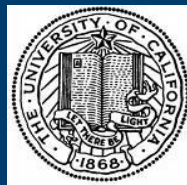


The Physics of Planck-scale Relics

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IPMU, December 2, 2025



PLANCK-TON

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Planck-Scale Relics: Existence, Abundance, and Detection

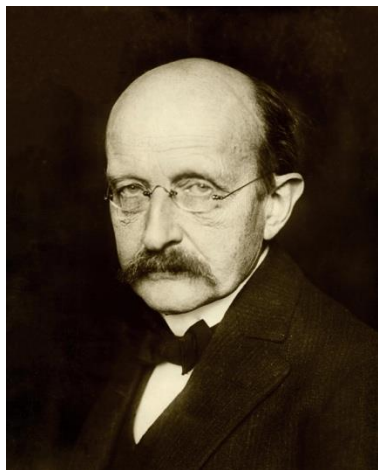
If **Hawking evaporation** ever occurs*,
and if **primordial BH** were ever produced**,
the Universe may be full of **Planck-mass leftovers** —
these **Plancktons** can be the **Dark Matter**,
and we might be able to **detect them**

* it does

** they were

What is the Planck scale?

$$G = \frac{hc}{2\pi M_{\text{Pl}}^2}$$



$$R_s = \frac{2Gm}{c^2}$$

Schwarzschild radius

$$\lambda = \frac{h}{mc}$$

Compton wavelength

$$R_s(M_{\text{Pl}}) = \frac{2hcM_{\text{Pl}}}{2\pi c^2 M_{\text{Pl}}^2} = \frac{h}{\pi M_{\text{Pl}} c} \sim \lambda(M_{\text{Pl}})$$

Standard Hawking Evaporation (Semi-Classical)

A field theory defined on a black-hole background is in a **thermal** state whose temperature at infinity is $T=M_p^2/M_{BH}$

Black holes radiate (~)like any **black body**, and, as such, shed their mass at a rate

$$\frac{dM}{dt} \propto A(T)T^4 \propto \frac{M^2}{M^4} \propto M^{-2}$$

[Stefan-Boltzmann]

The resulting runaway evaporation process gives a lifetime
“**Black Hole Explosion**”*

$$\tau \approx 407 \left(\frac{f(M)}{15.35} \right)^{-1} M_{10}^3 \text{ s.}$$

Black holes formed in the early universe, with a mass **below $M_U \sim 5 \times 10^{14}$ grams**, **$T \sim 100$ MeV** have exploded by **today**
WHAT DID THEY **LEAVE BEHIND**? **Nothing** or **Relics**?

Why Question Runaway Hawking Evaporation to $M \rightarrow 0$?

- (1) **Curvature becomes Planckian** \rightarrow Hawking quanta originate from modes blue-shifted by arbitrary, trans-Planckian factors
- (2) **Quantum backreaction** becomes uncontrolled
- (3) **String theory effects**: higher-curvature terms lead to a turnover in $T(M)$
- (4) **Information-theory** considerations: Planck-scale relics & information paradox

(1) The Trans-Planckian Problem in Hawking Radiation

Given Hawking **temperature** $T_H = \frac{\hbar \kappa}{2\pi k_B}$ and **curvature** $\kappa = \frac{c^3}{4GM}$

...a quantum detected by an **asymptotic observer** with energy $E_\infty \sim T_H$.

...corresponds to a **blue-shifted mode** emitted near horizon, an (as. observer's) time t before of frequency

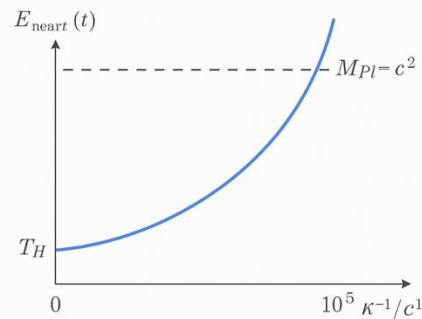
$$\omega_{\text{near}}(t) \simeq \omega_\infty e^{\kappa t} \sim \frac{T_H}{\hbar} e^{\kappa t}$$

the blue-shifted energy E_{near} is **Trans-Planckian** for at distances/times larger than $\ln(M_{\text{Pl}}/T_H)/\kappa$

$$E_{\text{near}}(t) \sim E_\infty e^{\kappa t} \gg M_{\text{Pl}} c^2$$

...for instance, for a **stellar mass** black hole, $\kappa \approx 5 \times 10^4 \text{ s}^{-1}$ and a mode with $E=T_H$ is trans-Planckian a backward time of only **$\sim 10^{-2}$ sec !!**

Trans-Planckian Problem via a single Hawking quantum



(2) The Quantum Backreaction Problem

Semiclassical **Einstein** equation: $G_{\mu\nu} = 8\pi G \langle T_{\mu\nu} \rangle_{\text{QFT}} = R_{\mu\nu} - \frac{1}{2}g_{\mu\nu}R,$

...**valid** if the quantum stress-energy is **small** compared to the **geometric source** term

$$\langle T_{\mu\nu} \rangle \ll \frac{1}{GL^2}, \quad \dots \text{where } L \text{ is the } \mathbf{local\ curvature} \text{ length scale } (L \sim r_s)$$

$$\text{Near the } \mathbf{Planck} \text{ scale, } \langle T_{\mu\nu} \rangle_{\text{Hawking}} \sim \frac{1}{GL^2}.$$

...hence quantum stress-energy becomes comparable to spacetime curvature
and **backreaction cannot be treated perturbatively**

Roadmap for the Talk

- **Existence:**
What does quantum gravity say about the *endpoint* of Hawking evaporation?
- **Abundance & cosmology:**
If small PBHs formed, what relic abundance do we get today? Do relics behave as cold dark matter?
- **Detection:**
Charges, discharge physics, recombination, high-frequency GWs, binary mergers, accelerator-array concepts (Windchime), etc.



Quantum Gravity Arguments for Remnants

In **quantum gravity** (string theory, LQG, etc.), high momentum means concentrating enough **energy** to **significantly curved spacetime** — eventually forming a *micro black hole*.

→ Below a certain scale (\approx Planck length),
probing **smaller** distances leads to **horizon formation**.

This leads to a **minimal measurable length**.

A widely used phenomenological **Generalized Uncertainty Principle** $\Delta x \Delta p \geq \frac{\hbar}{2} \left[1 + \frac{2\alpha' \ell_{\text{Pl}}^2}{\hbar^2} (\Delta p)^2 \right]$

- $\ell_{\text{Pl}} = \sqrt{\hbar G / c^3}$ is the Planck length,
- α' is a dimensionless parameter (~ 1) encoding the strength of quantum-gravity corrections.

The second term grows with momentum — preventing Δx from ever reaching zero.

Quantum Gravity Arguments for Remnants

$\Delta x \geq \frac{\hbar}{2\Delta p} + \alpha' \ell_{\text{Pl}}^2 \frac{\Delta p}{\hbar}$ yields several **consequences**:

(i) minimum physical/measurable length $(\Delta x)_{\min} = \ell_{\text{Pl}} \sqrt{2\alpha'}$.

