

Dark matter constraints from dwarf spheroidal galaxies and future spectroscopic survey

(In preparation)

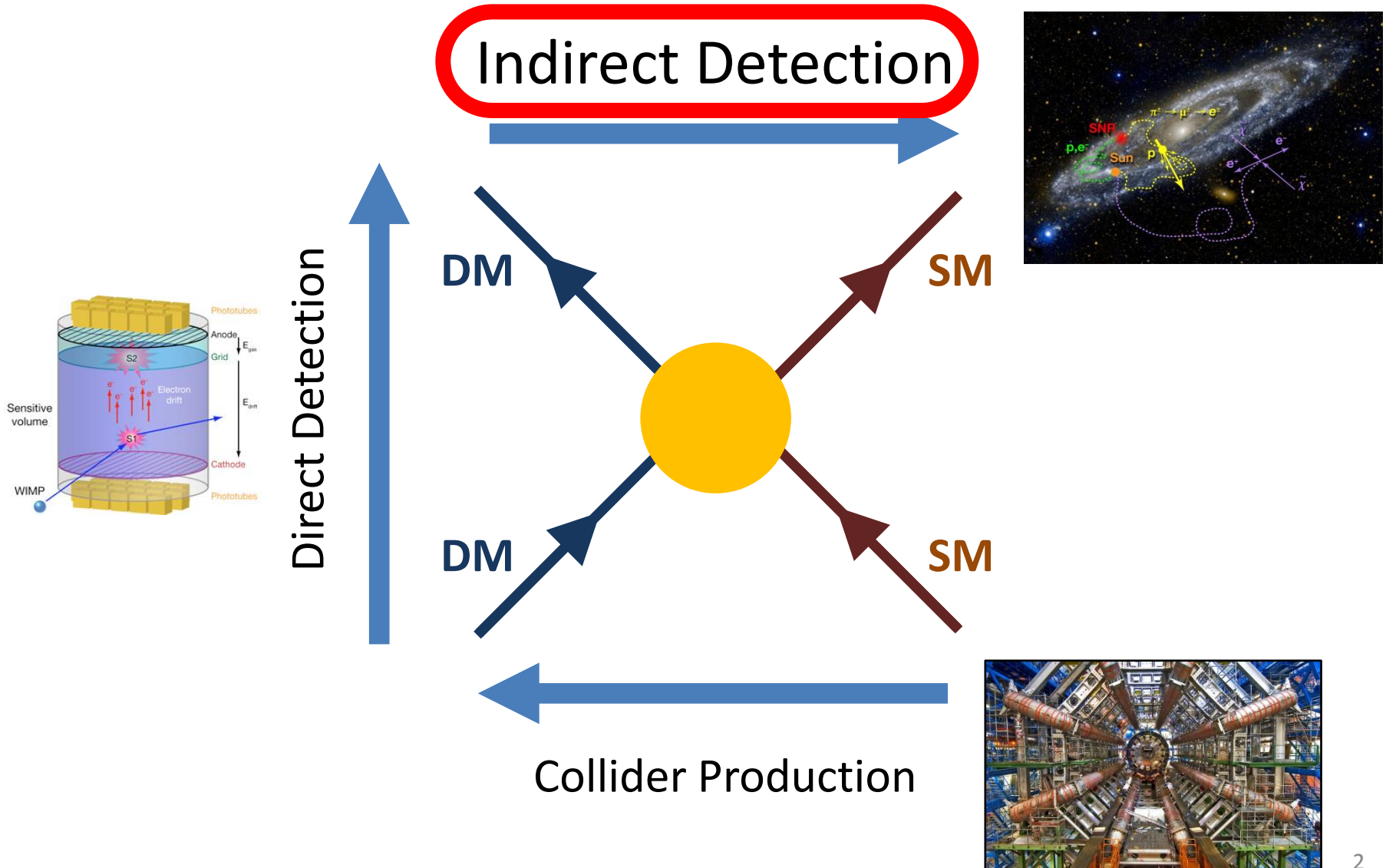
Koji Ichikawa

In collaboration with

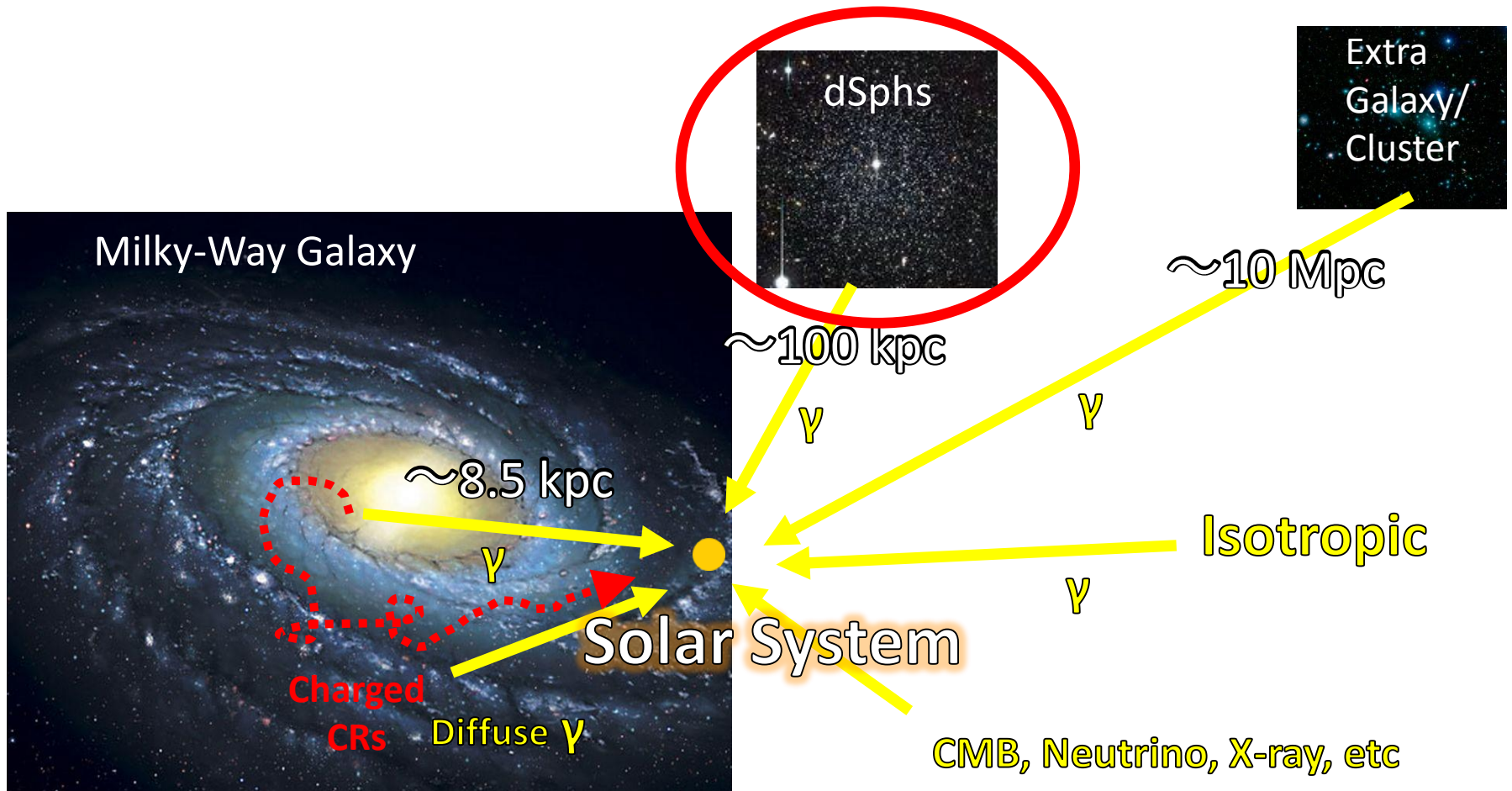
Kohei Hayashi , Masahiro Ibe, Miho N. Ishigaki,
Shigeki Matsumoto and Hajime Sugai.



