

# AI/ML helps solving challenges in neutrino experiments?

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# My journey started in 2017

2017: Bachelor of Science in Astrophysics, UCLA

2017-2022: PhD student at ICRR/UTokyo

- + Super-Kamiokande (SK)
- + T2K
- + Hyper-Kamiokande

2022-2024: JSPS postdoc fellow at IPMU

- + WCTE
- + CIDEr-ML

2025~: Postdoc at SLAC/Stanford

# How and when did Mark happen?

Back in 2017 when I just started my PhD...



Junjie, UTokyo wants you to have a secondary supervisor. Let me introduce to you Prof. Mark Vagins.

Hello! It's me! And by the way in case you don't know, in 5 years I will also be your host for JSPS!



# The open questions for neutrinos

? The exact value of:

- CP violation phase  $\delta_{CP}$
- Mass ordering (MO)
- Mixing angle  $\theta_{23}$

Is it two small and one big masses (Normal Ordering) or one small two big (Inverted Ordering)?

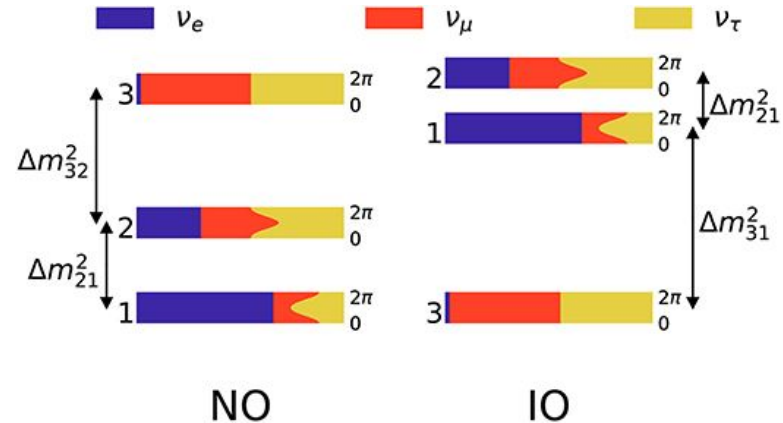
- Key constraints for various measurements including  $\delta_{CP}$ ,  $0\nu\beta\beta$ , etc.

? The absolute value of neutrino masses, and why

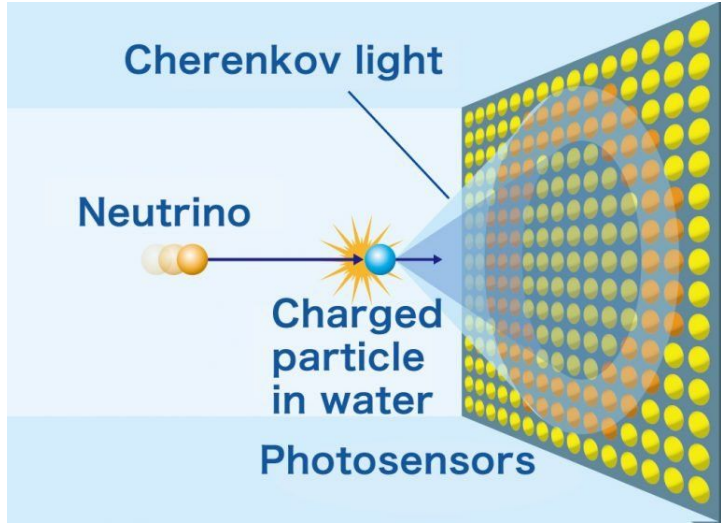
? The diffusive supernova neutrino background

? Coincidence of cosmic neutrinos and astrophysical events

...

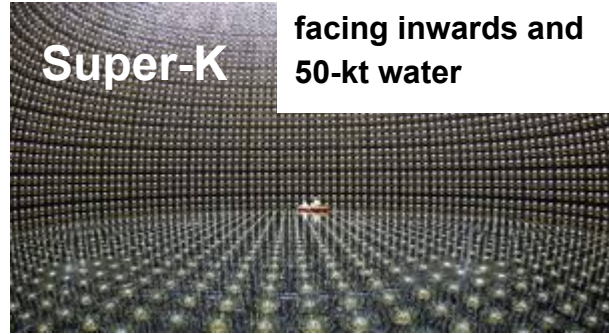


# Water Cherenkov detectors



<https://physicsopenlab.org>

Proven reliable technique and already approved roadmap to the future experiments.

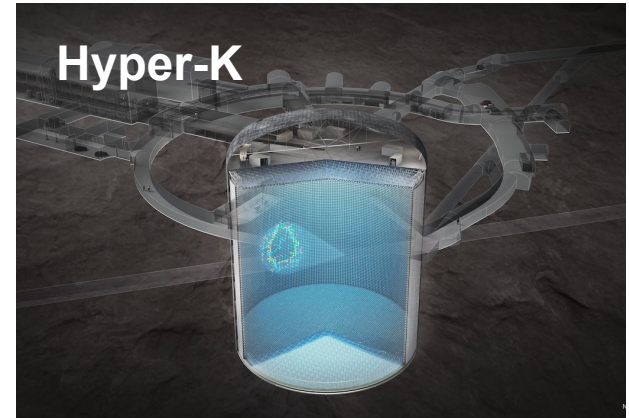
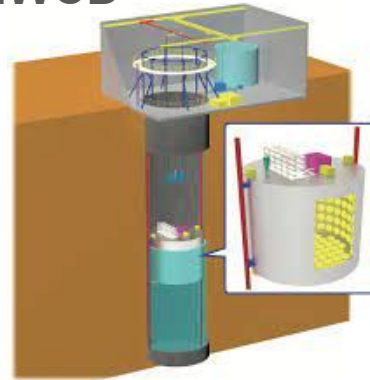


SK: ~11000 PMTs  
facing inwards and  
50-kt water

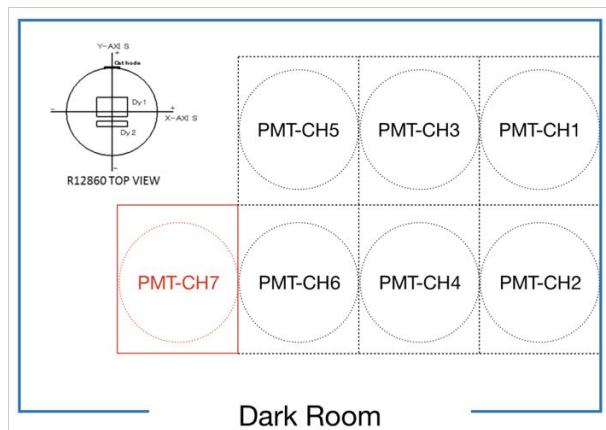
WCTE



IWCD

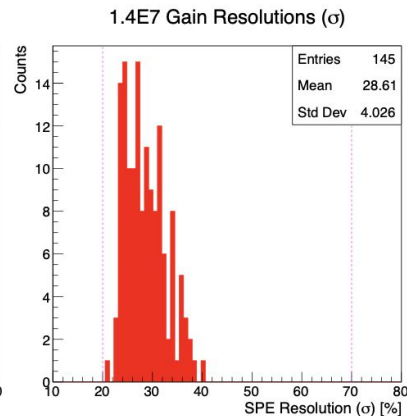
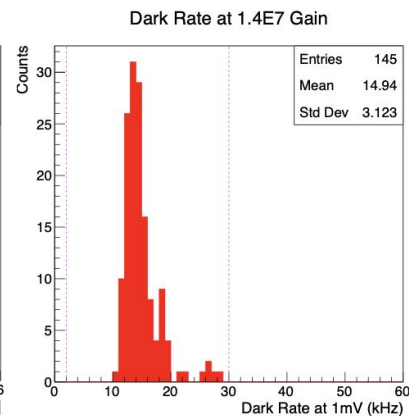
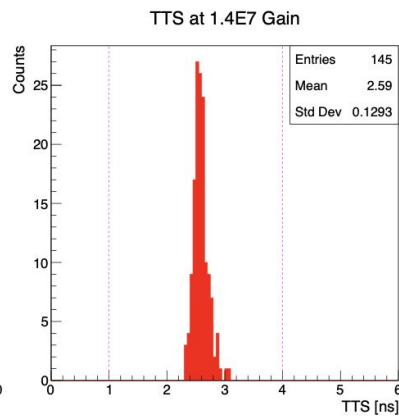
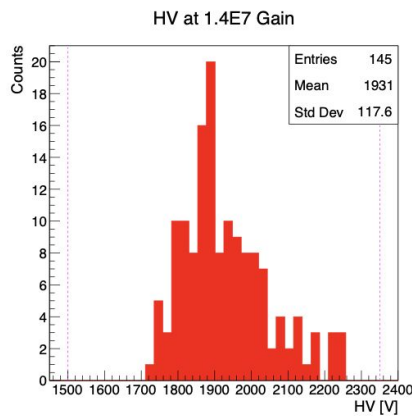


# (Ex-situ) Calibration of SK/HK



- First batch production of ~150 HK Box&Line PMT prototypes
- First on-SK-site calibration of HK PMTs
- First HK PMT prototypes in running physics experiments

[J.Xia et al., JPS Conf. Proc. 27, 012002 \(2019\)](#)



# (In-situ) Calibration of SK/HK

Geometry

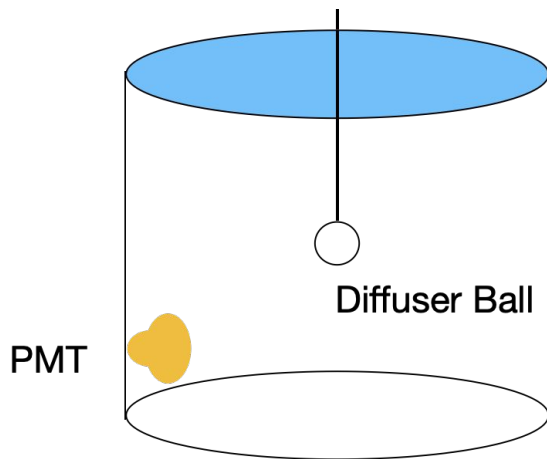
Cherenkov physics

Water properties (light scattering, absorption)

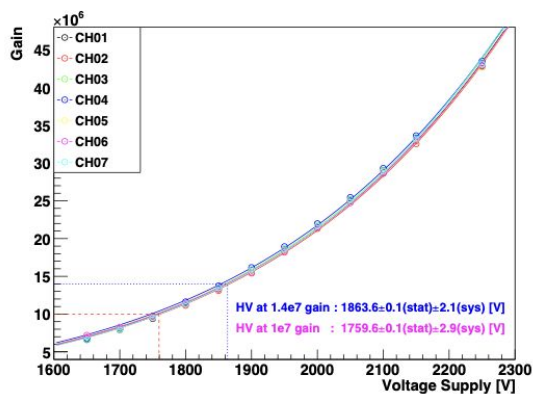
PMT and wall reflectivity

Residual magnetic fields

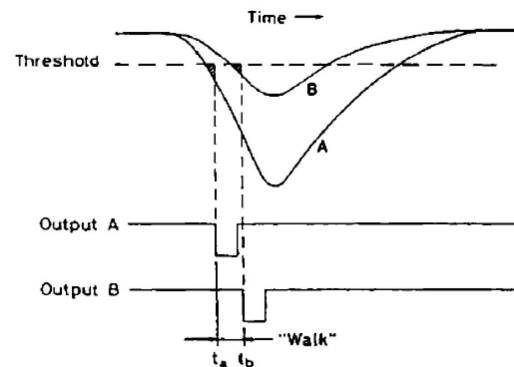
PMT+electronics  
response



PMT



E.g. 1. New PMT voltage supplies determined by a new calibration method.