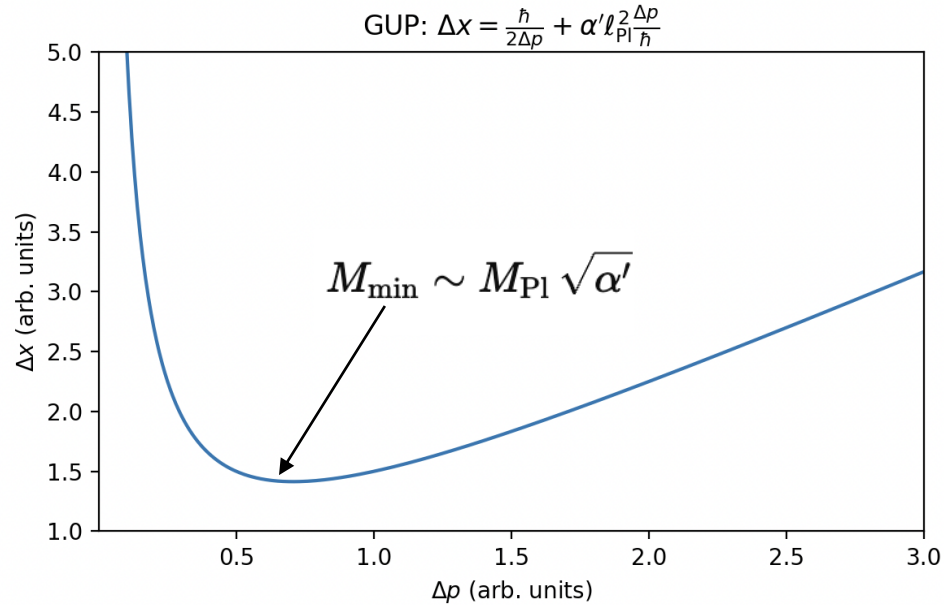
(ii) modified **Hawking temperature-mass** relation:

$$T_{\text{GUP}}^{(\text{cool})}(M) = T_H(M) \sqrt{1 - \frac{\alpha' M_{\text{Pl}}^2}{2M^2}}, \quad T_H(M) = \frac{\hbar c^3}{8\pi G M k_B}.$$

(iii) because T_H stops rising, **evaporation** effectively **halts** at $M_{\min} \sim M_{\text{Pl}} \sqrt{\alpha'}$

...yielding a **stable** or very long-lived **relic**

Quantum Gravity Arguments for Remnants



$$\Delta x \geq \frac{\hbar}{2\Delta p} + \alpha' \ell_{\text{Pl}}^2 \frac{\Delta p}{\hbar},$$

Quantum Gravity Arguments for Remnants

Loop quantum gravity treats **geometry** of spacetime as a **quantum system**

simplified (1D) version of LQG, replace momentum by a periodic “**polymerized**” function

$$p \rightarrow \frac{\sin(\mu p)}{\mu} \quad \text{where } \mu \text{ is the polymer scale, of order inverse Planck-length}$$

The corresponding modified **kinetic energy saturates** at high momentum (thus no infinite blueshift)

$$E(p) = \frac{\hbar^2}{2m\mu^2} \sin^2(\mu p)$$

The BH temperature reaches a finite maximum as $M \rightarrow M_{Pl}$

$$T_H^{(\text{poly})} = \frac{\hbar c^3}{8\pi G M k_B} \left(1 - \frac{\mu^2 M_{Pl}^2}{2M^2} + \dots \right).$$

...again, a **stable relic** arises

String Theory Higher-Curvature Corrections

In **string theory**, the Einstein–Hilbert action is just the *low-energy limit* of a richer effective action. It gets corrections in powers of the **string length** $\ell_s^2 = \alpha'$:

$$S = \int d^4x \sqrt{-g} \left(R + \alpha' R^2 + \alpha'^2 R^3 + \cdots \right).$$

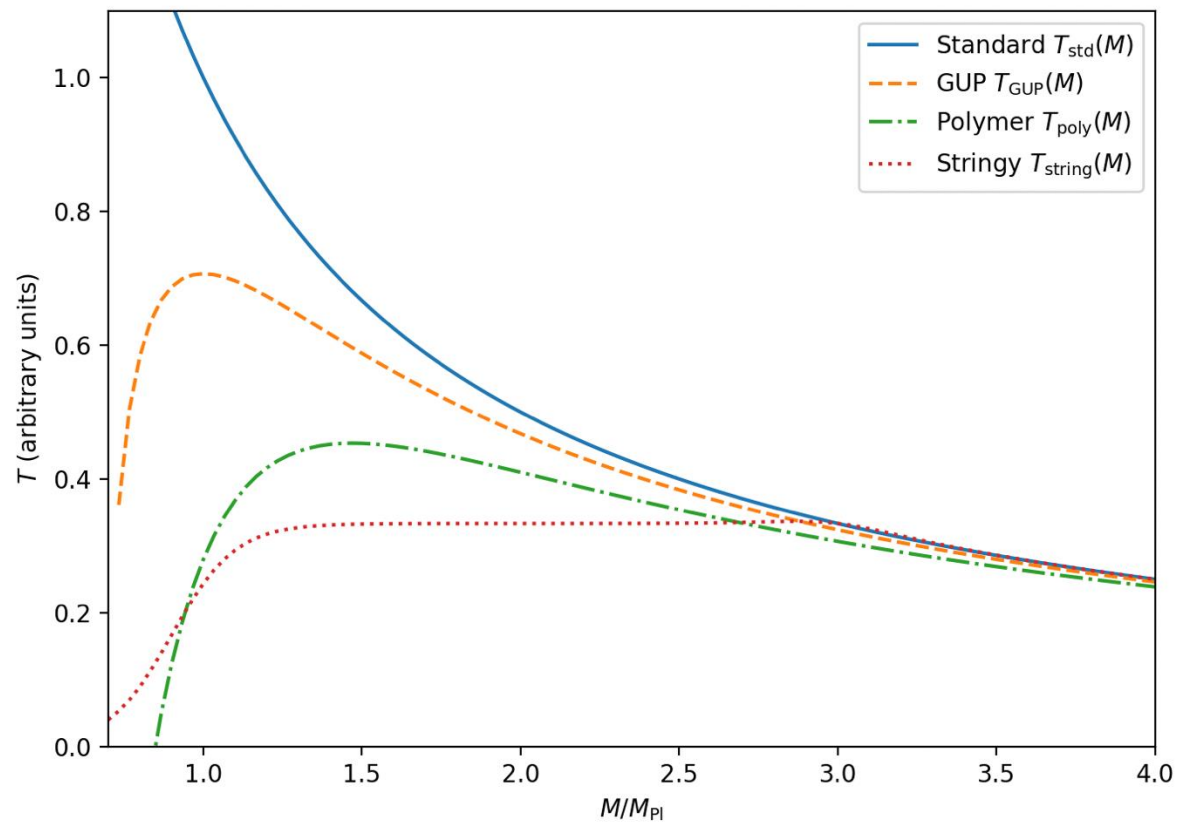
These higher-curvature terms encode effects of stringy excitations and quantum gravity at energies $E \sim 1/\ell_s$.

Temperature saturates around the string mass-scale M_s

$$T(M) \approx \begin{cases} \frac{1}{M} & (M \gg M_s) \\ T_{\text{max}} \text{ or constant} & (M \sim M_s) \\ 0 \text{ or small} & (M < M_s) \end{cases}$$

Depending on specific compactification/moduli content, long-lived or quasi stable objects arise as **string microstates**

Quantum Gravity Arguments for Remnants



Charged, Topological, and Quantum Hair-Stabilized Remnants

Even if neutral black holes fully evaporate, **charged BHs** do not

- If a BH carries gauge charge Q , extremality bound:

$$M^2 \geq Q^2 \quad (\text{in Planck units})$$

→ **electrically/magnetically charged remnants** with $M = |Q|$ are stable.

- **Magnetic monopole / dyonic charges:** relics protected by Dirac quantization.
- **Dark-sector gauge charges:** if charged under hidden $U(1)$ with heavy charge carriers, discharge is suppressed → stable charged relic.
- **Non-Abelian remnants** possible if evaporation cannot radiate certain topological charges.

Why Planck Relics Are Plausible - Summary

1. Semi-classical **Hawking evaporation cannot be extrapolated** to the Planck regime
2. Multiple **quantum-gravity** frameworks (GUP, LQG, String theory)
allow/predict stabilized relics
3. Gauge, topological, and dark **charges** can force long-lived or stable remnants
(barring discharge...)