Dark Matter Search

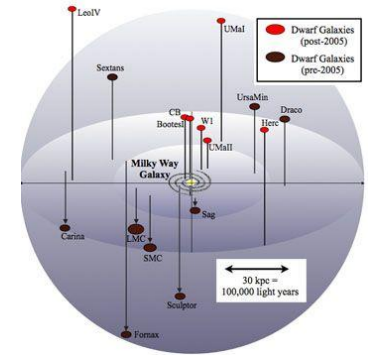


Signal Target



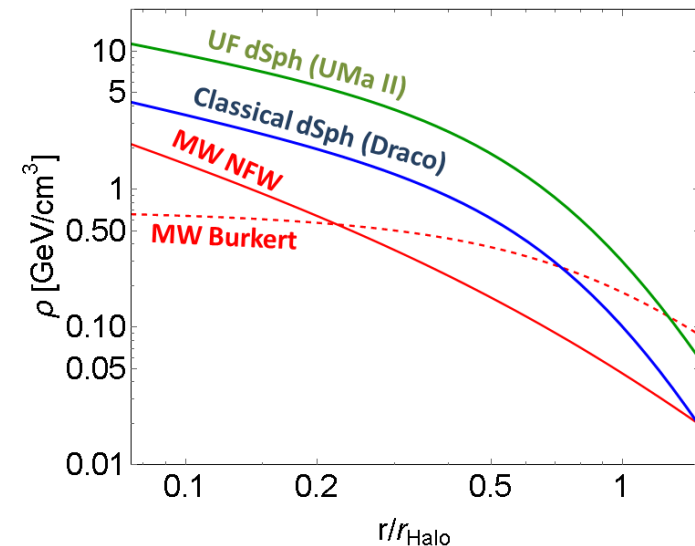
dSphs: = Clean & DM Rich Target

1. **Neighbor** galaxies: 10~100kpc
2. Large Mass to Luminosity ratio = **DM rich**
3. **Clean** (no strong gamma-ray source)



	Classical	Ultra-faint
#dSphs	8	>20
M/L ($M_{\odot}/L_{\odot}$)	10-100	100-1000
Distance (kpc)	60-250	10-60
#Obs Stars	150-2500	20-100
Characteristics	Brighter, farther	Darker, closer

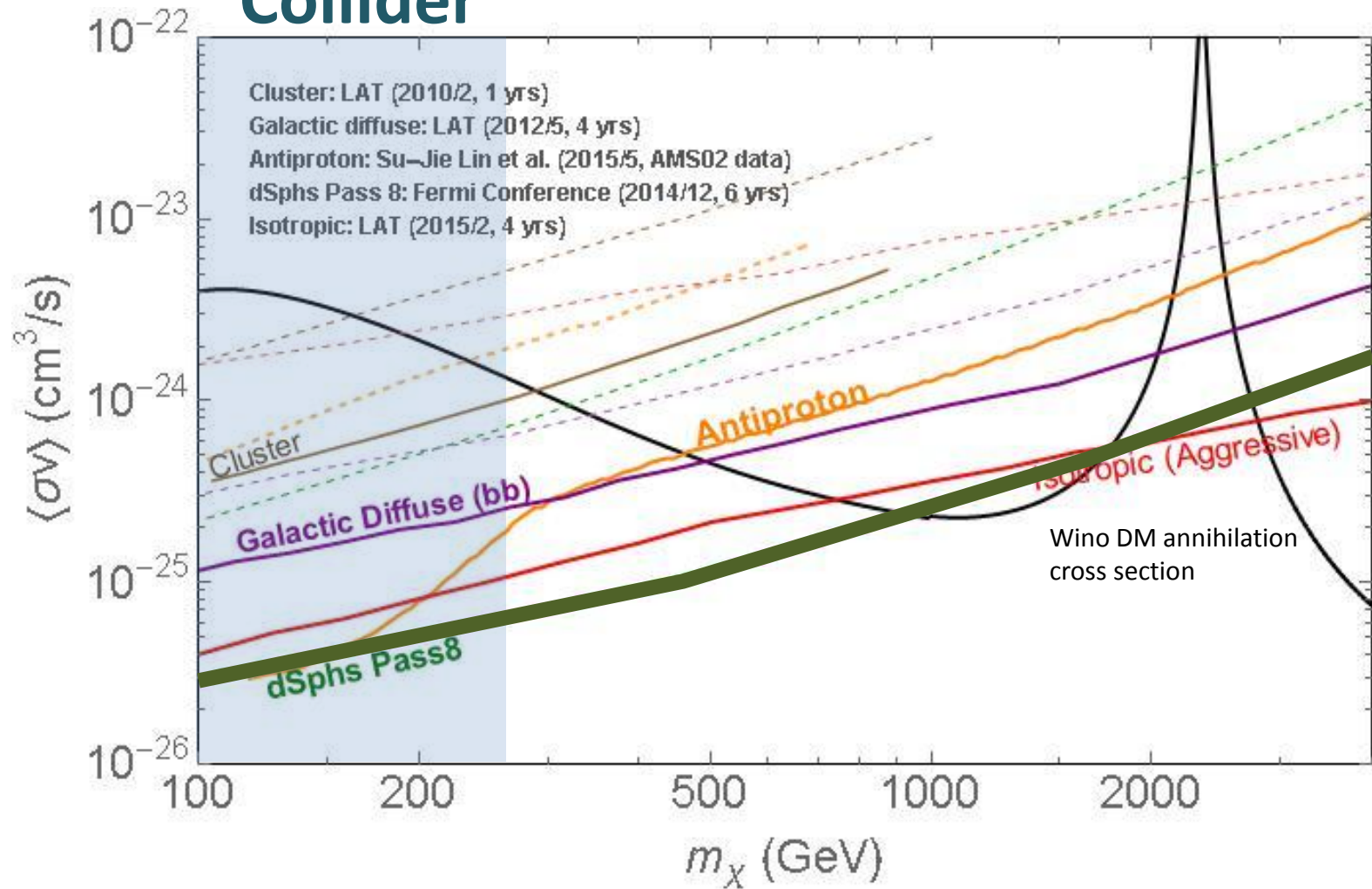
See, e.g. Wolf et al (2010)



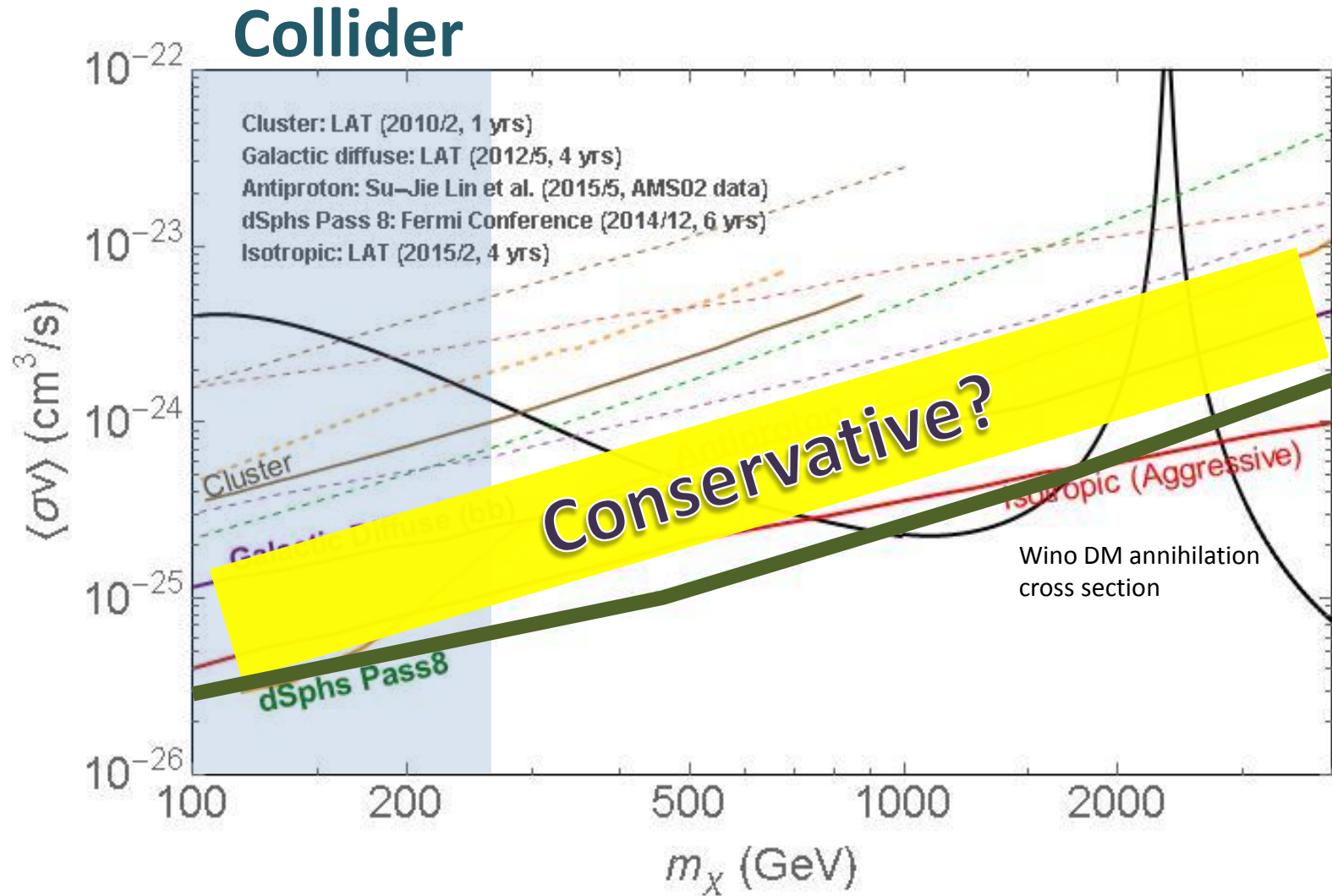
arXiv:0908.2995v6 [astro-ph.CO]

Current (slightly old) obs limit (ex. Wino)

Collider



Current (slightly old) obs limit (ex. Wino)