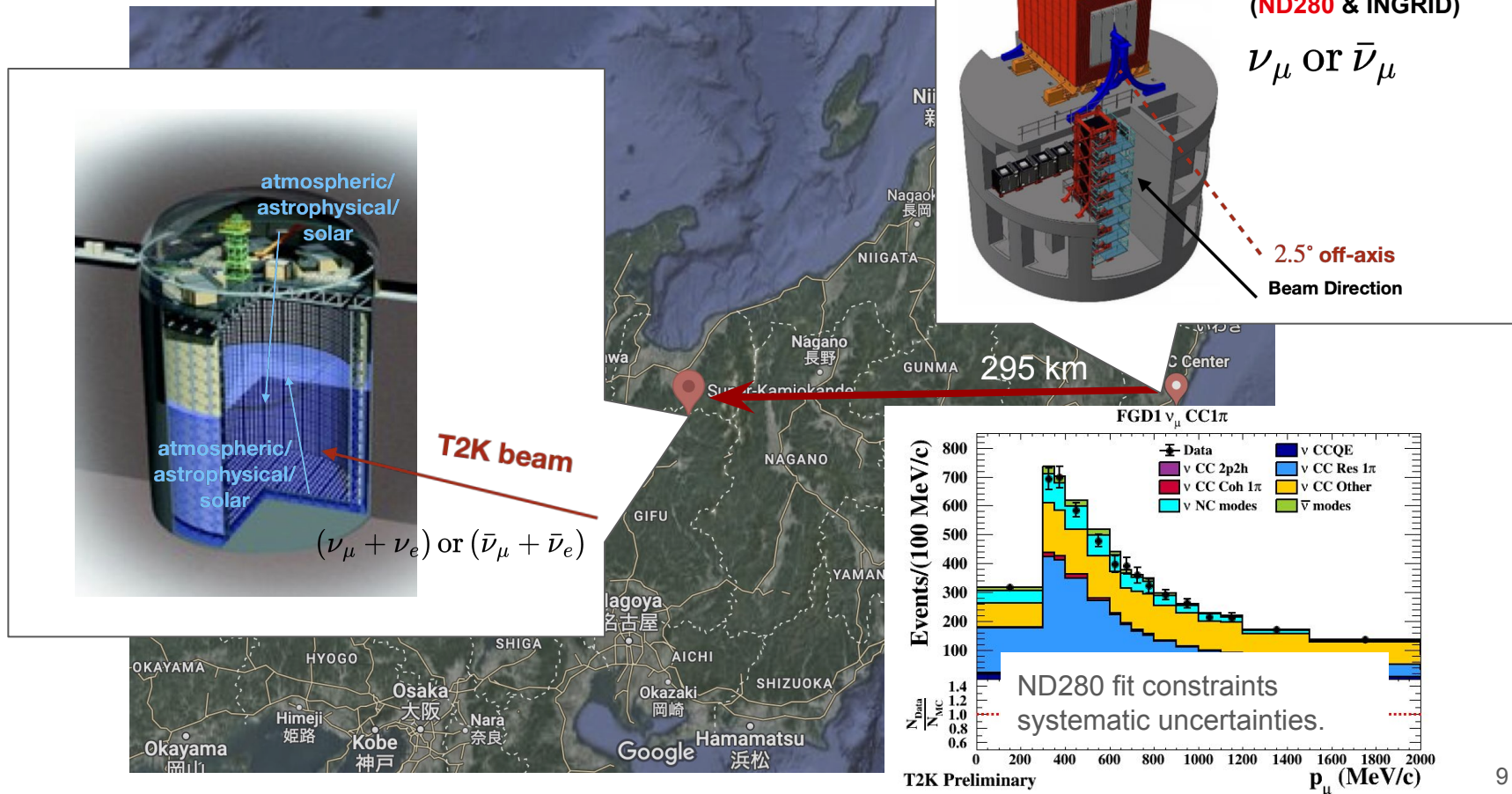
E.g. 2. A look-up table of the correlation between each PMT's charge and timing responses, i.e. correction of the "time walk" effect in the electronics.

By 2019, the SK detector was refurbished and ready for Gd loading





# SK and T2K

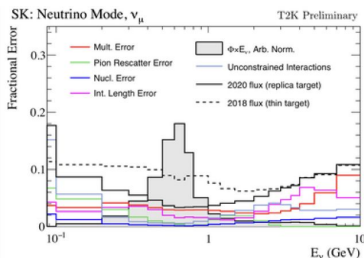


# The SK-T2K Joint Fit

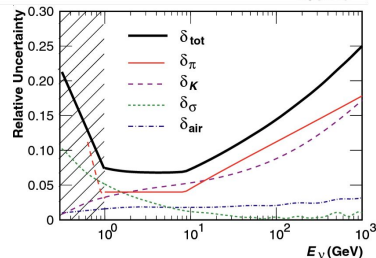
- SK and T2K are complementary in the sensitivity to  $\delta_{\text{CP}}$  and MO. (The two experiments run almost independently of each other even though they share the same detector.)
  - Avoid bias from model dependence.
  - More statistics with coherent analysis models.

In a nutshell...

[C. Bronner@Neutrino 2022](#)  
[J. Xia@NOW2022](#)

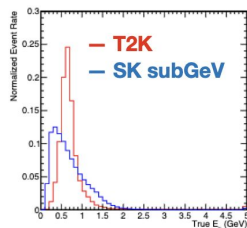


The beam and atmospheric **flux models** are not correlated.

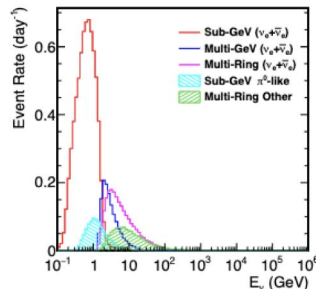


M. Honda, PHYSICAL REVIEW D 75, 043006 (2007)

T2K ND constraints on the **cross section** parameters of the neutrino samples of similar energy. The SK model is used without ND constraints for high energy samples.

