

The information hidden in the anisotropies of the CMB spectral distortions

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$$\bar{y} = 10^{-6} \pm ?$$

$$\bar{y} < 2.2 \times 10^{-6}, \text{ COBE-FIRAS: } < 15 \times 10^{-6}$$

$$\mu_{\text{rms}}^{10'} < 6.4 \times 10^{-6}, \text{ COBE-FIRAS: } \bar{\mu} < 90 \times 10^{-6}$$

$$D_{\ell}^{\mu T} |_{\ell=2-26} = 2.6 \pm 2.6 \times 10^{-12} \text{ K}$$

$$f_{\text{NL}} < 10^5, k_{\text{S}}/k_{\text{L}} = 10^6$$

$$I_\nu = \frac{2h\nu^3}{c^2} \frac{1}{e^{h\nu/(k_B T)} - 1}$$

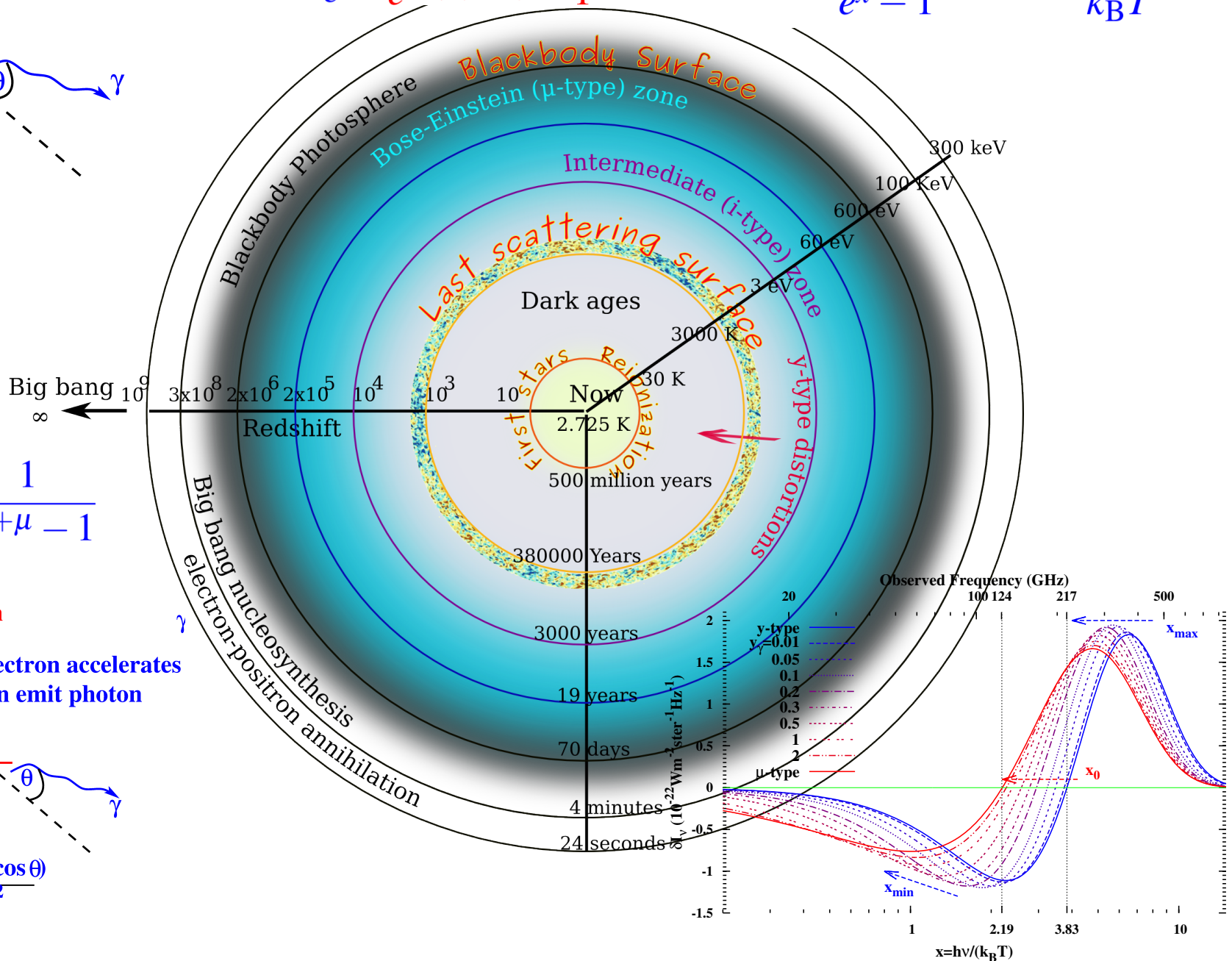
$$n(x) = \frac{1}{e^x - 1} \quad , \quad x = \frac{h\nu}{k_{\text{B}}T}$$

$$n(x) = \frac{1}{e^{x+\mu} - 1}$$

Compton

Electron accelerates
Can emit photon

$$\text{Recoil} = \frac{h\nu(1 - \cos \theta)}{mc^2}$$



Bose-Einstein spectrum- Chemical potential (μ)

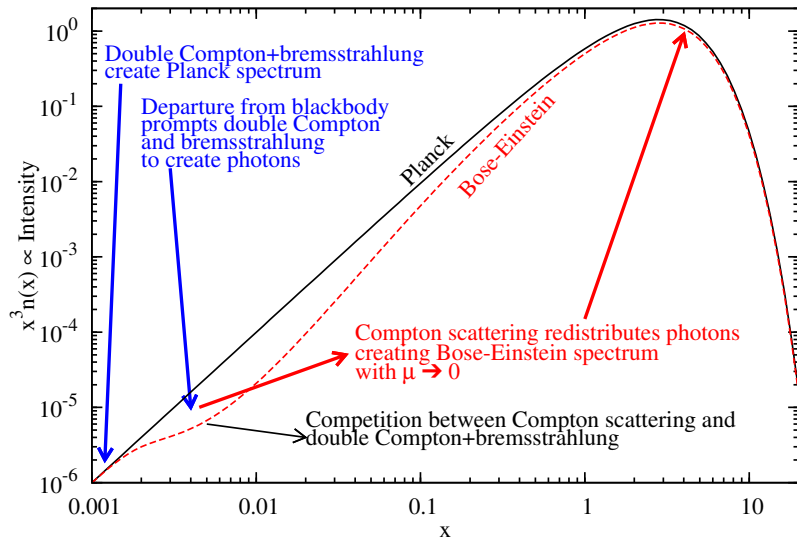
$$n(x) = \frac{1}{e^{x+\mu} - 1}$$

Given two constraints, energy density (E) and number density (N) of photons, T, μ uniquely determined.

