

# Unitarity sum rules, three site moose model and the ATLAS 2TeV diboson anomalies

Ryo Nagai

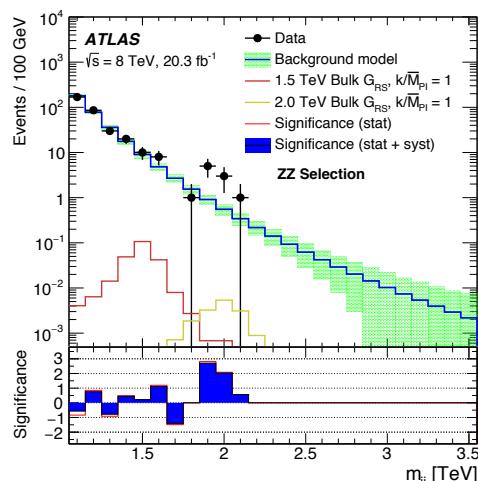
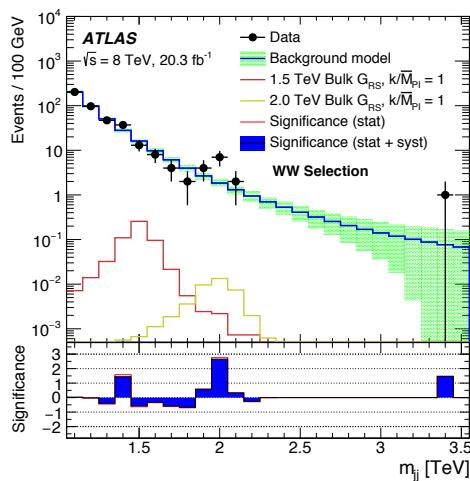
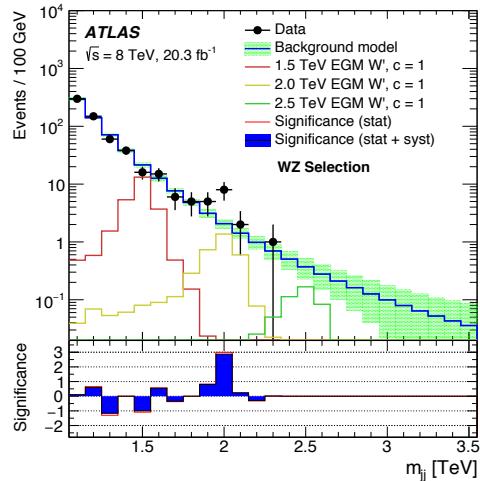
( Nagoya U. )

based on arXiv : 1507.01185  
with Tomohiro Abe ( KEK ) , Shohei Okawa ( Nagoya U. )  
and Masaharu Tanabashi ( KMI / Nagoya U. )

Kavli-IPMU-Durham-KIAS workshop:  
New particle searches confronting the first LHC run-2 data 7-11 Sep 2015

# The ATLAS 2TeV diboson anomalies

arXiv:1506.00962



The reported local significance :

$WZ \rightarrow JJ : 3.4\sigma$

$WW \rightarrow JJ : 2.6\sigma$

$ZZ \rightarrow JJ : 2.9\sigma$

# The ATLAS 2TeV diboson anomalies

In this talk, we investigate  $\text{spin-1 ( }W'\text{ )}$  interpretations for the ATLAS 2TeV diboson anomalies.

