup

Filling timeline