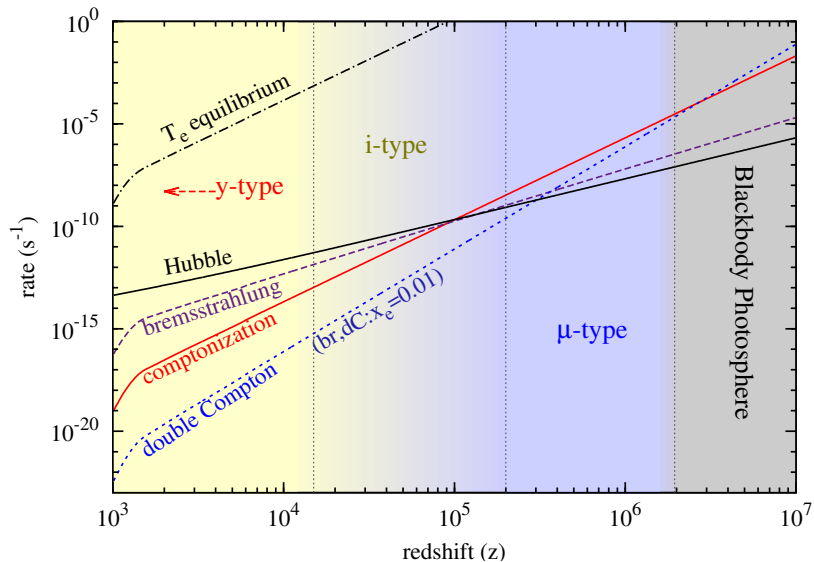
Idea behind analytic solutions:

If we know rate of production of photons and energy injection rate, we can calculate the evolution/production of μ (and T)

Creation of CMB Planck spectrum

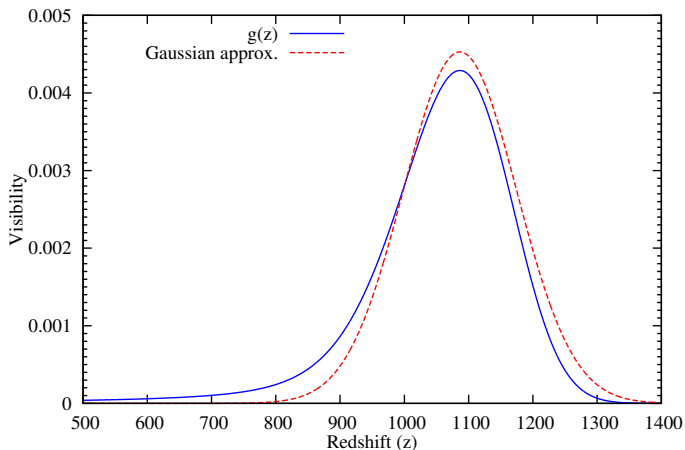


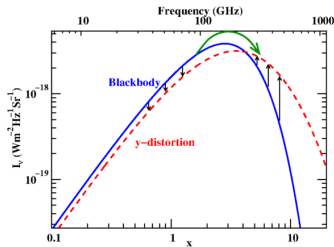
Creation of CMB Planck spectrum



The last scattering surface

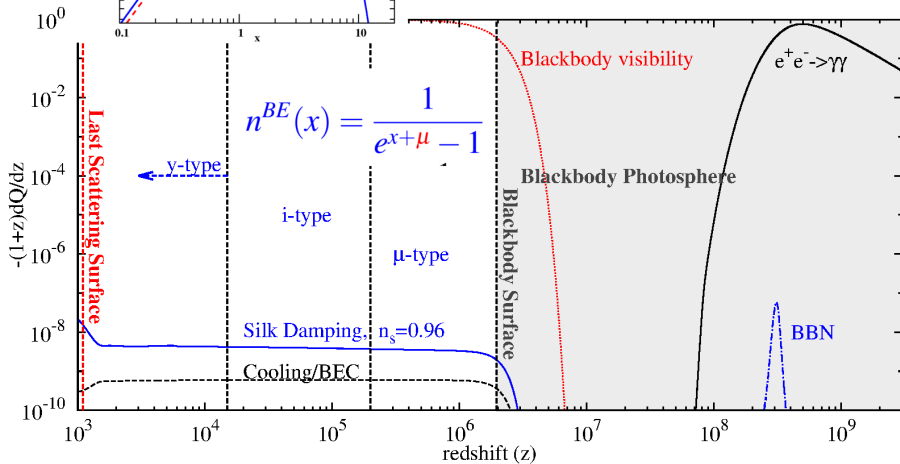
Define by Thomson scattering $\dot{\tau} = n_e \sigma_T c$, $g(z) = \dot{\tau} e^{-\tau}$