We Should Precisely Determine The dSph **DM Halo Shape**

Dwarf galaxy



$$\underbrace{\Phi(E, \Delta\Omega)}_{\text{Observed } \gamma\text{-Ray Flux}} = \underbrace{\left[\frac{\langle\sigma v\rangle}{8\pi m_{\text{DM}}^2} \sum_f \text{Br}(\text{DM DM} \rightarrow f) \left(\frac{dN_\gamma}{dE} \right) \right]}_{\text{DM Property}} \underbrace{\left[\int_{\Delta\Omega} d\Omega \int_{\text{l.o.s}} dl \rho^2(l, \Omega) \right]}_{\text{Halo Profile (J-factor)}}$$

J-Factor

DM Density profile

$$\rho(r) = \rho_s (r/r_s)^{-\gamma} [1 + (r/r_s)^\alpha]^{(\gamma-\beta)/\alpha}$$

$$\rho_s (r/r_s)^{-1} (1+r/r_s)^{-2} \quad \text{Cusp}$$

$$\rho_s (1+r/r_s)^{-1} (1+r/r_s)^{-2} \quad \text{Cored}$$

Stellar Density
Profile: $v(r)$

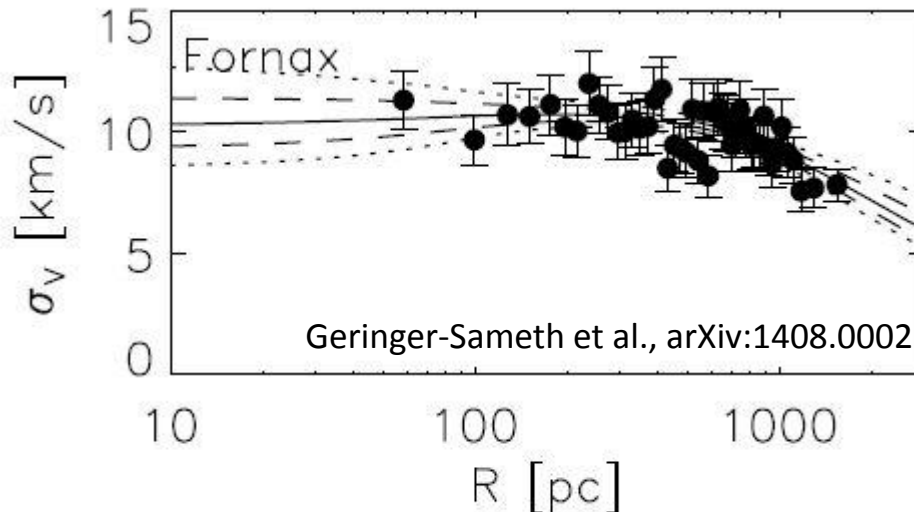
**Jeans equation
for stars**

$$\frac{1}{\nu} \frac{d}{dr} (\nu \bar{v}_r^2) + 2 \frac{\beta(r) \bar{v}_r^2}{r} = - \frac{GM(r)}{r^2}$$

$$\sigma_{\text{l.o.s}}^2 (\text{Theory})$$

Fit

$$\sigma_{\text{l.o.s}}^2 (\text{obs})$$



$$P(\theta|D) \propto P(D|\theta)P(\theta)$$

$$\sim \prod_i^{\text{samples}} \exp \left[- \frac{(\sigma_{\text{obs}}^2(r_i) - \sigma_{\text{theory}}^2(r_i, \theta))^2}{2\delta^2} \right]$$

Astrophysical Factor

DM Density profile

$$\rho(r) = \rho_s (r/r_s)^{-\gamma} [1 + (r/r_s)^\alpha]^{(\gamma-\beta)/\alpha}$$

$$\rho_s (r/r_s)^{-1} (1+r/r_s)^{-2} \quad \text{Cusp}$$

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$$\sigma_{\text{l.o.s}}^2 (\text{Theory})$$

Fit

$$\sigma_{\text{l.o.s}}^2 (\text{obs})$$

		long. (deg.)	lat. (deg.)	dist. (kpc)	α_s (deg.)	$\log_{10}[J(0.5^\circ)/(\text{GeV}^2 \text{cm}^{-5} \text{sr})]$
Classical: Well-determined	Draco	86.4	34.7	76	$0.25^{+0.15}_{-0.09}$	18.8 ± 0.16
	Ursa Min.	105.0	44.8	76	$0.32^{+0.18}_{-0.12}$	18.8 ± 0.19
	Sculptor	287.5	-83.2	86	$0.25^{+0.25}_{-0.13}$	18.6 ± 0.18
	Sextans	243.5	42.3	86	$0.13^{+0.07}_{-0.05}$	18.4 ± 0.27
Ultra-faint: Not well-determined. Prior dependence	Segue 1	220.5	50.4	23	$0.40^{+0.86}_{-0.27}$	19.5 ± 0.29
	Ursa Maj. II	152.5	37.4	32	$0.32^{+0.48}_{-0.19}$	19.3 ± 0.28
	Willman 1	158.6	56.8	38	$0.25^{+0.54}_{-0.17}$	19.1 ± 0.31
	Coma B.	241.9	83.6	44	$0.25^{+0.54}_{-0.17}$	19.0 ± 0.25

Factor 1.6 ~ 2 unc. :Conservative?

Hidden Systematics...

- **Non Spherical?**

$\Rightarrow 0.2 \sim 0.4$ uncertainty

Axisymmetric: Hayasi and Chiba., arXiv: 1206.3888

- **Foreground Contamination?**

$N < 100$: $O(1)$ uncertainty

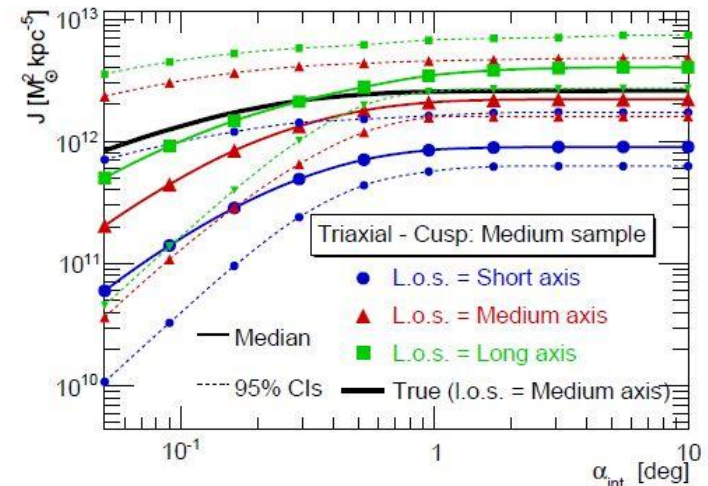
$N \sim 1000$: < 0.4

- **Prior Bias?/Cut?**

$N < 100$: $> O(1)$ uncertainty

Galaxy	$\log_{10} J^{GS15}(\theta_{\max})$ [GeV ² cm ⁻⁵]	$\log_{10} J(\theta_{\max})$ [GeV ² cm ⁻⁵]
Carina	$17.92^{+0.19}_{-0.09}$	$17.98^{+0.26}_{-0.16}$
Fornax	$17.84^{+0.11}_{-0.06}$	$17.97^{+0.08}_{-0.06}$
Sculptor	$18.57^{+0.07}_{-0.05}$	$18.51^{+0.14}_{-0.09}$
Sextans	$17.92^{+0.35}_{-0.29}$	$17.76^{+0.36}_{-0.38}$
Draco	$19.05^{+0.22}_{-0.21}$	$18.84^{+0.29}_{-0.31}$
Leo I	$17.84^{+0.20}_{-0.16}$	$17.31^{+0.27}_{-0.25}$
Leo II	$17.97^{+0.20}_{-0.18}$	$17.03^{+0.32}_{-0.30}$

By K. Hayashi-san (Preliminary)



Bonnivard et al., arXiv: 1407.7822

Hidden Systematics...

- Non Spherical?

$\Rightarrow 0.2 \sim 0.4$ uncertainty

Axisymmetric: Hayasi and Chiba., arXiv: 1206.3888

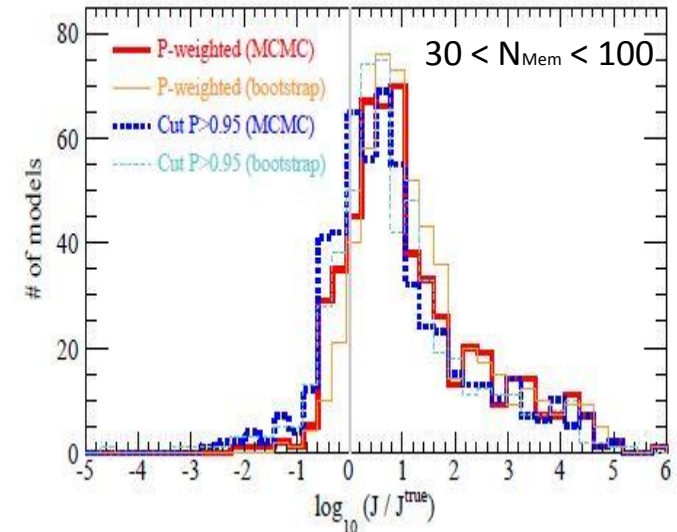
- **Foreground Contamination?**

$N < 100$: $O(1)$ uncertainty

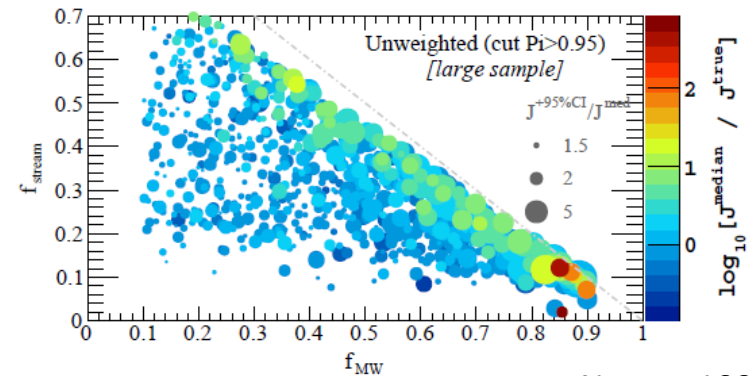
$N \sim 1000$: < 0.4

- Prior Bias?/Cut?

