

quark gluon separation at LHC

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quark gluon separation

Motivation

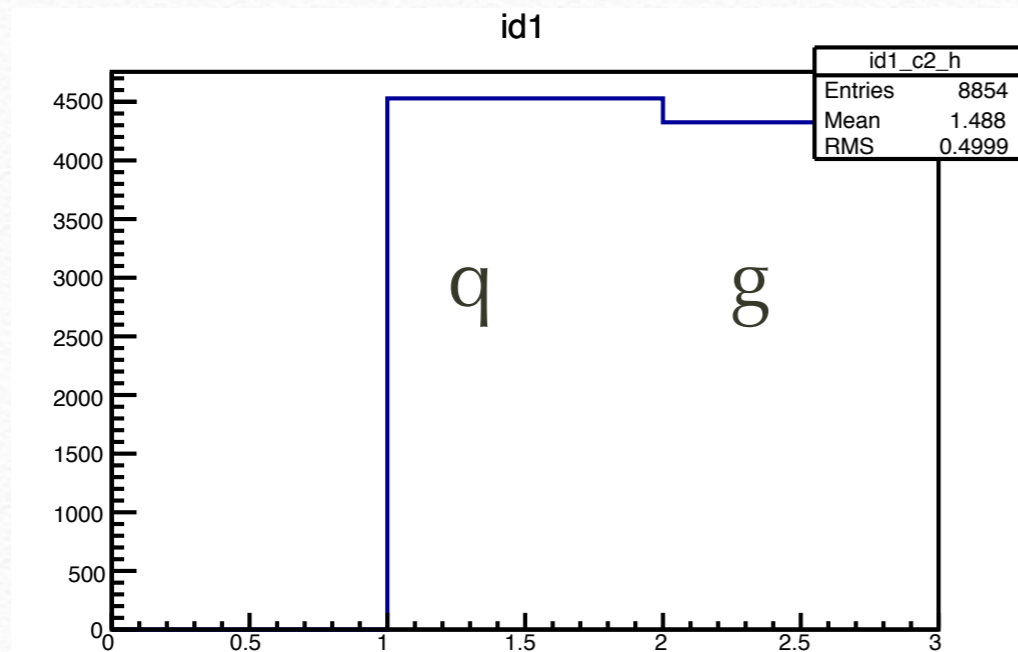
- quark, gluon \rightarrow jet: most of present analysis assume they cannot be distinguished.
- However...
 - gluino/squark decay to LSP \rightarrow hard quark
 - ISR from SUSY production \rightarrow gluon rich
 - QCD process \rightarrow gluon rich /EW process \rightarrow hard quark
- quark gluon separation \rightarrow discriminate New physics
- Energy calibration (fake W_{jj} peak..)
 - They have different nature and may be distinguished.

Example: degenerate SUSY

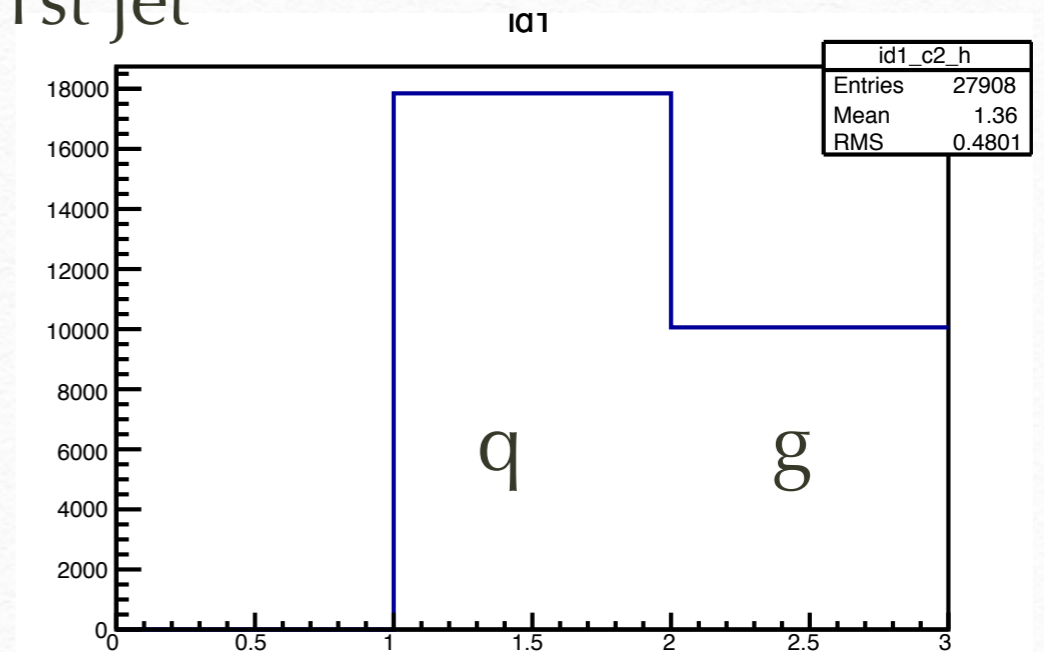
(Mukohopadhyay, Nojiri, Yanagida JHEP10(2014)012)

1st jet gluino production

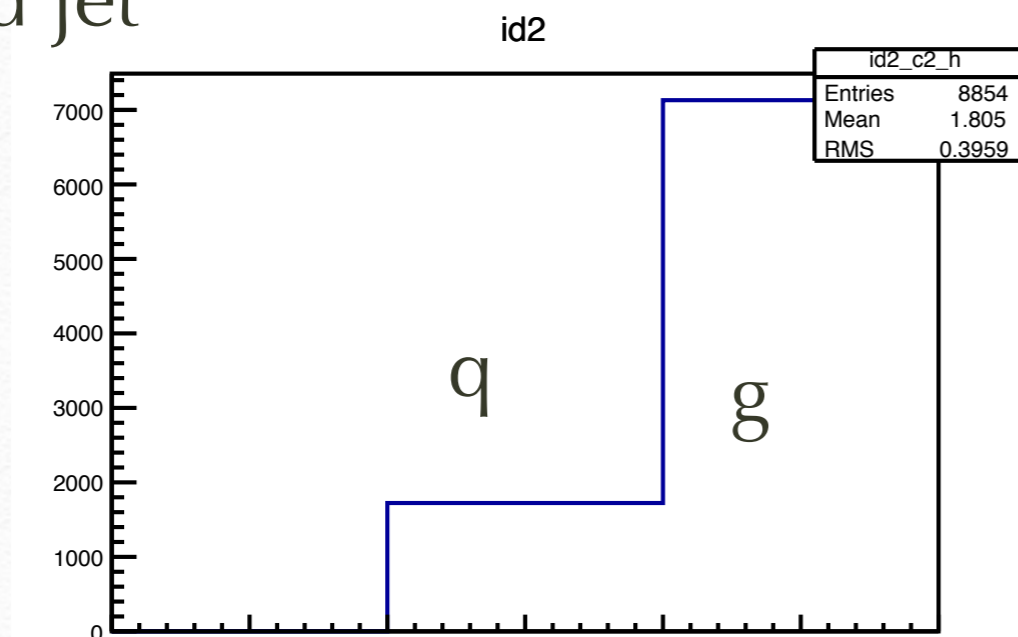
$z+3j$



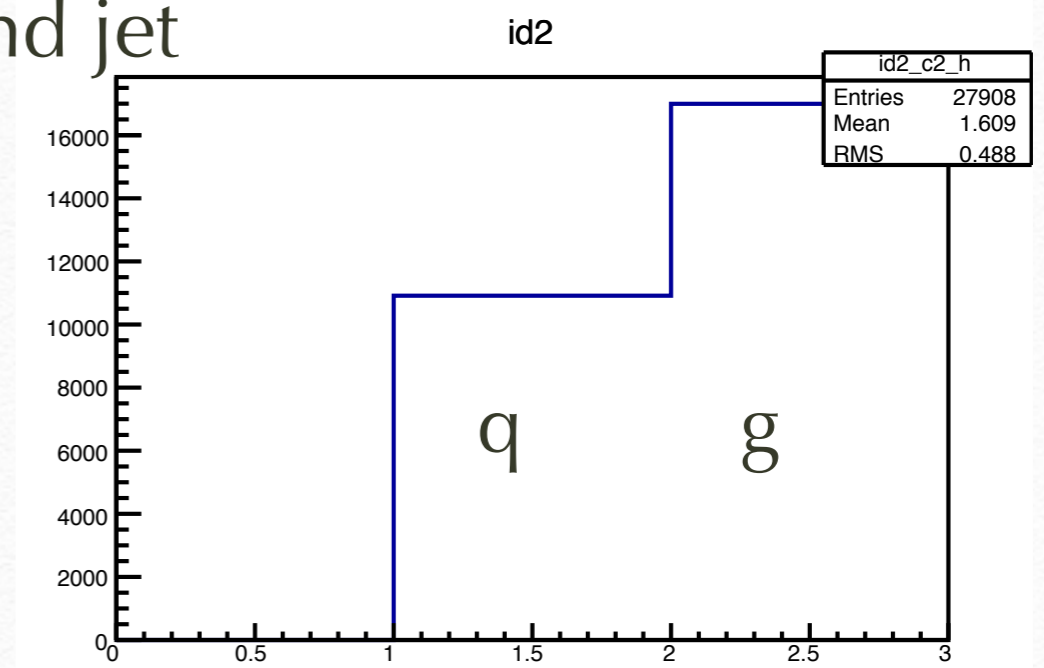
1st jet



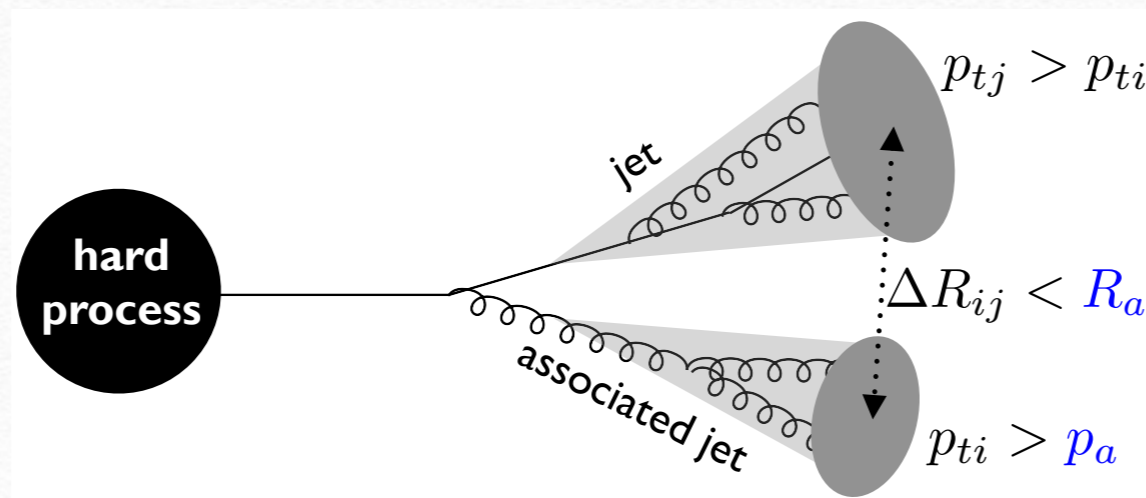
2nd jet



2nd jet



- quantity that has been proposed for quark gluon separation
 - **nch :number of charged tracks**
 - **jet shape (jet width -> C1)**
 - **jet mass**
- In this talk **new variable: number of associated jet**



- **MC dependence, comparison with QCD**

quark and gluon jet separation studies

- Number of partons at $Q^2(\text{had}) \rightarrow$ number of particles
 \rightarrow **number of charged particles** (non-perturbative physics)
- **Jet shape** (broadness of the jet, and mass)

Girth :
$$g = \sum_{i \in \text{jet}} \frac{p_T^i}{p_T^{\text{jet}}} r_i \cdot \quad \text{jet mass}$$