$$x = \frac{h\nu}{k_B T}$$

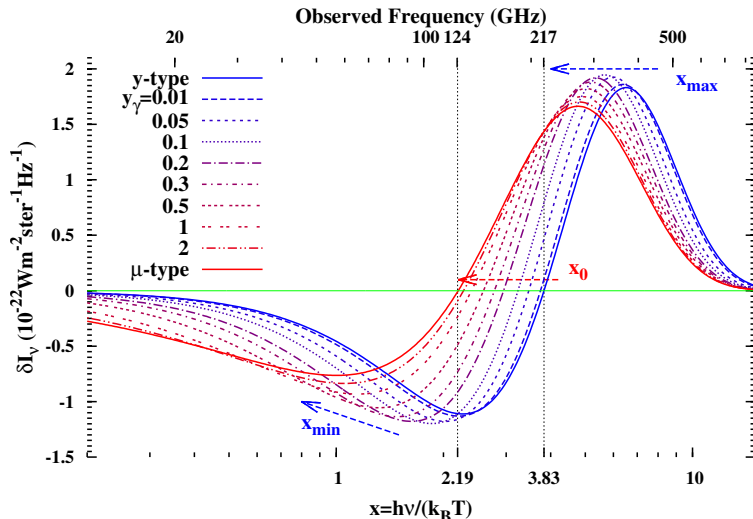
$$n^{Planck}(x) = \frac{1}{e^x - 1}$$



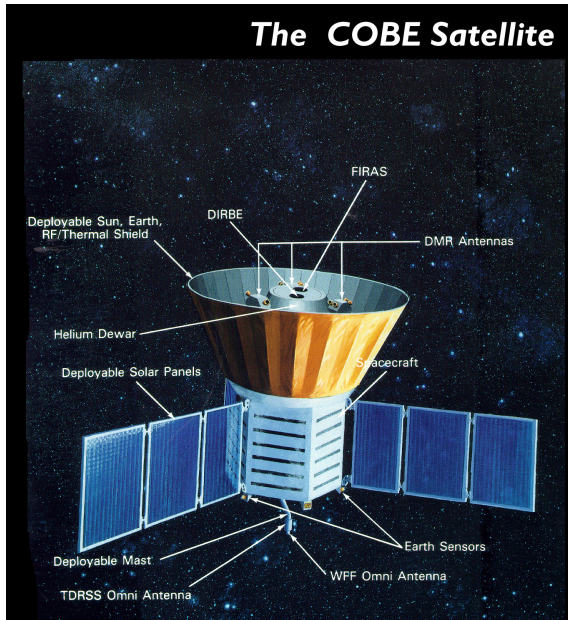
Intermediate-type distortions (*Khatri and Sunyaev 2012b*)

Solve Kompaneets equation with initial condition of y-type solution.

$$\frac{\partial n}{\partial y_\gamma} = \frac{1}{x^2} \frac{\partial}{\partial x} x^4 \left(n + n^2 + \frac{T_e}{T} \frac{\partial n}{\partial x} \right), \quad \frac{T_e}{T} = \frac{\int (n + n^2) x^4 dx}{4 \int n x^3 dx}$$

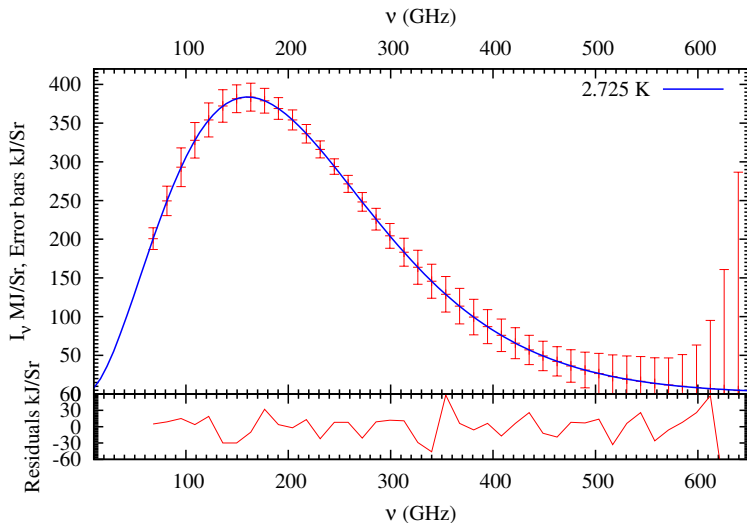


25 years ago: Cosmic Background Explorer (COBE) 1989-1993



No deviations from a Planck spectrum at $\sim 10^{-4}$

Fixsen et al. 1996, Fixsen and Mather 2002



y-type (Sunyaev-Zeldovich effect) from cluster Abell 2319 seen by Planck

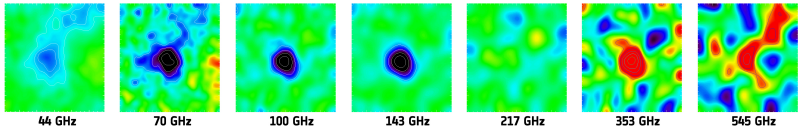
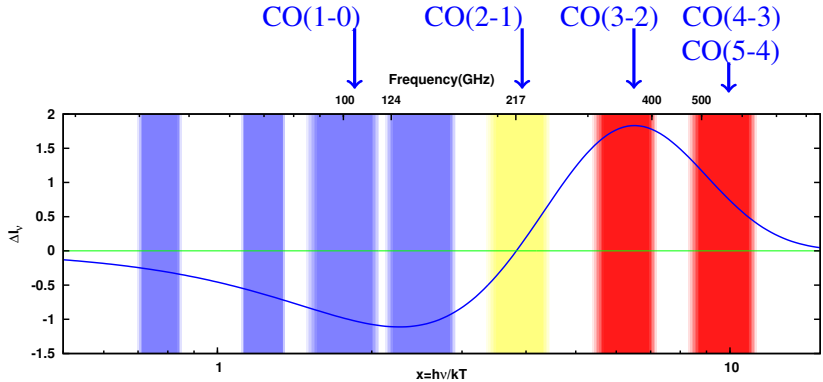
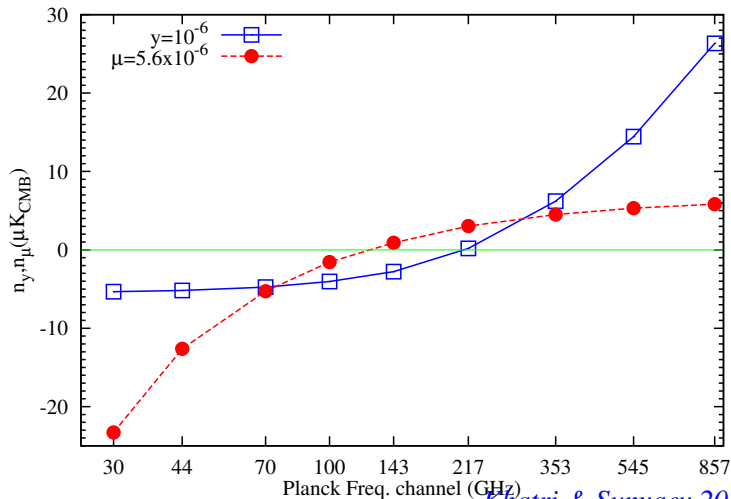