If relics can exist, **how many** would we expect, and
how to they behave **cosmologically**?

Cosmological Planck Relics

- Early-Universe PBH population characterized by formation mass M_{PBH} and fraction $\beta(M)$.
- Each evaporating PBH leaves a relic mass $M_{\text{rel}} \sim \alpha M_{\text{Pl}}$.
- Total relic abundance today set by integrated mass converted into relics.

$$\Omega_{\text{rel}} h^2 \simeq \int dM \beta(M) \frac{M_{\text{rel}}}{M} \left(\frac{a_{\text{evap}}}{a_0} \right)^3$$

abundance at
a given mass

one relic per BH

redshift
dilution

Toy Calculation of Relic Abundance

$\beta(M)$ = fraction of the Universe's mass in PBHs of mass M **at formation**:

$$\beta(M) \equiv \frac{\rho_{\text{PBH}}(t_{\text{form}})}{\rho_{\text{tot}}(t_{\text{form}})}.$$

During radiation domination, the PBHs behave as matter, so their relative density increases $\propto a(t)$. By the time they evaporate, the PBH energy fraction has grown by roughly $(a_{\text{evap}}/a_{\text{form}}) \propto (t_{\text{evap}}/t_{\text{form}})^{1/2} \propto M^{1/2}$.

Hence, the relic density fraction today scales as:

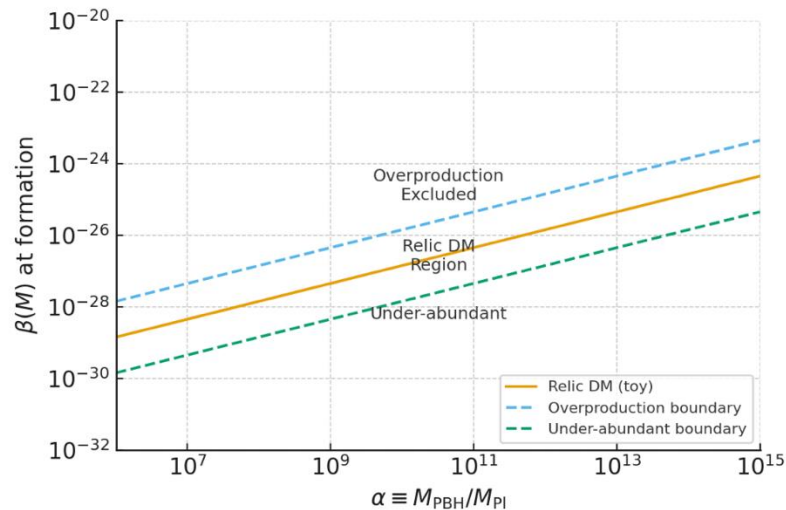
$$\frac{\Omega_{\text{rel}}}{\Omega_{\text{DM}}} \propto \beta(M) \left(\frac{M_{\text{rel}}}{M} \right) \left(\frac{t_{\text{evap}}}{t_{\text{form}}} \right)^{1/2}.$$

Both related to the initial mass!

Toy Calculation of Relic Abundance

1. PBH with mass M forms at t_{form} .
2. Evaporates at $t_{\text{evap}} \sim M^3$.
3. Leaves one relic of mass M_{rel} .

$$\frac{\Omega_{\text{rel}}}{\Omega_{\text{DM}}} \approx 0.3 \left(\frac{\beta(M)}{10^{-27}} \right) \left(\frac{M_{\text{rel}}}{M_{\text{Pl}}} \right) \left(\frac{10^5 \text{ g}}{M} \right)^{1/2}$$



Even tiny $\beta \sim 10^{-27}$ can saturate DM if $M \lesssim 10^5 \text{ g}$.

Relics provide a unique "fossil record" of very early PBH production.

initial PBH mass
[$10^{-2} \text{ g}, 10^{13} \text{ g}$]

Planck Relic Kinematics: Ultra-Cold Despite Endpoint Recoil

- Endpoint recoil:

Last Hawking quantum has $E \sim M_{\text{Pl}}$.

→ If $M_{\text{rel}} \sim \alpha M_{\text{Pl}}$, then $v_i \sim 1/\alpha$.

Even for $v_i \sim c$, early evaporation ensures extreme redshift.

Note: $z_{\text{BBN}} \sim 10^{10}$, $z_{\text{RH}} < \sim 10^{25}$

- Cosmological redshifting:

$$v_0 = \frac{v_i}{1 + z_{\text{evap}}}.$$

PBHs evaporating before BBN ($z_{\text{evap}} \gtrsim 10^{10-25}$) yield

$$v_0/c \lesssim 10^{-10-25}.$$

→ even with Planck-scale recoils (and neglecting random directions), and with late-time evaporation, **relics today are ultra-cold, collisionless** dark matter

Unlike for more massive PBH dark matter candidates, **no effects on structure formation** (e.g. Poisson, or small-scale enhancement from clustering)

How Could We Detect Planckton?

If Plancktons exist and form DM, what observable signatures could **reveal** them?

Detection avenues:

1. **Gravitational**: stochastic GW background from evaporation (and possibly mergers)
2. **Electromagnetic**: charged relics are detectable; but can a Planckton be charged?
3. **Direct mechanical probes**: precision accelerometers (Windchime)

Gravitational Waves from Evaporation

...**redshifting** is non-trivial, as PBH may come to **dominate** the universe's energy density...

$$t_{\text{eq}} \simeq \left(\frac{1 - \Omega_{\text{BH},i}}{\Omega_{\text{BH},i}} \right)^2 \frac{M}{M_{\text{Pl}}^2}$$

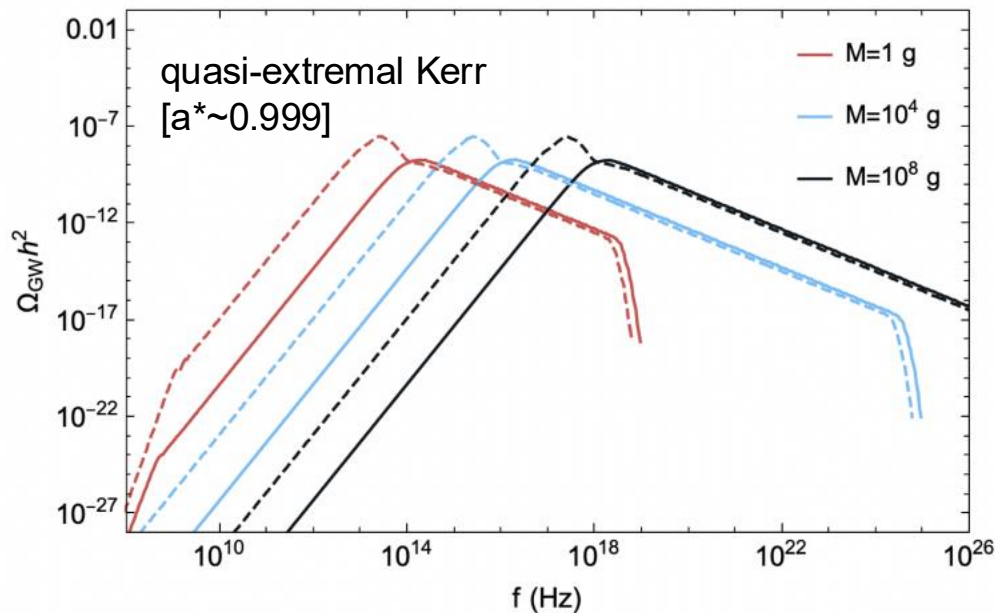
the resulting **redshifting** then is
$$a(t) = \begin{cases} a_i \left(\frac{t}{t_i} \right)^{1/2} & t \lesssim t_{\text{eq}} \\ a_i \left(\frac{t_{\text{eq}}}{t_i} \right)^{1/2} \left(\frac{t}{t_{\text{eq}}} \right)^{2/3} & t_{\text{eq}} \lesssim t \lesssim t_* \quad (\text{time of evaporation}) \end{cases}$$

We found simple expressions for the **peak frequency**
$$f_{\text{peak}} \simeq (1.8 \times 10^{16} \text{ Hz}) \left(\frac{M}{10^5 \text{ g}} \right)^{1/2}$$

and the **corresponding SED**
$$\Omega_{\text{GW}} h^2 \big|_{\text{peak}} \simeq 4.2 \times 10^{-7}$$

Note: **independent of initial conditions**, as long as PBH dominate universe's energy density; also independent of **initial PBH mass**!