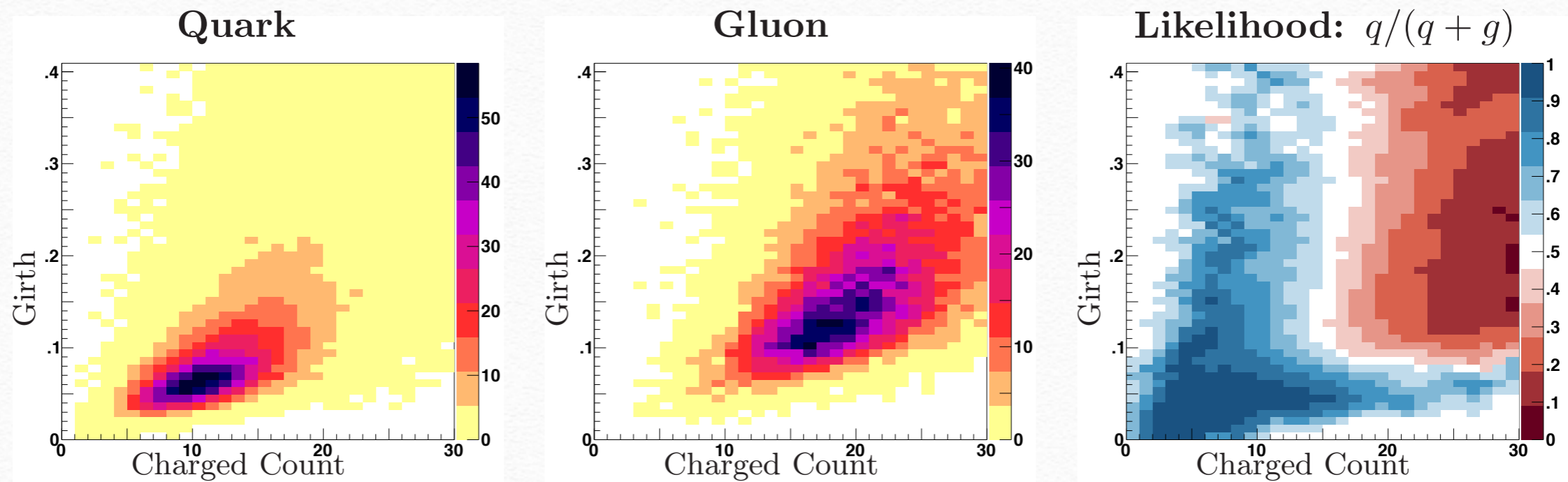
$$C_1(\beta) = \sum_{i < j \in J} p_{Ti} p_{Tj} (\Delta R_{ij})^\beta \quad \text{Larkoski et al JHEP 1306.108(2013)}$$

Infrared safe and calculable "in principle"

Monte Carlo (Pythia, Herwig++)

parton shower(soft collinear) + **hadronization modeling (NP)**

Using all possible parameter to increase the separation
“gluon jet” : more charged tracks and broader than “quark jet”



arXive 1211.7038 Gallicchio and Schwartz

This earlier study has shown very good separation
between quark and gluon based on pythia 6



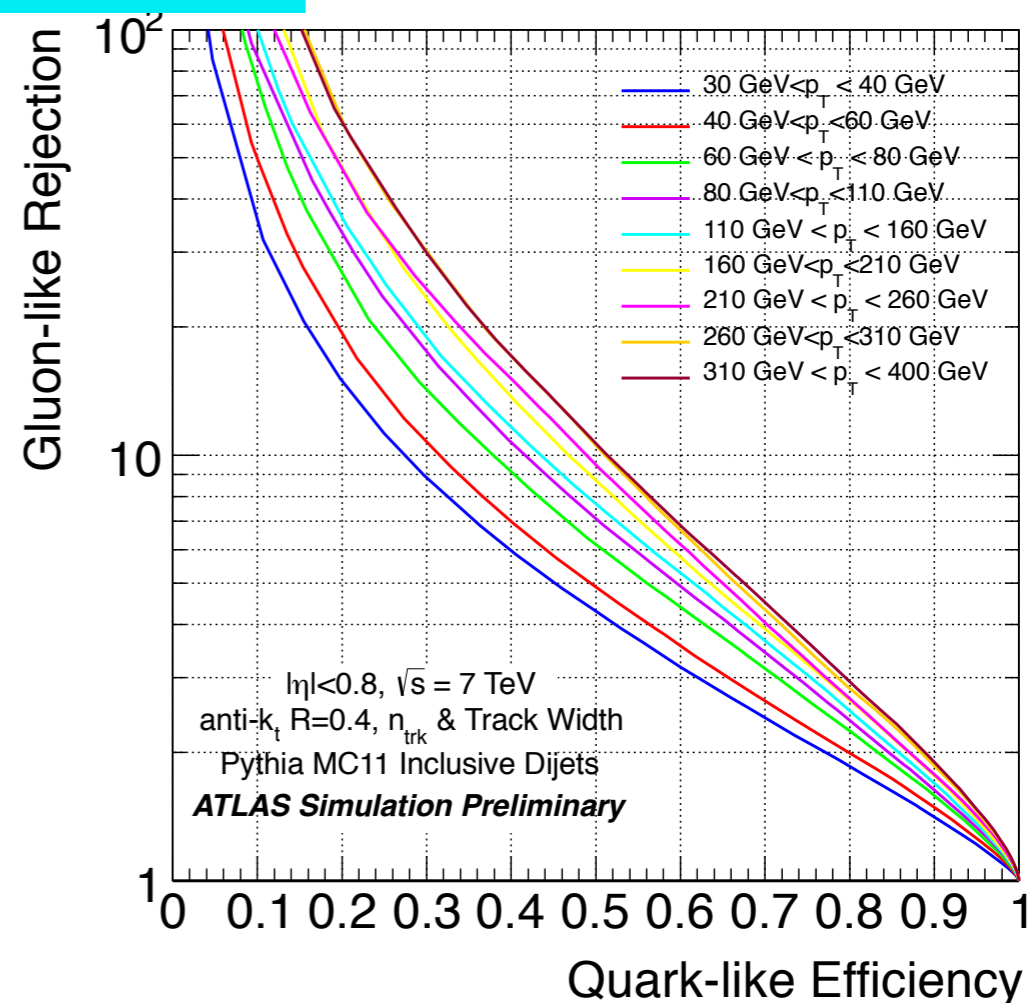
quark and gluon comparisons

ATLAS-CONF-2012-138

Nhan Tran (FNAL) for Lepton Photon

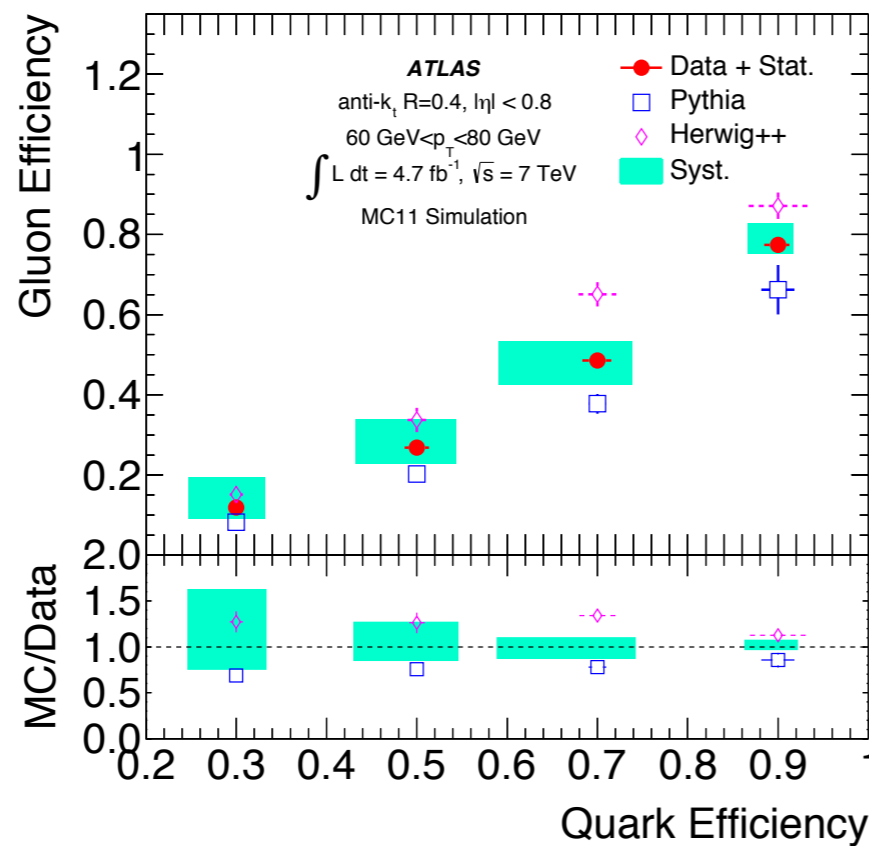
- Quark- and gluon-initiated jets have different properties
- Many search applications for distinguishing quarks and gluon jets
 - Hadronically decaying vector bosons
 - monojet, dijet searches
 - SUSY searches with high quark jet multiplicity
- **Jet width and number of charged tracks** provide good discrimination

need careful validation of the data

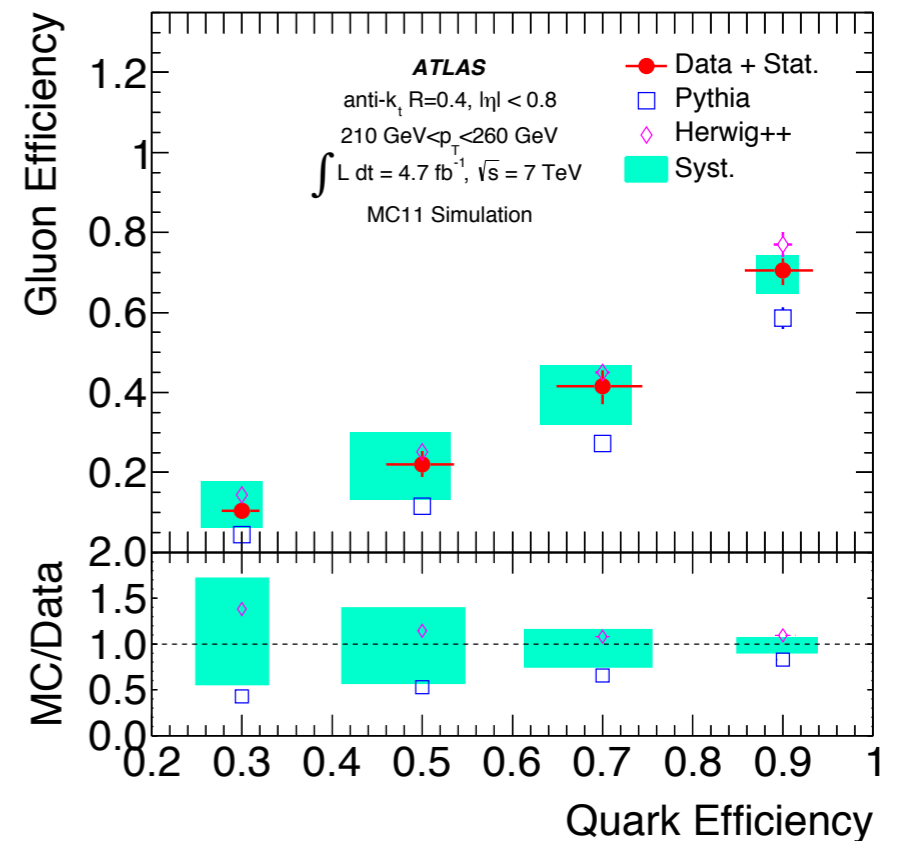


Example: for 50% quark jet efficiency,
we can reject 90% gluon jets
More discriminant at higher p_T s

Recent ATLAS analysis (CERN-PH-EP-2014-058)



(a)



(b)

cannot use MC because they disagree each other.

Data driven, use $2j$, rj , isolate jets...