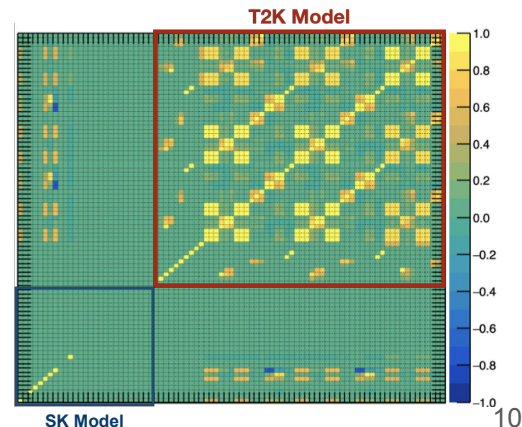


(A) *e*-like CCQE

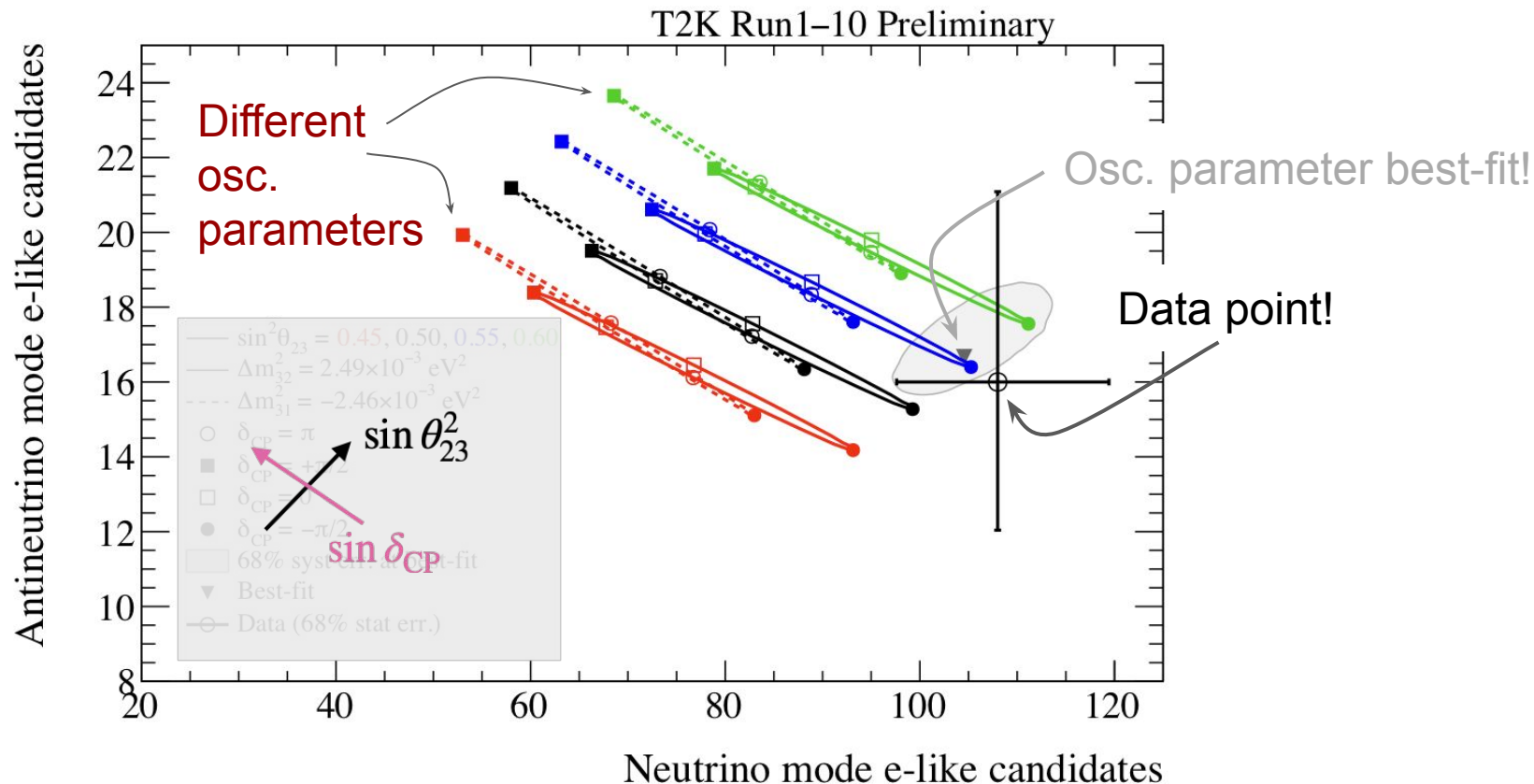


*\* a few ad-hoc systematics invented*

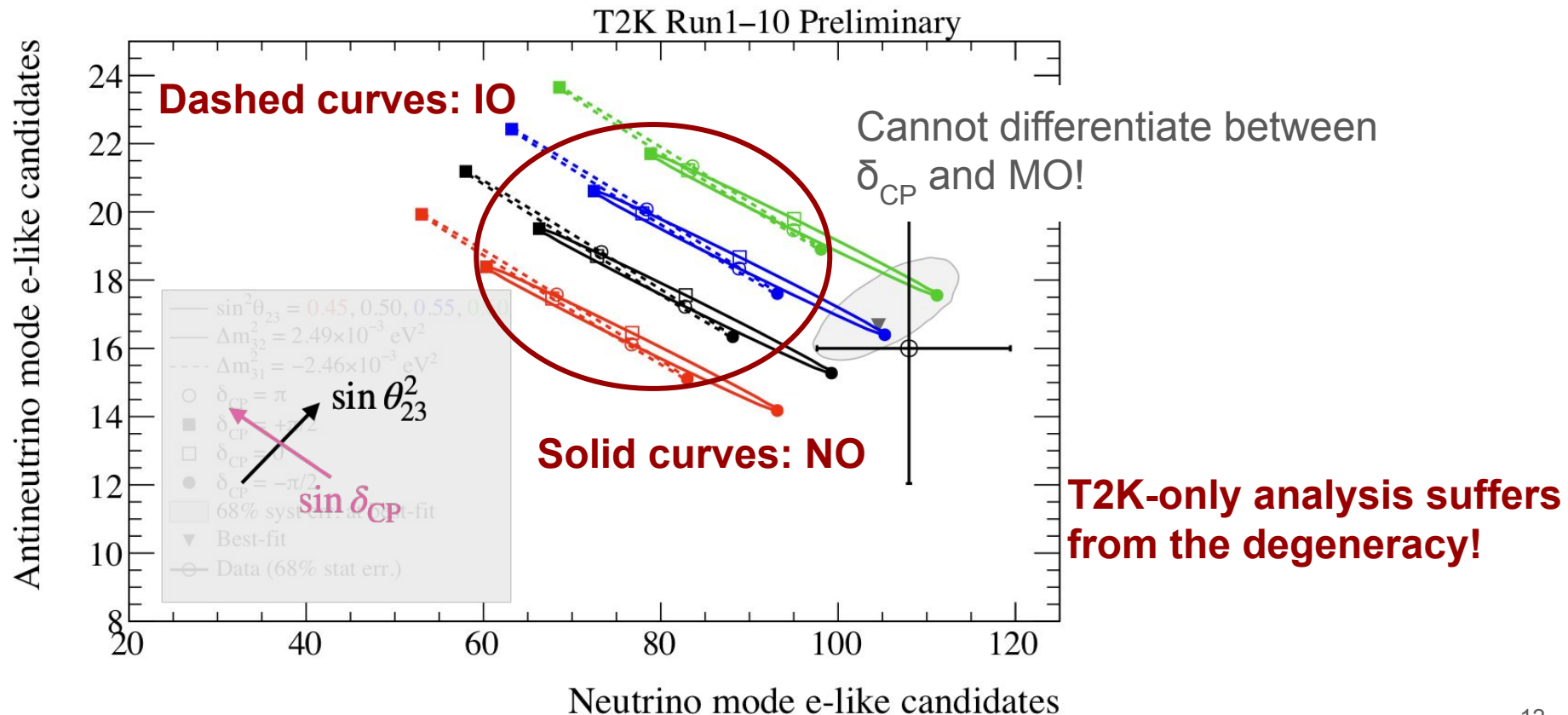
Correlated **detector systematic uncertainties** based on the existing ones from SK and T2K respectively.



# SKT2K Joint Analysis breaking $\delta_{CP}$ -MO degeneracy

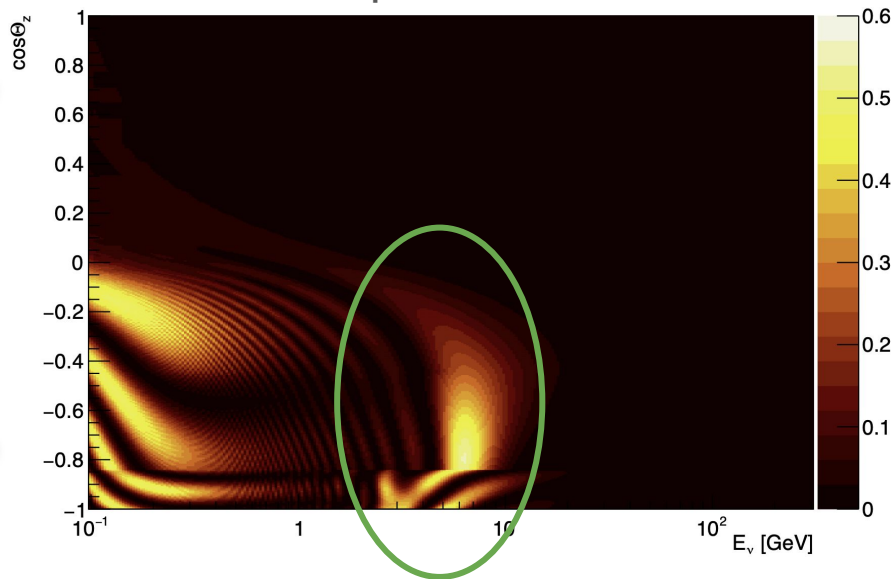


# SKT2K Joint Analysis breaking $\delta_{CP}$ -MO degeneracy



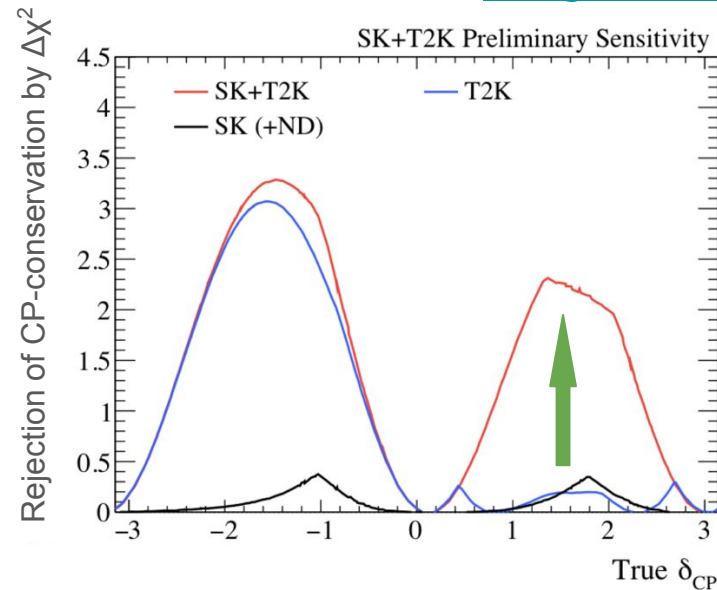
# SKT2K Joint Analysis Breaking $\delta_{\text{CP}}$ -MO degeneracy

In SK atmospheric:



Oscillation resonance of few GeV neutrinos in the earth core and mantle provides sensitivity to MO: resonance in neutrinos if NO and anti-neutrinos if IO.

[J. Xia@NOW2022](#)

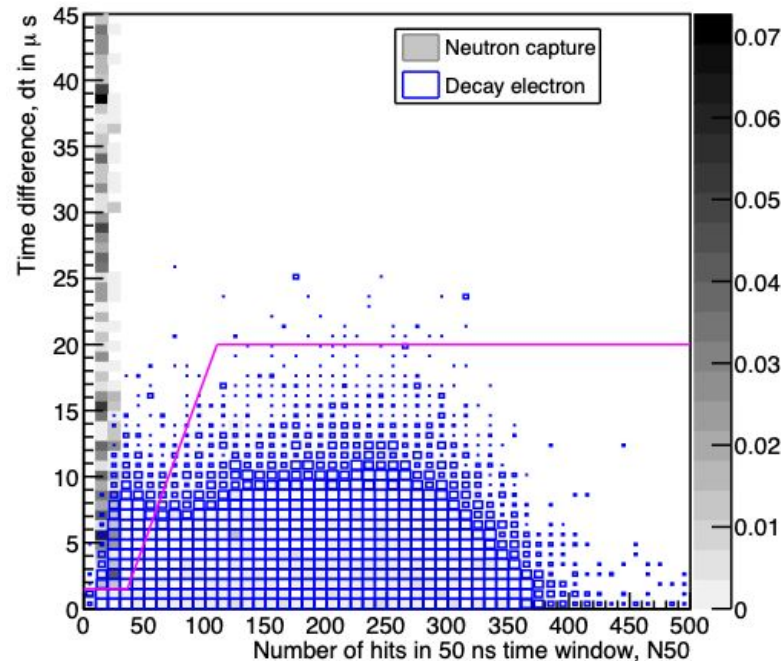


Sensitivity for rejecting the CP-conserved hypothesis at different true  $\delta_{\text{CP}}$  values

Truth:  $\Delta m_{21}^2 = 7.53 \times 10^{-5} \text{eV}^2$ ,  $|\Delta m_{32,31}^2| = 2.509 \times 10^{-3} \text{eV}^2$ ,  
 $\sin^2 \theta_{23} = 0.528$ ,  $\sin^2 \theta_{12} = 0.307$ ,  $\sin^2 \theta_{13} = 0.0218$