$N < 100$: $> O(1)$ uncertainty



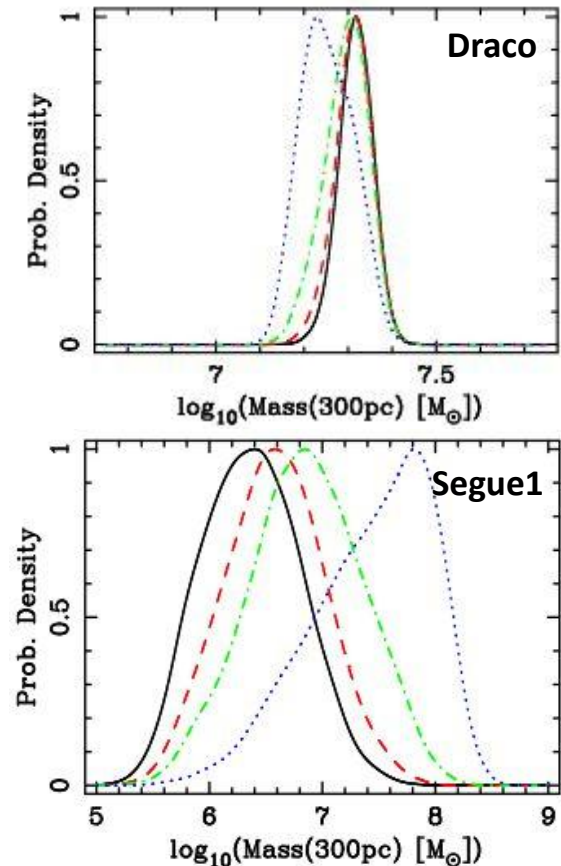
Bonnivard et al., arXiv:1506.08209



Bonnivard et al., arXiv:1504.02048

Hidden Systematics...

- Non Spherical?
 $\Rightarrow 0.2 \sim 0.4$ uncertainty
Axisymmetric: Hayasi and Chiba., arXiv: 1206.3888
- Foreground Contamination?
N < 100: O(1) uncertainty
N $\sim$ 1000: < 0.4
- **Prior Bias?/Cut?**
N < 100: > O(1) uncertainty



Martinez et al., arXiv: 0902.4715

Hidden Systematics...

- Non Spherical?

$\Rightarrow 0.2 \sim 0.4$ uncertainty

Axisymmetric: Hayasi and Chiba., arXiv: 1206.3888

- Foreground Contamination?

$N < 100$: $O(1)$ uncertainty

$N \sim 1000$: < 0.4

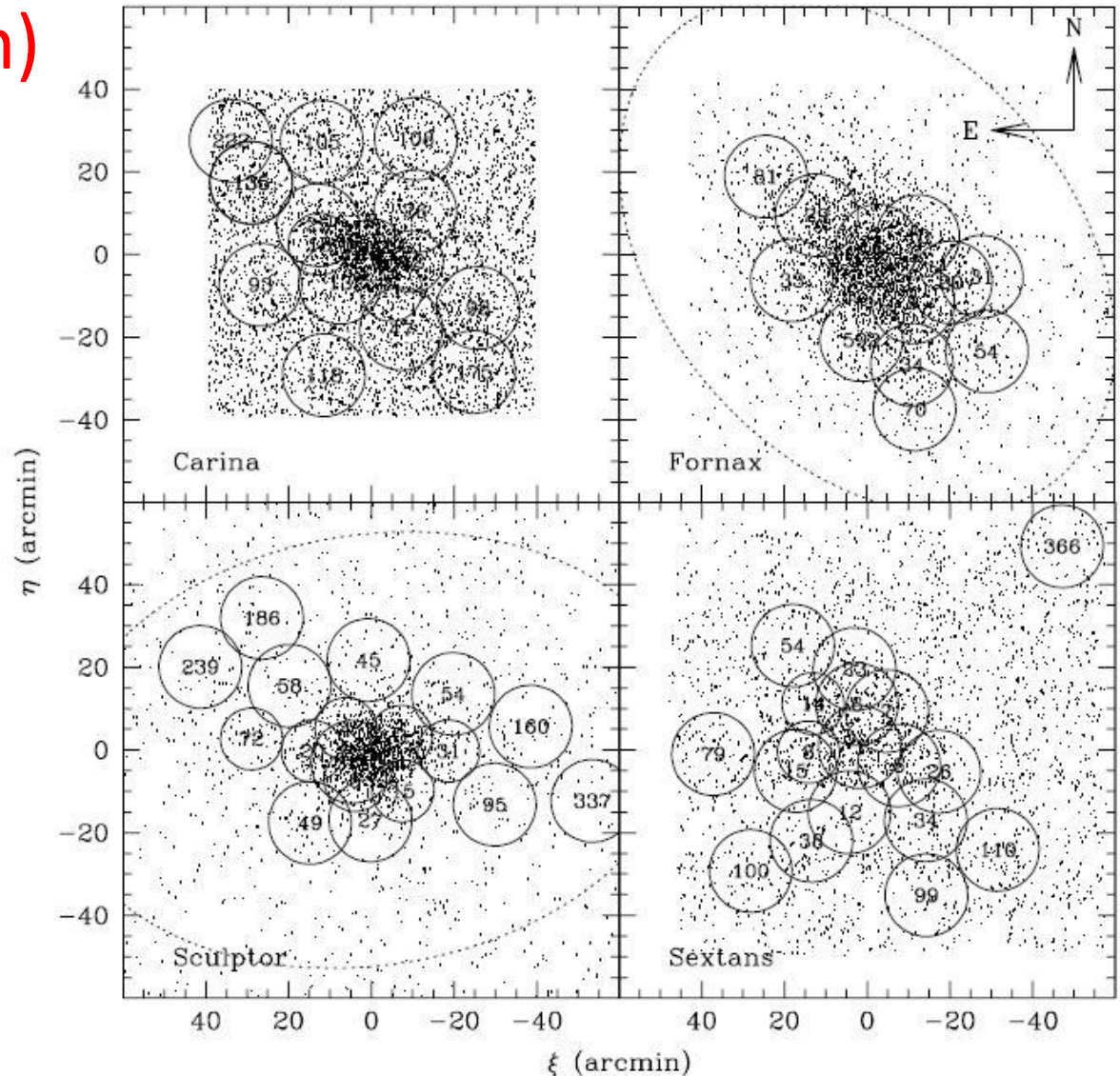
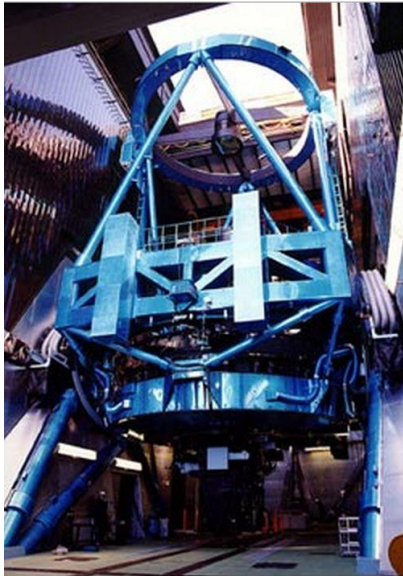
- Prior Bias?/Cut? (For Ultra faint dSphs)