If we explain the ATLAS  $VV \rightarrow JJ$  anomaly in  $W'$  model, we need

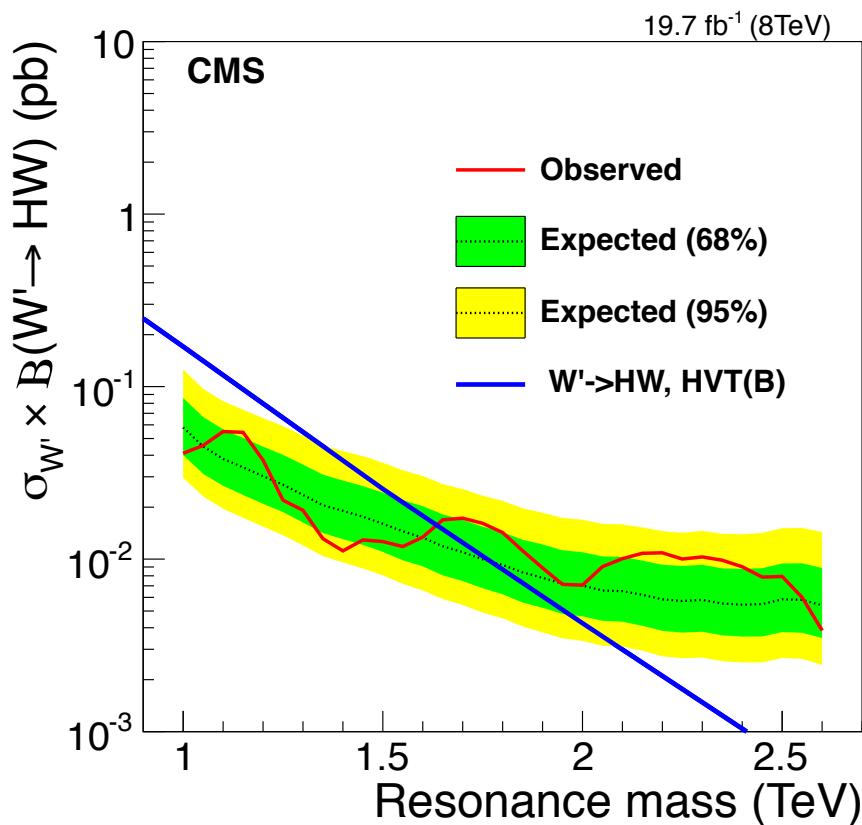
$$\sigma(pp \rightarrow W'; \sqrt{s} = 8\text{TeV}) B_{W'}(WZ) \simeq 14\text{fb}$$

with  $M_{W'} = 2\text{TeV}$  and  $\Gamma_{W'} < 100\text{GeV}$ .

# Challenge in $W'$ models

The CMS results for  $W' \rightarrow Wh \rightarrow JJ$

arXiv:1506.01443



Upper limit @  $M_{W'} = 2\text{TeV} :$

$$\sigma(pp \rightarrow W') B_{W'}(Wh) < 7\text{fb}$$

$\sqrt{s} = 8\text{TeV}$

# Challenge in $W'$ models

- ❖ The ATLAS anomaly :  $\sigma(pp \rightarrow W')B_{W'}(WZ) \sim 14\text{fb}$
- ❖ The CMS constraint :  $\sigma(pp \rightarrow W')B_{W'}(Wh) < 7\text{fb}$

- Typical  $W'$  model with  $M_{W'} = 2\text{TeV}$  predicts

$$\Gamma_{W'}(WZ) = \Gamma_{W'}(Wh)$$

# Challenge in $W'$ models

Can we relax the relation in the perturbative  $W'$  model ?

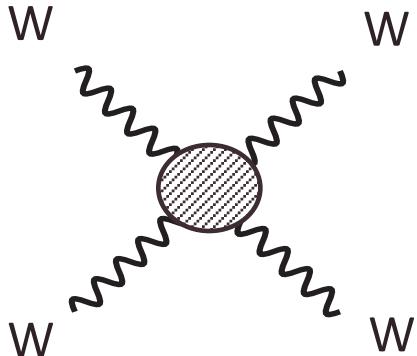
$$\Gamma_{W'}(WZ) = \Gamma_{W'}(Wh)$$

We reconsider the condition from the viewpoint of the **perturbative unitarity** of  $W / W'$  scattering amplitudes.

# Perturbative unitarity requirements and the ATLAS diboson anomalies

# $W_L W_L$ scattering in $W'$ model

The longitudinal polarization vector grows as energy.