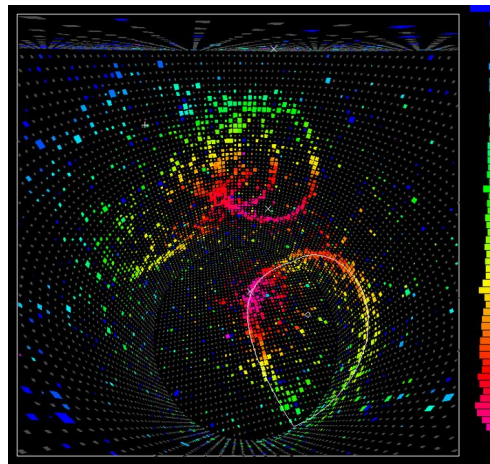
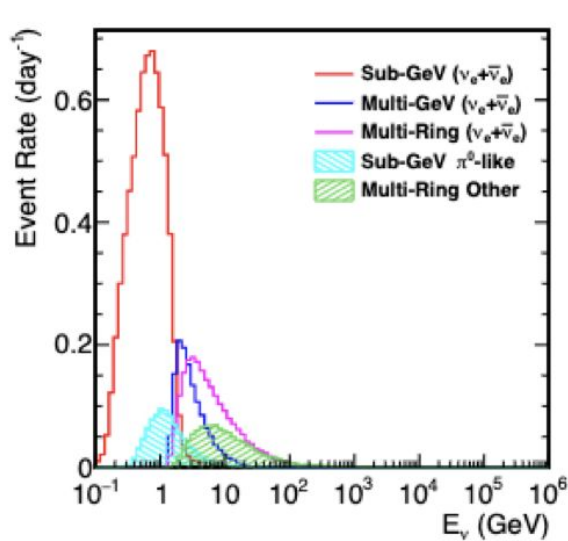
# Gd in the T2K oscillation analysis

- Enhanced neutron tagging efficiency creates similar delayed secondary signals to those from Michel electrons
- Nudged the T2K sample selection criteria a bit to exclude these new candidates

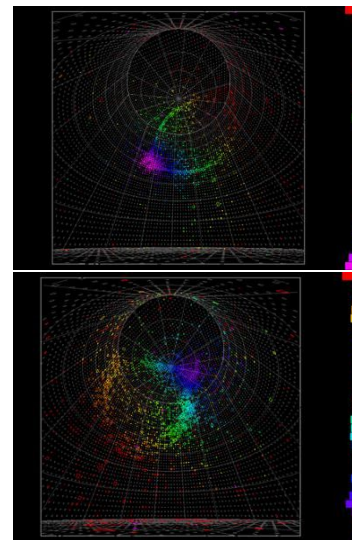




# More rings more stats, yet more challenges



Higher  $\nu$  energy



single-ring  
 $\mu$ -like

single-ring  
e-like

- Differences in ring topology provide PID information
- PMT charge and timing information for ring reconstruction and energy deposition calculations ( $\nu$  energy reconstruction if  $\nu$  direction is known, e.g.  $\nu_\mu$  beam)

# The state-of-the-art fitter: FiTQun

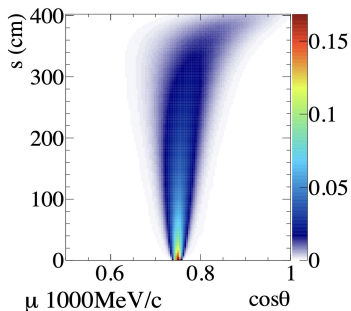
$$L(x) = \prod_j^{unhit} P_j(unhit | x) \prod_i^{hit} \{1 - P_i(unhit | x)\} f_q(q_i | x) f_t(t_i | x)$$

Combined likelihood function of all PMTs for event hypothesis  $\mathbf{x}$

Probabilities of a single photosensor registering hits from this event;  $i$  and  $j$  iterates through the hit/unhit PMTs respectively.

Comparing observed charge  $q$  and time  $t$  to the predictions by hypothesis  $\mathbf{x}$ .

## The infamous tuning:



$$\mathbf{x} \rightarrow \mu^{dir} + \mu^{sct}$$

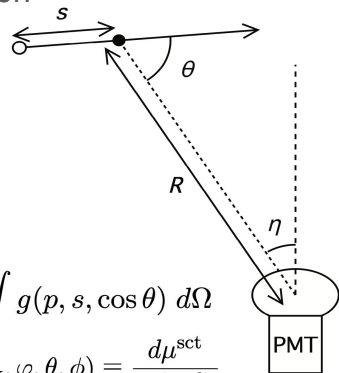
$$\mu^{sct} = \Phi(p) \int ds \frac{1}{4\pi} \rho(p, s) \Omega(R) T(R) \epsilon(\eta) A(s)$$

$$\mu^{dir} = \Phi(p) \int ds g(p, s, \cos \theta) \Omega(R) T(R) \epsilon(\eta)$$

$$\rho(p, s) \equiv \int g(p, s, \cos \theta) d\Omega$$

$$A(s) = A(x_{PMT}, z_{vtx}, R_{vtx}, \varphi, \theta, \phi) \equiv \frac{d\mu^{sct}}{d\mu^{iso, dir}}$$

In practice the likelihood depends on PMT mean predicted hit charges.



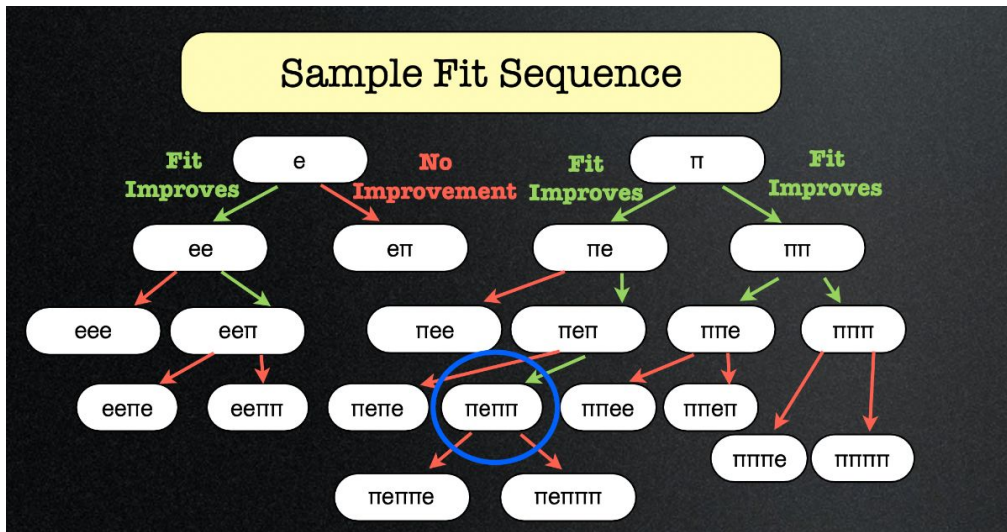


## The state-of-the-art fitter: FiTQun

## PID in fiTQun:

M. Wilking

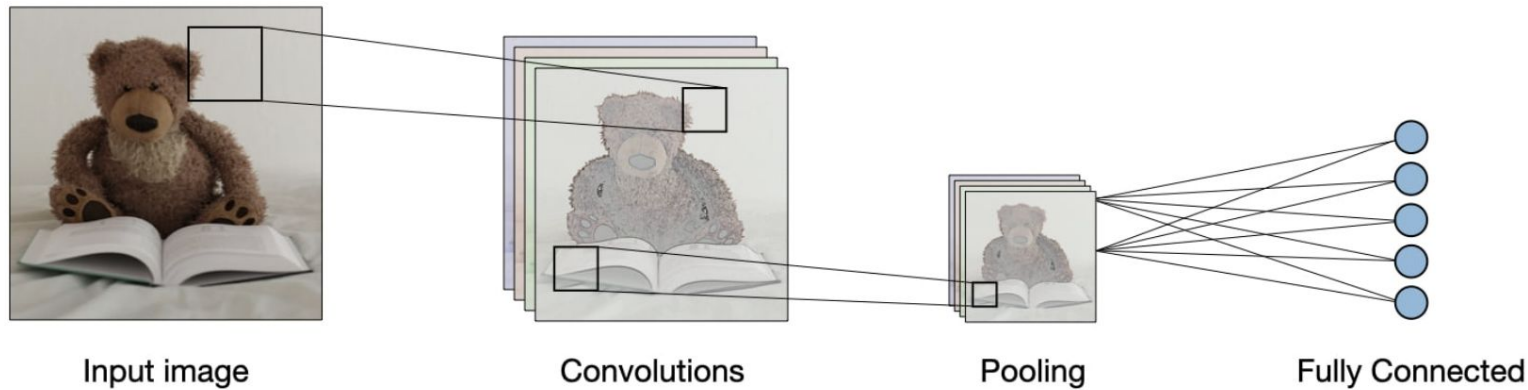
- FiTQun can currently reconstruct up to 6 rings in a staged approach
  - Each step sequentially adds a “track-like” ( $\pi^+$ ) or “shower-like” (e) ring
  - The chain terminates when adding a ring does not sufficiently improve the fit



$O(1)$  sec for single-ring events, and  **$O(1)$  min** for the multi-ring!