$N < 100$: $> O(1)$ uncertainty

How to Reduce Them? -> **Increase $\#N_{\text{Mem}}$!**

Prime Focus Spectrograph

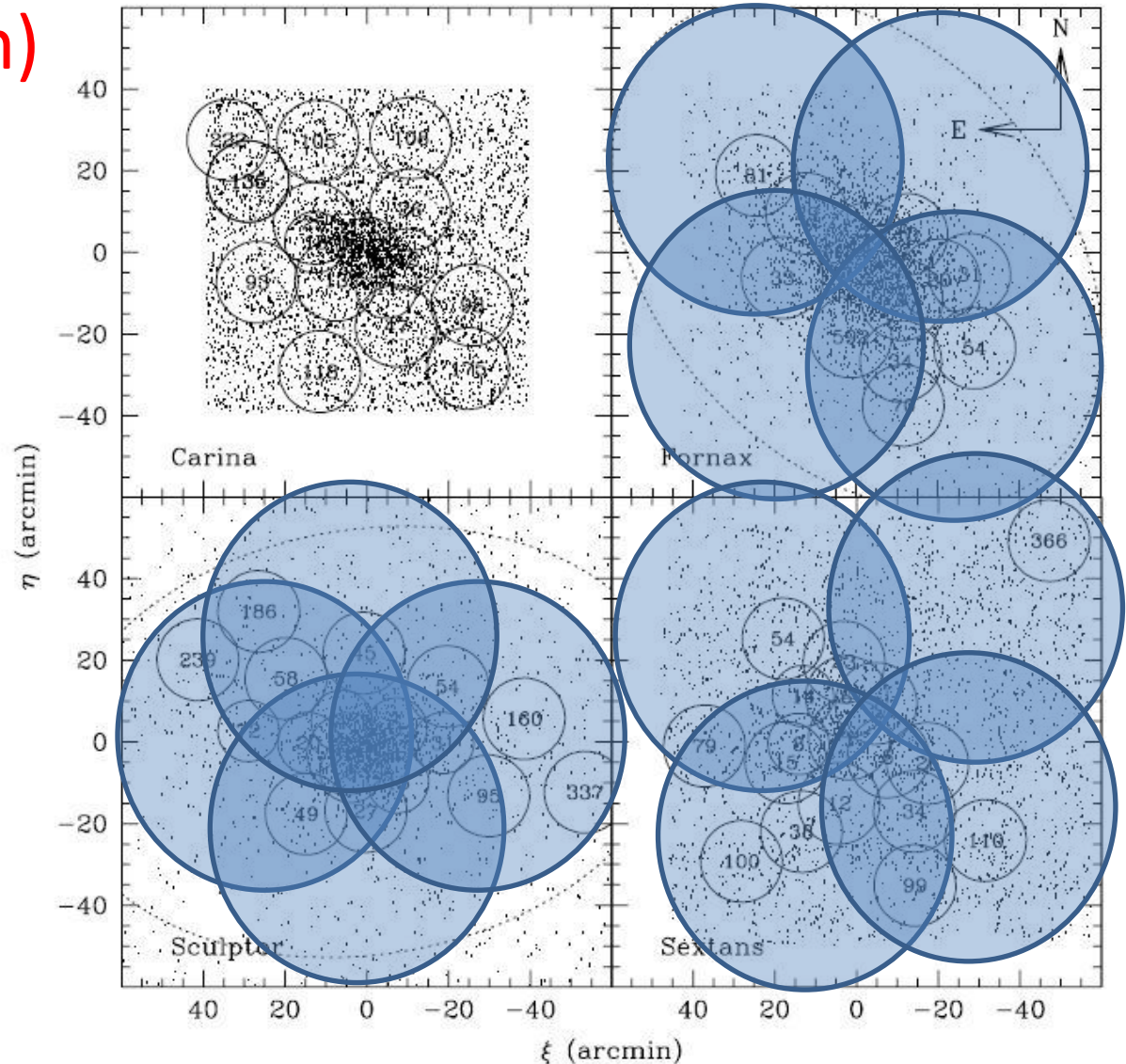
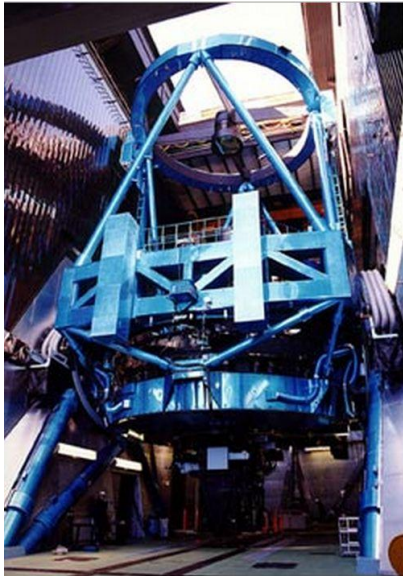
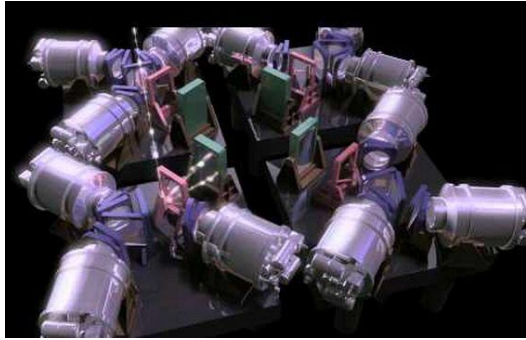
FoV **1.3 deg (diam)**
with **2394 Fiber**



MMFS (M. G. Walker et al., (2007))

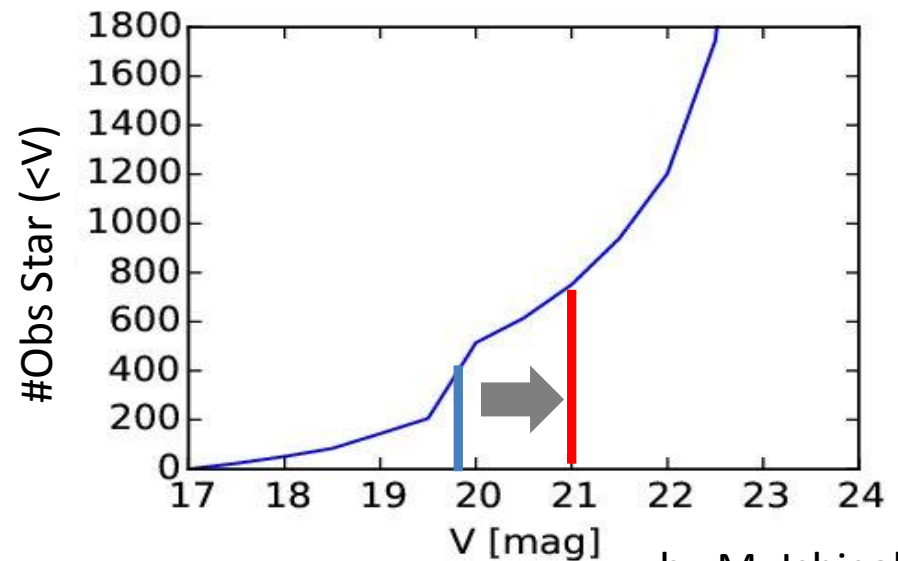
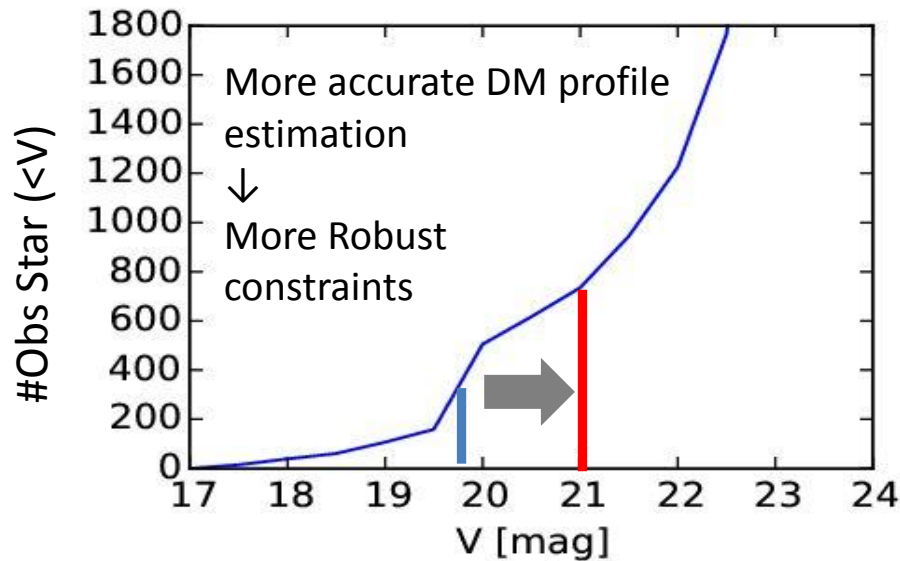
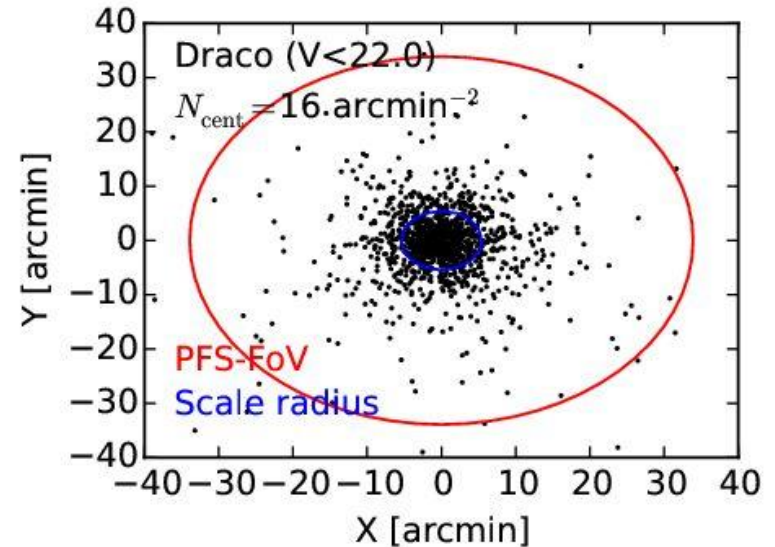
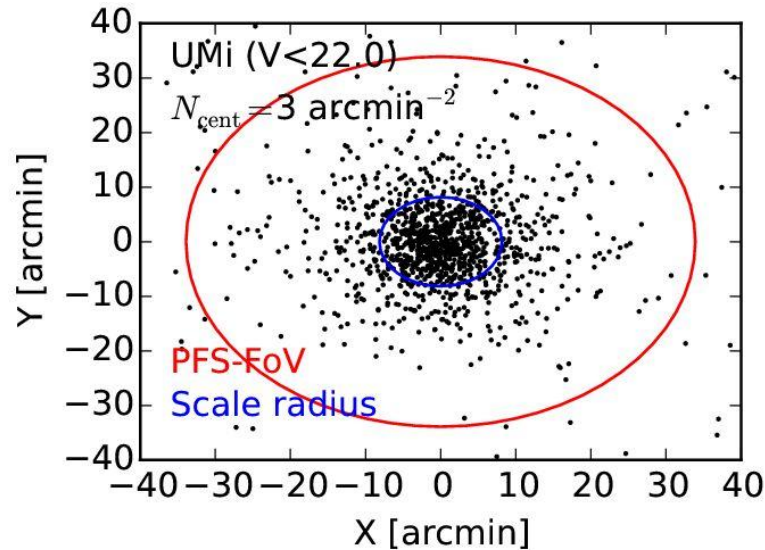
Prime Focus Spectrograph