Image credit: ESA / HFI & LFI Consortia

Each Planck frequency channel contains contribution from many components

Sunyaev-Zeldovich or y -distortion signal is a weak signal $\lesssim 100 \mu\text{K}$ except in the central part of strong nearby clusters



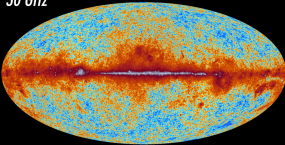
Khatri & Sunyaev 2015

Combine Planck frequency maps to filter out the desired signal

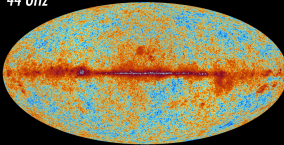
Planck collaboration/ESA 2015

The Planck 2015 view of the sky

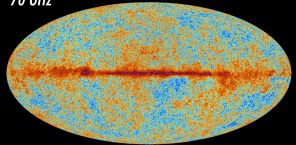
30 GHz



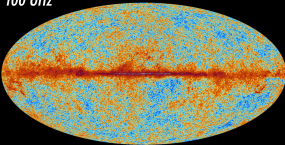
44 GHz



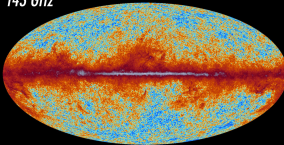
70 GHz



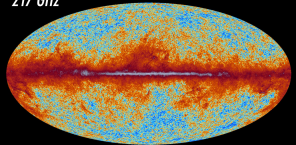
100 GHz



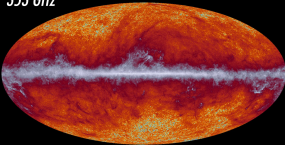
143 GHz



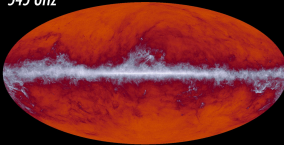
217 GHz



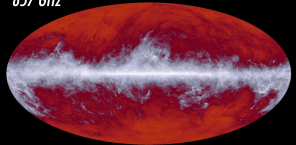
353 GHz



545 GHz



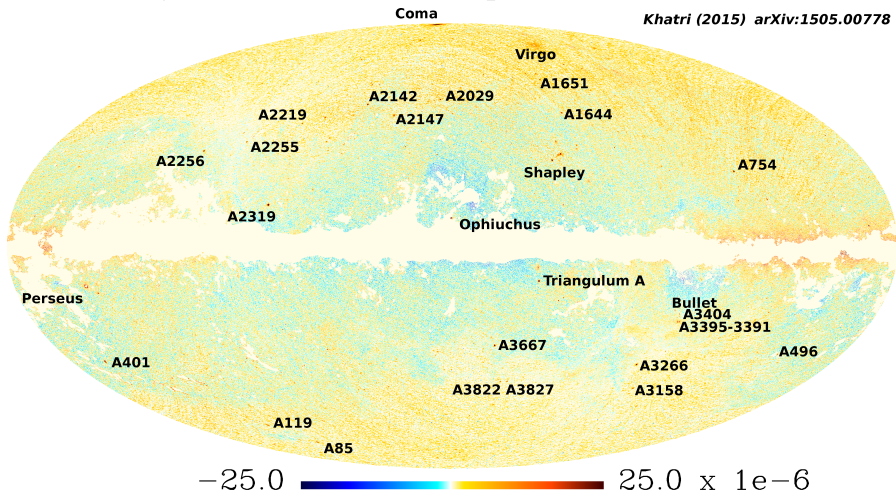
857 GHz



SZ/ y -distortion

y-distortion map

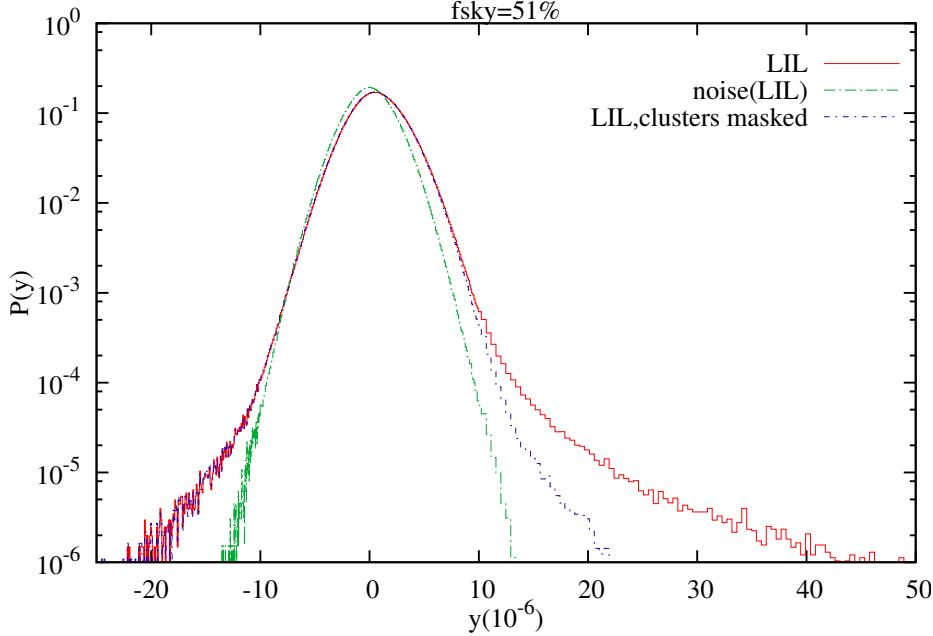
y-distortion map, 10 arcmin



Map pdfs (*Khatri & Sunyaev 2015*)