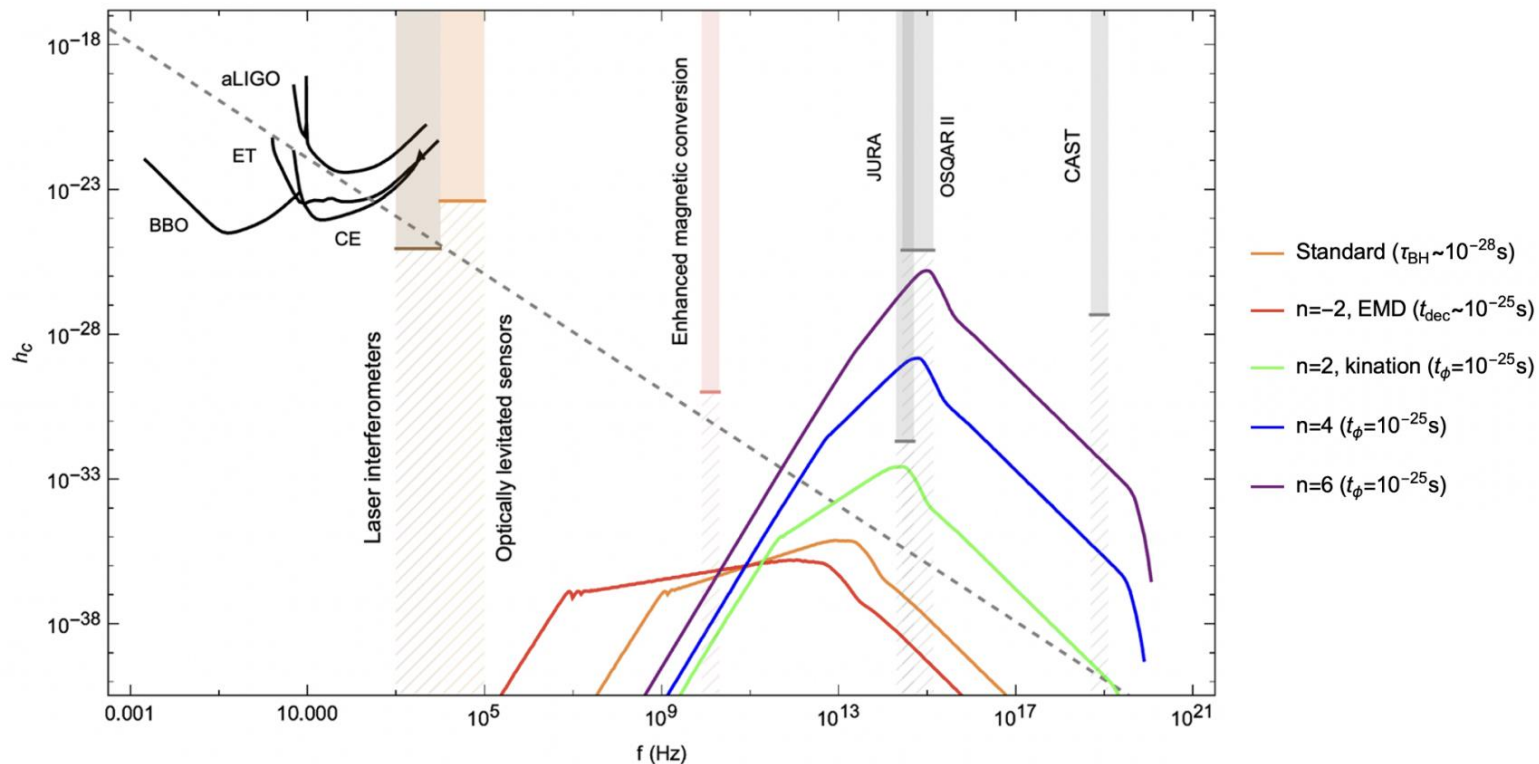
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Lowering the GW Frequency via Modified Cosmology



Lowering the GW Frequency via Extra Dimensions

Lowering the **fundamental scale of gravity** via large extra dimensions naturally moves GW frequencies into potentially measurable ranges

In models with Large Extra Dimensions (LED):

$$M_{\text{Pl}}^2 = R^n M_*^{n+2}.$$

Lower fundamental scale M_* \Rightarrow cooler Hawking temperature:

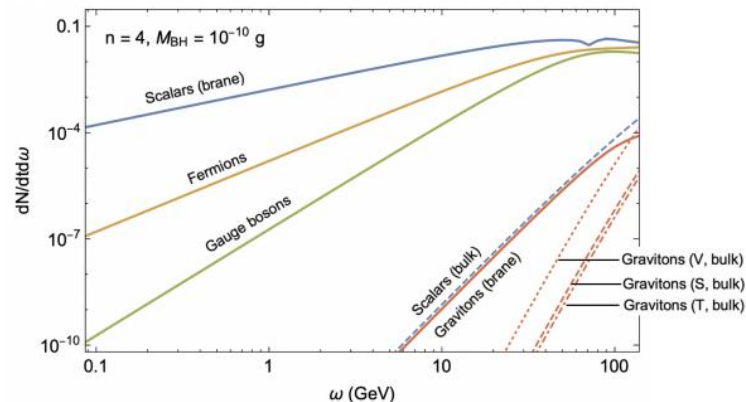
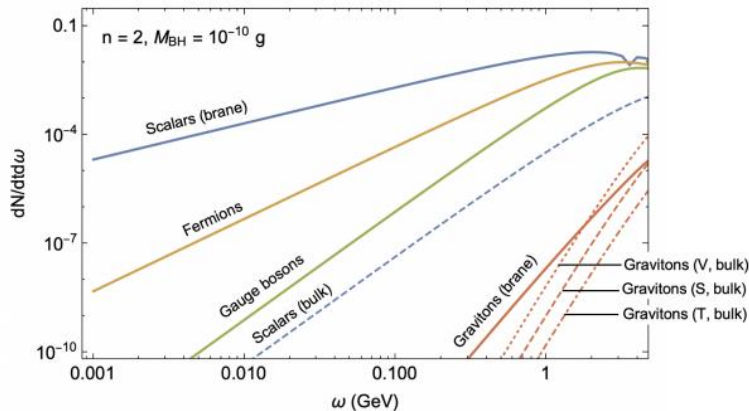
$$T_H \sim \frac{n+1}{4\pi r_h} \propto \left(\frac{M_*}{M}\right)^{1/(n+1)} M_*.$$

Hence the **emitted GW frequency** scales as

$$f_{\text{em}} \propto M_* \left(\frac{M_*}{M}\right)^{1/(n+1)}.$$

Lowering the GW Frequency via Extra Dimensions

Technical challenge: **grey-body calculation**, with graviton emission from the bulk from scalar, vector, and tensor perturbations