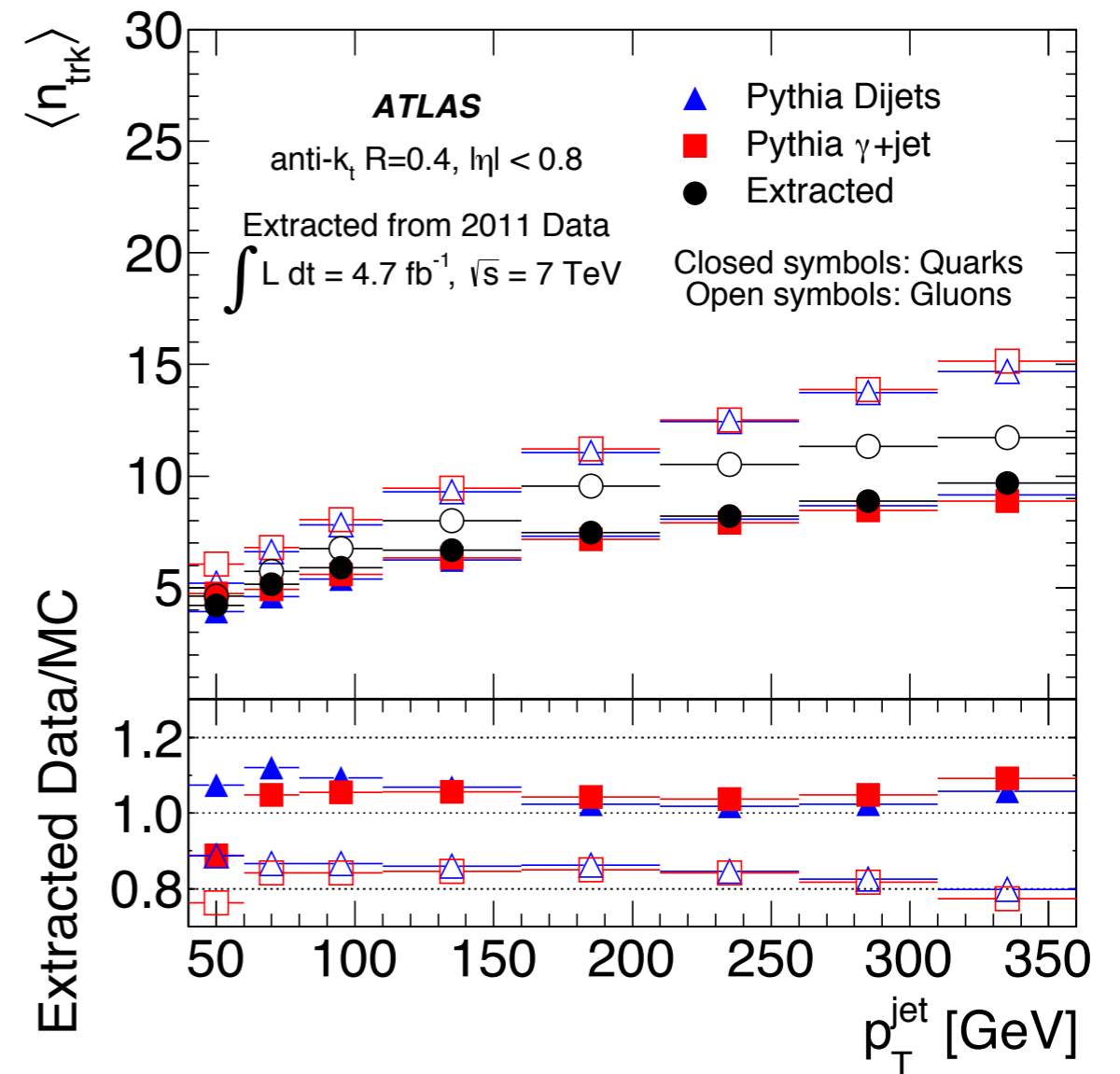
large MC dependence: good (bad) separation with Pythia6(Herwig)

Nature becomes closer to Herwig++ at High p_T

not as good as expected, why? any improvement

q vs g : Number of tracks

- Parton shower: Number of partons at $Q^2(\text{had}) \rightarrow$ number of particles \rightarrow **number of charged particles**
- **Infrared non-safe, non-perturbative physics:** ratio still can be calculated
- rejection rate is determined by **tail regions.** \rightarrow **uncertainty remains**



go for

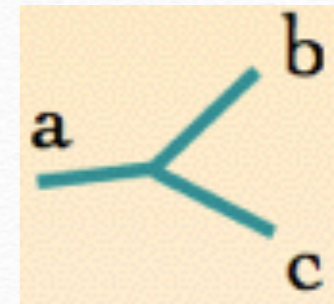
Infrared safe quantities are relatively safe

Infrared safe quantities (width, mass etc..)

- Better understanding / theory and MC comparison
- calculation proceeds with

- splitting function

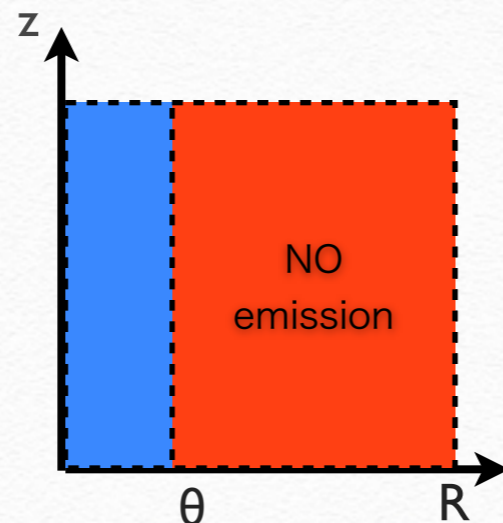
$$dp(\theta) = \frac{d\theta}{\theta} \int dz \frac{\alpha_S}{\pi} P(z)$$



- Sudakov factor (probability of non-emitting)

$$\Delta(R \rightarrow \theta) = \prod_{\theta_k \in [\theta, R]} [1 - dp(\theta_k)] = \exp \left[- \int_{\theta}^R dp(\theta') \right]$$

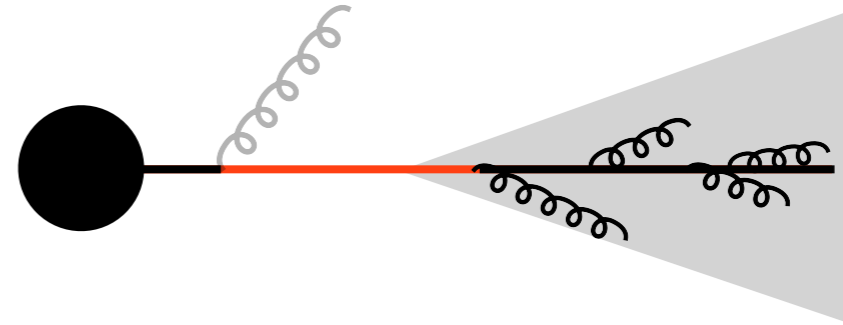
- resolution



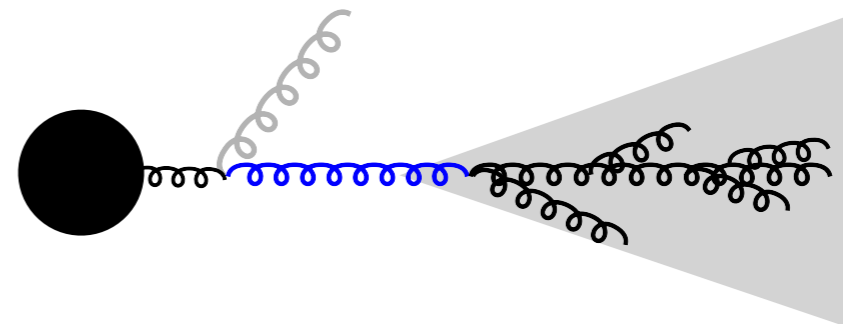
Jet mass : Quarks vs Gluons

- Signal efficiency

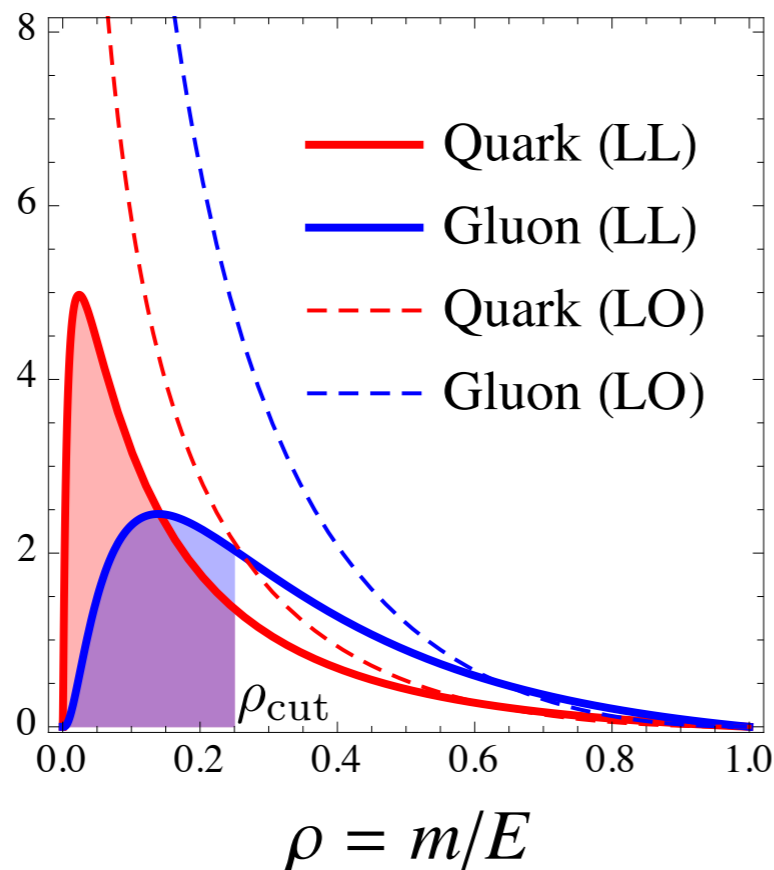
$$\epsilon_Q = \text{Prob}_Q(\rho < \rho_{\text{cut}}) = \exp\left[-C_F \frac{2\alpha_S}{\pi} \ln^2 \rho_{\text{cut}}\right]$$



$$\epsilon_G = \text{Prob}_G(\rho < \rho_{\text{cut}}) = \exp\left[-C_A \frac{2\alpha_S}{\pi} \ln^2 \rho_{\text{cut}}\right]$$



$$\frac{d\epsilon_i}{d\rho} = \frac{1}{\sigma_i} \frac{d\sigma_i}{d\rho}$$



- Gluon mass is greater than Quarks
- Efficiency ratio from QCD prediction at LL order is

$$\frac{\ln \epsilon_G}{\ln \epsilon_Q} = \frac{C_A}{C_F} = \frac{9}{4}$$

Observable, C_1

A. Larkoski, G. Salam, J. Thaler, JHEP06(2013)108

$$C_1^{(\beta)} = \frac{\sum_{i < j} p_{T,i} p_{T,j} \Delta R_{ij}^\beta}{(\sum_i p_{T,i})^2}$$