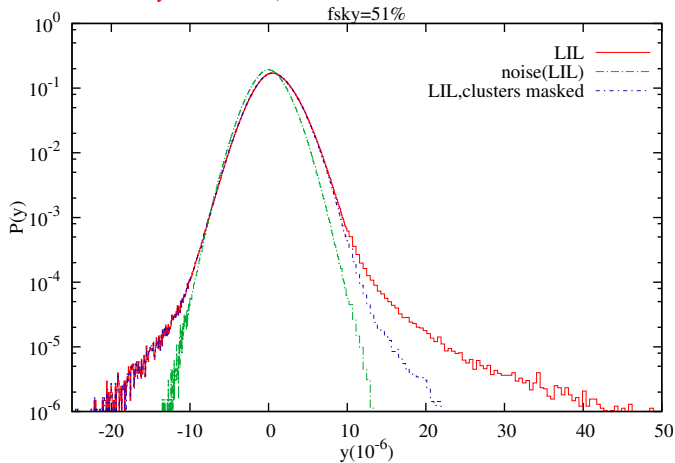
skewness even at small y as predicted (*Rubino-Martin & Sunyaev 2003*)

fsky=51%



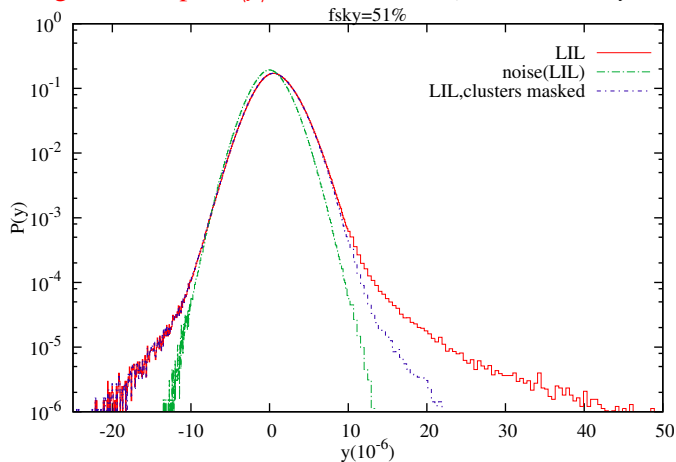
New upper limit on $\langle y \rangle$ from y -map created by combining Planck HFI channels

(Khatri & Sunyaev 2015)



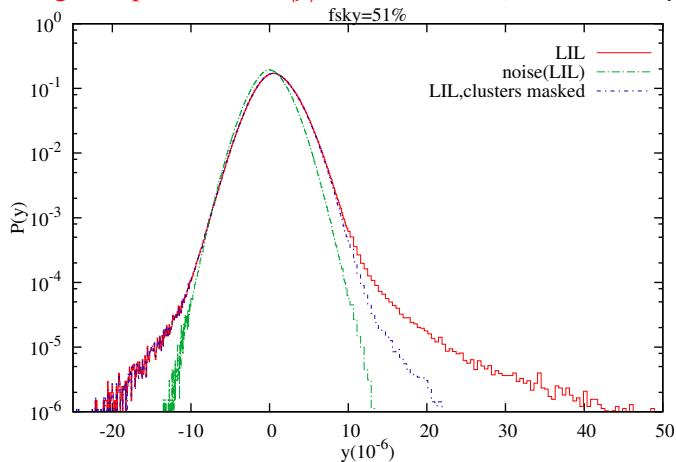
New upper limit on $\langle y \rangle$ from y -map created by combining Planck HFI channels

average the full pdf: $\langle y \rangle \approx 1.0 \times 10^{-6}$ (*Khatri & Sunyaev 2015*)



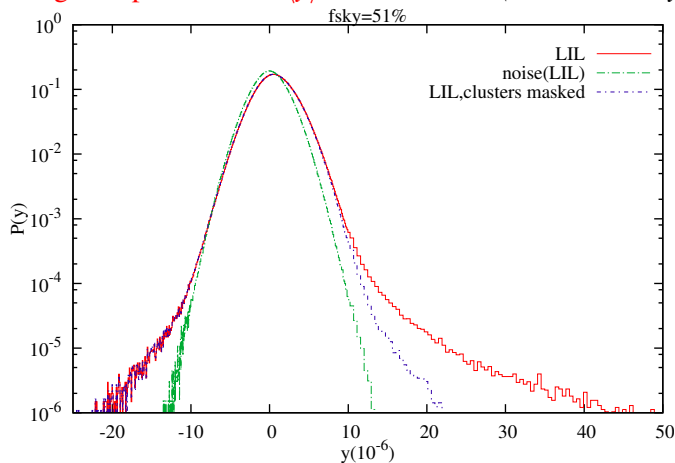
New upper limit on $\langle y \rangle$ from y -map created by combining Planck HFI channels

average the positive tail: $\langle y \rangle < 2.2 \times 10^{-6}$ (*Khatri & Sunyaev 2015*)



New upper limit on $\langle y \rangle$ from y -map created by combining Planck HFI channels

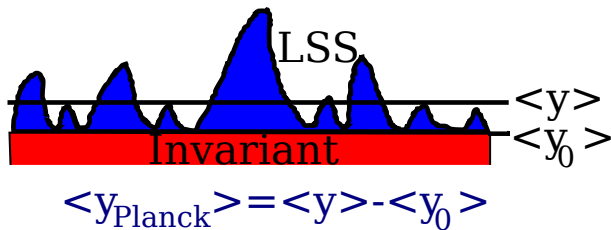
average the positive tail: $\langle y \rangle < 2.2 \times 10^{-6}$ (*Khatri & Sunyaev 2015*)



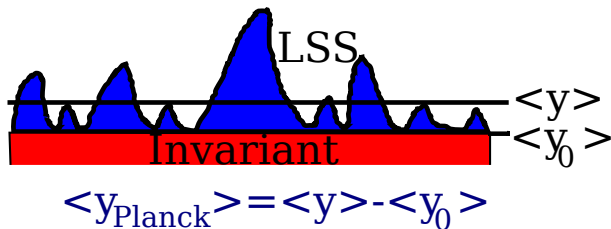
6.8 times stronger compared to the COBE-FIRAS upper limit:

$\langle y \rangle < 15 \times 10^{-6}$ (*Fixsen et al. 1996*)

Planck is sensitive to only the fluctuations in y



Planck is sensitive to only the fluctuations in y



- ▶ In the standard model of cosmology the invariant component is smaller, $\langle y_0 \rangle \ll \langle y \rangle$
- ▶ This upper limits rules out models involving preheating of the IGM

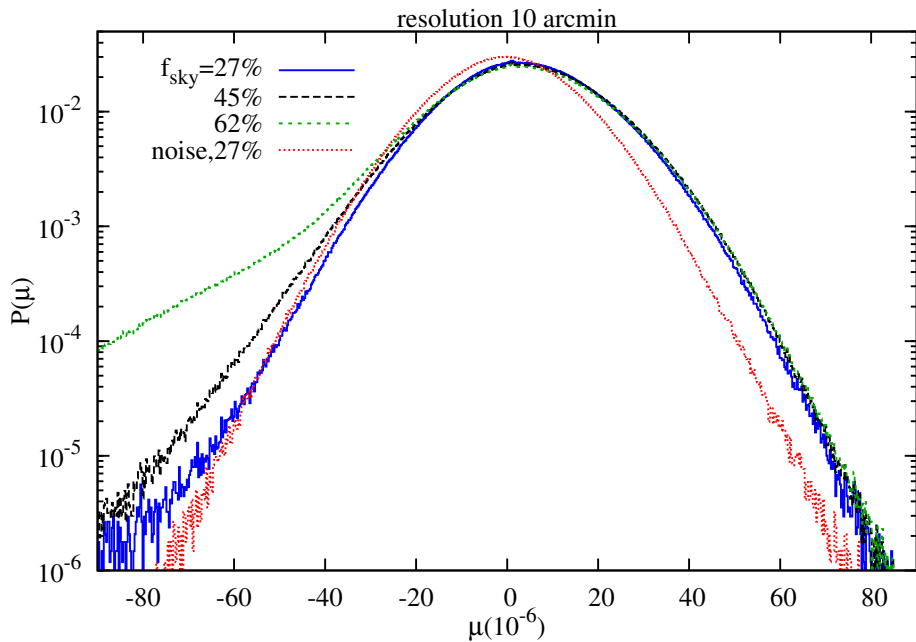
Springel et al. 2001, Munshi et al. 2012

- ▶ Most simulations predict $\langle y \rangle \ll \sim 10^{-6} - 3 \times 10^{-6}$

Refregier et al. 2000, Nath & Silk 2001, White et al. 2002, Schaefer et al. 2006

- ▶ Indications from our analysis of Planck that true value may be closer to $\approx 10^{-6}$ (*Khatri & Sunyaev 2015*).

μ -distortion



Upper limit on the μ -distortion fluctuations

- ▶ Variance: $\sigma_{\text{map}}^2 = \mu_{\text{rms}}^2 + \sigma_{\text{noise}}^2$
- ▶ Remove the noise contribution from map variance using half-ring half difference maps from Planck
- ▶ Remove mean $\langle \mu \rangle$ to get the central variance,
 $\mu_{\text{rms}}^{\text{central}} \equiv (\mu_{\text{rms}}^2 - \langle \mu \rangle^2)^{1/2}$

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- ▶ Limit from Planck data (*Khatri & Sunyaev 2015*):
$$\mu_{\text{rms}}^{\text{central}} < 6.4 \times 10^{-6} \text{ at } 10' \text{ resolution } (2 \times 10^{-6} \text{ at } 30')$$

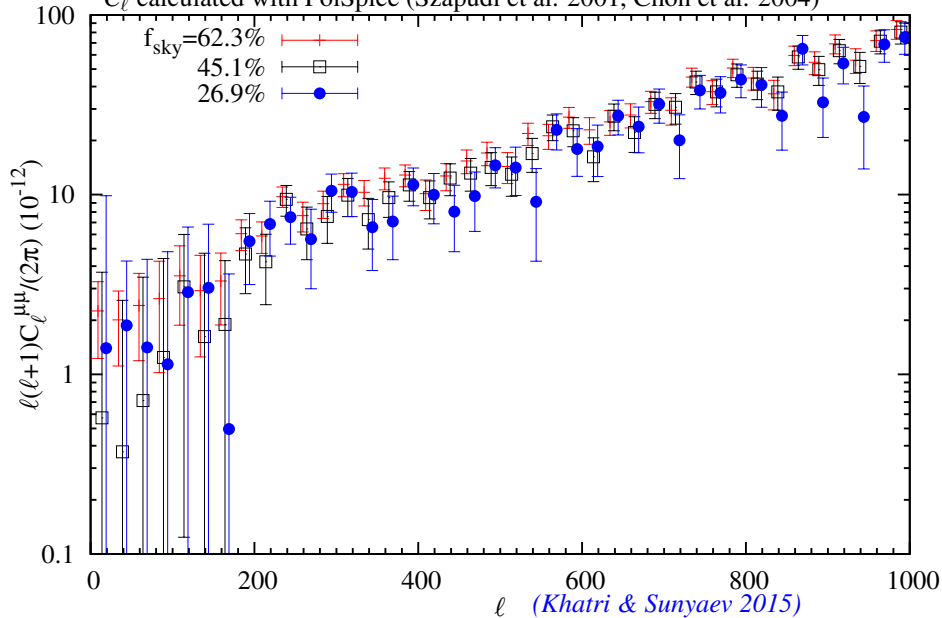
assuming all signal is due to contamination from y -distortion and foregrounds