Lowering the GW Frequency via Extra Dimensions

...still getting low frequency gravitational waves is generally not easy

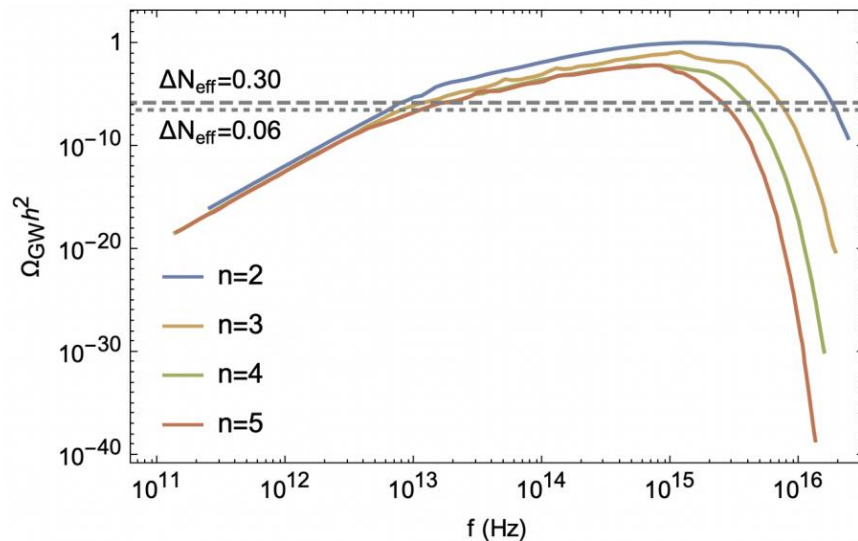
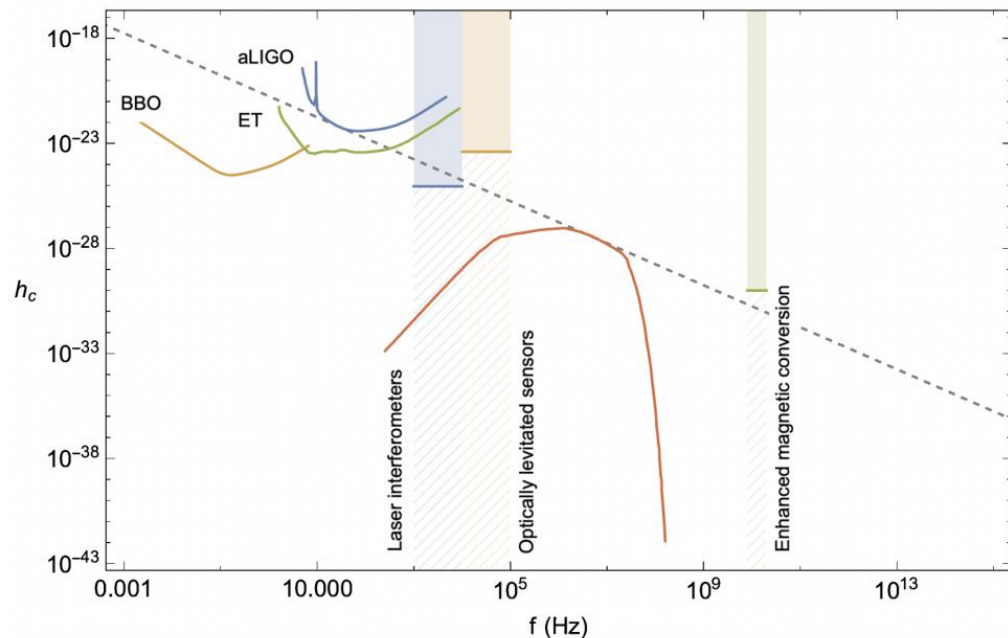


Figure 2. Gravitational wave spectra (in terms of the spectral density parameter $\Omega_{\text{GW}} h^2$) for various numbers of extra dimensions $n = 2, 3, 4, 5$ and a benchmark set of parameters: $M_* = 10^3$ TeV, $t_i = 10^{-30}$ s, $M = 1$ g, $T_{\text{re}} = 10^5$ GeV.

Lowering the GW Frequency via Extra Dimensions

...in the “best possible” scenario there may be a detectable signal

$$n = 2, \beta = 1, T_{\text{re}} = 16.5 \text{ GeV}, t_i = 10^{-30} \text{ s}, M_* = 10^3 \text{ TeV}, M = 10M_*$$



Gravitational Wave Emission: Mergers

Can Plancktons form **gravitational** bound states?

If they are neutral, **no**: even if **formed** at T_{RH} , and even if they are 100% of the DM today

...and the ratio decreases with redshift as $\sim 1/a$...

$$\left. \frac{\Gamma_{\text{bs}}}{H} \right|_{T_{\text{RH}}} \sim 10^{-36}$$

However, **binaries may form***, e.g. with a **dark charge**, **no dark plasma**, and $\alpha_D > 10^{-8}$

$$\sigma_{\text{cap}} \sim \pi \frac{\alpha_D^2}{M_{\text{Pl}}^2 v_{\text{BBN}}^4}.$$

$$\Gamma_{\text{bs}} \sim n_{\text{BBN}} \sigma_{\text{cap}} v_{\text{BBN}} \sim 1 \text{ s}^{-1}$$

* thanks to Philip Liu for pointing this out to me!

Gravitational Wave Emission: Mergers

...assuming binaries **form**, they **~immediately merge** via GW emission

$$t_{\text{GW}} = \frac{5}{256} \frac{a^4}{G^3 M^3} \quad \text{for } M=M_{\text{Pl}} \quad t_{\text{GW}} \simeq 10^{-42} \text{s} \left(\frac{a}{10 \ell_{\text{Pl}}} \right)^4$$

basically **instantaneous** for a dark coupling that leads to bound states, since the orbital separation

$$a_{0,D} \simeq \frac{2}{\alpha_D} \ell_{\text{Pl}}$$

the resulting **GW frequency** is then $f_{\text{GW}} \simeq 2f_{\text{orb}} = \frac{\Omega}{\pi} = \frac{\alpha_D^{3/2}}{2\pi}$ (in Planck frequency units).

$$f_{\text{Pl}} = \frac{1}{t_{\text{Pl}}} \simeq 1.85 \times 10^{43} \text{ Hz.}$$

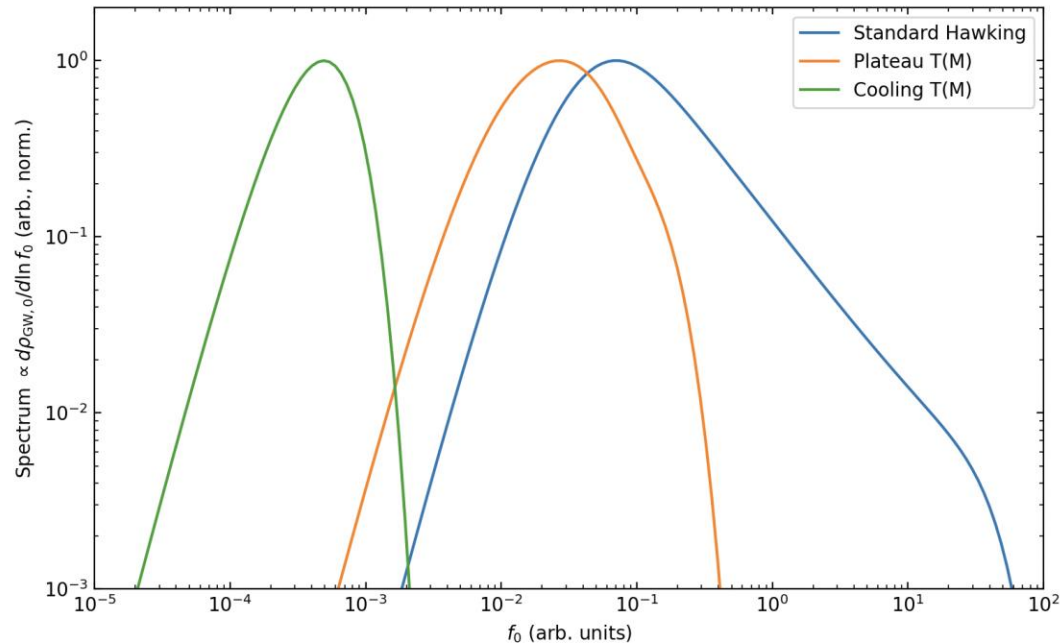
$$f_{\text{GW}}(\alpha_D) \simeq \frac{\alpha_D^{3/2}}{2\pi} f_{\text{Pl}} \approx 3 \times 10^{42} \alpha_D^{3/2} \text{ Hz.}$$

Any gravitationally bound pair of relics dies via rapid, **high-frequency GW emission**

Can high-freq. gravitational waves test Planck-scale physics?