$\beta > 0$

Larger value means better separation



- Efficiency ratio at NLL order

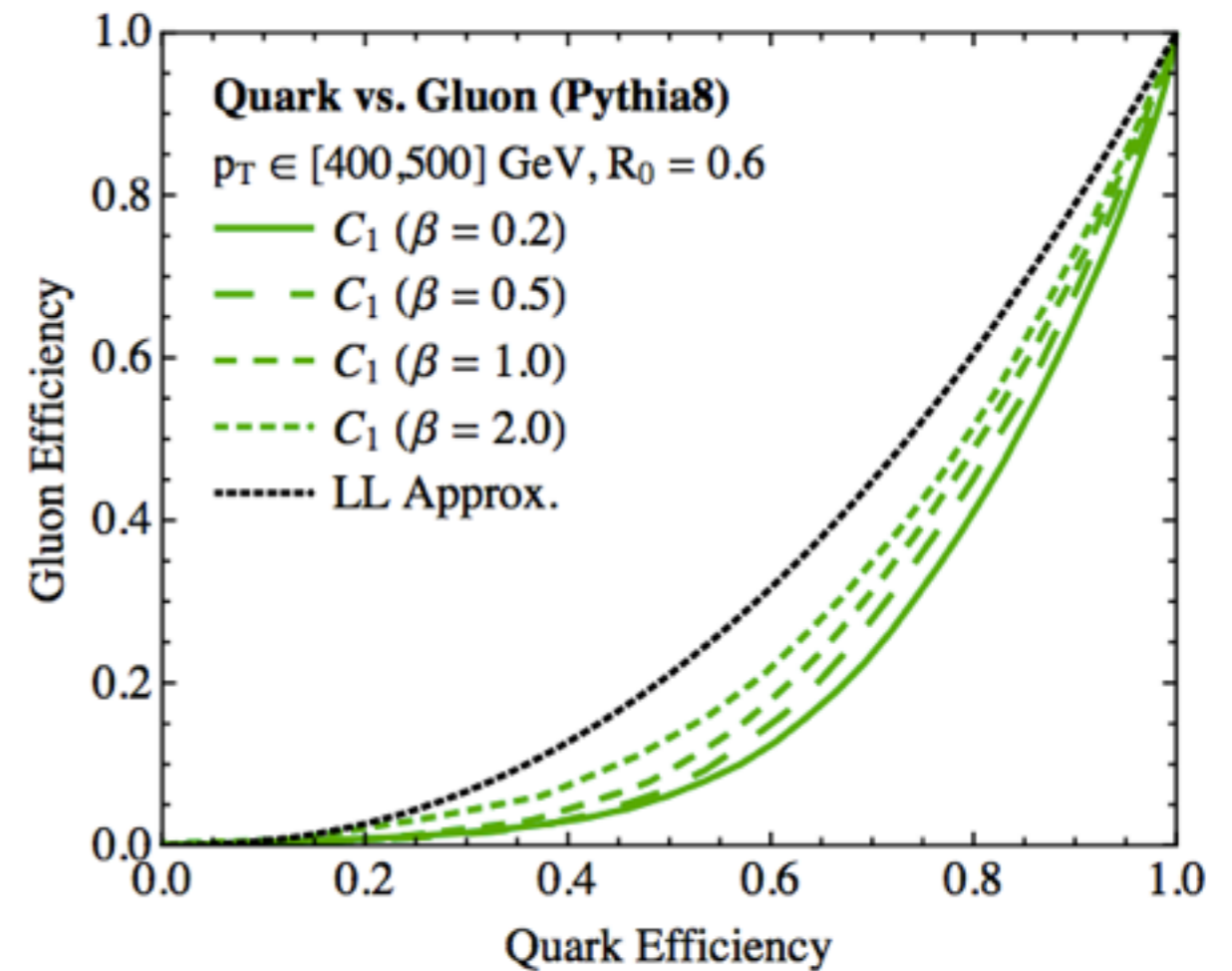
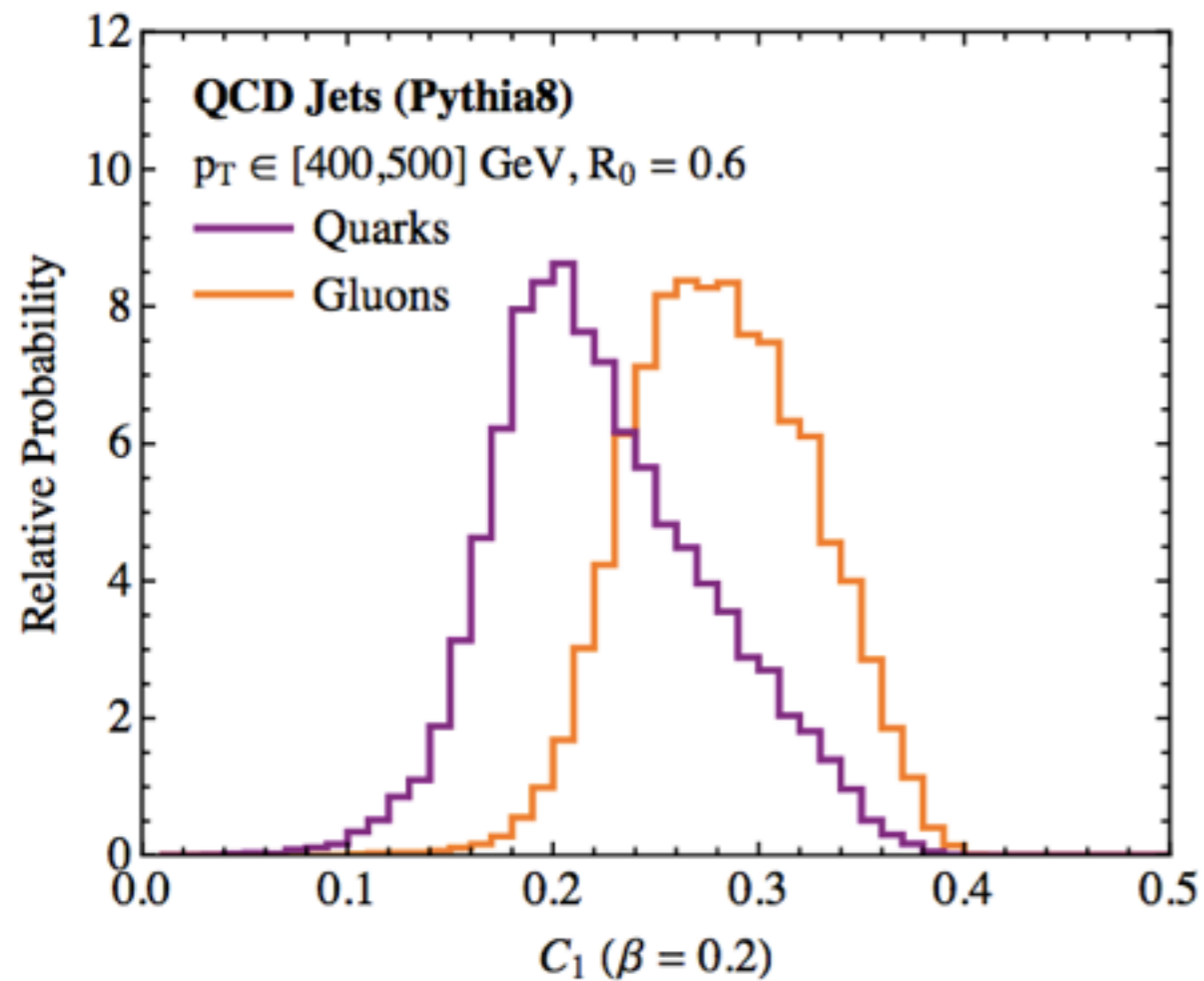
$$\frac{\ln \epsilon_G}{\ln \epsilon_Q} = \frac{C_A}{C_F} \left[1 + \frac{n_F - C_A}{3C_A} \sqrt{\frac{\alpha_S C_F}{\pi \beta \ln 1/\Sigma_Q}} + \frac{\alpha_S \pi}{3} \frac{n_F - C_A}{\beta} \right. \\ \left. + \frac{n_F - C_A}{C_A} \frac{\alpha_S}{36\pi} \frac{b_0}{\beta} (2 - \beta) - \frac{17}{36} \frac{\alpha_S}{\pi} \frac{C_F}{C_A} \frac{n_F - C_A}{\beta \ln 1/\Sigma_Q} \right]$$

subleading terms in the splitting functions multiple emission
running of α_S matrix element correction

- Small β lead to better Quark-Gluon separation
- Contribution from 2nd-term ($\sqrt{\alpha_S}$ term) looks most important
- Actually, 3rd term is most significant numerically

MC study

- C_1 with $\beta=0$ is collinear-unsafe observable
- Authors recommend $\beta=0.2$



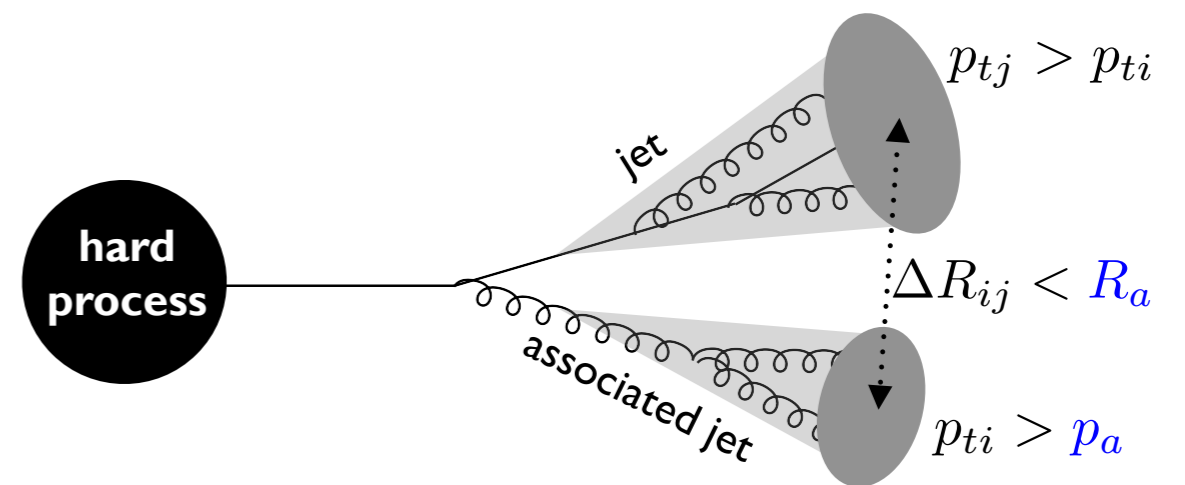
Further improvement Number of associated jet

gluon jet is broader and many particles spill
outside jet cone (additional jets)

1. Jet clustering anti- K_T $R=0.4$

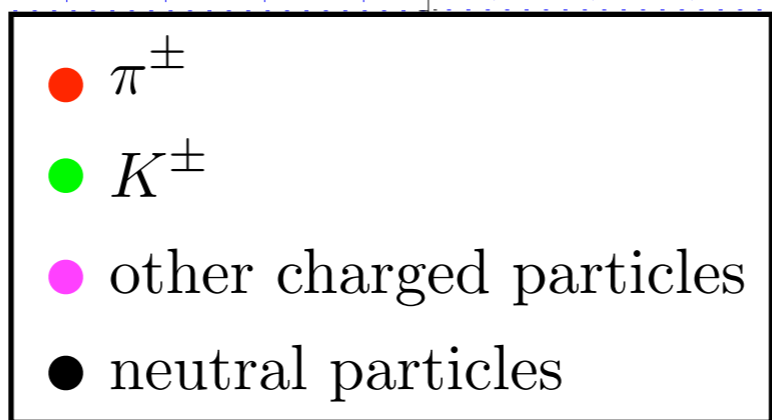
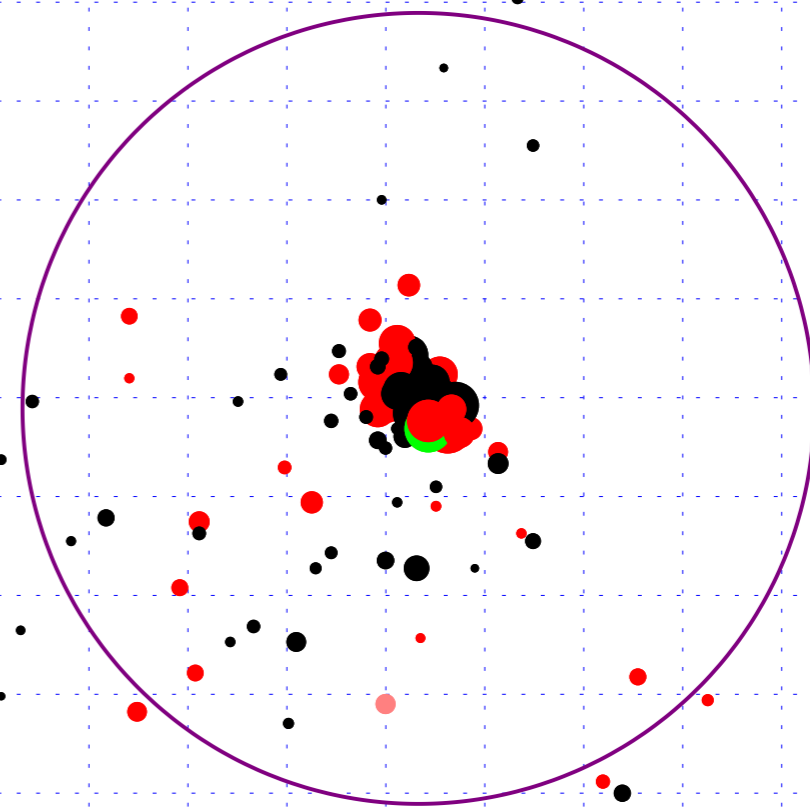
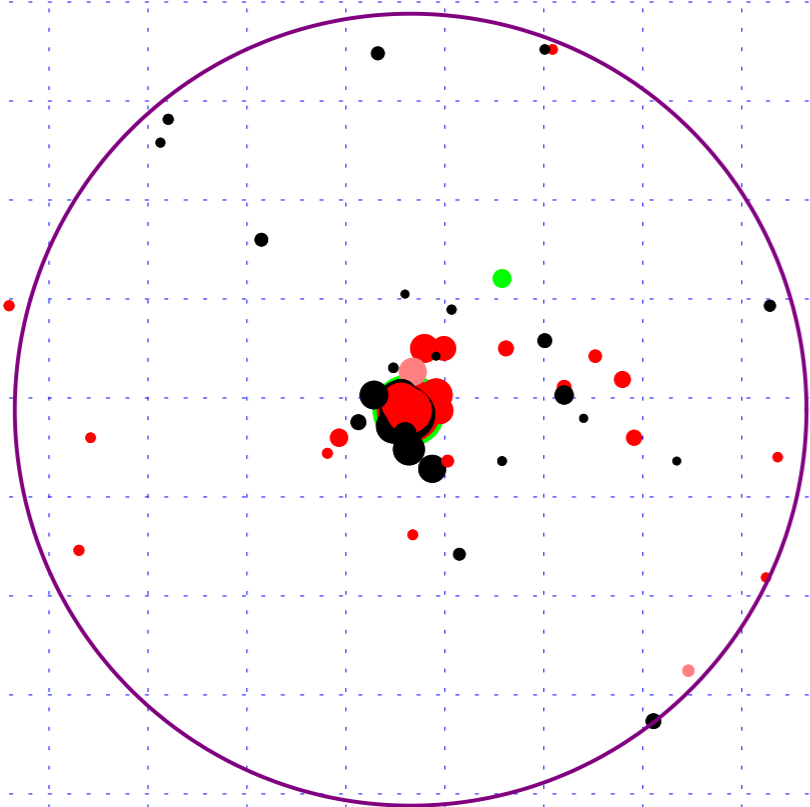
2. Count number of jets in $\Delta R < 0.8$ but $\Delta R (p_{T,a}/p_{T,j}) < 0.4$
(avoid counting accidental hard objects)

QCD : gluon emits
nearby jets $P(g)/P(q) \sim 2$



Can we distinguish Quarks from Gluons?