# What is cnn and why it's powerful

Usual architecture of a Convolutonal Neural Network



CNN is great at object detection and pattern recognition because:

- Hierarchical feature learning
- Translational invariance by the same filter

# The exploration by WatChMaL

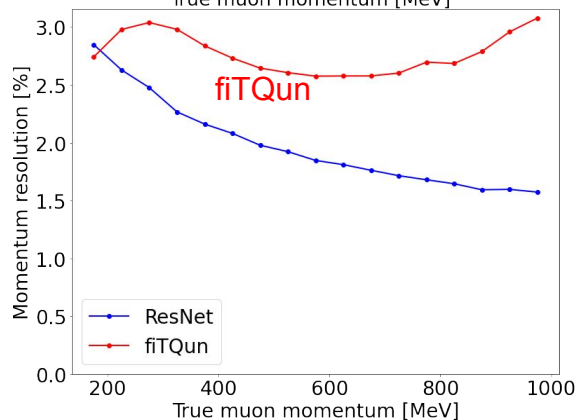
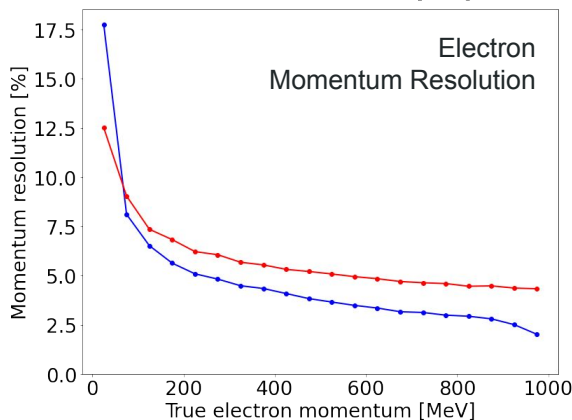
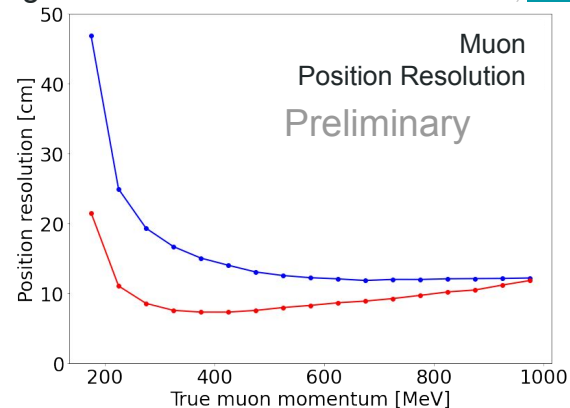
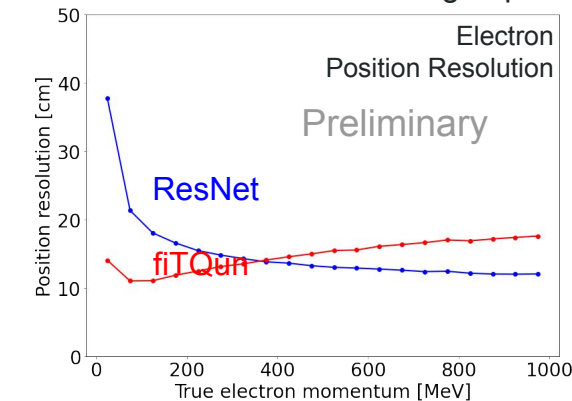
— mapping from detector domain to physics domain

Pioneer works in WatChMaL already shows that novel AI/ML techniques like ResNet can achieve similar reconstruction results as fiTQun.

*\*fiTQun is not tuned for IWCD environment yet*

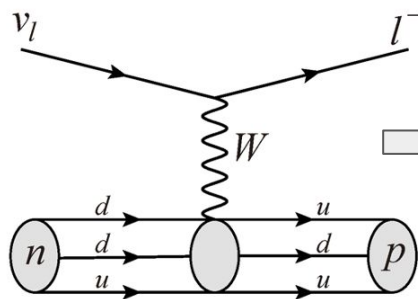
Single “particle gun” events

P. de Perio, [NNN22](#)



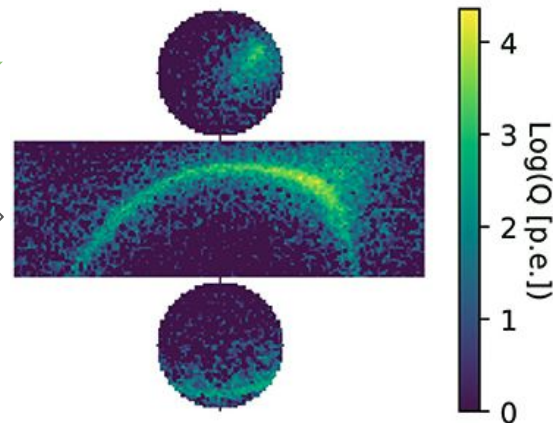
# Neural Network for Cherenkov Ring Generation

Given physics input,  
predict the detector output.



## Ring Generation

Detector physics: photon scattering, attenuation etc.



## Particle physics:

- Particle types
- Particle energy
- Interaction position
- Outgoing direction

I have my doubts,  
but you're  
welcome to try

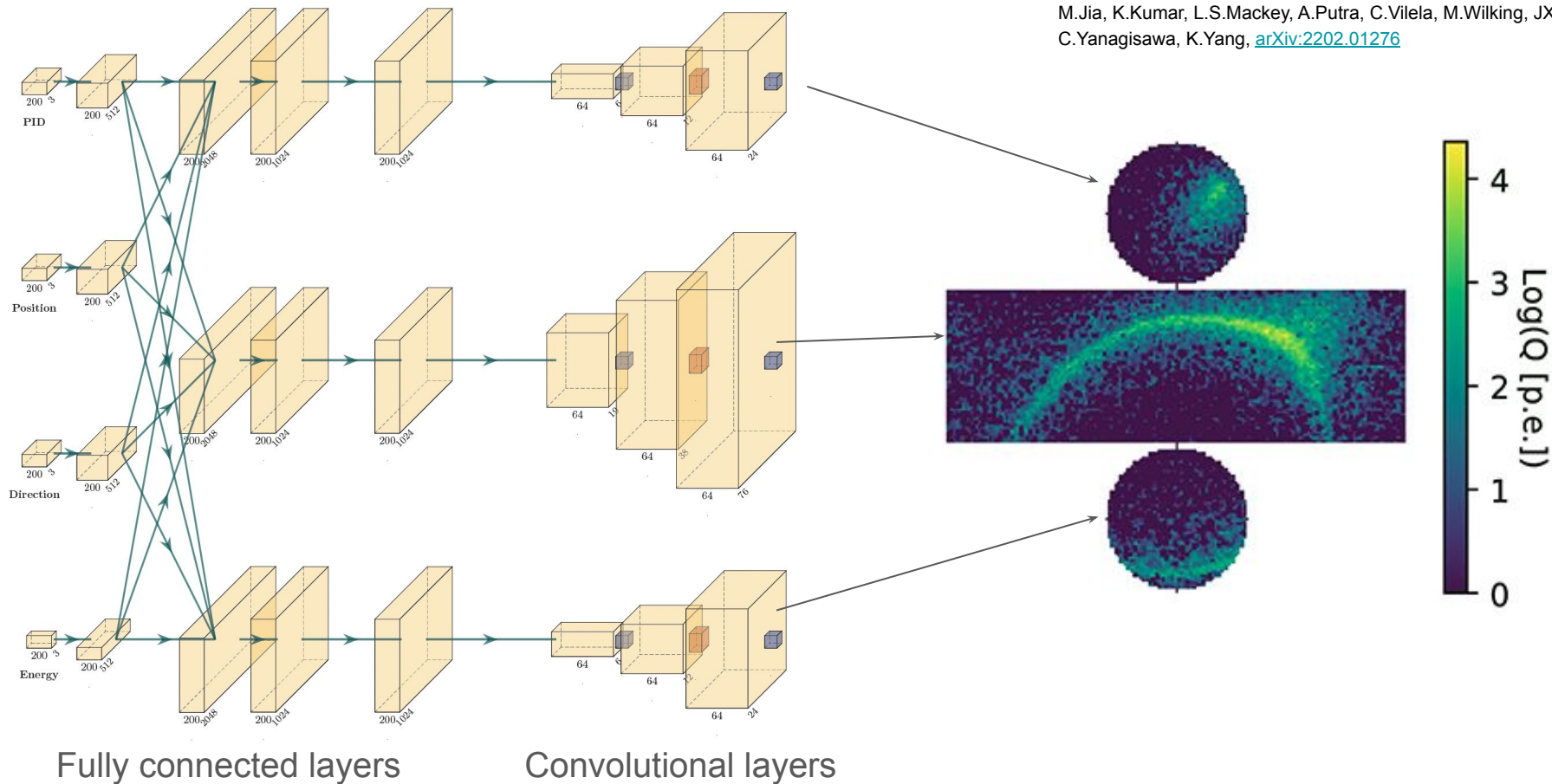


## Detector outputs:

- Charge
- Timing

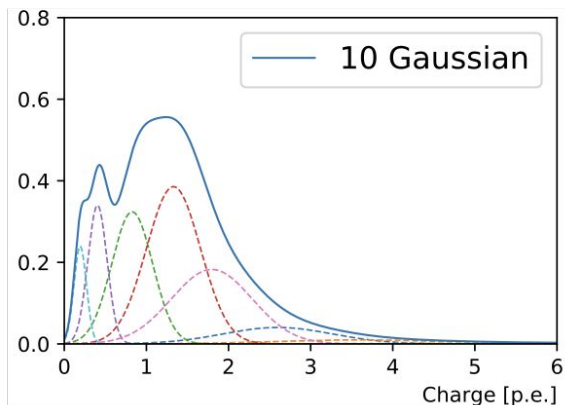
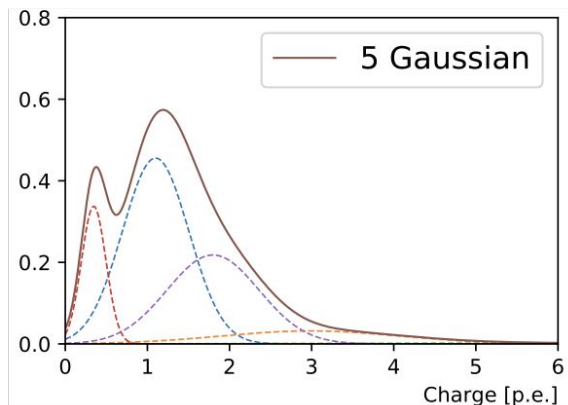
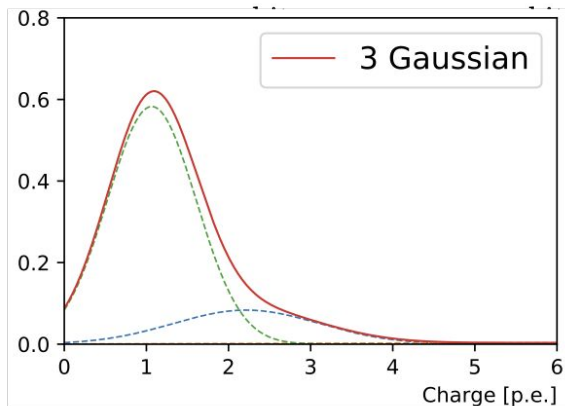
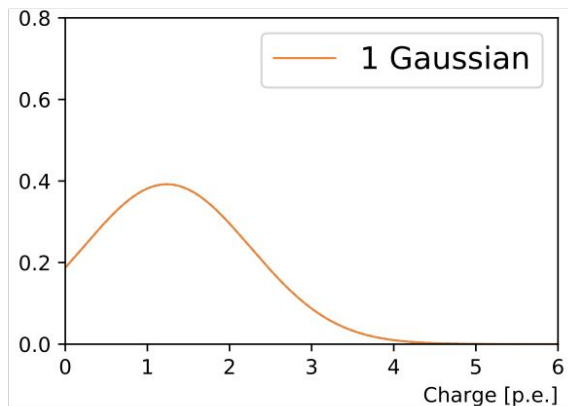
## First attempt: a CNN-based Cherenkov Ring Generator