Two sources: **evaporation** products + classical **inspiral** emission

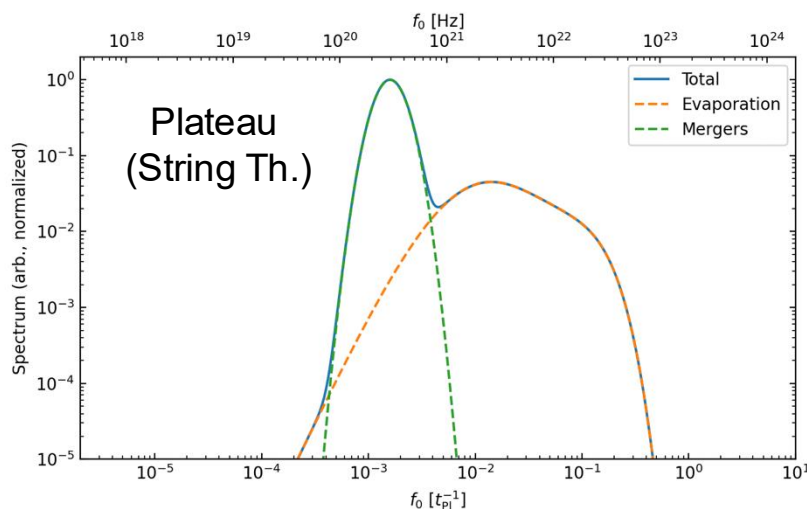
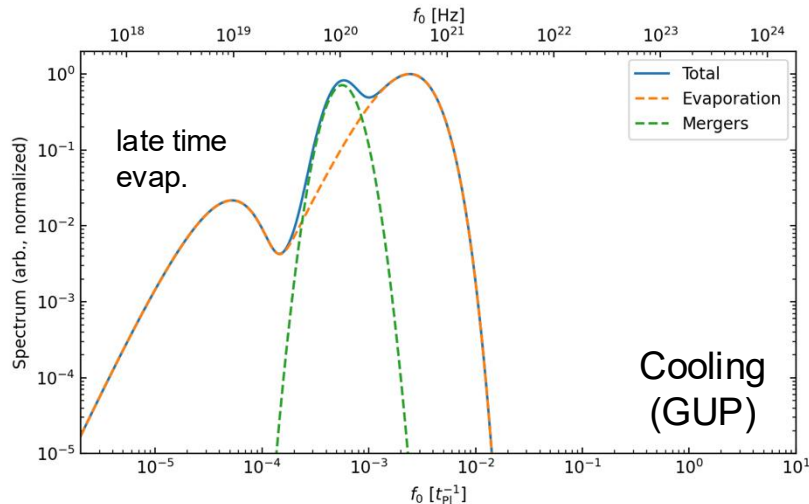
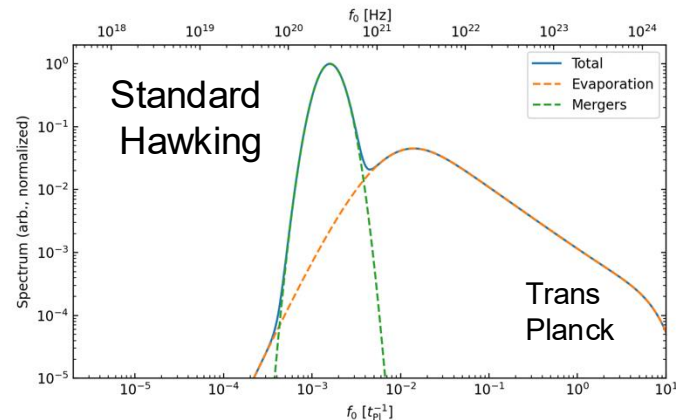
Assume modifications to **T(M)**: plateau (string theory), cooling via turnover (GUP)



Can high-freq. gravitational waves test Planck-scale physics?

Now include **mergers**...

...this is what the standard semi-classical Hawking evaporation looks like (for $M_i = 100 M_{\text{Pl}}$)



Charged Planckton?

If **evaporation stops** around the Planck scale, the relic PBHs can acquire a significant stochastic **relic** electric **charge**

(under simple **assumptions**) the
relic charge is
approximately **Gaussian***

$$P(Q) \sim \exp \left(-4\pi\alpha (Q/e)^2 \right)$$

$$(8\pi\alpha)^{-1/2} \approx 2.34$$

* Page, 1977

** Lehmann, Johnson, Profumo and Schwemberger, 1906.06348 (JCAP10(2019)046)

Neutralization by Coulomb + gravitational focusing

$$V(r) = -\frac{GMm_c}{r} - \frac{|qQ|}{4\pi\epsilon_0 r} \quad \text{c: electrons, protons}$$

$$\dot{N}(Z) = n_{\text{ch}} v \sigma(Z) = \frac{4\pi n_{\text{ch}}}{v^3} \left(GM + \kappa |Z| \right)^2, \quad \kappa \equiv \frac{e^2}{4\pi\epsilon_0 m_c}$$

$$t_{\text{neut}}(Z; M, n_{\text{ch}}, v, m_c) \equiv \sum_{k=1}^{|Z|} \frac{1}{\dot{N}(k)} = \frac{v^3}{4\pi n_{\text{ch}}} \sum_{k=1}^{|Z|} \frac{1}{(GM + \kappa k)^2}.$$

$$t_{\text{neut}}(Z) = \frac{v^3}{4\pi n_{\text{ch}} \kappa^2} \left[\psi_1\left(1 + \frac{GM}{\kappa}\right) - \psi_1\left(1 + \frac{GM}{\kappa} + |Z|\right) \right] \quad \psi_1(x) \equiv \frac{d^2}{dx^2} \ln \Gamma(x)$$

Euler's trigamma function

Neutralization by Coulomb + gravitational focusing

Coulomb-dominated $GM \ll \kappa$

$$t_{\text{neut}} \simeq \frac{\pi^2}{6} \frac{v^3}{4\pi n_{\text{ch}}} \left(\frac{4\pi\epsilon_0 m_c}{e^2} \right)^2$$

Gravity-dominated $GM \gg \kappa|Z|$

$$t_{\text{neut}} \simeq \frac{v^3}{4\pi n_{\text{ch}}} \frac{|Z|}{G^2 M^2}$$

Cross-over mass

$$M_{\star}(m_c) \equiv \frac{\kappa}{G} = \frac{e^2}{4\pi\epsilon_0 G m_c} = \frac{\alpha \hbar c}{G m_c} \simeq \begin{cases} 3.8 \times 10^{12} \text{ kg}, & m_c = m_e, \\ 2.1 \times 10^9 \text{ kg}, & m_c = m_p, \end{cases}$$