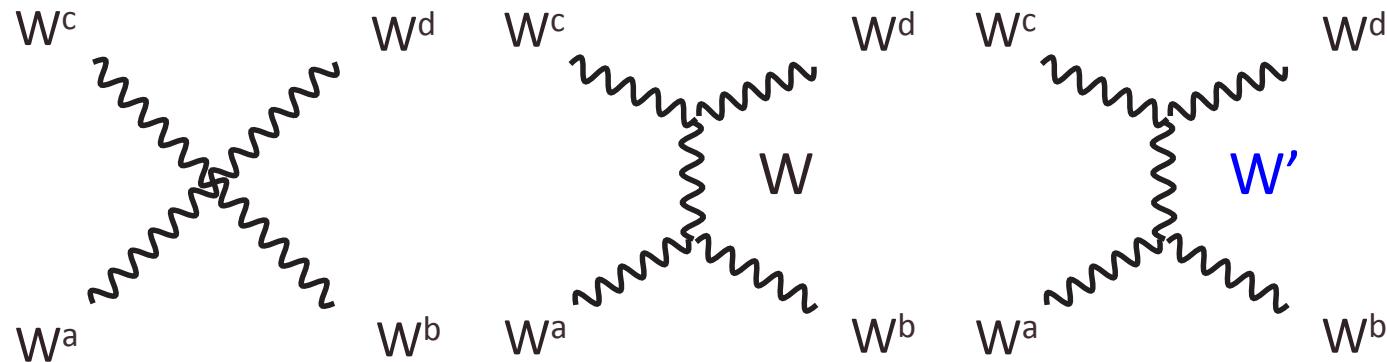

$$\sim |\epsilon_L|^4 \sim \frac{E^4}{M^4} + \frac{E^2}{M^2} + \dots$$

A Feynman diagram illustrating  $WW \rightarrow WW$  scattering. It shows four external lines, each labeled with a 'W', representing incoming particles. These lines converge at a central interaction point, which is represented by a shaded circular loop. This loop represents the exchange of longitudinal photons or other virtual particles in the  $W'$  model.

Let us first focus on  $WW \rightarrow WW$  scattering.

# $W_L W_L$ scattering in $W'$ model

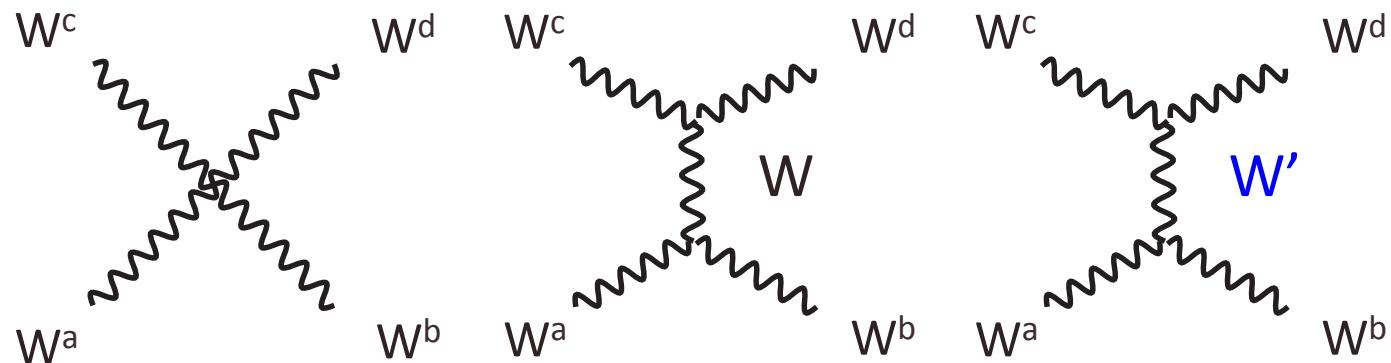
$O(E^4)$  terms in  $WW \rightarrow WW$  scattering amplitude



$$\mathcal{M}_{W_L W_L \rightarrow W_L W_L}|_{E^4} \sim [ g_{WWWW} - g_{WWW}^2 - g_{WWW'}^2 ] \frac{E^4}{M_W^4}$$