M.Jia, K.Kumar, L.S.Mackey, A.Putra, C.Vilela, M.Wilking, JX,  
C.Yanagisawa, K.Yang, [arXiv:2202.01276](https://arxiv.org/abs/2202.01276)



# CNN-based Cherenkov Ring Generator

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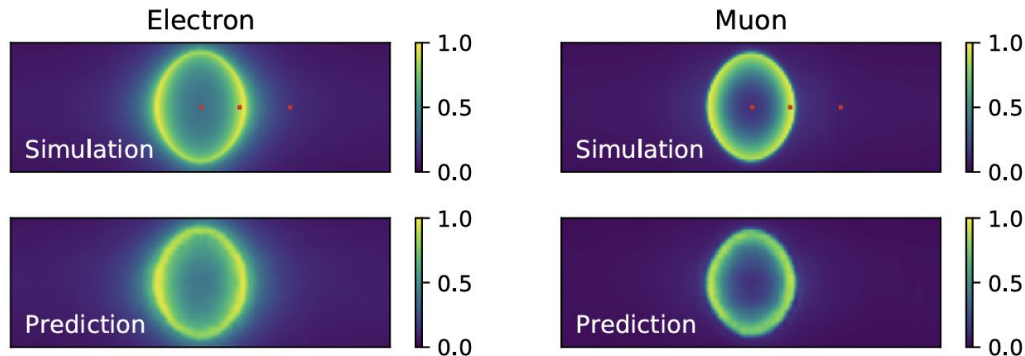
$$\{1 - P_i(\text{unhit}|\mu_i)\} f_q(q_i|\mu_i) f_t(t_i|\mathbf{x})$$

Unlike fitQun which only assumes gaussian-like PMT responses, the CNN based model is powerful enough to handle heavy likelihood computation like a multi-gaussian mixture.

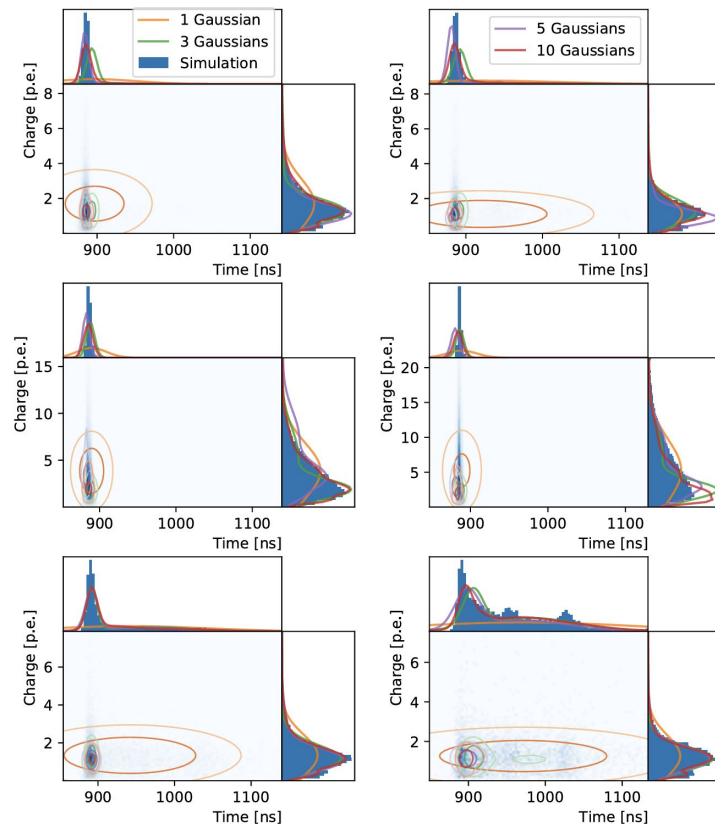


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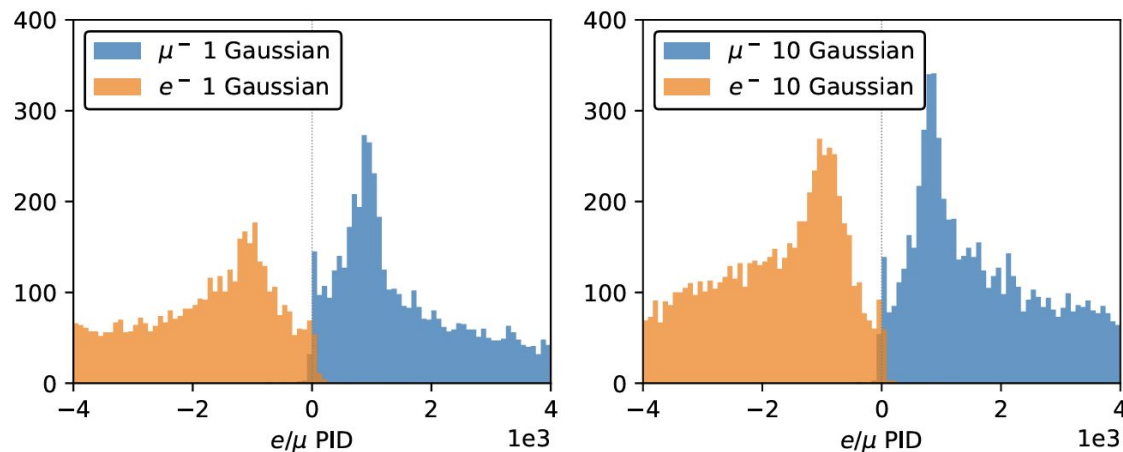


- More flexible likelihood model indeed capture the complex spatial-dependent PMT responses
- Generated good rings “by-eye”, but are “smeared” as compared to the input truth.
- Need a deterministic model for the PMT responses

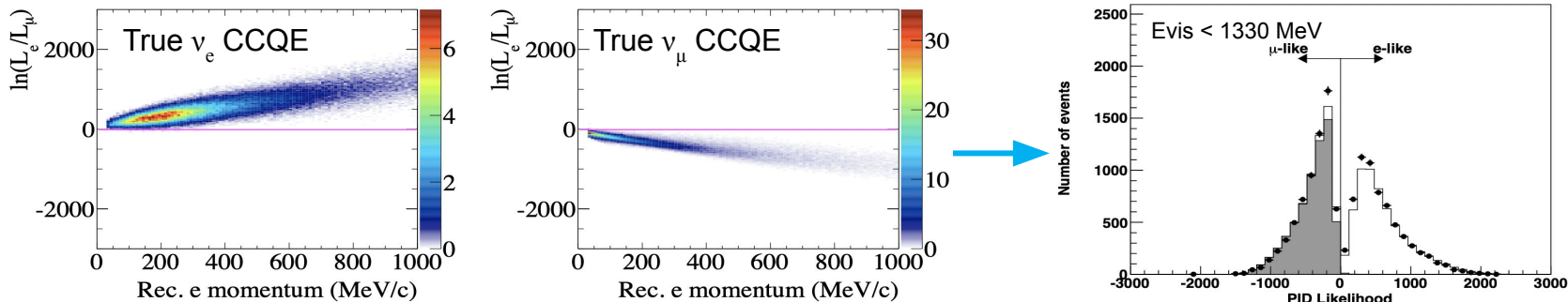


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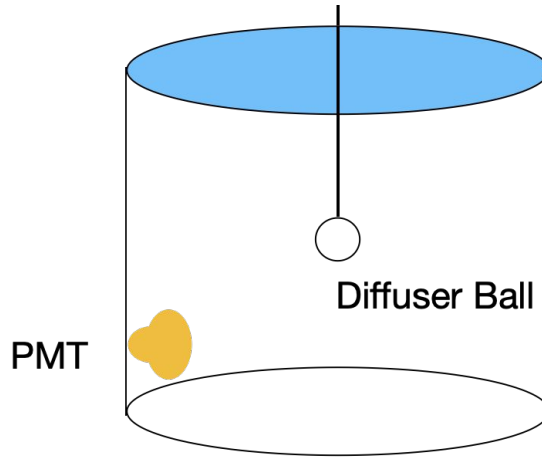
Not an apple-to-apple comparison, but here's the fitQun PID performance





# Challenges in Detector Calibration

Geometry  
Cherenkov physics  
Water properties (light scattering, absorption)  
PMT and wall reflectivity  
Residual magnetic fields  
PMT+electronics response



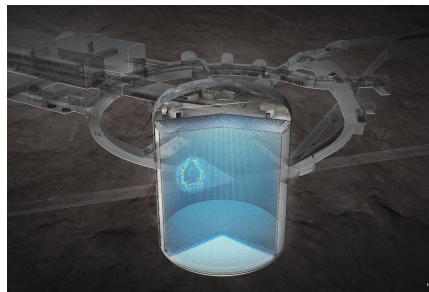
Lack of “end-to-end” optimization; some models are not even optimizable (e.g. look-up tables)

## On the other hand:

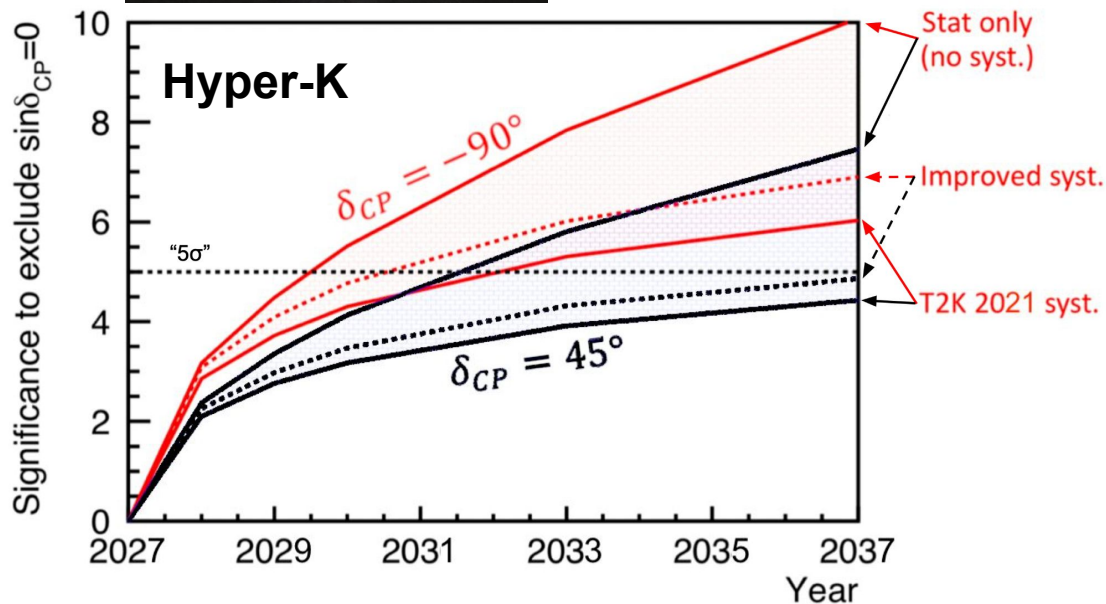
- Only have a limited number of calibration sources
- These detector effects are usually degenerate to a single calibration source
- Impractical to tune many free parameters at once with the conventional calibration method