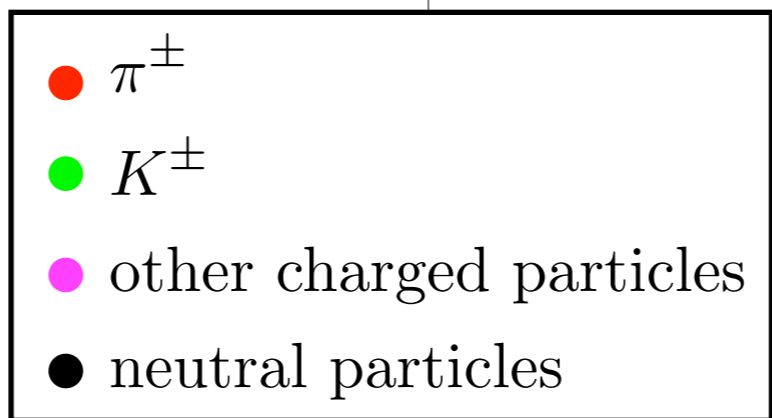
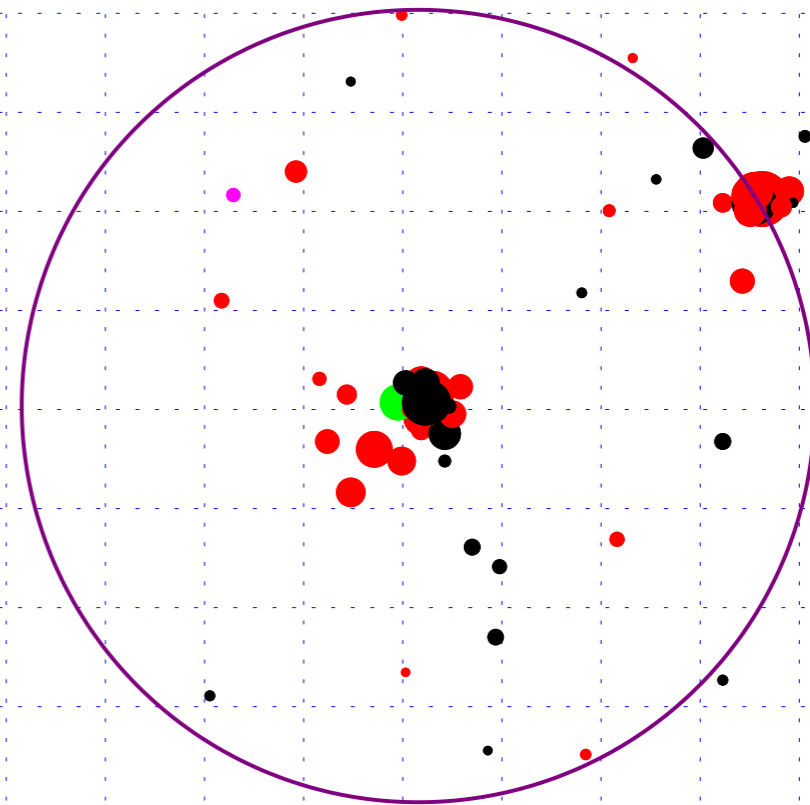
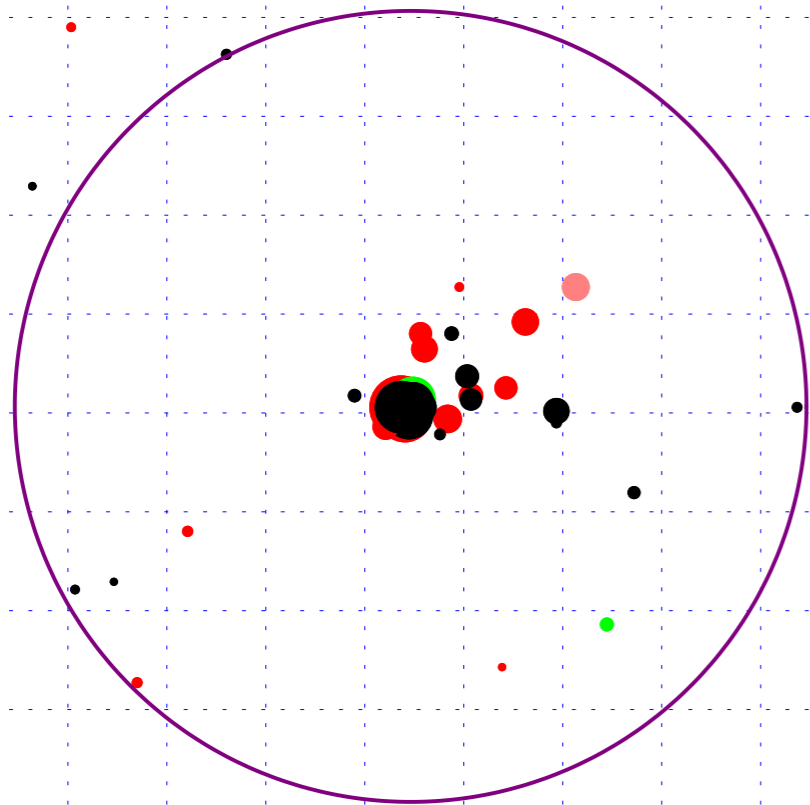
Event 1



$p_T \sim 500$ GeV

Can we distinguish Quarks from Gluons?

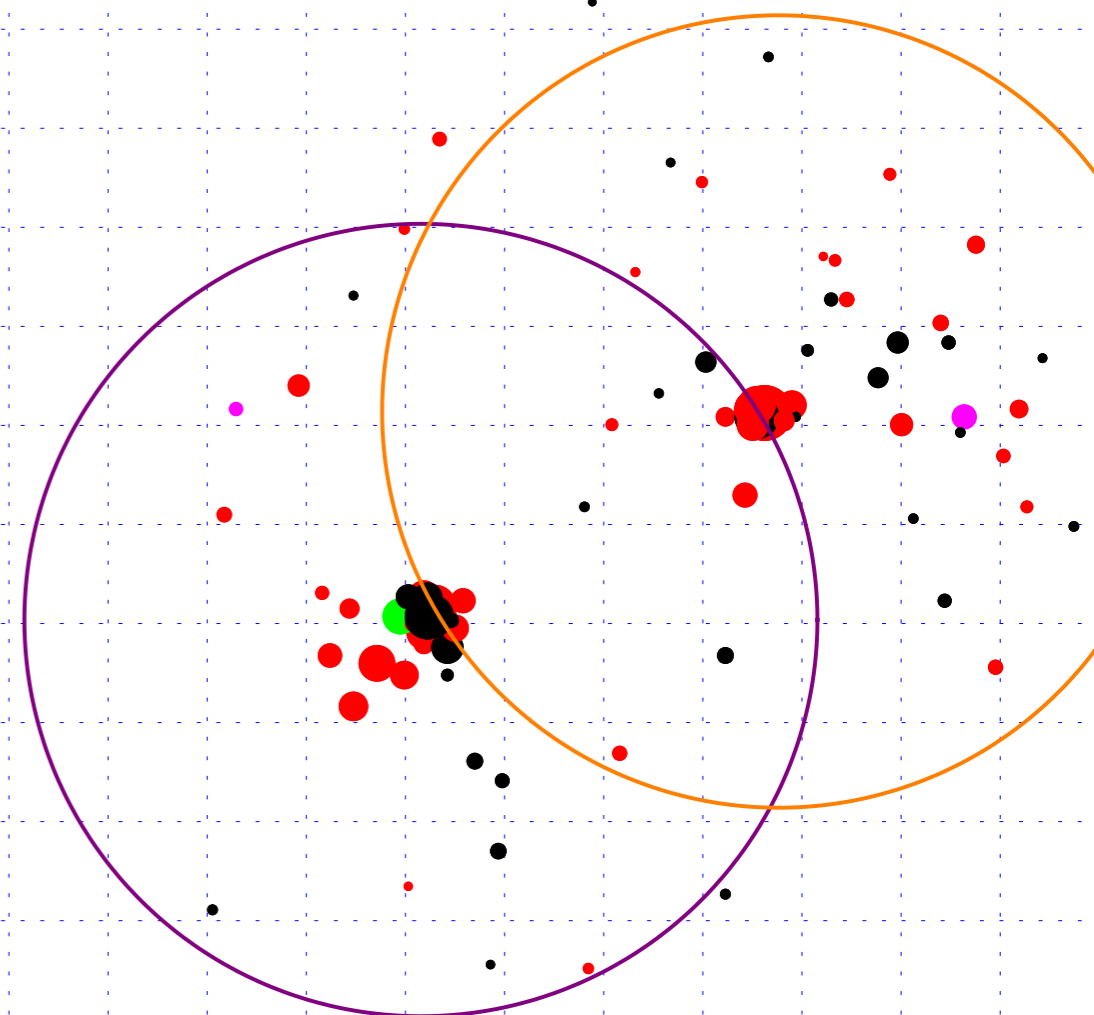
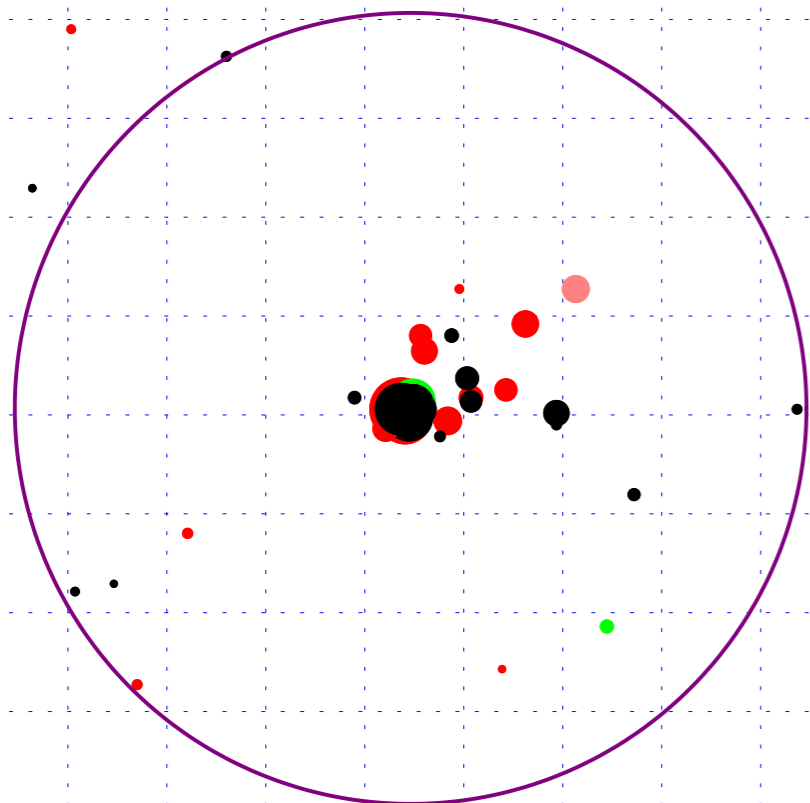
Event 2