# $W_L W_L$ scattering in $W'$ model

$O(E^4)$  terms in  $WW \rightarrow WW$  scattering amplitude

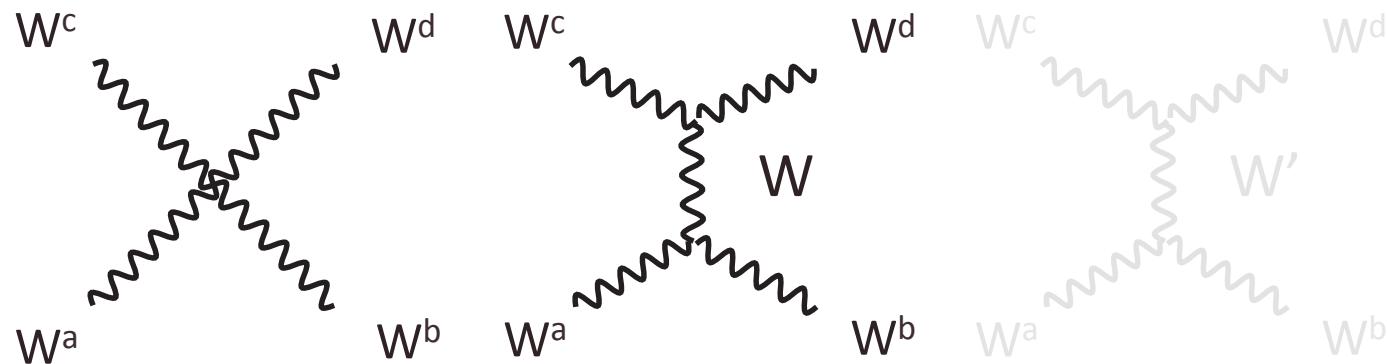


In order to cancel  $O(E^4)$  term,  $WWW$  and  $WWWW$  couplings should satisfy

$$g_{WWWW} = g_{WWW}^2 + g_{WWW'}^2$$

# $W_L W_L$ scattering in $W'$ model

$O(E^4)$  terms in  $WW \rightarrow WW$  scattering amplitude

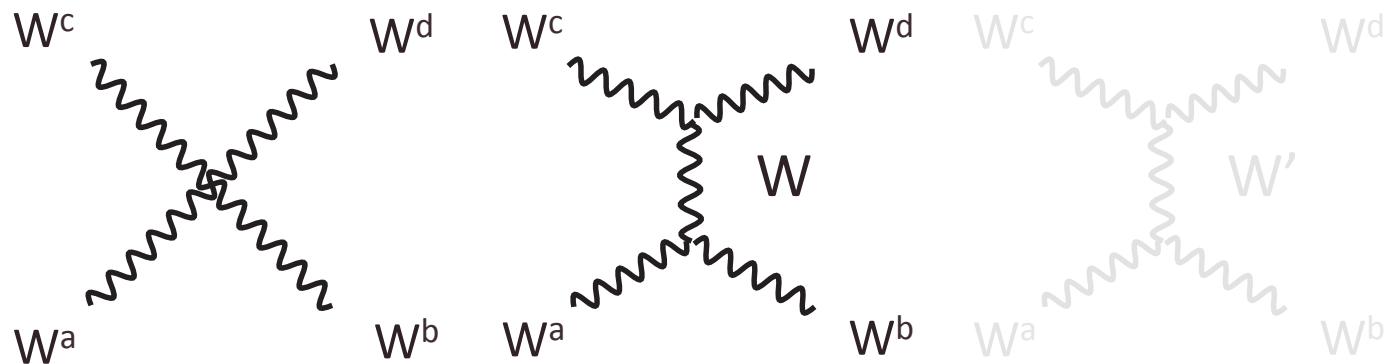


At  $M_W \ll E \leq M_{W'}$ , the sum rule is not enough to keep perturbative unitarity

$$\mathcal{M}_{W_L W_L \rightarrow W_L W_L}|_{E^4} \sim [ g_{WWWW} - g_{WWWW}^2 ] \frac{M_{W'}^4}{M_W^4}$$