# The Budget for Systematic Uncertainties

“T2K 2021 syst.”: Phys. Rev. D 103, 112008



= 8 x SK

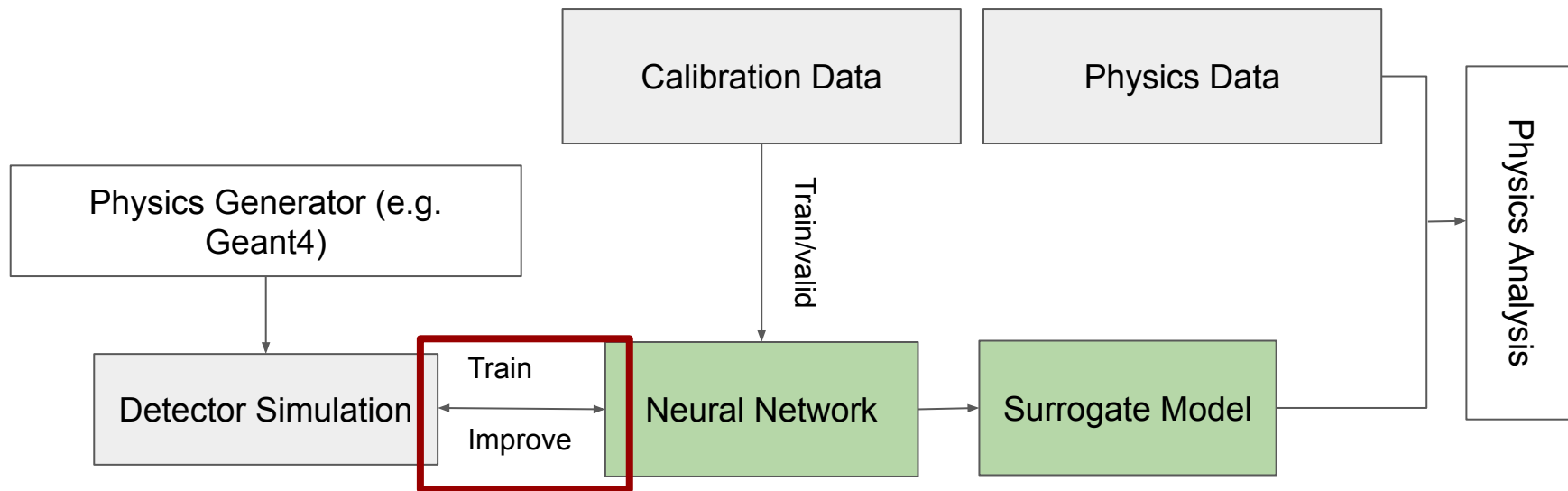


Error Source	% Error for CPV search
$\varphi + \sigma$ (ND constrained)	2.7
$\varphi + \sigma$ (ND unconstrained)	1.2
Nucleon removal energy	3.6
SK $\pi$ re-interactions	1.6
$\sigma(\nu_e), \sigma(\bar{\nu}_e)$	3.0
NC $\gamma$ + other	1.5
SK detector (FD)	1.5
<b>Total</b>	<b>6.0</b>

Need to reduce to <3%

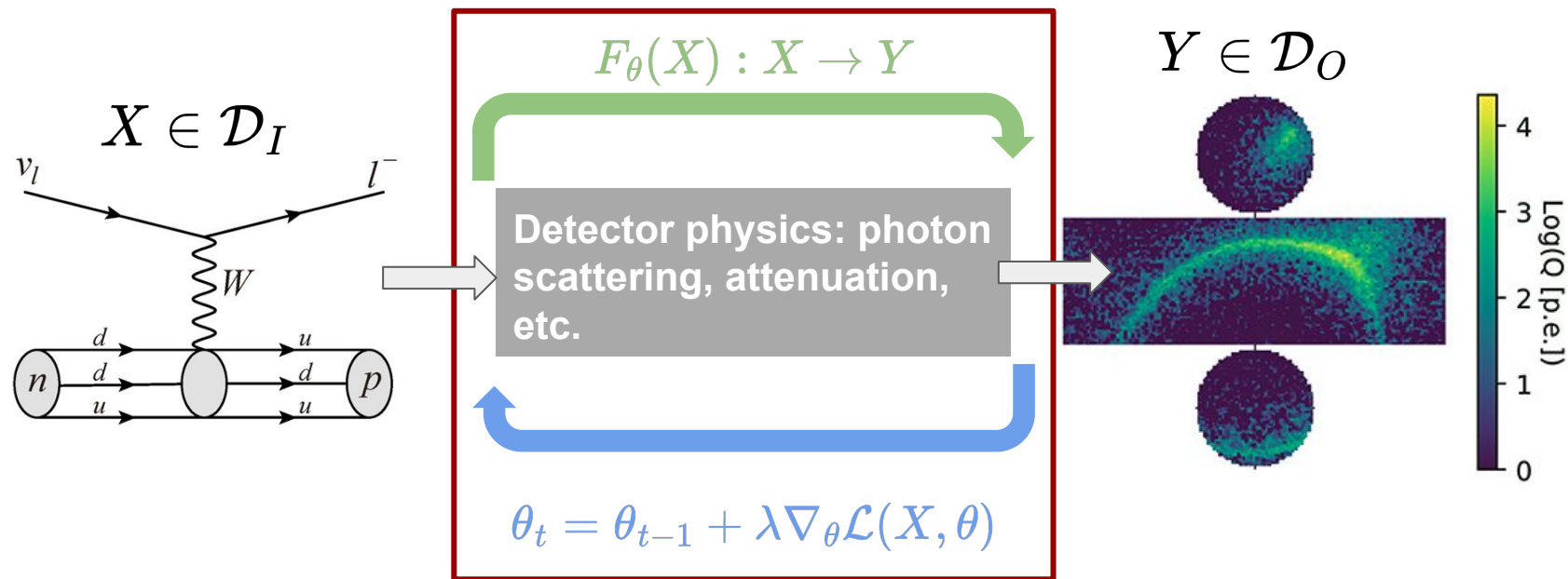
# Towards a robust physics inference

- Optimizing the detector simulation input with calibration data, e.g. replacing fixed “look-up tables” with neural networks that can interpolate over the full phasespace.
- Minimal empirical assumptions



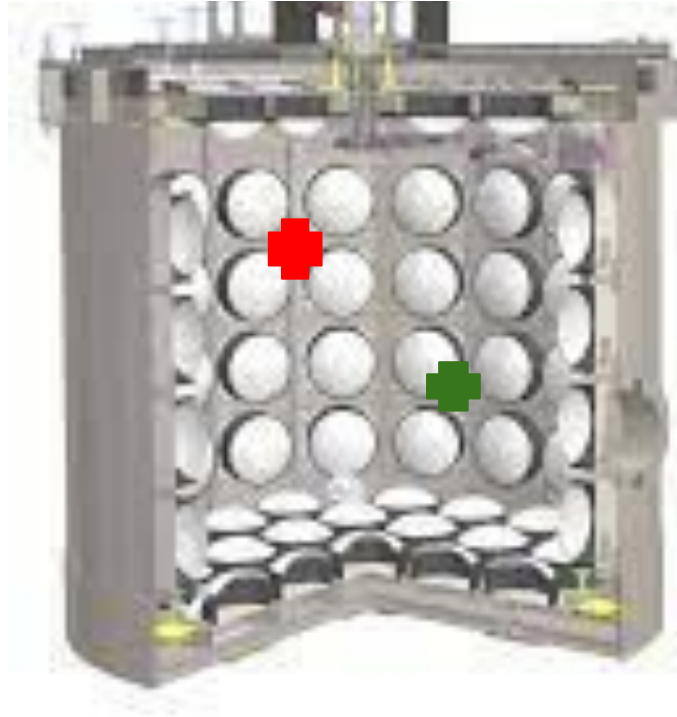
Optimization by gradient-descent

# Differentiable detector simulator (DDSim)



In an end-to-end differentiable model  $F$ , one can achieve the gradient of the loss function related to the output states w.r.t the input and model parameters and optimize the latter's via chain rules.

# Differentiable detector simulator (DDSim)



We would like to know the detector responses to optic photons generated and pointing anywhere in the detector.

It is impractical to calibrate or simulate the responses with a large (infinite) number of position and directions.

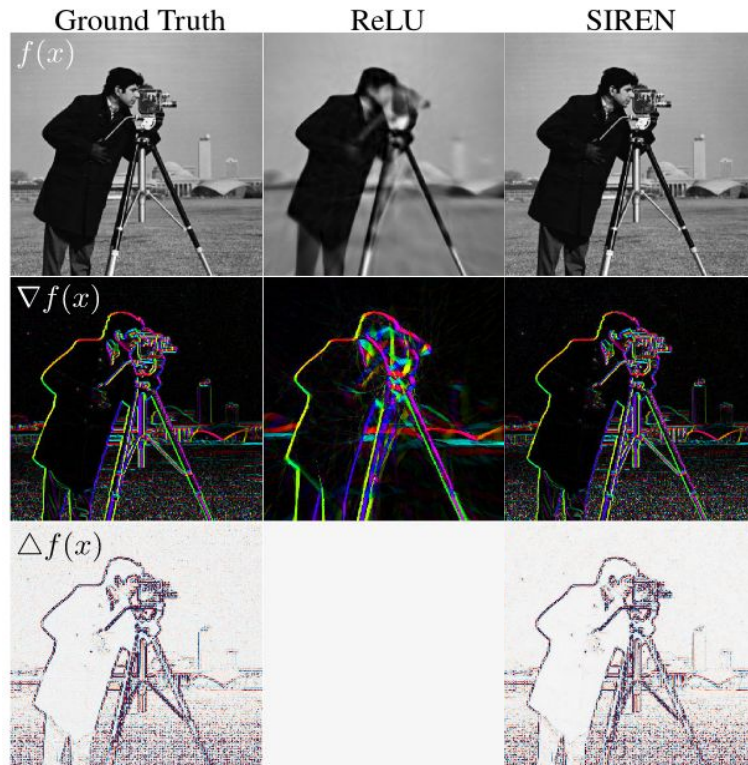
With the differentiable model it is possible to interpolate the responses (assuming it is continuous) based on a few data points.