Upper limit on the μ -distortion fluctuations

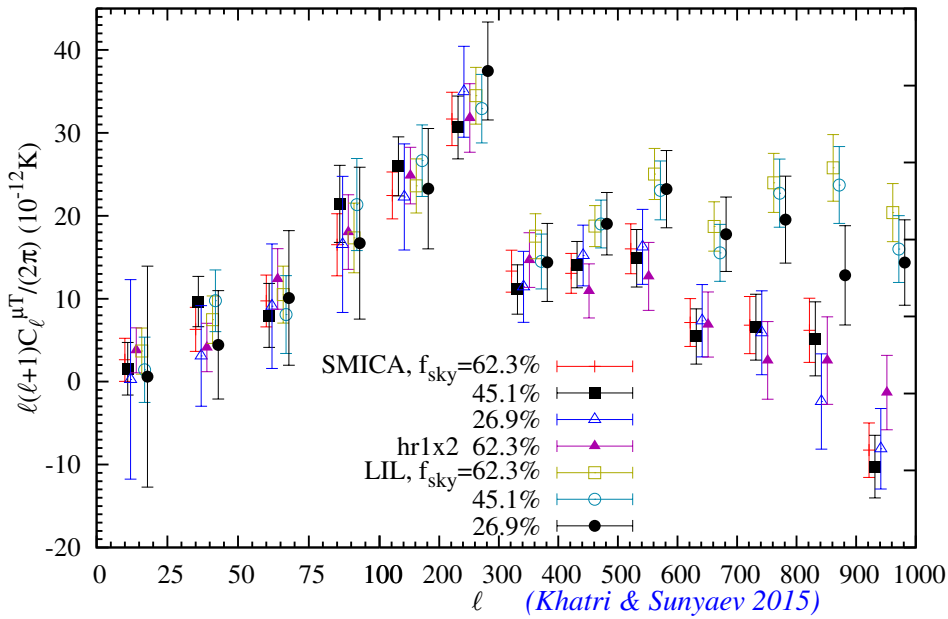
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assuming all signal is due to contamination from
y-distortion and foregrounds
- ▶ COBE limit: $\langle \mu \rangle < 90 \times 10^{-6}$ (*Fixsen et al. 1996*)

Power spectrum: $C_\ell^{\mu\mu}|_{\ell=2-26} = (2.3 \pm 1.0) \times 10^{-12}$

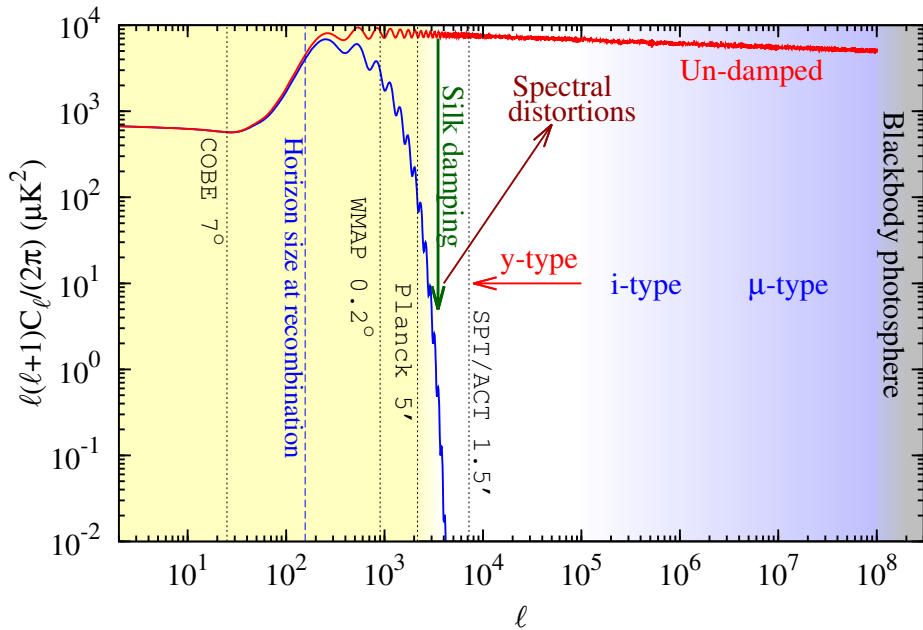
C_ℓ calculated with PolSpice (Szapudi et al. 2001, Chon et al. 2004)



Power spectrum: $C_\ell^{\mu T}|_{\ell=2-26} = (2.6 \pm 2.6) \times 10^{-12} \text{ K}$

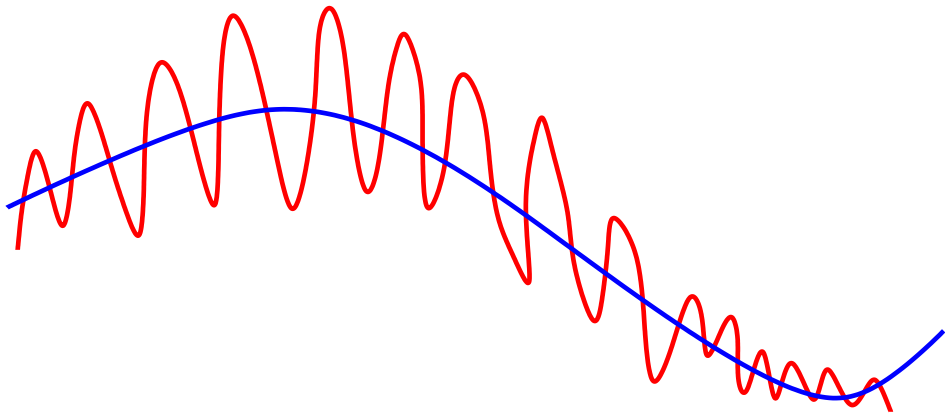


Silk damping: 17 e-folds of inflation!