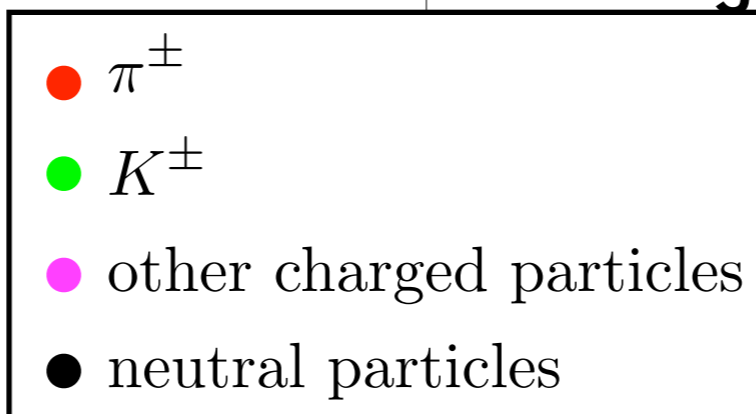
$p_T \sim 500$ GeV

Quark

Gluon



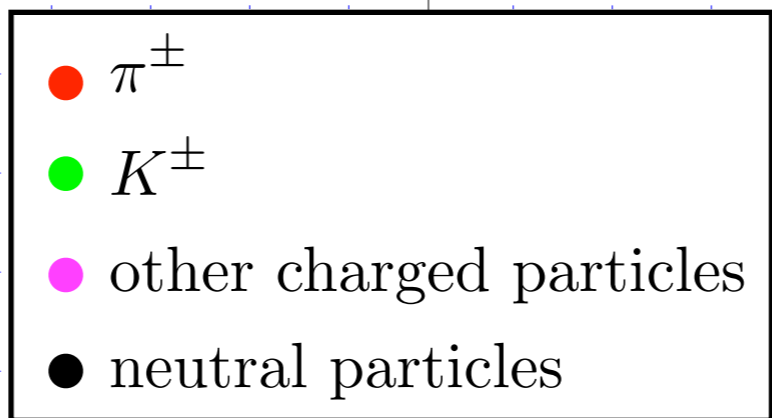
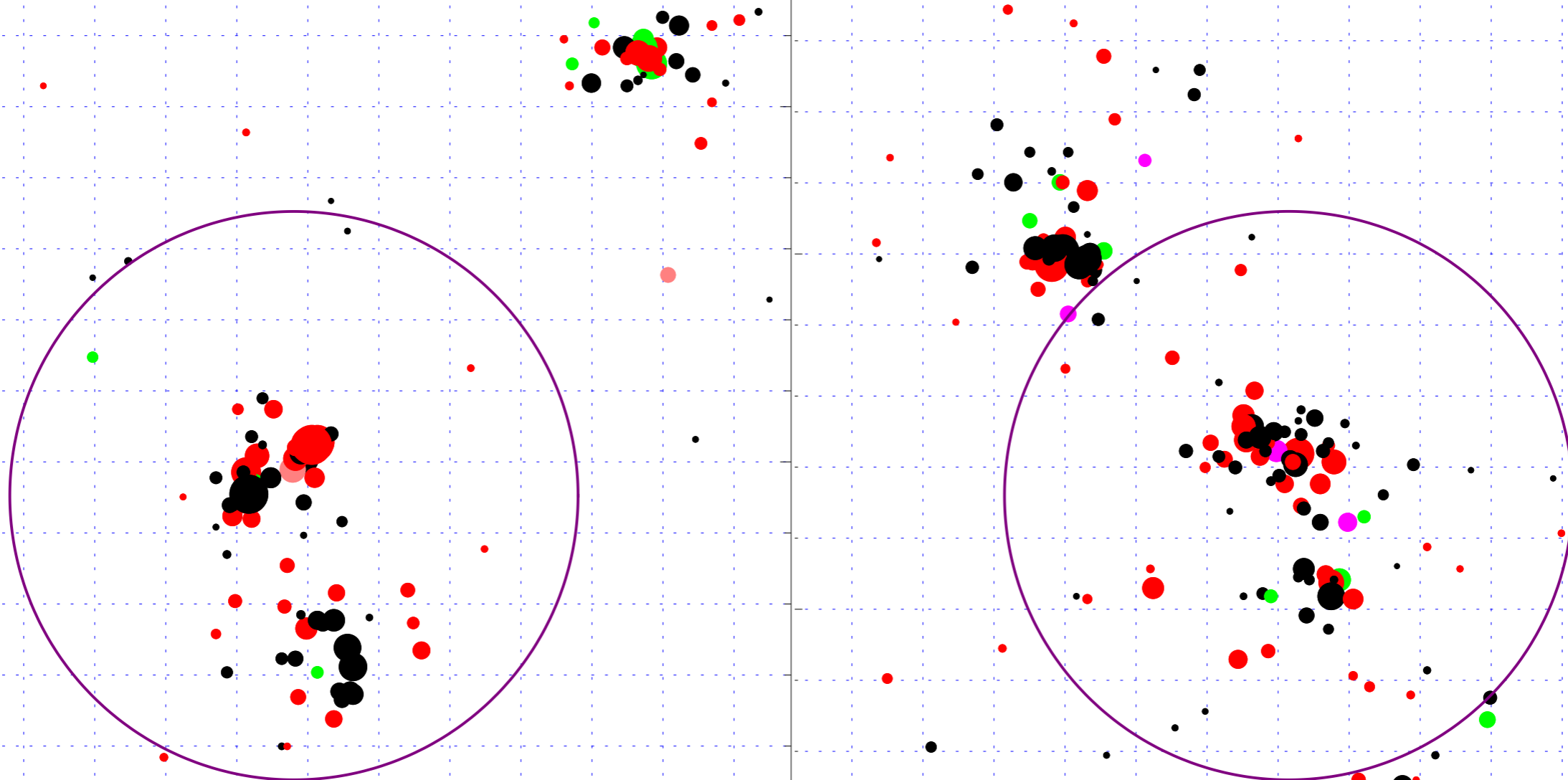
jet is not isolated



$p_T \sim 500$ GeV

Can we distinguish Quarks from Gluons?

Event 3

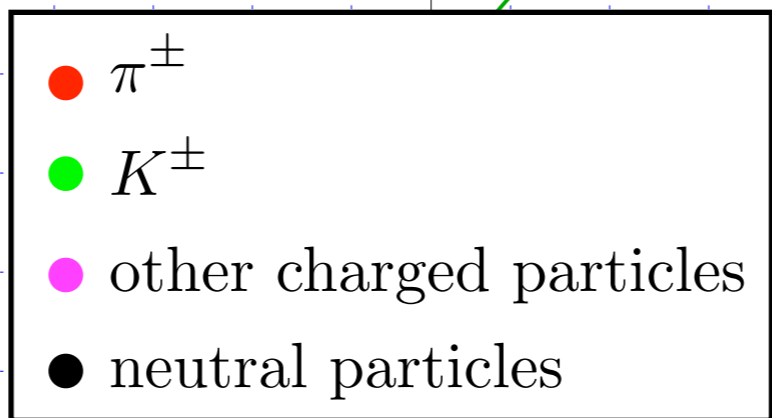
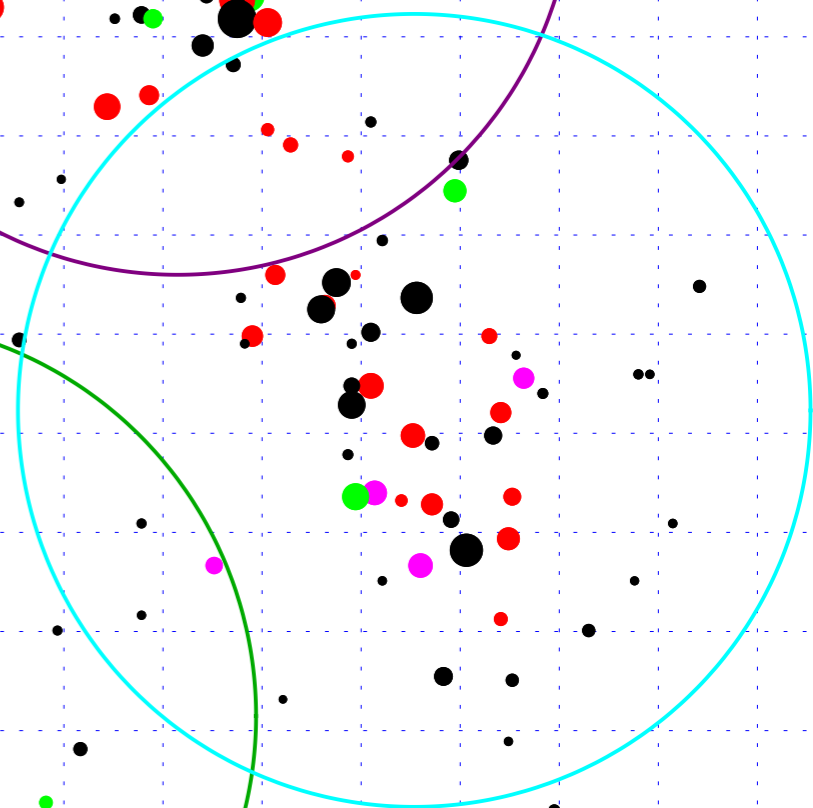
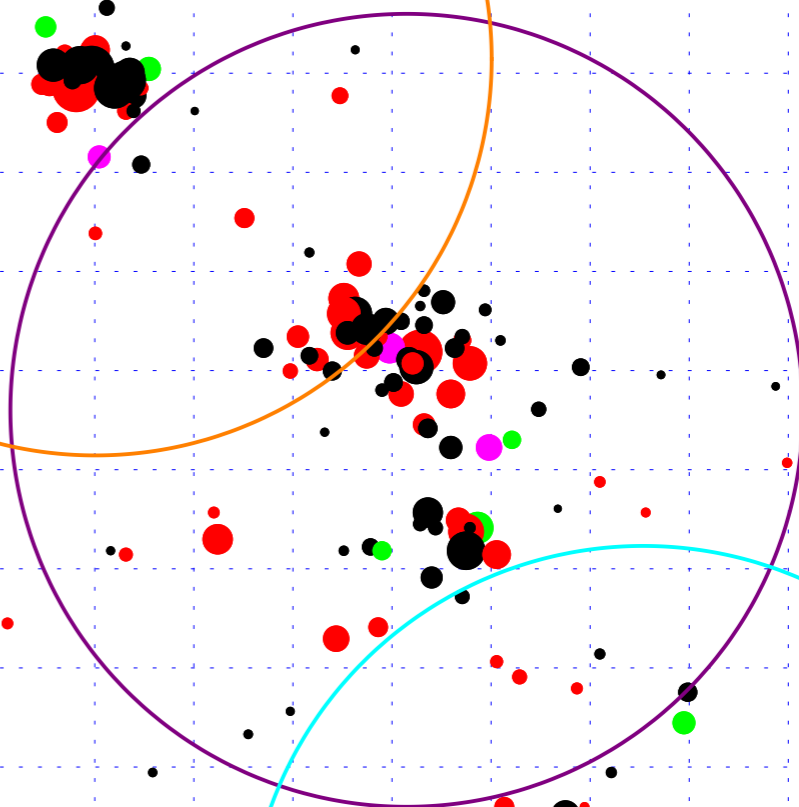
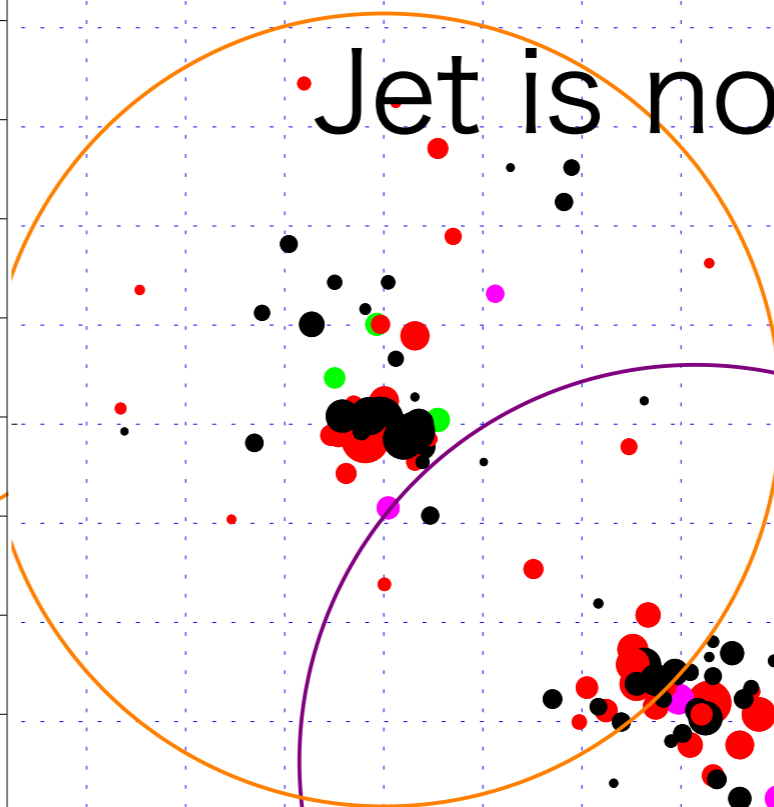
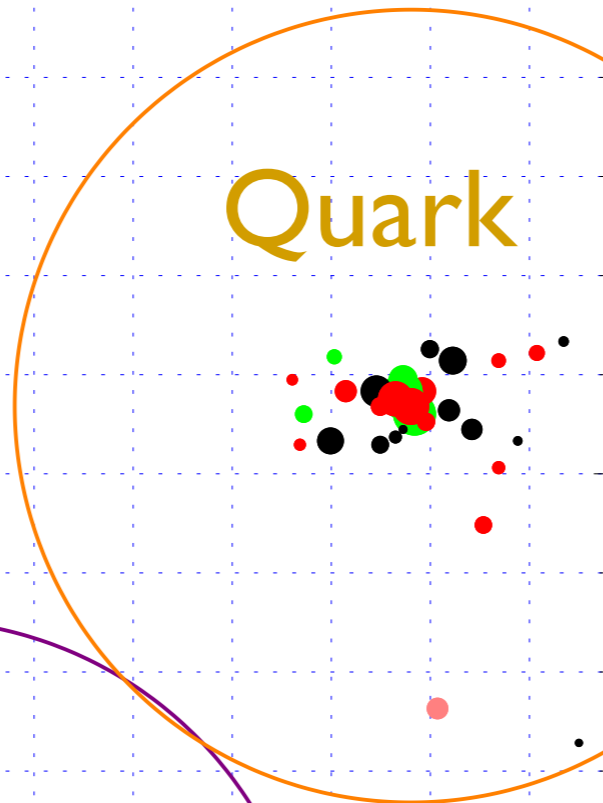
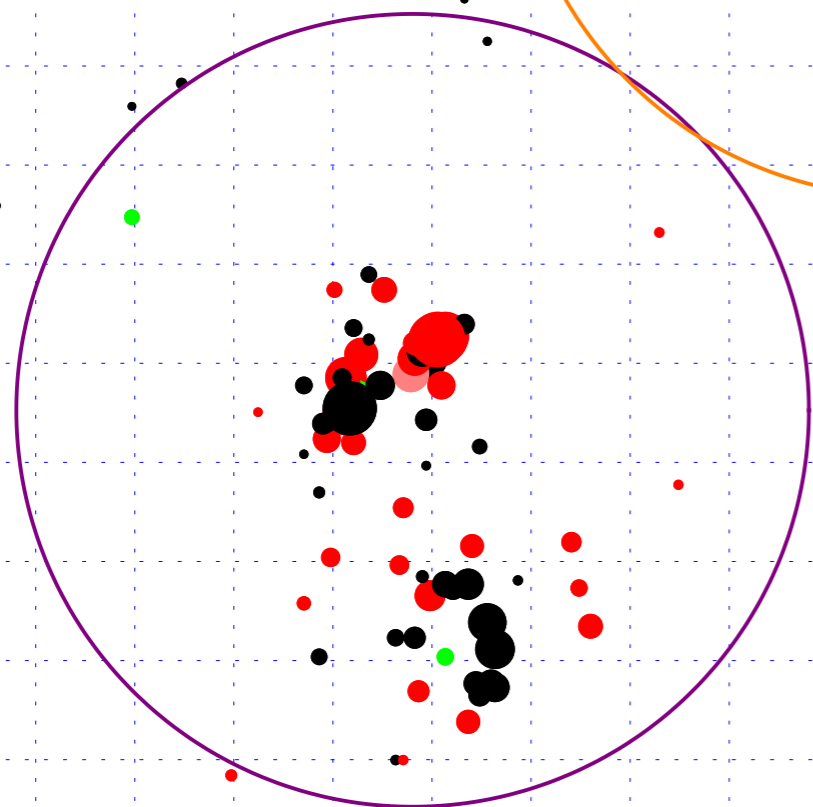


