

Testing the Higgs–Top Lagrangian

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Couplings from LHC rates

Standard Model operators [SFitter: Klute, Lafaye, TP, Rauch, Zerwas]

- most inclusive information: signal strengths
- assume: narrow CP-even scalar
Standard Model operators
- couplings from production & decay rates

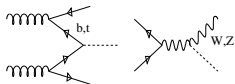
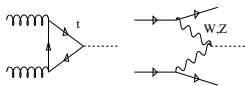
$$\begin{aligned} gg &\rightarrow H \\ qq &\rightarrow qqH \\ gg &\rightarrow ttH \\ qq' &\rightarrow VH \end{aligned}$$



$$g_{HXX} = g_{HXX}^{\text{SM}} (1 + \Delta_X)$$



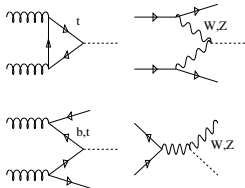
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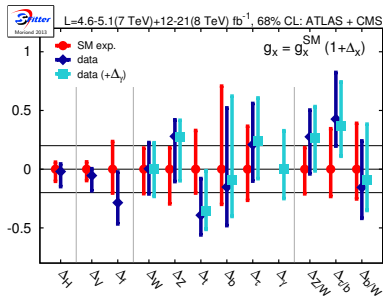
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- SFitter: focus on theory uncertainties
- 6D, SM-like [secondary solutions possible]
- ratios and correlations fully included



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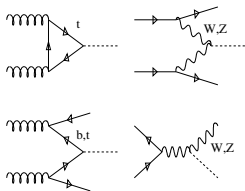
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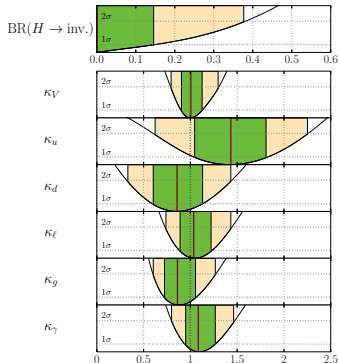
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After Run 1 [Lopez-Val, TP, Rauch]

- SFitter: focus on theory uncertainties
6D, SM-like [secondary solutions possible]
ratios and correlations fully included
 - HiggsSignals: focus on public tool
7D including invisible decay
 - ATLAS and CMS similar
- ⇒ **effective theory next SFitter step...**



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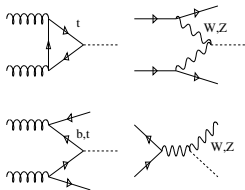
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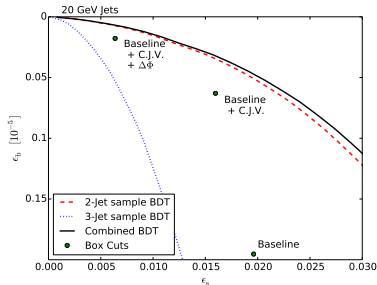
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LHC challenges: invisible decays [Berniacki, TP, Schichtel, Tattersall]

- WBF best channel at LHC [Eboli & Zeppenfeld]
 - baseline cuts: jet veto plus $\Delta\phi_{jj}$
multivariate: 2-jet, 3-jet sample
 - reach $\text{BR}_{\text{inv}} \sim 7\%$ for 3000 fb^{-1}
 - further improvement to 3%
from QCD jets to 10 GeV...
- \Rightarrow **QCD the limiting factor**



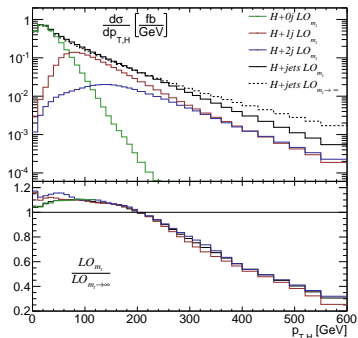
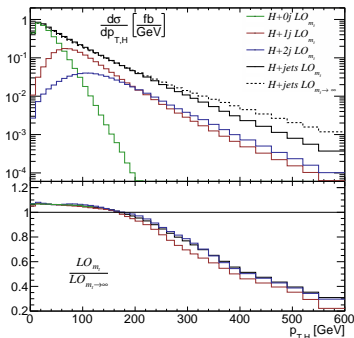
Top-Higgs-gluon Lagrangian [Ellis, Hinchliffe, Soldate, v d Bij; Baur & Glover]