Non-Gaussianity: short wavelength modes correlated with long wavelength fluctuations

$$\phi(\mathbf{x}) = \phi_G(\mathbf{x}) + f_{\text{NL}}\phi_G(\mathbf{x})^2$$



Fluctuations in μ if non-Gaussianity (Pajer & Zaldarriaga 2012)

$$k_S = 46 \cdot 10^4 \text{ Mpc}^{-1}$$

$$k_L = 10^{-3} \text{ Mpc}^{-1}$$

Khatri & Sunyaev 2015

$$\frac{\ell(\ell+1)}{2\pi} C_\ell^{\mu T} \approx 2.4 \times 10^{-17} f_{\text{NL}} \text{ K}$$

$$\frac{\ell(\ell+1)}{2\pi} C_\ell^{\mu\mu} \approx 1.7 \times 10^{-23} \tau_{\text{NL}}$$

$$\tau_{\text{NL}} = \frac{9}{25} f_{\text{NL}}^2$$

Fluctuations in μ if non-Gaussianity (Pajer & Zaldarriaga 2012)

$$k_S = 46 \cdot 10^4 \text{ Mpc}^{-1}$$

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Khatri & Sunyaev 2015

$$f_{\text{NL}} < 10^5$$

$$\tau_{\text{NL}} < 10^{11}$$

$$5 \times 10^4 \lesssim \frac{k_S}{k_L} \lesssim 10^7$$

Only other comparable constraints from primordial black holes
Byrnes, Copeland, & Green 2012

Resonant scattering on metals during reionization

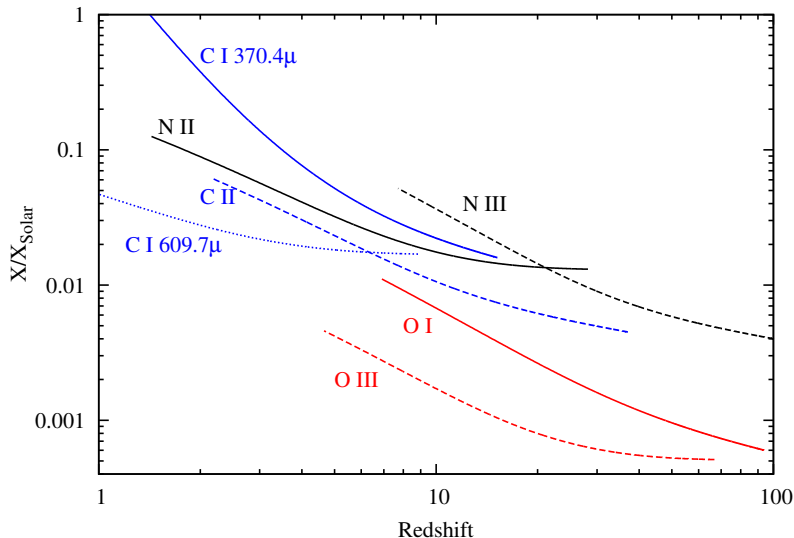
$$\tau_{\text{LSS}}(\nu) = \tau_e + \sum_X \tau_X(\nu)$$

Basu, Hernandez-Monteagudo & Sunyaev 2004

Atom/ Ion	Wavelength (in μ)	Oscillator strength	HFI freq. (GHz)	Scattering redshift	$\mathcal{B}$ factor	Opt. depth for 10^{-2} solar abundance	$[X]_{\min}$ for $l = 10$	$\langle [X]_{\min} \rangle$ in $l = 10-20$
C I	609.70	1.33×10^{-9}	143	2.4	0.76	6.4×10^{-6}	5.3×10^{-3}	2.6×10^{-3}
			217	1.3	0.92	3.9×10^{-6}	1.4×10^{-2}	6.8×10^{-3}
			353	0.4	0.99	1.6×10^{-6}	2.1×10^{-1}	1.2×10^{-1}
	370.37	9.08×10^{-10}	143	4.7	0.15	1.2×10^{-6}	2.8×10^{-2}	1.3×10^{-2}
			217	2.8	0.09	3.7×10^{-7}	1.6×10^{-1}	8.1×10^{-2}
C II	157.74	1.71×10^{-9}	143	12.3	0.79	1.8×10^{-5}	2.7×10^{-2}	6.2×10^{-3}
			217	7.9	0.94	1.1×10^{-5}	7.7×10^{-3}	3.0×10^{-3}
			353	4.4	0.99	5.6×10^{-6}	7.7×10^{-2}	3.6×10^{-2}
N II	205.30	3.92×10^{-9}	143	9.2	0.76	1.1×10^{-5}	7.6×10^{-3}	2.6×10^{-3}
			217	5.8	0.92	6.8×10^{-6}	8.6×10^{-3}	3.8×10^{-3}
			353	3.1	0.99	3.5×10^{-6}	1.3×10^{-1}	6.8×10^{-2}
	121.80	2.74×10^{-9}	143	16.2	0.16	2.1×10^{-6}	1.3×10^{-1}	3.8×10^{-2}
			217	10.5	0.09	6.4×10^{-7}	3.4×10^{-1}	1.1×10^{-1}
N III	57.32	4.72×10^{-9}	143	35.6	0.79	2.5×10^{-5}	2.3×10^{-3}	7.4×10^{-4}
			217	23.4	0.94	1.5×10^{-5}	6.1×10^{-3}	2.0×10^{-3}
O I	63.18	3.20×10^{-9}	143	32.2	0.88	1.0×10^{-4}	5.3×10^{-4}	1.7×10^{-4}
			217	21.2	0.96	6.3×10^{-5}	2.0×10^{-3}	6.4×10^{-4}
			353	12.5	1.00	3.1×10^{-5}	2.2×10^{-1}	4.9×10^{-2}

Constraints on metal production from the first stars

Assuming relative calibration between channels of 10^{-5}



$\nu = 50\text{-}600 \text{ GHz}$

LiteBIRD

What is needed to detect the CMB spectrak distortion anisotropies:

- ▶ No CO contamination, enough channels to separate foregrounds
- ▶ Precise interchannel calibration (better than 10^{-5} ?)
- ▶ Precise calibration of zero level (limits average y distortion measurement in Planck)
- ▶ High sensitivity
- ▶ Polarization
(resonant scattering on lines also generates polarization
(*Hernandez-Monteagudo, Rubino-Martin & Sunyaev 2007*),
second order (transverse) kinetic Sunyaev-Zeldovich effect from
clusters ($\propto v_t^2 \tau$) gives polarized y -type distortion (*Sunyaev & Zeldovich 1980*))

High angular resolution not necessary!

CO mask, annotations to second Planck cluster catalog, μ -map and masks publicly available

<http://www.mpa-garching.mpg.de/~khatri/szresults/>

<http://www.mpa-garching.mpg.de/~khatri/mureresults/>