FoV **1.3 deg (diam)**
with **2394 Fiber**

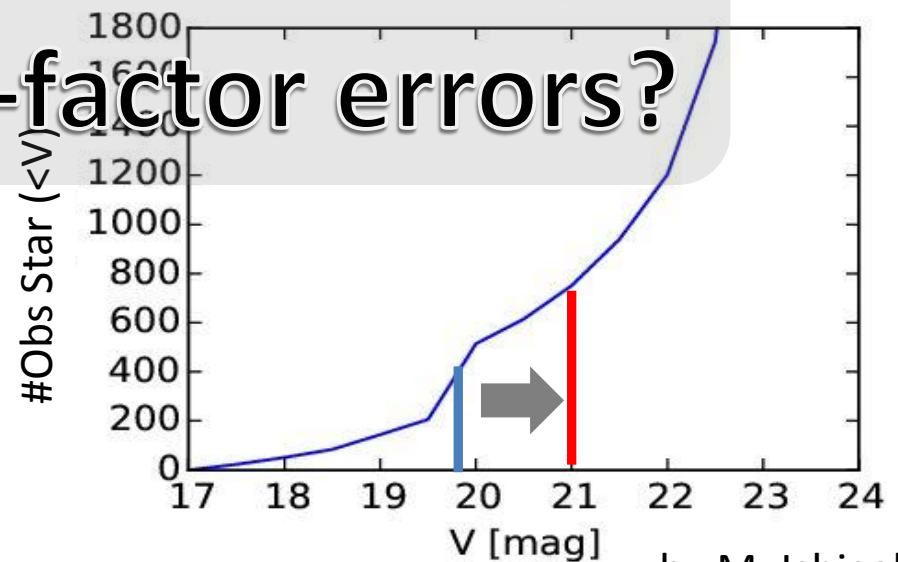
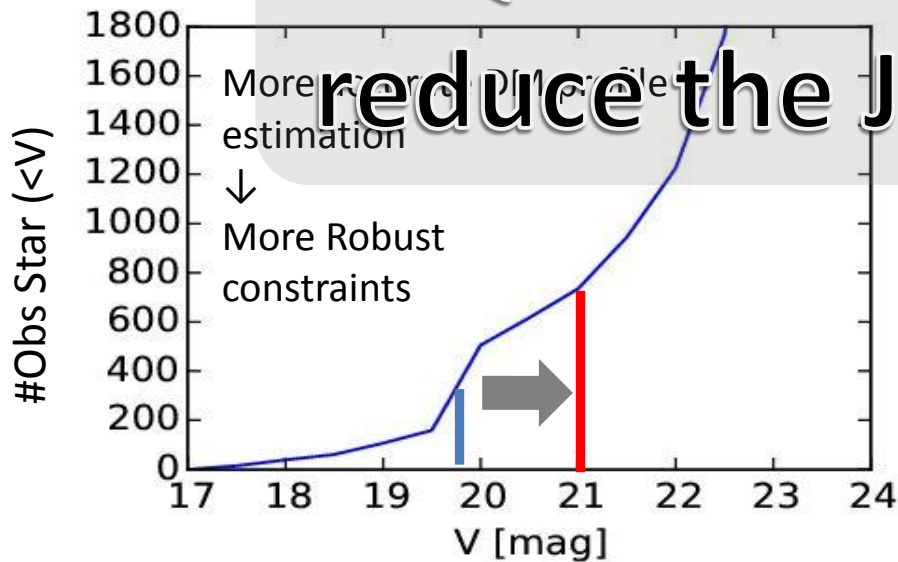
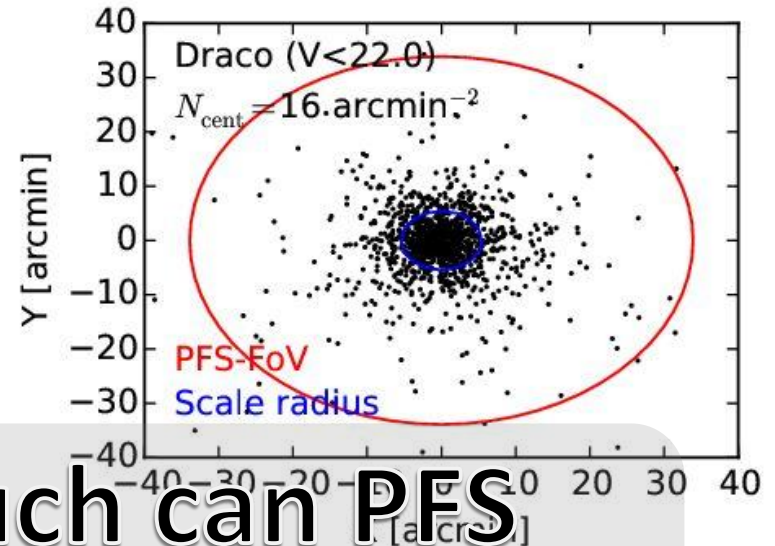
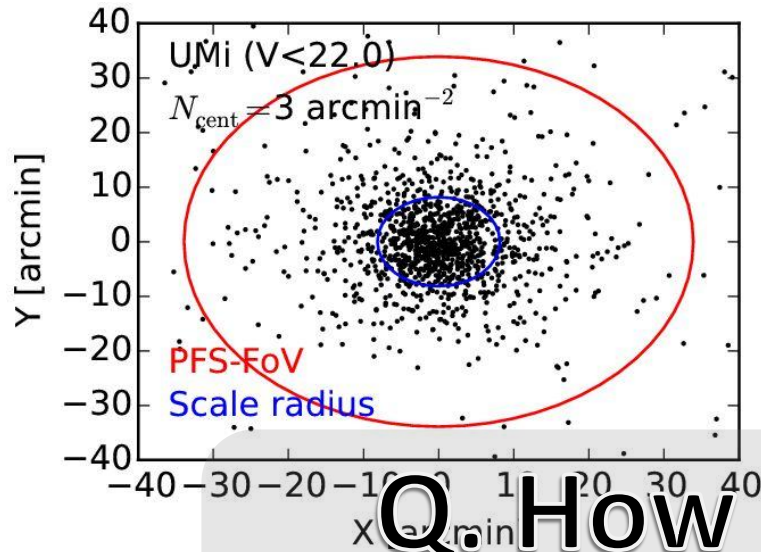


MMFS (M. G. Walker et al., (2007))

Prime Focus Spectrograph



Prime Focus Spectrograph



Q. How much can PFS reduce the J-factor errors?

Strategy

1. Mock Observable:

(R , v , Metallicity, Luminosity)

= dSph Stellar + Foreground

dSph Stellar Mock

⇒ Boltzmann Equation under DM profile

Foreground Mock

⇒ Besancon Model (Robin+ (2003))