# Differentiable detector simulator (DDSim)

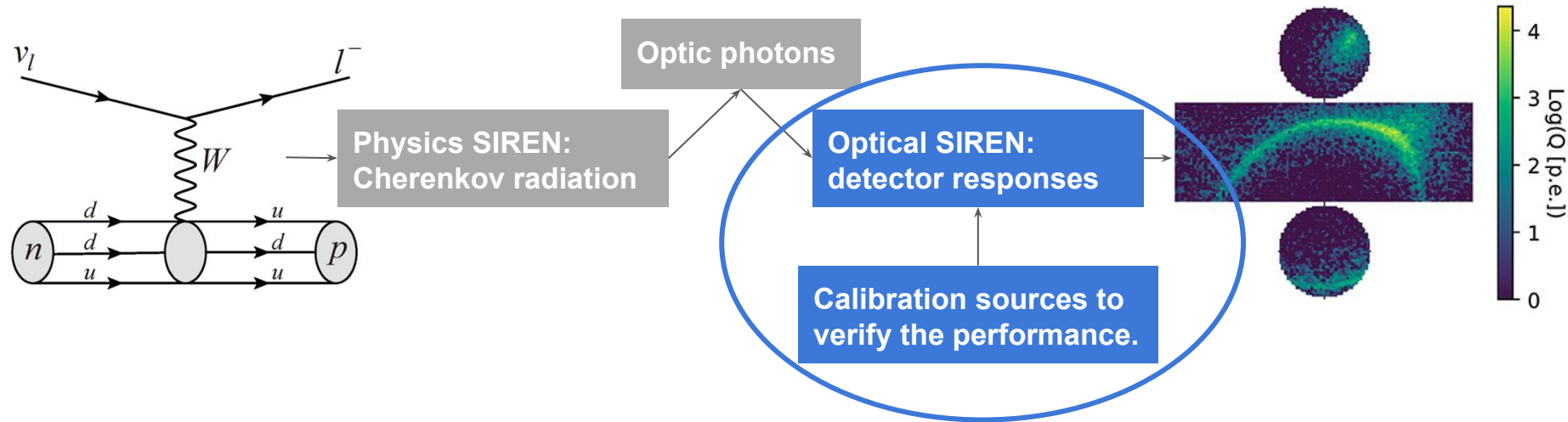
Implicit Neural Representations with Periodic Activation Functions

([SIREN](#))

- A MultiLayer-Perceptron (MLP) architecture with sinusoidal activation functions.
- Good at representing sharp edges in images, e.g. the ring edge
- Smooth gradient surface and easy access to higher order derivatives



# Validation using calibration data



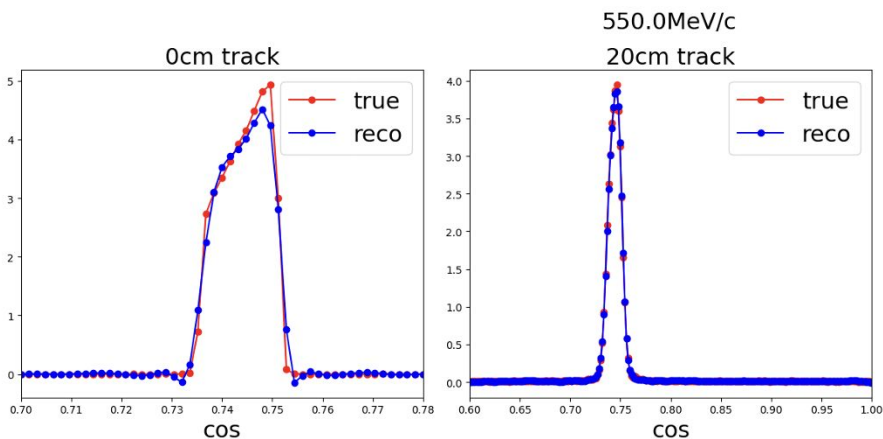
$p$ : particle momentum  
 $s$ : track length  
PID: particle type

$n$ : number of emitted photons  
 $\varphi, \theta$ : direction of photon  
 $(x, y, z)$ : vertex of photon emission

$Q$ : PMT charge  
 $T$ : PMT timing

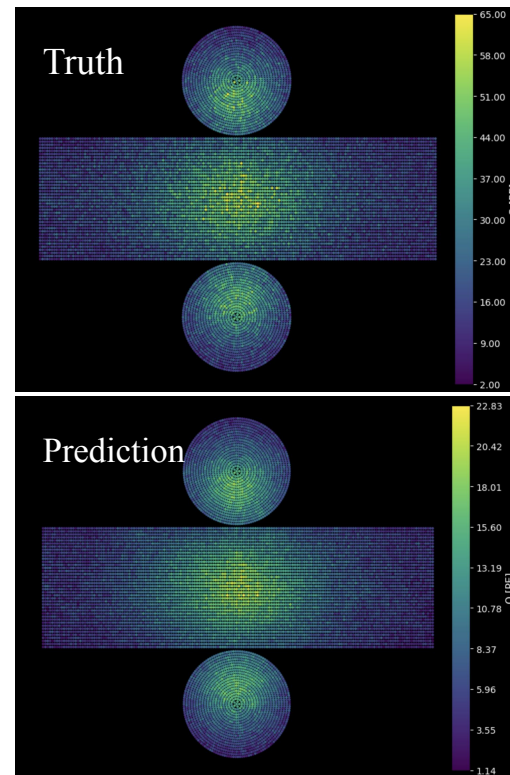
# Initial performance check

## Physics SIREN work in progress



SIREN models Cherenkov emission profile along particle trajectory given the initial particle momentum.

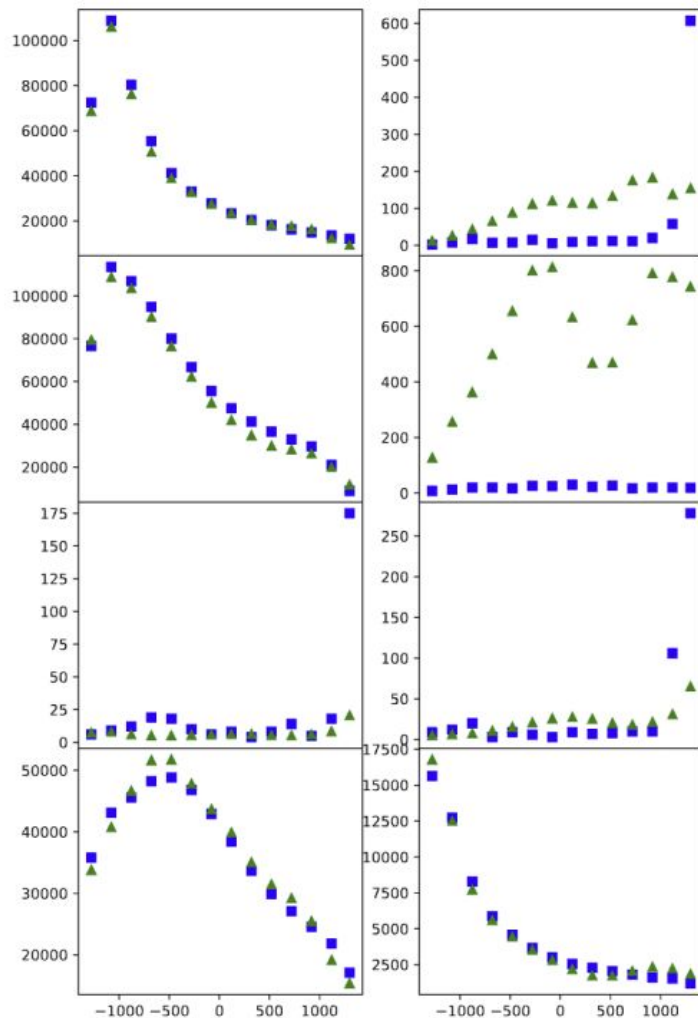
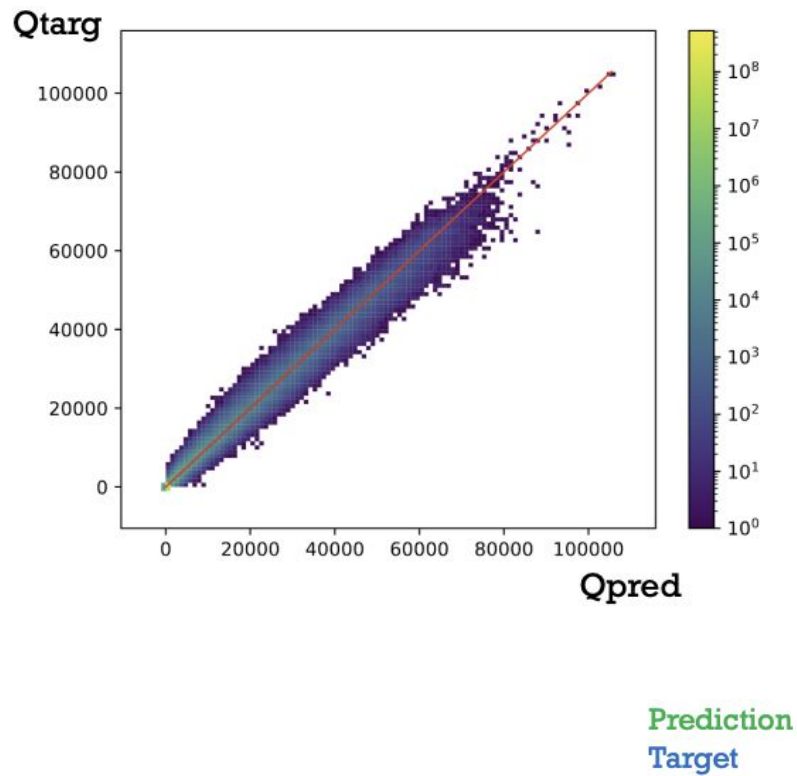
## Optical SIREN work in progress



SIREN models detector hit responses to an isotropic optical photon source at any location.



# Initial performance check



CIDeR-ML

**Thanks so much for being an inspiring and  
supportive advisor, Mark!  
Happy 60th birthday!**