Neutralization by Coulomb + gravitational focusing

Epoch	z	typical (n_e, T)	$t_{\text{neut}}^{(+)}$ (electrons)	$t_{\text{neut}}^{(-)}$ (protons)
MeV era	$\sim 10^{10}$	$n_e \sim 10^{28} \text{ m}^{-3}, T \sim \text{MeV}$	$\sim 10^{-9} \text{ s}$	$\sim 10^{-7} \text{ s}$
Pre-recomb.	~ 2000	$n_e \sim 10^9 \text{ m}^{-3}, T \sim 5 \times 10^3 \text{ K}$	$\sim \text{minute}$	$\sim 40 \text{ minutes}$
Recombination	~ 1100	$x_e \sim 2 \times 10^{-4}, n_e \sim 7 \times 10^4 \text{ m}^{-3}$	$\sim 10\text{--}20 \text{ days}$	$\sim 1 \text{ yr}$
Dark ages	~ 100	$x_e \sim 2 \times 10^{-4}, n_e \sim 5 \times 10^2 \text{ m}^{-3}$	$\sim 0.5 \text{ yr}$	$\sim 20 \text{ yr}$
Reionization	~ 7	$x_e \rightarrow 1, n_e \sim 10^2 \text{ m}^{-3}, T \sim 10^4 \text{ K}$	$\sim 10^2 \text{ yr}$	$\sim 10^3 \text{ yr}$
IGM today	0	$n_e \sim 0.25 \text{ m}^{-3}, T \sim 10^4 \text{ K}$	$\sim 4 \times 10^4 \text{ yr}$	$\sim 1.6 \times 10^6 \text{ yr}$
WIM (ISM)	0	$n_e \sim 0.03 \text{ cm}^{-3}$	days	decades

*note that “atomic” states with bound electrons, protons **ionize** very quickly

$$\tau_{\text{ion}} \sim 10^{-9} \text{ s} \ll H^{-1}(T) \quad \text{for all } T \gg 10 \text{ eV.}$$

Neutralization by Schwinger discharge

Pair creation near the horizon generally expected to **kill residual charge**

- Local pair-production rate

$$w(E) \simeq \frac{(eE)^2}{4\pi^3} e^{-\pi m^2/(eE)}$$

- Integrated law \Rightarrow rapid charge loss until $E_h = E_{\text{crit}}$.
- **Residual charge:**

$$Q_{\text{stop}}^{(e)} = 4\pi \frac{m_e^2}{e} r_h^2 \Rightarrow Q_{\text{stop}}^{(e)}/e \sim 10^{-43} \text{ for } r_h \sim \ell_{\text{Pl}}$$

Discharge is suppressed, and charge persists, only for **very large masses**:

$$M_{\text{Sch}}^{(\text{ext})} \simeq \frac{c^4}{(4\pi\epsilon_0)^{1/2} G^{3/2} E_{\text{crit}}^{(e)}} \approx 1.1 \times 10^{36} \text{ kg } (\sim 5 \times 10^5 M_{\odot}).$$

at those masses, of course, **gravitational discharge** is very efficient

Quantum gravity and Schwinger discharge

Generally, discharge occurs in the **exterior** of the compact object, where Maxwell theory on a **smooth background** is reliable.
If anything, **QG principles favor discharge!**

1. **Exterior fields are classical** and obey Gauss's law, independently of horizon microstructure
2. **Semiclassical QED** near the horizon is **trustworthy**
3. **Weak-gravity conjecture**: at some point there should exist a superextremal state with $q/m > 1$ that opens discharge

Quantum gravity and Schwinger discharge

However, quantum gravity may well **shut off Schwinger** discharge!

1. Saturation / Cutoff of the Electric Field Near the Relic: Quantum-gravity effects could **smear out charge** over a minimal length \sim Planck scale, so that the field never exceeds some E_{max}
2. Schwinger formula assumes **local QFT on a smooth background**, Quantum gravity might render the vacuum response **non-local** on Planckian scales (e.g. fuzzball microstructure, wormhole “sponges”), so that a would-be strong local field cannot be treated as a constant background
3. Near Planckian curvature, the **effective charge** or **mass** of the electron could be **renormalized** by gravity in such a way that E_{crit} becomes too large
4. Suppose $U(1)_{\text{EM}}$ is **emergent**, and Gauss’s law or the field strength operator $F_{\mu\nu}$ ceases to be fundamental above some cutoff

...but what if **Schwinger discharge** is **shut off**?
What is the **maximal charge** that can survive?

Can Planck Relics Preserve their Charge (absent Schwinger)?

One possibility: relic is very **close to extremality**!

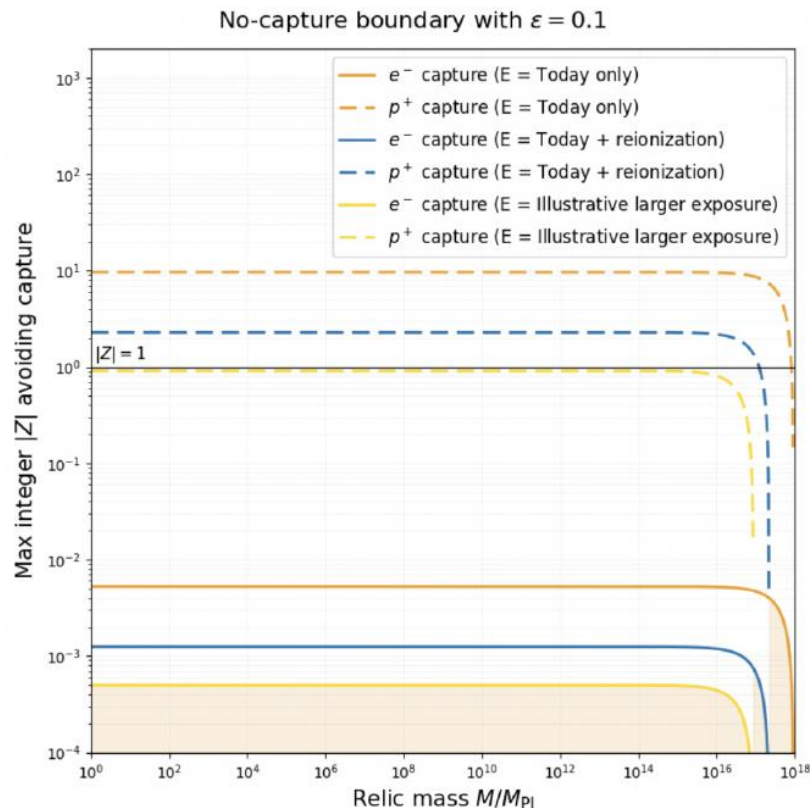
Define the parameter

$$\epsilon \equiv \frac{Mc^2 - |Q|\sqrt{G/(4\pi\epsilon_0)}}{Mc^2}$$

$$\epsilon = 1 - |Q|/M$$

e.g. with **extremality suppression** $\epsilon = 0.1$

negatively charged relics can have $Z \sim 1$, but
positively charged relics are definitely neutralized!