# $W_L W_L$ scattering in $W'$ model

$O(E^4)$  terms in  $WW \rightarrow WW$  scattering amplitude

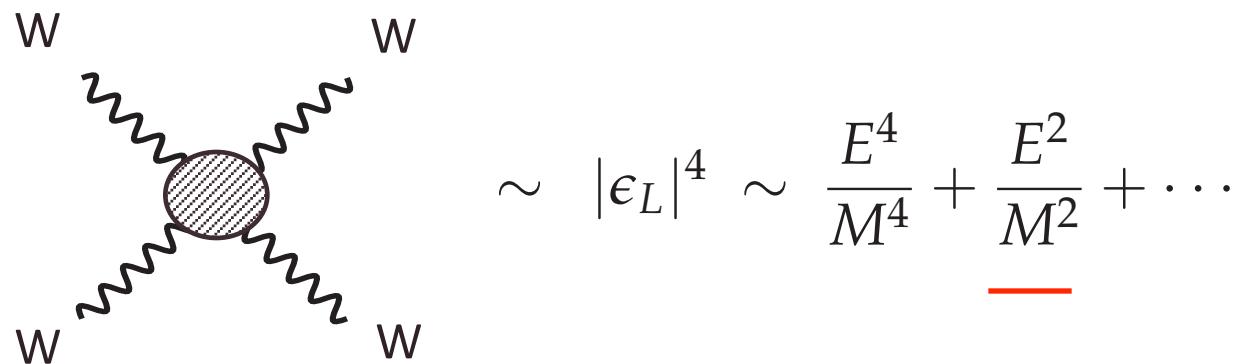


Requiring the amplitude is still consistent with perturbative unitarity,

$$g_{WWW'} \equiv \xi_V g_{WWW} \frac{M_W^2}{M_{W'}^2}, \quad |\xi_V| \leq 15$$

# $W_L W_L$ scattering in $W'$ model

The longitudinal polarization vector grows as energy.



$hWW$  and  $hWW'$  couplings are controlled by  $O(E^2)$  perturbative unitarity conditions.

# $W_L W_L$ scattering in $W'$ model

In order to cancel  $O(E^2)$  term,  $hVV$  couplings should satisfy

$$WW \rightarrow WW : \quad \sum_h g_{hWW}^2 = M_W^2 g_{WWW}^2 + (4M_W^2 - 3M_{W'}^2) g_{WWW'}^2$$

$$\begin{aligned} WW \rightarrow WW' : \quad & \sum_h g_{hWW} g_{hWW'} = M_{W'}^2 g_{WWW} g_{WWW'} \\ & + (3M_W^2 - 2M_{W'}^2) g_{WWW'} g_{WW'W'} \end{aligned}$$

$$WW \rightarrow W'W' : \quad \sum_h g_{hWW'}^2 = \frac{M_{W'}^4}{M_W^2} g_{WWW'}^2 + \frac{M_W^4}{M_{W'}^2} g_{WW'W'}^2$$

# Our finding

Combining  $WW \rightarrow WW$ ,  $WW \rightarrow WW'$ , and  $WW \rightarrow W'W'$  unitarity sum rules, we obtain

$$g_{hWW'}^2 = \xi_V^2 g_{hWW}^2$$

hWW' coupling      WWW' coupling      hWW coupling

- Perturbative unitarity requires that  $hWW'$  coupling should relate with  $WWW'$  coupling and  $hWW$  coupling !

# Our finding

Combining  $WW \rightarrow WW$ ,  $WW \rightarrow WW'$ , and  $WW \rightarrow W'W'$  unitarity sum rules, we obtain

$$\Gamma_{W'}(Wh) = \kappa_V^2 \Gamma_{W'}(WZ) \quad \kappa_V \equiv \frac{g_{hWW}}{g_{hWW}^{\text{SM}}}$$

- The ATLAS 2TeV anomalies may be consistent with the CMS limits on Wh decay channel if we consider  $\kappa_V < 1$ .