$p_T \sim 500$ GeV

Quark

Gluon

Jet is not isolated



$p_T \sim 500$ GeV

comparison with QCD

generating function

$$\Phi_i(u) = \sum_n R_n^i u^n .$$

jet rate $R_n^i = R_n^i(p_j, \xi)$

$$\xi = \Delta R^2 / 2$$

recursive equation

$$\Phi_q(u, p_j, \xi) = u + \int_{\xi_j}^{\xi} \frac{d\xi'}{\xi'} \int_{p_a/p_j}^1 dz \frac{\alpha_S(k_t^2)}{2\pi} P_{gq}(z) \Phi_q(u, p_j, \xi') [\Phi_g(u, zp_j, \xi') - 1] ,$$

$$\begin{aligned} \Phi_g(u, p_j, \xi) = u + \int_{\xi_j}^{\xi} \frac{d\xi'}{\xi'} \int_{p_a/p_j}^1 dz \frac{\alpha_S(k_t^2)}{2\pi} \{ & P_{gg}(z) \Phi_g(u, p_j, \xi') [\Phi_g(u, zp_j, \xi') - 1] \\ & + P_{qq}(z) [\{\Phi_q(u, p_j, \xi')\}^2 - \Phi_g(u, p_j, \xi')] \} . \end{aligned} \quad (2.5)$$

solution...

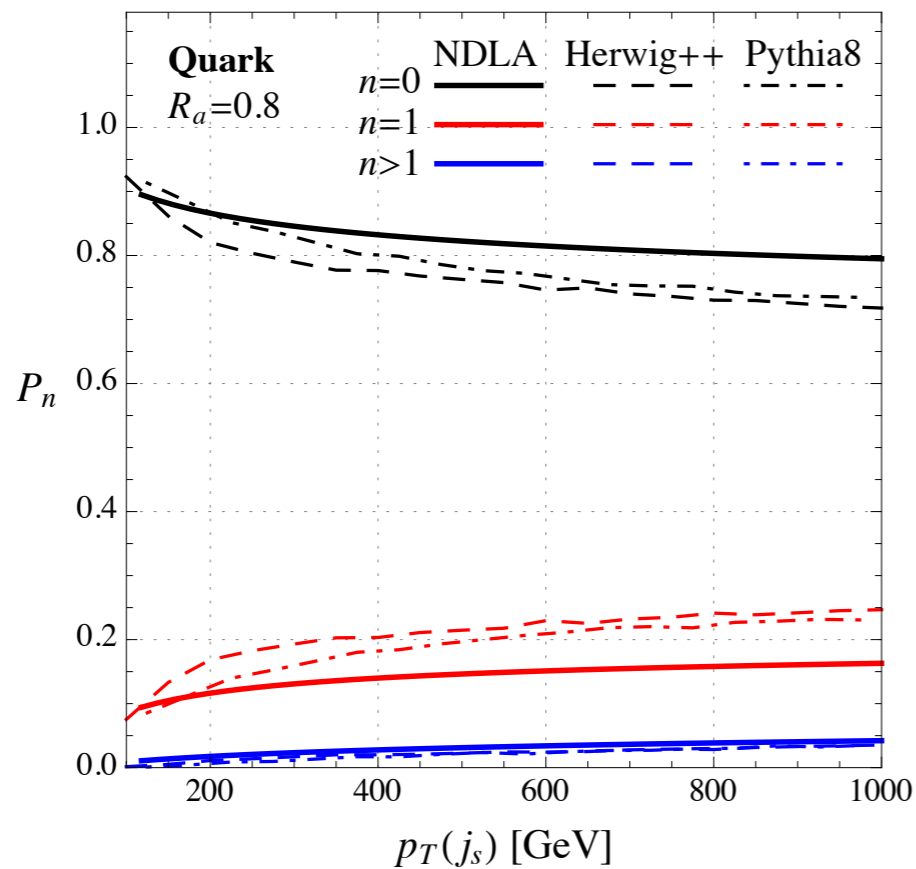
$$\Phi_q(u, \kappa, \lambda) = u \exp \left\{ \int_0^\lambda d\lambda' \int_0^\kappa d\kappa' \Gamma_q(\kappa', \lambda', \kappa, \lambda) [\Phi_g(u, \kappa', \lambda') - 1] \right\}$$

$$\kappa = \ln(p_j/p_a) , \quad \kappa' = \ln(zp_j/p_a) ,$$

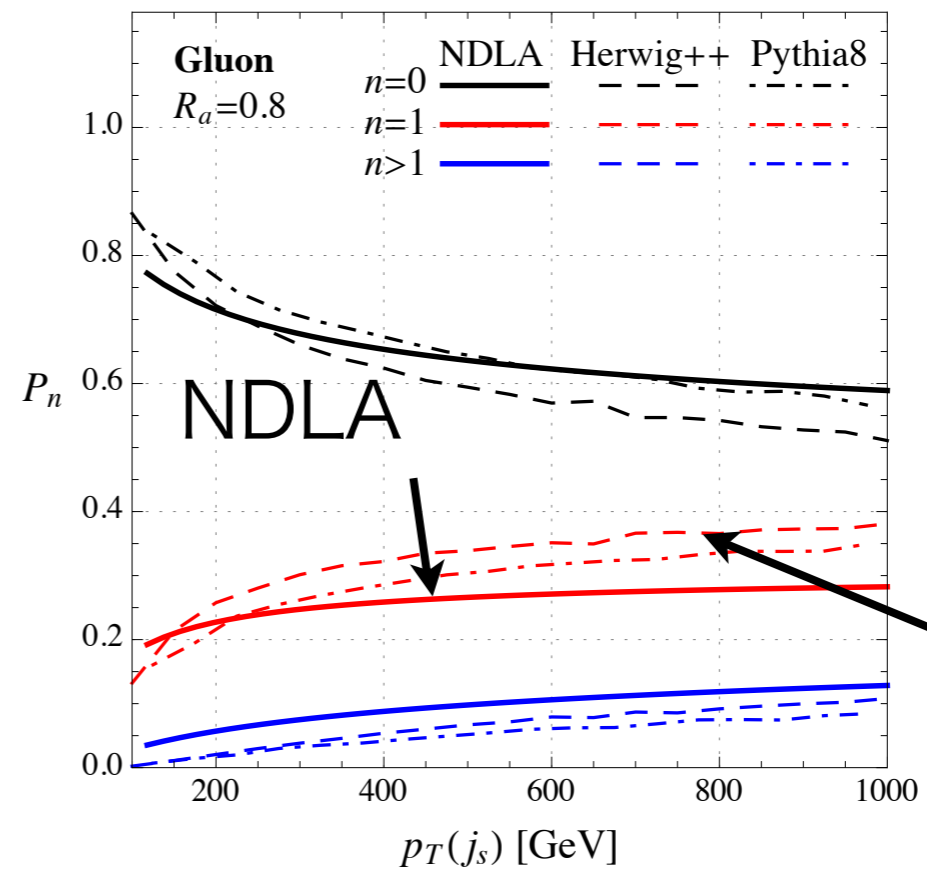
$$\lambda = \ln(\xi_a/\xi_j) = 2 \ln(R_a/R) , \quad \lambda' = \ln(\xi'/\xi_j) .$$

jets with associated jet is more likely to be gluon

DLLA predicts $P_1(\text{gluon}) \sim 2P_1(\text{quark})$ agree with Herwig++
Pythia $P_1(\text{gluon}) \sim P_1(\text{quark})$



quark



gluon

NDLA vs Herwig++ & Pythia8

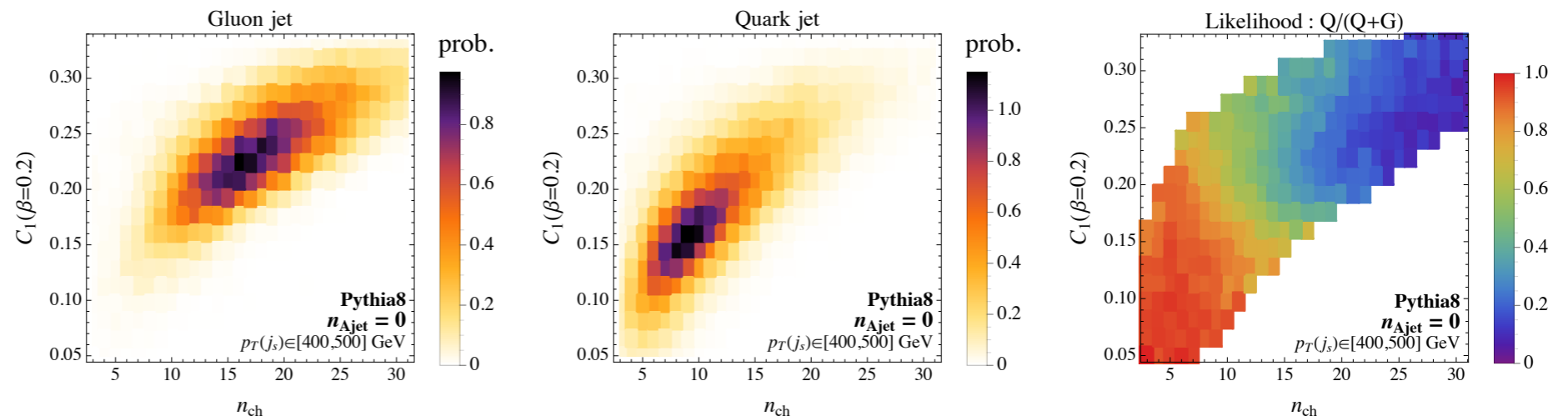
Associate jet variable

- Covers finite (large) angle emission, some correlation with jet mass or $C1$ of the jet.
- number of associated jet distribution is “consistent” with NDLL accuracy calc. large R_a/R and p_a/p and $\alpha^n \log^{2n}$ and $\alpha^n \log^{2n-1}$.
- No need to change LHC “jet analysis” anti-KT, fixed cone etc
- \Leftrightarrow “glooming” for wider R clustering (jet p_T cut on associated jet.)

