Lensing B-mode at low ell

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Contents

1) Introduction to lensing B-modes

2) Cosmological information in large-scale lensing B-modes

3) Delensing large-scale B-modes

CMB Lensing

The lensing effect on the CMB is well described by remapping of the CMB anisotropies.

(Reviews : Lewis&Challinor'06; Hanson+'10; Smith'11; TN'14)



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Lensing B-modes

In ongoing and future CMB experiments, the polarization lensing is more important than the temperature lensing because the lensing produces B-modes



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Which scales in ϕ source the lensing B modes

1) ϕ at $300 \le \ell < 400$ is the most dominant source

2) Flat power spectrum at large scales

Which scales in ϕ source the lensing B modes

1) Contribution from ϕ at high- ℓ is not so significant

2) Flat power spectrum at large scales

Which scales in **E-modes** source the lensing B modes

1) Similar to the case of ϕ (at large scale)

2) Flat power spectrum at large scales

Flatness of the low- ℓ lensing B modes

From the previous figures, changes in the shape of $C \mathcal{U} \uparrow EE$ and $C \mathcal{U} \uparrow \phi \phi$ only affect amplitudes of $C \mathcal{U} \uparrow BB$ at low- ℓ

E-mode has little power at large scale, and only $\sim 2'$ shift can not produce significant correlation in large-scale E-mode pattern.

Uncorrelated random fields in real space correspond to a white spectrum

 $C \downarrow L \uparrow BB \sim 1/4\pi \int \uparrow \hline d\ell / \ell \left[\ell \uparrow 4 C \downarrow \ell \uparrow \phi \phi \right] \left[\ell \uparrow 2 C \downarrow \ell \uparrow EE \right]$

(independent of L)

Changes in CULTEE and CULT $\phi\phi$ can modify only the amplitudes

This feature is important to consider how the large scale Bmodes are sensitive to the cosmology.

Accurate calculation of the large-scale lensing B-modes

• Non-linear growth of the large-scale structure : $\sim 10\%$ (compared to the linear theory) (Challinor & Lewis '05)

In addition, we can measure bispectrum of ϕ using S4, but this is rather relevant to the small-scale B-modes

For future high-sensitivity experiments, we may need to accurately treat the non-linearity in ϕ .

• Multiple lensing / Born appox. : < 1%

(Hagstotz et al 2015; Calabrese et al 2015)

- Time delay (radial displacement) : 0.01% (Hu & Cooray 2000)
- Gravitational faraday rotation : 0.0001% x (r/0.13) (Dai 2014)

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Cosmological information in large-scale lensing B-modes

Sensitivity of $C \downarrow \ell \uparrow BB$ to $\Sigma m \downarrow \nu$ is significant compared to that of E and T

Derivative with respect to w is also flat which leads to strong parameter degeneracies

Cosmological information in the lensing B-modes

If we want to constrain $\Sigma m \downarrow \nu$ and w, the reconstruction of ϕ is more useful than the lensing $C \downarrow \ell f BB$

If ϕ is modified at scales where the reconstruction noise is significant, the large-scale lensing *C* \mathcal{H} *1*BB becomes better than the reconstruction Using large-scale lensing B-modes, we can reconstruct the large-scale ϕ map, and constrain, e.g., fNL by cross-correlating galaxy clustering

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See Blake's talk

Once we measure ϕ (+noise), we can remap observed E-modes to get lensing B-mode template, and subtract it from observed B-modes

(TN, Yamauchi, Sherwin, Nagata 2014)

For LiteBIRD, mass tracers will be useful for delensing.

Once we measure ϕ (+noise), we can remap observed E-modes to get lensing B-mode template, and subtract it from observed B-modes

Combining, e.g., Simons Array and AdvACT will also help delensing

Power Spectrum Covariance

The typical values are <1% at ℓ <100 and 6-8% at ℓ = 200 – 300

Power Spectrum Covariance

The values are smaller than those of the lensing B-modes The non-Gaussian covariance degrades $\sigma(r)$ by only few percent But the results depend on the precision of ϕ measurement

Summary

• Large scale lensing B-modes are mostly sourced from E-modes and ϕ at $300 \le \ell < 400$

• Using large-scale lensing B-modes to parameter constraints suffer from the strong parameter degeneracy, but useful to reconstruct the large-scale ϕ

 Delensing is now important and mass tracers are useful for LiteBIRD, if S4 data will be not available

BACKUP

Cosmological information in the lensing B-modes

Moreover, the lensing B-modes are non-Gaussian (especially at small scales) which degrades parameter constraints

Delensing 1.0 $CMB+SKA1(5\mu Jy)$ $/C_{\ell}^{\rm BB, lens}$ $CMB+SKA1(10\mu Jy)$ CMB alone 0.8 Noise limit Delensing efficiency: $C_\ell^{ m BB, res}$ 0.6 0.4 0.2 0.0 50 100 150 200 l

Using BICEP/Keck + SPT and other mass tracers, the lensing Bmodes are significantly suppressed.

Measuring lensing potential

Primordial CMB is statistically isotropic, and different multipoles are uncorrelated:

 $\begin{array}{ll} \langle T \downarrow L \ \downarrow 1 \ T \downarrow L \ \downarrow 2 \ \rangle {=} 0 & (L \downarrow 1 \neq L \downarrow 2 \) \\ L \downarrow 2 \) \end{array}$

A lensing potential leads to statistical anisotropy in the primordial CMB, generating mode couplings:

 $(T \downarrow L \downarrow 1 \text{ flens } T \downarrow L \downarrow 2 \text{ flens }) \propto \phi \downarrow L \downarrow 1 - L \downarrow 2$ $(L \downarrow 1 \neq L \downarrow 2)$

The lensing potential is estimated from the off-diagonal elements $\phi \downarrow L \uparrow obs = \int \uparrow m d \uparrow 2 \ell F \downarrow \ell, L T \downarrow L - \ell \uparrow obs$ (Hu & Okamoto, 2002) $T \downarrow \ell \uparrow obs$

though some non-lensing anisotropies cause non-negligible biases (e.g., TN, Hanson & Takahashi 2013)

Measuring lensing potential

though some non-lensing anisotropies cause non-negligible biases (e.g., TN, Hanson & Takahashi 2013) Using the lensing B-modes, the lensing potential can be measured without small scale anisotropies

Planck provides phi at 40 <= L <= 400 (8 <= L <= 2048) as a conservative (aggressive) range

LiteBIRD will be able to measure nearly fullsky lensing potential, and has possibility to measure the phi map at the largest scales Using the lensing B-modes, the lensing potential can be measured without small scale anisotropies

Lensing Cosmology with LiteBIRD

Using "large-scale" lensing mass map, we can probe

Primordial non-gaussianity

CMB lensing x galaxy clustering

Dark energy sound speed Modified gravity CMB lensing

CMB lensing x ISW

CMB lensing x galaxy

Other possibilities

CMB Lensing x E-modes Reionization

Lensing at reionization epoch causes correlations between E-mode and lensing potential at very large scale

CMB Lensing Curl-Mode

Cosmic String, Magnetic field, post recombination GWs, etc

Curl mode of the lensing potential has large amplitudes at large scales

Polarization Lensing Bispectrum

Primordial non-gaussianity Parity violation

BBE, BB ϕ , etc can be generated by non-Gaussianity, and BBB, \cdots are generated by further violating parity.

Power Spectrum Covariance

The analytic formula including up to trispectrum well capture the behaviors of the simulation results

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