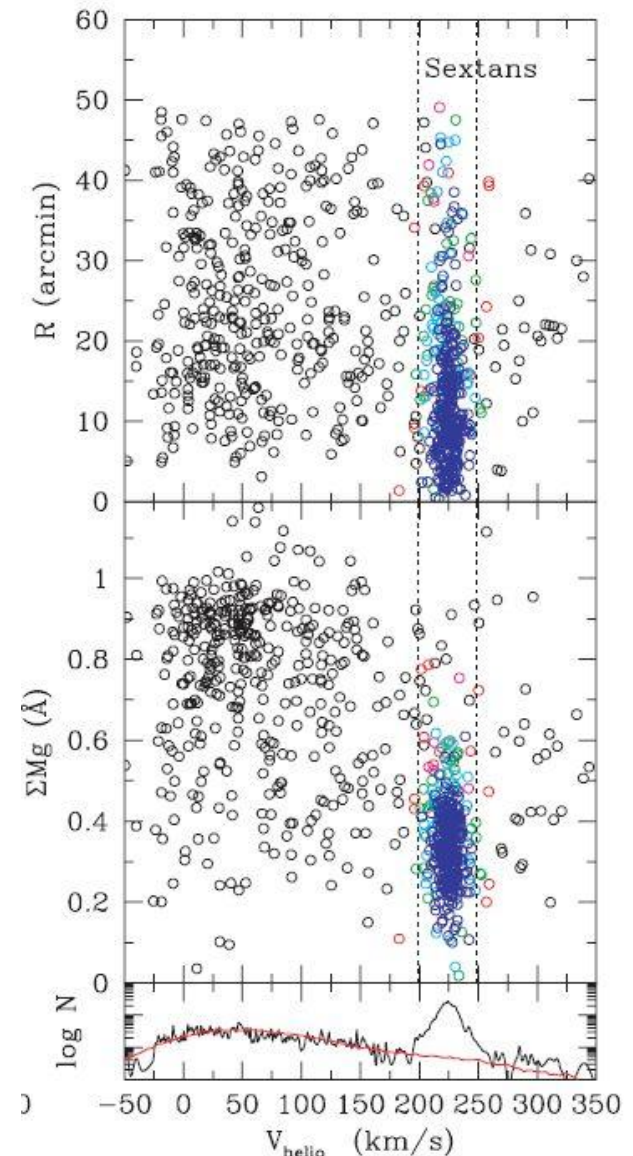
2. Detector Convolution:

⇒ 1. fix: $dv = 3.0 \text{ km/s}$

3. Fit:

(DM profile, anisotropy, dSph stellar profile,
dSph v , foreground norm + metallicity)

⇒ Fit to (v, r) probability density.



Strat

Fit without Foreground

1. Model

(R , v , M)

= dSph S

dSph Stella

⇒ Bolt

Foreground

⇒ Besa

2. Detect

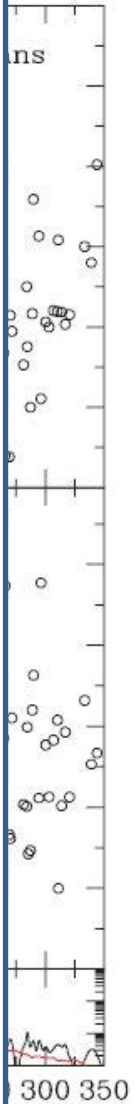
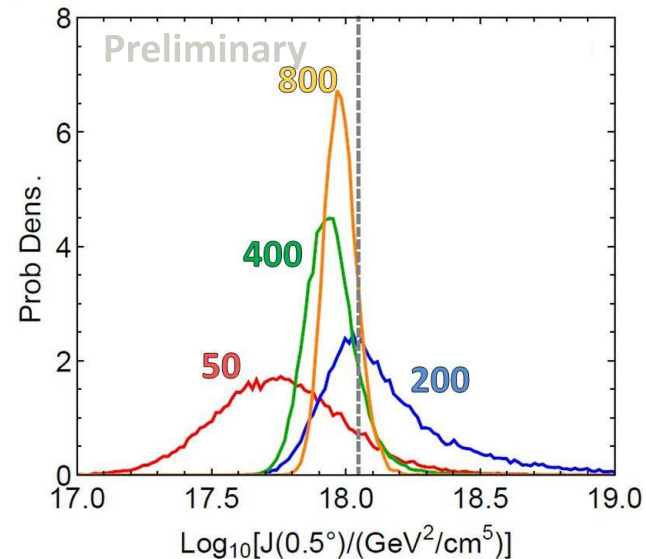
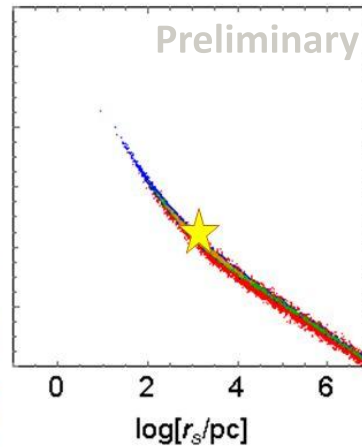
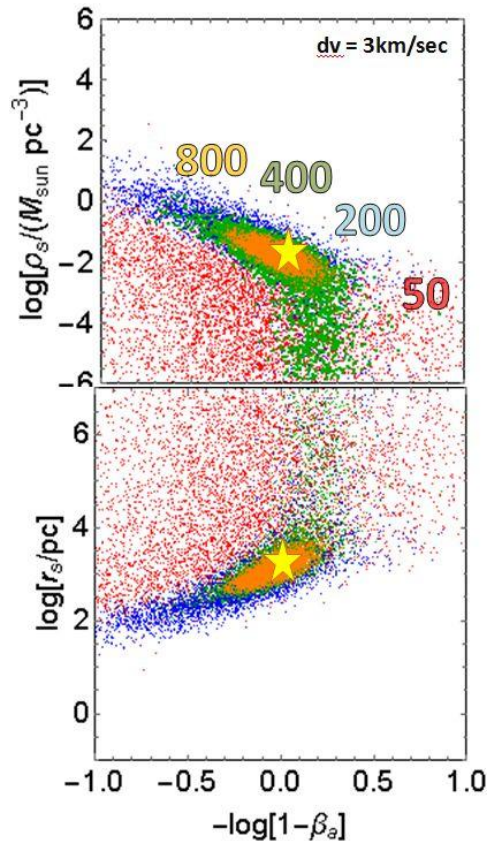
⇒ 1. fix: dv

3. Fit:

(DM prof

dSph v , f

⇒ Fit to



Strat

1. Model

(R, v, M)

= dSph S

dSph Stella

⇒ Bolt

Foreground

⇒ Besa

2. Detection

⇒ 1. fix: dv

3. Fit:

(DM prof

dSph v, f

⇒ Fit to

2. Foreground

Besancon Model

Robin+ (2003)

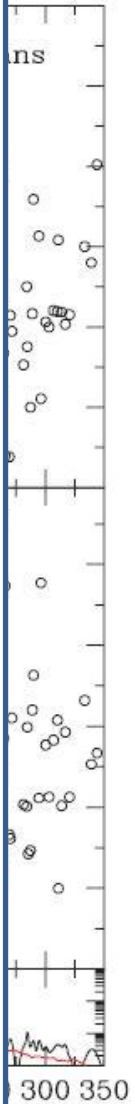
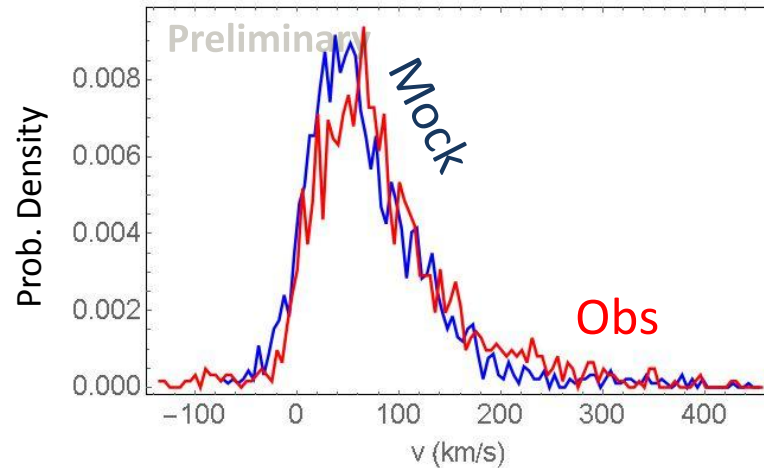
3. Fit

$$-2 \sum_i \ln(s f_{\text{Mem}}(v_i, R_i) + (1 - s) f_{\text{FG}}(v_i, R_i))$$

$$s = \frac{N_{\text{Mem}}}{N_{\text{Mem}} + N_{\text{FG}}}$$

$$f_{\text{Mem}}(v, R) = \frac{2\pi R \Sigma(R)}{\sqrt{2\pi\sigma^2(R)}} e^{-\frac{(v-v_{\text{Mem}})^2}{2\sigma^2(R)}}$$

$$f_{\text{FG}}(v, R) = 2\pi R N e^{-\frac{(v-v_0)^2}{2(\sigma_0(v-v_0)+\sigma_1)^2}}$$



Strat

2. Foreground

Besancon Model

Robin+ (2003)