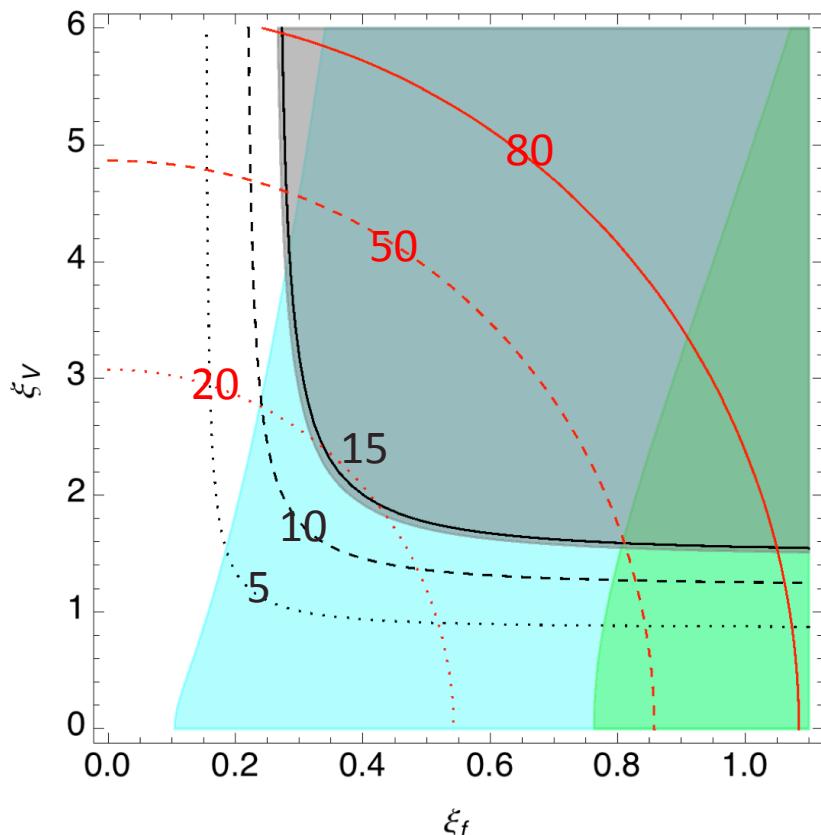
The ALTAS 2TeV anomalies :  $\sigma(pp \rightarrow W')B_{W'}(WZ) \sim 14\text{fb}$

The CMS limit :  $\sigma(pp \rightarrow W')B_{W'}(Wh) < 7\text{fb}$

$$|\xi_q| = |\xi_l| \text{ and } \kappa_v = 0.7$$

e.g. The degenerate model (  $M_{W'} = M_{Z'} = 2\text{TeV}$  )

$$M_{Z'} = M_{W'} = 2\text{TeV}, \quad |\xi_l| = |\xi_q|, \quad \xi_h = \pm 0.7\xi_V$$



Black :  $\sigma B(VV) = 5, 10, 15\text{fb}$

Gray : Wh/Zh

Blue :  $l\nu / l l$

Green : 2j

Red :  $\Gamma_{W'} = 20, 50, 80\text{GeV}$

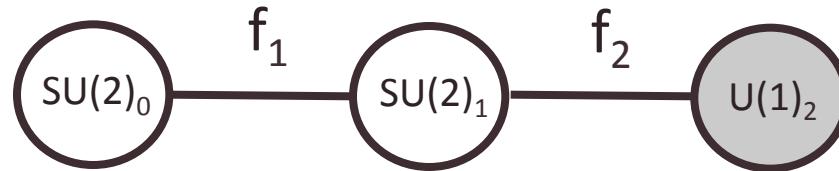
- We obtain  $\sigma B(VV) = 10\text{fb}$   
if  $\xi_V = 4$  and  $\xi_f = 0.23$

# Three site moose model

# Three site moose model

## Three site Higgs moose model

$$\text{EWSB} : \text{SU}(2)_0 \times \text{SU}(2)_1 \times \text{U}(1)_2 \rightarrow \text{U}(1)_{\text{EM}}$$



EW interaction :

$$\mathcal{L}_{\text{EW}} = -J_W^{a\mu} \left[ g_0 W_{0\mu}^a (1-x) + x g_1 W_{1\mu}^a \right] - g_2 J^{Y\mu} B_{2\mu}$$

x : delocalization parameter;  $0 < x < 1$

# Three site moose model

W'/Z' coupling strengths ( $f_1 \gg f_2$ ;  $M_{W'} = M_{Z'} \gg M_Z$ )

WZW', WWZ' couplings :  $\xi_V \simeq \frac{g_1}{g_0}$

ffW', ffZ' couplings :  $\xi_f \simeq \frac{g_0}{g_1} \left( 1 - x - x \frac{g_1^2}{g_0^2} \right)$