- test ggH vertex structure [to keep production rate]

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + (\Delta_t + \Delta_g) g_{ggH} \frac{H}{V} G_{\mu\nu} G^{\mu\nu} - \Delta_t \frac{m_t}{V} H (\bar{t}_R t_L + \text{h.c.})$$

- high- p_T logarithms from 1,2 jets [Banfi etal; Azatov etal; Grojean etal; Buschmann etal]

$$|\mathcal{M}_{Hj(j)}|^2 \sim \frac{m_t^4}{p_T^4} \log^4 \frac{p_T^2}{m_t^2}$$



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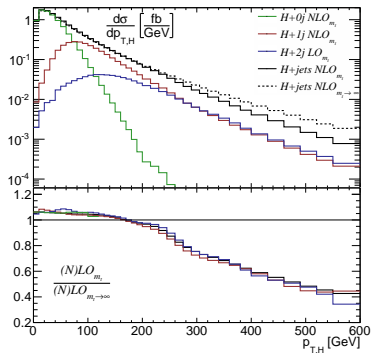
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Measuring $\Delta_{t,g}$ from $p_{T,H}$ distributions [Buschmann, Goncalves, Kuttimalai, Schönherr, Krauss, TP]

- simulation: SHERPA
 - sensitive region $p_{T,H} > 250$ GeV
 - systematic/theory errors potentially bad
 - NLO vs top mass orthogonal
 - jet count vs top mass orthogonal



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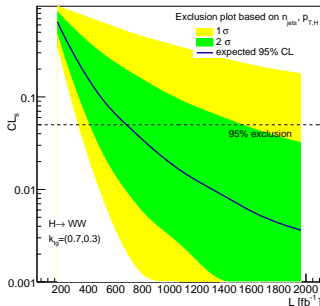
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- $H \rightarrow WW$ analysis
- 2D likelihood study of $n_{\text{jets}}, p_{T,H}$

$\Rightarrow \Delta_t = -0.3$ to 95% CL with 700 fb^{-1}



Not-model-independent width measurements [Kauer & Passarino; Caola & Melnikov; Ellis & Williams]

- peak cross section vs off-shell interference in $H \rightarrow ZZ$

$$\sigma_{\text{peak}} \sim \frac{g_g^2 g_Z^2}{(s - m^2)^2 + m^2 \Gamma^2} = \frac{g_g^2 g_Z^2}{m^2 \Gamma^2} \quad \sigma_{\text{off}}(g_g g_Z) \sim \sigma_{\text{cont}} - \frac{A_{\text{int}} g_g g_Z}{s - m^2} + \frac{A_H g_g^2 g_Z^2}{(s - m^2)^2}$$

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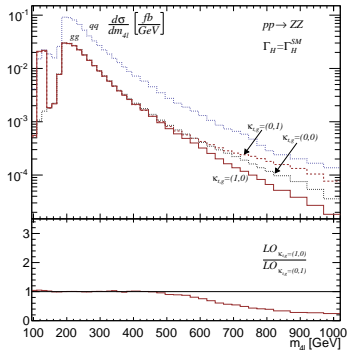
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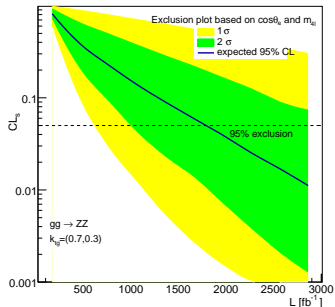
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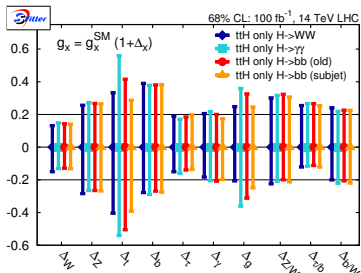
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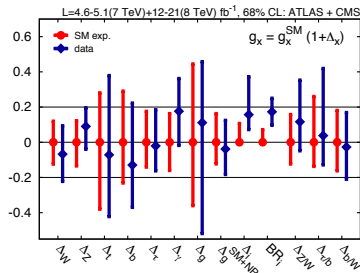
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Bottom line?

Higgs property tests

- coupling strengths worked/work great
- distributions new observables
- impact for given hypothesis unclear

Much of this work was funded by the BMBF Theorie-Verbund which is ideal for relevant LHC work



Higgs–Top

Tilman Plehn

Rates

Distributions