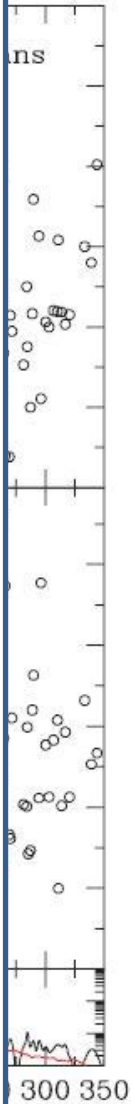
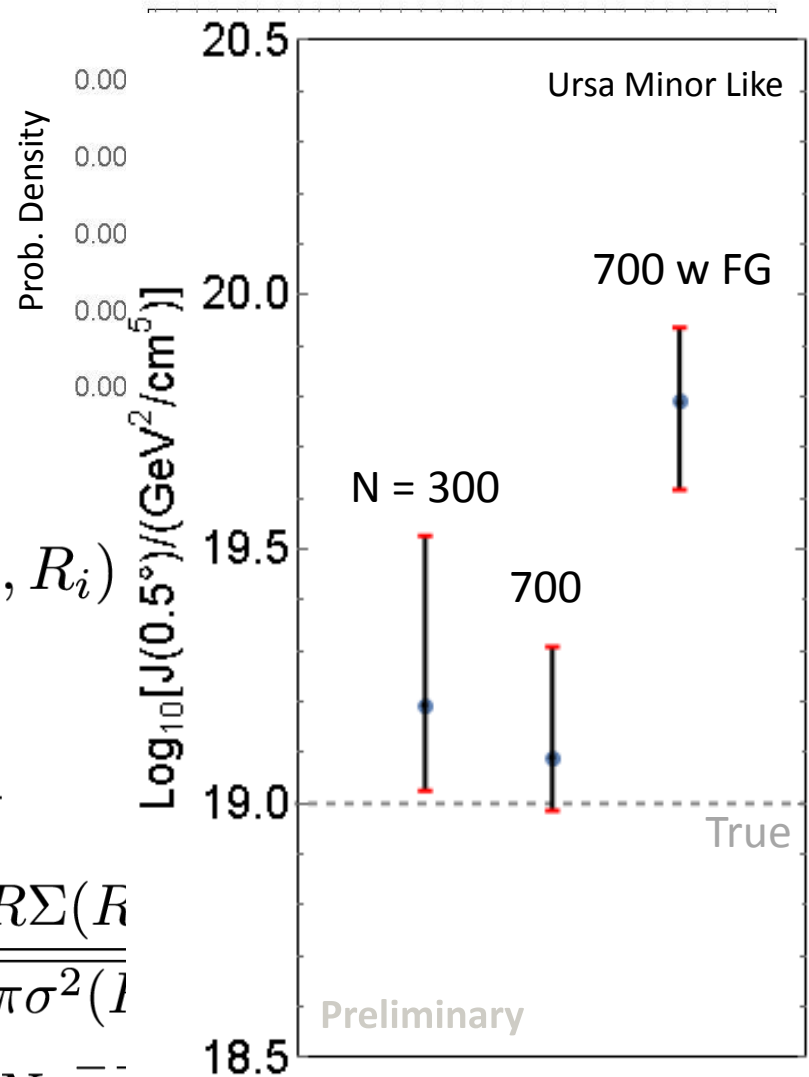
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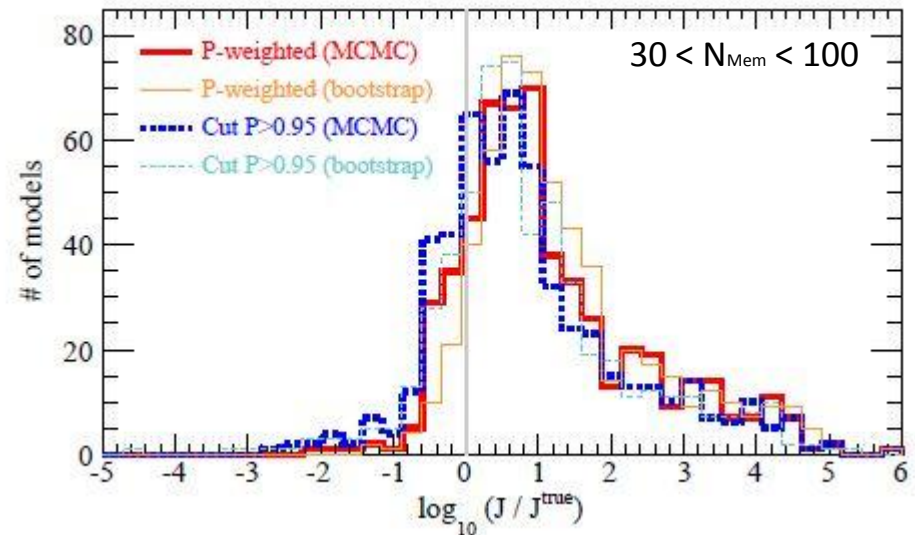
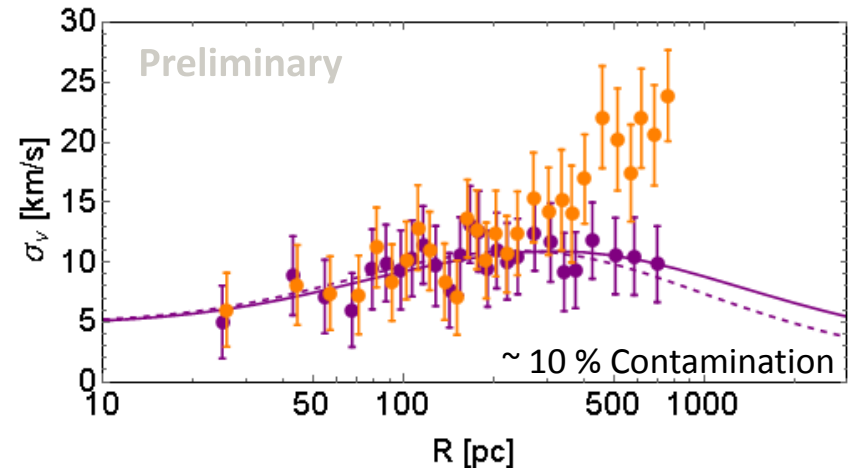
$$f_{\text{FG}}(v, R) = 2\pi R N e^{-\frac{v^2}{2\sigma^2}}$$



Foreground Contamination

Outer Region = FG dominant

How to Reduce FG stars?



Cut Strategy

FG

V Cut ($18 < V < 21$):

velocity Cut :

Color Cut:

Gravity Cut:

ROI Cut (0.65 deg):

Mem

V Cut ($18 < V < 21$):

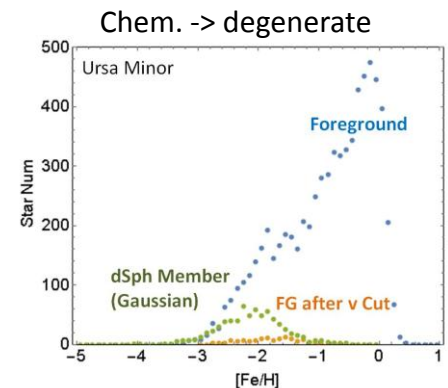
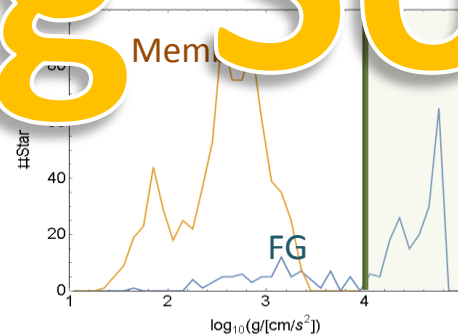
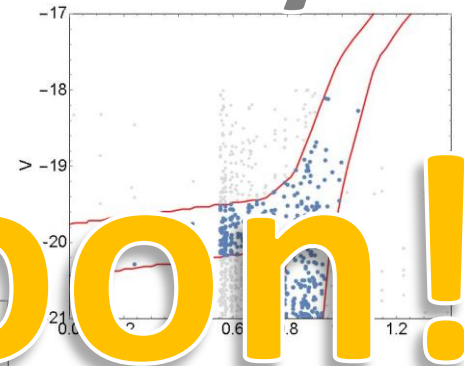
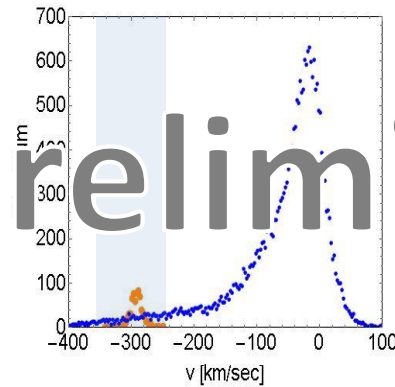
velocity Cut:

Color Cut:

Gravity Cut:

ROI Cut (0.65 deg):

Preliminary



$\Rightarrow$ Reduces to $O(2)$ % Contam ?

More Wider Range (1.3 deg radius)?

Precise information on FG Distribution can be used?

Summary

- Indirect detection is essential for DM search.
- Gamma-ray observation of dSph can give robust constraints on the DM annihilation cross section.
- Investigation of stellar kinematics (PFS) will play a crucial role.
- Reduction of foreground stars is necessary

Summary

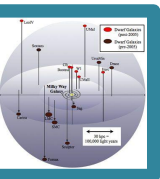
- Indirect detection is essential for DM search.
- Gamma-ray observations of $\bar{p}p$ annihilation can give robust constraints on the annihilation cross section.
- Investigating the annihilation of $\bar{p}p$ pairs (PFS) will play a crucial role.
- Reduction of foreground stars is necessary



Thank You !

Koji Ichikawa

In collaboration with
Kohei Hayashi , Masahiro Ibe, Miho N. Ishigaki,
Shigeki Matsumoto and Hajime Sugai.



Workshop on Astrophysics of Dark Matter
Kashiwa, Oct. 13-16, 2015