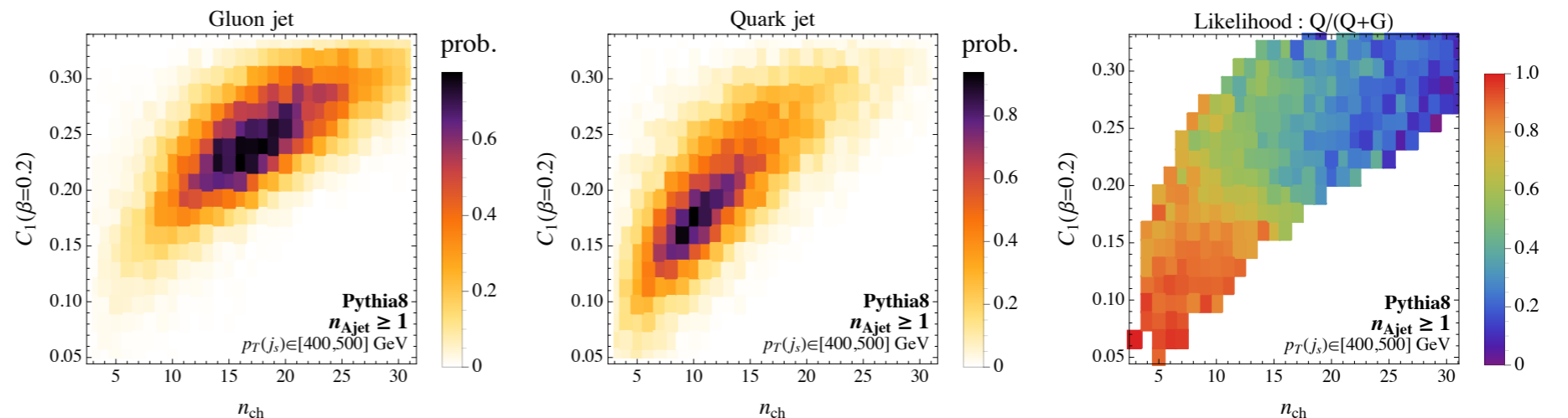
MVA with associated jet

- Tell MVA if jet has associated jets or not
- separate training with and without associated jet using m/p_{jet} , C_1 , n_{ch}
- Alternatively you can use $m(p_{\text{jet}}+p_a)/p_{\text{Tjet}}$, giving roughly same quark gluon separation.

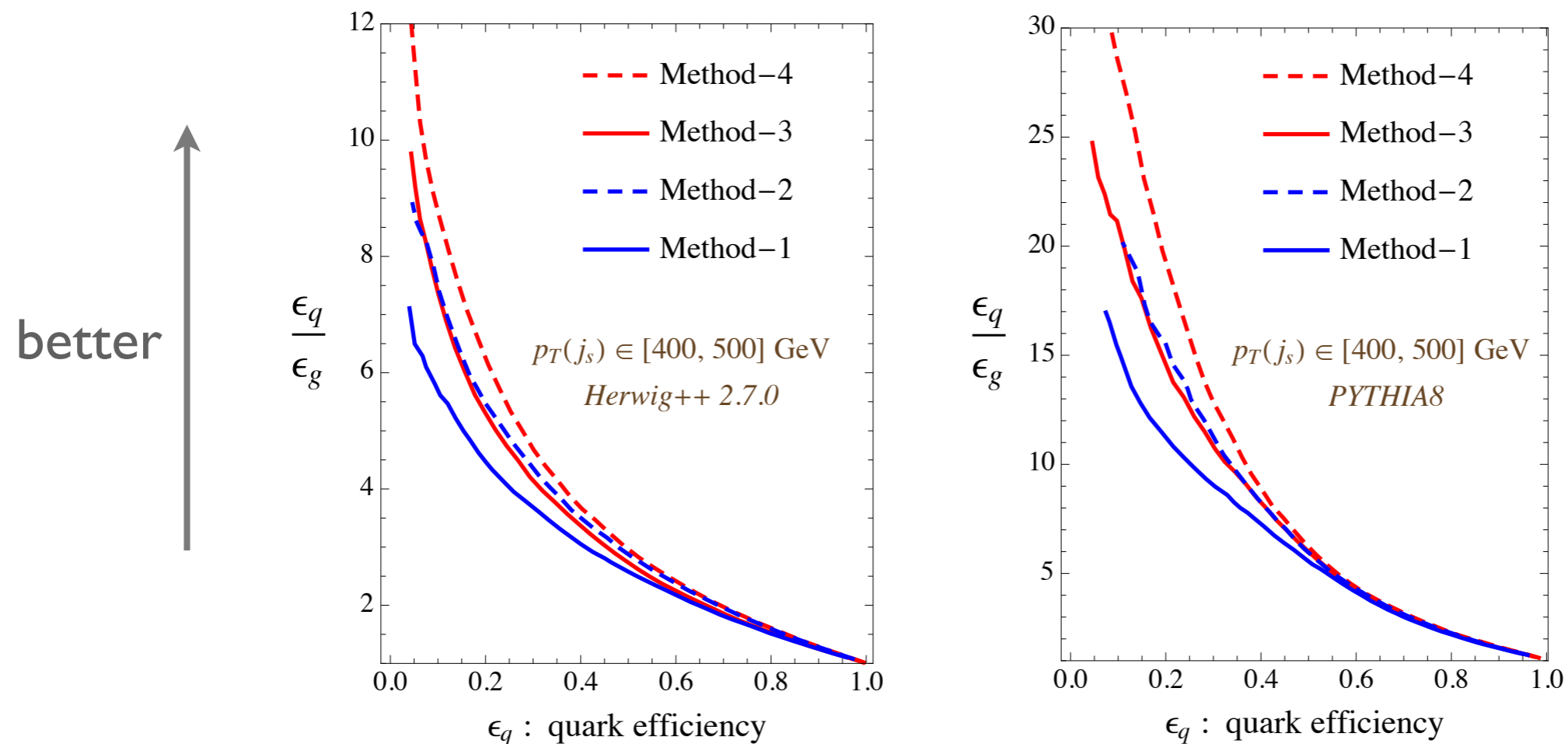
• # of assoc jet = 0



• # of assoc. jet ≥ 1

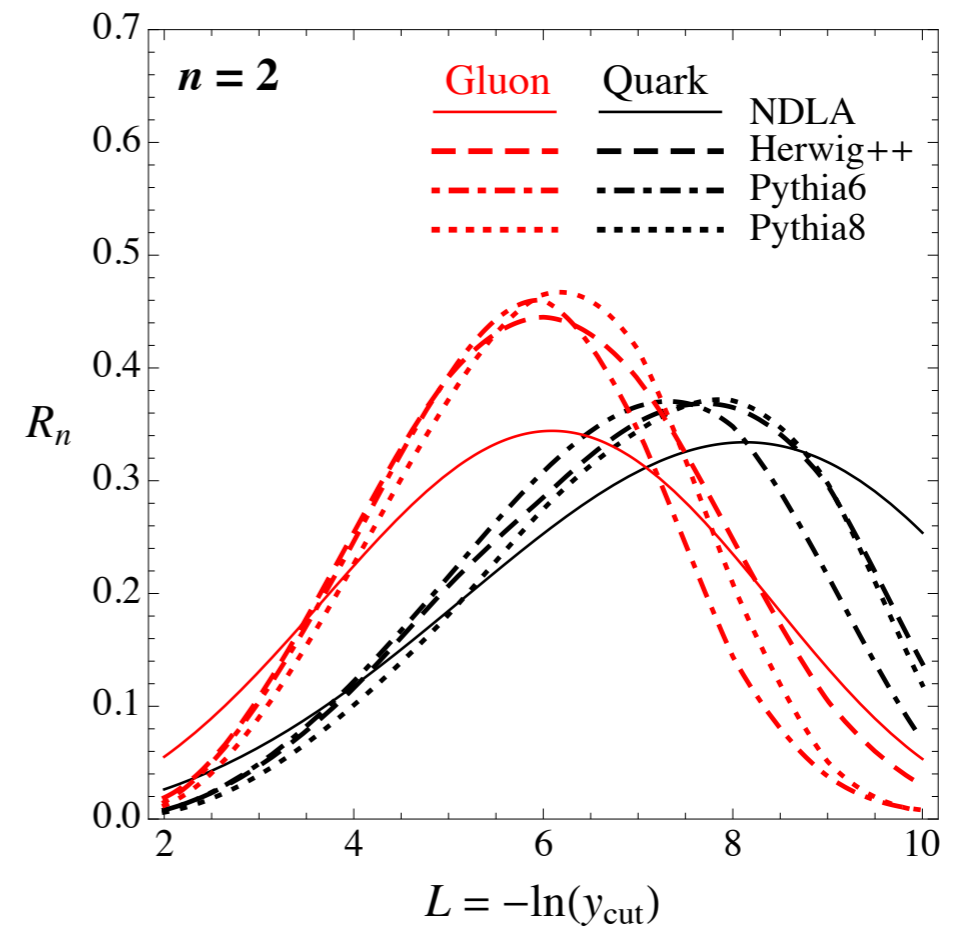
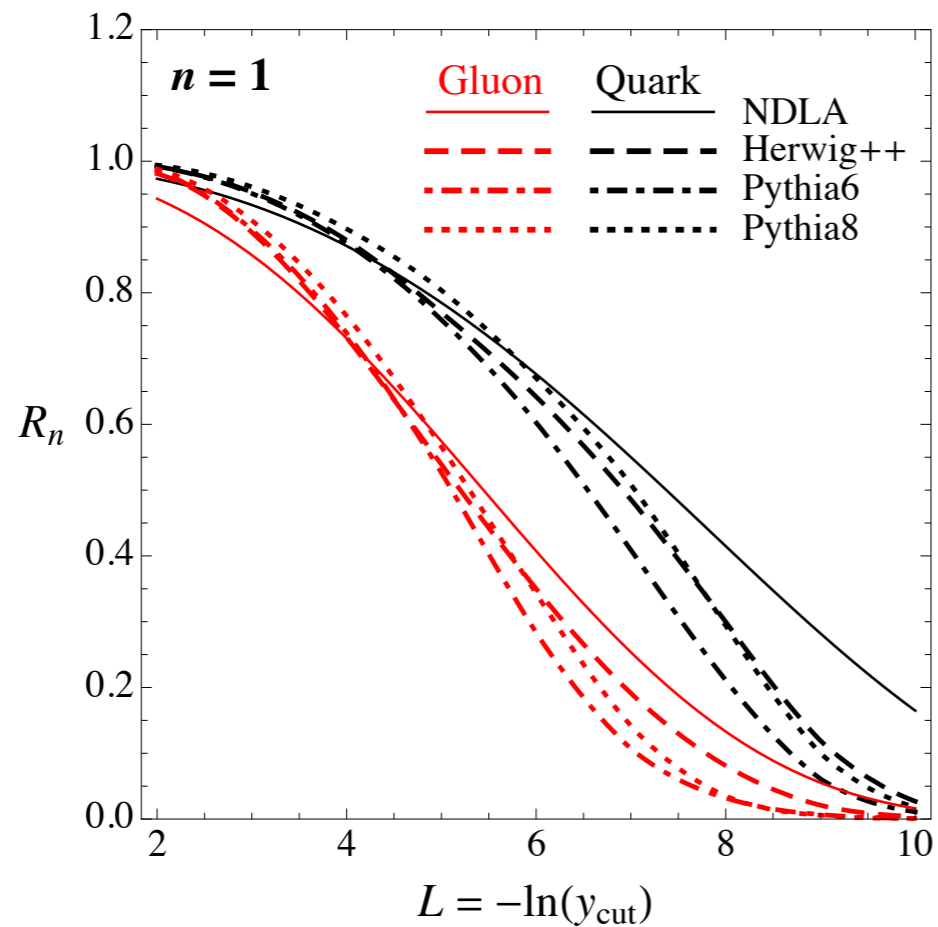


- Method-1: $MVA(n_{ch} + C_I)$
- Method-2: $MVA(n_{ch} + C_I) +$ associated jet information
- Method-3: $MVA(n_{ch} + C_I + m/p_T)$
- Method-4: $MVA(n_{ch} + C_I + m/p_T) +$ associated jet information



Associated jets bring information outside a leading jet, and improve the performance of Quark-Gluon separation!

inside jet:subjet rate



cluster jet \rightarrow re-cluster jet by kt
 \rightarrow stop at cut

$$y_{ik} = \min\{p_{ti}^2, p_{tk}^2\} \frac{\Delta R_{ik}^2}{R^2 p_j^2}, < y_{cut}$$

for application

- **Experimental studies using “isolated jets”** : **bias** killing gluon jet. It is **not practical** because high P_T jets have associated jets with high probability
- **generators do not agree** on number of nearby jets. They are different in shower, color connection .. -> quantity to tune MC model
- Underlying events could be a problem, though our simulations show it is not big.