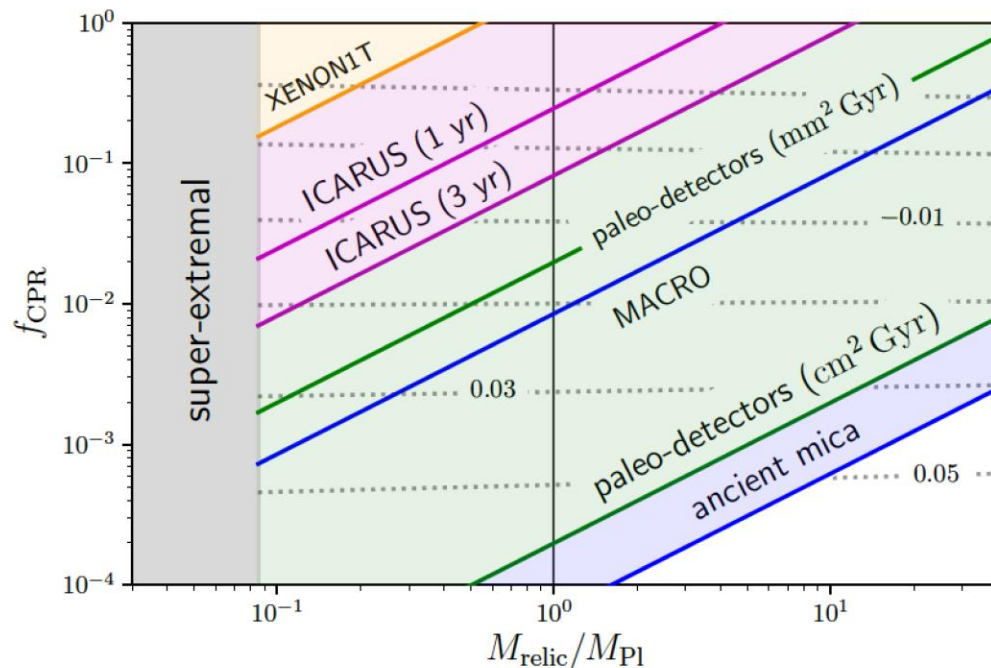


Only Viable Loopholes to have Charged Plancktons

Discharge is unavoidable except in **three scenarios**:

Mechanism	Requirement	Viability
(i) Near-extremal + no-Schwinger limit	$\epsilon \rightarrow 0$, pair creation turned off by quantum gravity	Highly fine-tuned

Charged Relic Detection: Electromagnetic Signatures



* Lehmann, Johnson, Profumo and Schwemberger, 1906.06348 (JCAP10(2019)046)

Mechanical Detection: Windchime Concept

Mechanical gravitational detectors like the proposed **Windchime** could probe Plancktons

Principle: detect **gravitational impulses** from passing relics using arrays of ultra-sensitive **test masses** in space

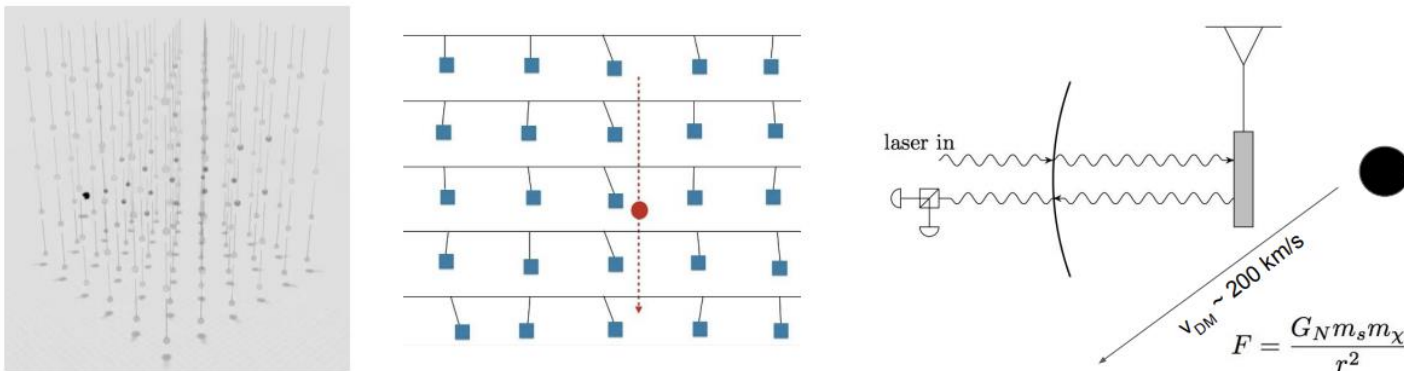
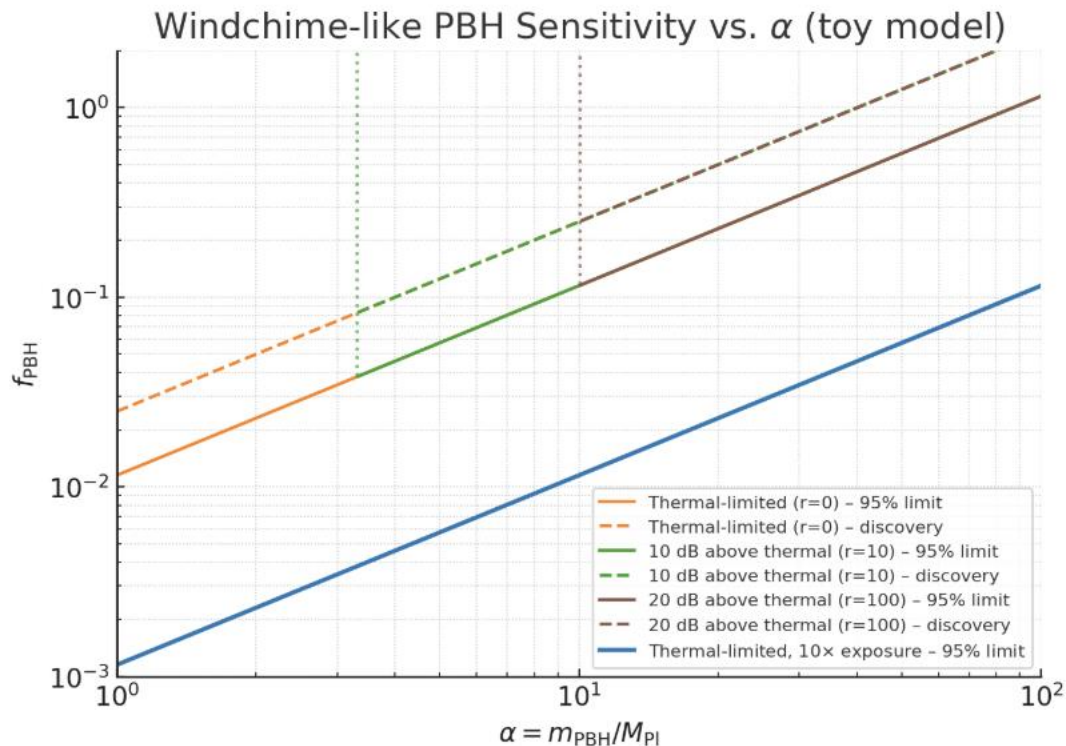


FIG. 1. Schematic illustration of the Windchime detector concept. Left: an array of mechanical sensors, here depicted as suspended pendula, with a potential DM track signal. Center: cross-section, emphasizing the “track” signal. Right: single-sensor depiction of a gravitational DM event. Here, for conceptual illustration, the sensor is depicted in a small optical cavity with laser readout. In practice, readout through either fibers or microwave transmission lines will be more convenient for a densely packed array.

Mechanical Detection: Windchime Concept



Best-case scenario:

- f_{PBH} down to $\sim 10^{-3}$
- **masses** up to $\sim 10^3 M_{\text{Pl}}$

Key Takeaways

(1) Existence:

- Quantum-gravity (GUP, LQG, string th.) \rightarrow stable or long-lived Planck-mass endpoints.
- Charged and darkly charged remnants possible; semi-classical extrapolation fails near M_{Pl} .

(2) Cosmology:

- PBH evaporation generically yields relics \rightarrow natural CDM candidate.
- Tiny $\beta(M) \sim 10^{-27}$ sufficient for Ω_{DM} .
- Relics are *ultra-cold* today regardless of initial recoil.

(3) Detection:

- Gravitational waves: very high frequency (evaporation/mergers); possible probe of QG?
- Charged Planckton: discharge very effective (three caveats); paleodetectors
- Mechanical detection: optimistically down to $f_{\text{PBH}} \sim 10^{-3}$ and $M \sim 103 M_{\text{Pl}}$