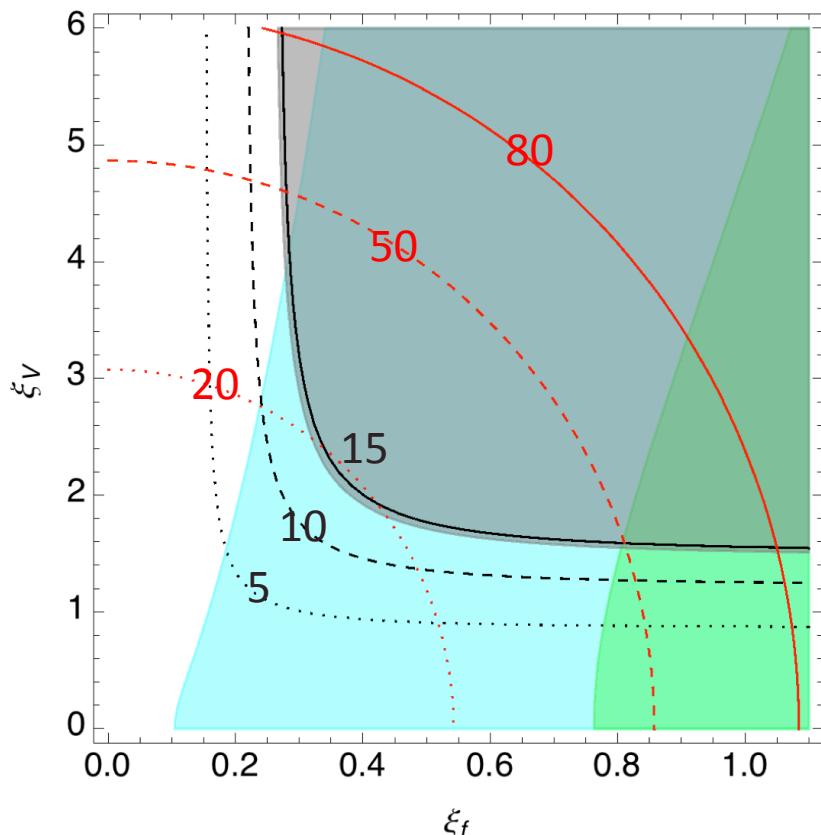
hWW, hZZ couplings :  $\kappa_V = \sin \alpha \leq 1$

 Mixing angle  
between Higgs fields

$$|\xi_q| = |\xi_l| \text{ and } \kappa_v = 0.7$$

e.g. The degenerate model (  $M_{W'} = M_{Z'} = 2\text{TeV}$  )

$$M_{Z'} = M_{W'} = 2\text{TeV}, \quad |\xi_l| = |\xi_q|, \quad \xi_h = \pm 0.7\xi_V$$



Black :  $\sigma B(VV) = 5, 10, 15\text{fb}$

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- We obtain  $\sigma B(VV) = 10\text{fb}$   
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# Three site moose model

W'/Z' coupling strengths ( $f_1 \gg f_2$ ;  $M_{W'} = M_{Z'} \gg M_Z$ )

WZW', WWZ' couplings :       $\xi_V \simeq \frac{g_1}{g_0}$

ffW', ffZ' couplings :       $\xi_f \simeq \frac{g_0}{g_1} \left( 1 - x - x \frac{g_1^2}{g_0^2} \right)$

- $g_{w_0}/g_{w_1} = 4$  gives the reference value cross section for the ATLAS diboson anomalies without causing conflicts with other limits on W'/Z'.

# Summary

- We investigate spin-1 ( $W'$ ) interpretation for the ATLAS 2TeV anomalies from the view point of **perturbative unitarity** and **custodial symmetry**.
- The anomalies can be explained in a perturbative  $W'$  model with **non-standard model like 125GeV Higgs boson**.
- We find the ATLAS 2TeV anomalies may be interpreted as a  $W'$  particle (**KK particles of EW gauge bosons**) in the three site moose model.
- $pp \rightarrow Wh/Zh$  channel give us most stringent constraints on  $W'$  model. The LHC Run2 experiments are expected to clarify whether the 2TeV resonance is perturbative  $W'/Z'$  or not.

Thank you for your attentions.